

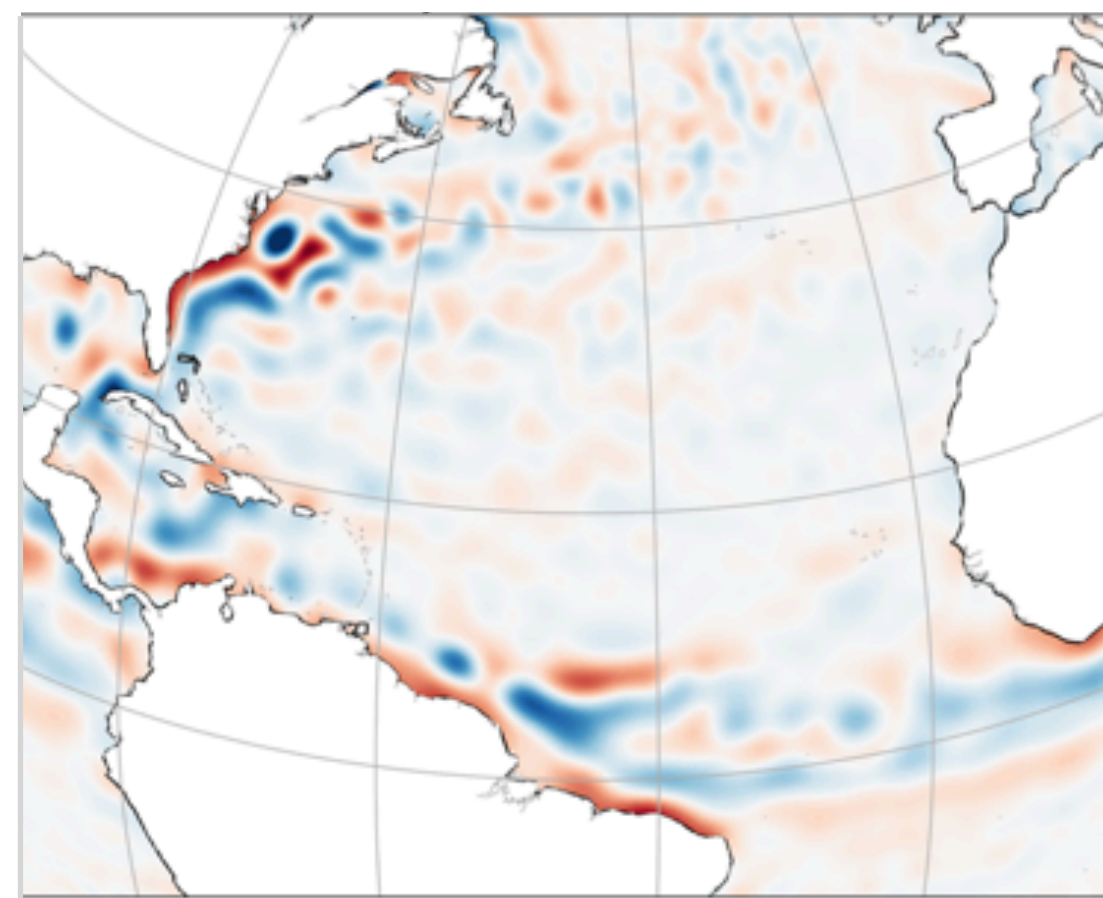
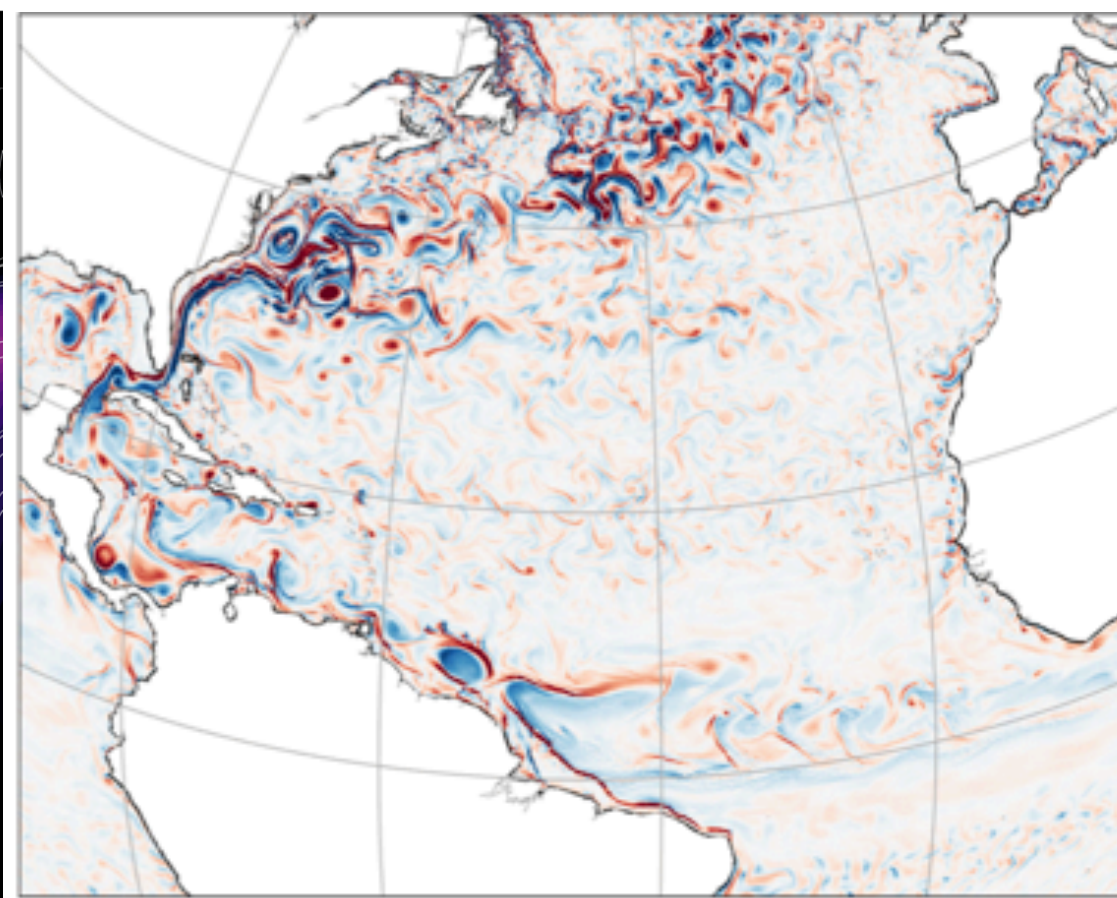
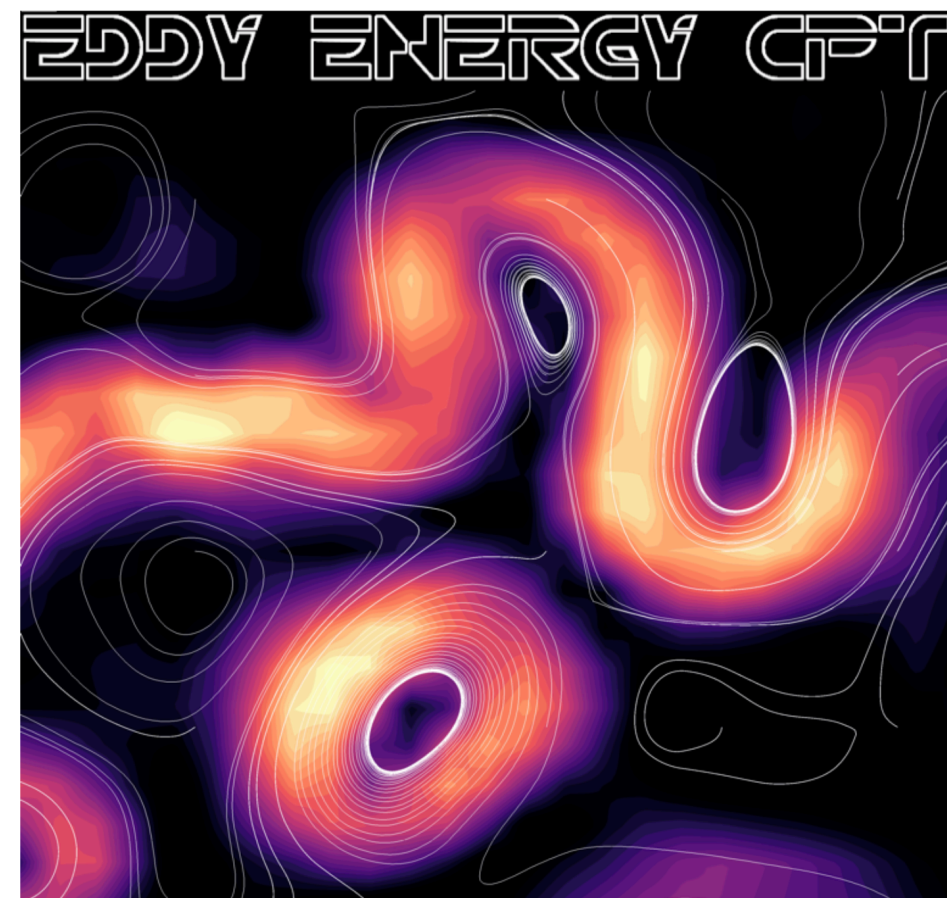
Seasonality of the Mesoscale Inverse Cascade

as Inferred from Global Scale-Dependent Eddy Energy Observations

<https://doi.org/10.1175/JPO-D-21-0269.1>

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<https://jakesteinberg.github.io>



WOODS HOLE
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<https://ocean-eddy-cpt.github.io>

@Nora Loose: <https://gcm-filters.readthedocs.io/en/latest/>

Context and Motivation

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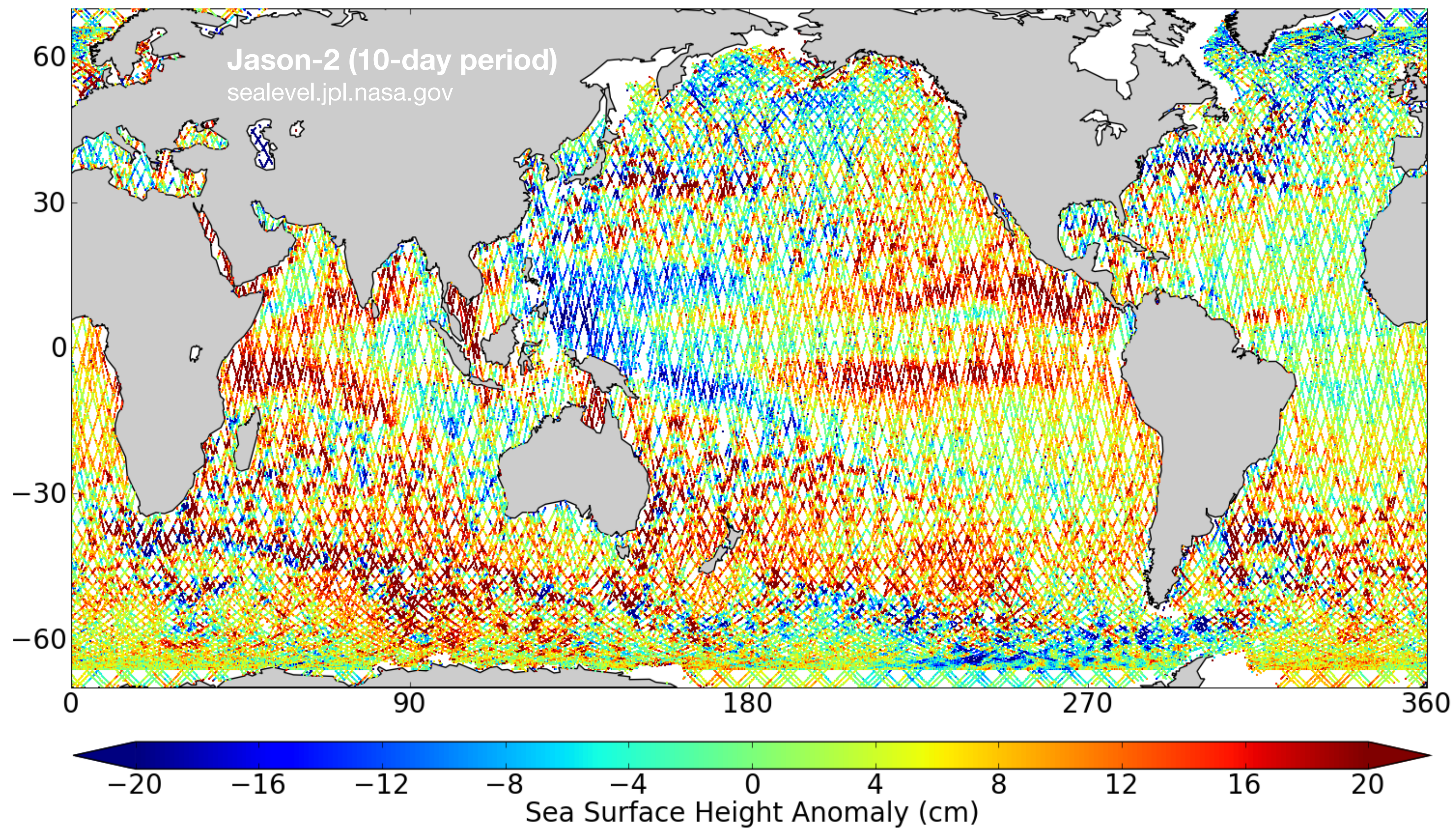
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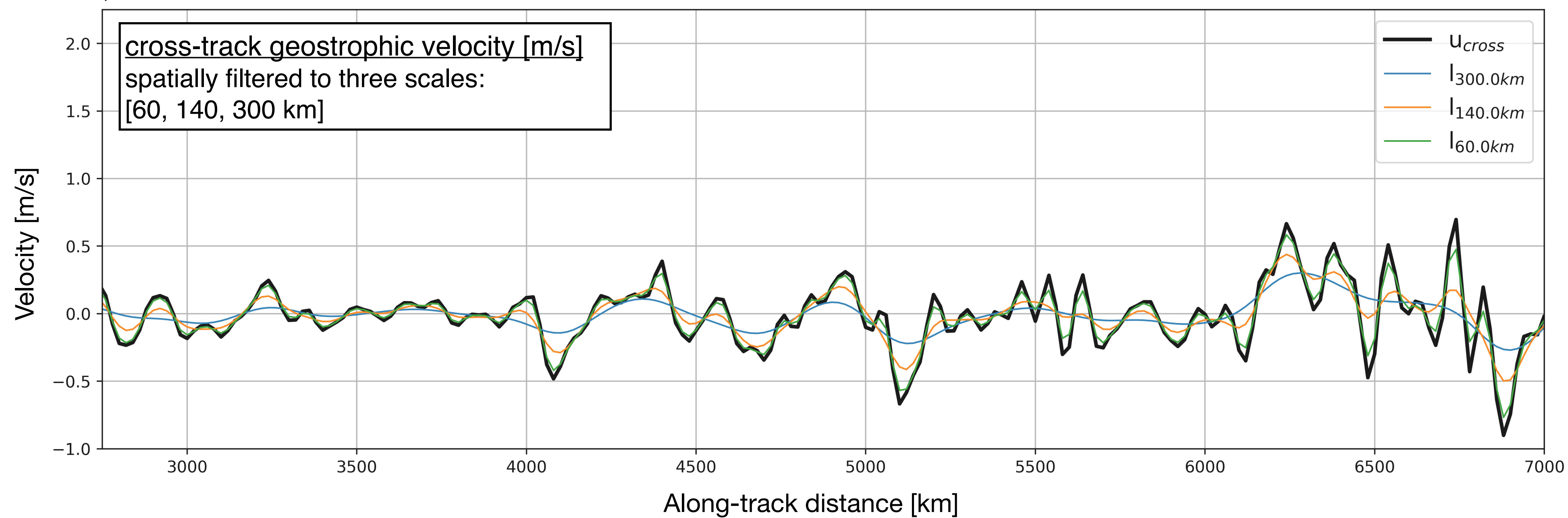
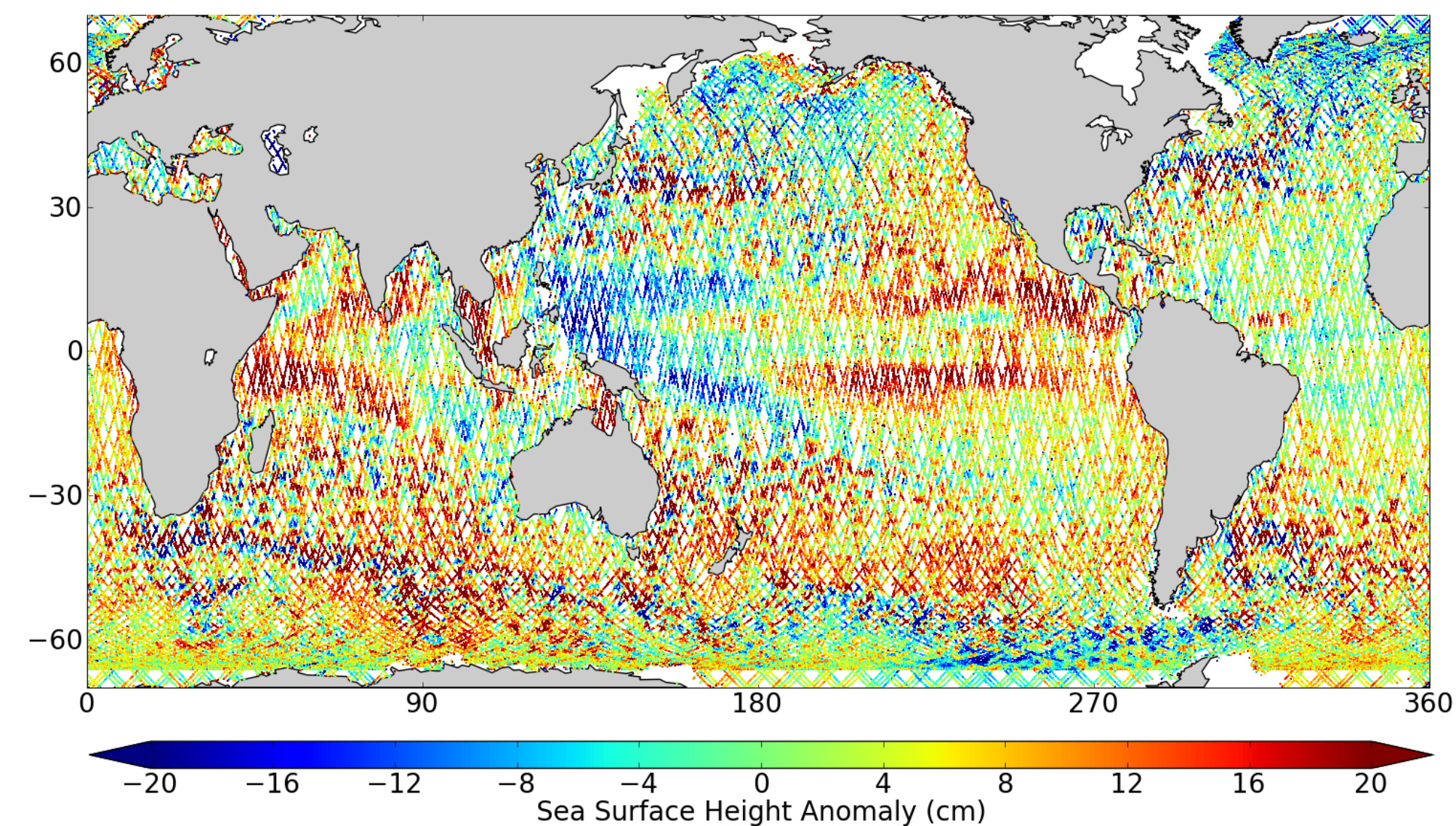
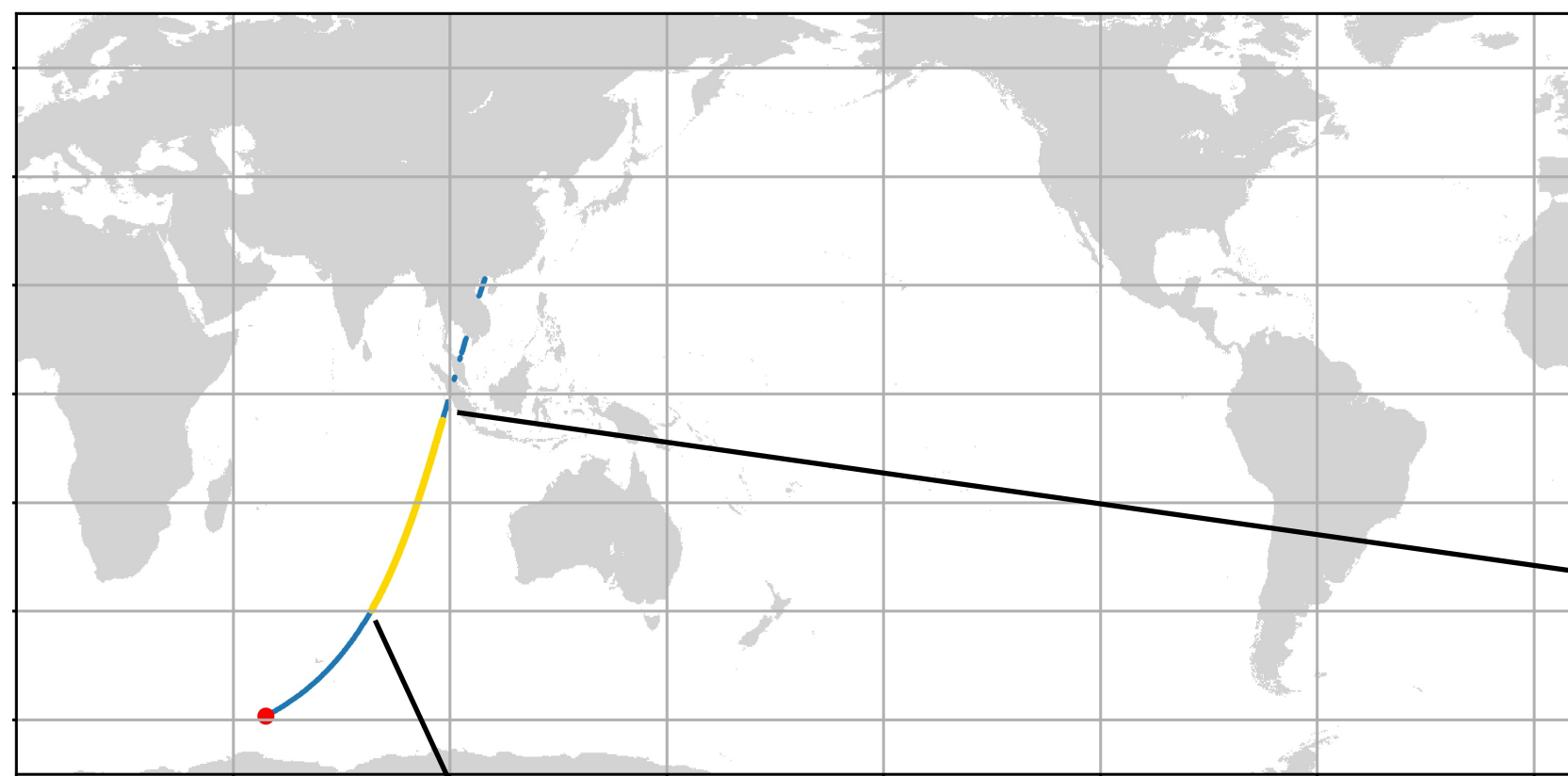
Approach (using observations to help)

- decompose satellite altimeter-derived estimates of surface KE into contributions per horizontal scale [KE \rightarrow mean + eddy = MKE + EKE]

$$EKE_l = \langle u^2 \rangle_l - \langle u \rangle_l^2$$

- detail temporal variability



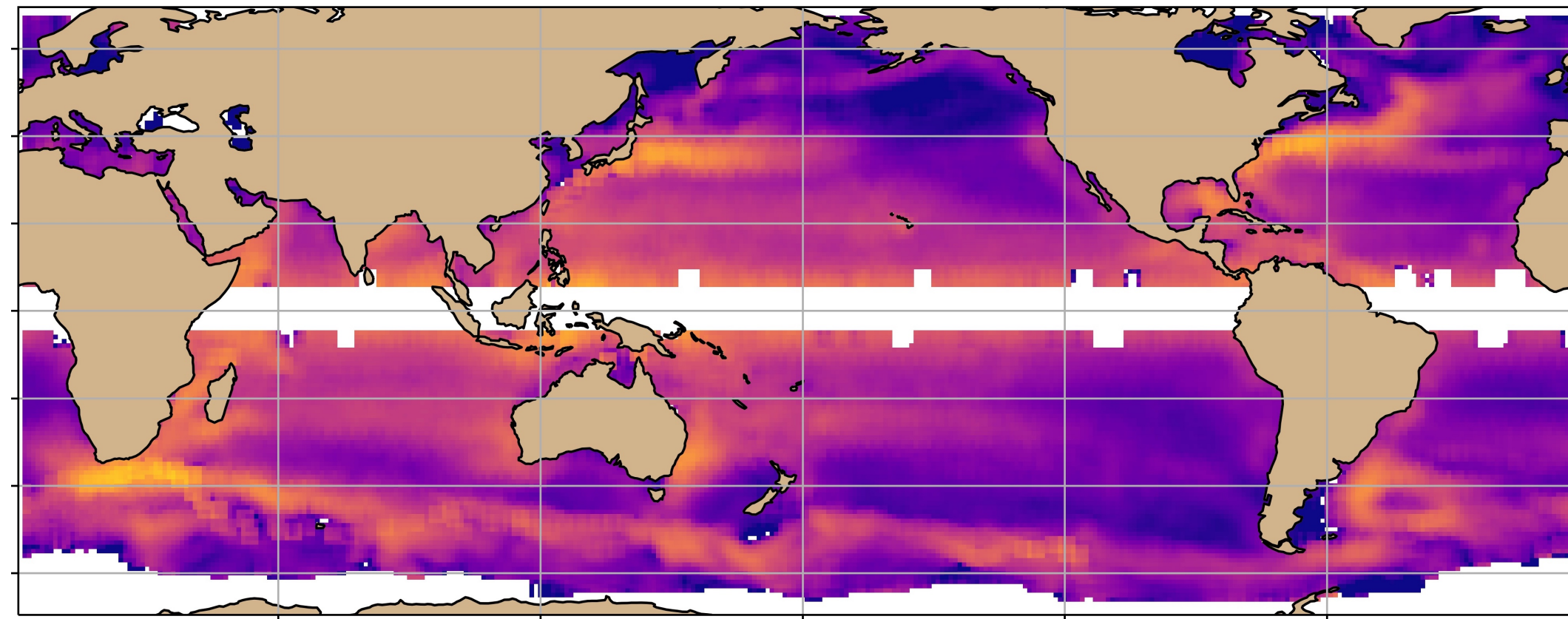


mean mesoscale EKE (60-300 km)

$$EKE_l = \langle u^2 \rangle_l - \langle u \rangle_l^2$$

$\langle \rangle$ = spatial filter

l = 60 km, 140 km, 300 km



spatial filtering as a tool

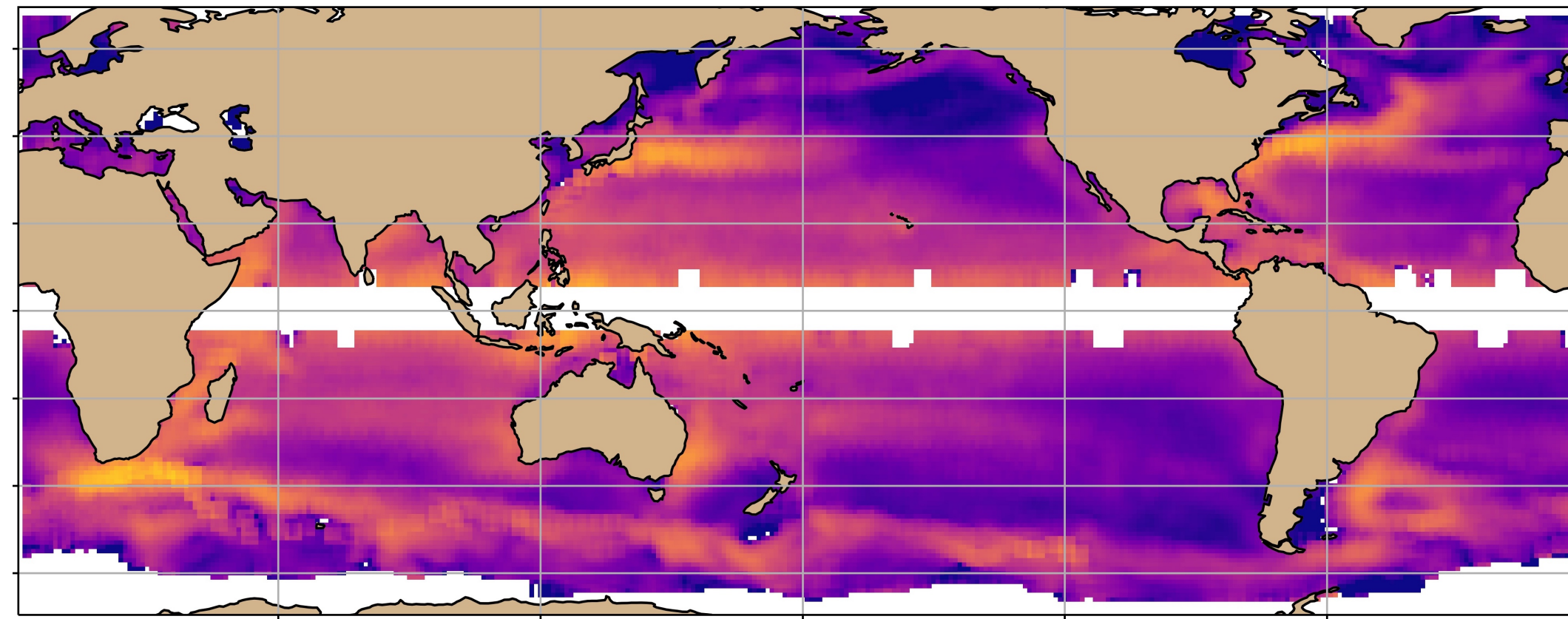
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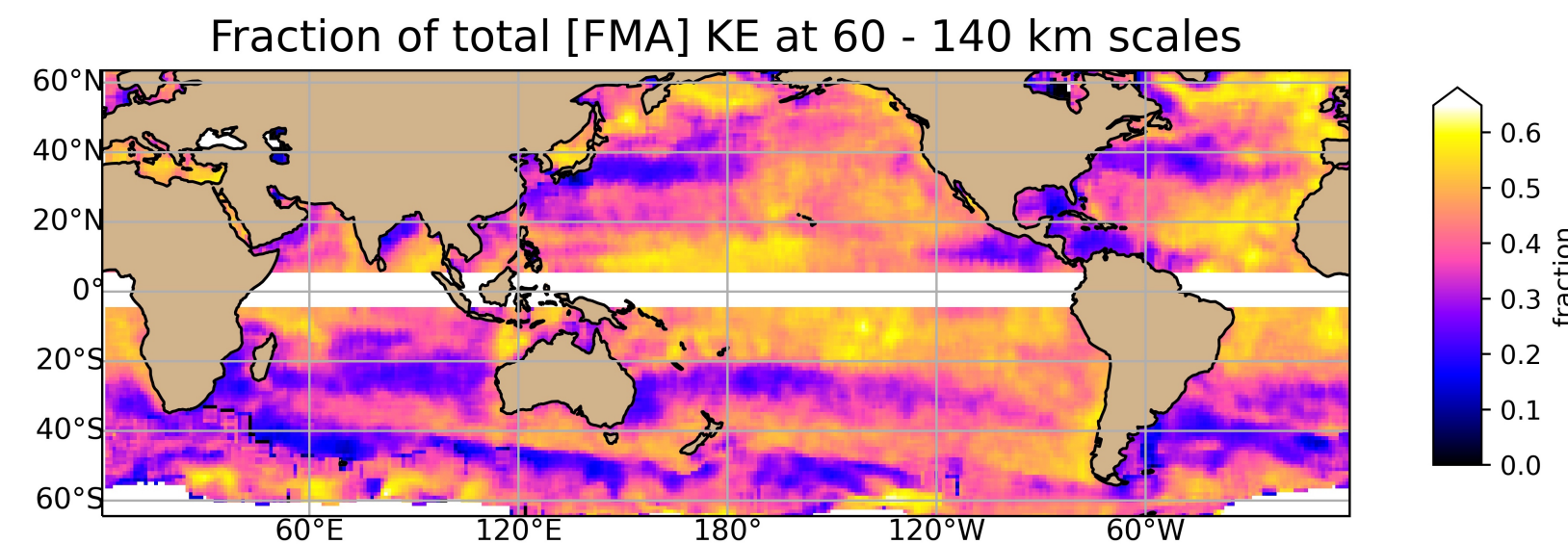
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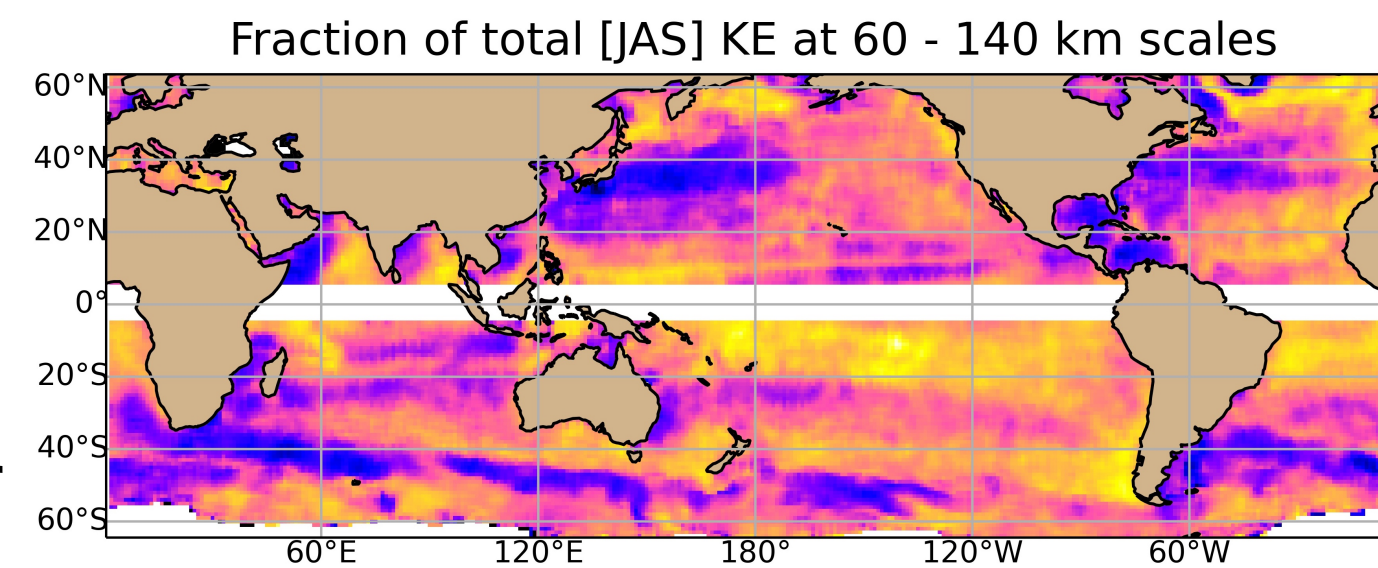
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seasonal variations
@ 60 - 140 km scales

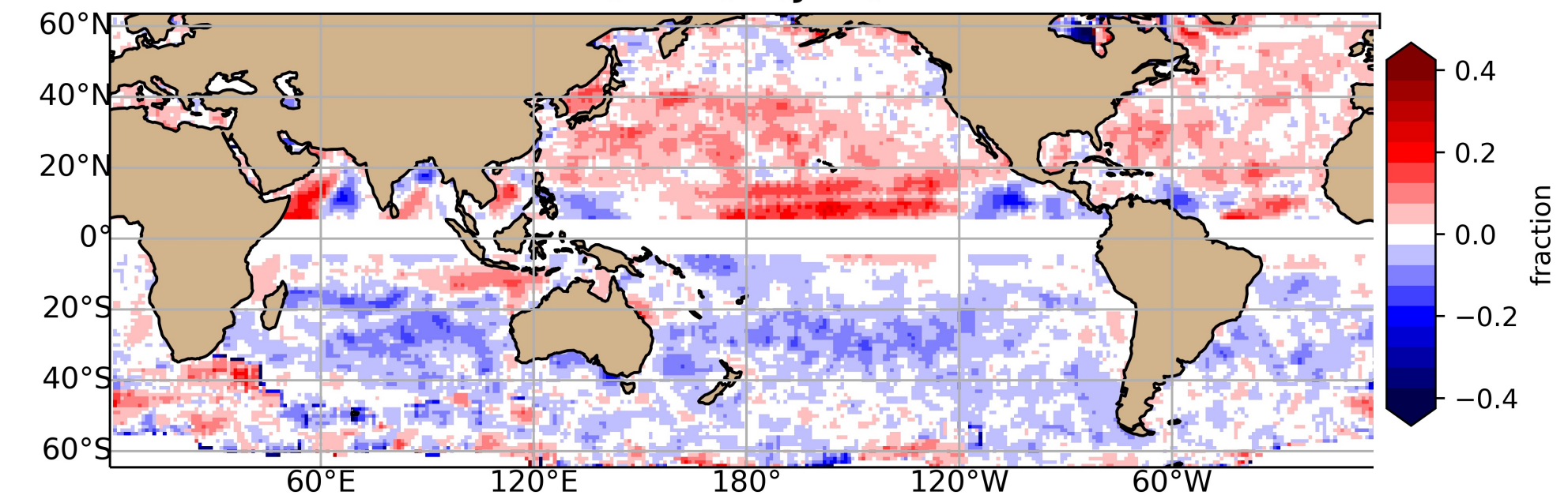
N. Hem. winter



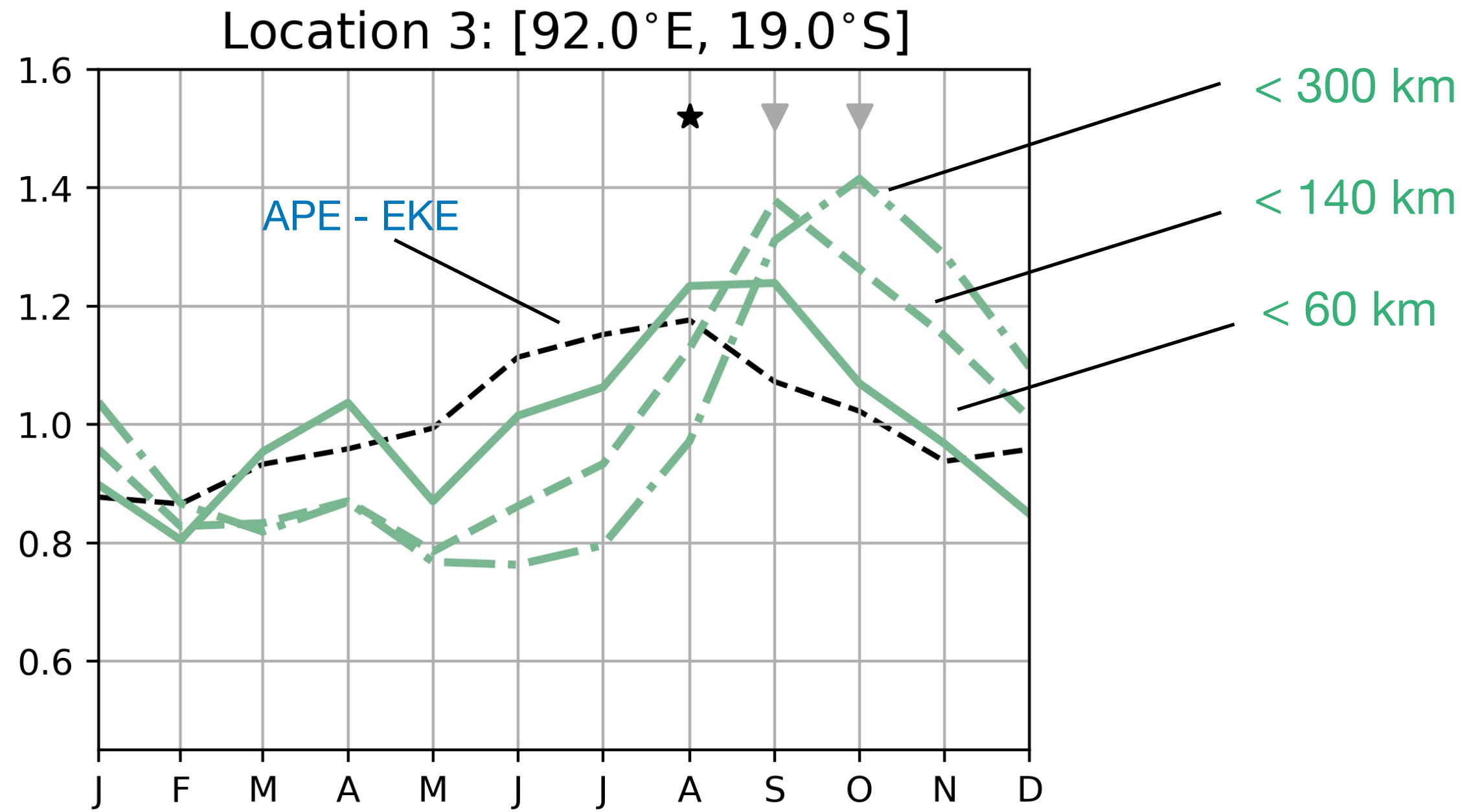
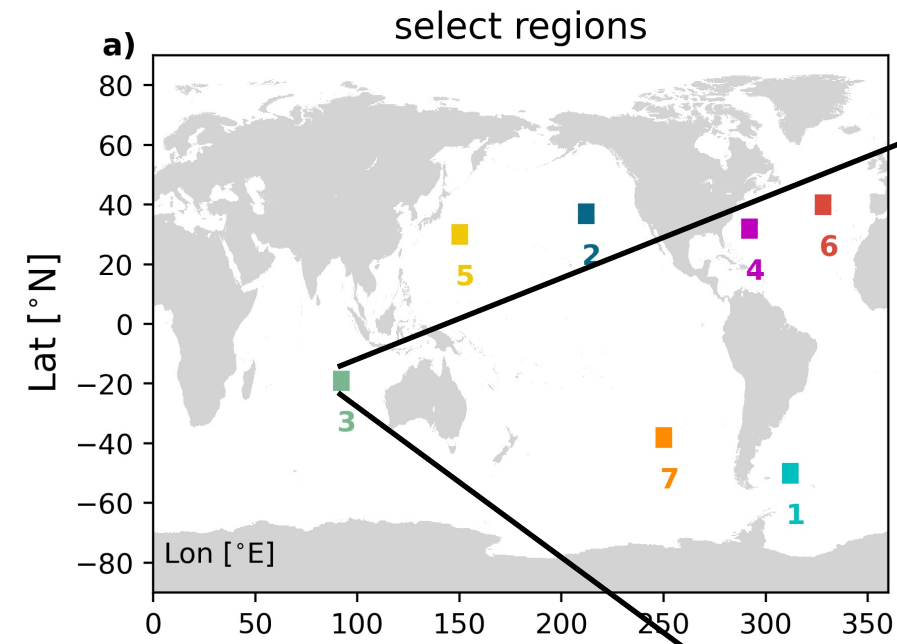
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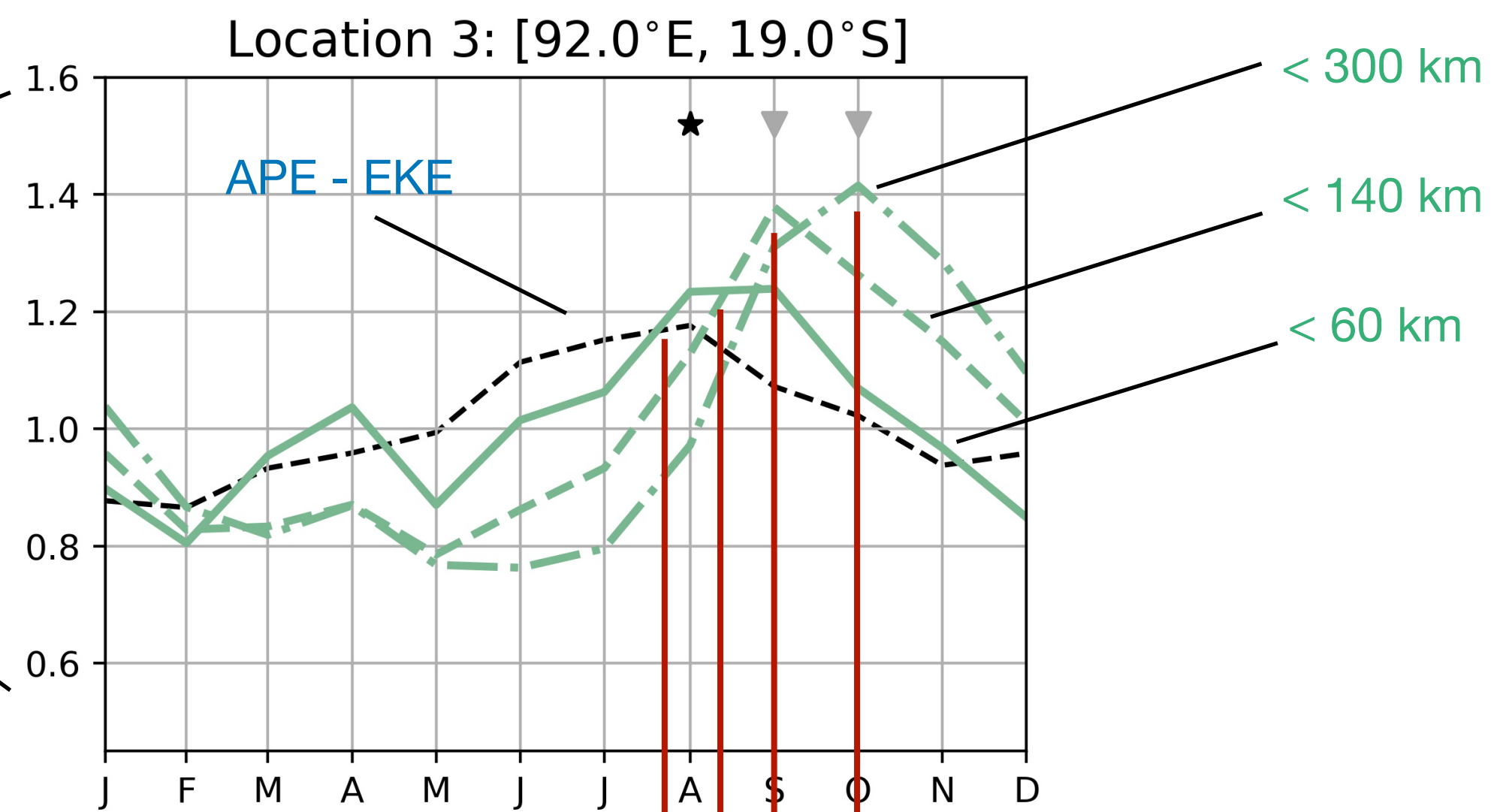
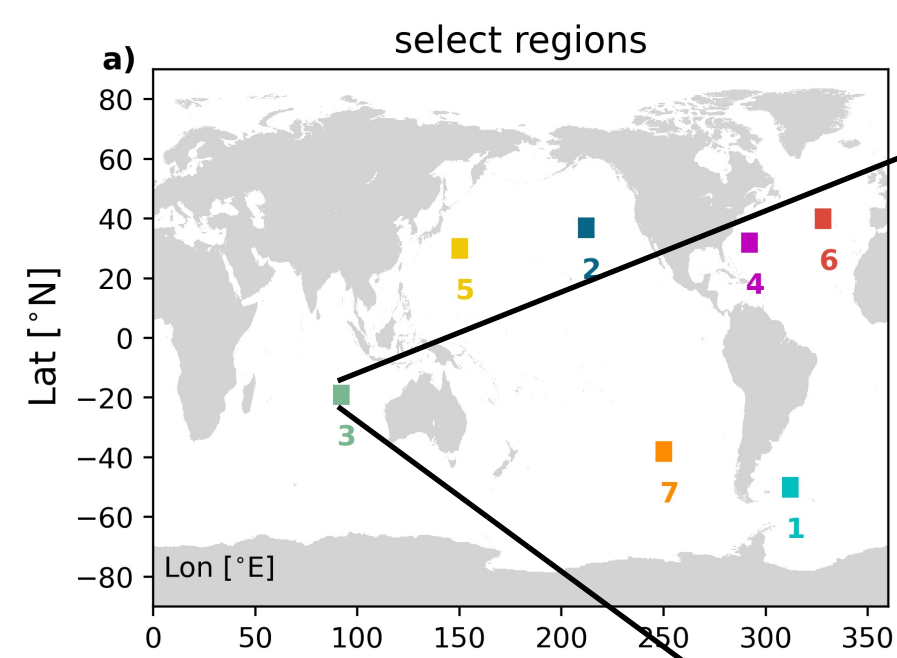


[FMA] - [JAS]

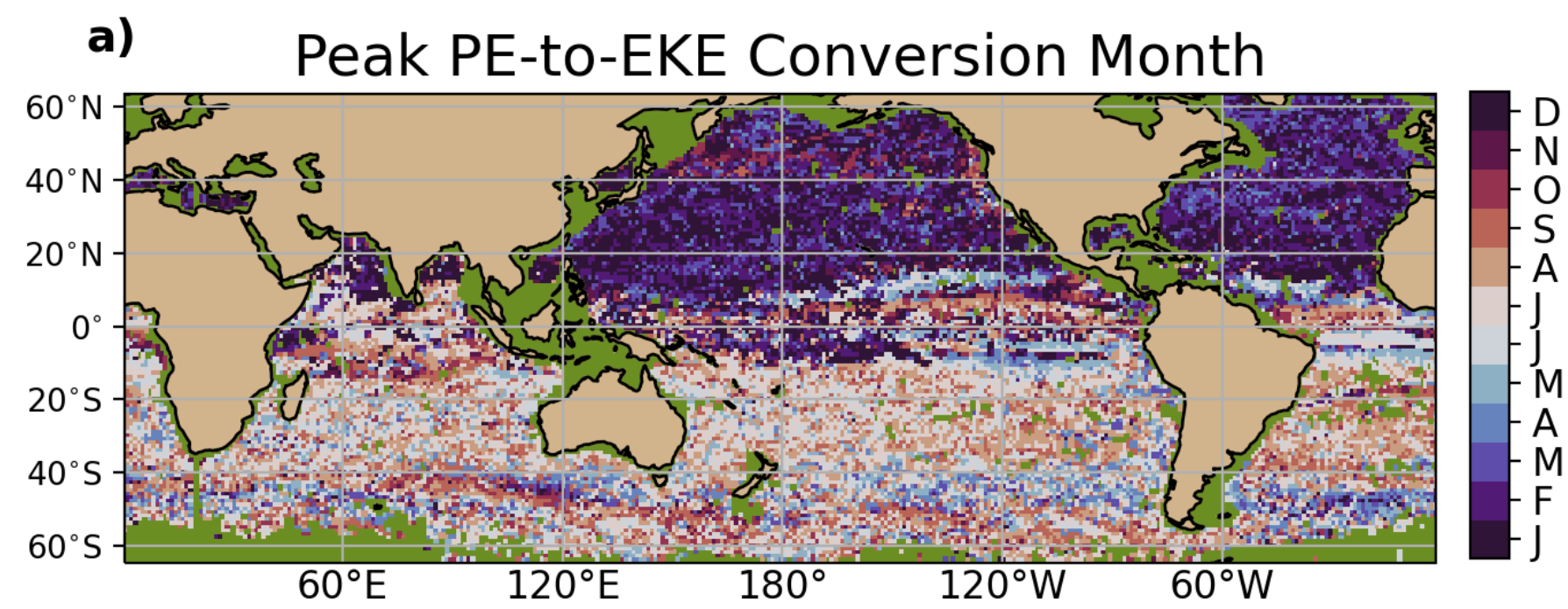


seasonal cycle in EKE

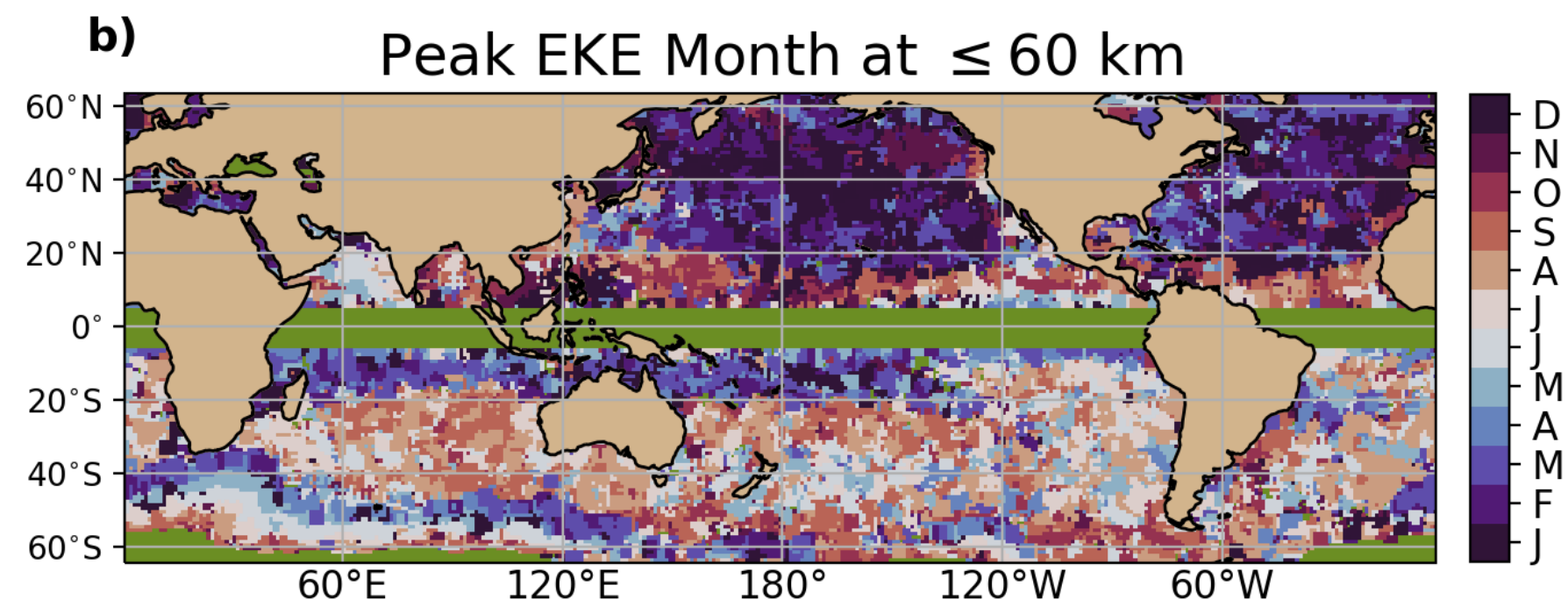




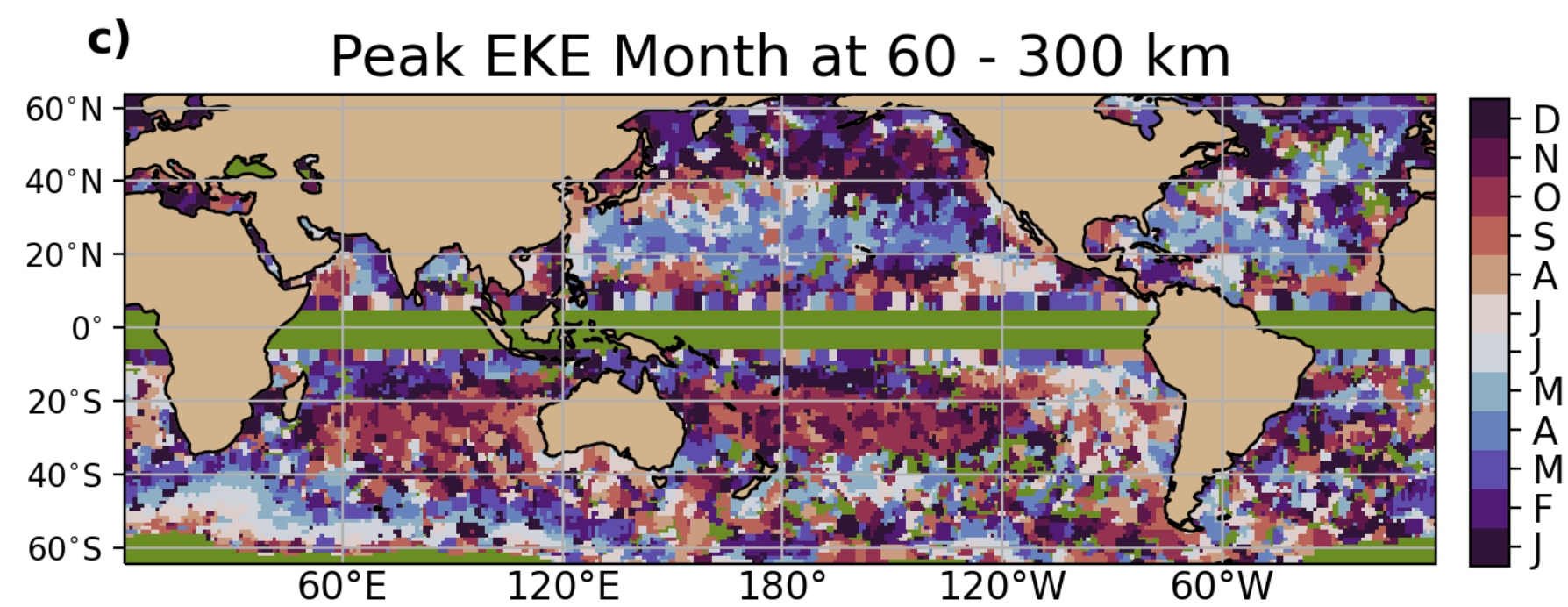
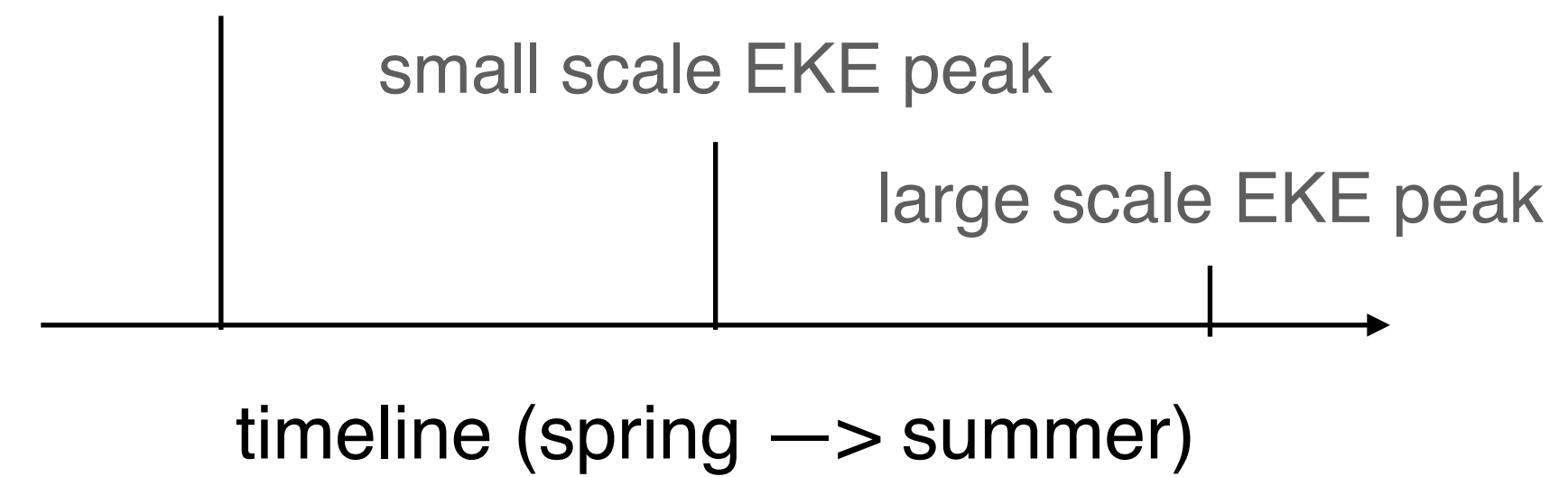
what are the time lags between these peaks?

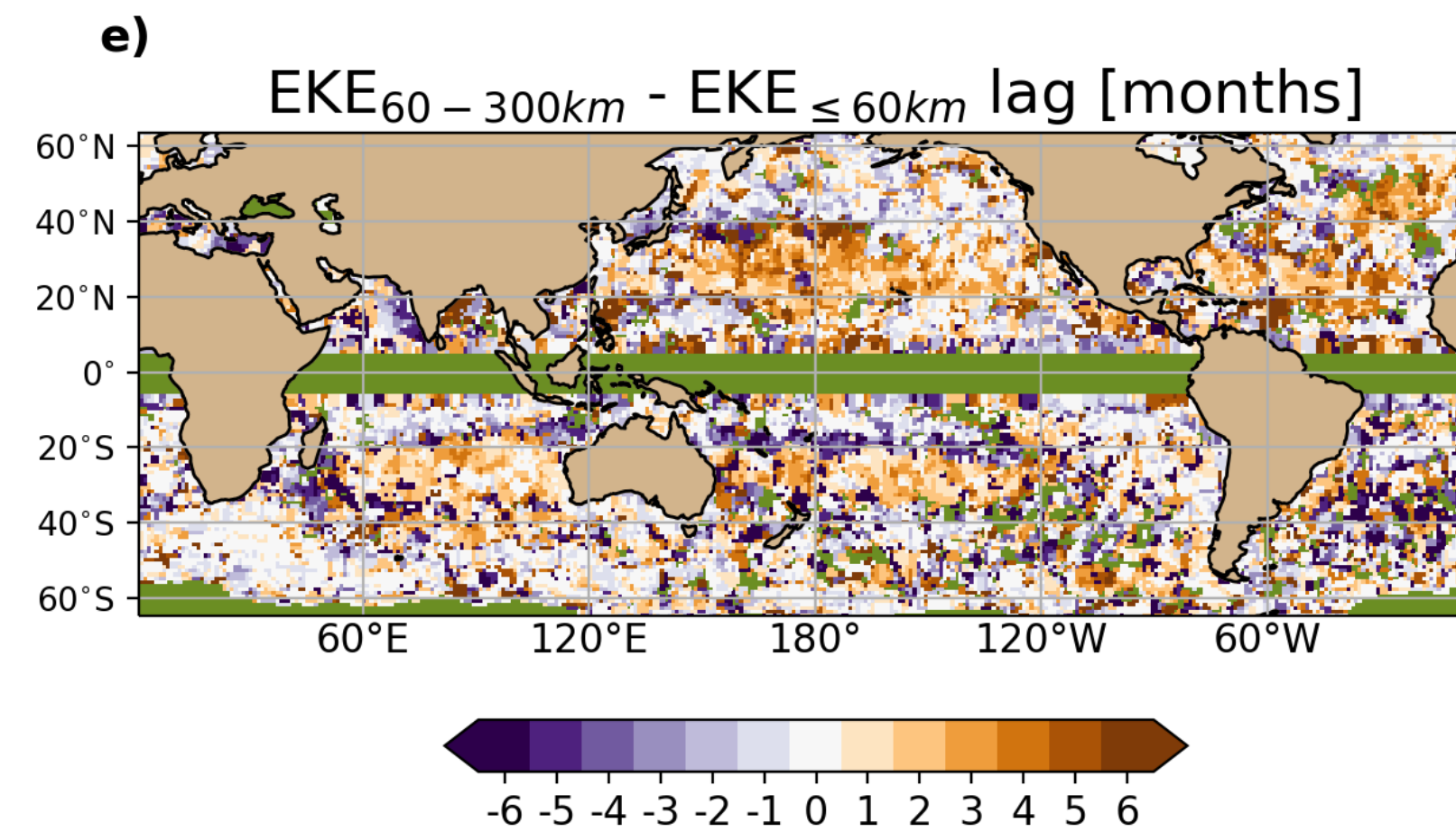
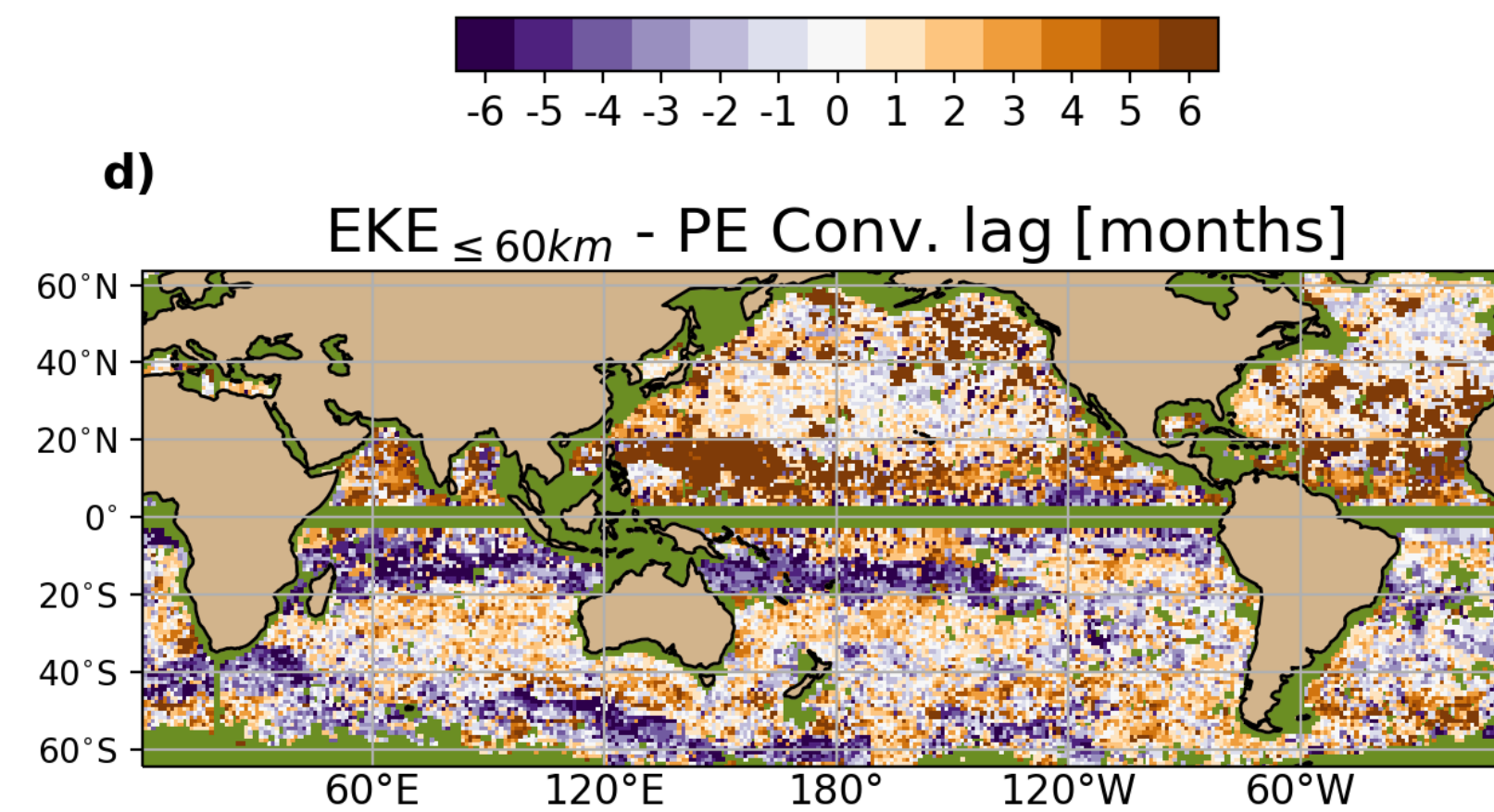
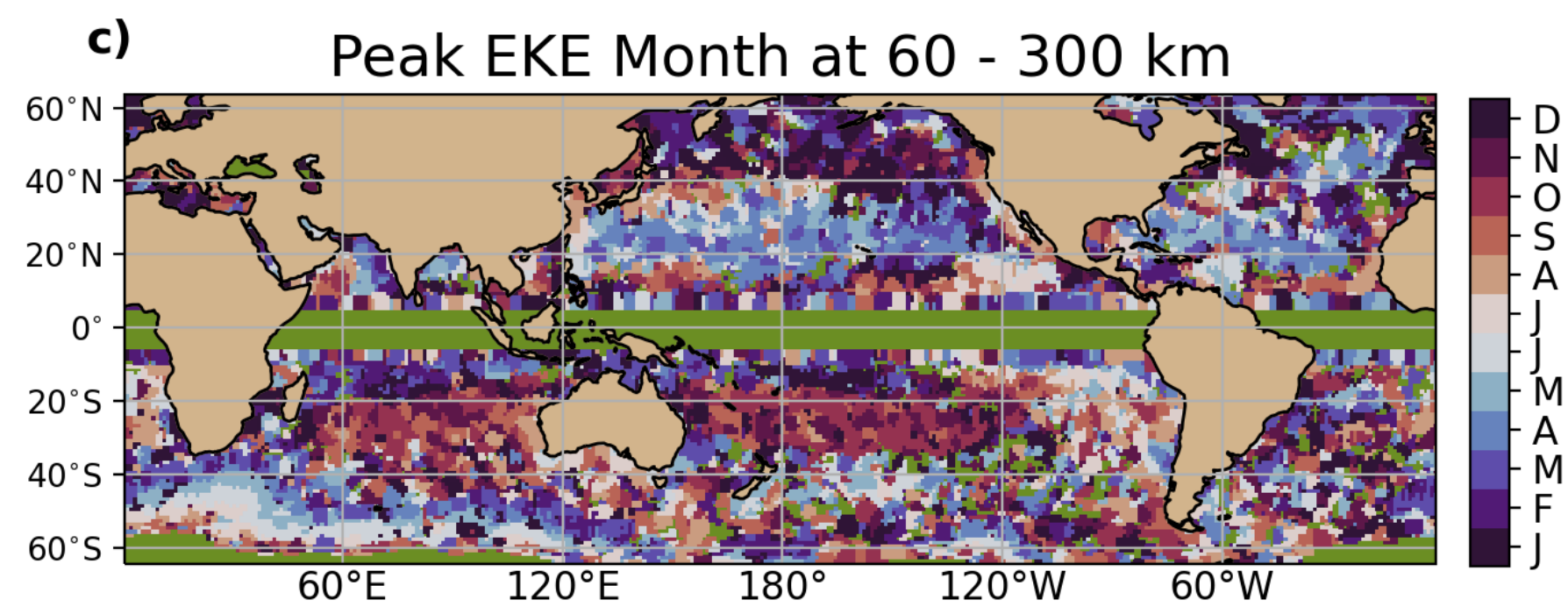
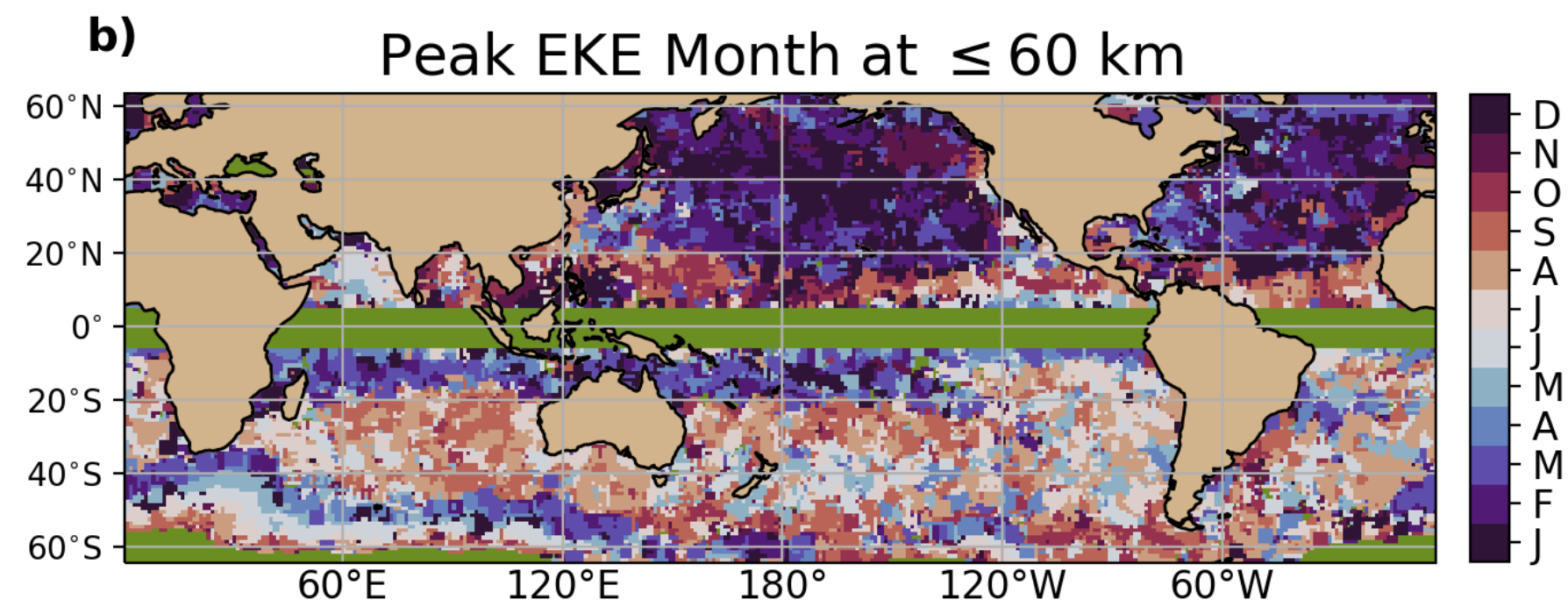
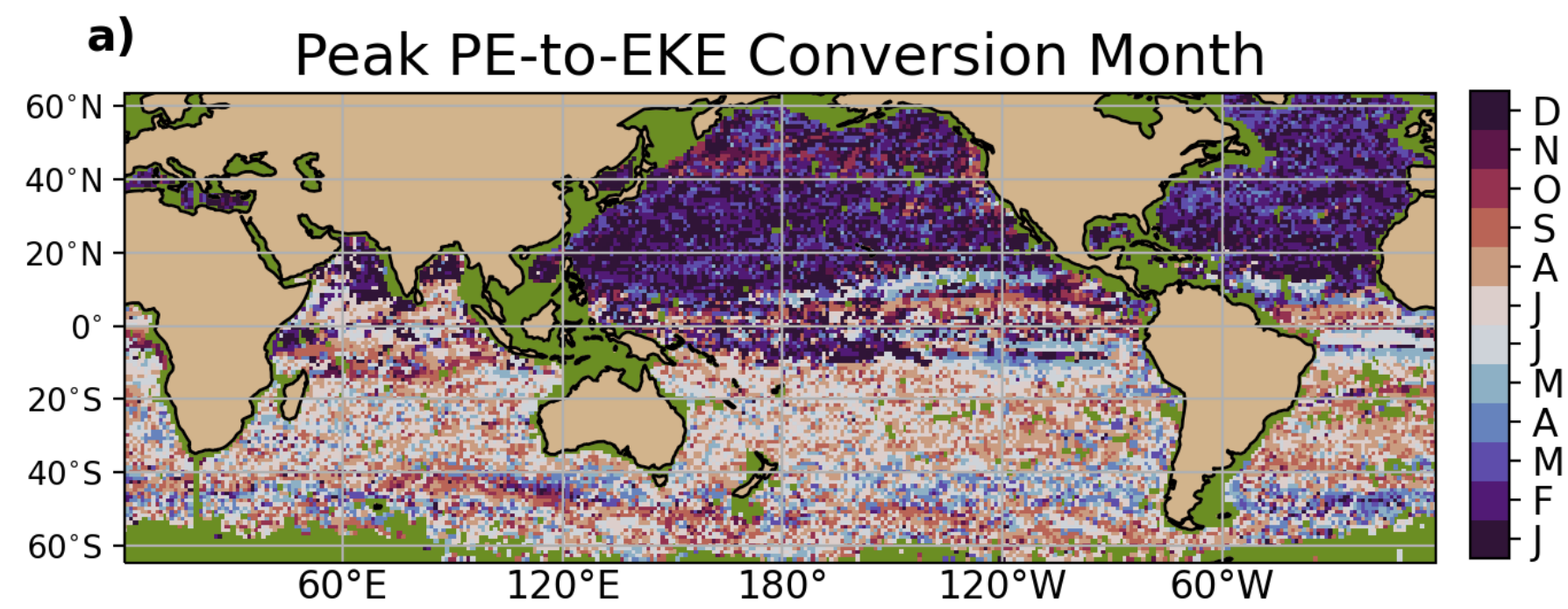


the progression in this timing suggests KE to move upscale



PE-to-EKE peak

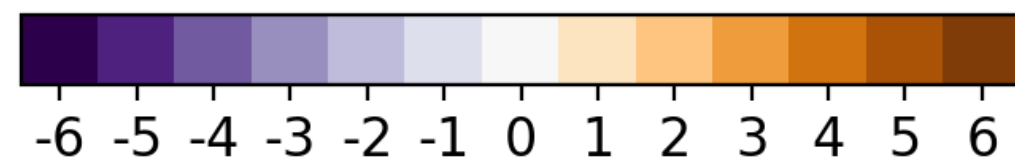




differing timing of peaks
quantified as a lag

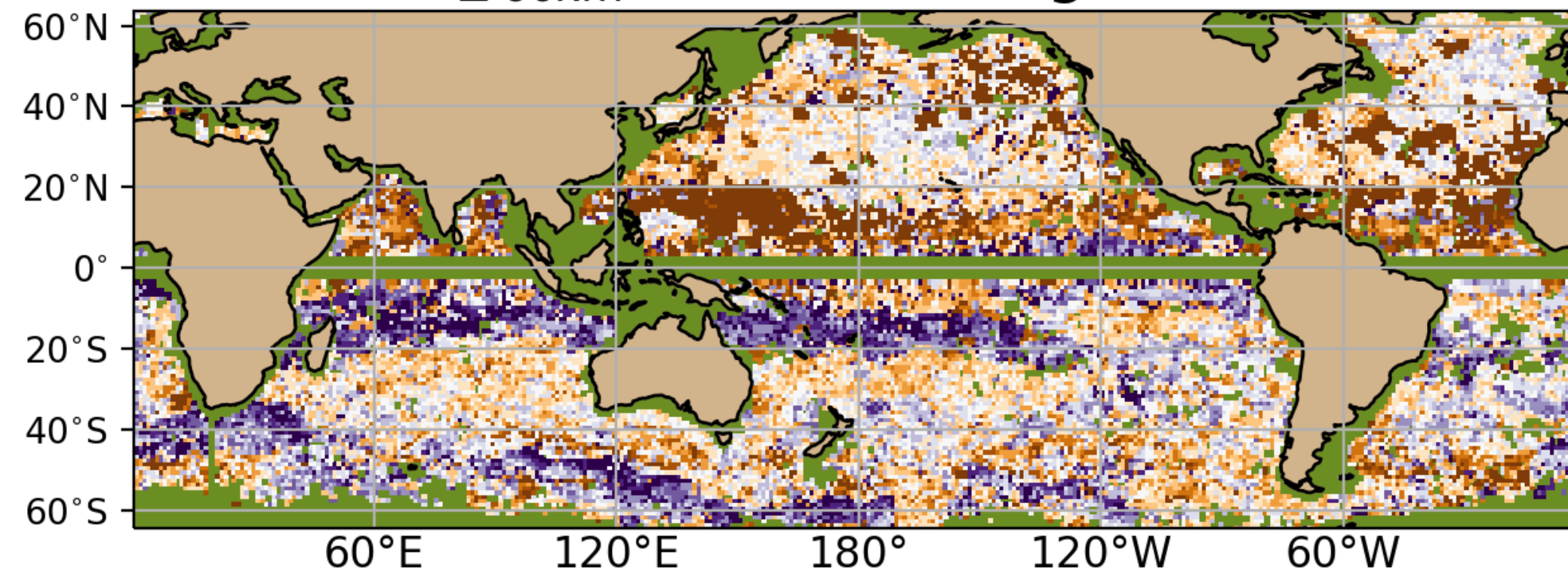
white/orange = conversion
peak 'just' precedes small-
scale EKE peak

orange = small-scale EKE
peak 'just' precedes large-
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d)

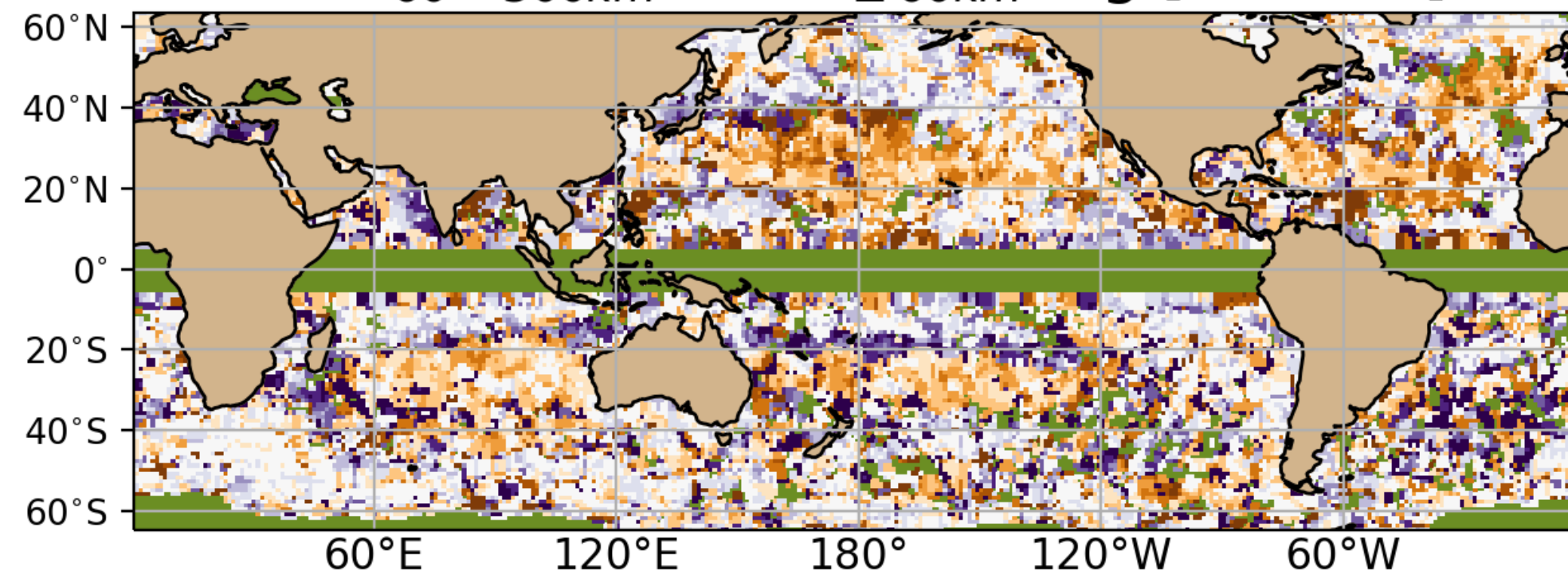
EKE $\leq 60km$ - PE Conv. lag [months]



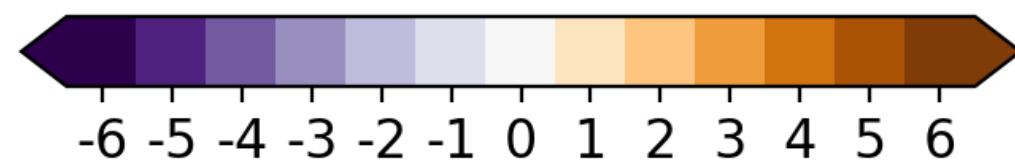
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e)

EKE_{60 – 300km} - EKE $\leq 60km$ lag [months]



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Conclusion:

progression in the timing of peaks
identifies a source of mesoscale EKE to
be submesoscale EKE.

this energy moves upscale in late winter
resulting in a scale dependent season
cycle in mesoscale eddy kinetic energy.

reveals the spatial dependence of
upscale energy transfer (a backscatter/
source term in the mesoscale KE
budget)