

# *A novel model independence methodology to improve multi-model seasonal forecasts combination*

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## Motivations

- Maximization of skill by using multi-model seasonal forecasts
- MME potential benefit amplifies with increasing independence of the contributing systems



## Process-based model inter-comparison

- importance of the diversity of land-surface processes representation



## Probabilistic scores and model independence

New metrics:

- Brier Score Covariance
- Signal Covariance



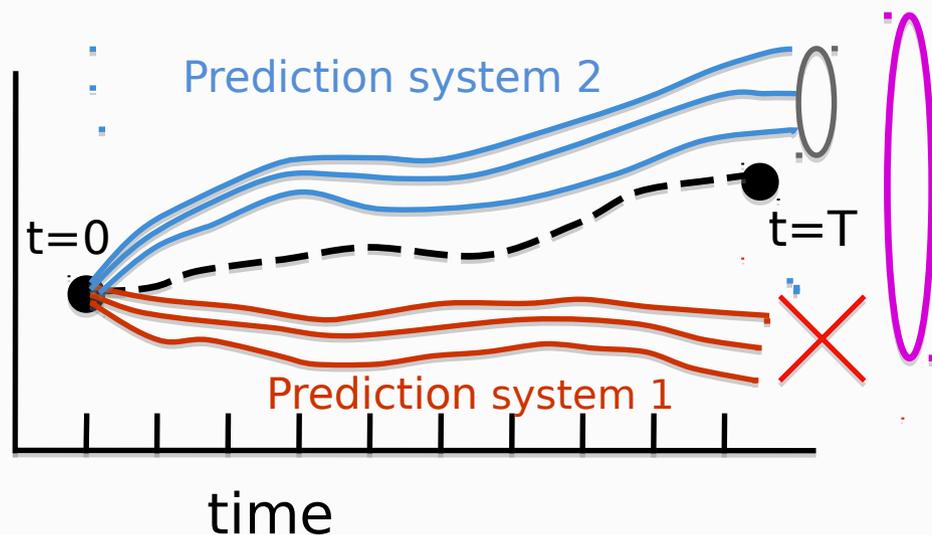
## Model combination

- independence of the contributing models and skill improvement in the Grand-MME
- Two case studies: East-EU and Colombia



## Conclusions

# The rationale behind use of Multi-Models



***MME can improve by:***



- ***Combining the skill from the single models***
- ***Improve ensembles dispersion and uncertainty consideration***

➤ ***Degree of over-confidence***

➤ ***Independence of the contributing Prediction Systems***

# The Grand C3S-NMME-JMA Multi Model

## 11 Prediction Systems:

- **5** from EU **Copernicus C3S**
- **6** from North American **NMME** plus the Japan Meteorological Agency **JMA**

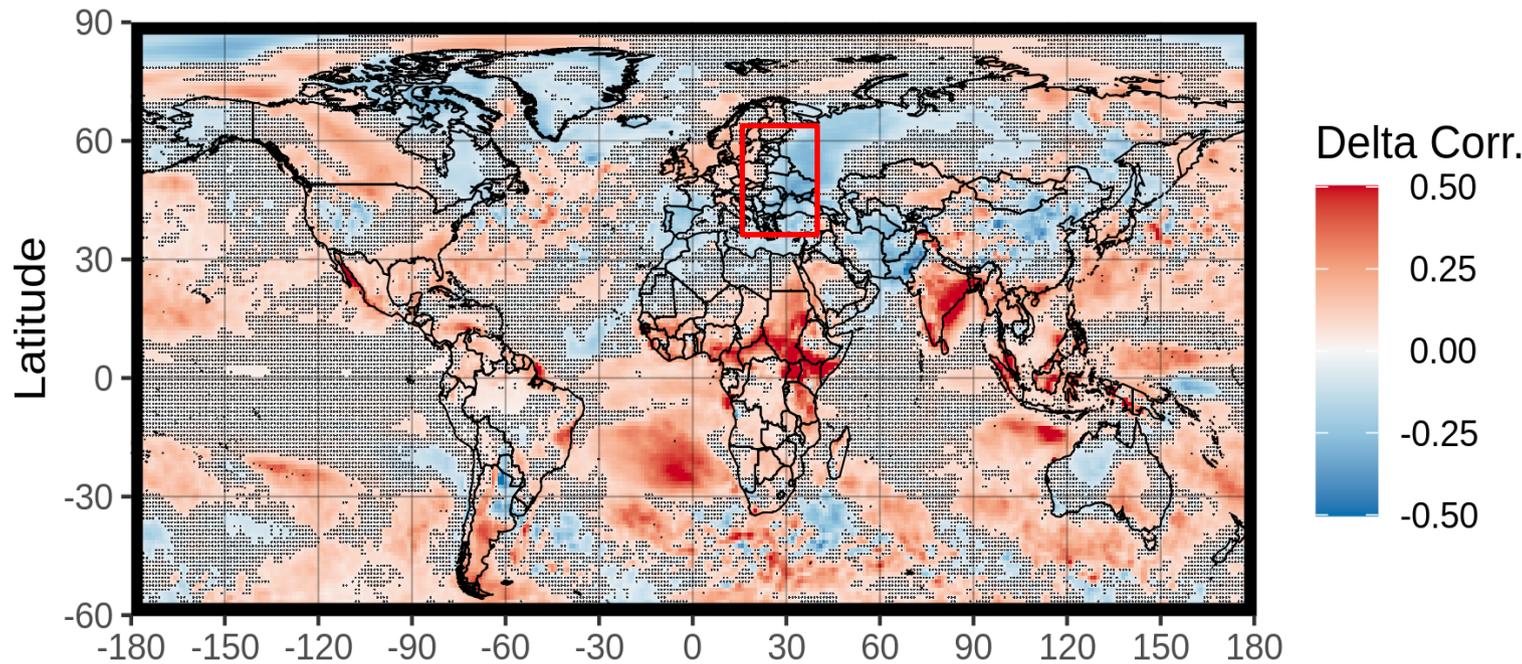
Copernicus C3S
<b>ECMWF</b> , European Centre for Medium-Range Weather Forecasts, UK
<b>MF</b> , Meteo France, France
<b>DWD</b> , Germany National Meteorological Service, Germany
<b>UKMO</b> , UK Met Office, UK
<b>CMCC</b> , Centro Euro-Mediterraneo per i Cambiamenti Climatici, Italy

NMME
<b>NCEP</b> , National Center for Environmental Prediction, USA
<b>GFDL</b> , Geophysical Fluid Dynamics Laboratory, USA
<b>CCSM</b> , Community Climate System Model, USA
<b>GEM</b> , Canada National Meteorological Service, Canada
<b>CAN</b> , Canada National Meteorological Service, Canada
<b>JMA</b> , Japan Meteorological Agency, Japan

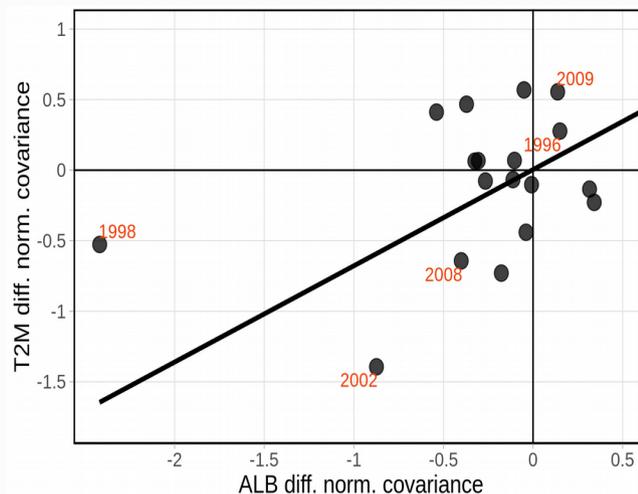
common hindcast period: 1993-2016  
 start dates: 1 May and 1 Nov

# Seasonal hindcasts - 1st Nov start date - 2m Temperature Correlation differences (MODIF minus CTRL) vs. ERA-5

ECMWF minus DWD



East-EU (35-70N; 15-40E)



$$\Delta \frac{(X_{\text{mod}}^i - \bar{X}_{\text{mod}})(X_{\text{obs}}^i - \bar{X}_{\text{obs}})}{\sigma_{\text{mod}}^X \times \sigma_{\text{obs}}^X}$$

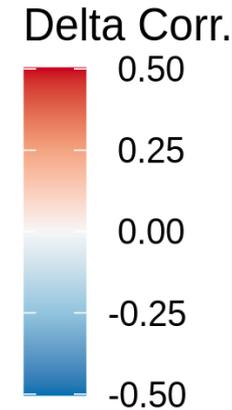
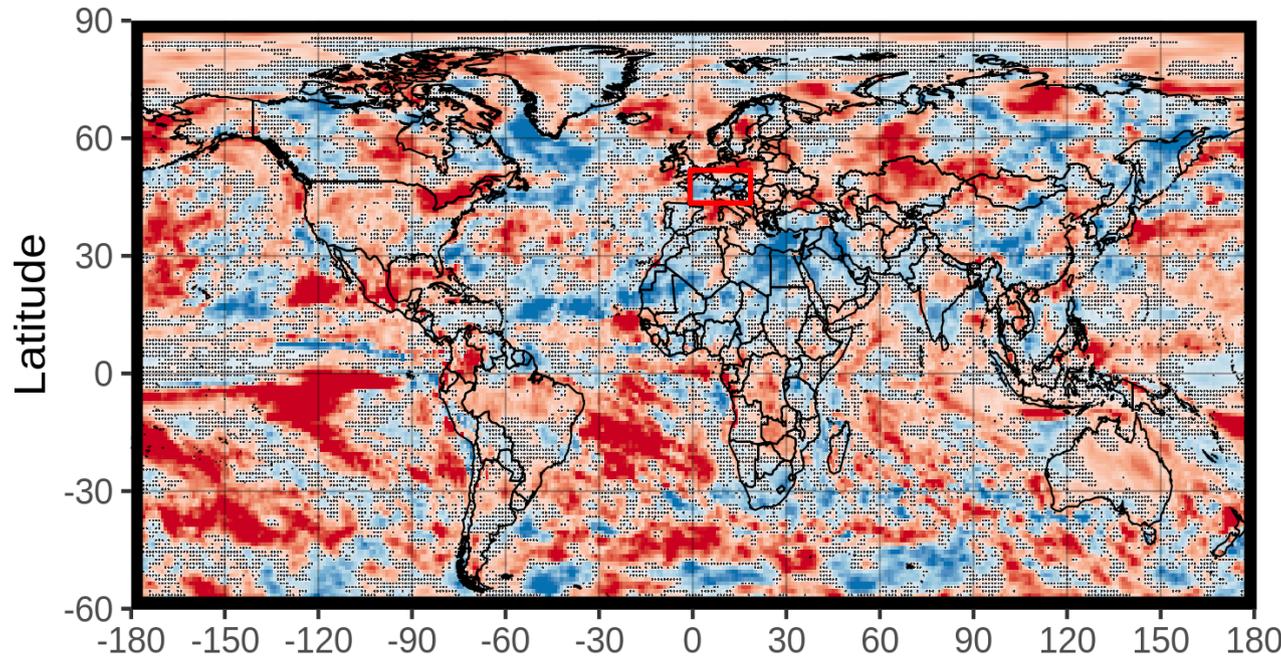
$\Delta$  MODIF minus CTRL

$i$  = each single year

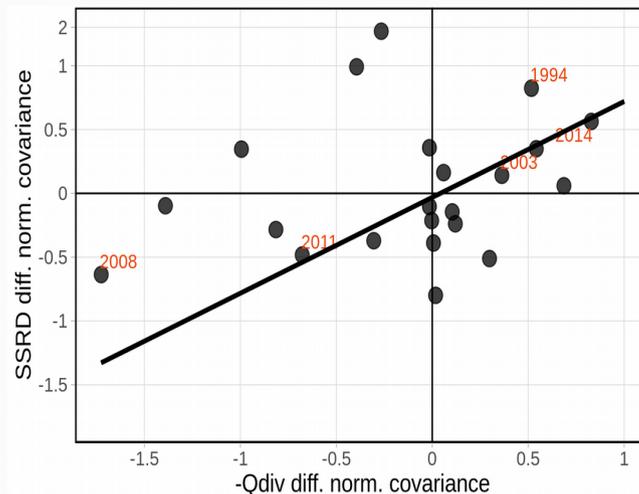
— Regression line (coefficient significant at 5% level)

# Seasonal hindcasts - 1st May start date - Surf. solar rad. Correlation differences (MODIF minus CTRL) vs. ERA-5

## ECMWF minus MeteoFrance



### Central-EU (45-50N; 0-16E)



$$\bullet \Delta \frac{(X_{\text{mod}}^i - \bar{X}_{\text{mod}})(X_{\text{obs}}^i - \bar{X}_{\text{obs}})}{\sigma_{\text{mod}}^X \times \sigma_{\text{obs}}^X}$$

$\Delta$  MODIF minus CTRL

$i$  = each single year

Regression line (coefficient significant at 5% level)

## Brier Score covariance

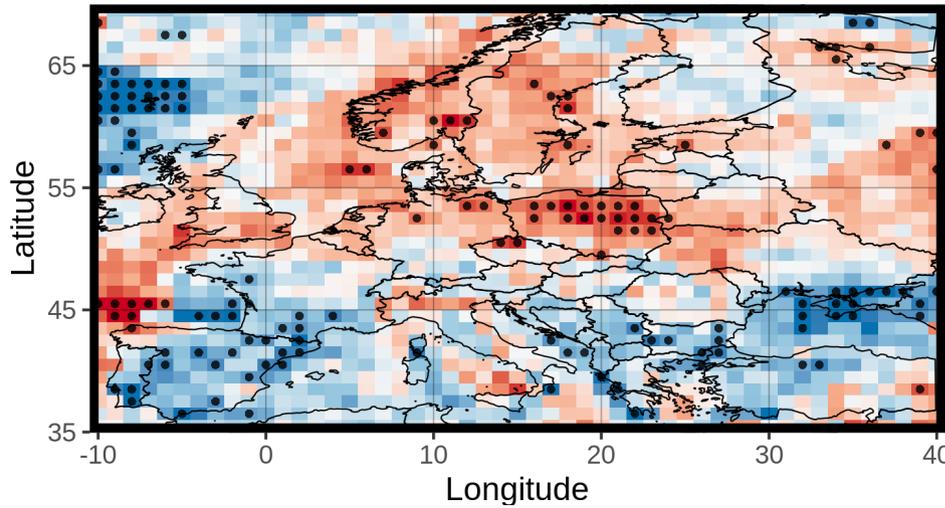
The Brier score covariance (BScov) estimates the relative independence of prediction systems 1 and 2:

$$BScov = \frac{\frac{1}{n} \sum_{i=1}^n (y_i^1 - o_i)(y_i^2 - o_i)}{\sqrt{BS^1 \cdot BS^2}}$$

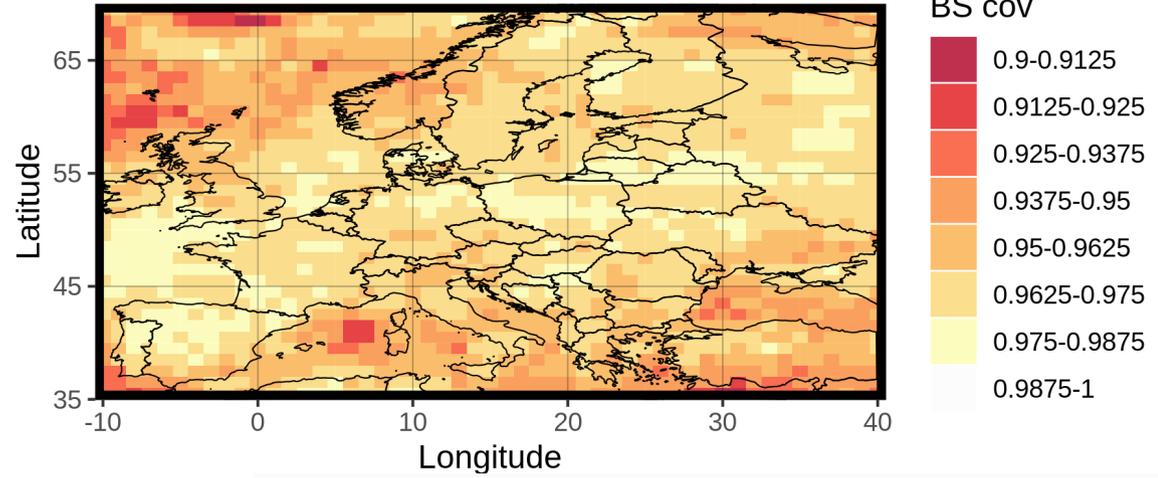
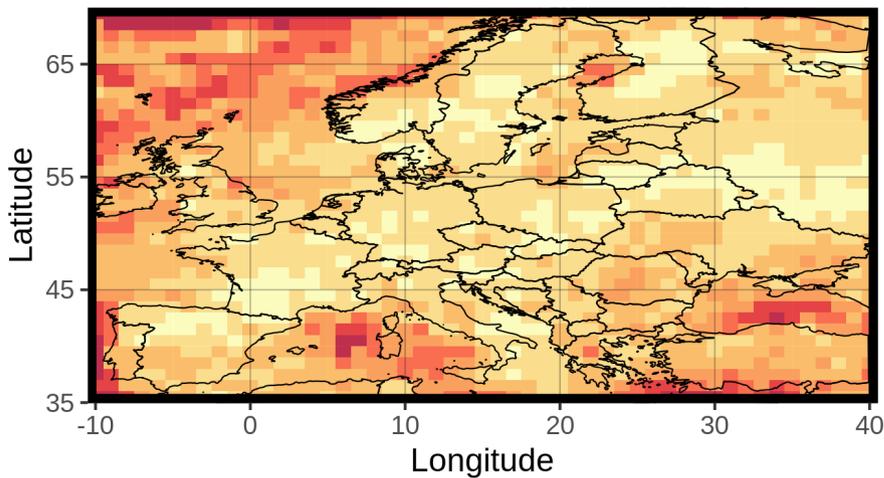
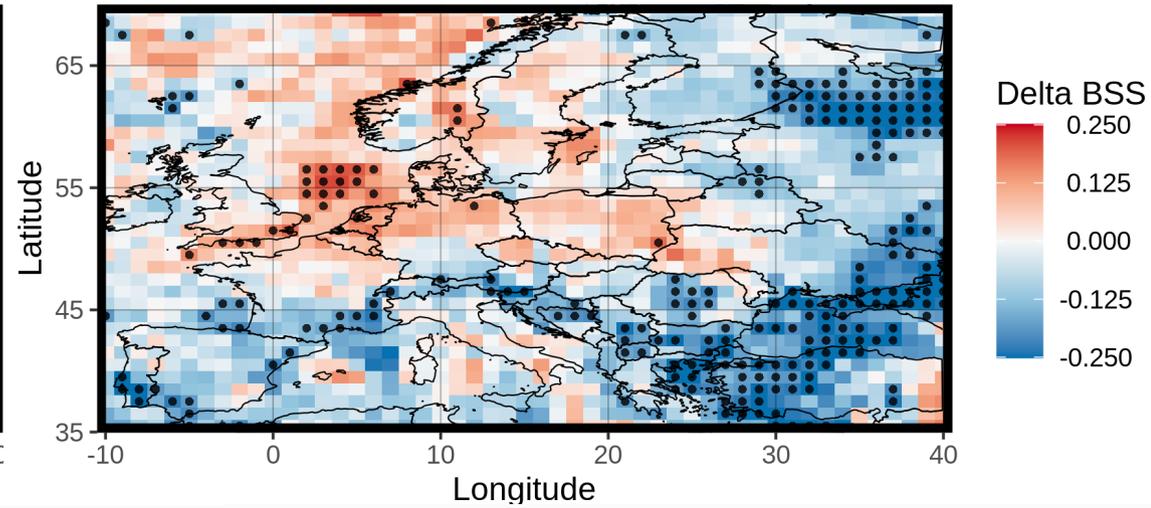
$i$  indicates each hindcast year and  $n$  total number of years;  $y$  is forecast probability and  $o$  is for the observed  $[0, 1]$  dichotomous event under consideration.

# Seasonal hindcasts - 1st Nov start date - 2m Temperature BSS lower tercile vs. ERA-5

## ECMWF vs MF

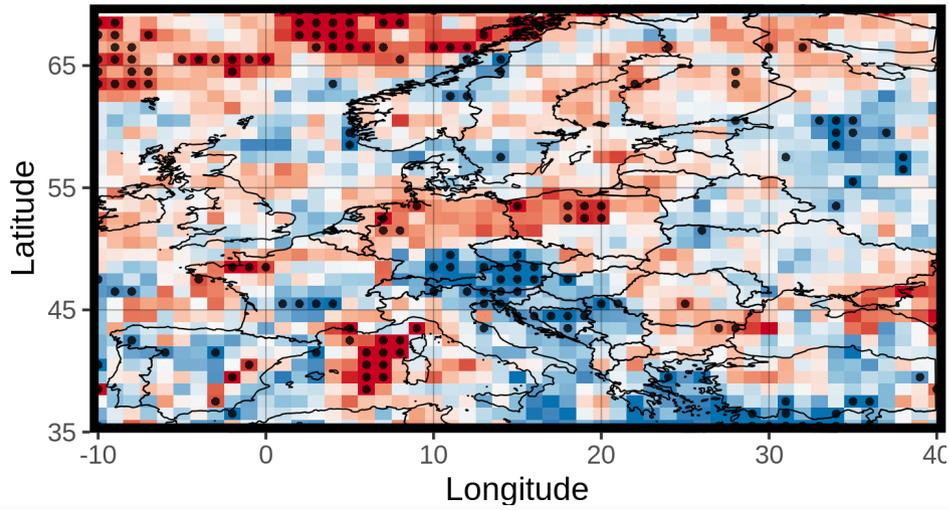


## ECMWF vs DWD

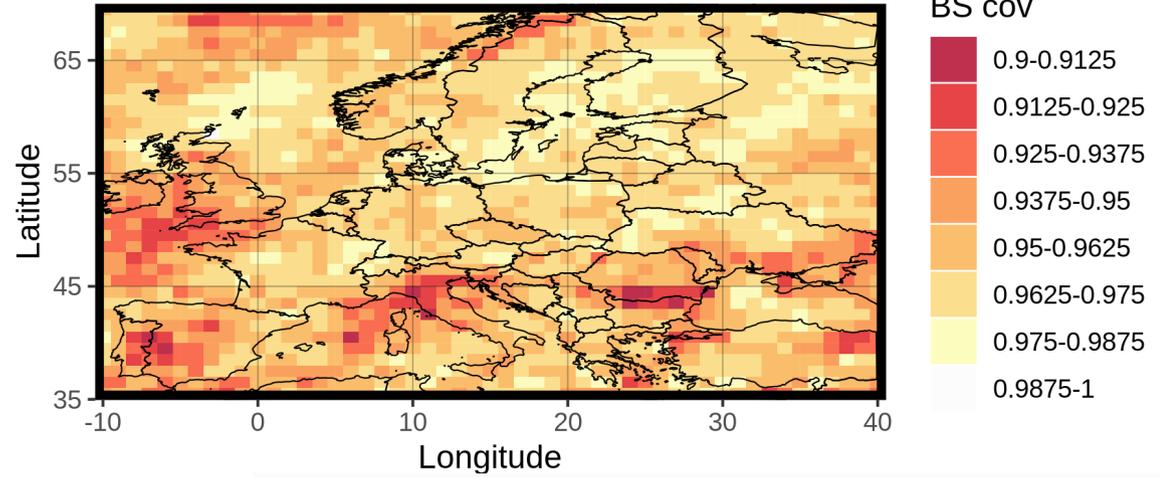
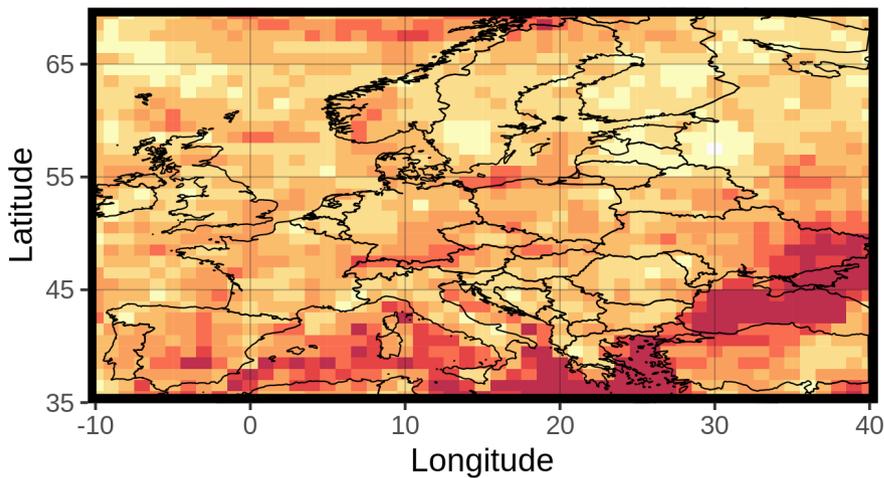
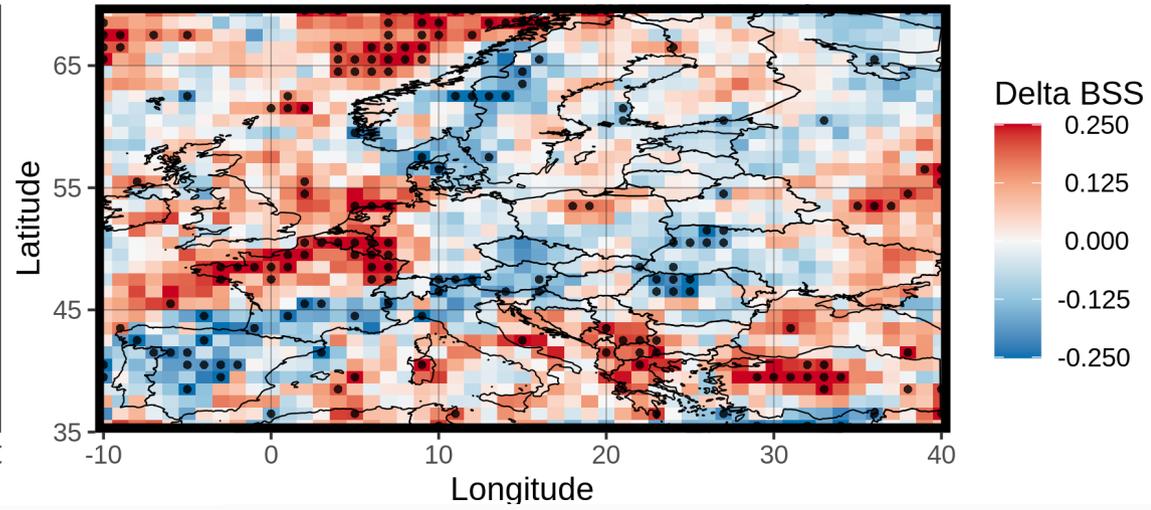


# Seasonal hindcasts - 1st May start date - Surf. solar rad. BSS lower tercile vs. ERA-5

## ECMWF vs MF



## ECMWF vs DWD



# Signal covariance

The Signal covariance (Scov) estimates the relative independence of prediction systems 1 and 2:

$$Scov = \frac{\left| \frac{1}{n} \sum_{i=1}^n (y_i^1 - \bar{y})(y_i^2 - \bar{y}) \right|}{\sqrt{\frac{1}{n} \sum_{i=1}^n (y_i^1 - \bar{y})^2} \cdot \sqrt{\frac{1}{n} \sum_{i=1}^n (y_i^2 - \bar{y})^2}}$$

$i$  indicates each hindcast year,  $n$  is the total number of years,  $y$  is the rank of the forecast probability and  $N$  is the number of times each forecast probability is issued.

Scov estimates how the signal in the two prediction systems is correlated, irrespective of the distance of the two systems from observations.

- Scov can be defined positively oriented by:

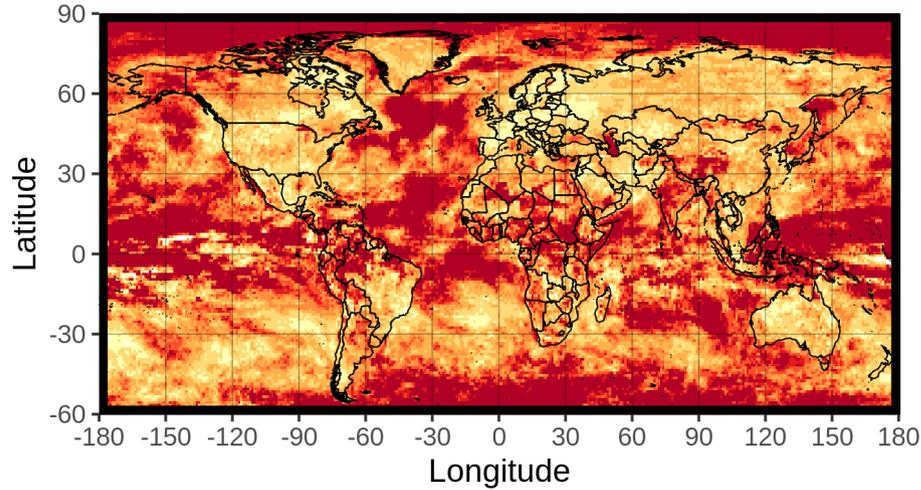
Scov = 1 → system1 = system2

Scov = 0 → system1 and system2 completely independent

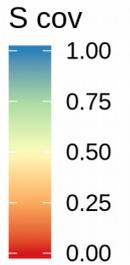
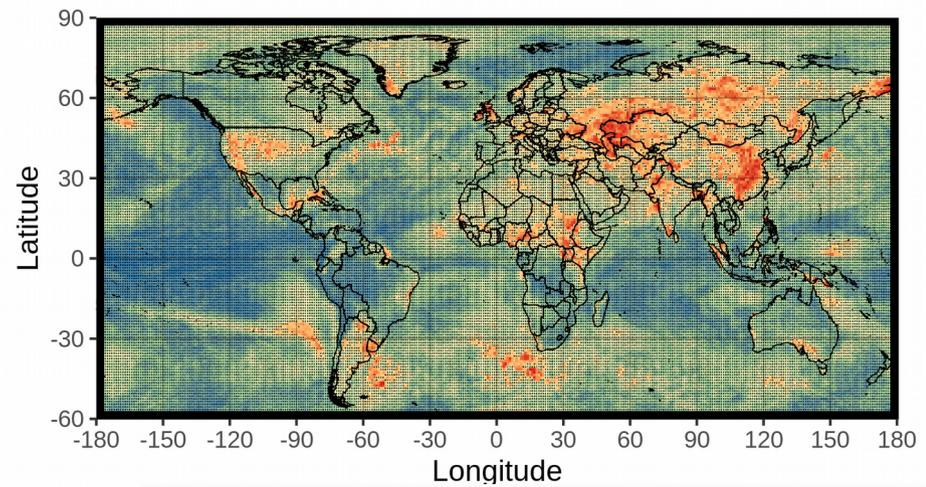
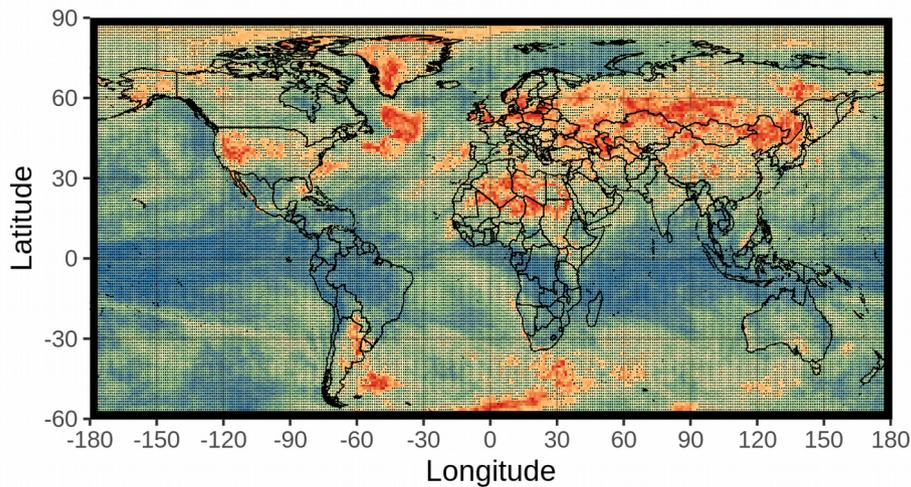
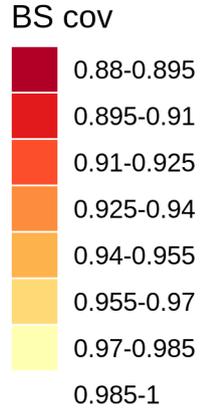
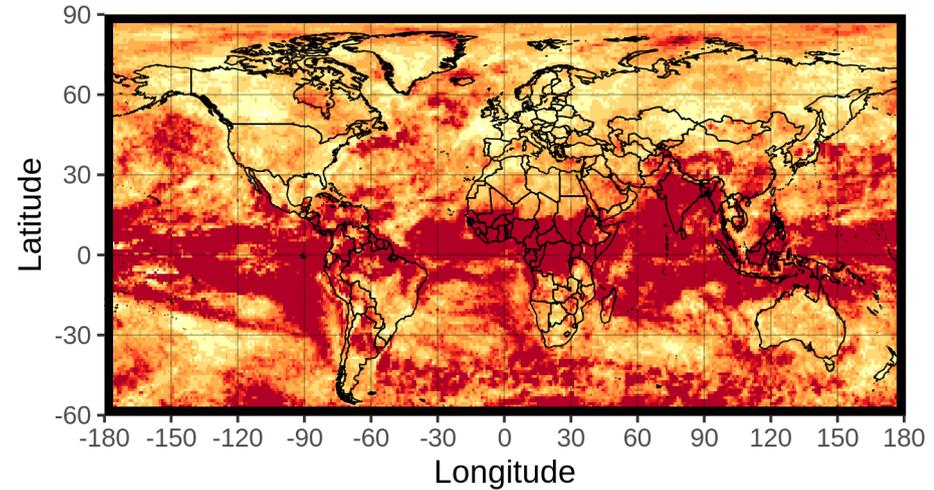
The Scov is used to assess the relative independence of the models from the MME in the probabilistic information they provide.

# Seasonal hindcasts - 1st Nov start date - 2m Temperature lower tercile vs. ERA-5

### ECMWF vs MF

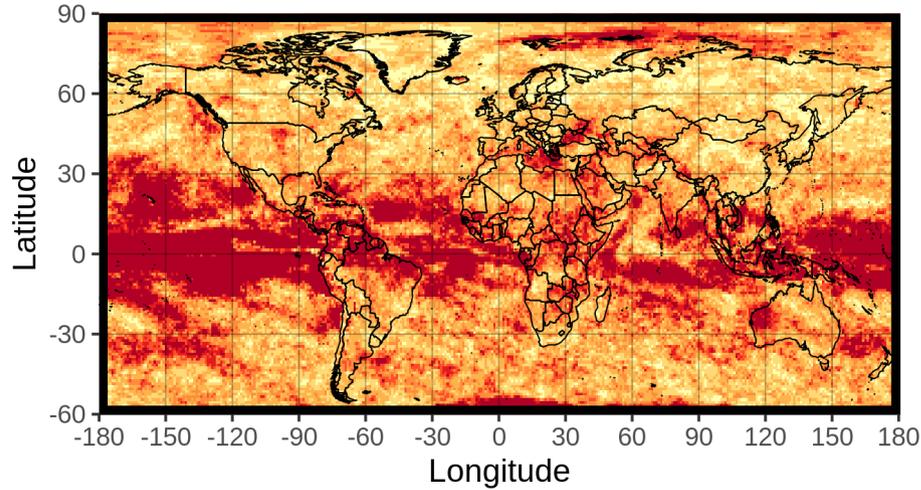


### ECMWF vs DWD

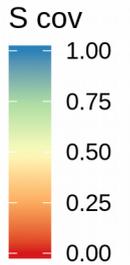
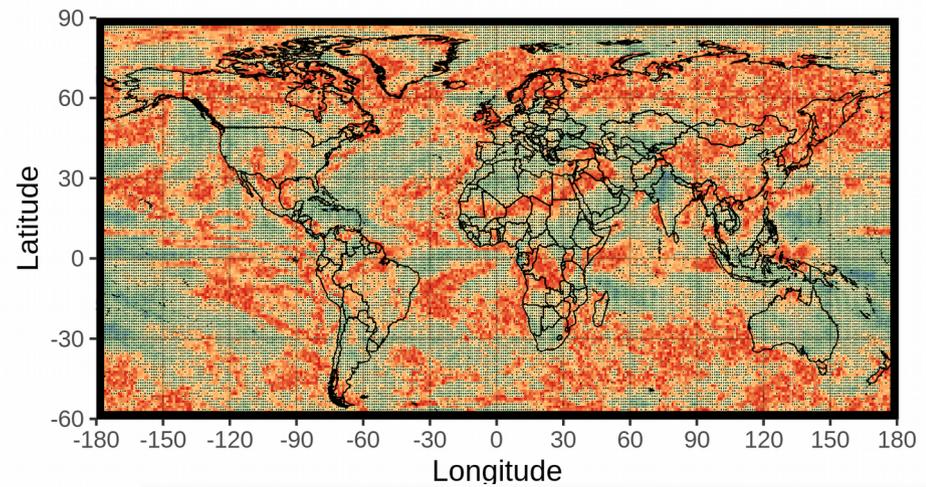
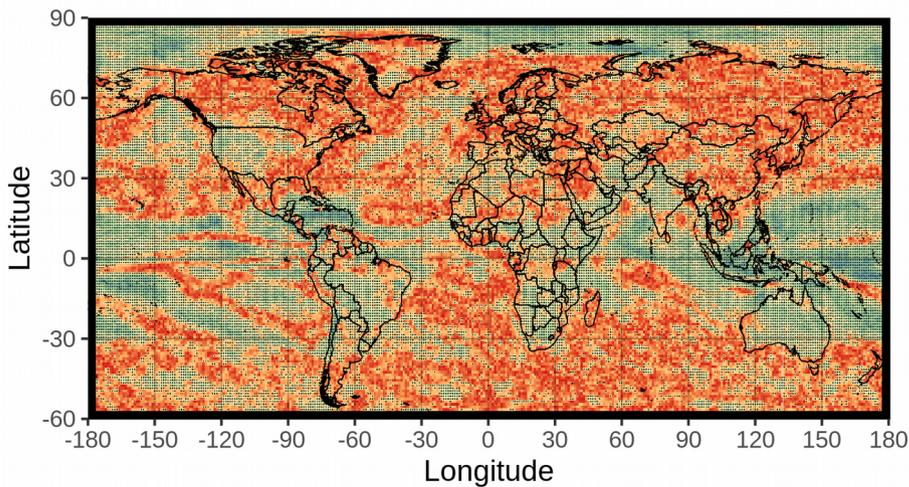
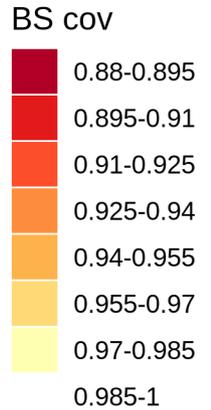
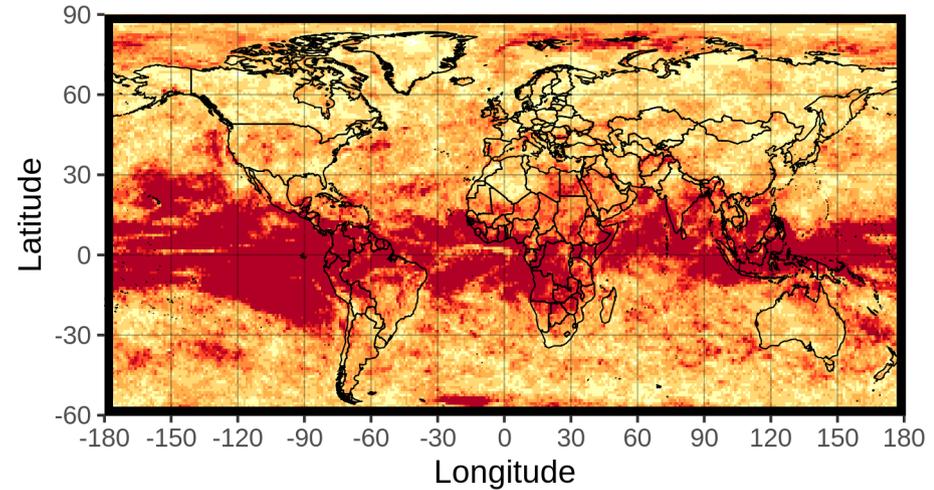


# Seasonal hindcasts - 1st May start date - Surf. solar rad. lower tercile vs. ERA5

## ECMWF vs MF



## ECMWF vs DWD

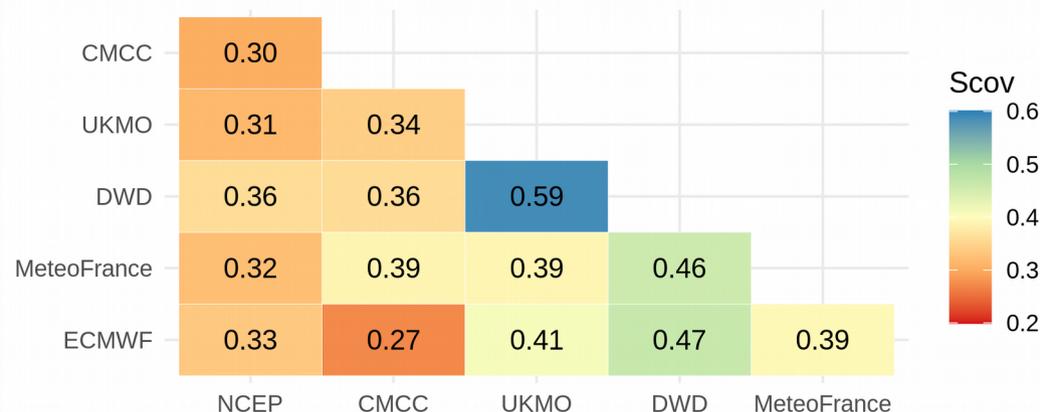


# Seasonal hindcasts - 1st Nov start date

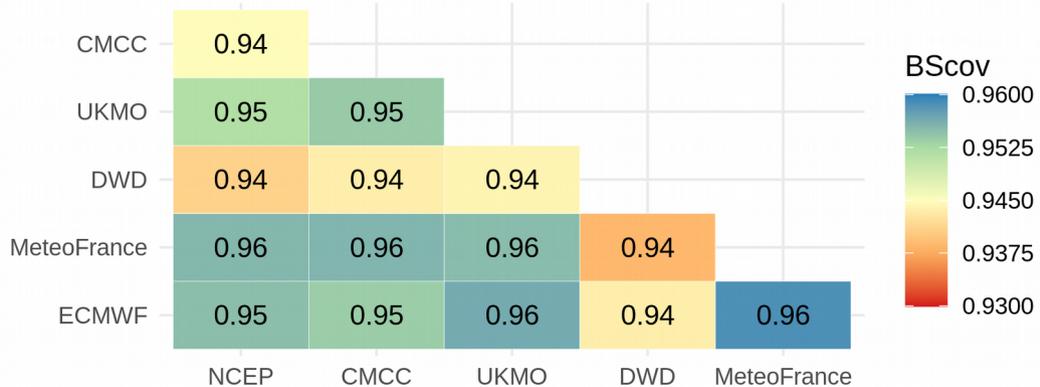
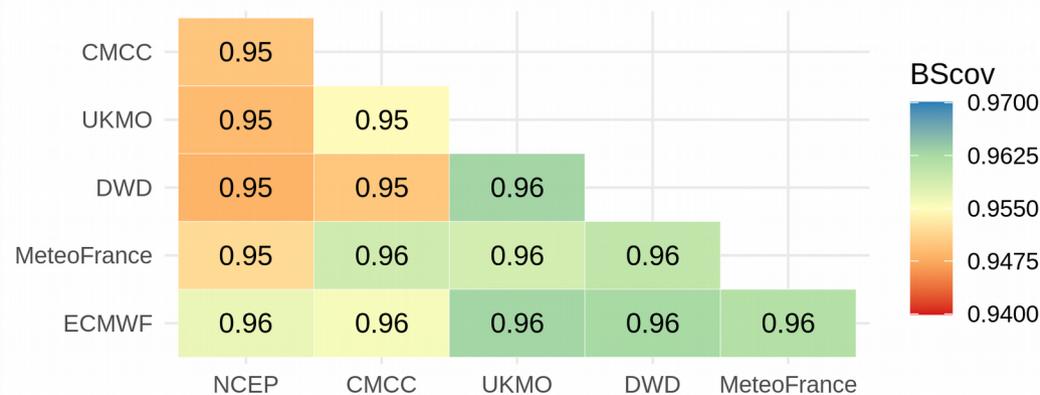
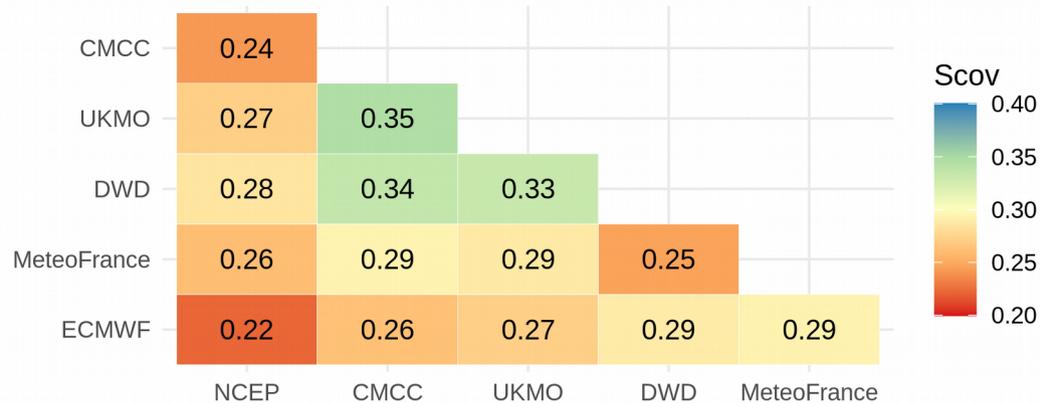
## lower tercile vs. ERA-5 (T2M) and observational GLCF (albedo)

### East-EU

#### T2M



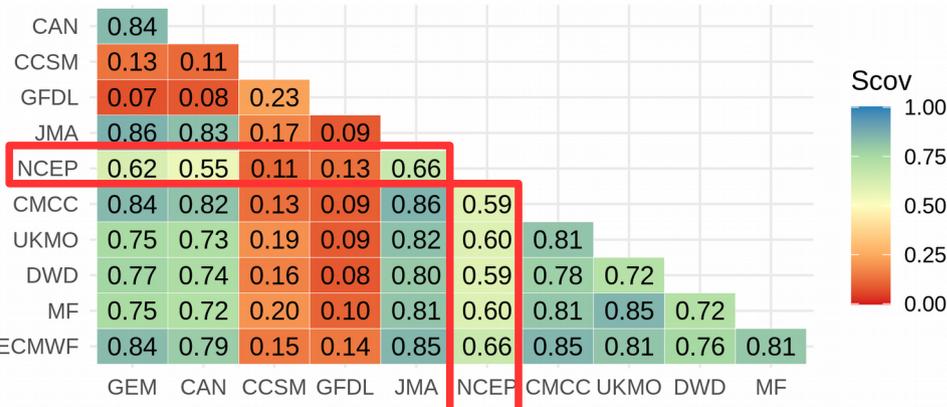
#### Surf. albedo



→ models with large independence in the driver (albedo) also display large independence in the target (2m temperature)

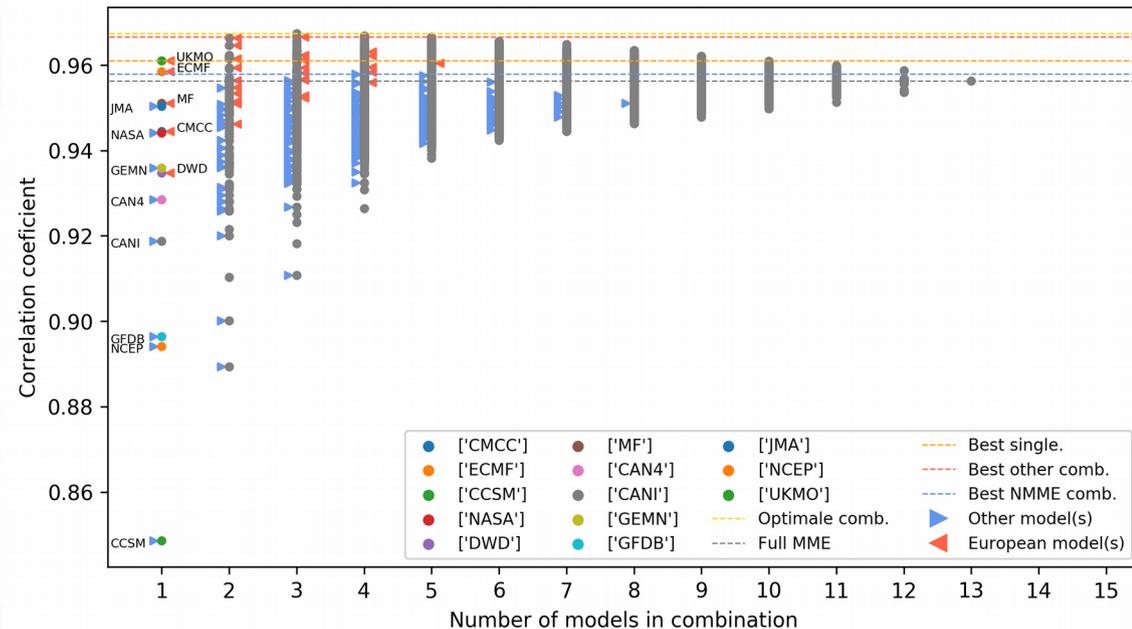
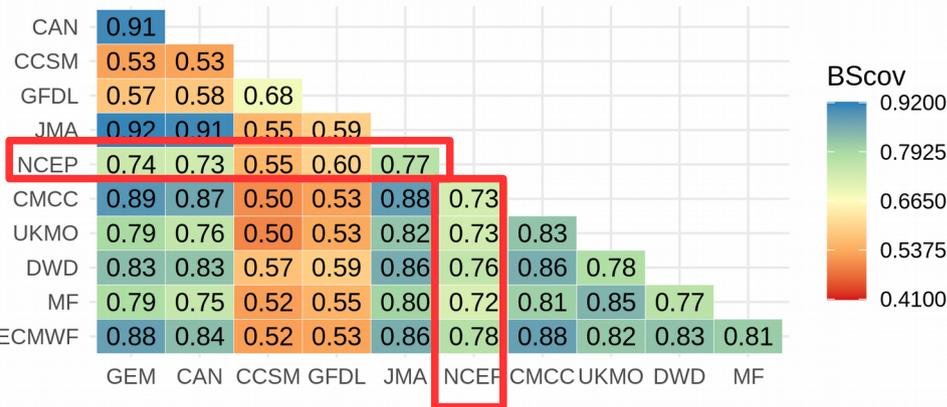
→ adding a model from the NMME (NCEP) to C3S has a large contribution in terms of model independence because of differences in land-surface process representation

# Seasonal hindcasts - 1st Nov start date - 2m Temperature lower tercile vs. ERA-5



## Colombia

Binary weighting model combinations, Correlation coefficient (r) with ERA5  
 Variable: ta season: 3 domain: Colombia  
 Number of models in best combi: 3  
**Best combination: ['CMCC' 'NCEP' 'UKMO'] with r = 0.97 p = 0.00**  
 Best European comb.: ['ECMF' 'MF' 'UKMO'] with r = 0.967  
 Best other models comb.: ['NASA' 'CAN4' 'JMA' 'NCEP'] with r = 0.958  
 Best single model: ['UKMO'] with r = 0.961  
 All models with r = 0.956



→ NCEP model is not the one with the best skill but appears in the best combination of the MME because of its large degree of independence

## Conclusions

- ✓ A novel methodology has been developed to assess the relative independence of the prediction systems in the probabilistic information they provide
  - The degree of independence of the different seasonal prediction systems depends on how the different models reproduce the signal coming from local and remote processes: snow-albedo processes are important for temperature prediction in DJF while atmospheric dynamics through moisture convergence is a key driver of precipitation and surface solar radiation in JJA
  - Two complementary metrics are proposed to quantify model independence: (1) Brier Score covariance (BScov) considers the models' skill covariance with respect to observations; (2) Signal covariance (Scov) measures the similarity of the signal reproduced by two models irrespectively of the models' distance from the observations
  - Both the independence metrics provide valuable information for MME model selection even over regions where skill differences between two models are small
  - Overall independence is larger when mixing models from NMME and EU C3S and this results in improved skill in the Grand-MME