

# Combined rainfall estimates from personal weather station and commercial microwave link data in Germany



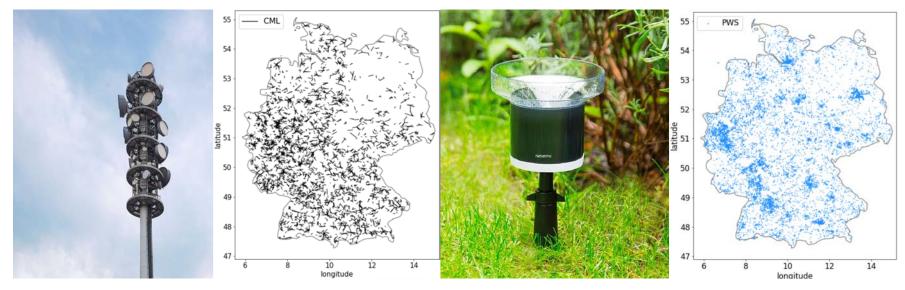
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# **Opportunistic sensors (OS) can be used to for rainfall monitoring**





Commercial Microwave Links (CMLs)

- ~ 4000 CMLs
- fixed set of CMLs with custom real time application<sup>1</sup> together with Ericsson
- 10 to 40 GHz with 0.3 to 30 km length

Personal Weather Stations (PWSs)

- ~ 20,000 PWSs from netatmo
- number of PWSs is increasing

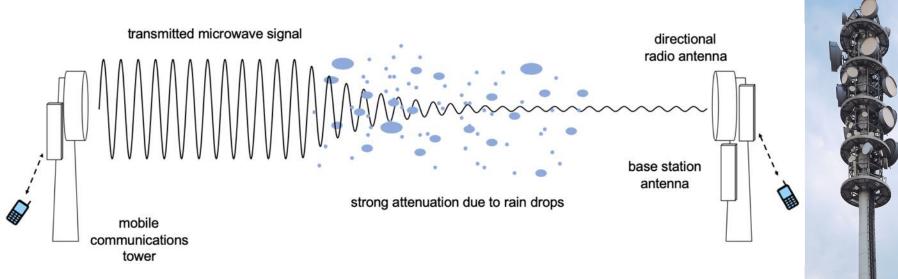
Other examples from a growing number of opportunistic sensor for environmental monitoring

- Smart phones
- Windshield wipers
- Satellite TV link path
- Surveillance cameras

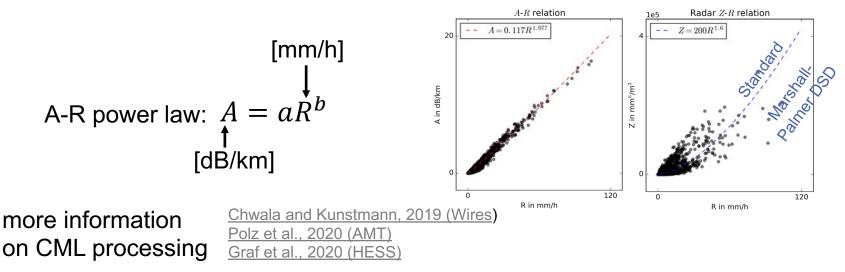
- $\rightarrow$  temperature, pressure, light
- ightarrow rainfall binary info from windshield wipers
- $\rightarrow$  rainfall
- $\rightarrow$  rainfall

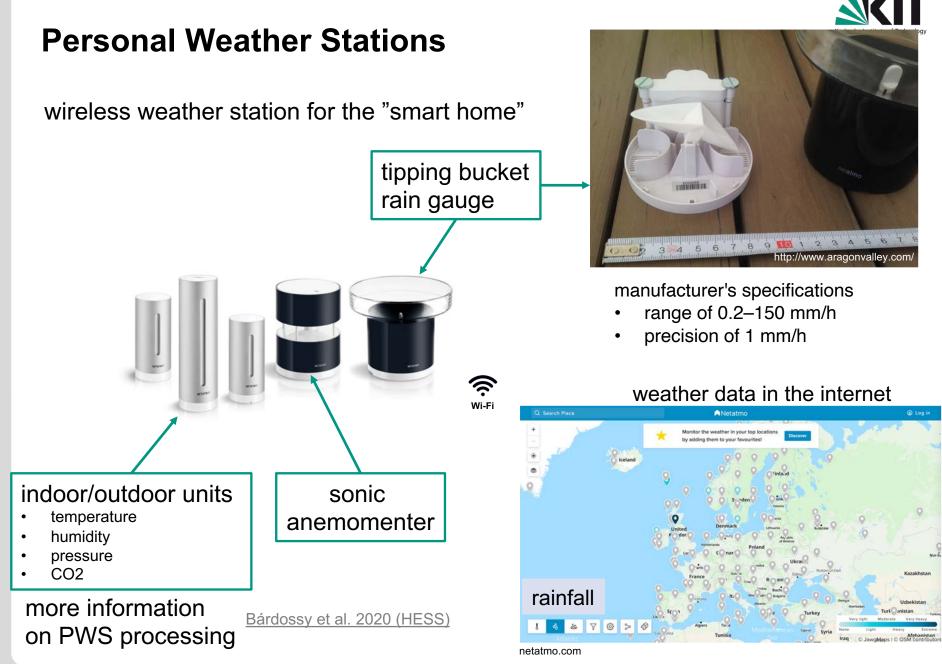


## **Commercial Microwave Links**



 $\rightarrow$  Relation between attenuation and rain rate is defined as







## **Evaluating rainfall estimates through scales**

#### What are the challenges?

- an adequate quality control routine has to be used for opportunistic sensors
- $\rightarrow$  remove only as much data as necessary to profit from high number of sensors
- find suitable reference data sets to evaluate rainfall estimates from OS

#### **Concept of evaluation**

- 7 interpolated products with hourly resolution which consist of PWS, CML and DWD<sup>1</sup> and their combinations
  evaluation of 7 interpolated products for 3 scales
- Analysed period: April October 2018 and 2019

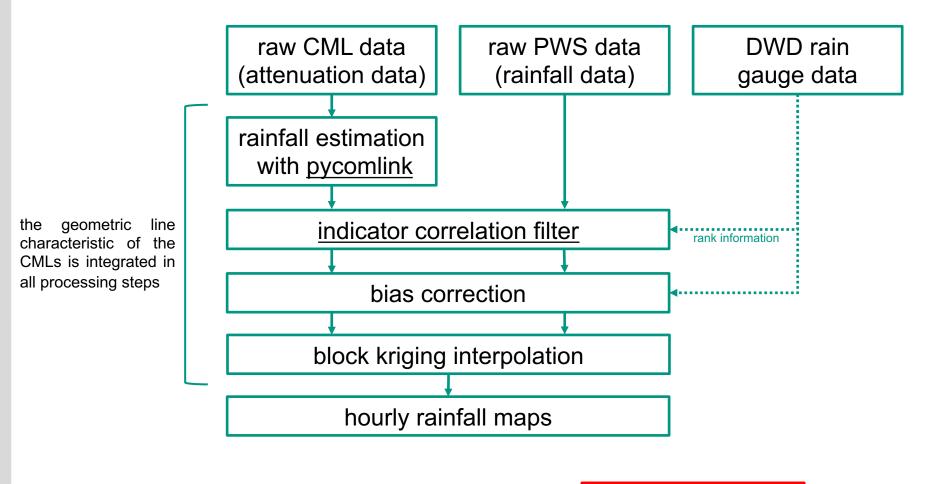
scale	region	temporal	n stations	data provider
country	Germany	daily	1062	DWD <sup>1</sup>
regional	Rhinland- Palatinate	hourly	169	Agrometeorological Agency of Rhinland-Palatinate
local	Reutlingen	hourly	12	Municipality of Reutlingen



<sup>1</sup>DWD<sub>daily</sub>  $\neq$  DWD<sub>hourly</sub>, these are two different gauge dataset from different locations



## **Processing and Interpolation**



Detailed explanation and discussion of the block kriging approach:

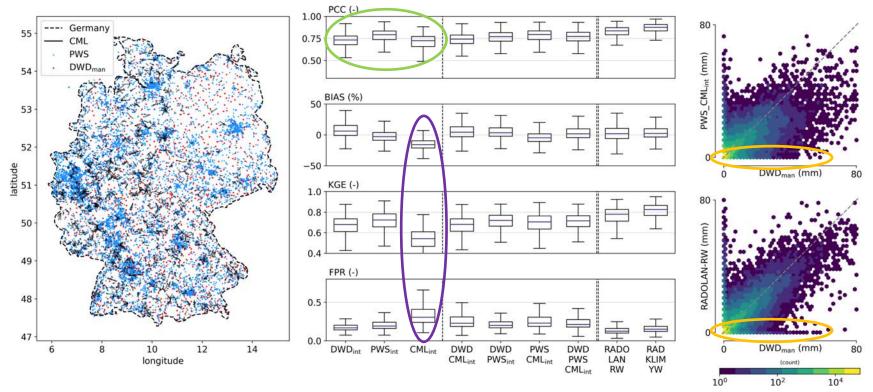
Session HS 7.2 Fri, 30 Apr, 11:35–11:37

**Eisele, M**., et al.: Rainfall estimates from opportunistic sensors in Germany across spatio-temporal scales – Geostatistical interpolation framework, EGU General Assembly 2021, online, 19–30 Apr 2021, EGU21-12415, <u>https://doi.org/10.5194/egusphere-egu21-12415</u>, 2021.



#### **Country-wide, daily scale: Germany**

performance of interpolated products for 1062 manual, daily rain gauges from DWD ( $DWD_{man}$ )



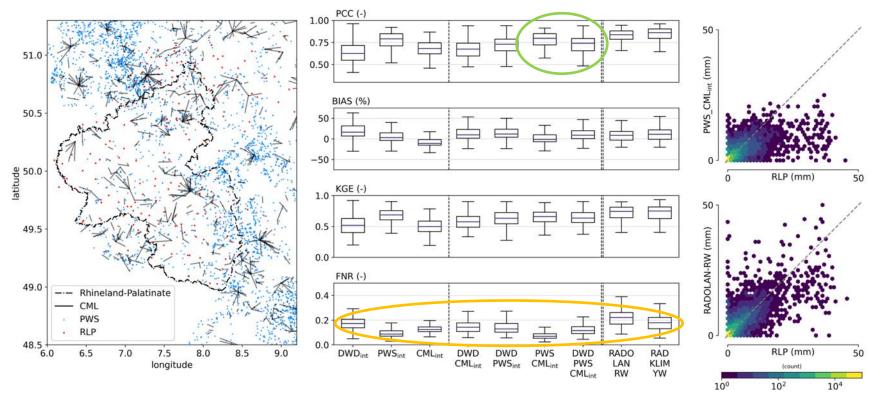
- OS products correlate similar or better to the reference than one of DWD rain gauges
- OS have less false negatives than radar products, especially for higher rainfall sum
- interpolated CMLs show a negative bias and high false positive rate mainly due to their uneven distribution in relation to the DWD<sub>man</sub> gauges

PCC: Pearson's Correlation Coefficient KGE: Kling Gupta Efficiency FPR: False Positive Rate RADOLAN-RW/RADKLIM-YW: radar products from DWD



## Regional, hourly scale: Rhineland-Palatinate

performance of interpolated products compared to 169 hourly rain gauges operated by the Agrometeorological Agency of Rhinland-Palatinate (RLP)



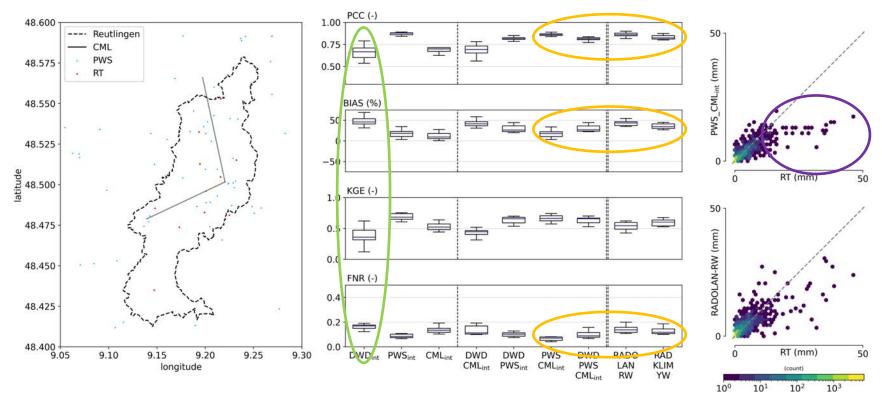
- combination of OS performs better than combination of OS with DWD
- False negative rate of OS and combinations is lower than DWD or radar
- Even though OS do not measure at the validation stations (RLP) they perform reasonable in comparison to radar measurements at such locations

PCC: Pearson's Correlation Coefficient KGE: Kling Gupta Efficiency FPR: False Positive Rate RADOLAN-RW/RADKLIM-YW: radar products from DWD



#### Local Scale: Reutlingen

performance of interpolated products compared to 10 hourly rain gauges operated by the Municipality Reutlingen (RT)

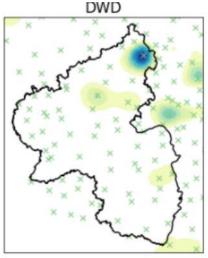


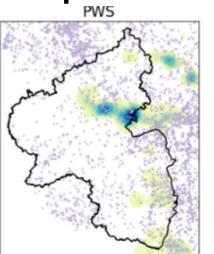
- with sparse spatial coverage (no gauge in the Figure), interpolated DWD gauges perform worse than OS for this local example
- OS an combinations are able to hold up and even outperform radar products, while PWS have better correlation, CML improve the bias
- the highest events are all captured but underestimated by

PCC: Pearson's Correlation Coefficient KGE: Kling Gupta Efficiency FPR: False Positive Rate RADOLAN-RW/RADKLIM-YW: radar products from DWD



## Rainfall map example for one hour

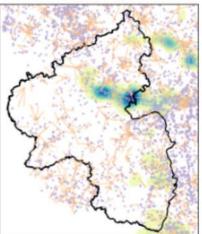


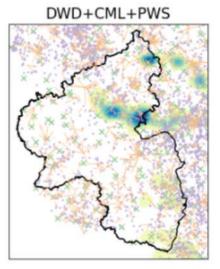


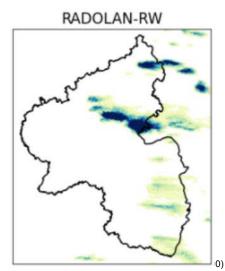
CML

Traditional gauge networks are sparse and rainfall fields influenced by the network layout

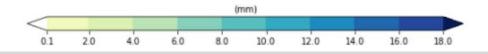
CML+PWS





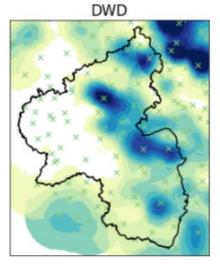


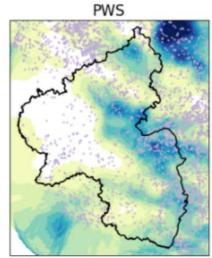
OS can can better capture local rainfall structure



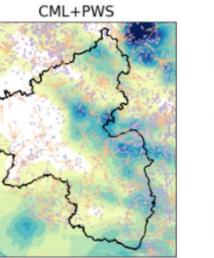


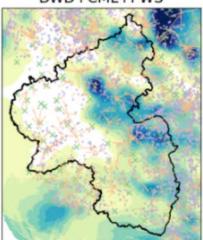
## Rainfall map example for one day

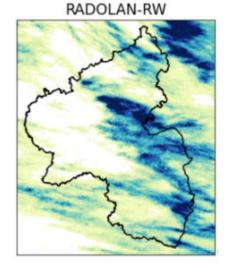




DWD+CML+PWS



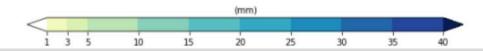




CML

OS networks have irregular coverage

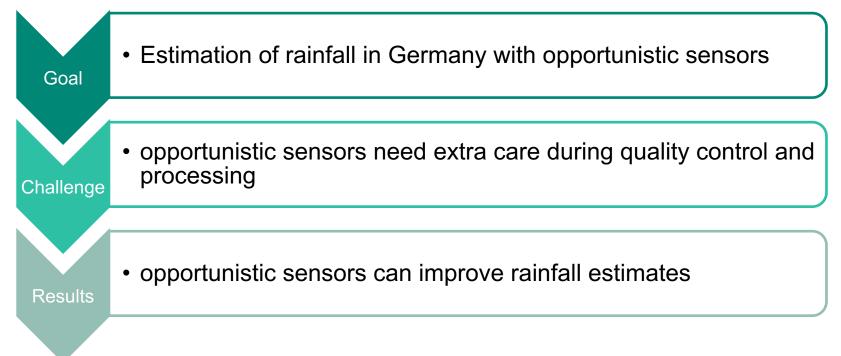
but still can help refine rain events spatially

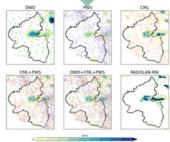




### Conclusion







#### Outlook

- use high temporal resolution (5 minutes) of OS
- refine filtering routines
- use OS derived rainfall estimates for hydrological modelling



#### **Acknowledgments**



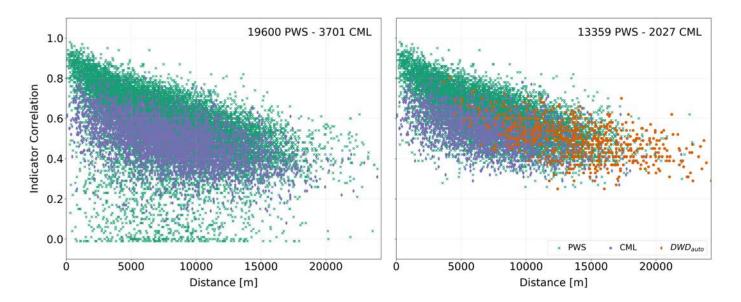
We want to thank Ericsson Germany, in particular the IT team ,for their support with the CML data acquisition

and HGF, DFG and BMBF for funding and support of our research.



#### **Indicator correlation filter**

#### indicator correlation (IC): rank correlation of individual PWS, CMLs or DWD<sub>auto</sub> to their next neighbors

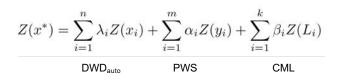


PWS and CML are removed when their IC is lower then the IC with the next DWD<sub>auto</sub> station



## Interpolation Framework: (Block-) Kriging

#### Include uncertainty of opportunistic sensors



$$\sum_{i=1}^n \lambda_i + \sum_{i=1}^m \alpha_i + \sum_{i=1}^k \beta_i = 1$$

#### Account for line characteristic of CMLs

$$\bar{\gamma}(x_i, L_j) = \frac{1}{|L_j|} \int_{L_j} \gamma(x_i, u) \, du$$
$$\bar{\gamma}(L_i, L_j) = \frac{1}{|L_i||L_j|} \int_{L_i} \int_{L_j} \gamma(u, v) \, du \, dv$$

abbreviation	input data	
$\mathrm{DWD}_{\mathrm{int}}$	$\mathrm{DWD}_{\mathrm{auto}}$	
$\mathrm{PWS}_{\mathrm{int}}$	PWS	
$\mathrm{CML}_{\mathrm{int}}$	CML	
$\rm DWD\_CML_{\rm int}$	$DWD_{auto}, CML$	
$\rm DWD\_PWS_{int}$	$DWD_{auto}, PWS$	
$\rm PWS\_CML_{int}$	PWS, CML	
$\rm DWD\_PWS\_CML_{int}$	$DWD_{auto}$ , PWS, CML	