

## Extreme rainstorms: testing regional envelope curves against stochastically generated events

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by

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## Foreword

### Context:

Estimation of rainfall extremes for design purposes

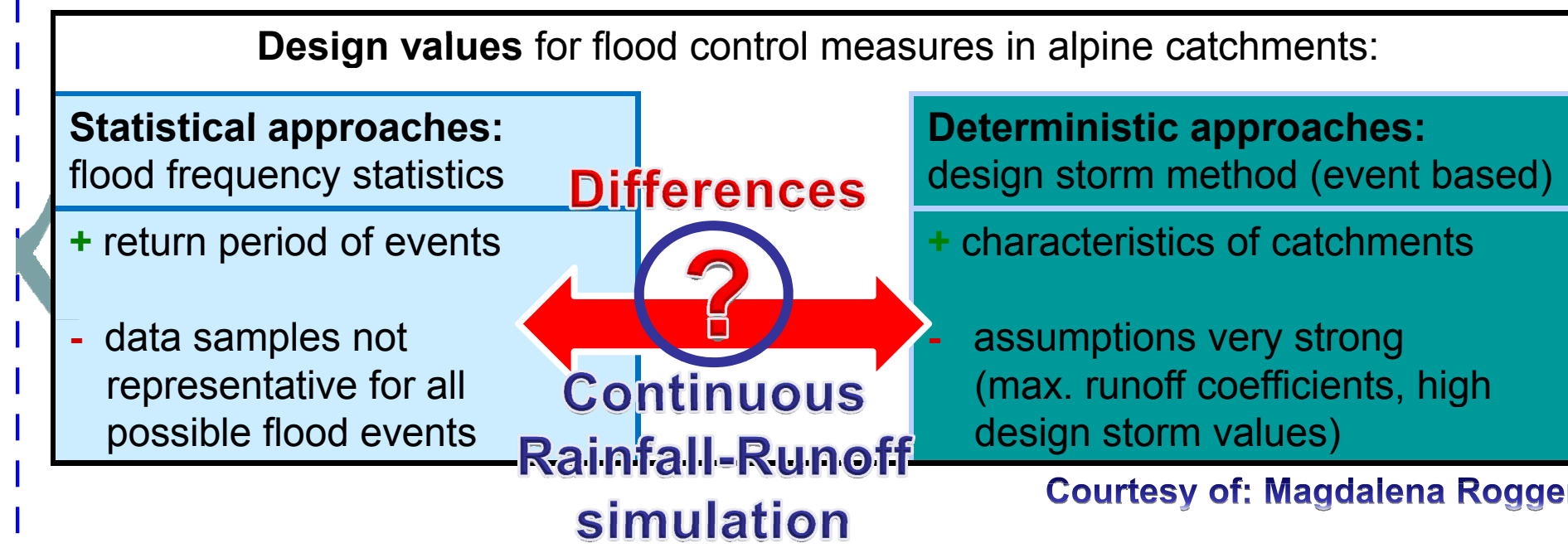
**Timescales:** (conventionally referred to as durations)  
From sub-hourly to daily

### Tools:

- Single site rainfall simulator fitted to the available observations for the generation of long rainfall series
- Statistical upper bound on observed rainfall maxima (envelope curve)

## Origin of the Study

Rogger et al., GRA [2009]: "Reconciling statistical and deterministic flood estimation methods - A case study in Tyrol"



**Outlook [from Rogger et al., GRA, 2009]:**

- generation of long-time precipitation series with a stochastic rainfall model
- simulations with continuous rainfall-runoff model over > 10.000 years

## Stochastic Rainfall Model: Rationale

### Rainfall model structure:

- storm duration  $t_s$  and interstorm period  $t_b$  independently distributed and seasonally varying;
- mean storm intensity  $i$  statistically dependent on storm duration  $t_s$  (this dependence is itself seasonally varying);
- within-storm rainfall intensity variations are constructed by disaggregating from the mean storm intensity, using bounded random cascades.

### Model Calibration:

Given an observed time series, storm events are separated (minimum dry period criterion), evaluating the characteristics of each storm (duration, average intensity, etc.) and fitting the distribution functions to the samples

Robinson & Sivapalan [WRR, 1997]; Menabde & Sivapalan [WRR, 2000]; Sivapalan et al. [WRR, 2005]

## Stochastic Rainfall Model: Rationale

Once calibrated, the model can be used to generate long (>10000 years) series of synthetic rainfall

**Science Question A:**  
How credible simulated extreme rainfall events are?

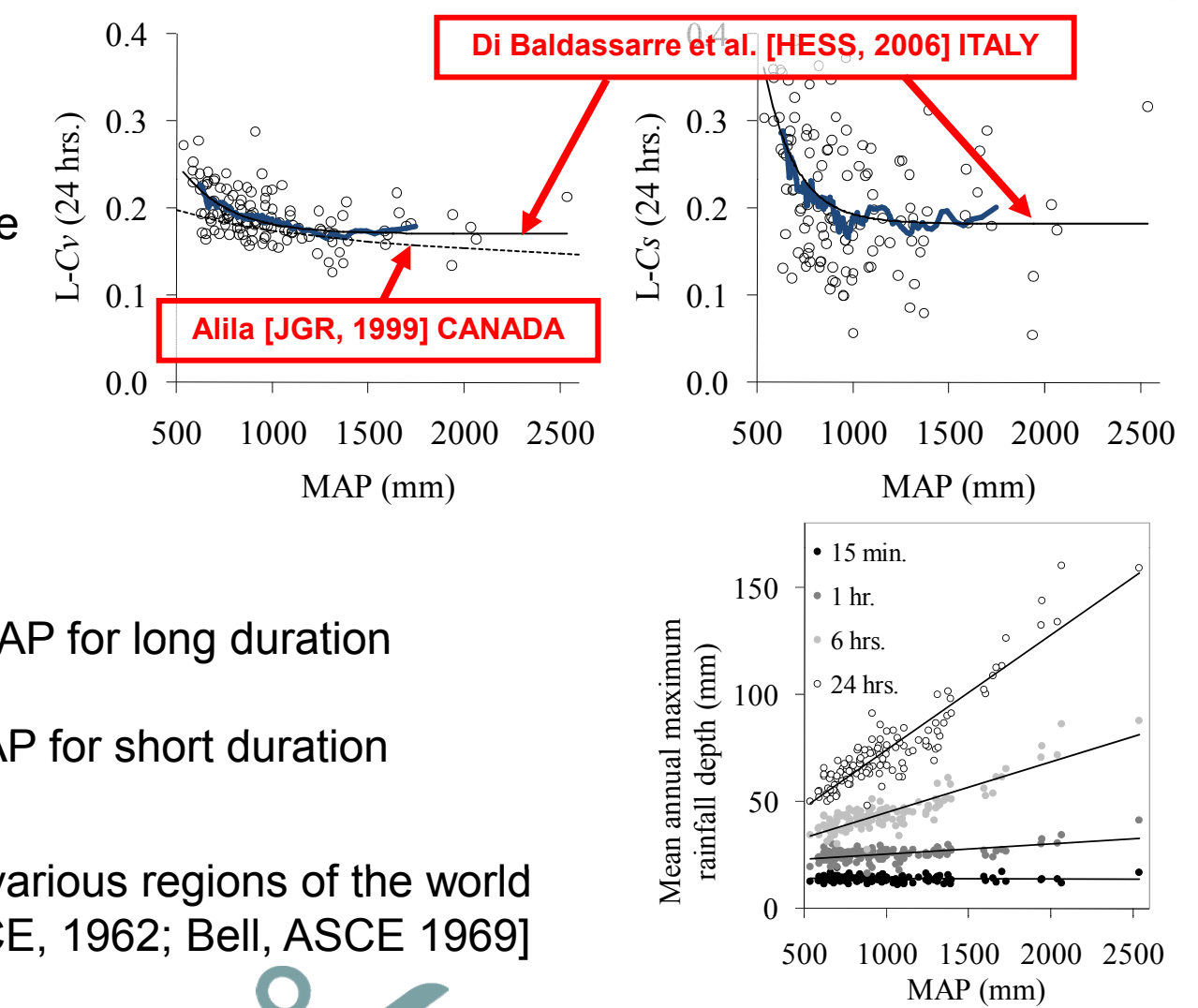
## Probabilistic Envelope Curves for Extreme Rainfall Events

[Northern Italy - Castellarin et al., HYDROL, 2009]

Variation of statistics of rainfall annual maxima with MAP (northern Central Italy)

### Variation and skewness:

Di Baldassarre et al. [HESS, 2006] modelled the link between L-statistics and MAP through a series of Horton-type relations



### Mean:

Strong dependence on MAP for long duration (frontal storms)  
Weak dependence on MAP for short duration (convective storms)

This behaviour holds for various regions of the world [see e.g., Hershfield, ASCE, 1962; Bell, ASCE 1969]

## Probabilistic Envelope Curves for Extreme Rainfall Events

[Northern Italy - Castellarin et al., HYDROL, 2009]

Representation of rainfall quantiles standardized by MAP ( $h_{t,T}/MAP$ )

Storm timescale,  $t$ :  
1 hour (grey)  
24 hours (black)

Recurrence intervals  $T$ :  
10, 100, 1000 years

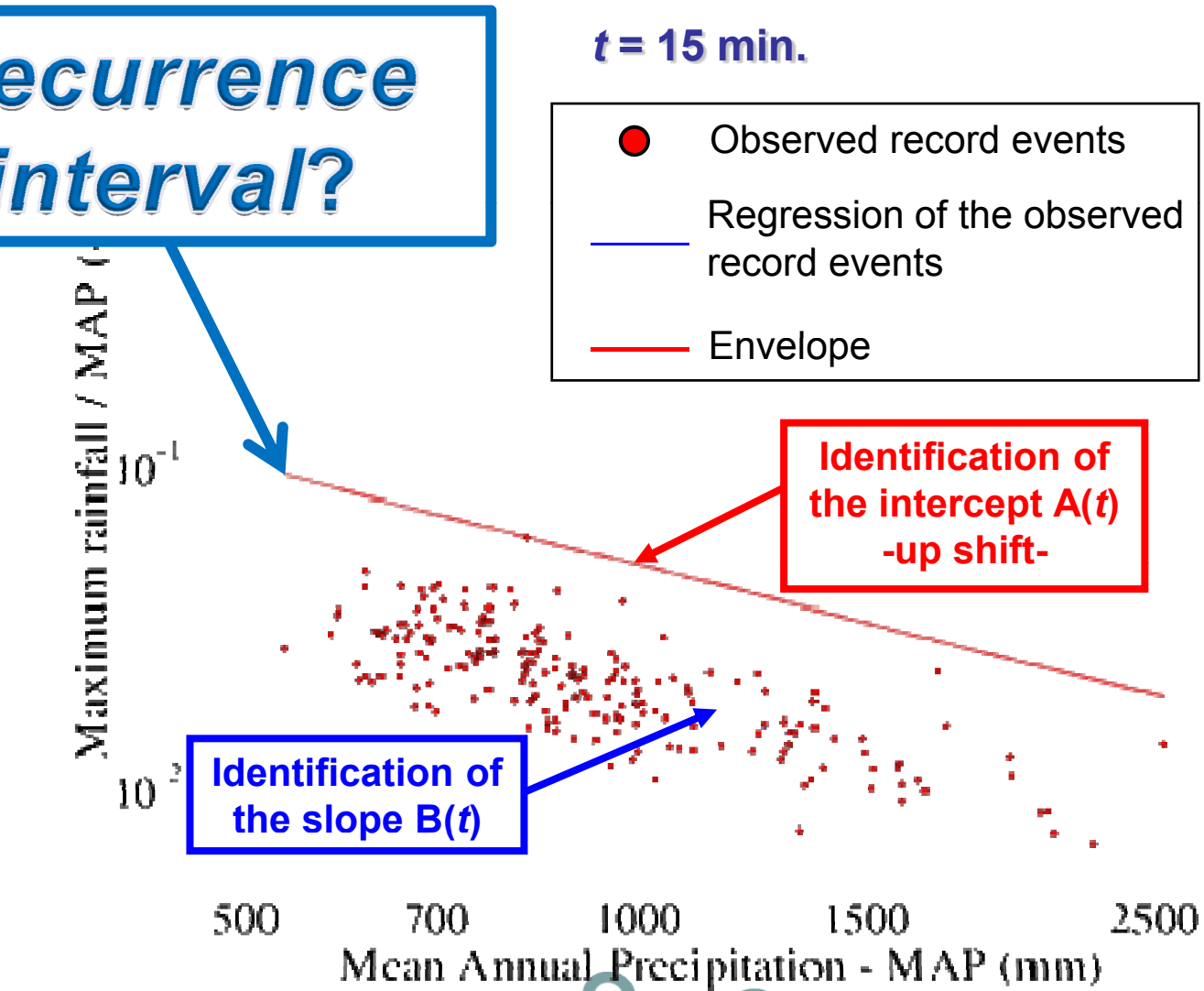
Frequency distributions:  
EV1 (dashed line) ---  
GEV (solid line) —

Log-linear expression (reasonable option) for representing the regional upper bound of the observed maximum point rainfall

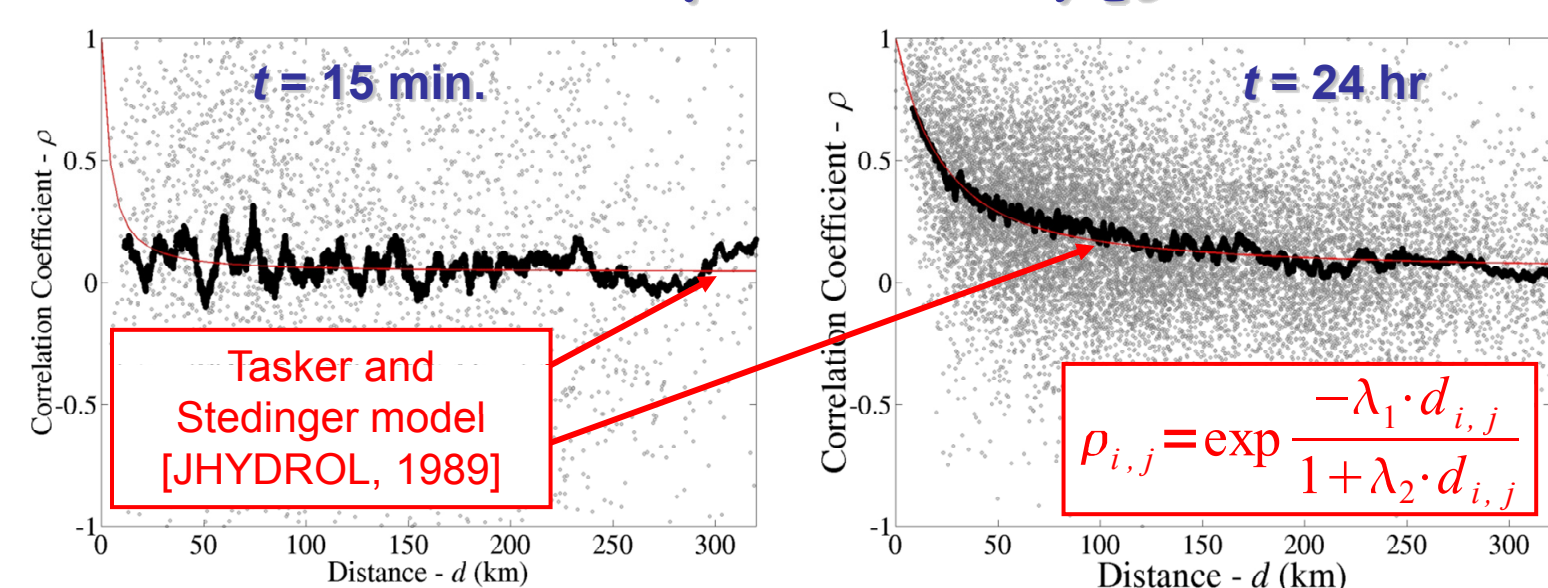
$$\ln\left(\frac{h_{t,MAX}}{MAP}\right) = A(t) + B(t) \cdot \ln(MAP)$$

## Empirical Envelope Curve (Northern Central Italy)

### Recurrence interval?



## Exceedance probability of an Envelope Curve, $p_{EC}$



The algorithm for estimating  $p_{EC}$  [Castellarin, WRR, 2007] requires:

- the modelling of the cross-correlation structure – model proposed by Tasker and Stedinger [JHYDROL, 1989];

→ Number of effective observations

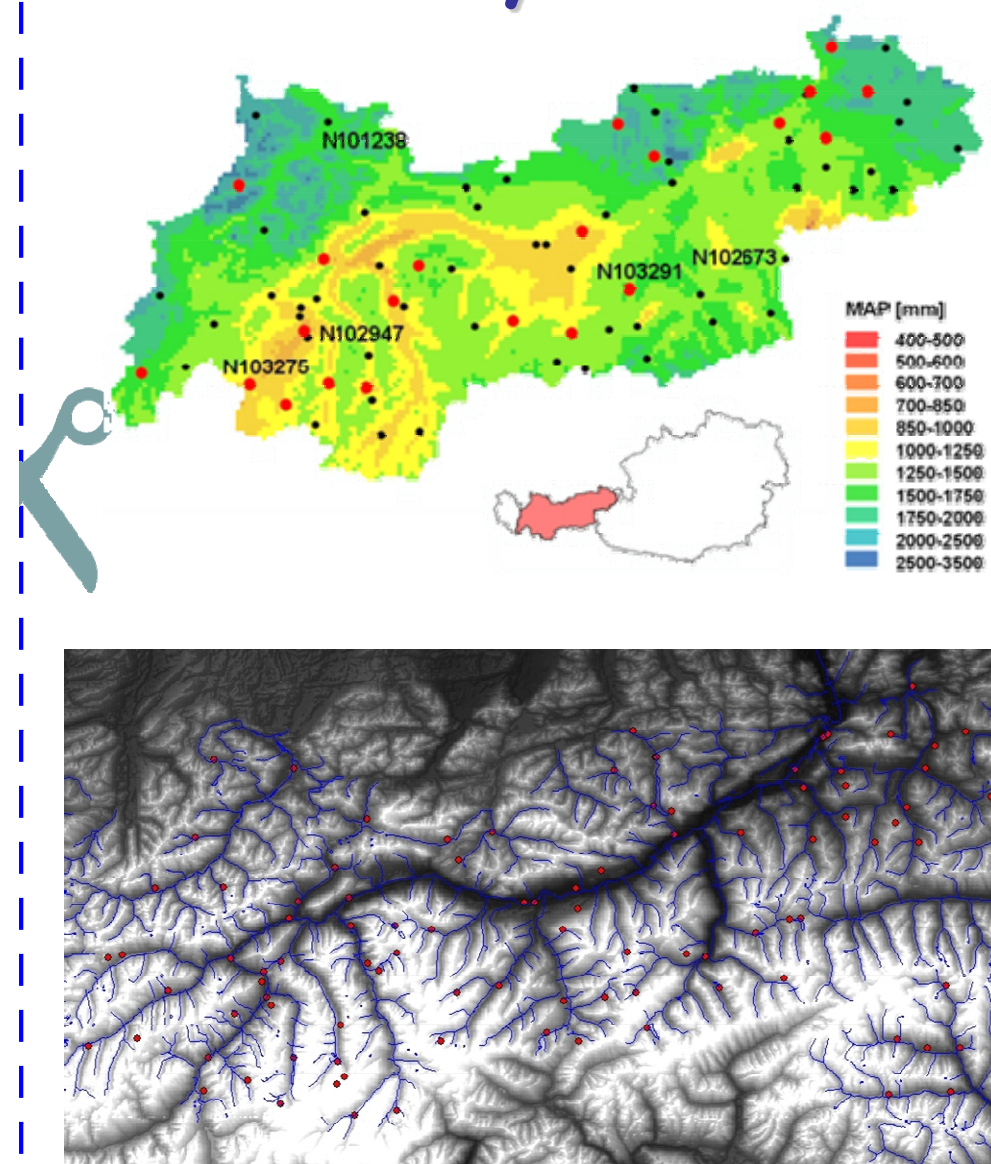
- the selection of a suitable plotting-position (pp): Hazen pp provides limited bias for GEV distribution for a wide range of shape parameters

## Exceedance probability of an Envelope Curve, $p_{EC}$

Italian case study: the accuracy of rainfall quantiles retrieved from the envelope curves was assessed through a comparison with a regional depth-duration-frequency equation

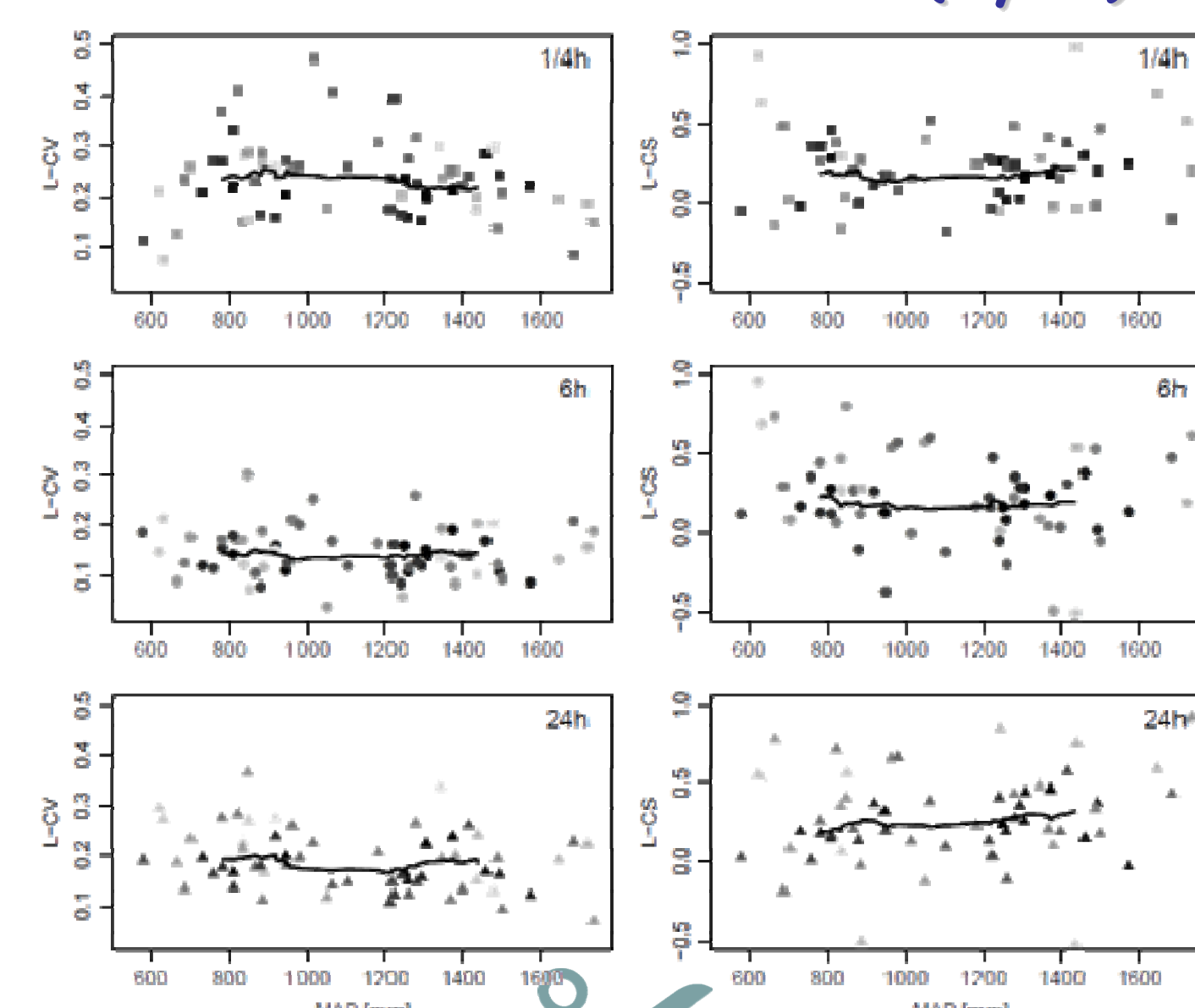
**Science Question B:**  
How general and realistic is the probabilistic interpretation of envelope curves?

## Study Area (AMS) Tyrol



No. of gauges	77
Altitude (m a.s.l.)	493 (min) 1297 (mean) 2850 (max)
MAP (mm)	523 (min) 1076 (mean) 1732 (max)
Series length (years)	1 (min) 10 (mean) 31 (max)
Station-years of data:	751

## Variation of Statistics of Rainfall Annual Maxima with MAP (Tyrol)

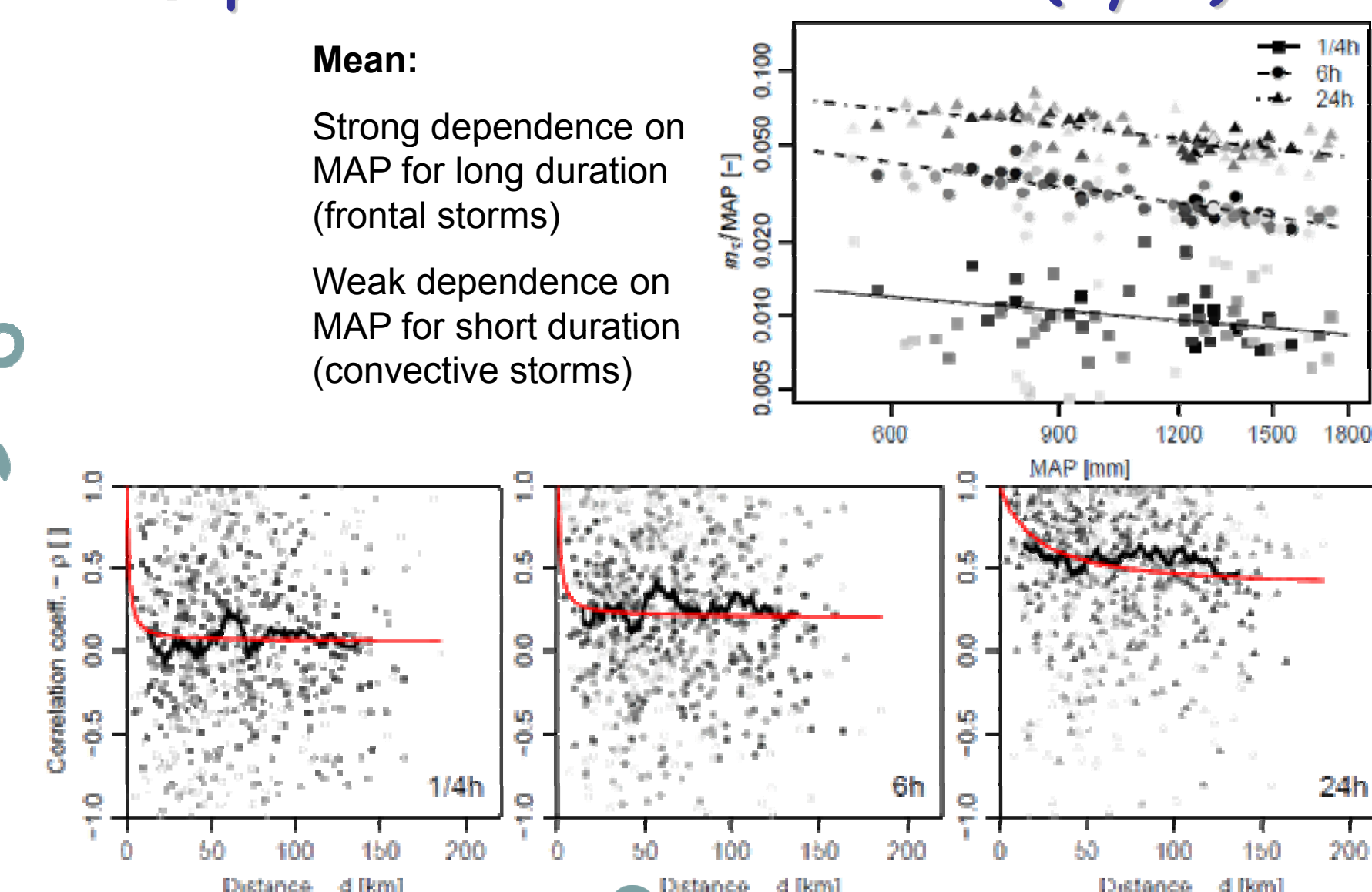


## Mean Annual Maximum Rainfall Depth and Intersite Correlation (Tyrol)

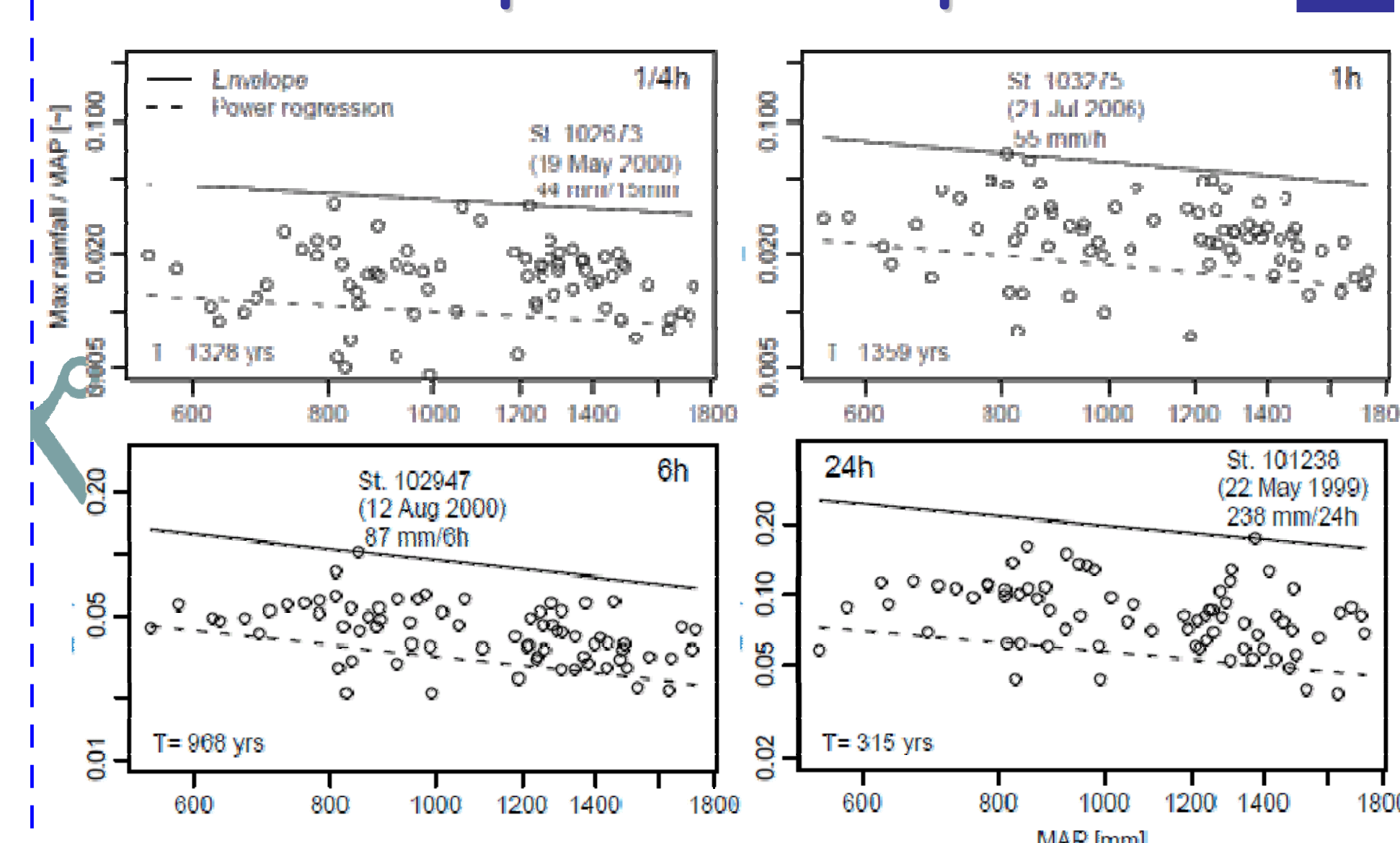
### Mean:

Strong dependence on MAP for long duration (frontal storms)

Weak dependence on MAP for short duration (convective storms)

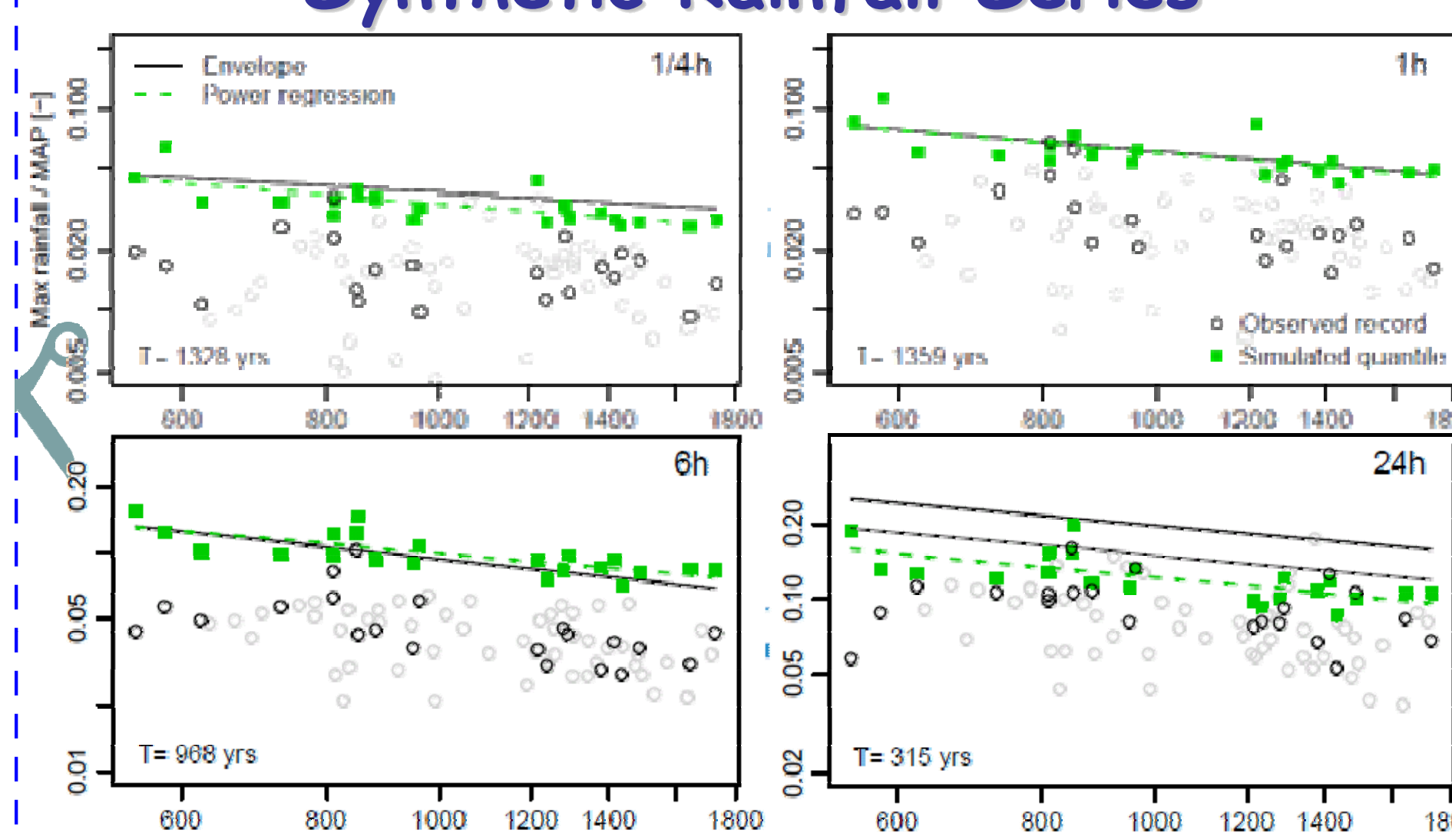


## Empirical Envelopes



Empirical DDEC's, estimated recurrence interval T, event setting the envelope and corresponding site

## Empirical Envelopes vs. Synthetic Rainfall Series



Empirical DDEC's and simulated rainfall quantiles for the return period given by the DDEC (50 000 years of rainfall)

## Summary

### Science Questions:

**SQA:** How credible simulated extreme rainfall events are?

**SQB:** How general and realistic is the probabilistic interpretation of envelope curves?

### Main results:

- Good agreement (especially for intermediate timescales 1-6 hours)
- Utilization of different sources of information (storm and inter-storm characteristics, observed records and cross-correlation among series)

### Possible utilizations:

- Envelope Curve → Rainfall Model:**
  - validation of simulated rainfall quantiles for high recurrence intervals
  - critical revision of calibrated parameters for discordant sites
- Rainfall Model → Envelope Curve:**
  - suitability of assumptions of the probabilistic interpretation (climatic homogeneity, descriptiveness of MAP)