

Geophysical subsurface modelling based on the updated, enhanced regional gravity field solution in Antarctica

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Motivation



Fig. 5: taken from Bird et al. (2003, <u>https://doi.org/10.1029/2001GC000252</u>). Plates: SL – Shetland, SC – Scotia, SW – Sandwich, AN – Antarctica, SA – South America

The Antarctic continent plays a major role in many geoscientific studies including e.g. plate tectonic reconstruction, GIA (glacial isostatic adjustment) modelling and climate change. In these studies the thickness of the ice sheet, subglacial topography, thickness of the sedimentary basins and the topography of the Mohoroviĉić discontinuity (Moho) are important parameters.

Still, in Antarctica it is extremely difficult to carry out geoscientific studies due to its harsh environment and difficult logistics. Additionally, the up to 5 km thick ice sheet complicates most geoscientific studies (e.g. surface geology, seismics, ...). Gravity field measurements are also difficult. Still, a large database of airborne, shipborne and ground measurements exists.

Subsurface modelling based on gravity data and constraint with results from other methods is therefore not only possible, but also very helpful to study the aforementioned boundaries on continent-wide scales.



Fig. 6 Structure of Antarctica (©CPOM/UCL/ ESA/Planetary Visions)



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I) New gravity field solution





Fig. I.1: Gravity disturbance calculated within the project AntGrav. Solid black box: model area of (<u>Weddell Sea</u> <u>model</u>). Dashed black box: model area of (<u>Queen Mary Land</u> <u>model</u>)

In the framework of IAG Subcommission 2.4f "Gravity and Geoid in Antarctica" (AntGG) a large database of airborne, shipborne and ground based gravity data has been compiled. Especially airborne data have been acquired during recent years, among others in the polar gap of satellite gravity data. Now, in a joint project funded by the German Research Foundation (DFG) all existing and new gravity data were processed to infer an enhanced gravity field solution for Antarctica.

 For further information on the validation and preprocessing of the gravity data refer to:

* Zingerle et al., 2019. Evaluation of terrestrial and airborne gravity data over Antarctica – a generic approach.

https://doi.org/10.1515/jogs-2019-0004

 Also, within the AntGrav-project the well known collocation method was improved (e.g. in order to process these large amounts of data, including other improvements).

For more details refer to:

* Zingerle et al. 2021. A partition-enhanced least squares collocation approach (PE-LSC), J. Geod. in review.

 Processed data e.g. gravity disturbances at constant height and other functionals will be provided on a regular grid with 5 km grid spacing. The results will be published this year.

Look out for:

* Scheinert et al. 2021 (in prep.).

Refer also to these EGU 2021 contributions:

- Zingerle et al. 2021. Integrating NGS GRAV-D gravity observations into high-resolution global models. EGU21-7955
- Scheinert et al. 2021. <u>Towards an updated</u>, <u>enhanced regional gravity field solution for</u> <u>Antarctica</u>. EGU21-9873



TECHNISCHE UNIVERSITÄT II.1) Gravity forward modelling – Weddell Sea (WS) DRESDEN

Underneath the Antarctic shelf ice large sedimentary basins are known to be present (e.g. Straume et al. 2019 https://doi.org/10.1029/2018GC

008115, Fig. II.1.1). But, their extend and thickness are still not known in detail.

In continent wide compilations (e.g. Bedmap2, Fretwell et al. 2013, https://doi.org/10.5194/tc-7-375 -2013) they are mostly not considered.

In Antarctica the largest sediment basin is present in the Weddell Sea area. In the framework of the AntGrav project we use gravity forward modelling with IGMAS+ (Götze und 1988 http://dx.doi.org/10.1190/1.1442546; Lahmeyer Schmidt et al. 2020 https://doi.org/10.5194/egusphereegu2020-8383) to study this sediment basin in more detail.

The model also includes the Antarctic Peninsula, parts of the Antarctic continent (Ellsworth Land, Coats Land), the Filchner Fig. II.1.1: Sediment thickness from and Ronne ice shelfs and adjacent Seas (e.g. Bellingshausen GlobSed (Straume et al. 2019). Black box: Sea) (Fig. II.1.4) and is based initially on data from Bedmap2, study area of the WS- model. GlobSed and Pappa et al. 2019 (Moho und LAB, https://doi.org/10.1029/2019|B017997).

Fig. II.1.3: Cross-section through the WS- model. Dashed orange line: calculated gravity effect of the WS- model. Solid blue line: Free-air gravity disturbance of the enhanced gravity model. Thinner field dashed red line: Difference between measured and





Fig. 11.1.4: Gravity disturbance of the study area.



IGMAS+

Weddell Sea

Bellingshausen

Coats Land



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0



calculated gravity.

TECHNISCHE UNIVERSITÄT II.2) Gravity forward modelling – Queen Mary Land (QML) DRESDEN

The enhanced gravity field solution shows an interesting anomaly in the area of Queen Mary Land (dashed black circle in Fig. II.2.1).

In the same area, the bedrock topography of Bedmap2 (Fretwell et al. 2013 https://doi.org

/10.5194/tc-7-375-2013, Fig. II.2.2) shows a small valley. Still, the depth of the valley in Bedmap2 alone does not explain this pronounced gravity low. Interestingly, the Indo-Australo-Antarctic suture is assumed to be in this area (grey boxes in Figs II.2.1 and II.2.2). It's exact location remains unknown. A 3D subsurface model (Figs II.2.3 and II.2.4) built in IGMAS+ (Götze und Lahmeyer 1988 <u>http://dx.doi.org/10.1190/1.1442546;</u> Schmidt et al. 2020) https://doi.org/10.5194/egusphere-egu

2020-8383 will, hopefully, help to shed light into the origin of this peculiar anomaly. The model is based on data from Bedmap2, GlobSed and Pappa et al. 2019 (Moho und LAB, https://doi.org/10.1029/2019[B017997)



DFG-SCHWERPUNKTPROGRAMM 115 NTARKTIS ORSCHUNG Fig. II.2.2: Bedrock topography from Bedmap2 (Fretwell et al. 2013). Dashed black box: study area of QML- model. Solid grey box: area in which the Indo-Australo-Antarctic suture is assumed to be present.

Queen Mary Land Wilkes Land

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Fig. II.2.1: Gravity disturbance (at h_{ellins} = 5 km) of the enhanced gravity field model. The black circle highlights the peculiar anomaly in the gravity field. Sold grey box: Area in which the Indo- Australo- Antarctic suture is assumed to be present.

Fig. II.2.3: 3D subsurface model of Queen Mary Land and Davis Sea (QML- model). The Bouguer gravity disturbance of the study area is shown above the model.



Fig. 11.2.4: Cross-section QML- model. through the Dashed orange line: calculated gravity effect of the QMLmodel. Solid blue line: Bouguer gravity disturbance of the enhanced gravity field model. Dashed red line (at top): Difference between measured and calculated gravity.





III) Parker-Oldenburg Inversion (POI)



Parker-Oldenburg Inversion (Oldenburg 1974. The Inversion and Interpretation of gravity anomalies. Geophysics. 39) is a well established method for the inversion of gravity data for the geometry of a given layer. As can be seen in Eq. 1 two parameters have to be known (or estimated) in order to calculate a plausible topography: the density contrast across the interface (ρ) and the average depth (z_0).

Additionally the gravity data has to be low-pass filtered, since high frequency noise makes the inversion highly unstable. On the other hand, the gravity field correlates with topography only at medium wavelengths (< approx. 300 km). Therefore, the resulting topography (Δ h) will be band-pass limited. Short wavelengths cannot be recovered. Long wavelengths can be inferred from a regional model. (Here, we use bedmap2, Fretwell et al. 2013 <u>https://doi.org/10.5194/tc-7-375-2013</u>).

Workflow

- 1) Pre-processing
 - Input: gravity disturbance at h_{ellips} = 5 km (Fig. 1.1)
 - > Apply circular window (Fig. III.1)
- 2) Set different densities and average depths
- 3) Inversion
 - ≻ Calculate ∆h according to Eq. 1 (Fig. III.2)
 - Compare to band-pass filtered bedmap2 with weighted standard deviation (Fig. III.3)
 - Add long wavelengths from lowpass filtered bedmap2 (Fig. III.4)

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$$\mathcal{F}[h(x)] = -\frac{\mathcal{F}[\Delta g(x)]e^{|k|z_0}}{2\pi G\rho} - \sum_{n=2}^{\infty} \frac{(|k|^{n-1})}{n!} \mathcal{F}[h^n(x)]$$

Eq. 1: Parker-Oldenburg Inversion (Oldenburg 1974). Δh : topography of the inverted boundary (with respect to a mean), Δg : gravity (disturbance), k: wavenumber, z_0 : average depth, ρ : density contrast, G: gravitational constant, \mathcal{F} : Fourier transform.



Fig. III.1: Tukey windowed gravity data as input for POI





Fig. 111.3: weights for the calculation of the standard deviation. Based on Bedmap2 – distance to nearest datapoint (Fretwell et al. 2013)



Fig. III.4: final inversion result

