



Analogue laboratory of preferential flow dynamics in porous fractured media: Importance of fracture intersections and porous matrix imbibition processes

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Objectives

- Develop a better understanding of rapid preferential flow dynamics in the vadose zone of fractured aquifers.
- Reproduce free-surface flow (i.e. droplet vs. rivulet flow) in controlled lab experiments to investigate (i) mass partitioning at unsaturated fracture intersections and (ii) the effect of imbibition with a porous matrix on the discharge signal.
- Test analytical approach for upscaling repetitive capillary driven fracture-filling in idealized fracture cascades without imbibition.

Methods

Analogue percolation experiments I (no imbibition)

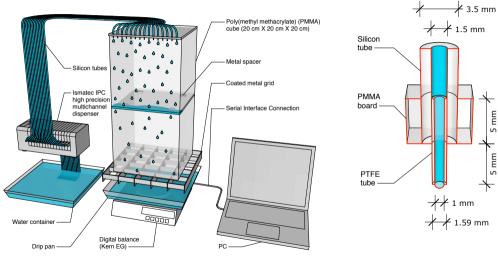


Figure 1: Laboratory setup (Kordilla et al. 2017, Noffz et al. 2019)

Figure 2: Inlet geometry (Noffz et al. 2019)

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Analogue percolation experiments I (no imbibition)

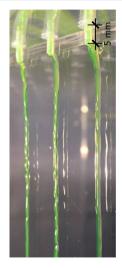


Figure 3: Inlets and rivulets

- Total flow rate $Q_0 = 15 \text{ ml/min}$
- Flow regimes: Droplet (15 \times 1 ml/min) and rivulet flow (3 \times 5 ml/min)
- Aperture width *d_f* between 0.7 mm and 2.5 mm
- Horizontal offset *d_o* between -4 mm and 4 mm
- Static contact angle $\theta_0 \approx 65^\circ$
- For rivulet flow the cascade was extended up to three horizontal fractures

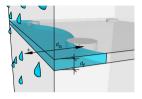


Figure 4: Inlet array

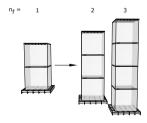


Figure 5: Fracture cascades 3

Analogue percolation experiments II (with imbibition)

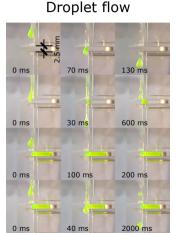


Figure 6: Sandstone network (Rüdiger et al. 2020, under review)

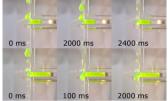
- Applied flow rate Q_0 is 0.75 ml/min to 3.5 ml/min
- + Size of a single sandstone slice $\approx 5\,\text{cm}{\times}5\,\text{cm}{\times}1\,\text{cm}$
- Aperture used throughout all experiments is 1 mm
- Network is arranged with and without horizontal offset at each intersection
- Experiments of the same geometry but using nonporous acrylic glass slices were conducted for comparison

Results & Discussion

Partitioning dynamics I (no imbibition)



Droplet flow

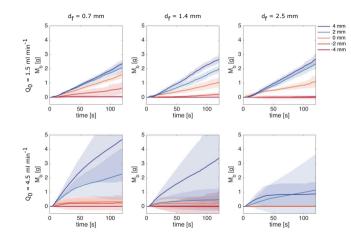


Rivulet flow

Figure 7: Partitioning dynamics captured at 240 fps (Noffz et al. 2019)

- Droplet flow: Exhibits complex partitioning dynamics and may bypass the aperture or contribute to its filling
- Rivulet flow: Hydraulically connects inlet and the encountered fracture

Partitioning dynamics I (no imbibition)



- Negative horizontal offsets d_o reduce the bypass efficiency of droplet and rivulet flow
- Small opening widths d_f benefit the mass transport across the aperture

Figure 8: Bypassing mass M_b vs. time for variable fracture geometry

Partitioning dynamics II (with imbibition)

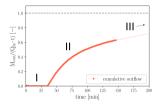
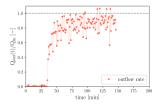


Figure 9: Stages of the discharge signal (Rüdiger et al. 2020, under review)



- I: Pre-arrival; no mass accumulation (i.e. introduced water distributes in the fracture network and pore space)
- II: First-arrival; first discharge pulse accumulates on the drip pan and the discharge rate successively approximates the inflow
- III: Steady-state; inflow rate equals the discharge (not fully established in this experiment)

Figure 10: Normalized discharge rate (Rüdiger et al. 2020, under review)

Partitioning dynamics II (with imbibition)

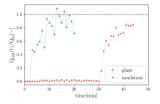


Figure 11: Normalized discharge (Rüdiger et al. 2020, under review)

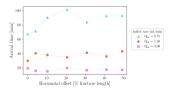


Figure 12: Arrival times for variable offsets (Rüdiger et al. 2020, under review)

- At an equal flow rate arrival times and the amplitude of pulsating flow signals during infiltration in porous vs. non-porous network differ strongly (i.e. the arrival is delayed, where imbibition occurs)
- Higher flow rates result in earlier arrival times
- For a low flow rate a successive increase of the horizontal offset tends to increase arrival times, which is not apparent at higher rates

Analytical approach

Transfer-function

A transfer function accounts for characteristic flow partitioning into a horizontal fracture

$$arphi(t)=rac{dQ_1(t)}{dt}=-rac{dQ_f(t)}{dt}\,,$$

which can be approximated by a Gaussian

$$arphi(t) \propto rac{\exp\left[-rac{(t-\mu)^2}{2\sigma^2}
ight]}{\sqrt{2\pi\sigma^2}}\,,$$

$$\int\limits_{0}^{\infty} dt arphi(t) = 1\,.$$

(3)

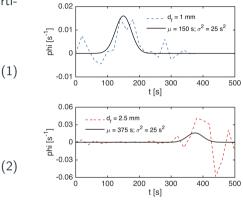


Figure 13: Normalized fracture inflow rate vs. time; $d_f = 1 \text{ mm}$ (Noffz et al. 2019)

Transfer-function

The total fracture outflow Q_{f,n_f} after n_f fractures is

$$Q_{f,n_{f}}(t) = Q_{0} \left[1 - \int_{0}^{t} dt_{n_{f}-1} \varphi(t-t_{n_{f}-1}) \cdots \int_{0}^{t_{3}} dt_{2} \varphi(t_{3}-t_{2}) \int_{0}^{t_{2}} dt_{1} \varphi(t_{1}) \right] .$$
(4)

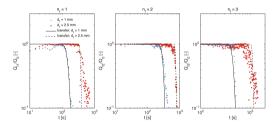


Figure 14: Normalized fracture inflow rate vs. time; $d_f = 1 \text{ mm}$ (Noffz et al. 2019)

- Predictive modeling by Gaussian transferfunction approximates the fracture filling with limitations
- "Tailing" not accurately recovered yet

Conclusion

Conclusion

- Gravity-driven free surface flow modes can be accurately delineated in analogue percolation experiments. Here, rivulet flow is shown the most effective wetting of an unsaturated horizontal fracture.
- Geometric alterations of the fracture intersection influence the bypass behaviour of droplets and rivulets (i.e. postive offsets further benefited a bypass).
- Application of Gaussian transfer-function recovers repetitive fracture filling and enables predictive modeling for rivulet flow, where imbibition with a porous matrix does not occur.
- Imbibition of a porous matrix tends to dampen the amplitude of discharge pulses and delays steady state conditions (i.e. inflow equals outflow rate).
- Hence, process-orientated analytical approaches demand further refinement to account for such effects across scales.

Outlook:

• To investigate the mass redistribution in natural settings it is planned to conduct further field percolation experiments in well characterized lime- and sandstone formations.

Questions? Contact me: tnoffz@gwdg.de