

# Impacts of ocean-atmospheric oscillations on Mediterranean hydrology

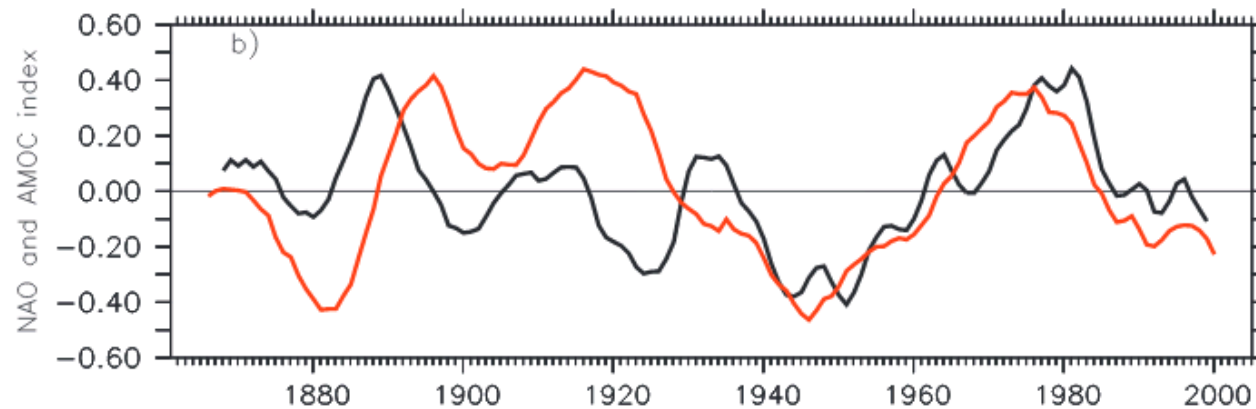
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- Global warming is expected to weaken the AMOC due to melting of Greenland ice cap [[Cheng et al., 2013](#); [Rahmstorf et al., 2015](#)]
- A slowing down of the AMOC would alter the **course** and **amplitude** of the Gulfstream and, hence, the path of Atlantic storm tracks [[Joyce and Zhang, 2010](#)]



red: NAO, black: AMOC

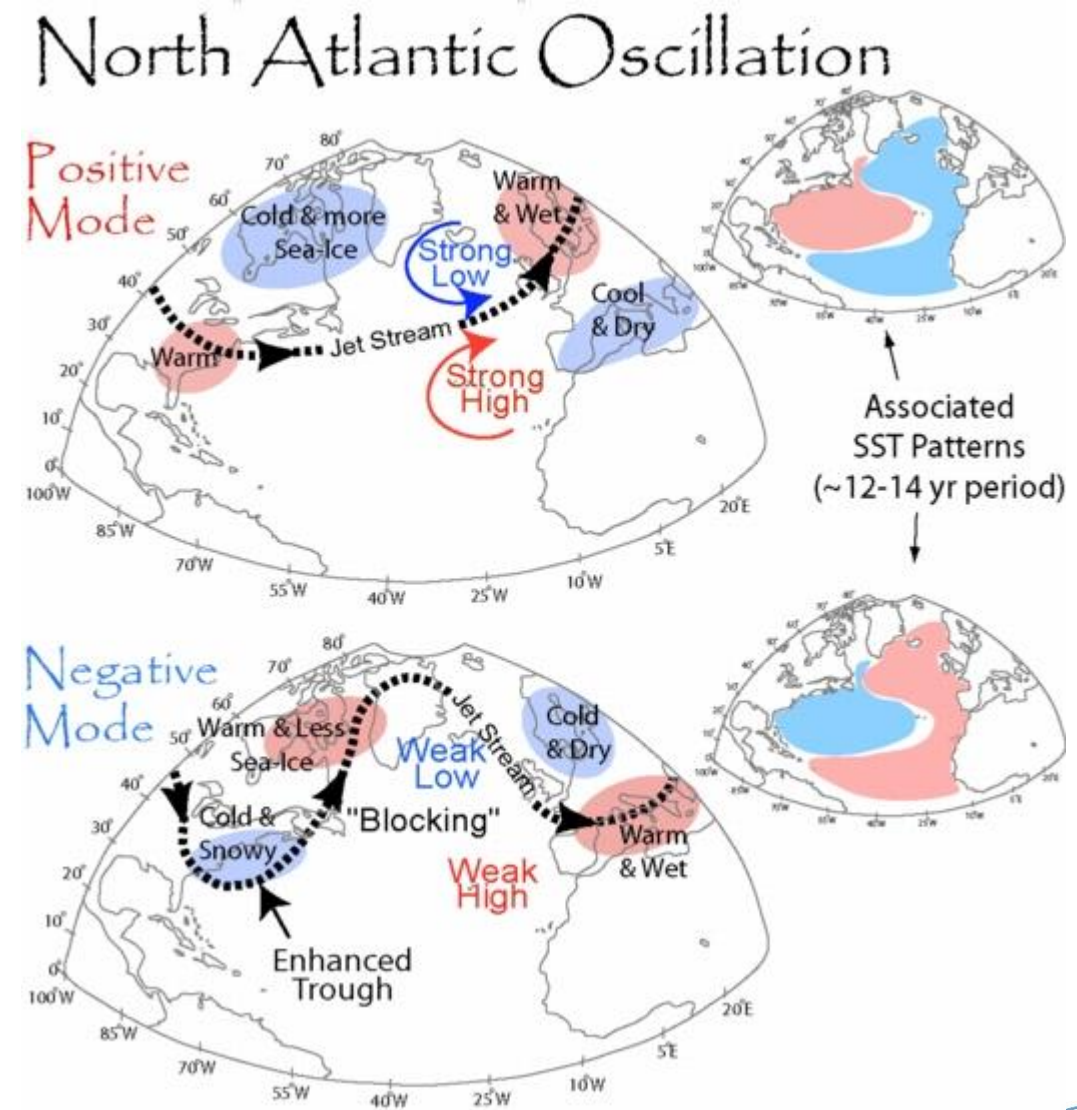
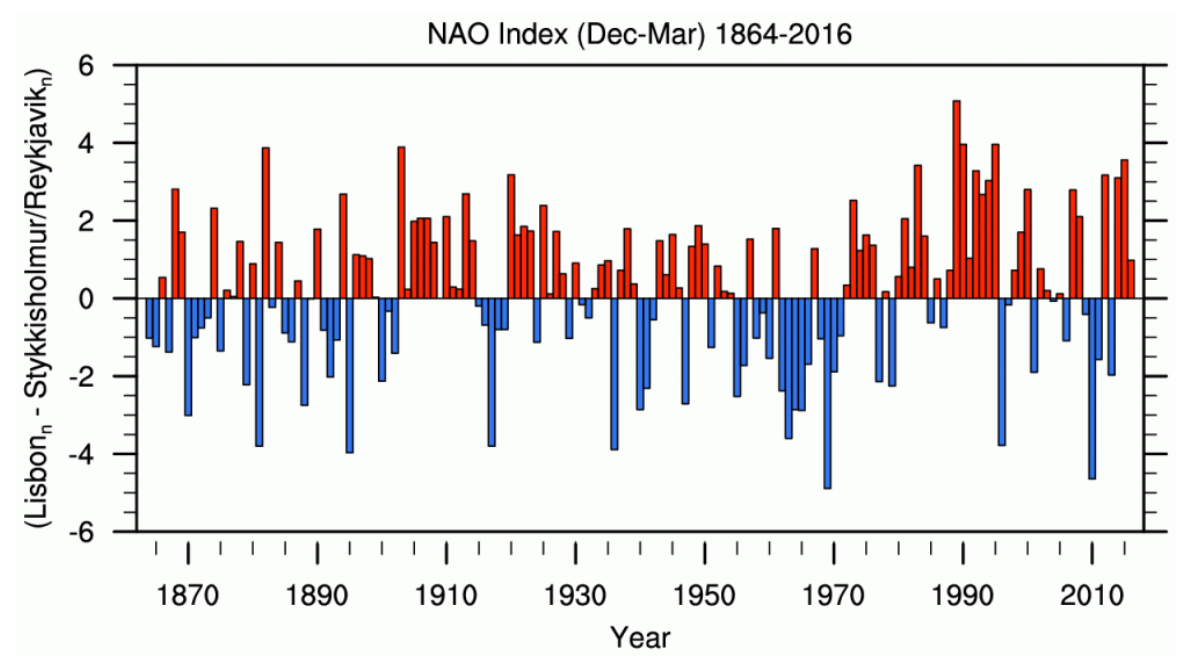


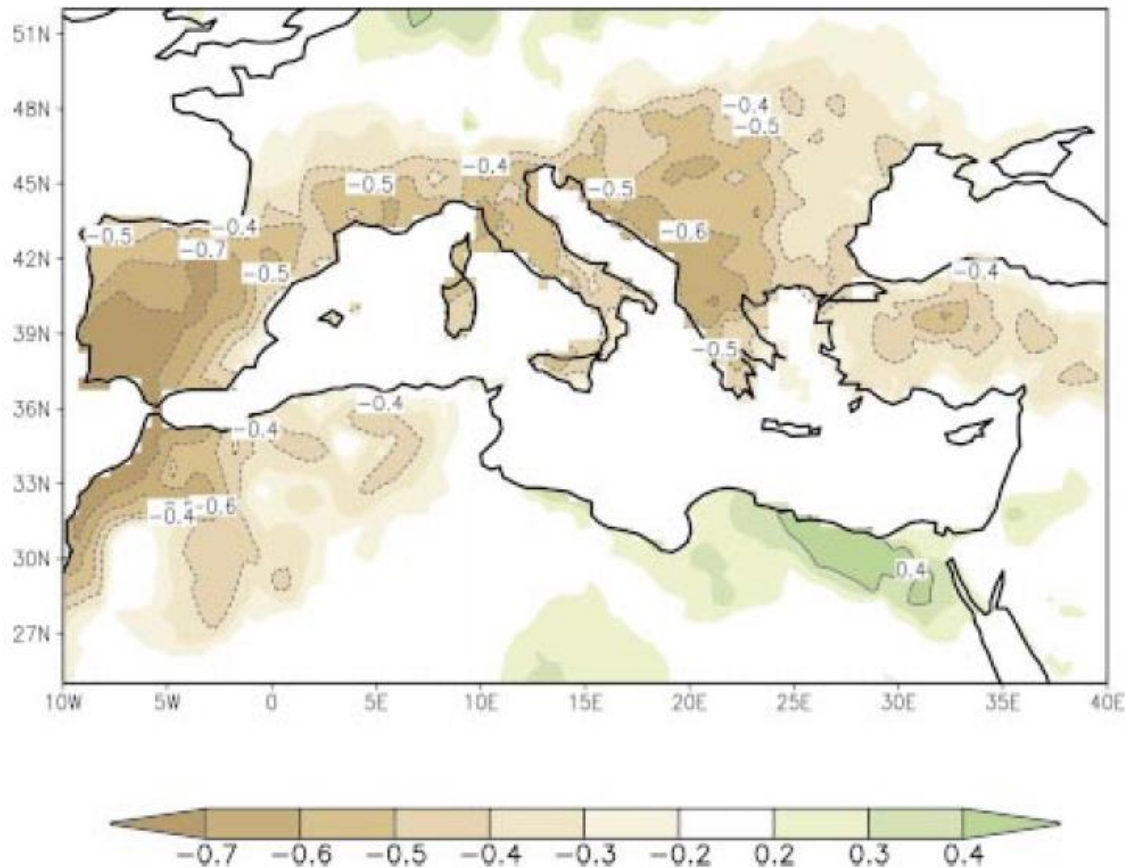
[[Cheng et al., 2013](#)]



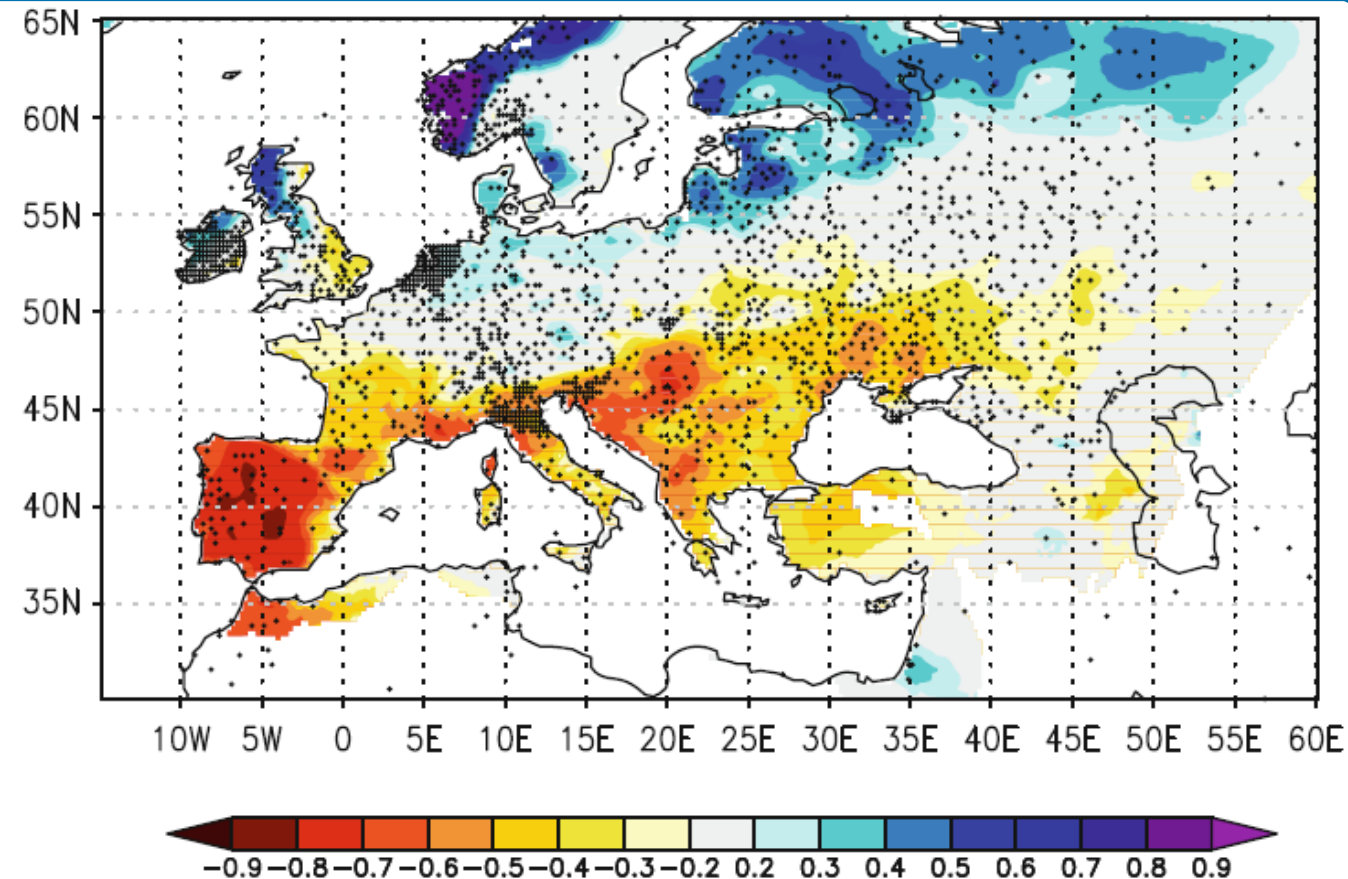
Example: North Atlantic Oscillation

- NAO index is based on the difference of normalized sea level pressure (SLP) between Lisbon, Portugal and Stykkisholmur/Reykjavik, Iceland





correlation between *CRU* precipitation and *NAO* for the winter season (1949-1996)



correlation between the winter *NAO* index and precipitation (1950-2010)

## aim:

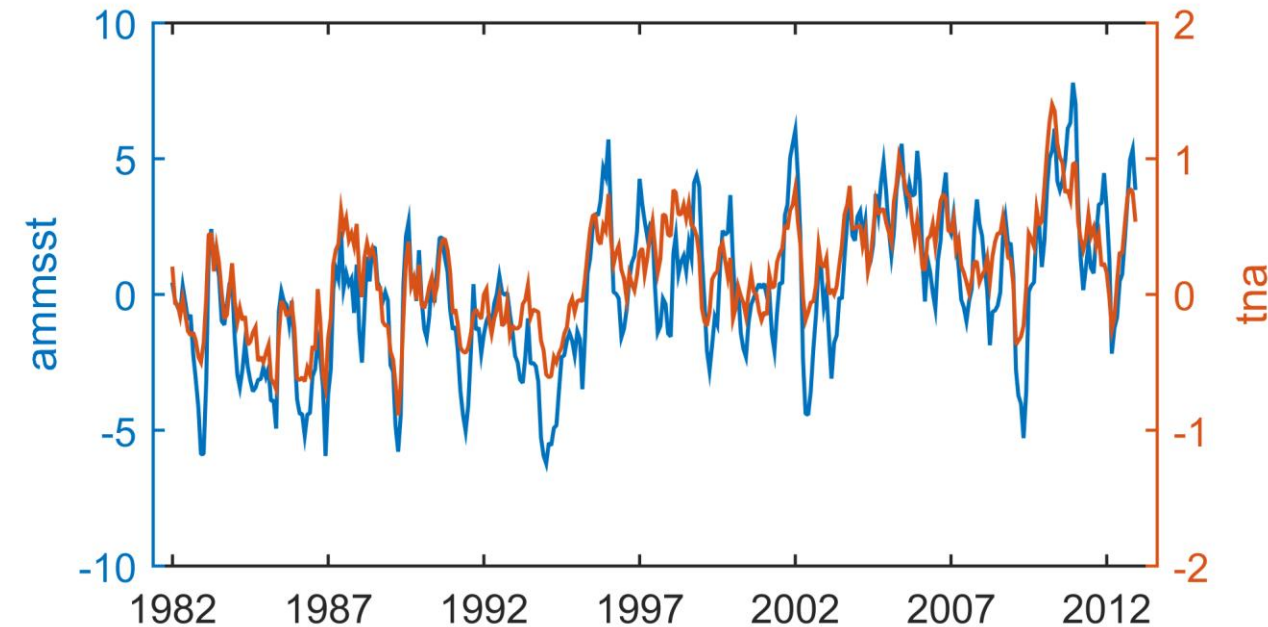
- determine impact of multiple climate modes
- is there a significant impact on precipitation?
- disentangle the impact of individual climate modes
- consider possible time lags

## challenges:

- uncertainties in the observations
- co-varying behaviour of multiple oscillations

## approach:

- optimised precipitation dataset
- supervised learning:  
Least **A**bsolute **S**hrinkage and **S**election **O**perator (**LASSO**)



- LASSO regression

$$\hat{\beta} = \operatorname{argmin} \left\{ \sum_{i=1}^n \left( y_i - \beta_0 - \sum_{j=1}^p \beta_j x_{ij} \right)^2 + \alpha \sum_{j=1}^p |\beta_j| \right\}$$

$\hat{\beta}$  ... p-dimensional vector with the estimated regression coefficients

$n$  ... number of training samples in the dataset

$y_i$  ... value of the target variable in sample  $i$

$p$  ... number of features

$x_{ij}$  ... value of feature  $j$  in sample  $i$

$\alpha \sum_{j=1}^p |\beta_j|$  ... regularization → minimize the sum of the absolute values of the coefficients

→  $\alpha$  controls the amount of regularization

→ regularization prevents overfitting by restricting the model, typically to reduce its complexity



- nested 5-fold cross validation (CV)
  - 5-fold CV for determination of  $\alpha$
  - 5-fold CV for calculation of  $R^2$  (= coefficient of determination)

$$R^2 = \left( \frac{\sum (y - \bar{y})(y_{pred} - \bar{y}_{pred})}{\sqrt{\sum (y - \bar{y})^2 \sum (y_{pred} - \bar{y}_{pred})^2}} \right)^2 = \text{squared correlation between } y \text{ and } y_{pred}$$

$y$  ... target value

$y_{pred}$  ... prediction of target value

$\bar{y}$  ... mean vector of  $y$ ,  $\bar{y}_{pred}$  ... mean vector of  $y_{pred}$

- significance test

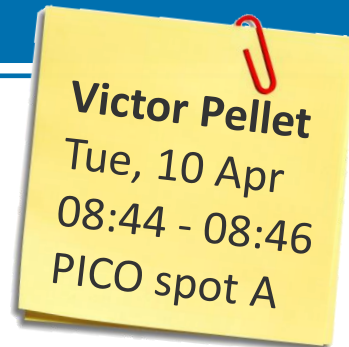
# Target variable: Precipitation

## multiple satellite product

- weighted sum of various precipitation datasets
- constrained product → closes the water budget at sub-basin scale
- INTegration estimate (limited temporal extend: 2004-2009)
- CALibration estimate (long temporal coverage: 1980-2012)

## advantages:

- minimizes uncertainties
- consistent → better solves the water budget
- long time coverage



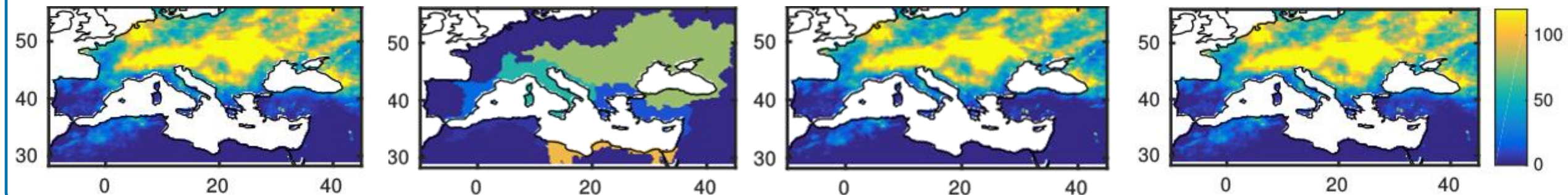
temporal resolution:  
**monthly**  
spatial resolution:  
**0.25°**

weighted sum

constrained product

INT

CAL





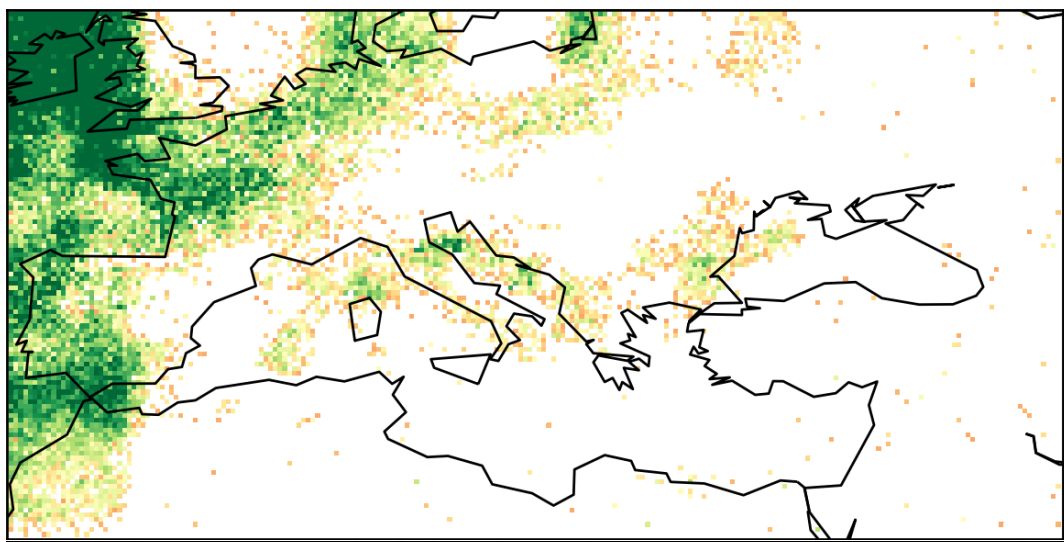
temporal resolution:  
monthly



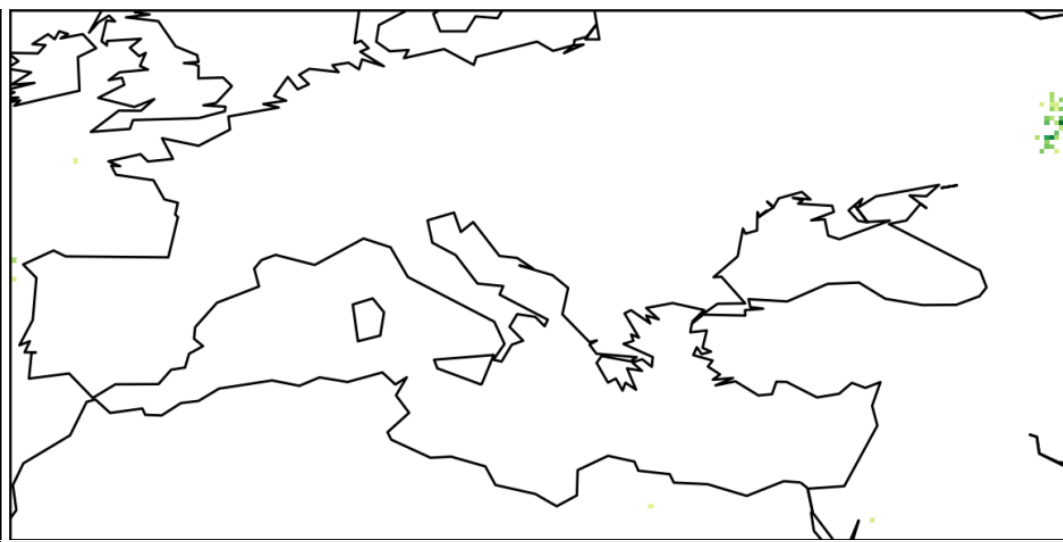
CLIMATE OSCILLATION INDICES
Atlantic Meridional Mode ( <b>AMMSST</b> )
Atlantic Multidecadal Oscillation ( <b>AMO</b> )
Dipole Mode Index ( <b>DMI</b> )
East Atlantic ( <b>EA</b> )
East Atlantic / Western Russia ( <b>EAWR</b> )
East Pacific-North Pacific ( <b>EPNP</b> )
Northern Annular Mode ( <b>NAM</b> )
North Atlantic Oscillation ( <b>NAO</b> )
Pacific Decadal Oscillation ( <b>PDO</b> )
Polar / Eurasia ( <b>PEA</b> )
Pacific / North American Index ( <b>PNA</b> )
Southern Annular Mode ( <b>SAM</b> )
Scandinavia ( <b>SCAND</b> )
Southern Oscillation Index ( <b>SOI</b> )
Tropical Northern Atlantic ( <b>TNA</b> )
Tropical Southern Atlantic ( <b>TSA</b> )
Western Pacific ( <b>WP</b> )

102 features

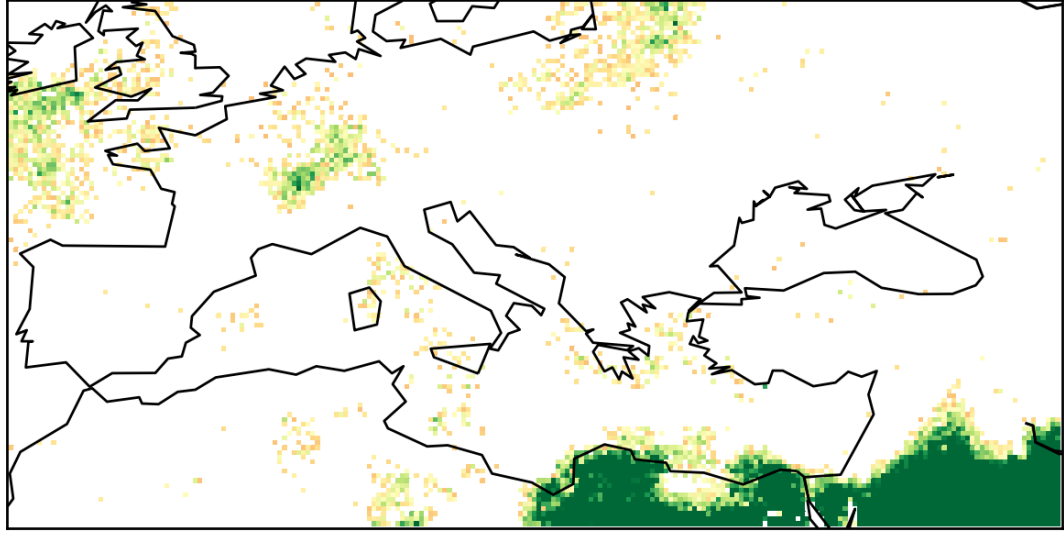
Dec  
Jan  
Feb



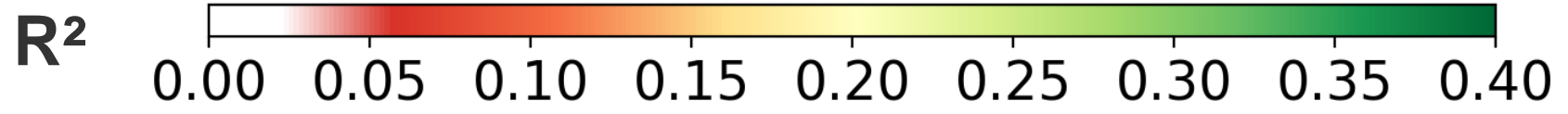
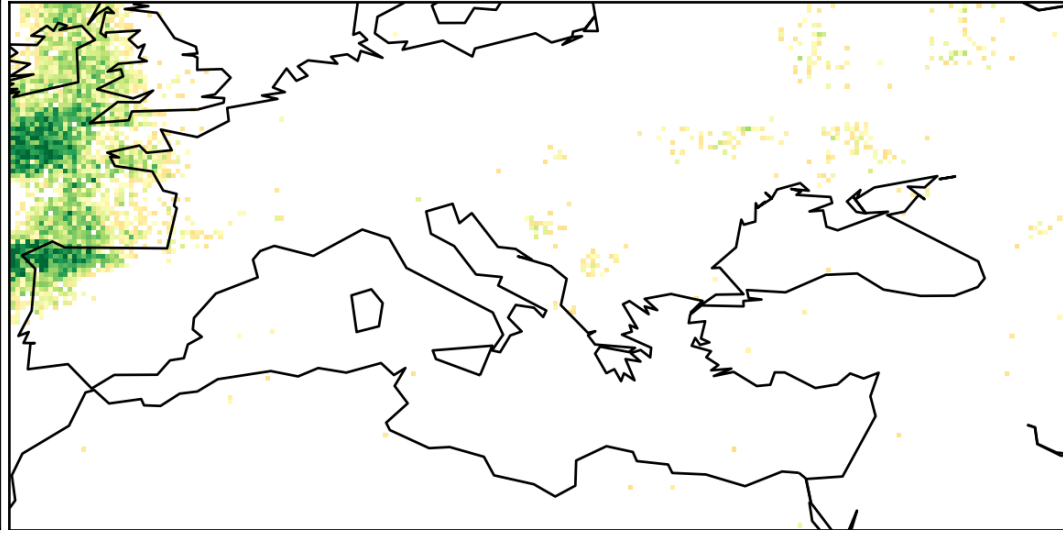
Mar  
Apr  
May



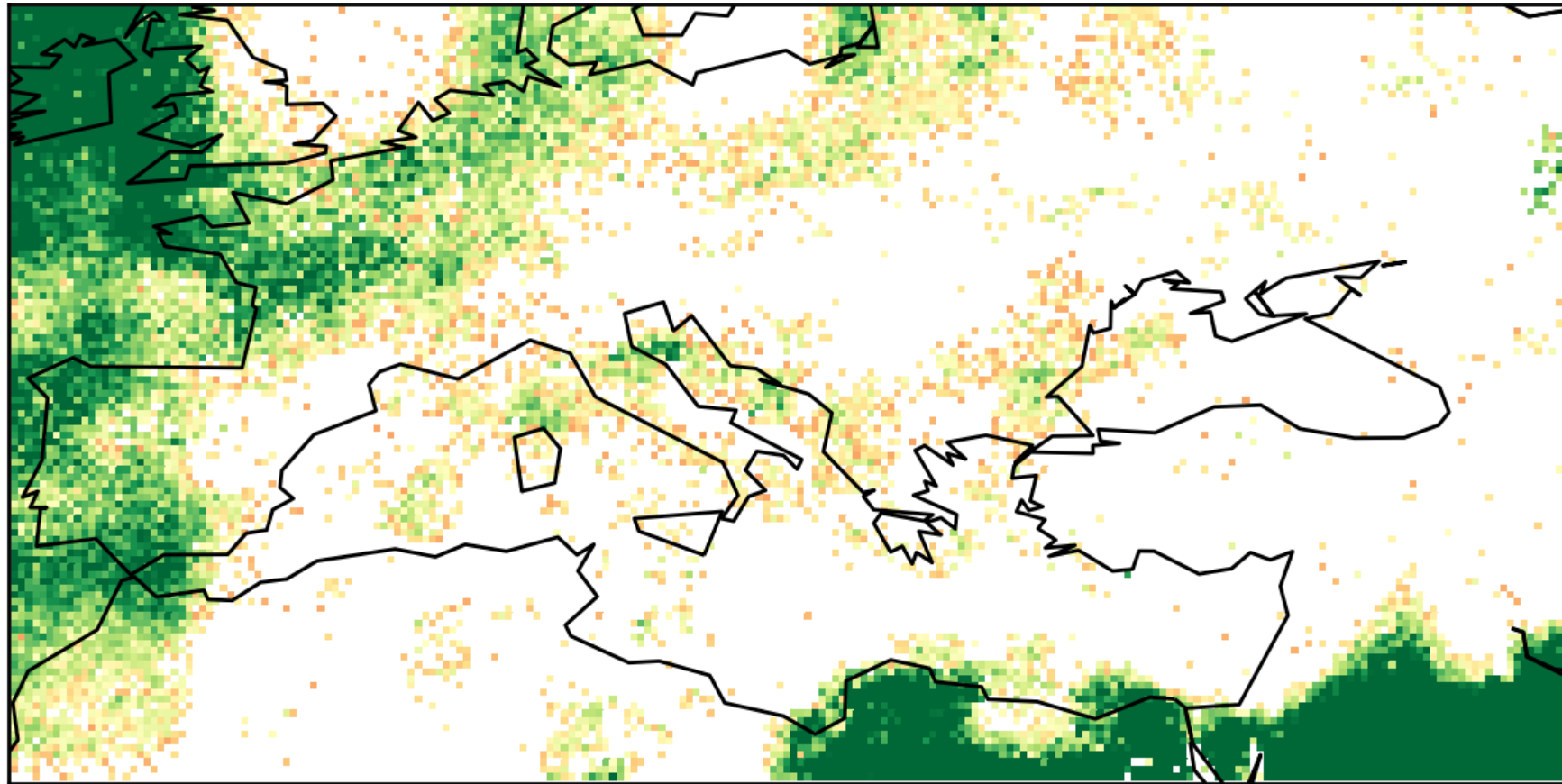
Jun  
Jul  
Aug



Sep  
Oct  
Nov

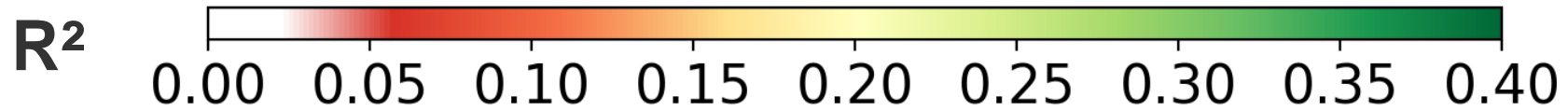
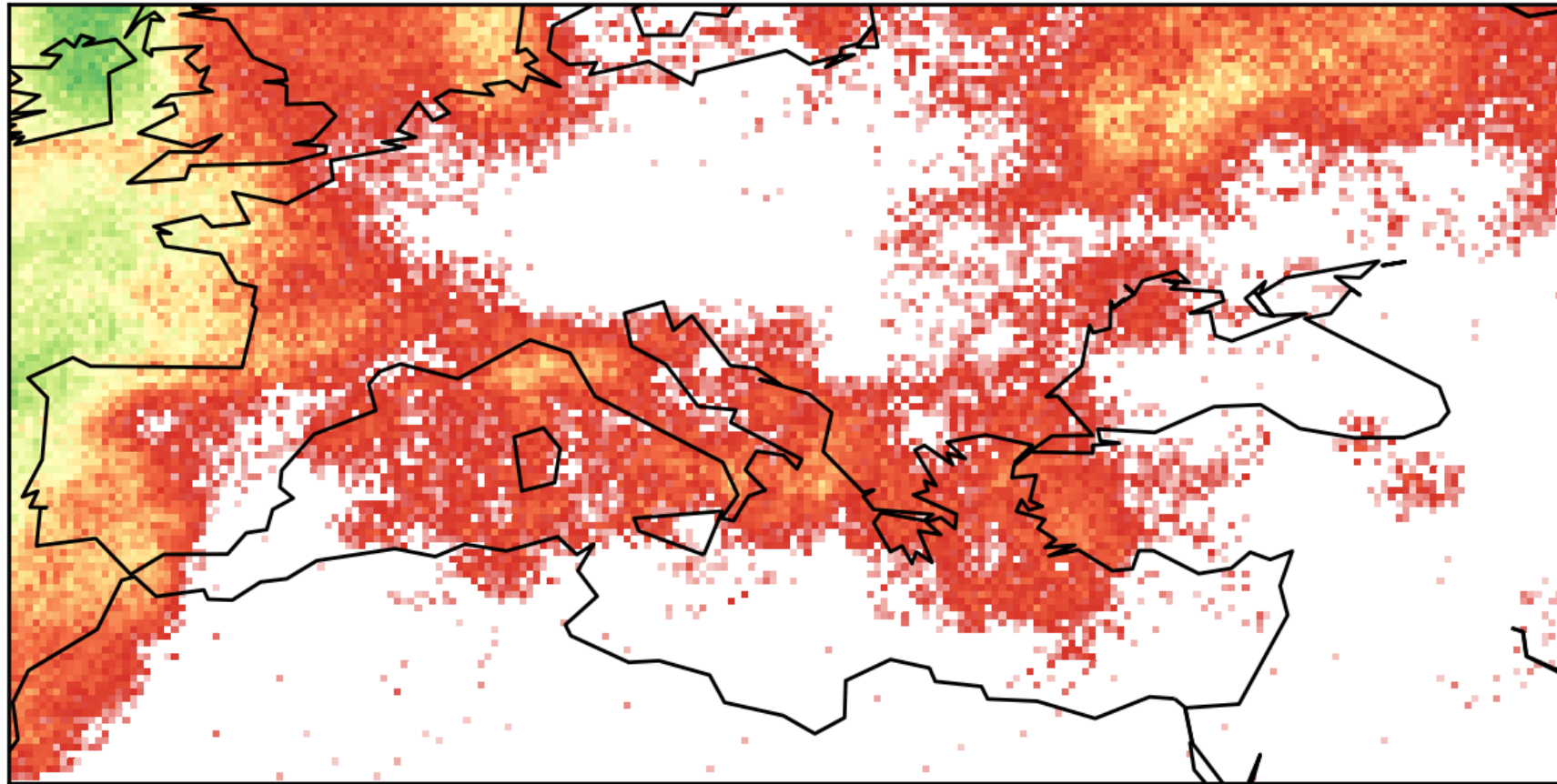


## merged seasonal models





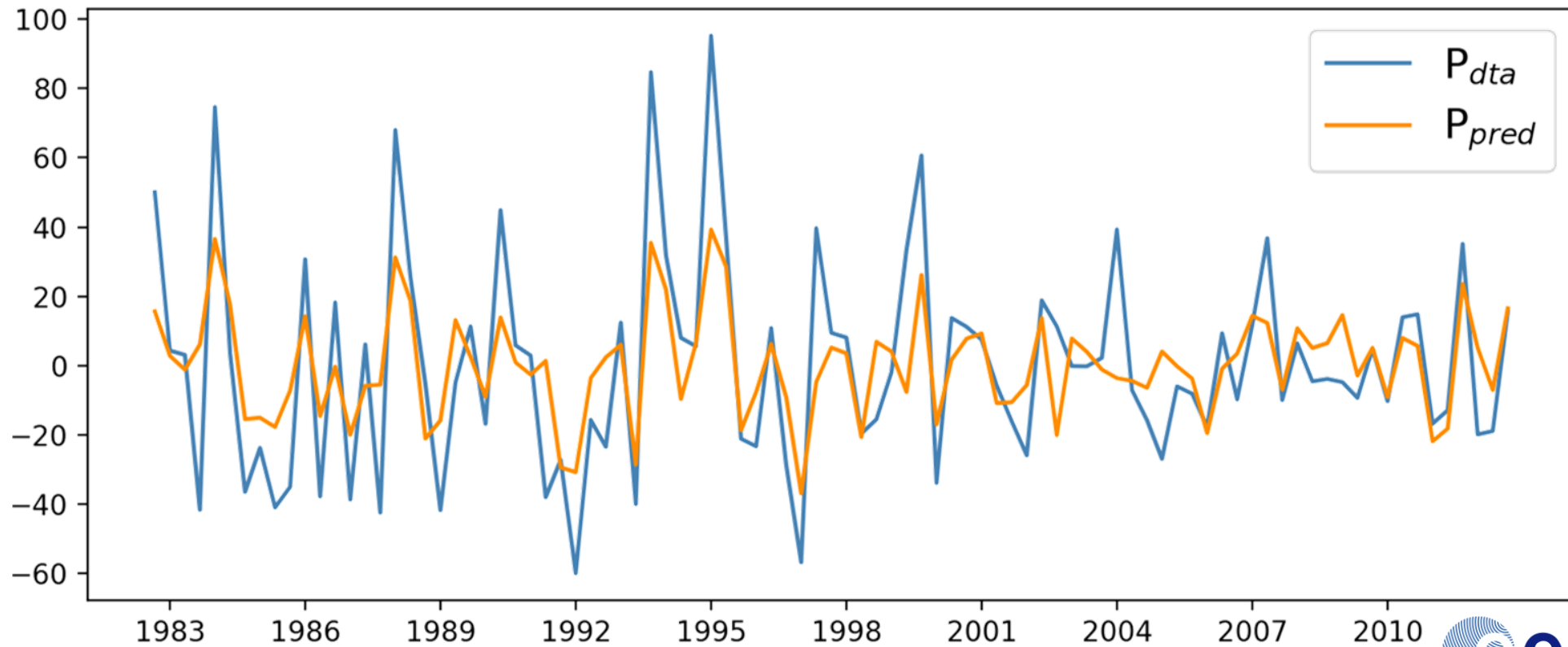
entire time period

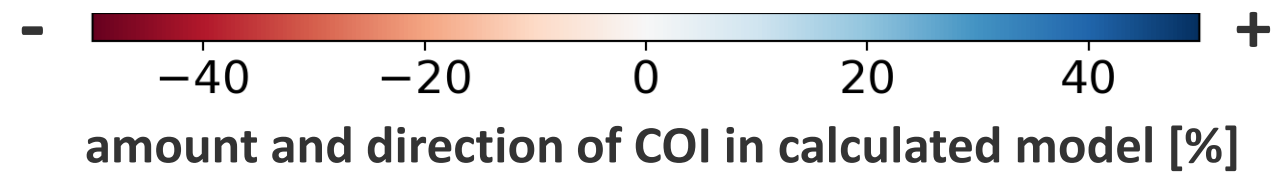
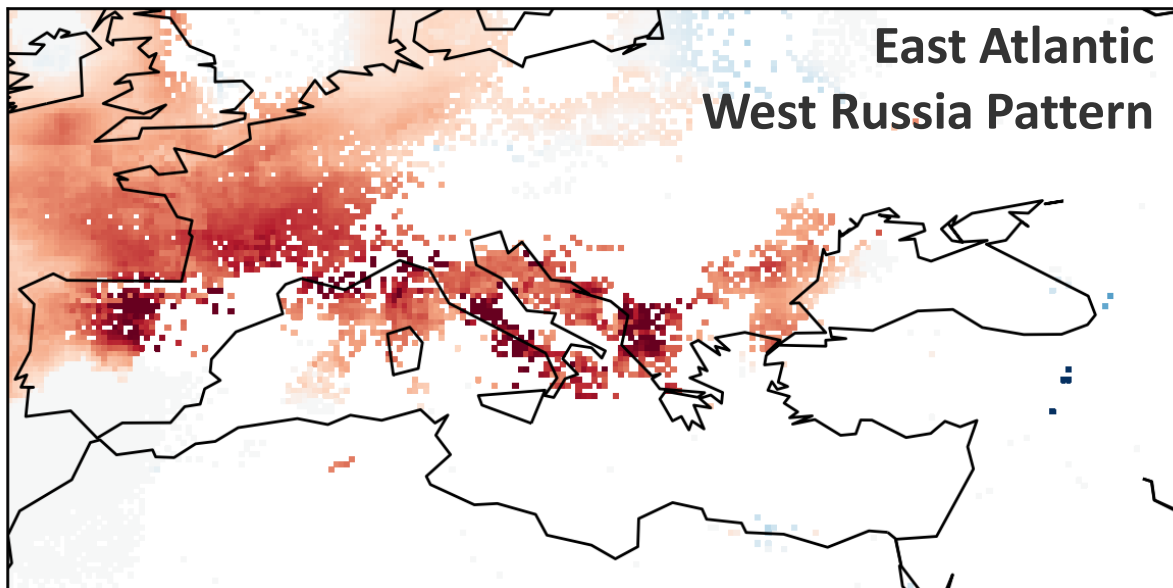
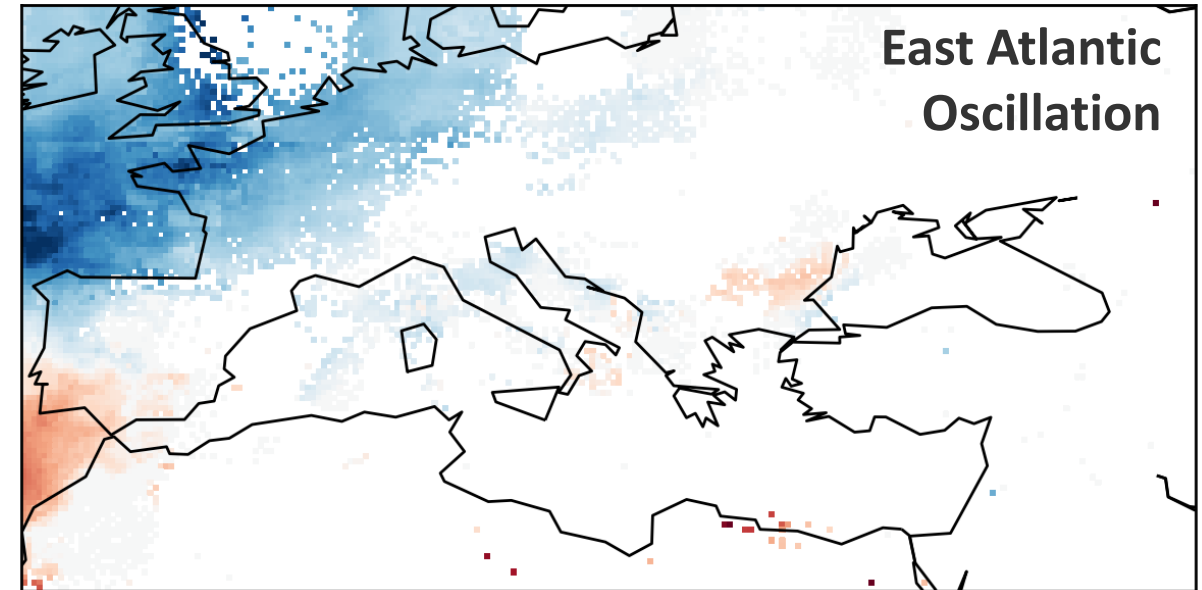
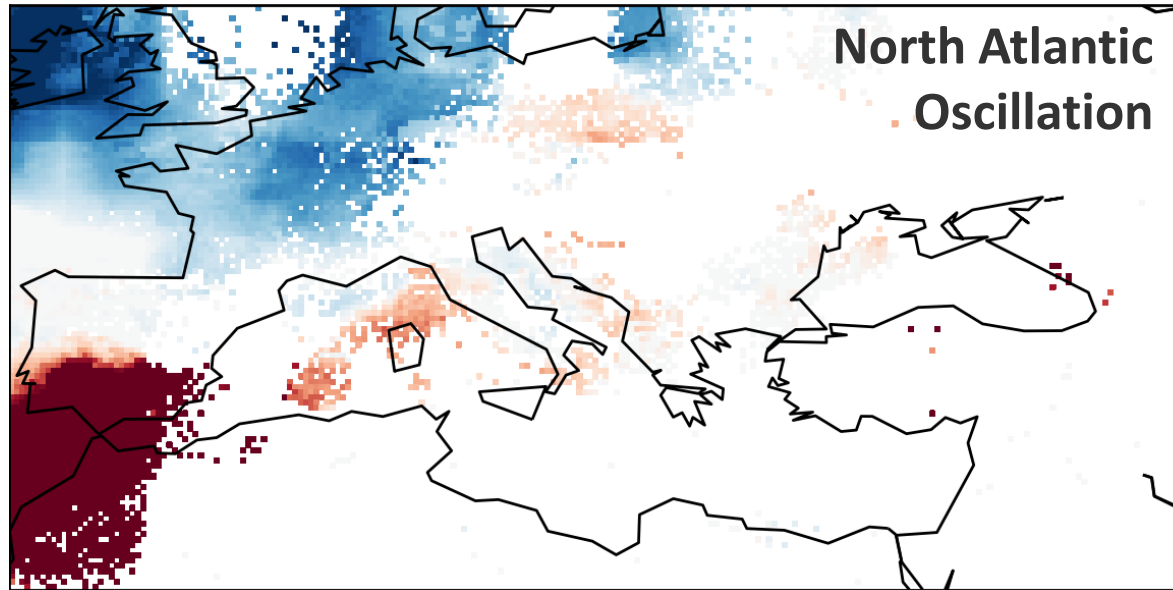


# Precipitation (1982-01 – 2012-12)



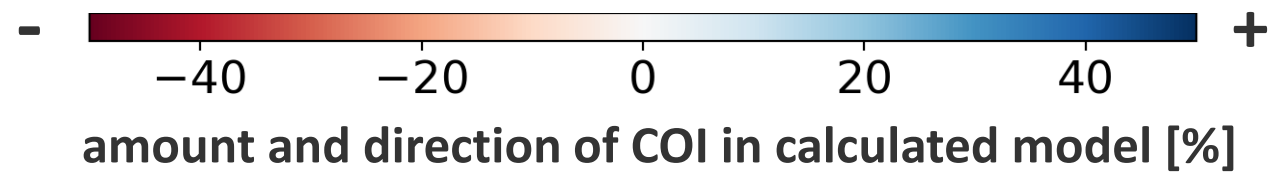
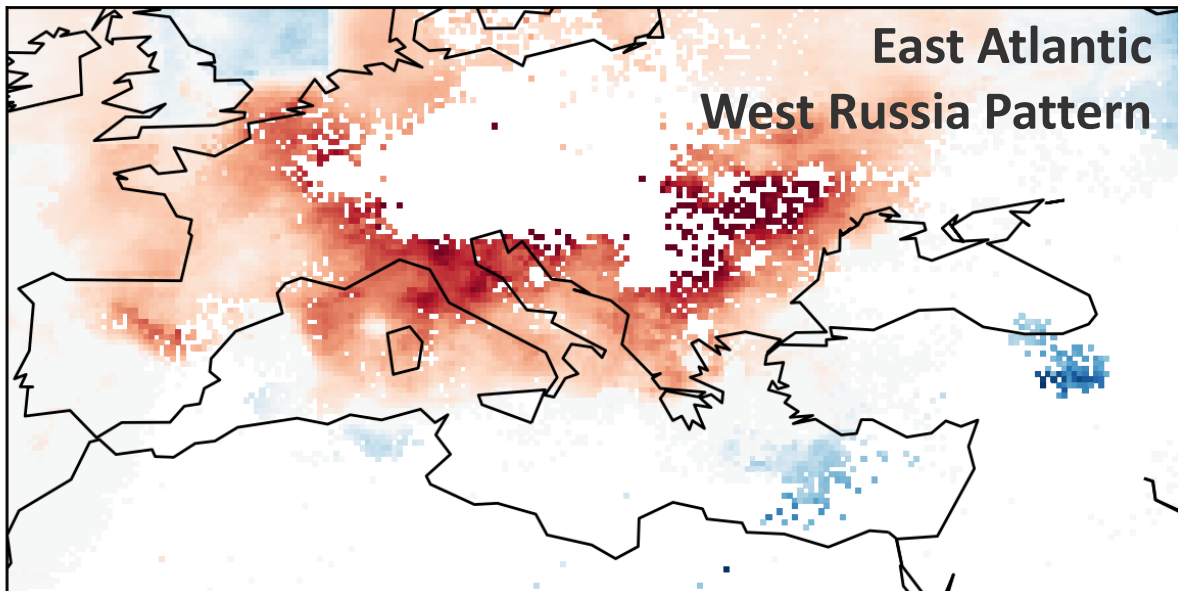
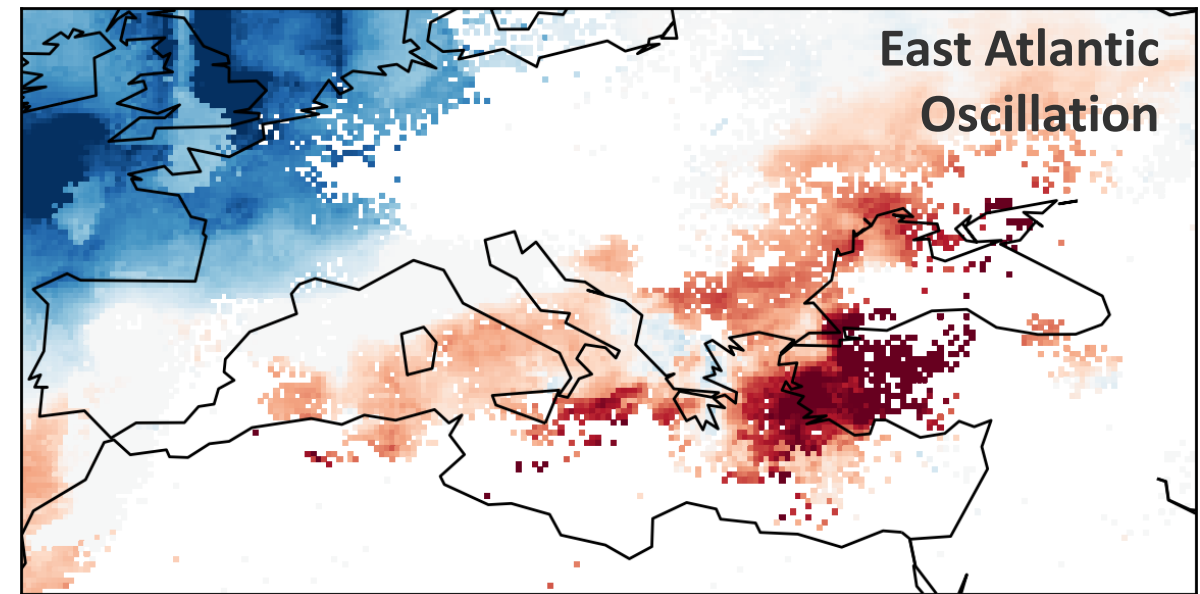
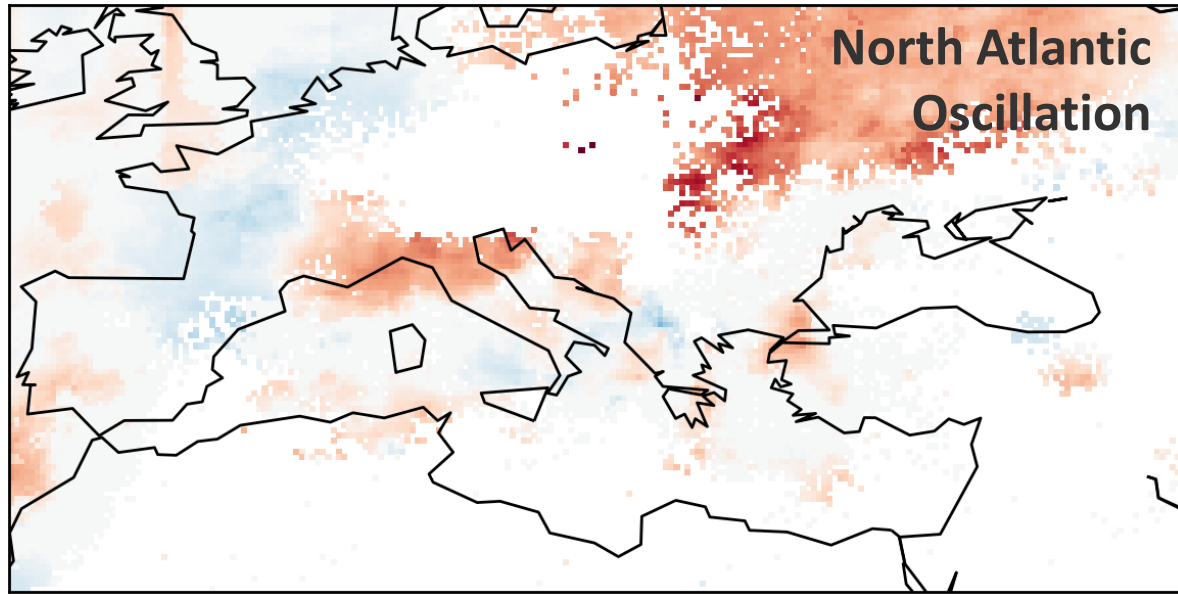
$$R^2 = 0.32$$







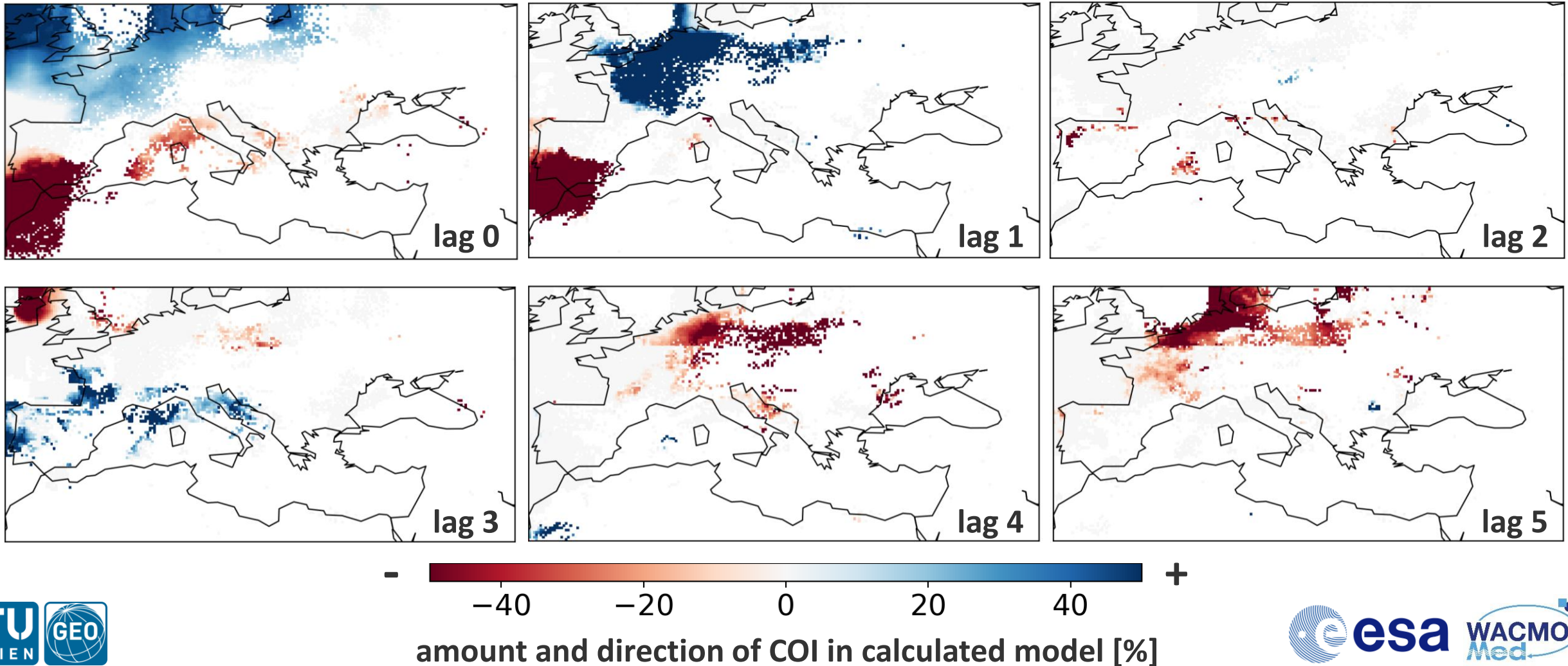
# coefficients – entire time period



# Precipitation

## North Atlantic Oscillation lag 0 - 5

- coefficients for NAO with monthly time lags



## Conclusion:

- Our results show that climate modes have a significant impact on precipitation
- LASSO Regression can be used to disentangle the impact of multiple, potentially correlated COIs
- Strongest signal from:
  - North Atlantic Oscillation
  - East Atlantic Oscillation
  - East Atlantic West Russia Pattern

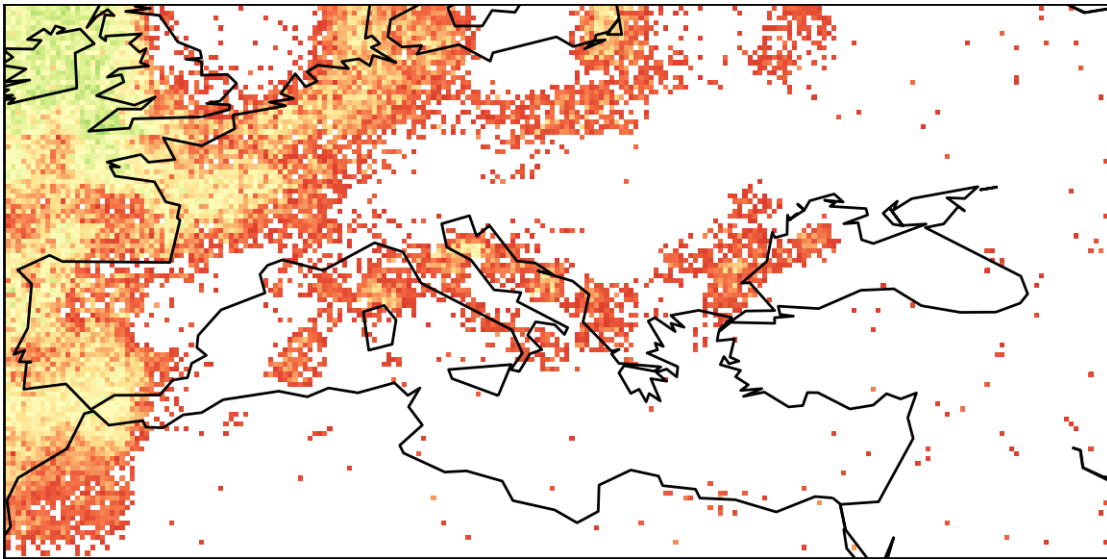
## Outlook:

- Impact on other target datasets like Evapo(transpi)ration, Water Storage ...
- Improve our understanding of impact from climate change on Mediterranean basin

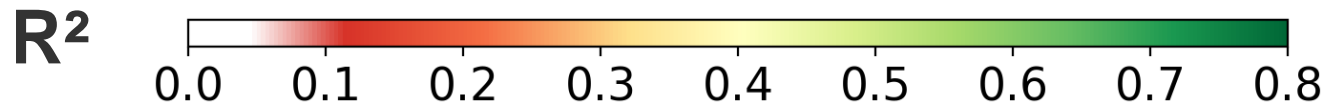
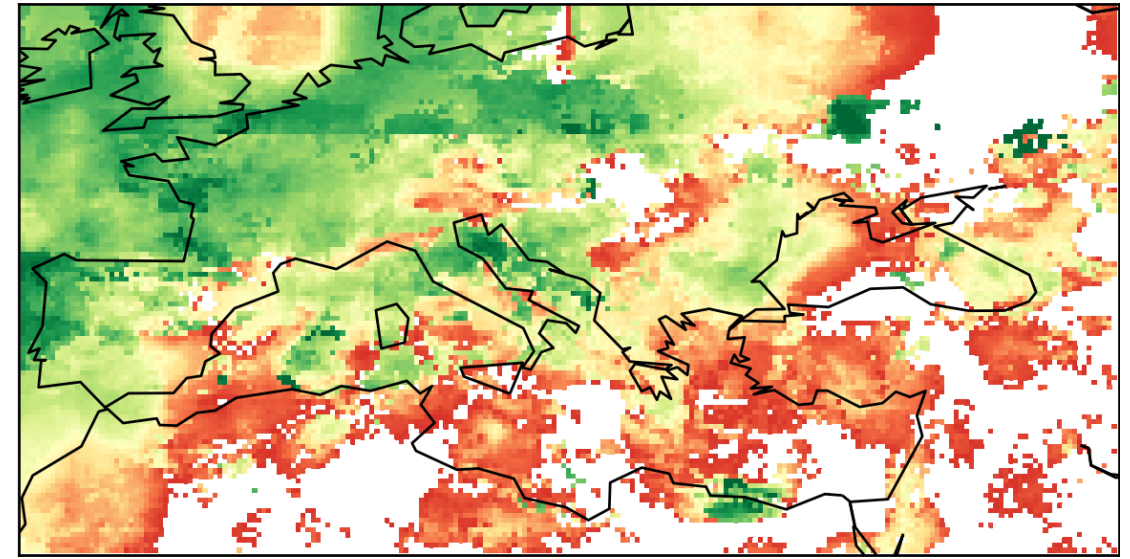


- $R^2$  without nested 5-fold cross validation
  - better because entire dataset is used for prediction (100%) and not only 80%

nested 5-fold CV ( $R^2$ ,  $\alpha$ )

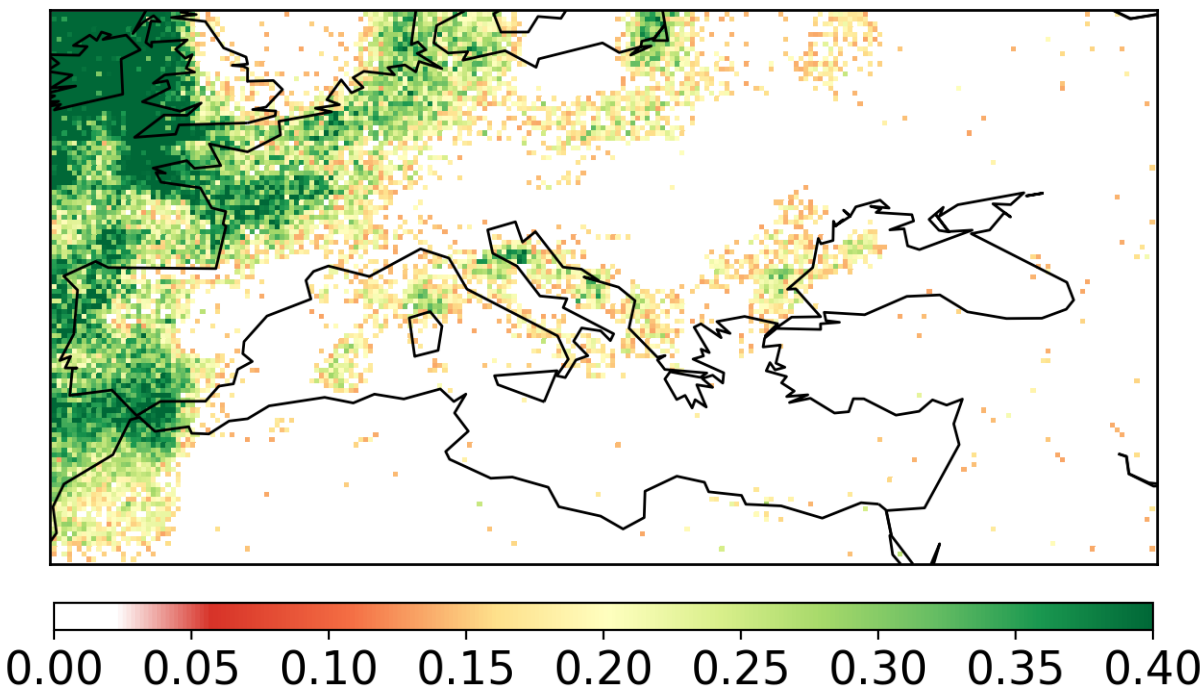


5-fold CV ( $\alpha$ )

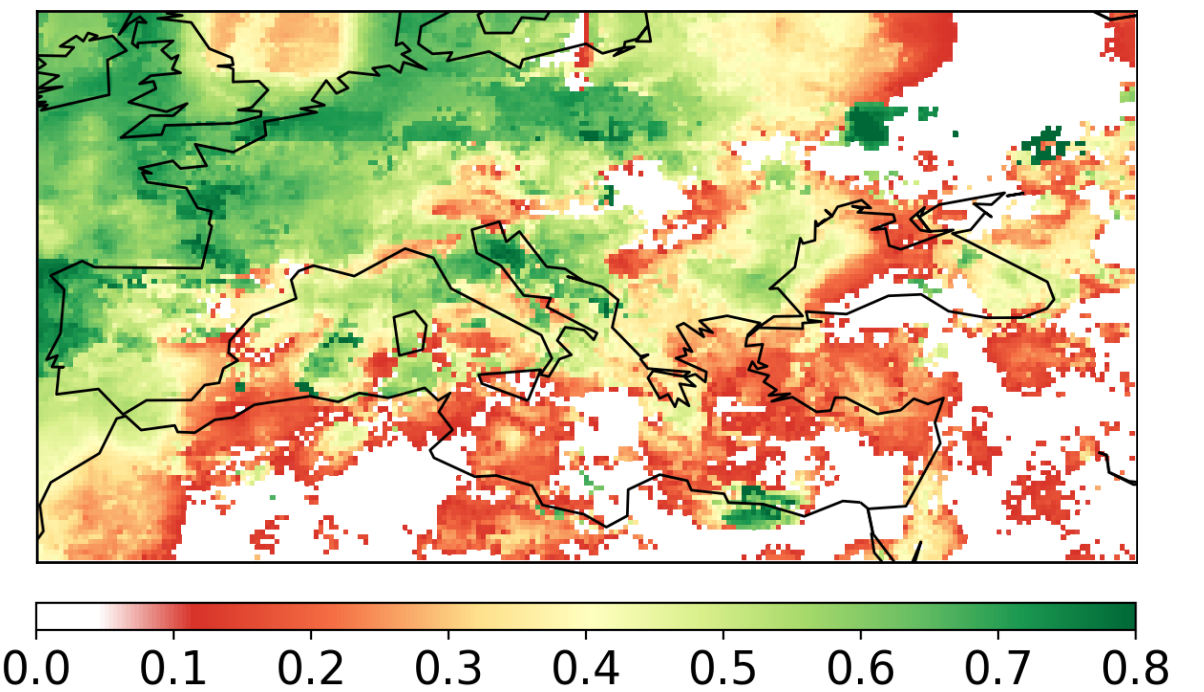


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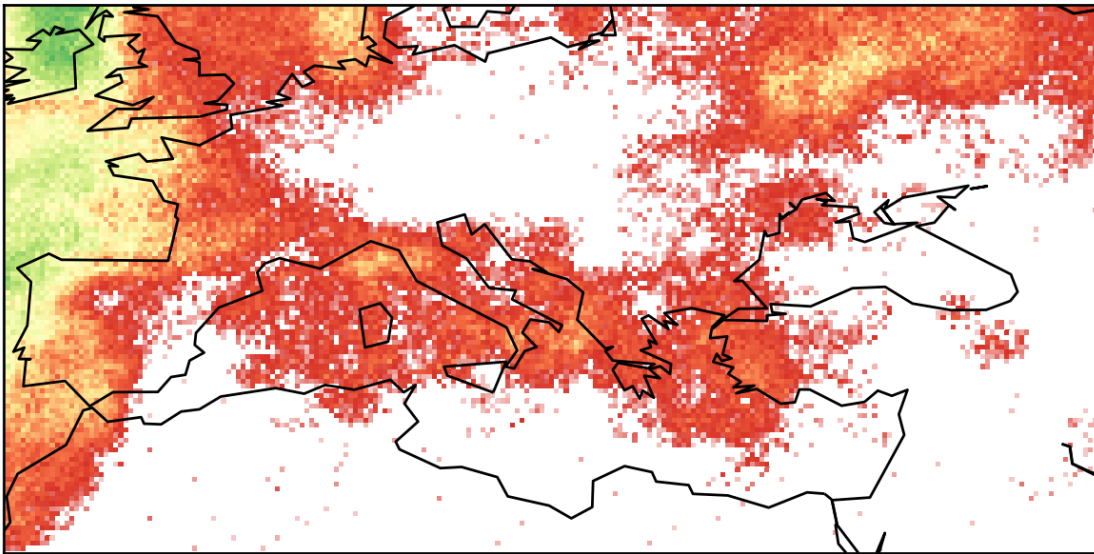
5-fold CV ( $\alpha$ )



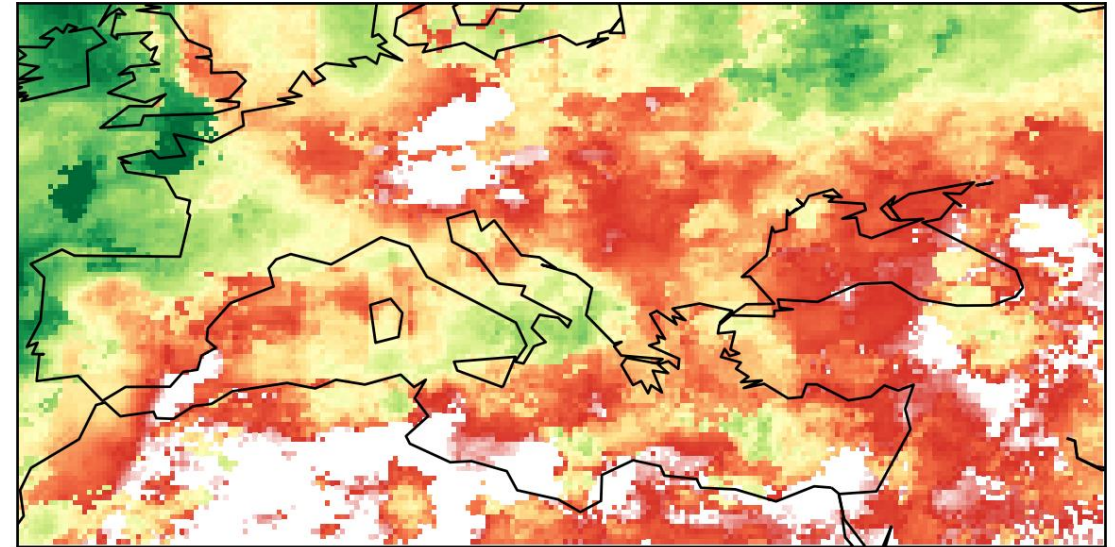
$R^2$

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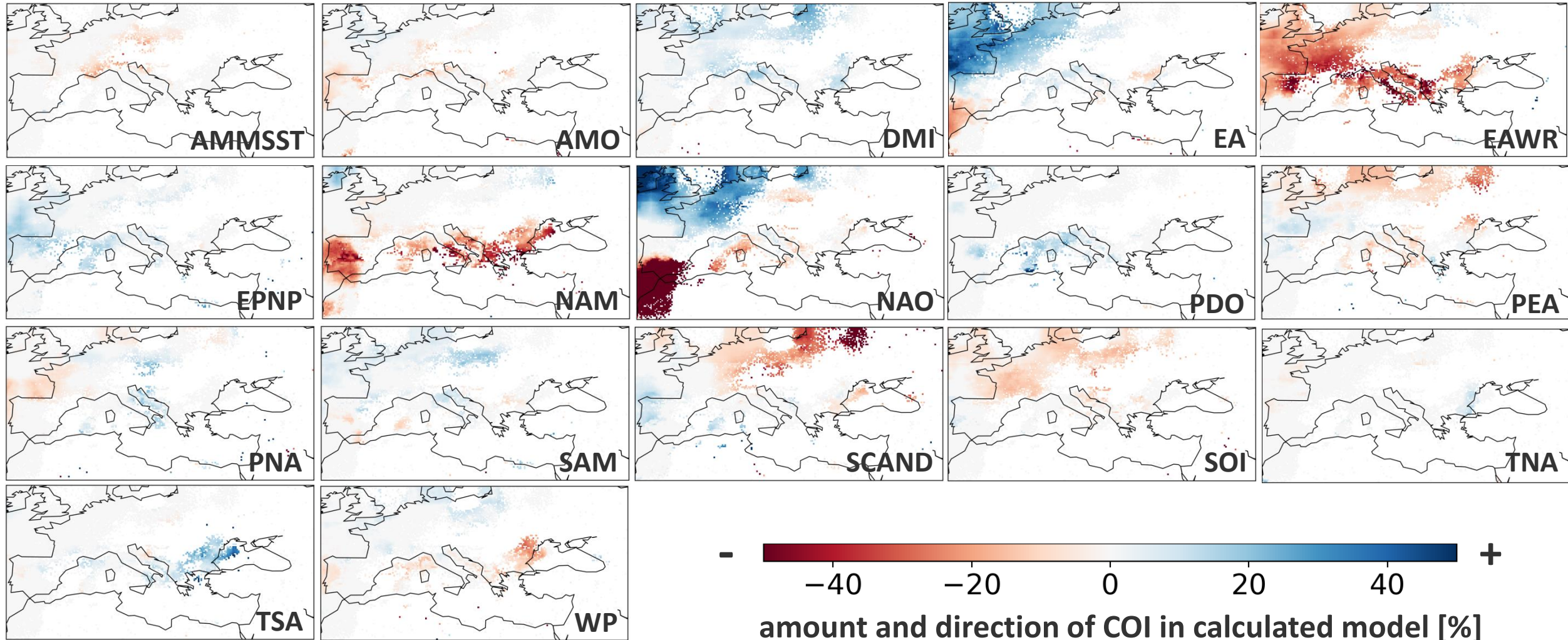


5-fold CV ( $\alpha$ )



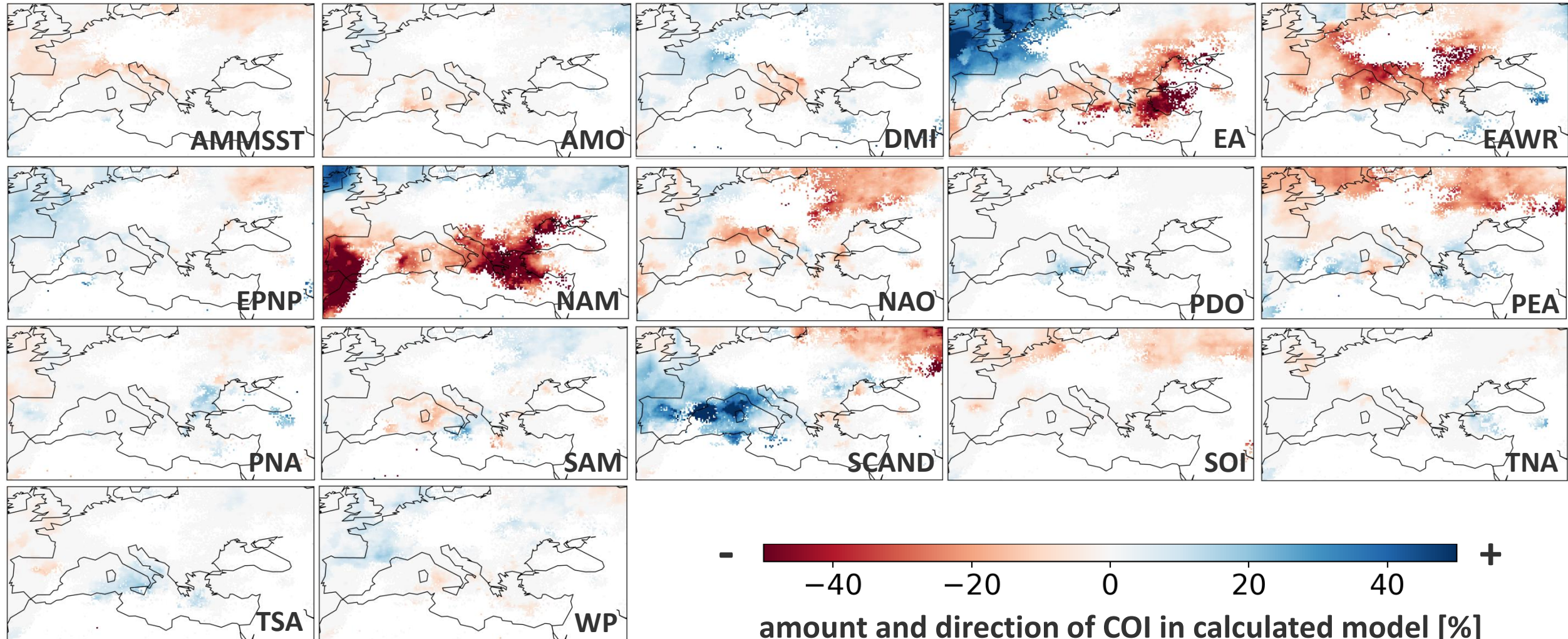


# coefficients – seasonal Dec-Jan-Feb





# coefficients – entire time period



amount and direction of COI in calculated model [%]