

Deep neural networks for total organic carbon prediction and data-driven sampling

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EGU Session - ESS11.15
Towards SMART Monitoring
6.5.2020

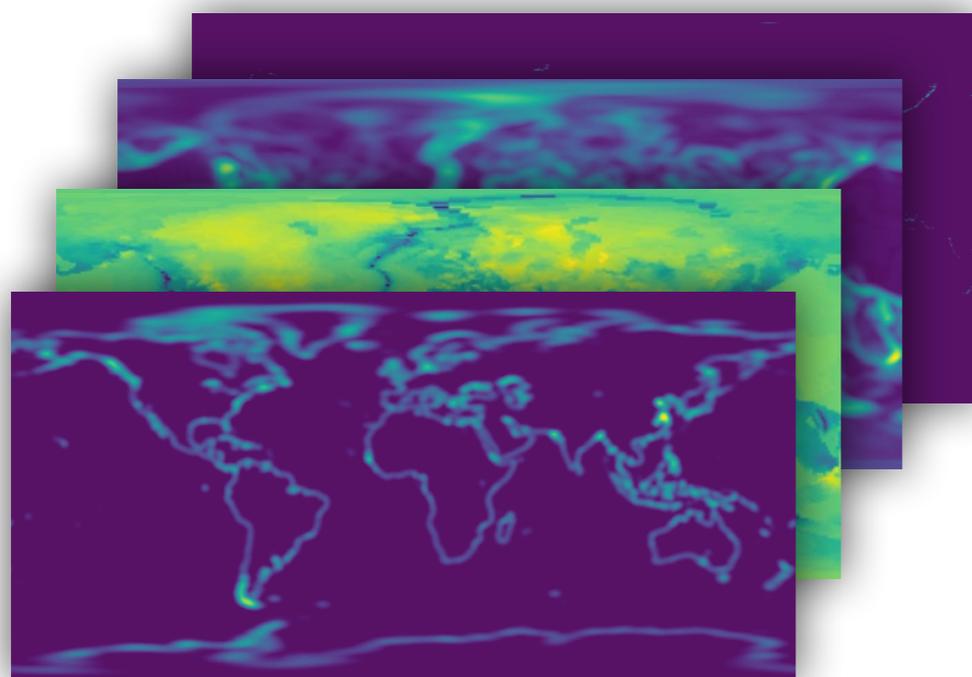


1. Introduction:

An idealised Machine Learning Workflow according to a computer scientist

Idealised ML Workflow:

1. Find a set of labels and predictors for your problem



Event	Latitude	Longitude	Elevation	Depth [m]	TOC [%]
3-14	-28.3315	-20.9410	-4343	0.0000	0.20
8-73	-1.9097	-137.4687	-4387	0.0300	0.10
10103-1B	36.1600	20.4800	-2880	0.0500	0.20
10103-8K	36.1600	20.4800	-2895	0.0150	0.30
108-663	-1.1978	-11.8785	-3706	0.0000	0.19
108-663A	-1.1978	-11.8785	-3706	0.0000	0.19
108-664	0.1073	-23.2275	-3807	0.0000	0.20
108-664B	0.1073	-23.2275	-3806	0.0000	0.20
11BC39	1.9548	-22.7830	-4210	0.0300	0.38
12BC47-2	0.0067	-22.9968	-3858	0.0300	0.58
13BCP56	-2.1083	-23.0050	-4950	0.0300	0.90
159-959	3.6276	-2.7355	-2091	0.0000	1.22
159-959C	3.6277	-2.7353	-2091	0.0250	1.22
159-962	3.2512	-3.1820	-4637	0.0000	1.22
159-962B	3.2511	-3.1820	-4637	0.0500	1.22
167-1011	31.2803	-117.6096	-2021	0.0500	1.82

Predictors: ~600 global feature grids

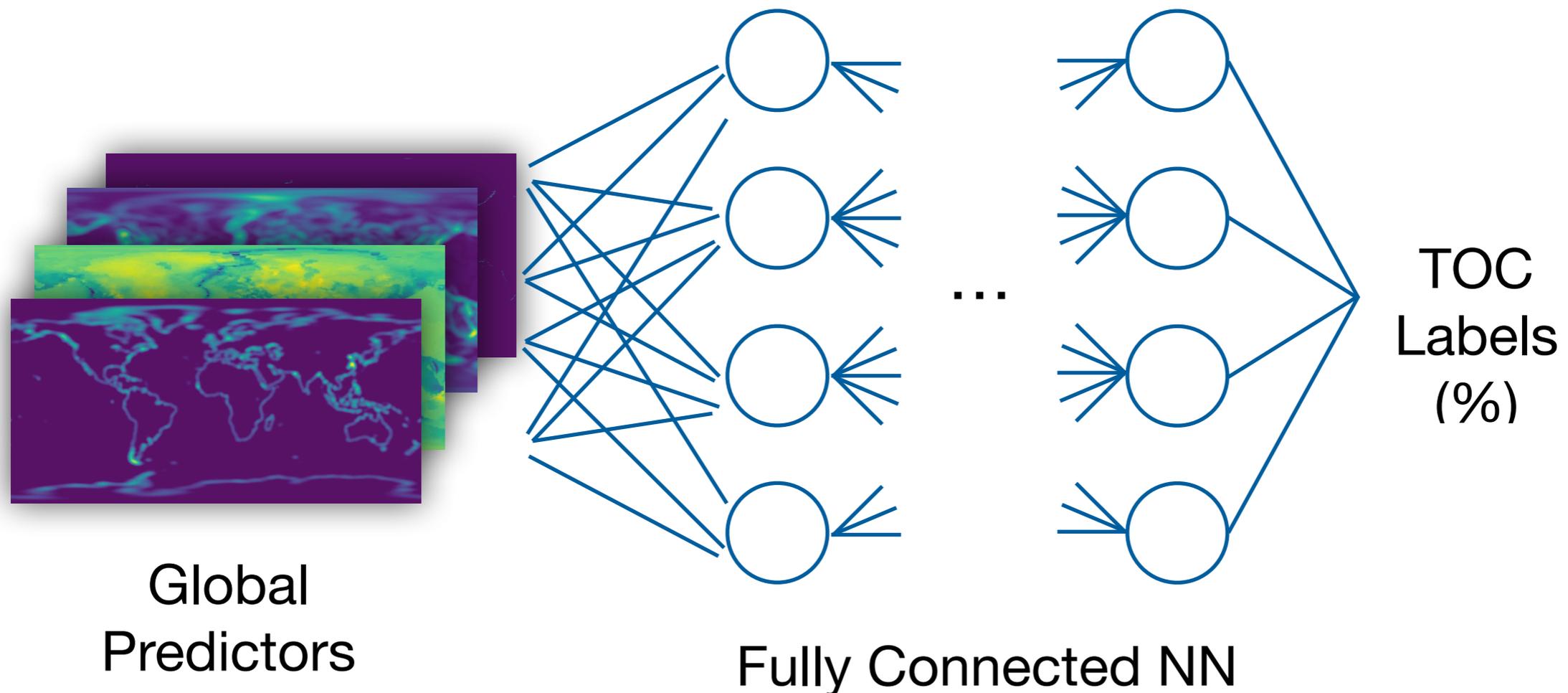
<https://zenodo.org/record/1471639#.XPTToCaxXGr>

Labels: ~6000 Total Organic Carbon (TOC) measurements

<https://doi.pangaea.de/10.1594/PANGAEA.199835>

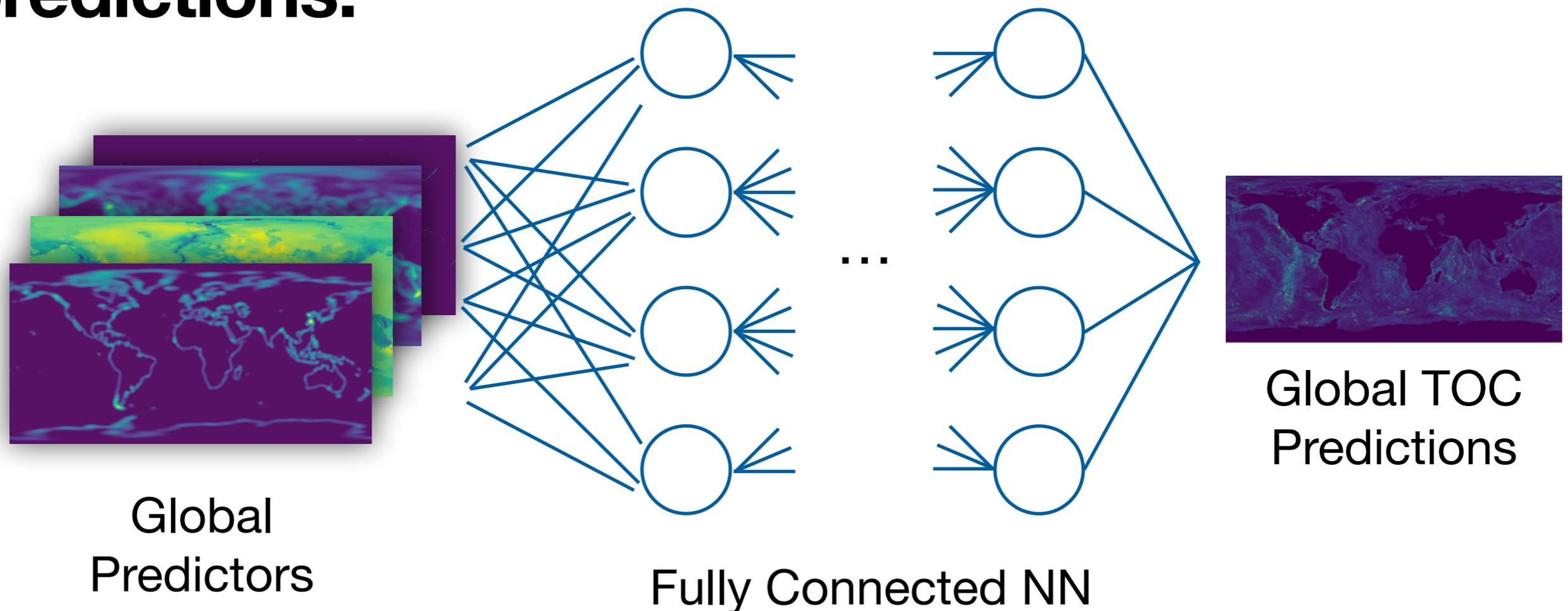
Idealised ML Workflow:

2. Use the predictors and labels to train an ML model



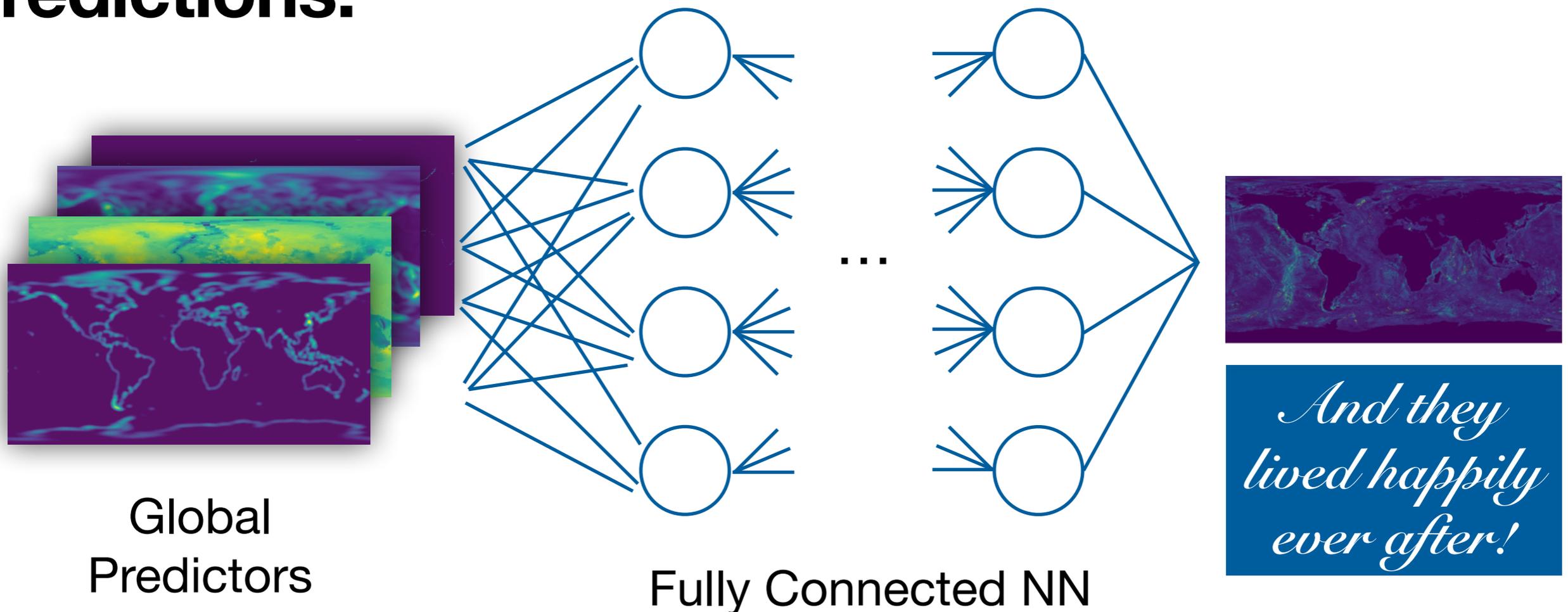
Idealised ML Workflow:

3. Achieve great model accuracy in test and validation datasets and make global predictions:



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This idealised workflow contains many inaccuracies and oversimplifications incompatible with the application of machine learning to science.

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The following slides will discuss what's probably the most problematic one:

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The following slides will discuss what's probably the most problematic one:

“Achieve great model accuracy, make global predictions...”

... and they lived happily ever after!

2. Data-Driven Sampling:

Neural Networks and Information Gain

Neural Networks and Information Gain

Computer scientist often see model accuracy as the end goal of machine learning.

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For example, a question that good model accuracy is unable to answer is that of “data-driven sampling”...

Neural Networks and Information Gain

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However, in science, an accurate ML model is often just the begging of the discussion

For example, a question that good model accuracy is unable to answer is that of “data-driven sampling” ...

... that is: *assuming this model is correct, where should one sample next?*

Neural Networks and Information Gain

Information Theory can provide an answer using “Information Gain”:

Entropy:

$$H(P) = - \sum_{x \in X} p(x) \cdot \log(p(x))$$

“Information”

Cross Entropy:

$$H(P, Q) = - \sum_{x \in X} p(x) \cdot \log(q(x))$$

“Message Length”

KL-Divergence:

$$D_{KL}(P || Q) = H(P, Q) - H(P)$$

“Information Gain”

Neural Networks and Information Gain

Information Theory can provide an answer using “Information Gain”:

Entropy:

probability distributions

↓ ↓

$$H(P) = - \sum_{x \in X} p(x) \cdot \log(p(x))$$

“Information”

Cross Entropy:

observed distribution predicted distribution

↙ ↘

$$H(P, Q) = - \sum_{x \in X} p(x) \cdot \log(q(x))$$

“Message Length”

KL-Divergence:

$$D_{KL}(P || Q) = H(P, Q) - H(P)$$

“Information Gain”

Neural Networks and Information Gain

Assuming sampling as a prediction with absolute certainty:

$$D_{KL}(P || Q) = H(P, Q) - H(P)$$

$$= - \sum_{x \in X} \cancel{p(x)} \cdot \log(q(x)) + \sum_{x \in X} \cancel{p(x)} \cdot \log(\cancel{p(x)}) \quad \leftarrow \text{Sampling!}$$

$$= - \log(q(x_i))$$

Neural Networks and Information Gain

Assuming sampling as a prediction with absolute certainty:

$$\begin{aligned} D_{KL}(P || Q) &= H(P, Q) - H(P) \\ &= - \sum_{x \in X} \cancel{p(x)} \cdot \log(q(x)) + \sum_{x \in X} \cancel{p(x)} \cdot \log(\cancel{p(x)}) \quad \leftarrow \text{Sampling!} \\ &= - \log(q(x_i)) \end{aligned}$$

“Information-Gain from sampling is the highest where the prediction probability is the lowest”

Neural Networks and Information Gain

... however, TOC estimation is a regression problem, and we need probability distributions:

We have:



We want:

probability distributions

$$H(P, Q) = - \sum_{x \in X} p(x) \cdot \log(q(x))$$

The equation is annotated with red arrows pointing from the text "probability distributions" to the terms $p(x)$ and $q(x)$ in the summation.

Neural Networks and Information Gain

... however, TOC estimation is a regression problem, and we need probability distributions:

We have:



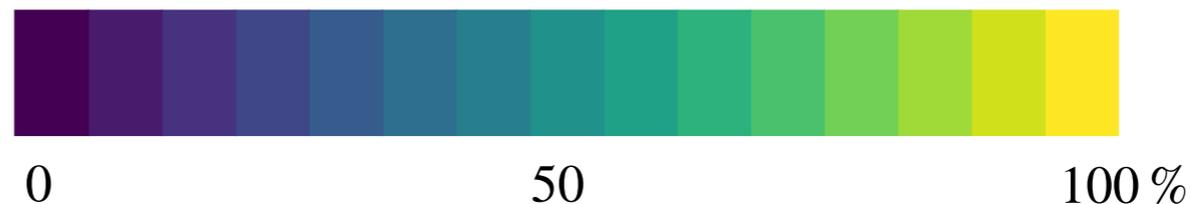
We want:

probability distributions

$$H(P, Q) = - \sum_{x \in X} p(x) \cdot \log(q(x))$$

The equation is annotated with two red arrows pointing to $p(x)$ and $q(x)$, with the text "probability distributions" above them.

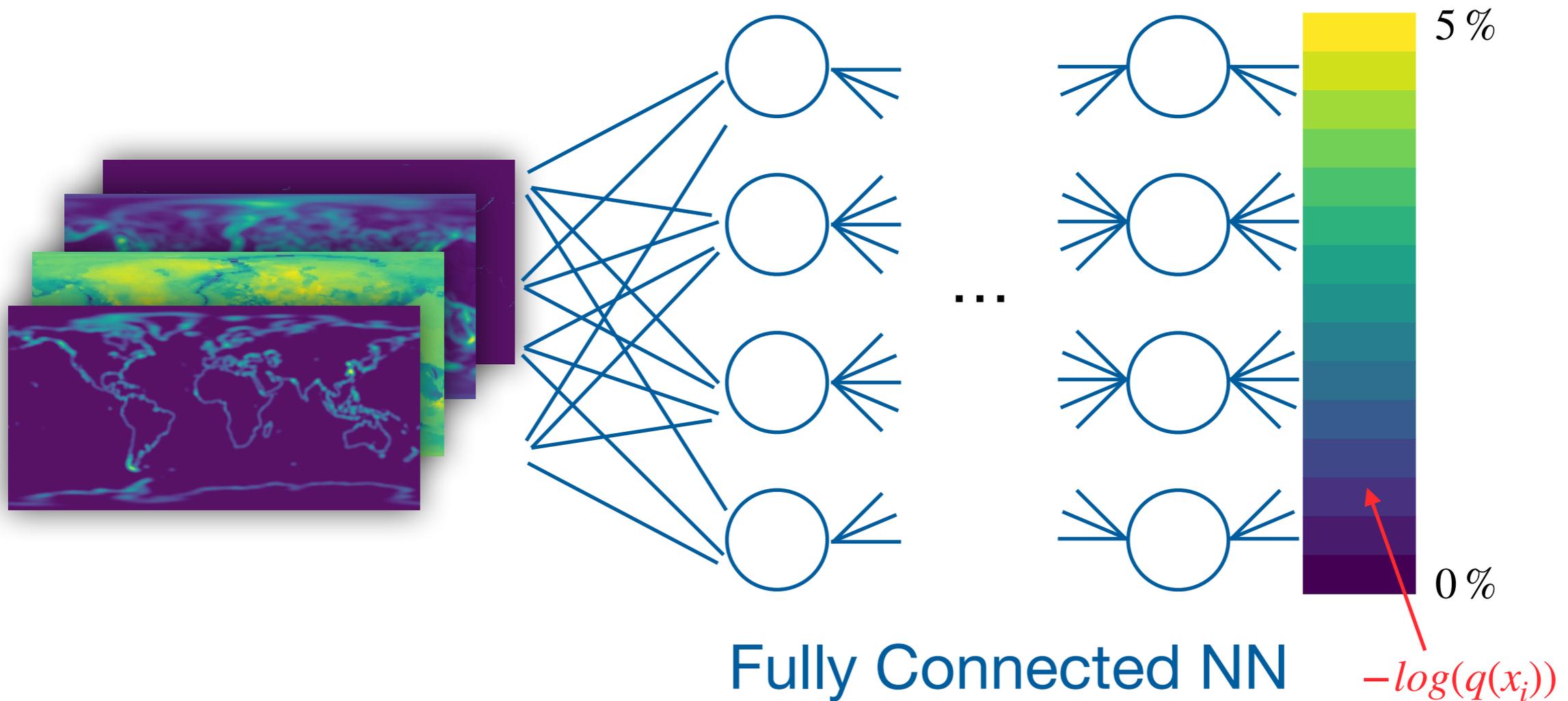
Solution:



This can be solved by digitising the output range...

Neural Networks and Information Gain

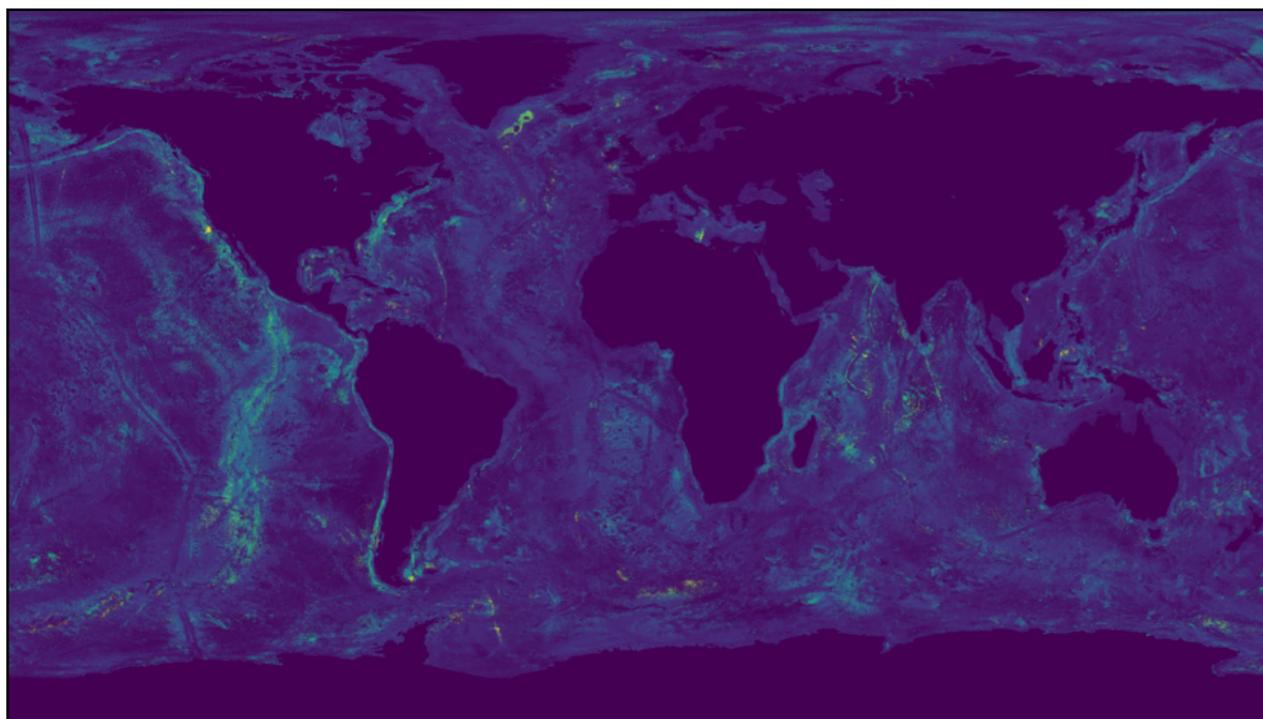
... and applying it to a *softmax* activation layer at the the of the fully connected NN:



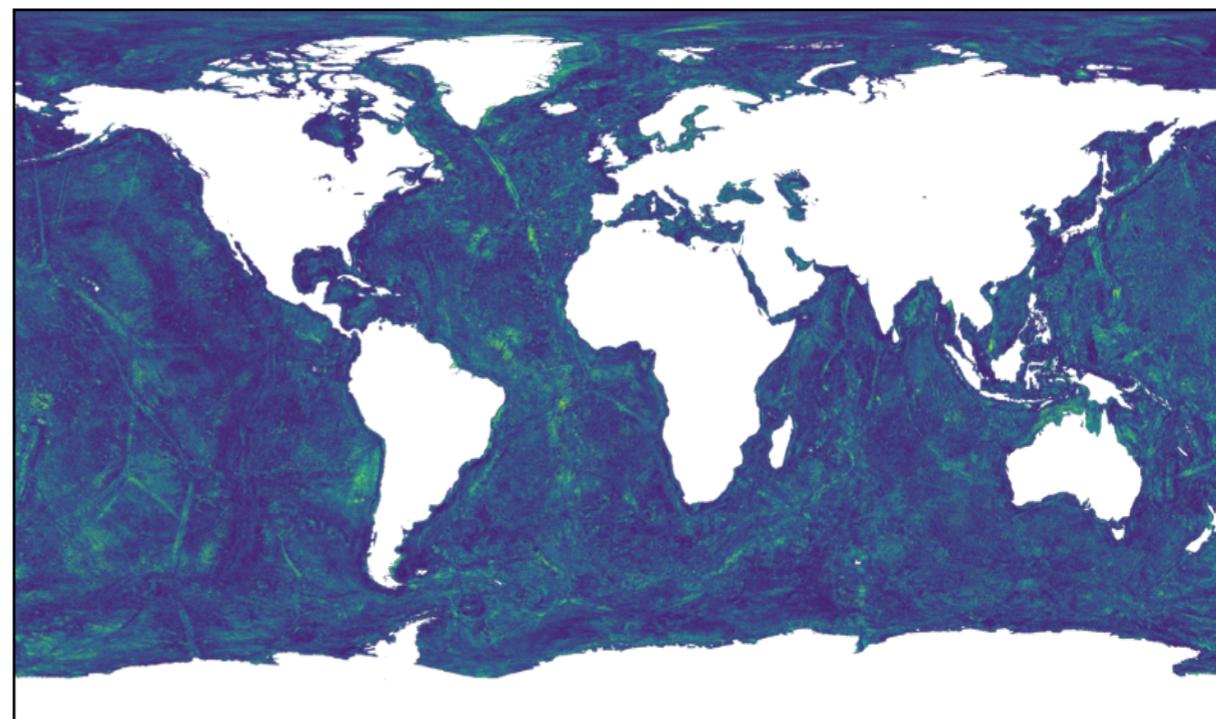
Neural Networks and Information Gain

Such a model produces a prediction along with a probability for it:

Global TOC Predictions



Global Information Gain Predictions



3. Monte Carlo Dropout

Neural Networks and Uncertainty Quantification

Uncertainty Quantification

Back to the question of data-driven sampling:

assuming this model is correct, where should one sample next?

Uncertainty Quantification

Back to the question of data-driven sampling:

assuming this model is correct, where
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This is an uncomfortable assumption to make!

A quantification of model uncertainty would be much preferable.

Uncertainty Quantification

“Dropout¹” is a standard technique for training neural networks.

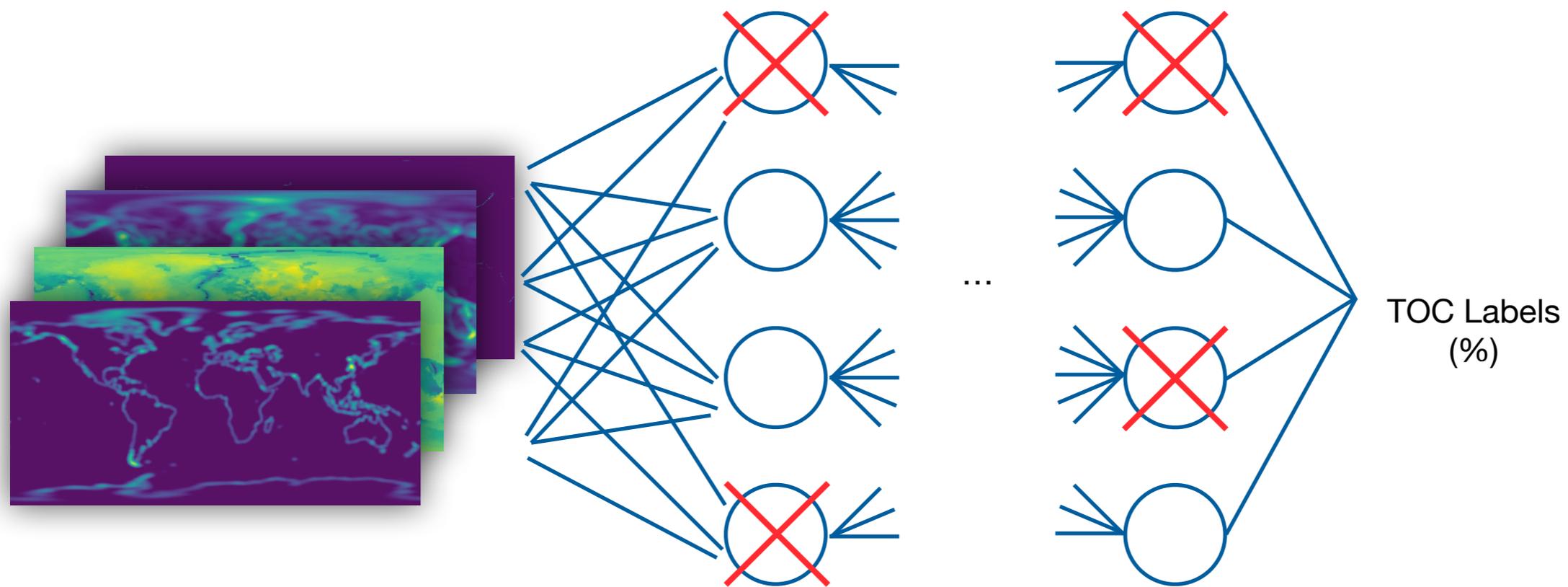
It avoids overfitting by randomly deactivating connections between nodes of a neural networks during the training process.

¹ <https://www.cs.toronto.edu/~hinton/absps/JMLRdropout.pdf>

Uncertainty Quantification

Dropout:

Training Steps 1



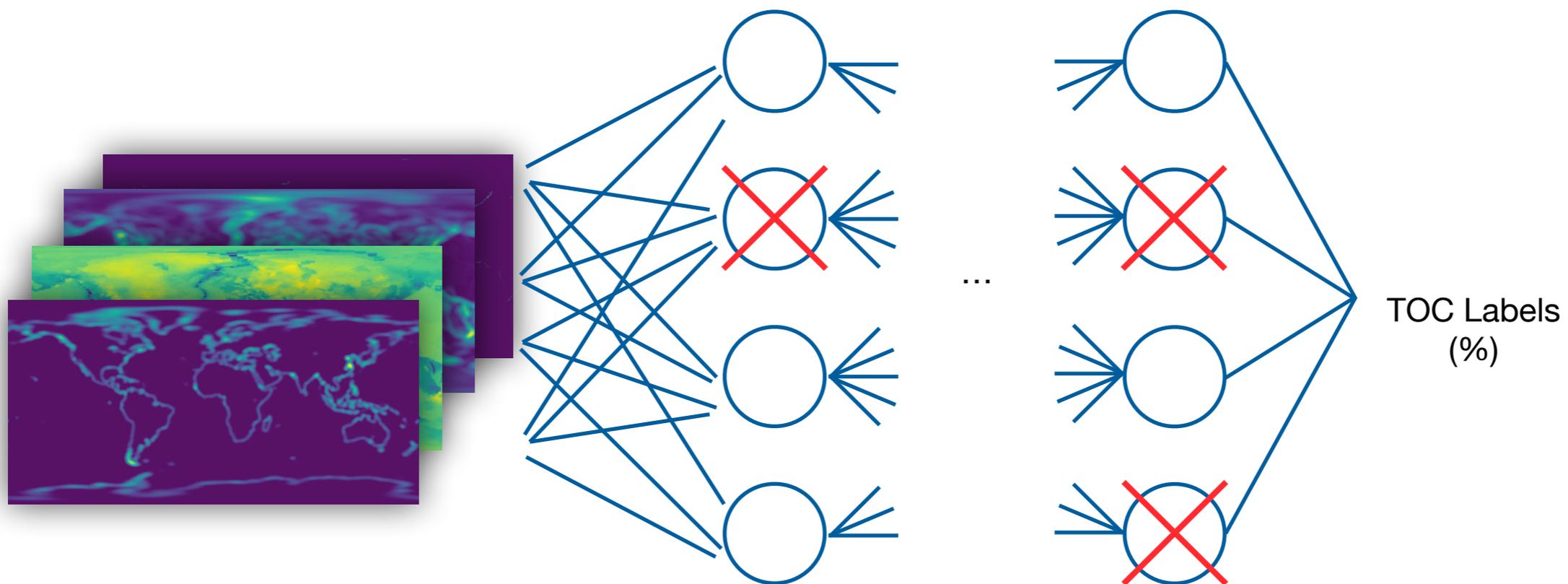
Global Predictors

Fully Connected NN

Uncertainty Quantification

Dropout:

Training Steps 2



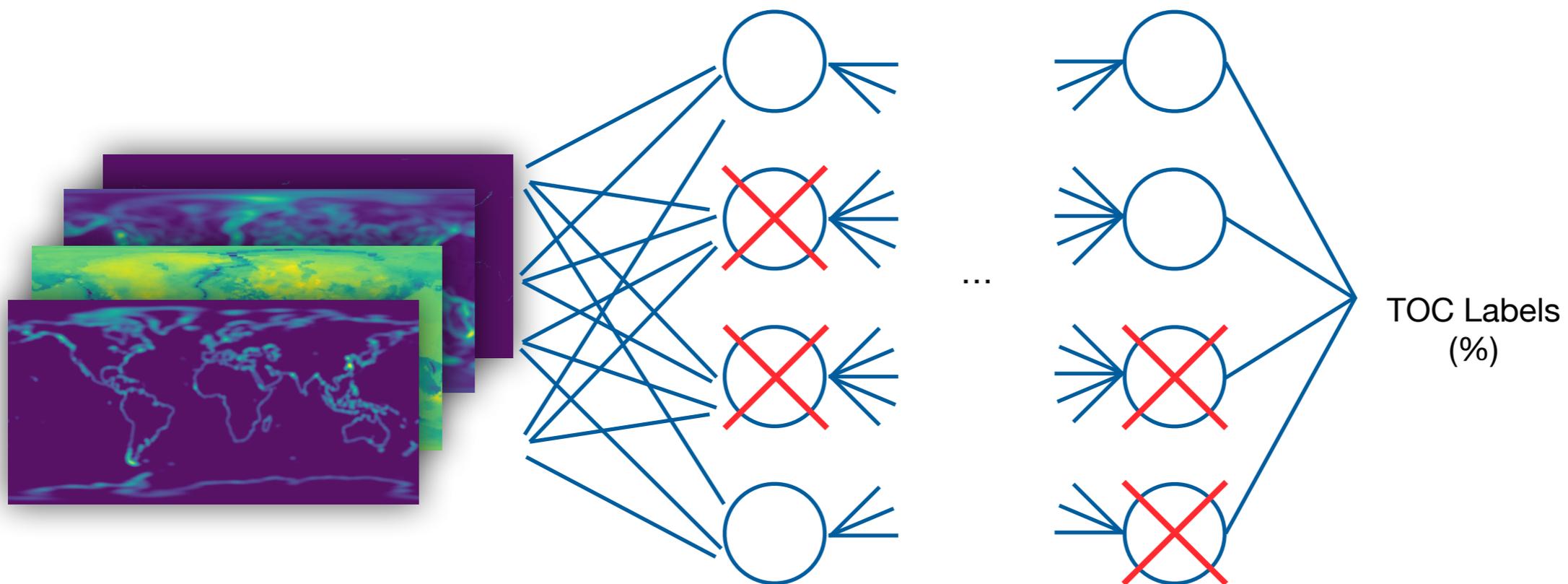
Global Predictors

Fully Connected NN

Uncertainty Quantification

Dropout:

Training Steps 3



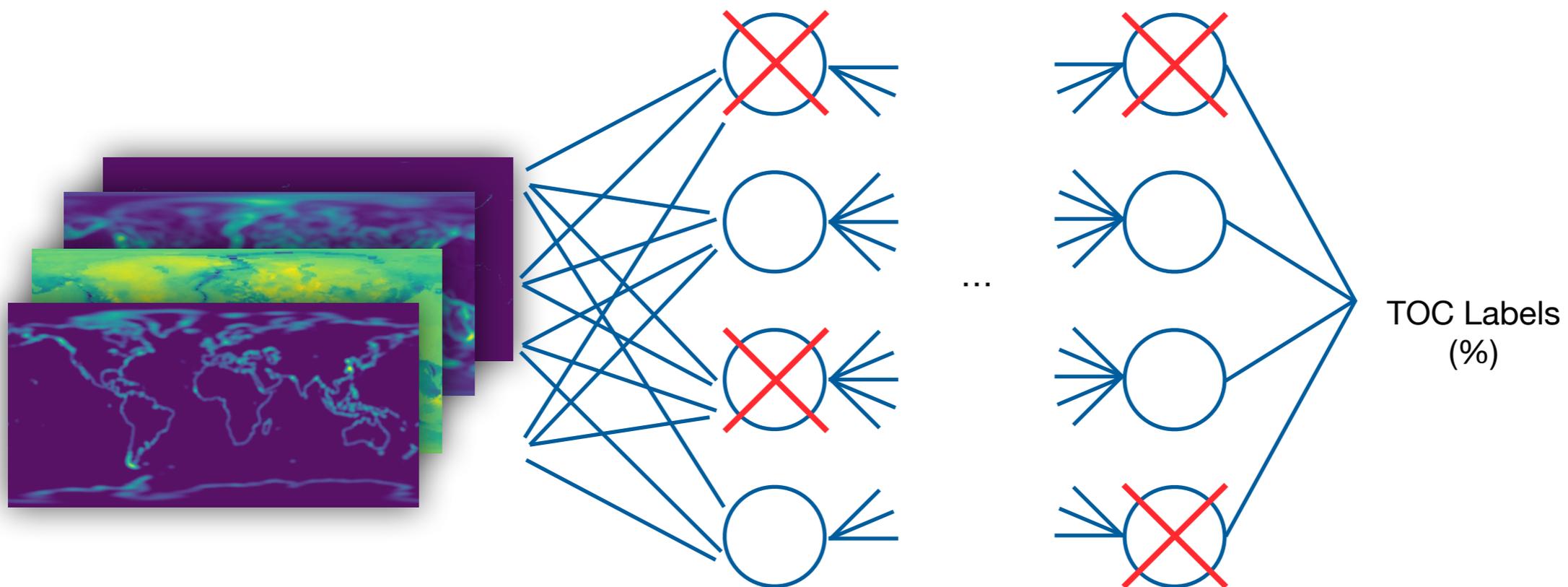
Global Predictors

Fully Connected NN

Uncertainty Quantification

Dropout:

Training Steps n



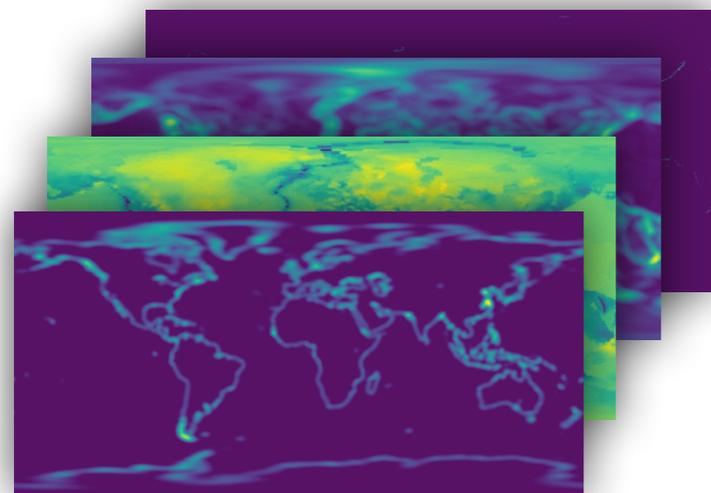
Global Predictors

Fully Connected NN

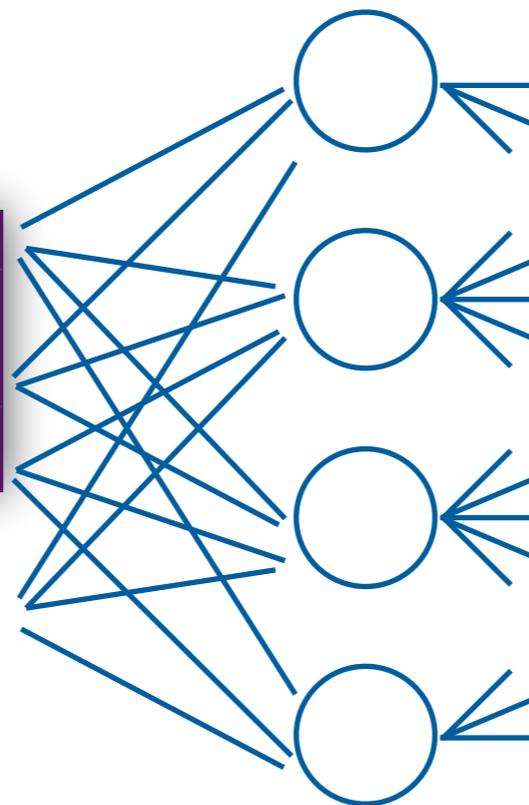
Uncertainty Quantification

Dropout:

Inference Step

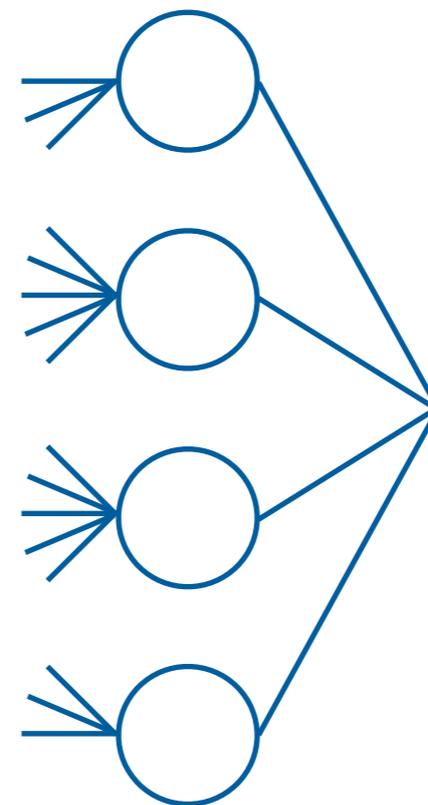


Global Predictors



Fully Connected NN

...



TOC
Prediction (%)

Uncertainty Quantification

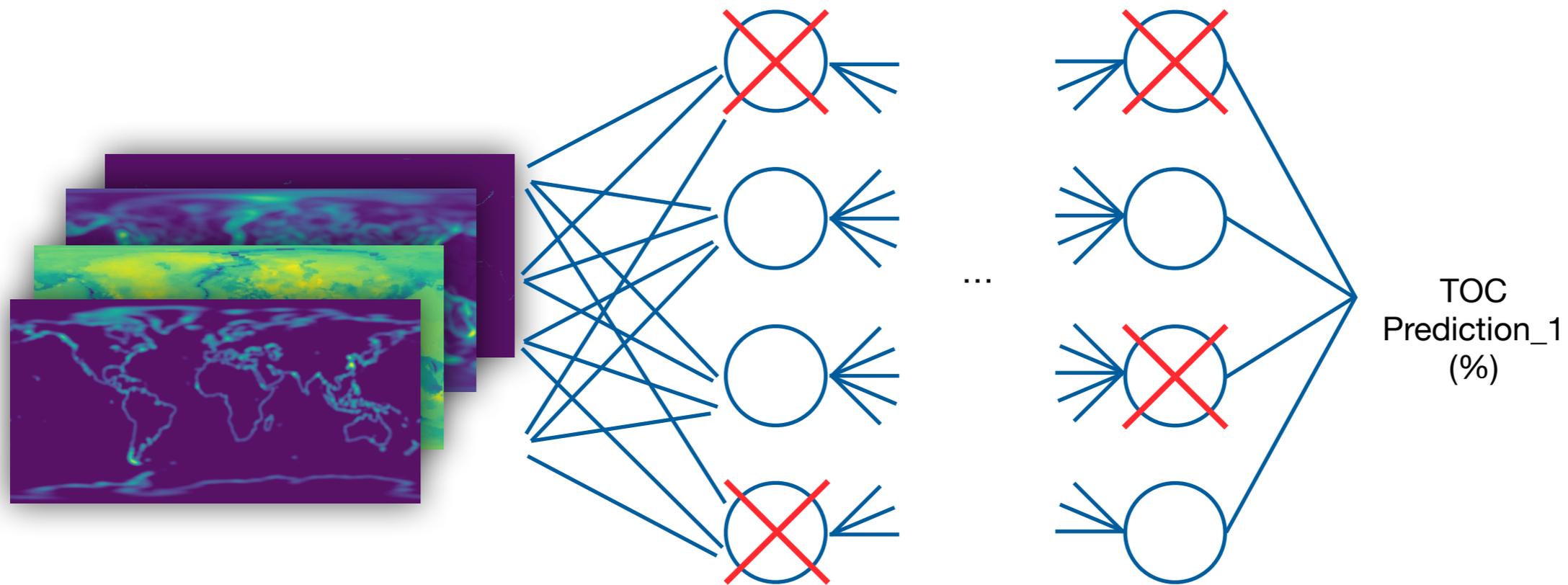
Monte Carlo Dropout¹ applies dropout to several repetitions of the inference step, and averages the results to obtain a more robust estimate which also provides a way to quantify uncertainty.

¹ <https://arxiv.org/pdf/1506.02142.pdf>

Uncertainty Quantification

Monte Carlo Dropout:

Inference Step:
1 of N



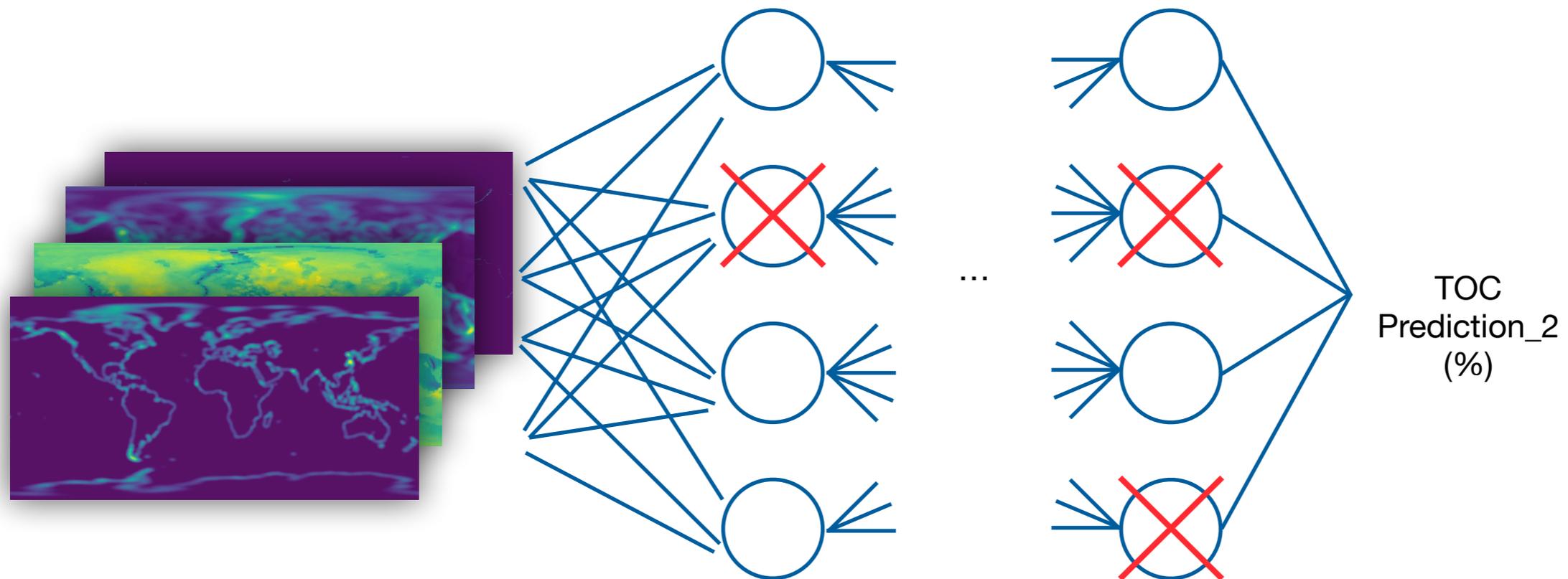
Global Predictors

Fully Connected NN

Uncertainty Quantification

Monte Carlo Dropout:

Inference Step:
2 of N



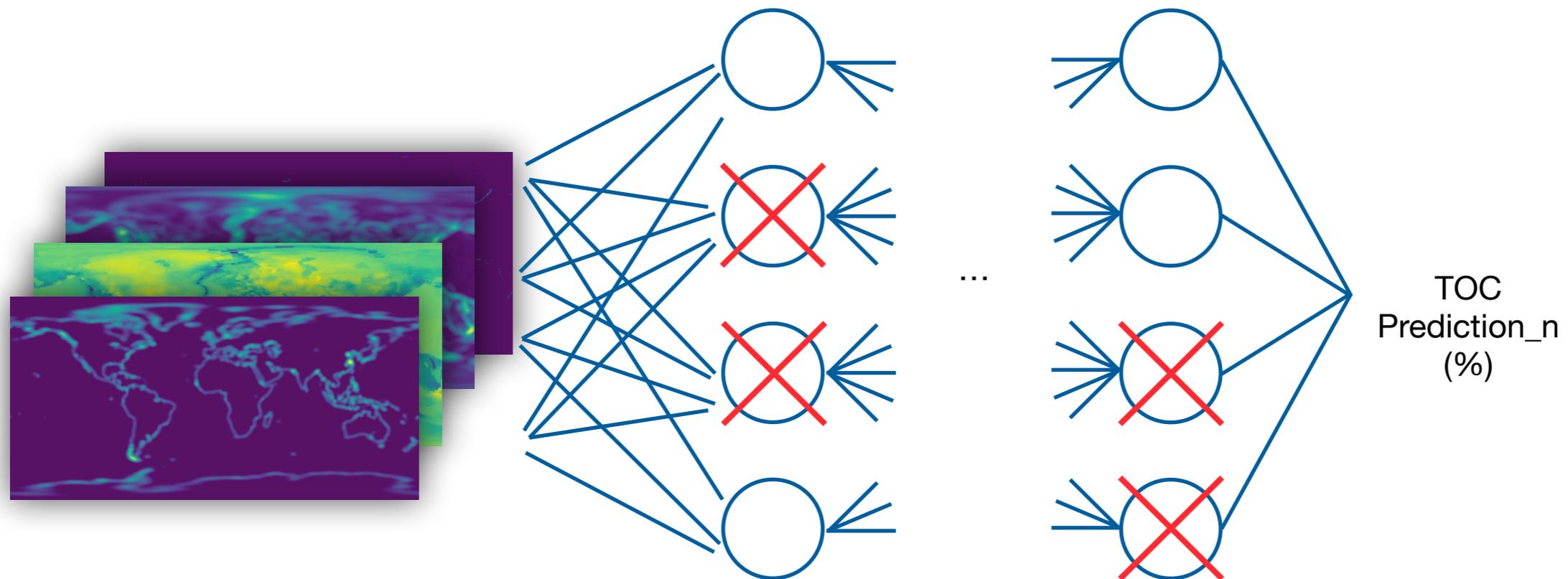
Global Predictors

Fully Connected NN

Uncertainty Quantification

Monte Carlo Dropout:

Inference Step:
 n of N



Global Predictors

Fully Connected NN

Uncertainty Quantification

Monte Carlo Dropout:

$$Pred_val = 1/N \sum_{n \in N} Pred_val_n$$

4. Conclusion

- **A measure for information gain was obtained by applying Softmax distributions to a discretised regression problem.**
- **A measure for model uncertainty was obtained by using MonteCarlo Dropout.**
- **Both techniques, alone or combined, are suitable to answer scientific questions other traditional neural network architectures can not.**

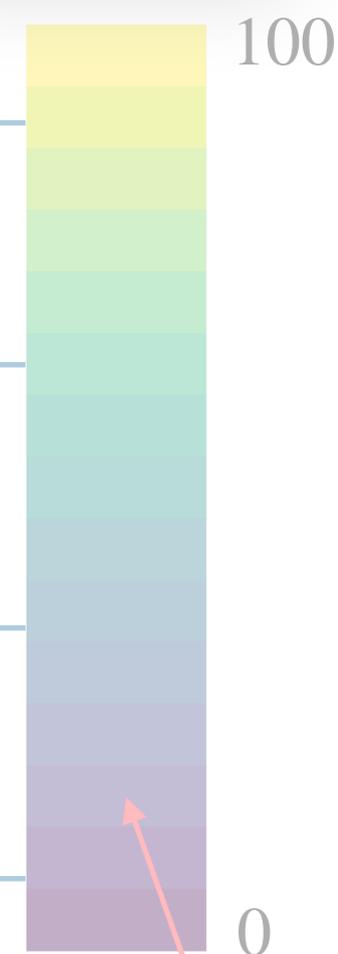
Questions and Comments

EGU Session - ESS1.15 Towards SMART Monitoring
Wednesday, 6 May, 2020 10:30 - 12:45

or

egonzalez@geomar.de

Fully Connected NN



$-\log(q(x_i))$



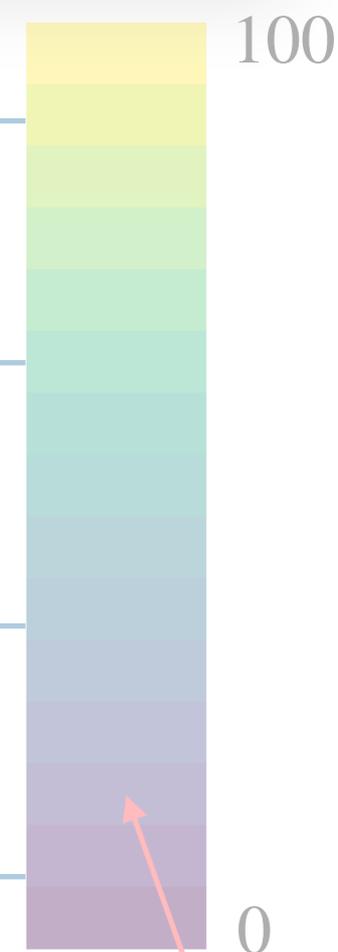
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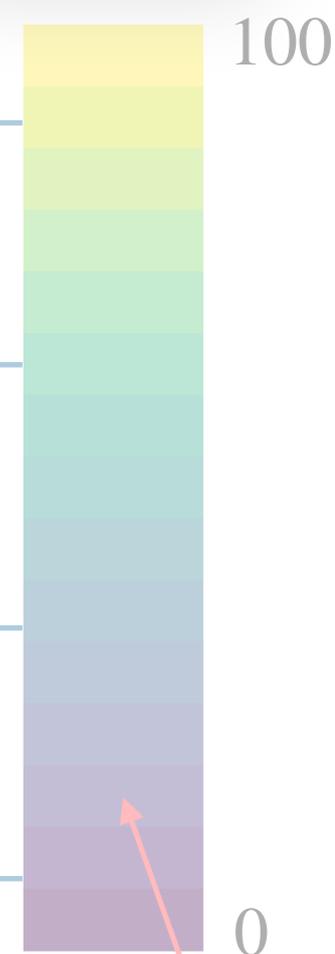
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