



Japan Uncertainty Modelling Project

Understanding and Interpreting Climate Model Ensembles

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How can we use the (CMIP3) MME in probabilistic forecasting?

- MME samples some uncertainties in (physical) parameterisations
- Does it in some way “include” reality?
 - Is it too narrow?
 - Is it too broad?
- What do these statements mean, and how can we check them?



Paradigms for interpreting the CMIP3

“ensemble of opportunity”

(IPCC Expert Meeting, Boulder 2010)

Truth-centred

Statistically indistinguishable

“each ensemble member is sampled from a distribution centered around the truth”

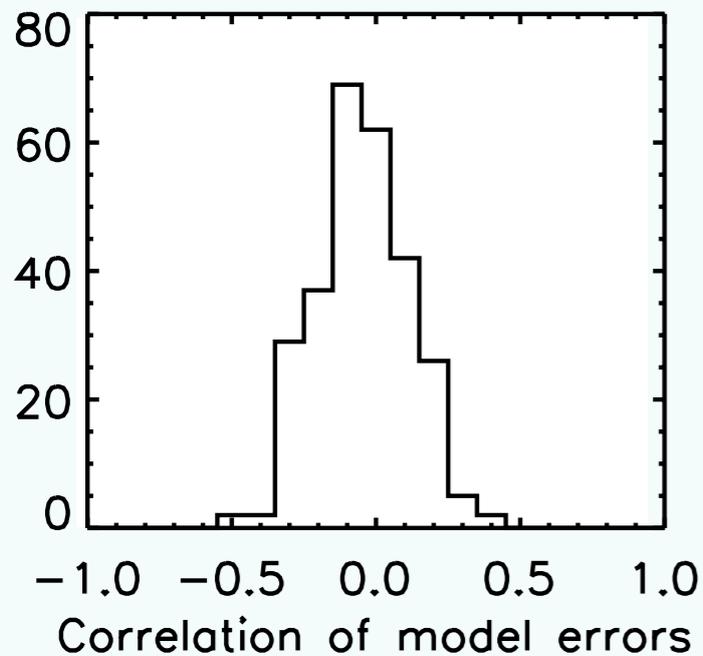
“each of the members is considered to be ‘exchangeable’ with the other members and with the real system”

$$m_i = T + e_i \sim N(T, \sigma)$$

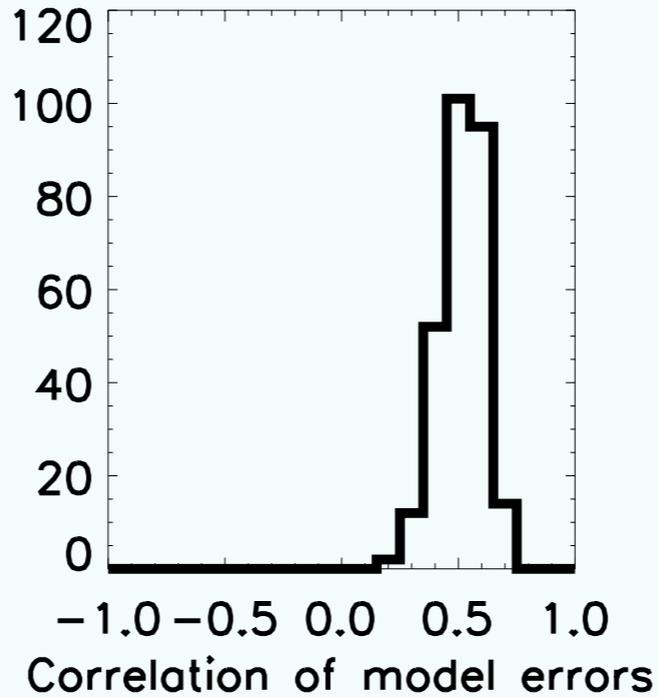
$$m_i = M + e_i \sim N(M, \sigma)$$
$$T = M + e_t \sim N(M, \sigma)$$

Comparison of behaviours

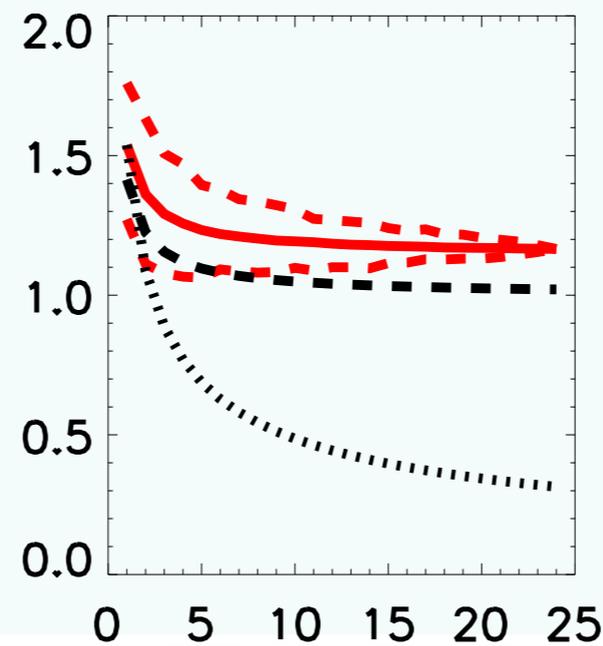
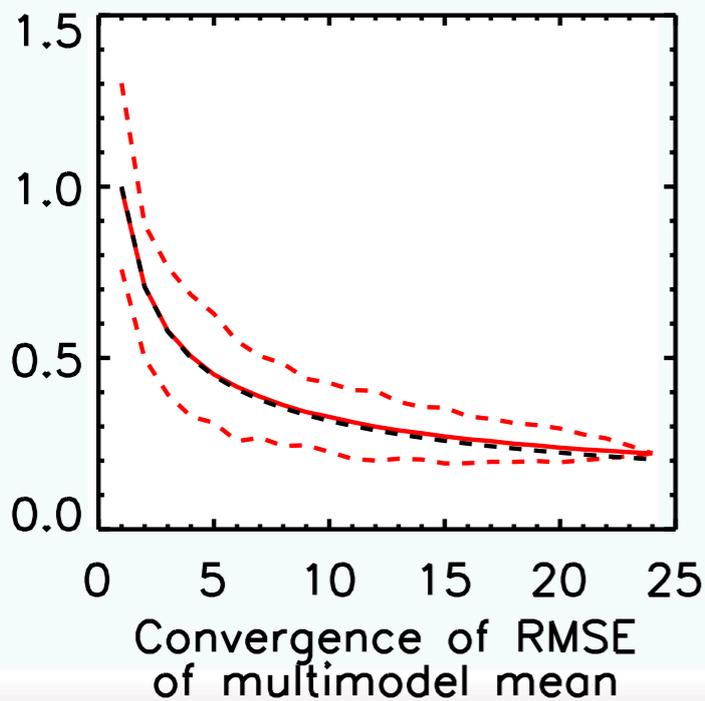
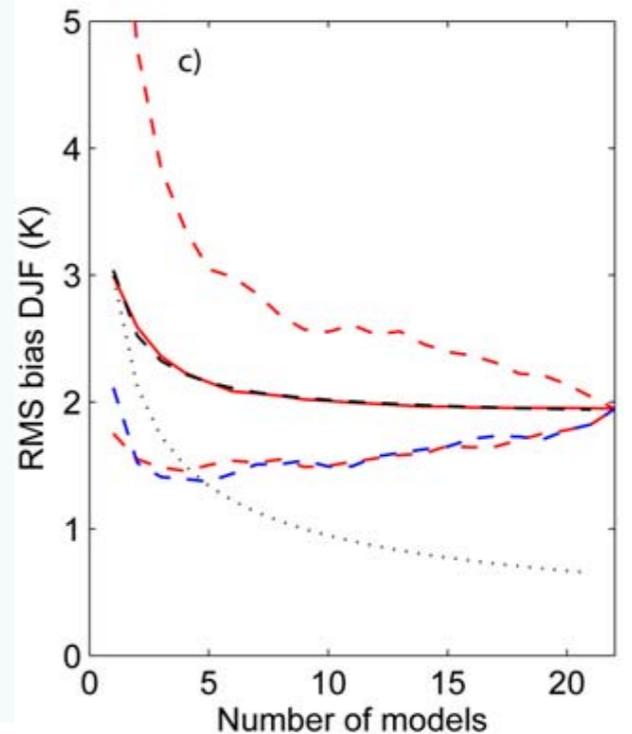
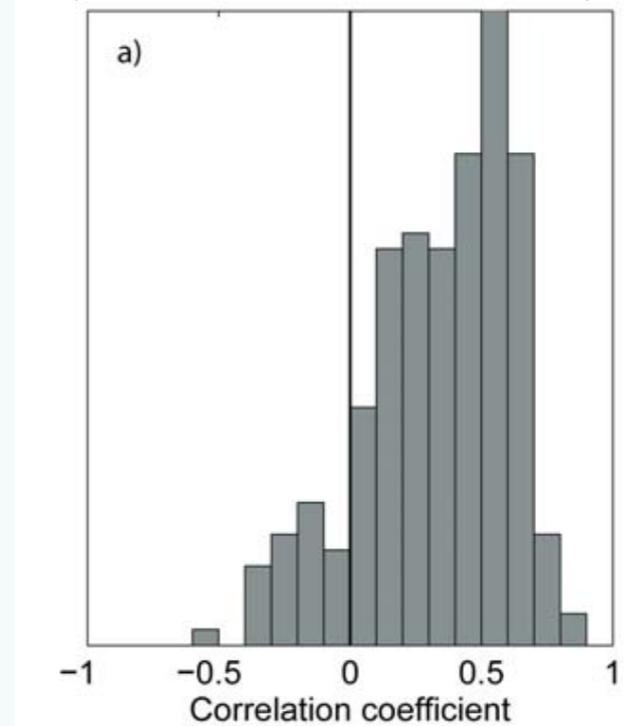
Synthetic
Truth-centred



Statistically
Indistinguishable

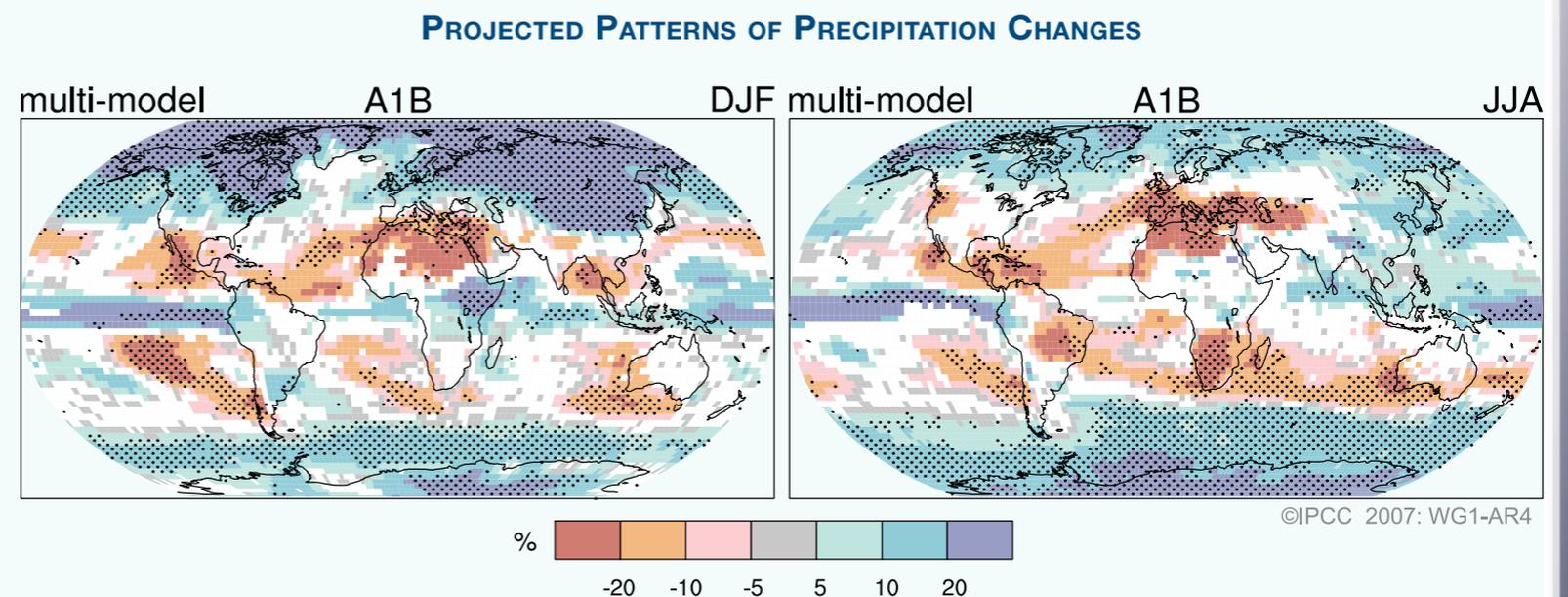
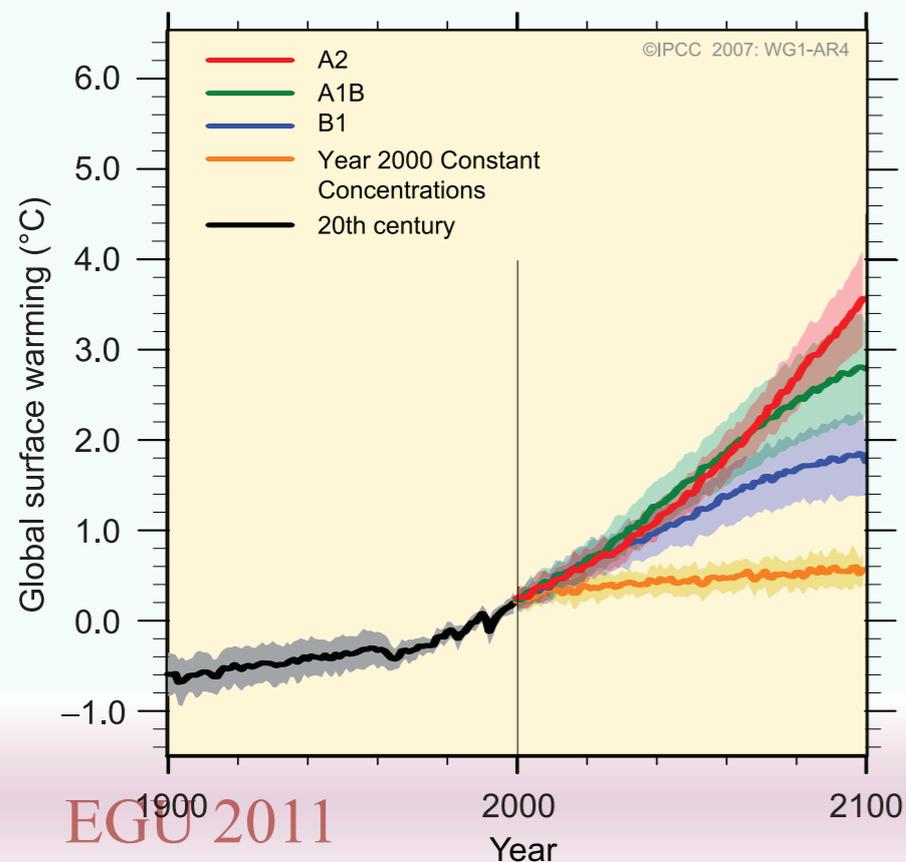


CMIP3
(Knutti et al 2010)



How can CMIP3 be understood within the statistically indistinguishable paradigm?

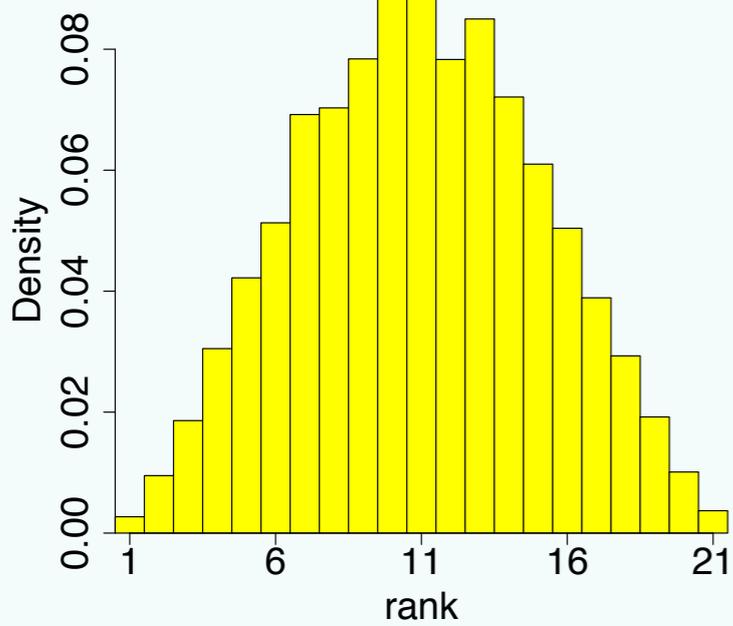
- Our ensemble represents our uncertain beliefs about the system
- Ensemble is centred on our “mean beliefs” (not reality)
- If our uncertainty (ie ensemble range) is well-calibrated relative to error in the mean, then reality and models will be a similar distance from the mean
- Corollary: natural “counting” interpretation will be *reliable*



Evaluating reliability with the Rank Histogram (Talagrand diagram)

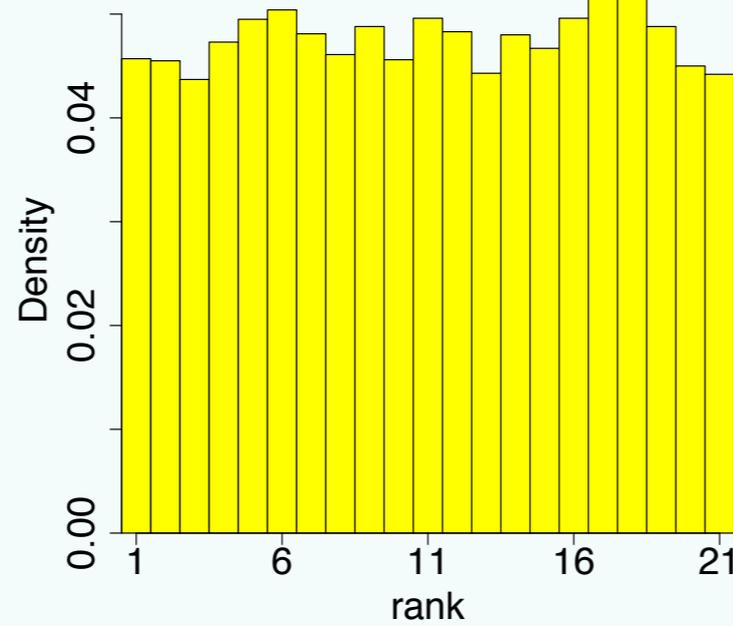
- For a reliable ensemble, the truth lies equiprobably at each position in the rank ordering of ensemble plus truth
- Histogram of ranks of observations should be flat

Histogram of rank



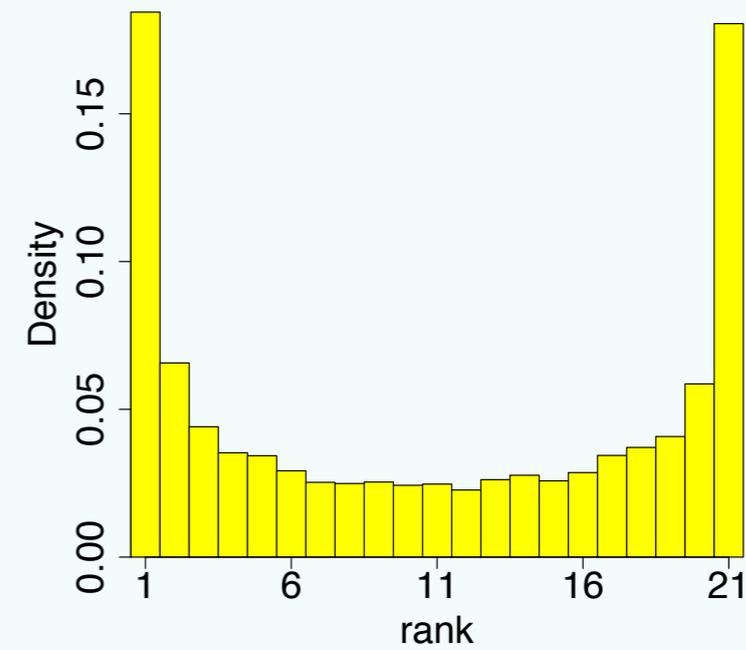
Wide ensemble: spread is too large, observation is near the centre.

Histogram of rank



Reliable: ensemble represents our uncertainty.

Histogram of rank



Narrow ensemble: observation is too often outside ensemble range.

Real data and models - MMEs and SMEs

(Yokohata et al submitted - see poster XL115 today)

- Reliability of CMIP3 MME and several single model ensembles MIROC, HadCM3/SM3, NCAR CAM3
- Many observations relating to radiation balance and clouds

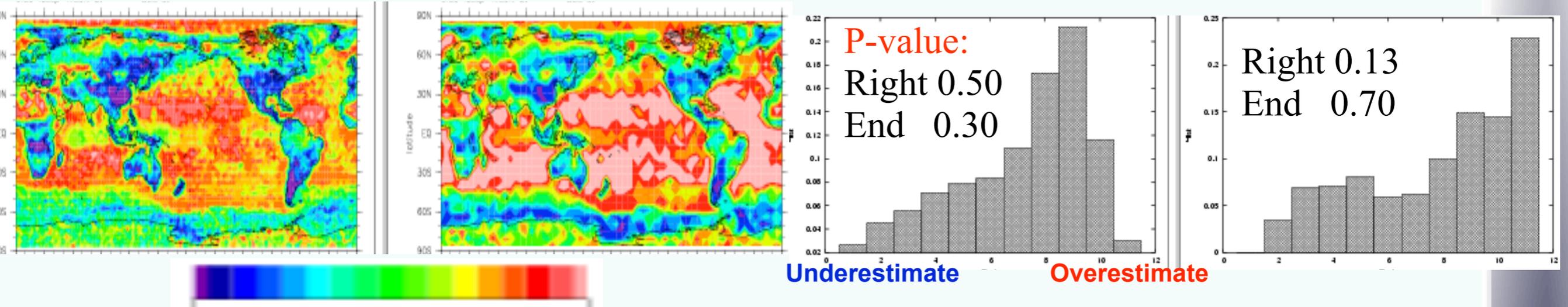
Clear sky SW Radiation

CMIP3-AOGCM

CMIP3-ASGCM

CMIP3-AOGCM

CMIP3-ASGCM

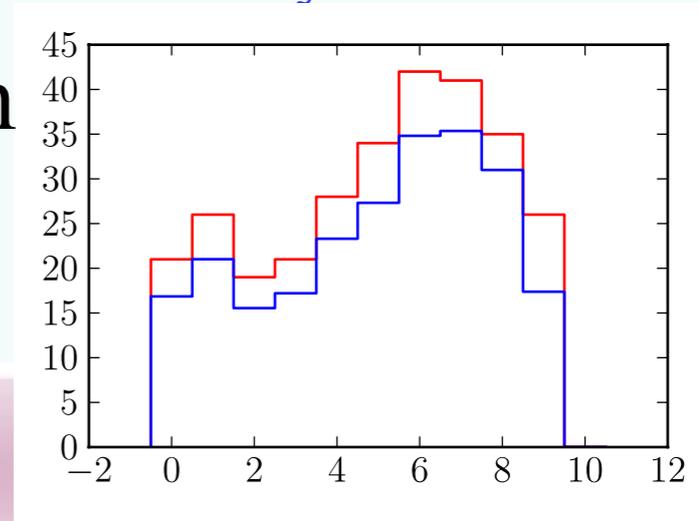


But how about climate *change*?

Hargreaves et al submitted - see talk, CL1.2 15:30 Tuesday

Climate change at the Last Glacial Maximum

Rank Histogram of temperature anomalies
MARGO vs PMIP2



“But if the ensemble isn’t centred on the truth, why is the multi-model mean so good?”

$$(1/n)\sum ||m_i - O||^2 = (1/n)\sum ||m_i - M||^2 + ||O - M||^2$$

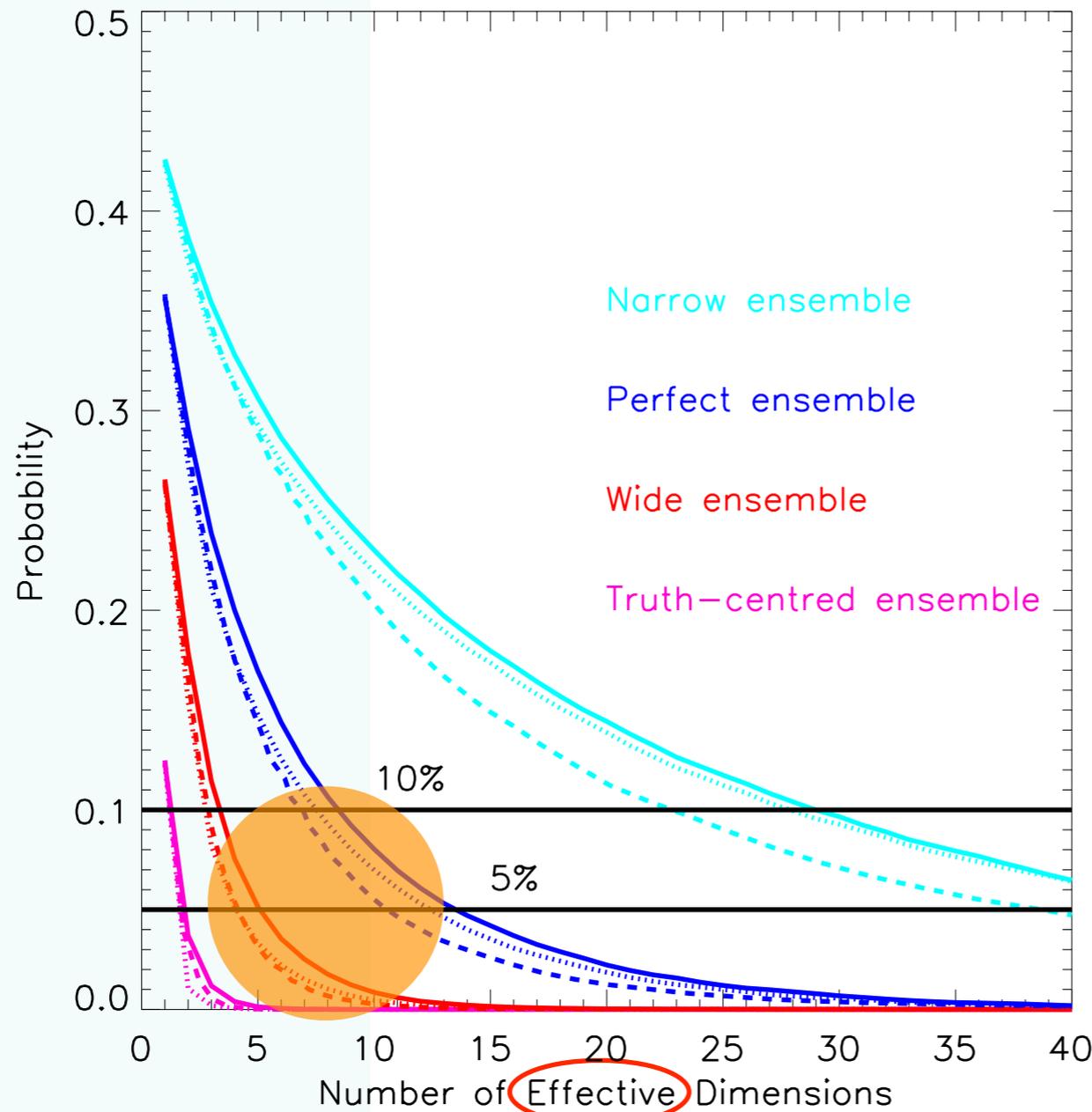
Average of model errors = Ensemble spread + Error of multi-model mean
(eg Stephenson and Doblus-Reyes 2000, Epstein 1969, Leith 1974)

Where the m_i are the models, $M = (1/n)\sum m_i$ is their mean and O are the obs

Follow-up: When is the mean better than the *best* model, and why?
(Annan and Hargreaves, J Clim in press)

- Lambert and Boer 2001 Cli Dyn: “the mean model is generally the best model”
- Glecker et al 2008 JGR : “in most cases the mean and median models score best”
- Pierce et al 2009 PNAS: “Although MM’s superiority has been found in previous studies focusing on the mean climate, the reasons for this have not generally been elucidated”
- Statistically Indistinguishable paradigm can provide some insights

Probability of a given model being better than the mean



Solid: Isotropic (spherical) Gaussian
 Dotted: exponential eigenvalues
 Dashed: $1/\sqrt{i}$ distribution

(T.Palmer, ECMWF
 Newsletter #106)

CMIP3 results
 (2D fields)

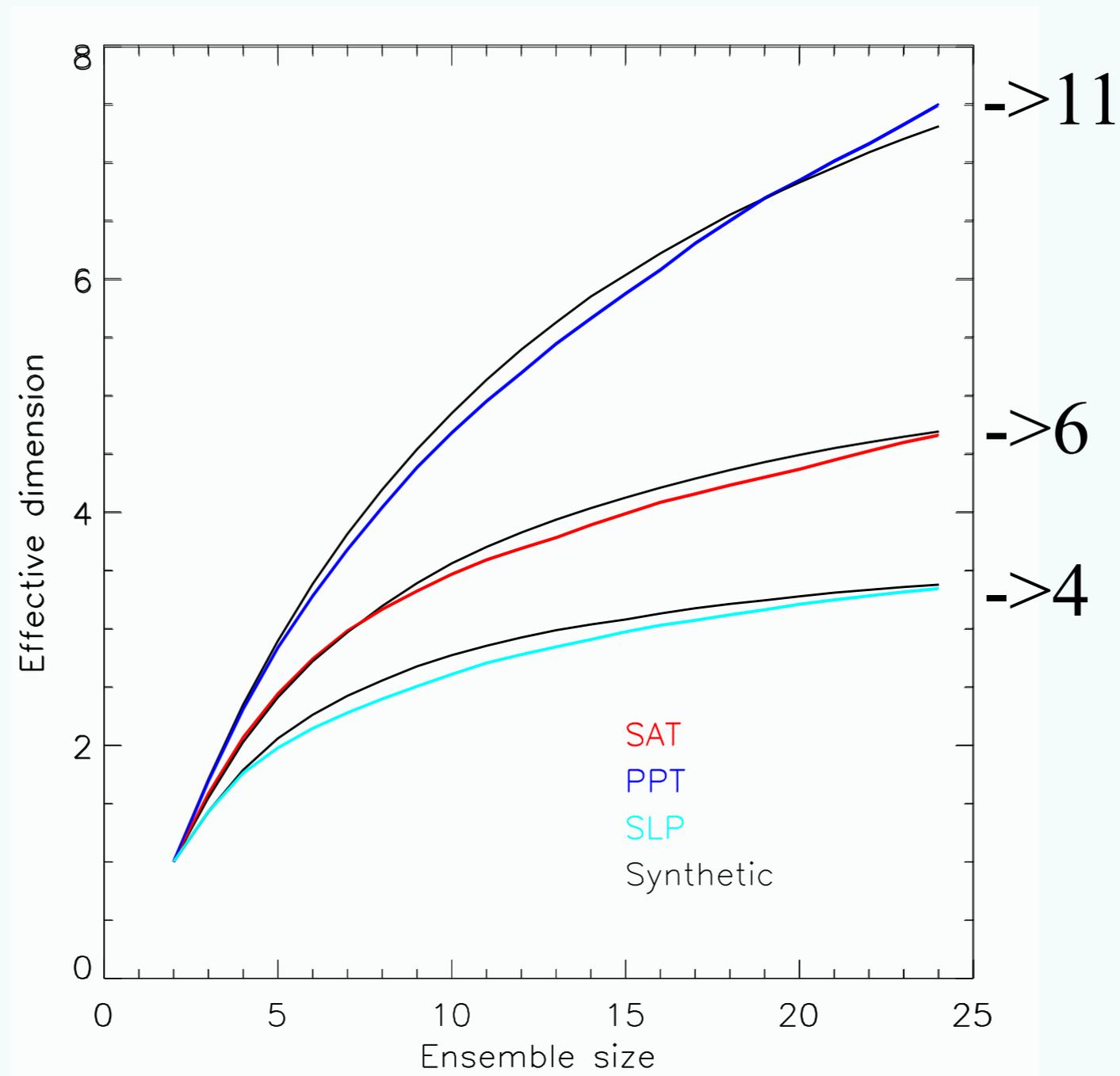
- Strongly depends on relative width and effective dimension
- Doesn't depend on shape of distribution



How many effective dimensions are there?

- We've seen this is critical for analysing CMIP3 behaviour
- Annan and Hargreaves GRL 2010:
 $N_{\text{ef}} = 40$ (NWP) or 5 (cross-validation)
- These imply very different interpretations of the results
- CMIP3 ensemble: $N_{\text{ef}} = 4.6, 7.5$ and 3.4 (SAT, PPT, SLP)
(based on Bretherton et al EOF approach, supported by cross-validation)
- Finite sample gives lower N_{ef} than infinite ensemble from same distribution
- More models will sample more dimensions

Test subsets of models



Comparison with synthetic data of known effective dimension

Summary

- Multi-model ensemble fits the statistically indistinguishable paradigm fairly well.
- ...Even for out of sample data (PMIP and the LGM).
- Many properties of the ensemble can be easily explained within this framework.
- “Reliability” is a key concept in evaluating the MME.
- Provides a basis for use of the MME in probabilistic prediction.
- Ensemble size is far from saturated

Bibliography

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WIRES 2010
- J.D. Annan and J.C. Hargreaves, “Reliability of the CMIP3 ensemble”,
GRL 2010
- J.D. Annan and J.C. Hargreaves “Understanding the CMIP3 multi-
model ensemble”, In Press, J Clim
- T. Yokohata et al, “Reliability of structurally different perturbed
physics and multi-model ensembles”, submitted to Climate Dynamics
- J.C. Hargreaves et al, Are the PMIP climate models consistent with the
MARGO data synthesis for the Last Glacial Maximum?
Clim Past Discussions.

All papers are online: Google “James Annan”, and go to his work page.