

# **The Effects of Cracks and Fluids on Post-Seismic healing**

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# Acknowledgements



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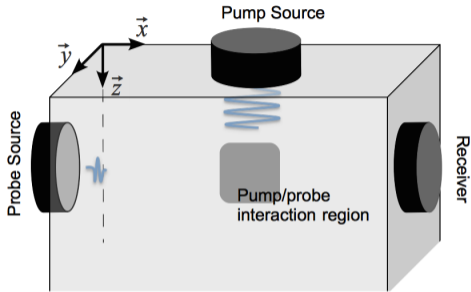


We observe changes in seismic velocity after large earthquakes.

## What parameters control these effects?

- “Comprehensive observation and modeling of earthquake and **temperature**-related seismic velocity changes in northern Chile with passive image interferometry.”  
Richter et al (2013)
- “The mechanism by which seismic velocities decrease in response to stress perturbations is commonly described as related to the **opening of cracks** (9, 10)”  
Brennguier et al. (2014).
- “The largest coseismic drops are observed close to the **fault zones**.”  
Hobiger et al, 2016

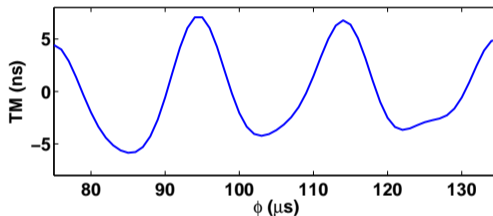
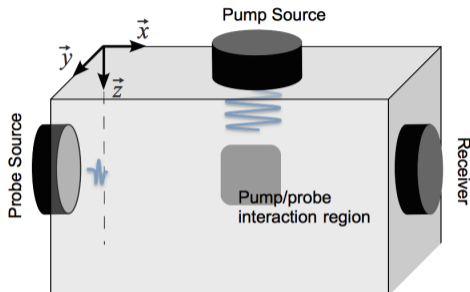
We design a lab experiment to look at these effects in more detail.



## Two waves:

- **PUMP (Proxy for earthquake):**  
 $\epsilon \sim 10^{-6}$  perturbs rock  
 $\lambda \approx 40$  mm
- **probe (Proxy for noise):**  
 $\epsilon \sim 10^{-8}$  senses perturbation  
 $\lambda \approx 6$  mm

$\epsilon$  – strain



- Strong **PUMP** wave slows weak **probe** wave
- Directly sense the PUMP with the probe
- Similar to Dynamic Acousto-Elasticity Testing (DAET, Renaud et al., 2012), but 2D rather than 1D
- More detail in Gallot et al., 2015, TenCate et al, 2016

# Making Measurements



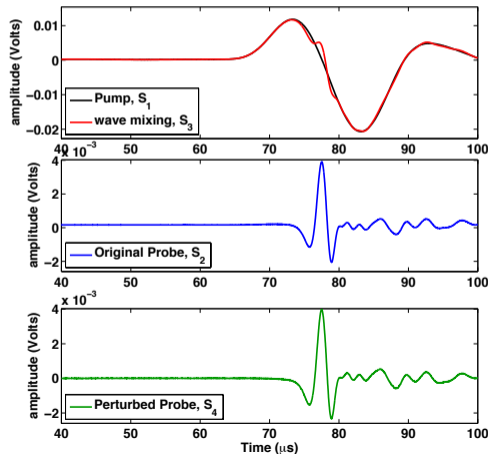
We measure a time delay in the probe as a function of the phase of the pump, which we control by controlling the timing between the pump and the probe. These two slides show two different values of  $\phi$ .

For transmission delay  $\phi$ , we record:

- 1 probe  $S_1$
- 2 PUMP  $S_2$
- 3 PUMP+probe  $S_3$

Compute:

- 1 perturbed probe:  $S_4 = S_3 - S_2$
- 2 time delay:
  - ▶  $S_4 * S_1$
  - ▶ interpolate peak
  - ▶ time delay( $\phi$ ) = peak time



# Making Measurements

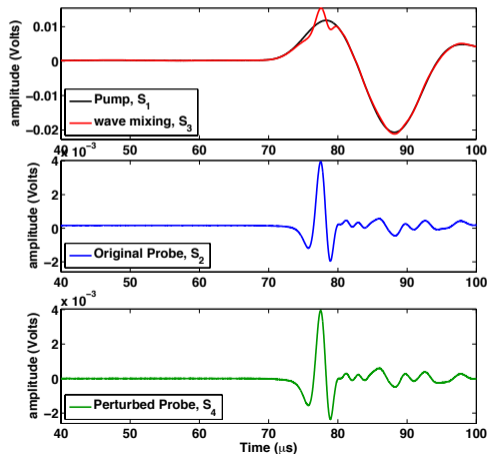
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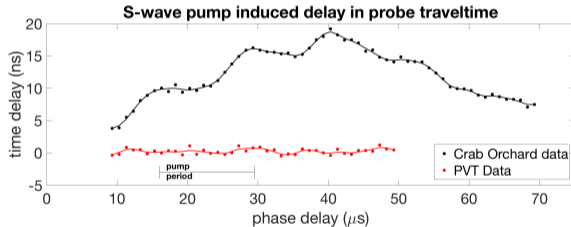
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First, we verify that we see an effect, and that the effect is in the rock and not the apparatus, by comparing the data in a linear material (PVT, a type of plastic) and a rock (Crab Orchard Sandstone). The x-axis is the  $\phi$  from above, which is the time delay between the release of the PUMP wave and the release of the probe wave. Changing  $\phi$  changes the part of the PUMP waveform that the probe senses.



## Conclusion:

- The nonlinear effect is in the rock, not the apparatus

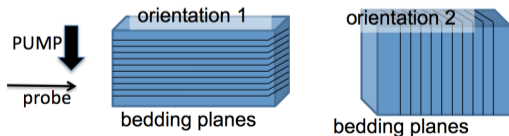
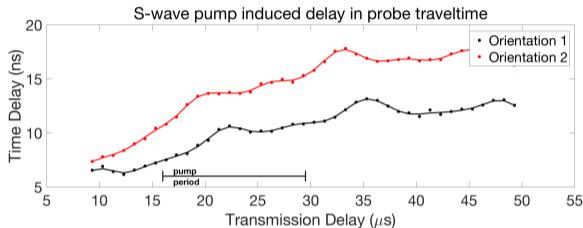
## Observations:

- We see two frequencies in our data:
  - ▶ One is at the PUMP frequency (74 kHz)
  - ▶ One is at a much lower frequency ( controlled by the envelope of the pump)



**We have looked at how several rock and experimental parameters change our experimental results**

- **Crack orientation (experimental and modelled)**
- **Applied load (experimental and modelled)**
- **Humidity**



## Observations:

- The part of the signal at the frequency of the PUMP envelope is affected by crack orientation

## Questions:

- Why is the high-f signal not affected?
- Can we explain these results with changes only in cracks?
- Are there field datasets where we might see this kind of orientation difference in velocity perturbations?

# Modeling Velocity Change



We model the experiment by calculating the change in **probe wavespeed**,  $V_p$  as a function of the **strain in the PUMP**,  $\epsilon_{ij}$ . We model the PUMP propagation with the standard five-constant nonlinearity model and the cracks with linear slip theory.

$$V_p = \sqrt{\frac{1}{\rho} (\lambda + 2\mu + 2[(B + C)(\epsilon_{11} + \epsilon_{22}) + (A + 3B + C)\epsilon_{33}] )}$$

$V_p$ : P-wave speed

$\rho$ : mass density

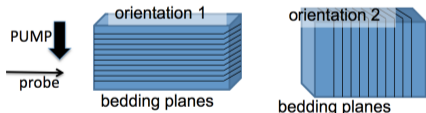
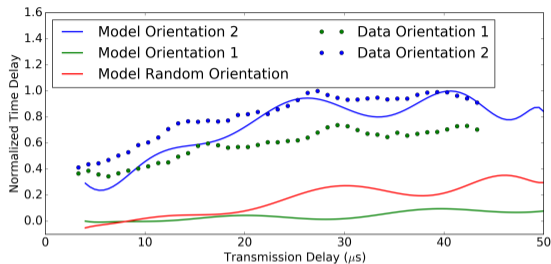
$\lambda, \mu$ : Lamé parameters

$A, B, C$ : 3<sup>rd</sup>-order moduli

$\epsilon$ : strain tensor

More details: Rusmanugroho et al, 2020

# Modeling Velocity Change



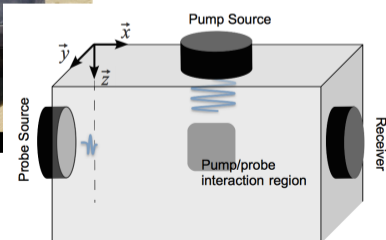
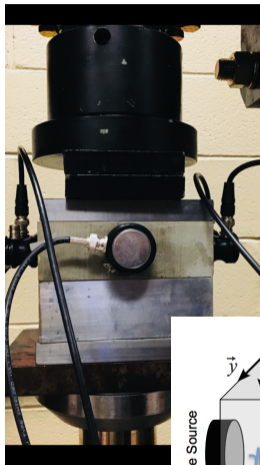
## Questions:

- Why is the high-f part of the signal independent of orientation?
- What do we stand to gain by using a more realistic nonlinearity model?

## Observations:

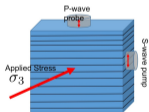
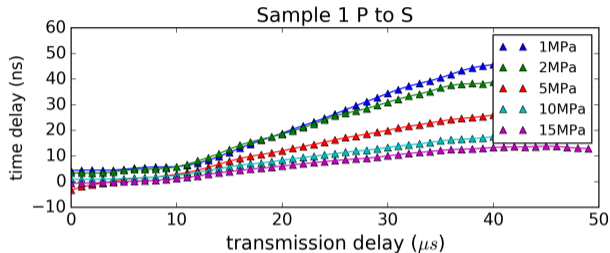
- The basic structure is well-captured, but the details are not. This is perhaps because our rock is more complicated and our source/receive model simpler than reality.
- Our model shows a much larger change due to orientation than do our data. This indicates that it is likely there are more than one set of fractures in the sample.
- In both the data and the model, the signal at the PUMP frequency is independent of orientation.

# Applying Uniaxial Load



- We apply a range of values of uniaxial stress, with the load held steady at each stress.
- Up to  $\approx 18$  MPa
- 4 experiments
  - ▶ 2 samples, with different fracture orientations
  - ▶ P and S probes

More details, Hayes et al, 2018



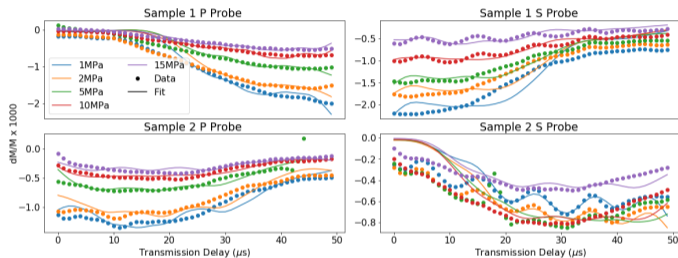
## Observations:

- Our signal shrinks as we increase the load.
- This is independent of PUMP/probe/fracture orientation (other data not shown).

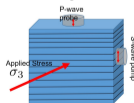
## Questions:

- The signal decreases even with a load where we would expect the fractures to open (applied stress  $\perp$  to fracture normals). Why are they still closing? Or are we simply not sensing them open?

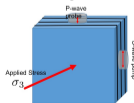
## Fit data to Sens-Schönfelder's (2019) model.



Sample 1



Sample 2



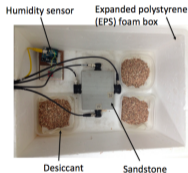
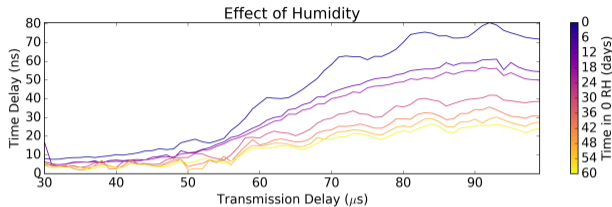
## Observations:

- Capture trend on all data
- Capture details on some data
- Conspicuously missing  $|\epsilon|$  dependence (no signal above PUMP frequency,  $|\epsilon|$  should be at twice the PUMP freq)

## Questions:

- We see only some of the mechanisms seen in DAET. Why?

# The effect of humidity



## Questions:

- What is the pore-scale mechanism? Are we breaking and re-attaching water bridges across pores?

## Observations:

- We see a significant drop in the nonlinear signal as a function of humidity.
- The amount of water in the sample is very small, but enough to potentially cover all of the pore surface with a single water molecule.
- The effect is once-again primarily in the signal at the PUMP envelope frequency not at the frequency of the PUMP itself.



- Cracks completely dominate the nonlinear effect
- Low-f signals decrease under applied load  $\Rightarrow$  closing fractures? Easier crossing of connections?
- Higher-f signals show no consistent trend
- Simple models can capture the trends, even without detailed experimental matching.
- Humidity has a strong effect, even though only very small amounts of water move around, but again only on the low-frequency part of our signal.

References in **red** are our papers, that pertain directly to these experiments, other references give motivation and background information.

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