

Using CMIP6 PI simulations to test significance of the AMOC trend seen by RAPID

(D Straub, C Dufour, R Kelson)
McGill

Does the observed (2004-2020, -0.14 Sv/yr) trend seen by RAPID stand out relative to natural variability?

Use CMIP6 simulations for an estimate of natural variability. <u>Problems</u>:

- the models underestimate variability
- the models largely disagree

Method

Chose 22 of the 50 PI simulations that give good ballpark estimates (+/- 10 Sv) of AMOC strength

Construct PDFs of "Fake News Trends"

Check whether the RAPID trend is an outlier

-short term trends evident -variance typically under-represented on observational time scales

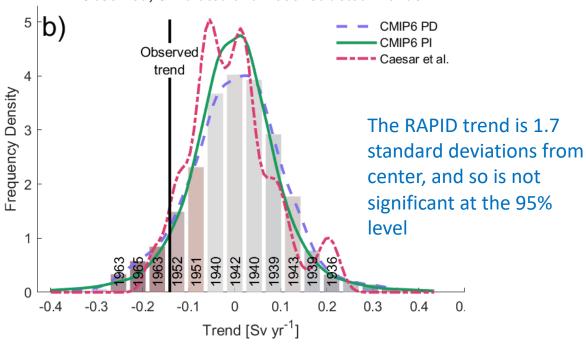
Pre-Industrial Control AMOC strength ACCESS + 0 Sv CNRM + 5 Sv NOR + 10 Sv NOR + 10 Sv 20 15 10 20 40 60 80 100 120 140 160 180 200 Year

Orange: ACCESS-CM2 Maroon: CNRM-ESM2-1

Blue: NorESM2-MM

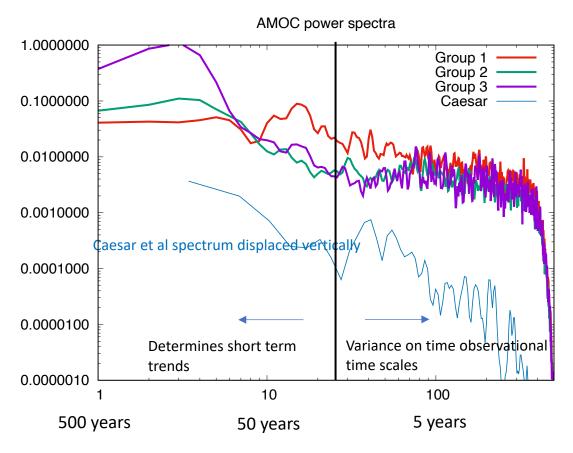
PDFs for PI, Historical and a reconstruction by Caesar et al. (2018)





Years in PD bin boxes are means for (middle) years of windows giving a given trend (more negative trends occur later in the PD simulations)

Frequency spectra, trend PDFs, and variability



Vertical line is 16-year period (i.e., length of RAPID time series)

Models underestimate variability (not enough energy in periods shorter than 16 years)

Disagreement between models at low frequencies

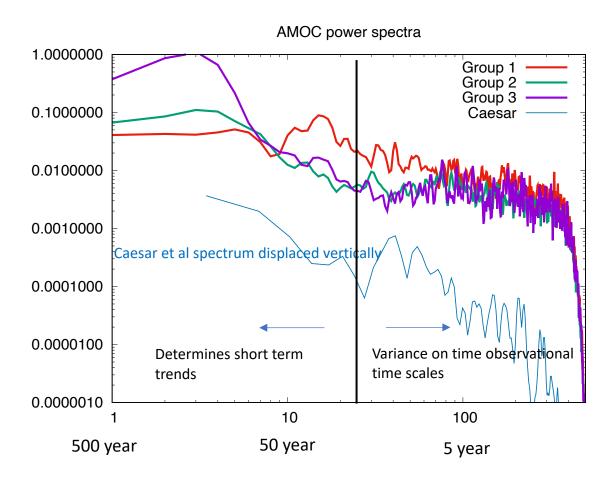
It is the low frequencies that determine trend PDFs

Groups based on how quickly trend PDFs narrow with increasing segment length used to infer the trends

Group 1 narrows quickly

Group 3 narrows slowly

Observed variability, short-term trend variability, and frequency spectra



Assume AMOC strength a(t) has a Fourier representation

$$a(t) = \sum_{1}^{N} A_n \sin(\omega_n(t - t_0) + \phi_n)$$

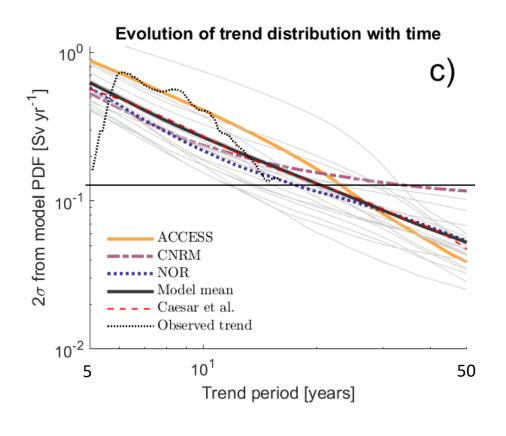
$$\frac{da}{dt} = \sum_{1}^{N} \omega_n A_n \cos(\omega_n (t - t_0) + \phi_n),$$

Short term trends correspond (roughly) to truncated versions of the da/dt series

Approximate trend PDFs can be constructed by averaging the truncated for different choices of the random phase angles

Detectability Threshold vs observation length

(calculated using PI time series; using spectra gives similar results)



Group 1 (e.g., ACCESS), detectability threshold drops off quickly with increased window length

Group 3 (e.g., CNRM) threshold does not drop off much for increased window length

Group 2: in between

