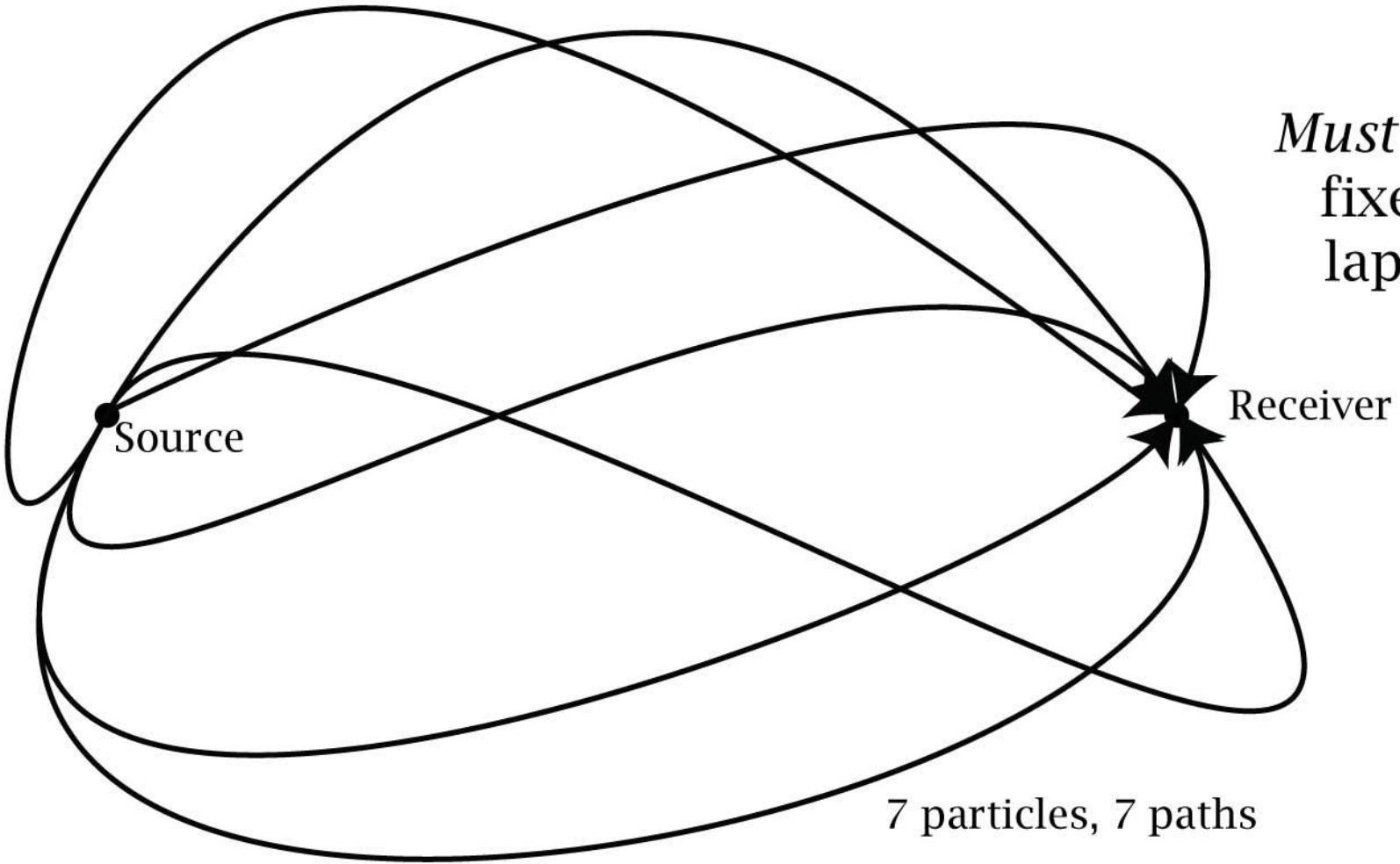


Sensitivity Kernels for coda-wave interferometry in a 3D scalar scattering media

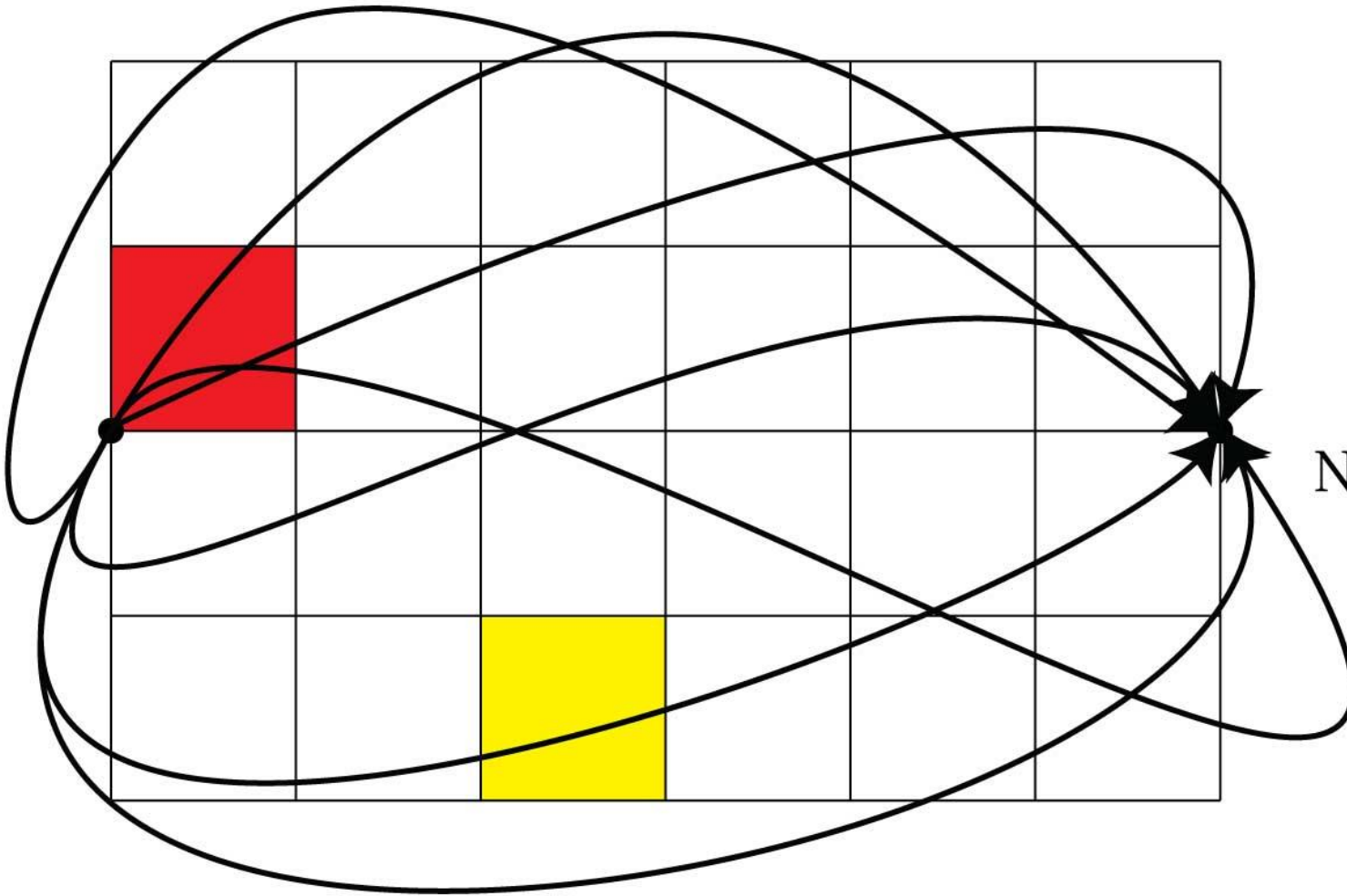
Andres Barajas, Ludovic Margerin,
Michel Campillo

SM1.3/NH4.17
Egu2020-20890

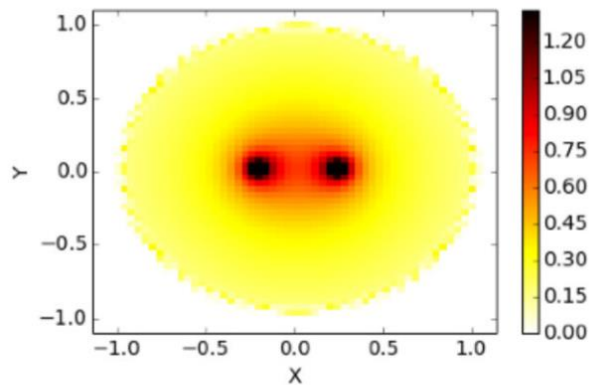


*Must do it in a
fixed time:
lapse time*

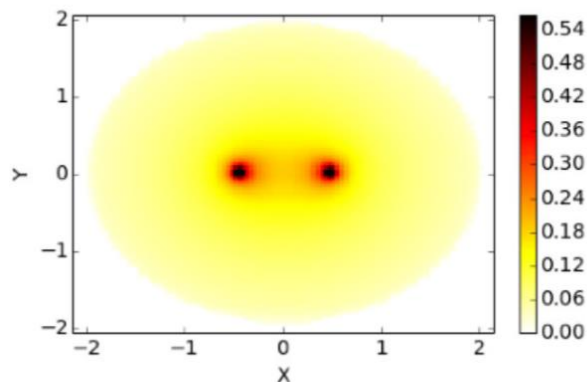
7 particles, 7 paths



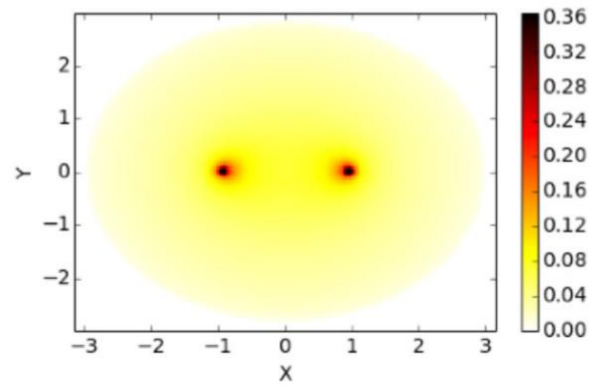
Normalized by
 $N_{\text{particles}}$



$$R = 0.48l, t = 2\tau_s$$



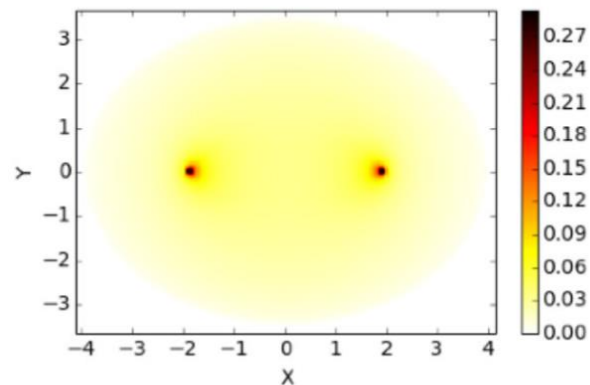
$$R = 0.96l, t = 4\tau_s$$



$$R = 1.92l, t = 6\tau_s$$

Sensitivity kernels for coda-wave interferometry and scattering tomography: theory and numerical evaluation in two-dimensional anisotropically scattering media

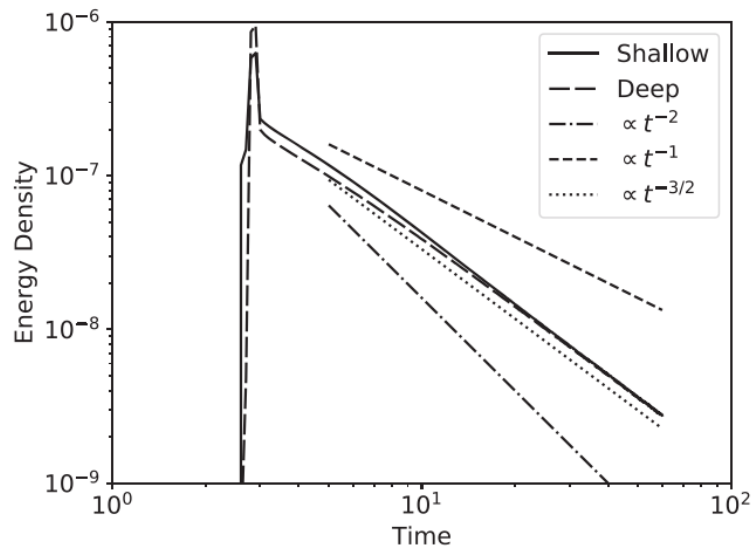
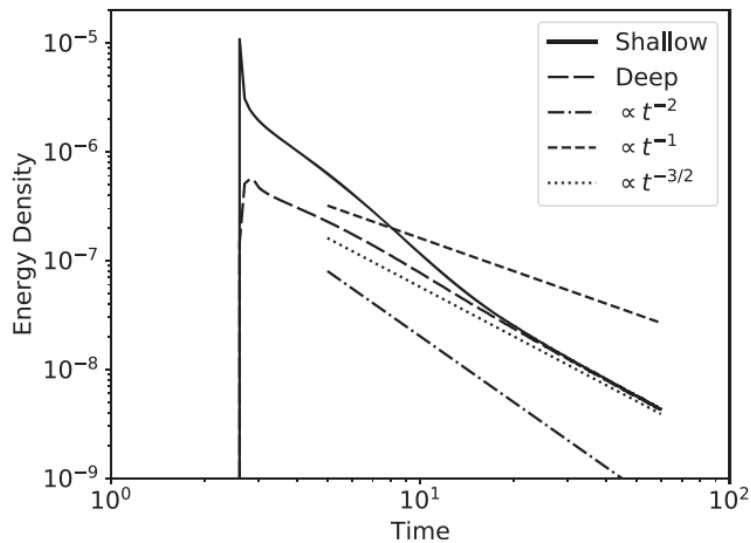
Ludovic Margerin,¹ Thomas Planès,² Jessie Mayor¹ and Marie Calvet¹



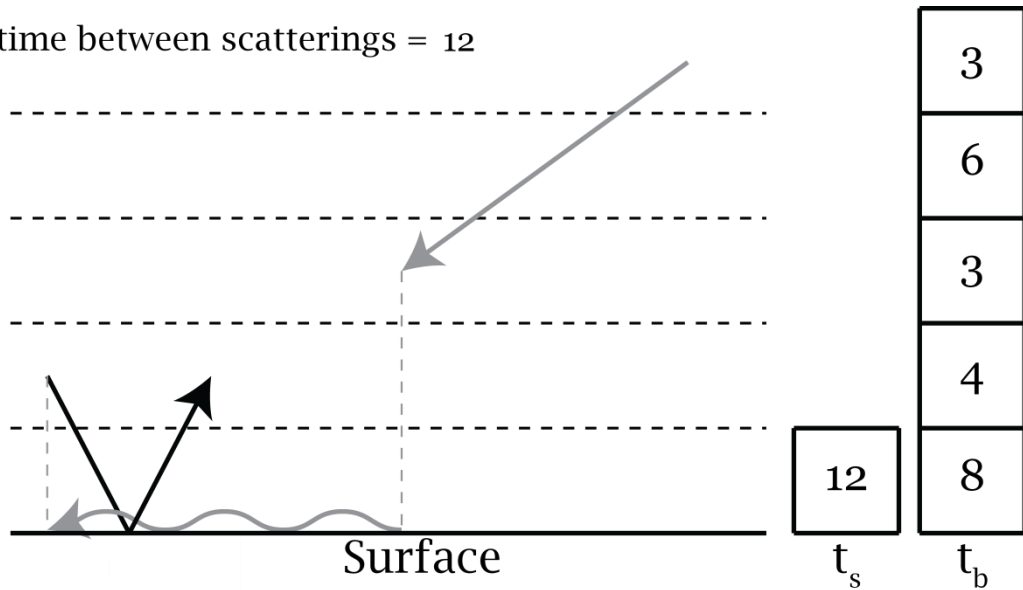
$$R = 3.84l, t = 8\tau_s$$

A scalar radiative transfer model including the coupling between surface and body waves

Ludovic Margerin,¹ Andres Bajasaras² and Michel Campillo²



time between scatterings = 12



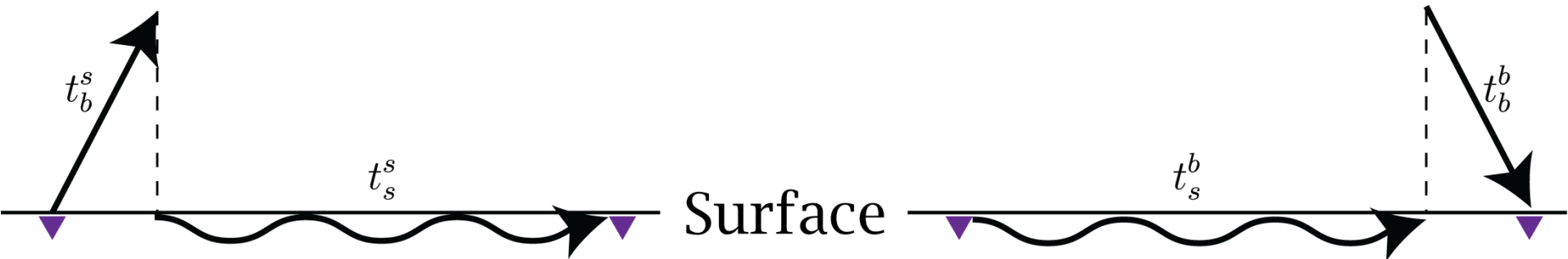
$$t = t_s + t_b = t_s + \int_0^\infty t_b(z', t'; r) dz'$$

$$\langle \tau(t) \rangle = -\langle t_s \rangle \frac{\delta c_R}{c_R} - \int_0^\infty \langle t_b(z', t'; r) \rangle \frac{\delta c}{c}(z') dz'$$

$$\varepsilon = \frac{\langle t_s \rangle}{t} \frac{\rho c^2}{2k_{\parallel}^2 I_2} \int_0^\infty \left[k_{\parallel}^2 h^2(z') + \left(\frac{dh(z')}{dz'} \right)^2 \right] \frac{\delta c}{c}(z') dz' + \frac{1}{t} \int_0^\infty \langle t_b(z', t'; r) \rangle \frac{\delta c}{c}(z') dz'$$

Detected as surface wave

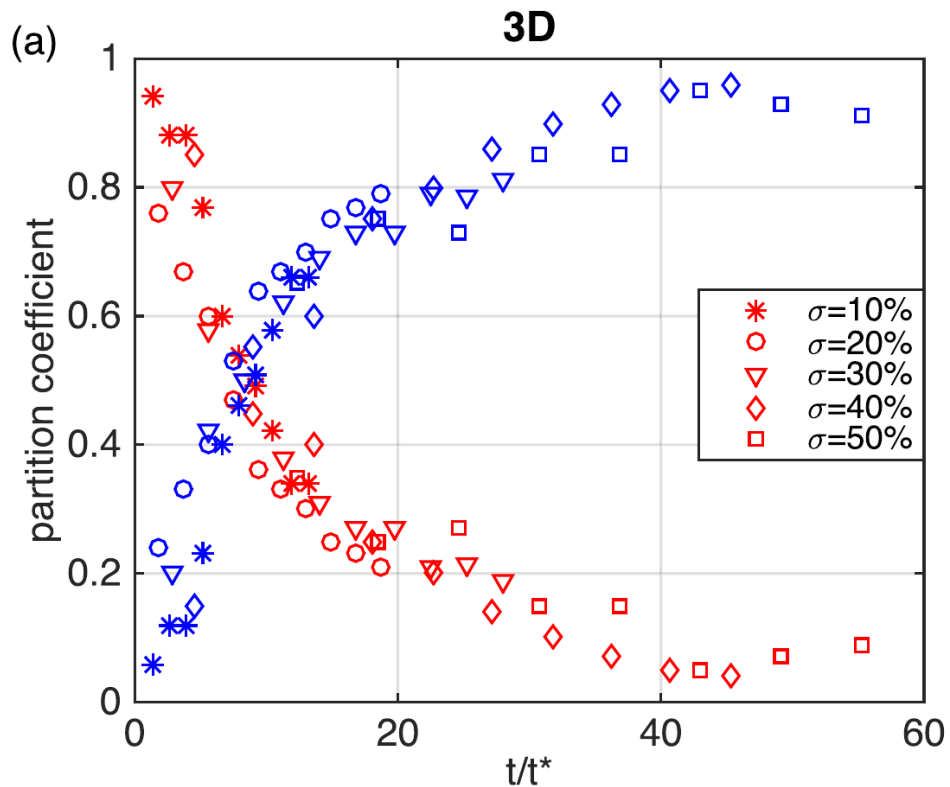
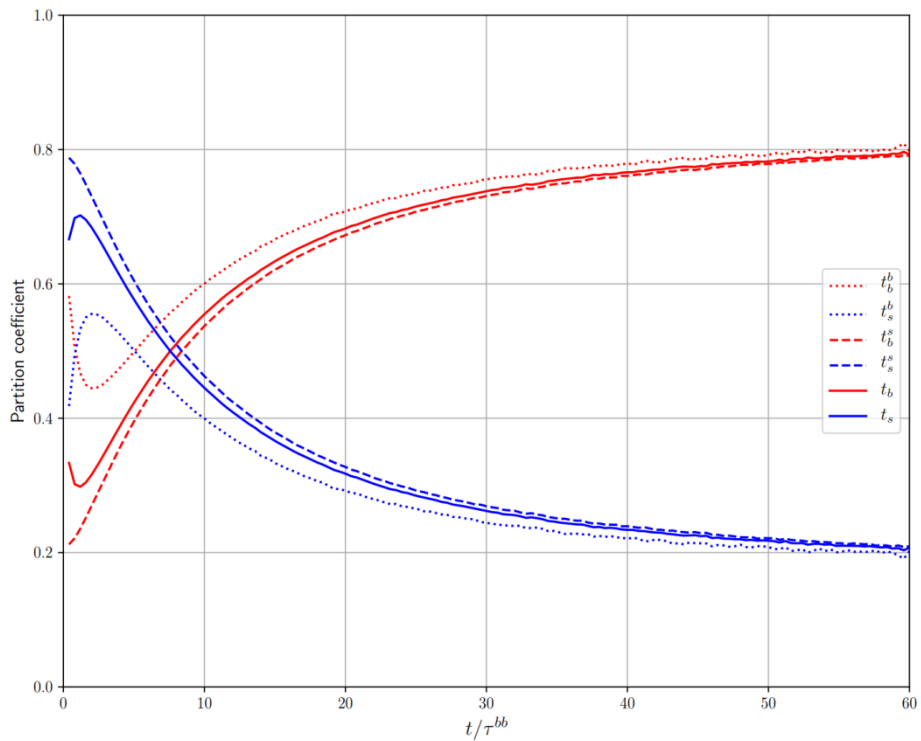
Detected as body wave



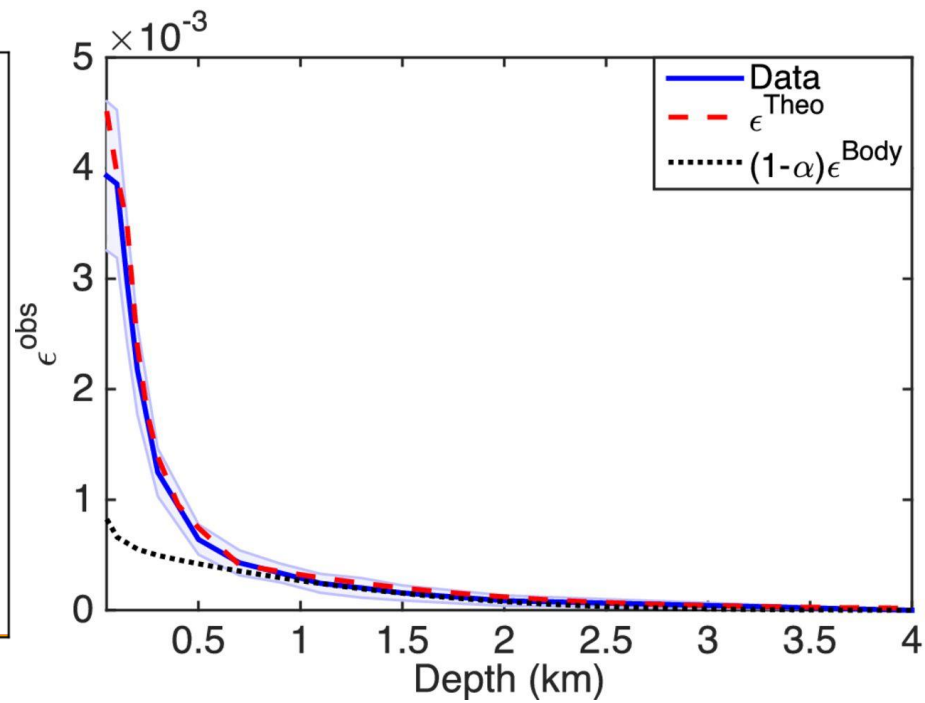
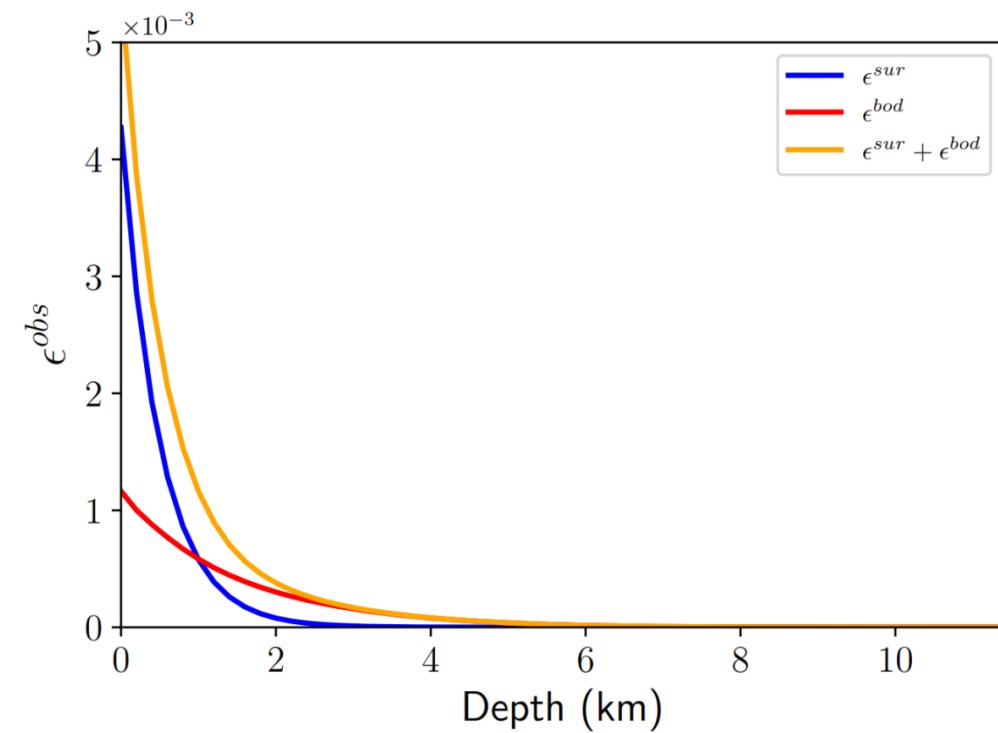
$$t_s = \frac{E^b(r, t, z)}{E(r, t, z)t} t_s^b + \frac{E^s(r, t, z)}{E(r, t, z)t} t_s^s$$

$$t_b = \frac{E^b(r, t, z)}{E(r, t, z)t} t_b^b + \frac{E^s(r, t, z)}{E(r, t, z)t} t_b^s$$

$$\begin{aligned} \epsilon(z) = & \frac{E^b(r, t, z)}{E(r, t, z)t} \left(\langle t_s^b(r, z, t) \rangle \int K_{C_{ph}}(z') \frac{\delta c}{c}(z') dz' + \int \langle t_b^b(r, z, z', t) \rangle \frac{\delta c}{c}(z') dz' \right) \\ & + \frac{E^s(r, t, z)}{E(r, t, z)t} \left(\langle t_s^s(r, t) \rangle \int K_{C_{ph}}(z') \frac{\delta c}{c}(z') dz' + \int \langle t_b^s(r, z', t) \rangle \frac{\delta c}{c}(z') dz' \right) \end{aligned}$$



Lapse-time-dependent coda-wave depth sensitivity to local velocity perturbations in 3-D heterogeneous elastic media



Depth sensitivity of seismic coda waves to velocity perturbations in an elastic heterogeneous medium

Anne Obermann,¹ Thomas Planès,¹ Eric Larose,¹ Christoph Sens-Schönfelder^{1,2} and Michel Campillo¹

