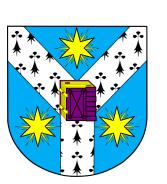




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Machine learning and geomorphometrical objects for convex and concave geomorphological features detection



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Introduction

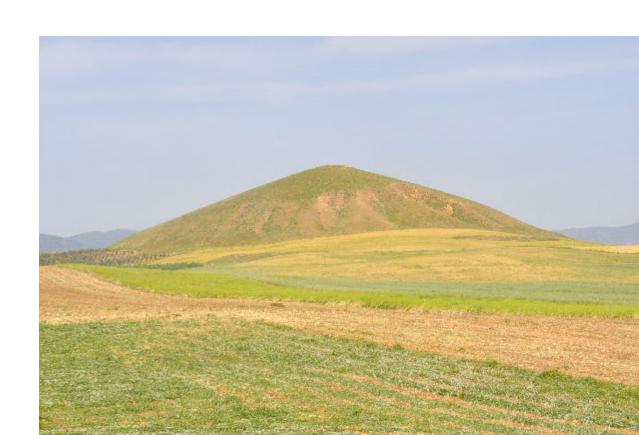
- Concave and convex features are characterizing many landforms and can be relatively easy identified by means of geomorphometric approaches. Despite this, the particularities of the landform development process and the evolution after the process cessation introduce slight changes of shape from the pure concave of convex shape. Very often this includes the apparition of compound shapes, so beside the concave or convex shape a planar or a mixture of concave and convex shape appear at the border of the landform.
- I present the case of burial mounds and sinkholes. So, despite the morphological convergence (same shape but different process), the shape particularities are influenced by the erosional process and by the later evolution of the landform. These particularities will influence mainly the precision of the concave part delineation, which is better for pure concave form and worse for deformed concavity. In the same, the particularities will allow the usage of a machine learning algorithm to learn these patterns and to be used to predict the presence of such features from the candidates in a certain area.

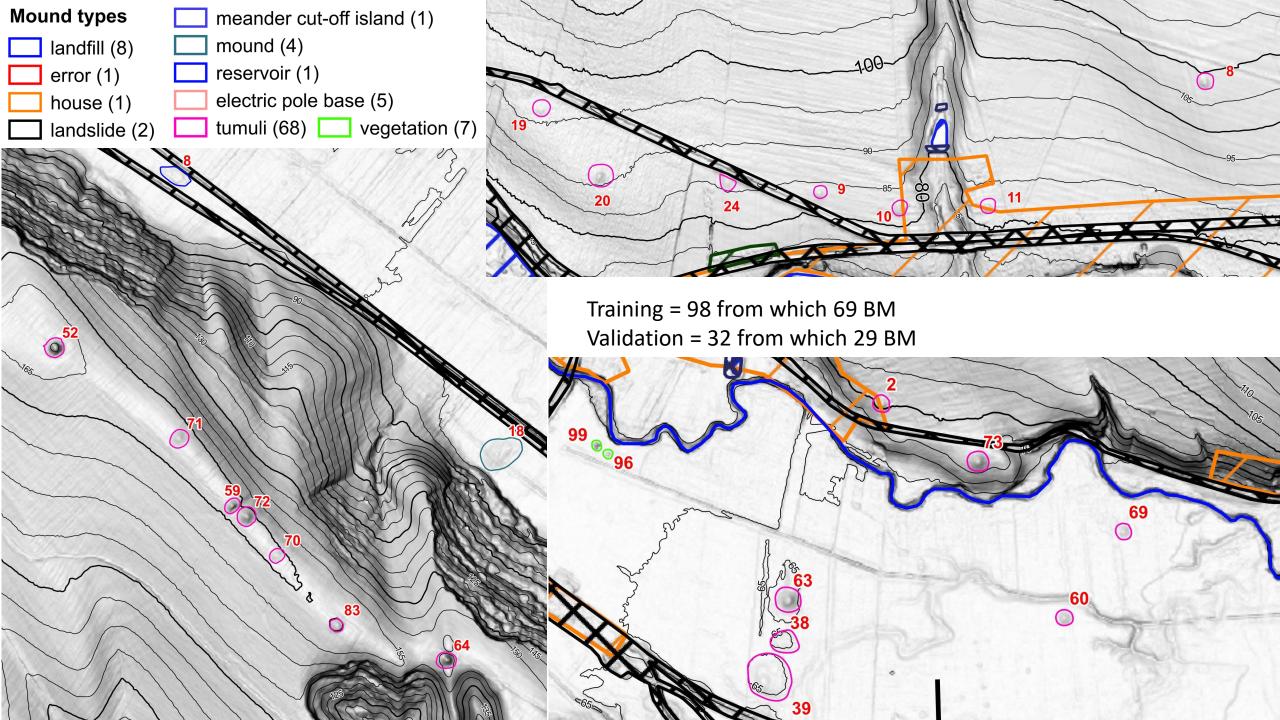
Segment(Object)-based Classification

- In the OBIA (Object Based Image Analysis) literature there was clearly shown that object (superpixels, segments) are better candidates for performing land-cover classifications.
- For DEMs this should be also true (Stepinski et al., 2007).
- In multiscale situations the objects delineation might need a scalar approach, but in the case of specific "simple" shapes the approach is straightforward.
- The limitations of object-based approaches are given by the over- or under-segmentation, so an assessment of these aspects is needed when using segments for classifications.

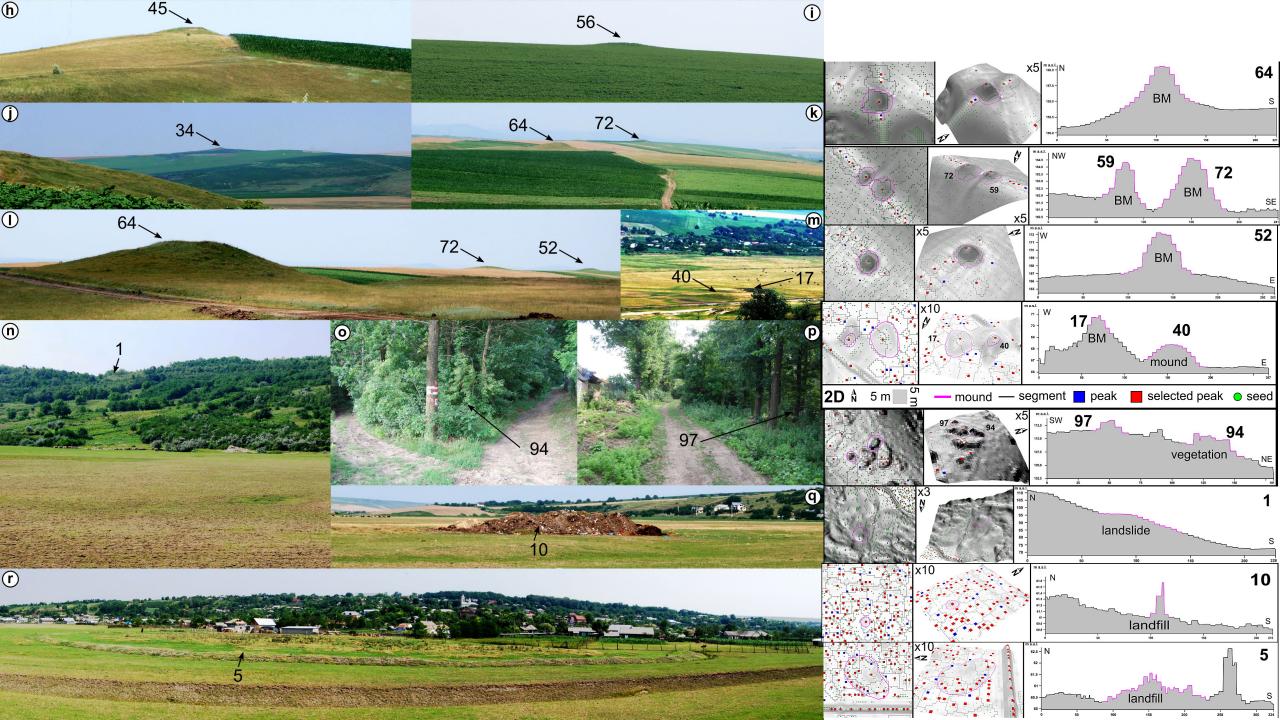
Burial mounds (kurgan, tumuli)

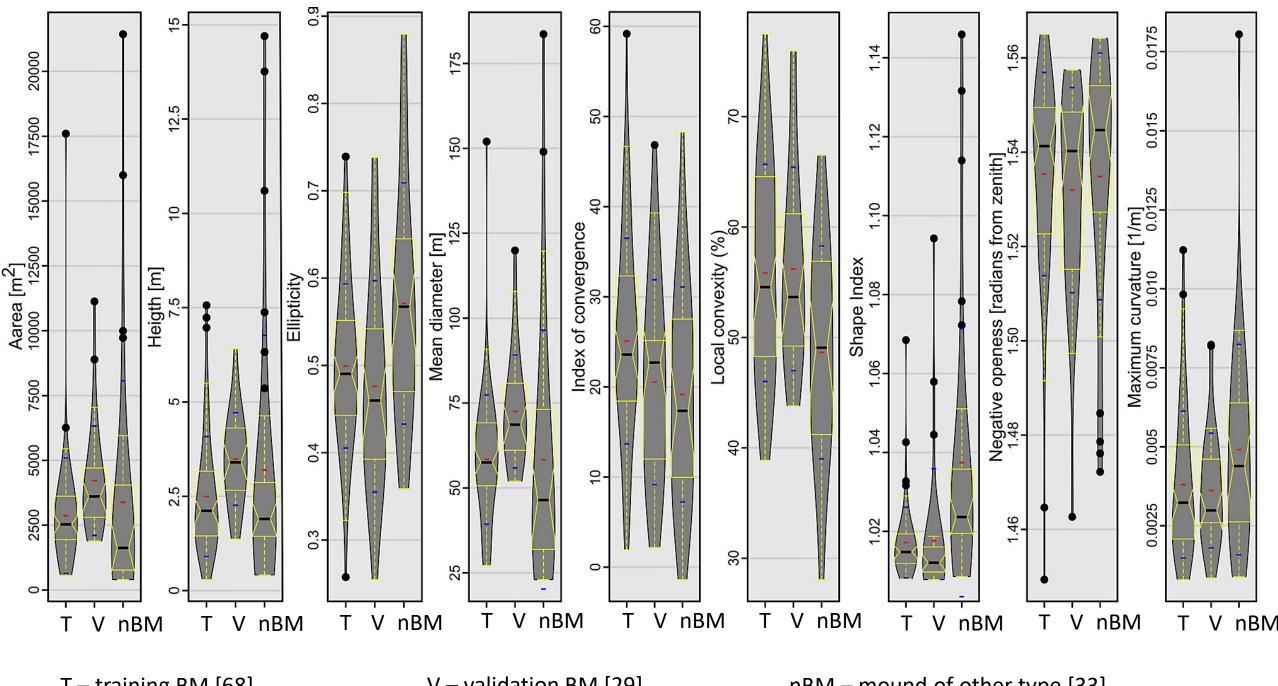
convex features anthropogenic 5 m LiDAR DEM





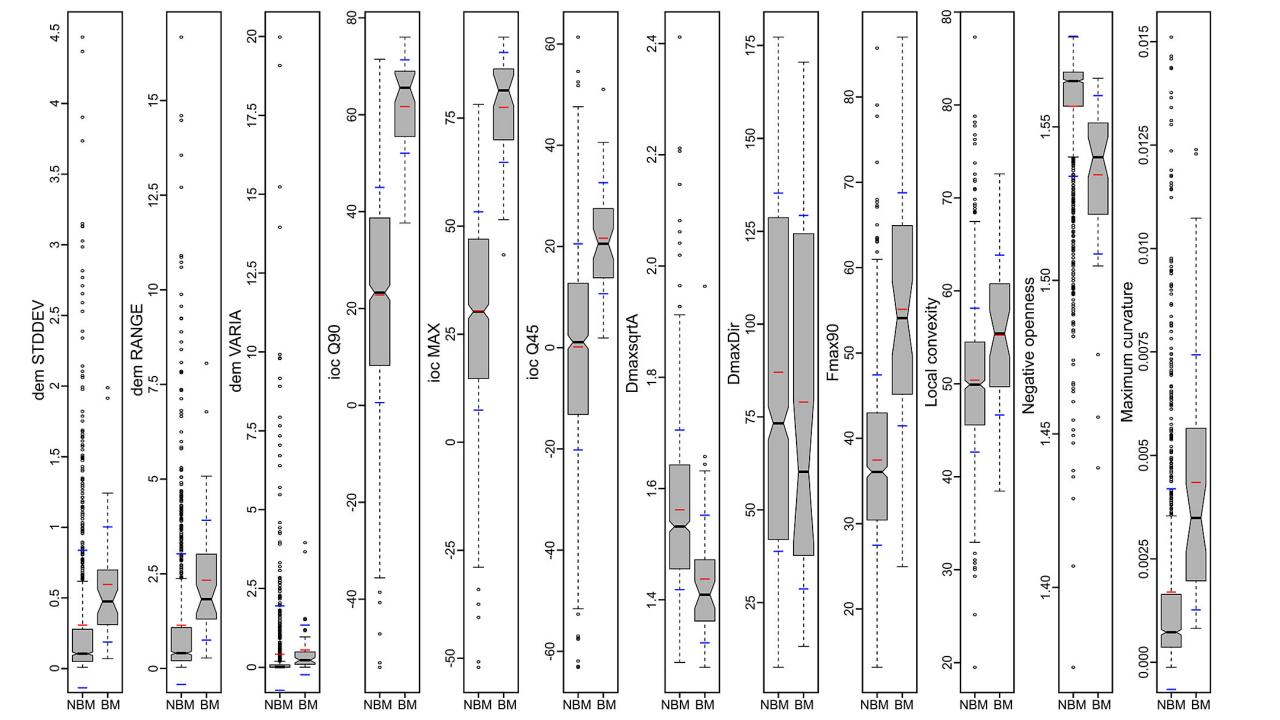


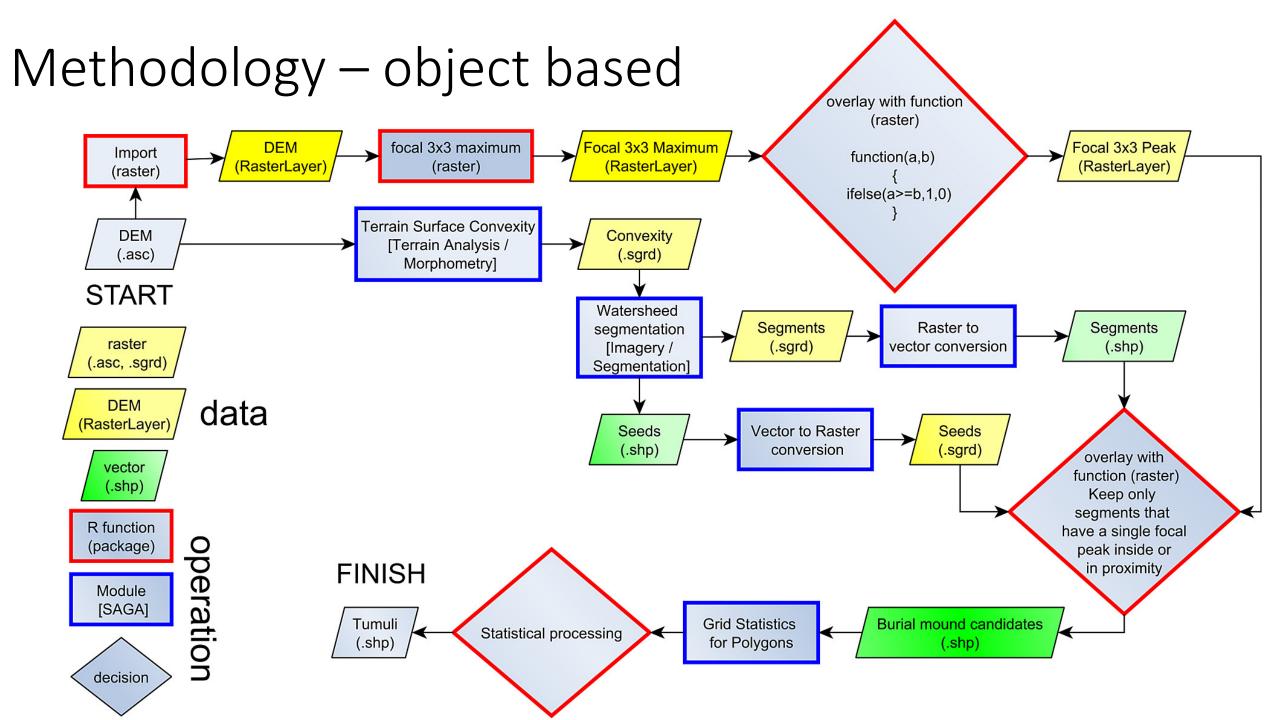


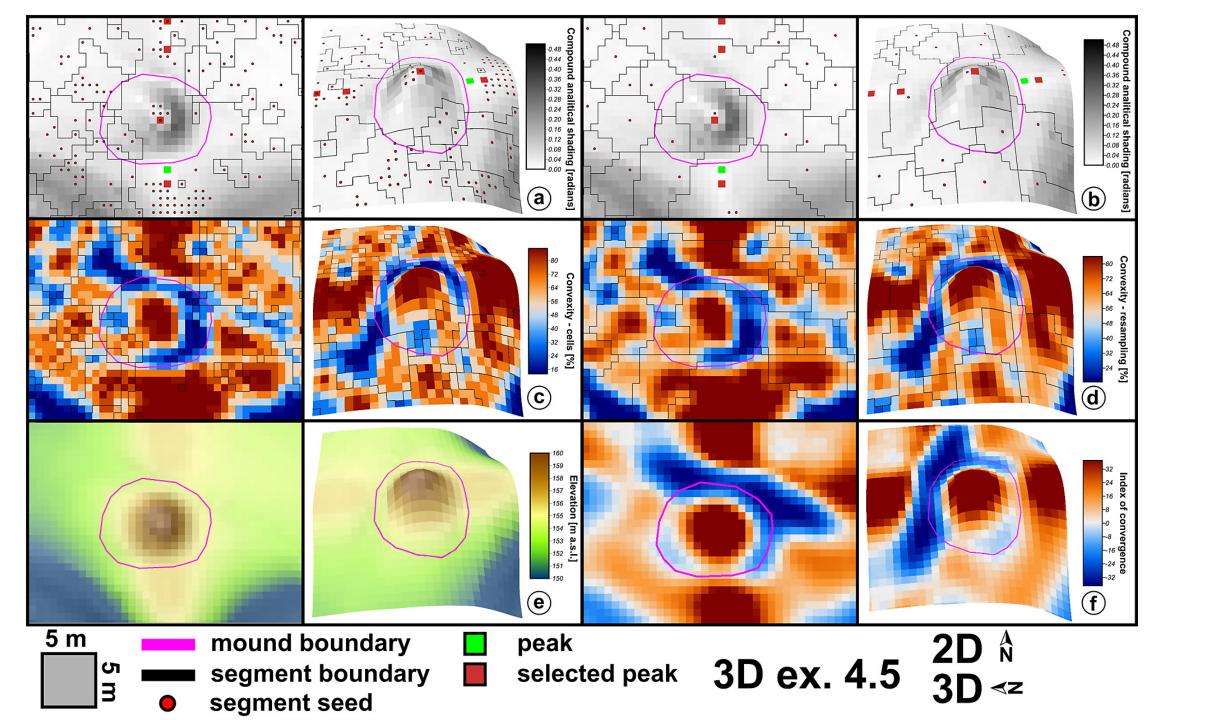


V – validation BM [29] T – training BM [68]

nBM – mound of other type [33]



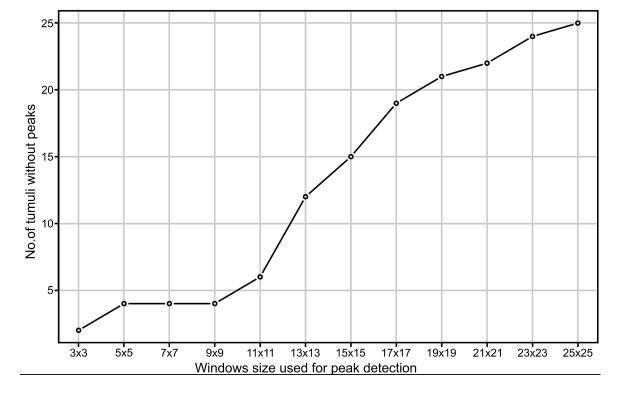




Local convexity (Iwahashi and Kamiya, 1995; Iwahashi and Pike, 2006)

- Percentage of convex-upward cells within a certain radius of pixels.
- It will include not only the peak as a maximum positive local relief but also the surrounding convex areas.
- This type of convexity is independent of relief magnitude.
- This parameter is ideal for the case of burial mounds, in terms of identifying the convexity of the burial mounds that is surrounded by flat or even convex areas.
- Nonetheless, by coupling the peak selection with local convexity gives the power of the method for selection the segments that are burial mound candidates.

During this step 2-3 tumuli are missed; they are mainly very flat tumuli, or degraded shape tumuli



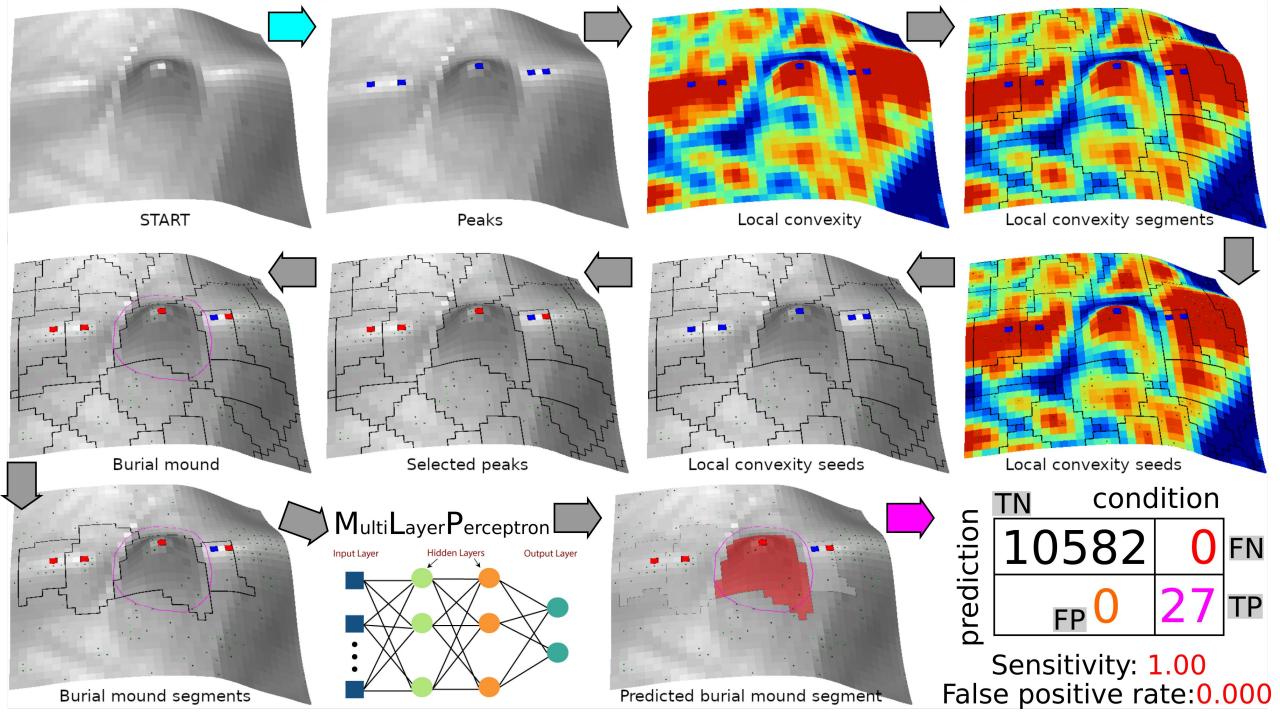


Table S1. The list of geomorphometrical variables and their computation settings in SAGA GIS.

No	Code	Name	Description				
1	A	Area	Polygon area				
2	P	Perim eter	Polygon perimeter				
3	P.A	Interior edge ratio	P/A				
4	P.sqrt.A.	-	P/sqrt(A)				
5	Depqc	Equivalent projected circle diameter	2*sqrt(A/π)				
6	Sphericity	Sphericity	The ratio of the perimeter of the equivalent circle to the real perimter				
7	Shape.Index	Shape index	Inverse of Sphericity				
8	Dmax	Maximum diameter	Maximum distance between two polygon part's vertices				
9	DmaxDir	Direction of max	imum diameter				
10	Dmax.A	Dmax/A					
11	Dmax.sqrt.A	Dmax/sqrt(A)					
12	Dgyros	Diameter of gyration	Twice the maximum vertex distance to its polygon part's centroid				
13	Fmax	Maximum Fe					
14	FmaxDir	Direction of the maximum Ferret diameter					
15	Fmin	Minimum Fe	Minimum Feret diameter				
16	FminDir	Direction of the mini	mum Feret diameter				
1 7	Fmean	Mean Feret	diameter				
18	Fmax90		Feret diameter measured at an angle of 90° to that of the Fmax direction				
19	Fmin90	Feret diameter measured at an angle of 90° to that of the Fmin direction					
20	Fvol	Diameter of a sphere having the same volume as the cylinder constructed by Fmin as the cylinder diameter and Fmax as its length					
21	dem	Elevation	——————————————————————————————————————				
22	ioc	Index of convergence					
23	conv_r	Local convexity					
24	nego	Negative openness					

26	proc	Profile curvature	
27	plac	Plan curvature	
28	logc	Longitudinal curvature	
29	croc	Cross-sectional curvature	
30	minc	Minimum curvature	
31	maxc	Maximum curvature	
32	rare	Real surface area	
33	wind	Wind exposition index	
34	tpi	Top ographic position in dex	
35	vld	Valley depth	
36	mpi	Morphometric protection index	
37	tri	Terrain ruggedness index	
38	vrm	Vector ruggedness measure	
39	txt	Terrain surface texture	
40	clo	Local curvature	
41	cup	Upslope curvature	
42	clu	Local upslope curvature	
43	cdo	Downslope curvature	
44	cdl	L ocal downslope curvature	
45	flo	Flow accumulation	
46	fpl	Flow path length	N
47	spl	Slop e length	
48	cbl	Cell balance	Ratio between flow input and output
49	twi	Topographic wetness index	SAGA implementation of TWI using a modified catchment area, that is more realistic, compared to standard TWi
51	dhratio	Diameter-height ratio	Dmax/dem RANGE
52	compactness	Compactness	(Sqrt(4*(A/π)))/P
53	formfactor	Form factor	$(4*\pi*A)/(P/2)$
54	roundness	Roundness	(4*A)/(π*Fmax)
55	elongation	Elongation	Fmax/Fmin

Table S2. The list of geomorphometrical variables and their computation settings in SAGA GIS.

,				
No	Code	Name		
1	A	Area		
2	P	Perimeter		
3	P.A	Interior edge ratio		
4	P.sqrt.A.			
	Depqc	Equivalent		
5		projected circle		
		diameter		
6	Sphericity	Sphericity		
7	Shap e.Index	Shap e index		
8	Dmax	Maximum		
0		diameter		
9	DmaxDir	Direction of		
10	Dmax.A	maximum		
	Dmax.sqrt.A	diameter		
11		Dmax/A		
12	Dgyros	Diameter of		
12		gyration		
13	Fmax	Maximum Feret		
15		diameter		
	FmaxDir	Direction of the		
14		maximum Ferret		
		diameter		
15	Fmin	Minimum Feret		
1.	1 111111	diameter		
		Direction of the		
16	FminDir	minimum Feret		
		diameter		
17	Fmean	Mean Feret		
<u> </u>		diameter		
	Fmax90	Feret diameter		
		measured at an		
18		angle of 90° to tha		
		of the Fmax		
		direction		

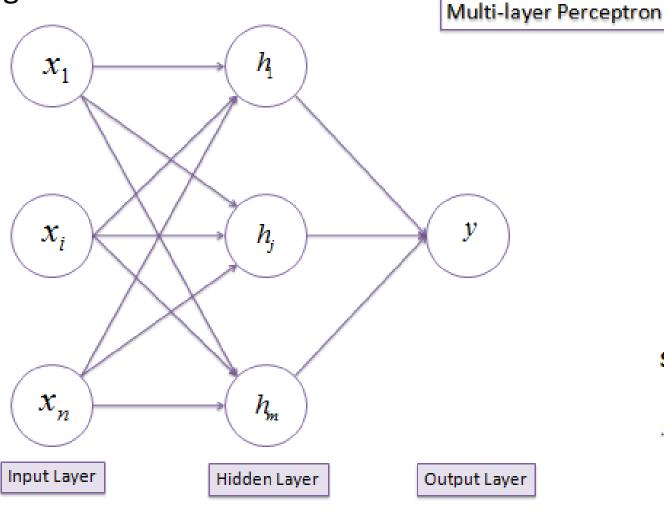
19	Fmin90	Feret diameter measured at an angle of 90° to th of the Fmin direction	
		Diameter of a	_
		same volume as	red at an 90° to that e Fmin ection eter of a naving the olume as ylinder ucted by a sthe diameter nax as its ngth imum ration elevation elevation of elevation on variance d deviation evation
20	Fvol		
20	rvoi	constructed by Fmin as the	
			ar.
		and Fmax as its	
		length	,
		Minimum	
21	dem MIN	elevation	
	_	Maximum	
22	dem MAX	elevation	
23	dem RANGE	Range of elevation	n
24	dem SUM	Sum of elevatio	
25	dem MEAN	Mean elevation	l
26	dem VARIAN	Elevation varian	ce
27	dem STDDEV	Standard deviati	on
20	4 005	of elevation	
28	dem Q05		
29	dem Q10		
30	dem Q15		
31	dem Q20		
32	dem Q25		
33	dem Q30		
34	dem Q35	T1 4'	
35 36	dem Q40	Elevation	
	dem Q45		
37	dem Q50	munipies of 3	
38	dem Q55		
39	dem Q60		
40	dem Q65		
41	dem Q70		
42	dem Q75		
43	dem Q80		
44	dem Q85		

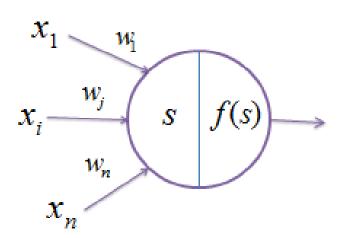
	dem Q90	45
	dem Q95	46
Minimum index	ioc MIN	47
convergence	IOC WIIN	47
Maximum index	ioc MAX	46 47 48 49 51 52 53 54 55 56 57 58 59 60 61 62 63 64 65 66 67 68 69 70 71 72
convergence	IOC MAA	40
Range of index	ioc RANGE	49
convergence		
Sum of index o	ioc SUM	51
convergence	100 80111	
Mean index of	ioc MEAN	52
convergence	100 1/12111	
Index of	ioc VARIAN	
convergence		53
variance		
Standard deviati		
of index of	ioc STDDEV	54
convergence		
	ioc Q05	55
	ioc Q10	
	ioc Q15	57
	ioc Q20	58
	ioc Q25	59
	ioc Q30	60
	ioc Q35	61
Т., 4	ioc Q40	62
Indexs of	ioc Q45	63
confergence	ioc Q50	64
percentiles, multiples of 5	ioc Q55	65
- mumples of 3	ioc Q60	66
	ioc Q65	67
	ioc Q70	68
	ioc Q75	69
	ioc Q80	70
	ioc Q85	71
	ioc Q90	72
\dashv	ioc Q95	73

Multilayer Perceptron (MLP)

• Deep feedforward neural networks/multilayer perceptrons are methods that use the neuron model, of acyclic networks, in layers, that use connected functions as vector nodes to fit linear functions for an overall non-linear classification or

regression.

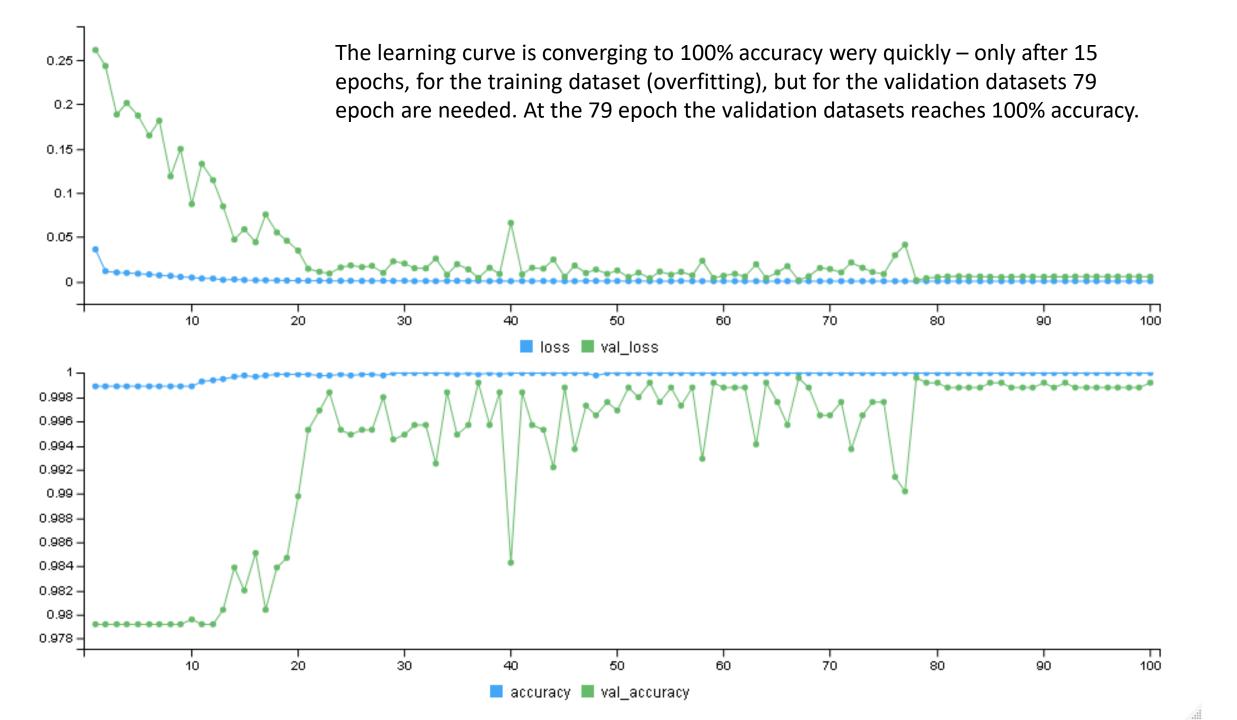




Summation

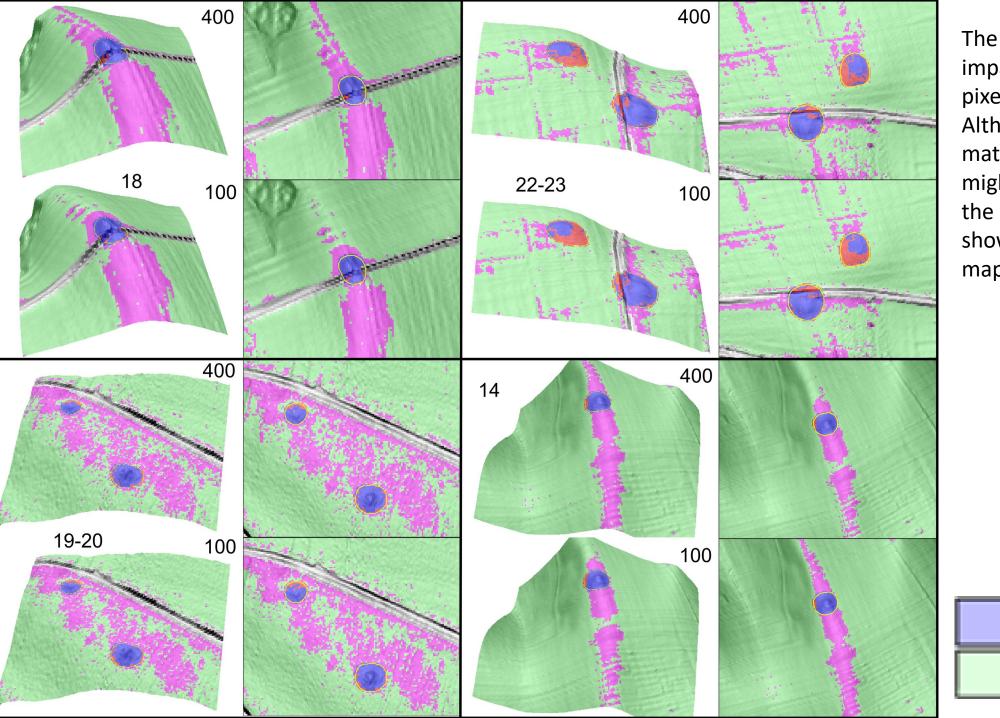
Transformation

$$s = \sum w \cdot x \qquad f(s) = \frac{1}{1 + e^{-s}}$$



Deep MLP compared with the Random Forest

	RF/MLP parameters	TP	TN	FN	FP	SNS	FPR
TRAIN	1000 segments from which 75% burial mounds, 100 ntree, 5 mtry, 1 nodesize*	64	12 536	0	46	0.93	0.004
	Epochs 100 - train	62	12 681	2	0	0.99	0.000
TEST	1000 segments from which 75% burial mounds, 100 ntree, 5 mtry, 1 nodesize*	25	10 536	2	46	0.93	0.004
	Epochs 100 - test	27	10 582	0	0	1	0.000



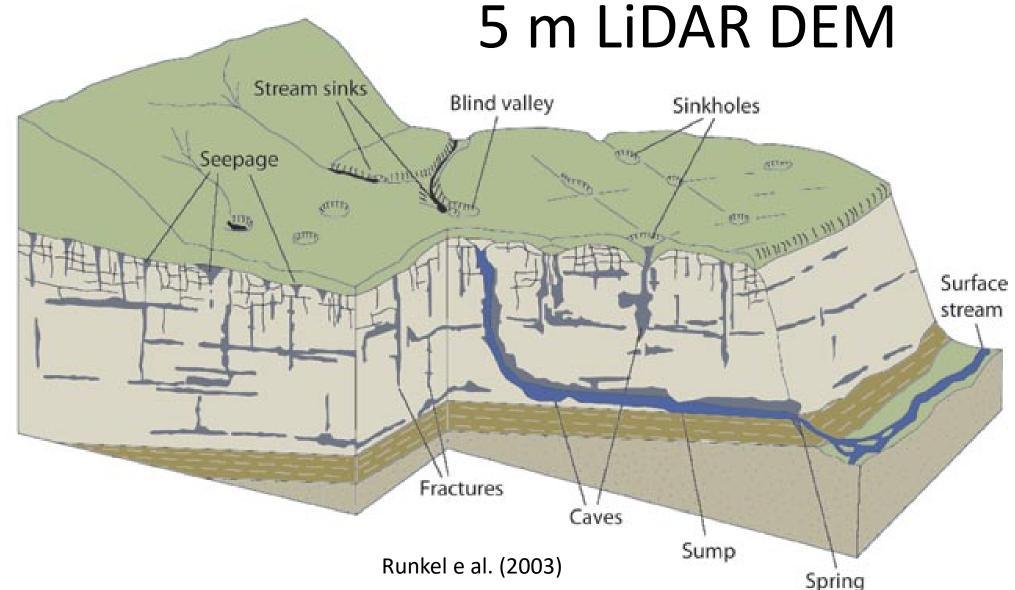
The RF parameters has impact mainly on the FP pixels.

Although the confusion matrix numeric variables might "look" better, actually the spatial representation is showing that wide areas are mapped as BM.



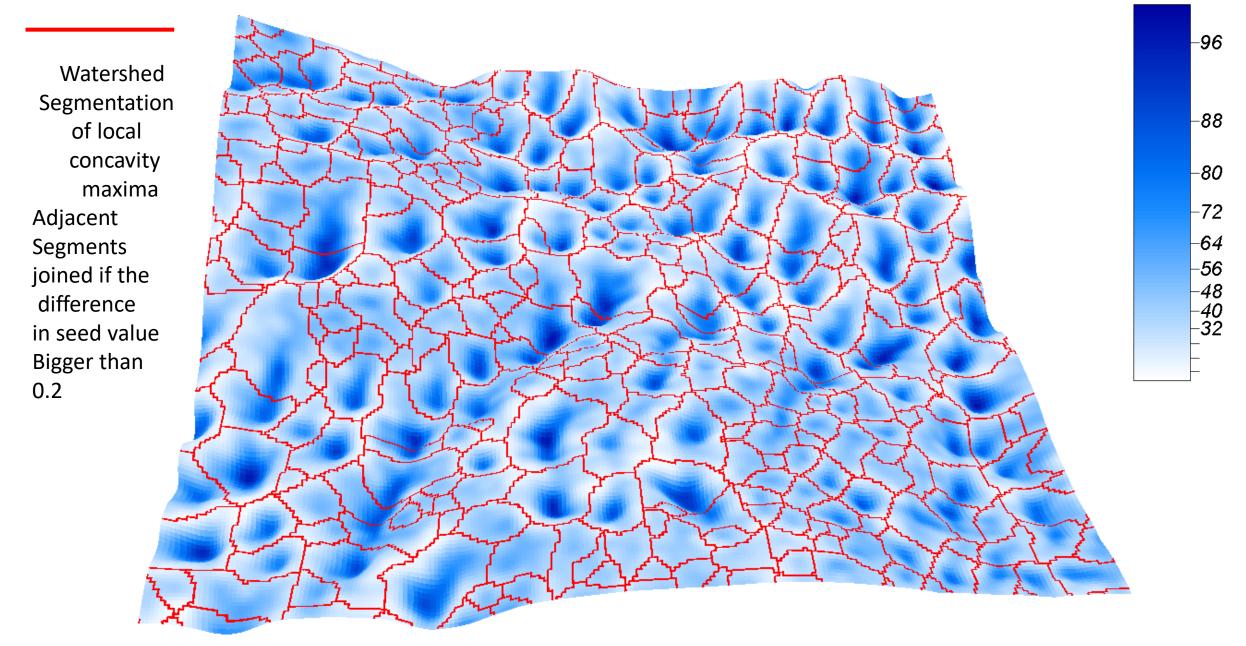
Sinkholes

concave features
5 m LiDAR DFM

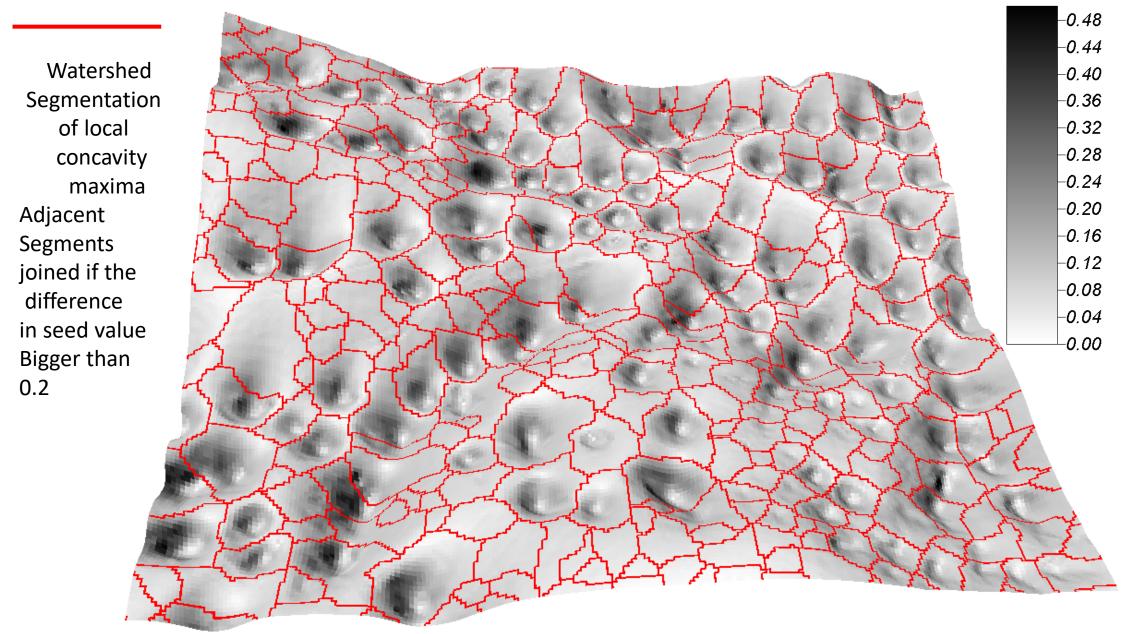


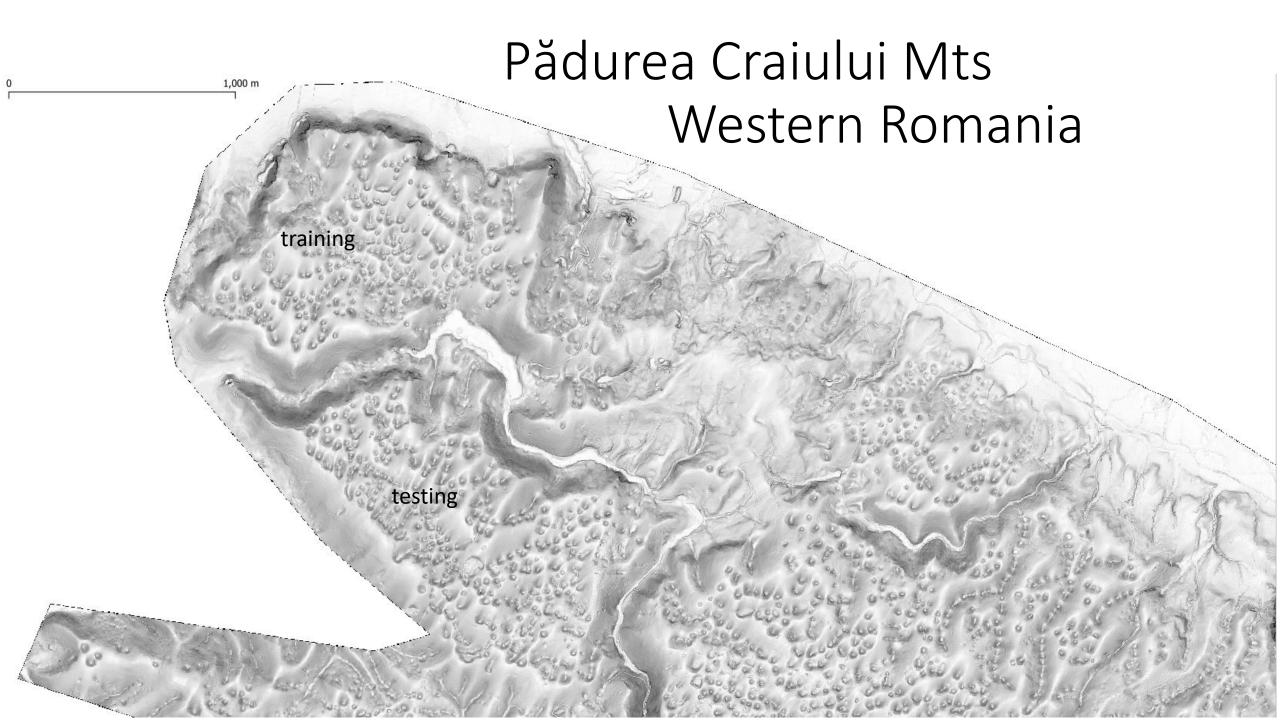
karstic

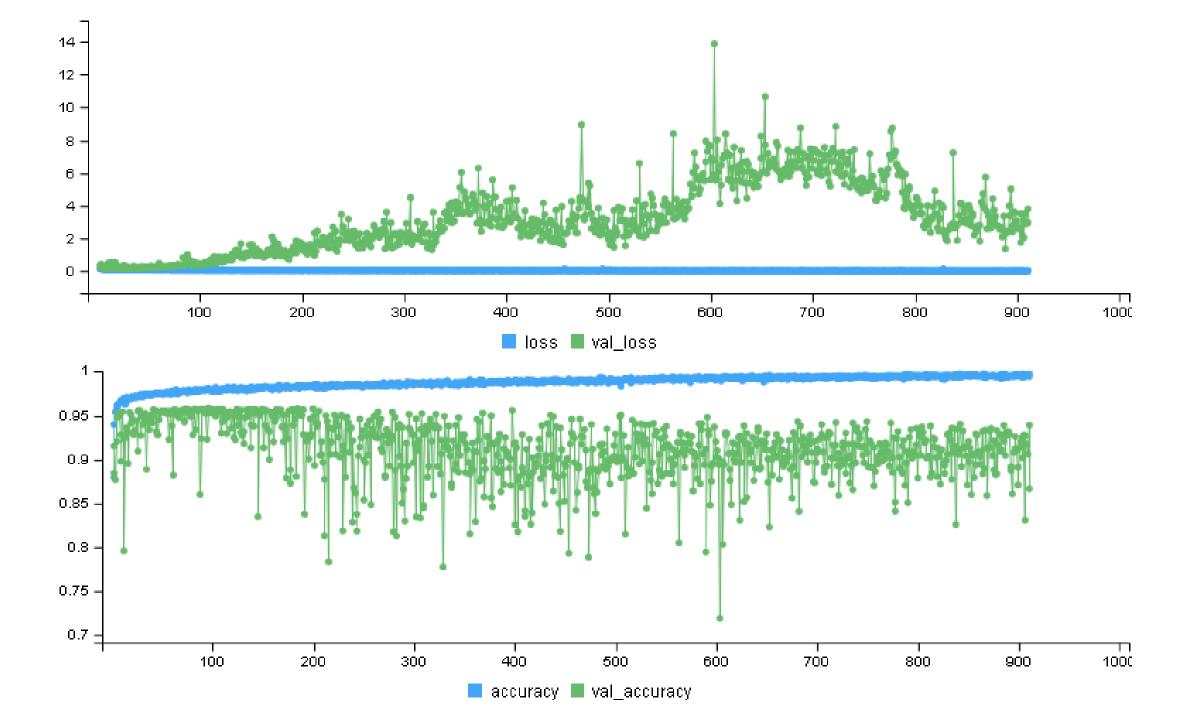
Convexity

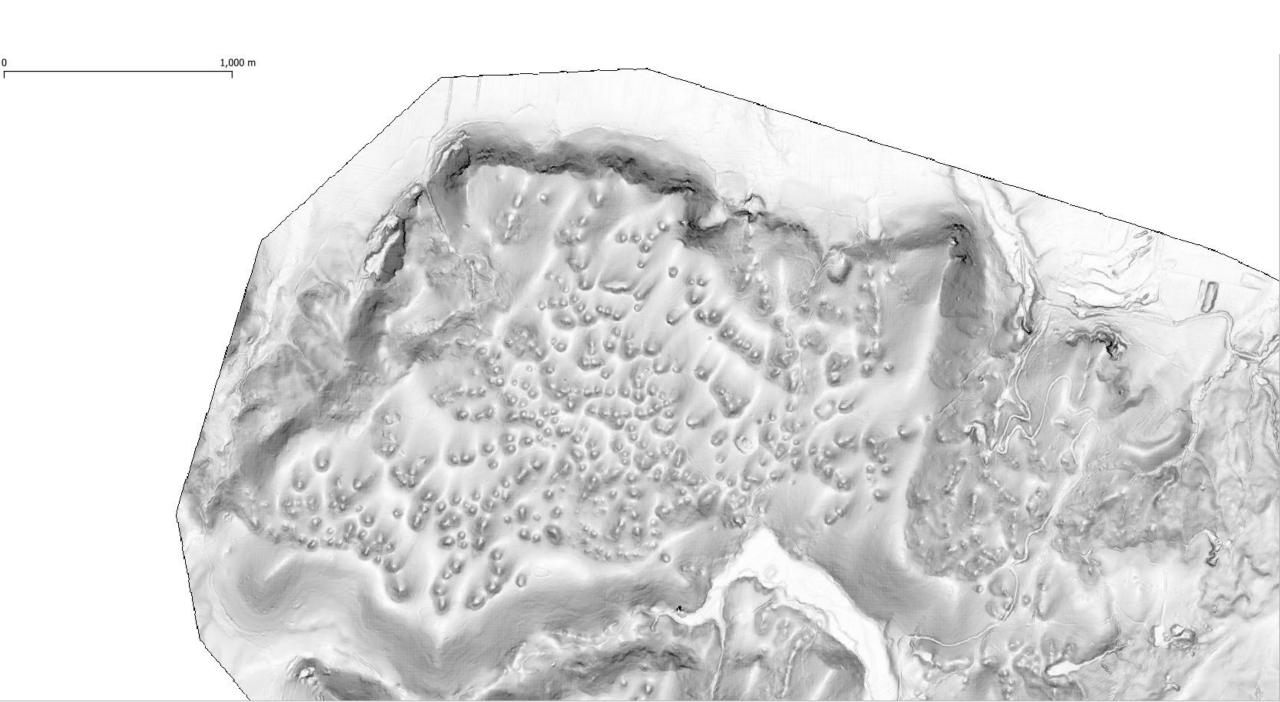


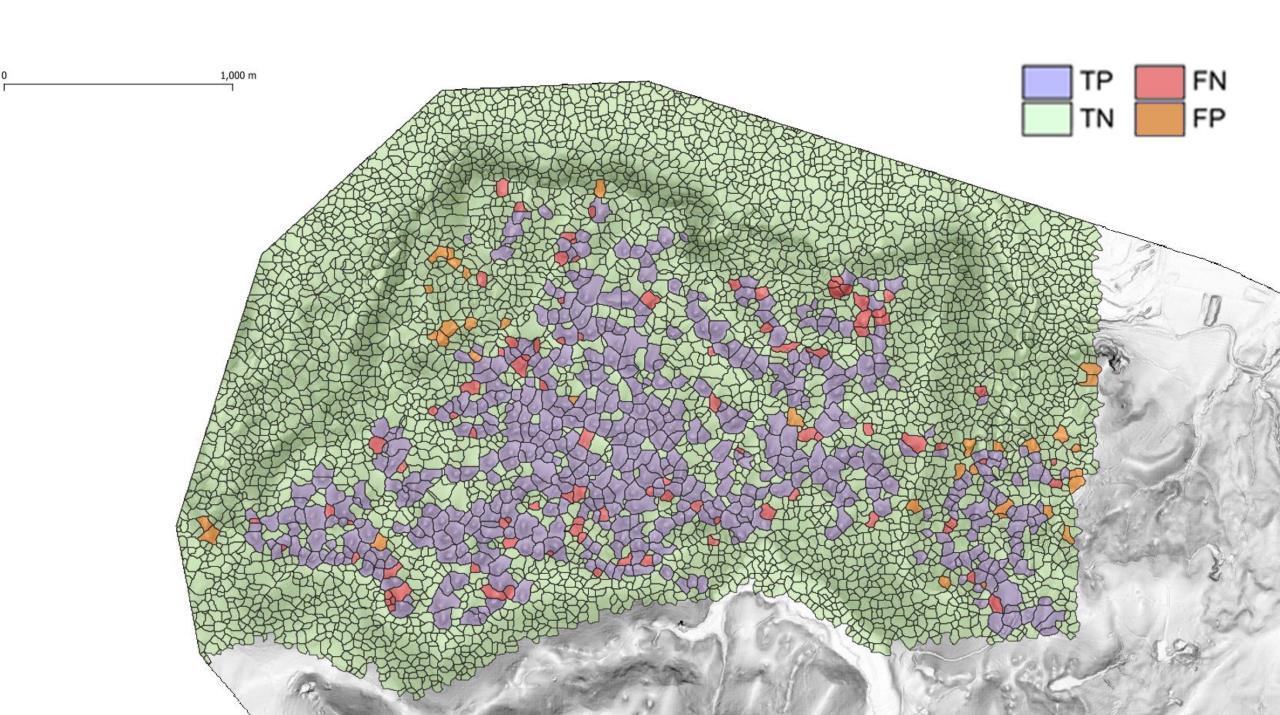
Analytical Hillshading

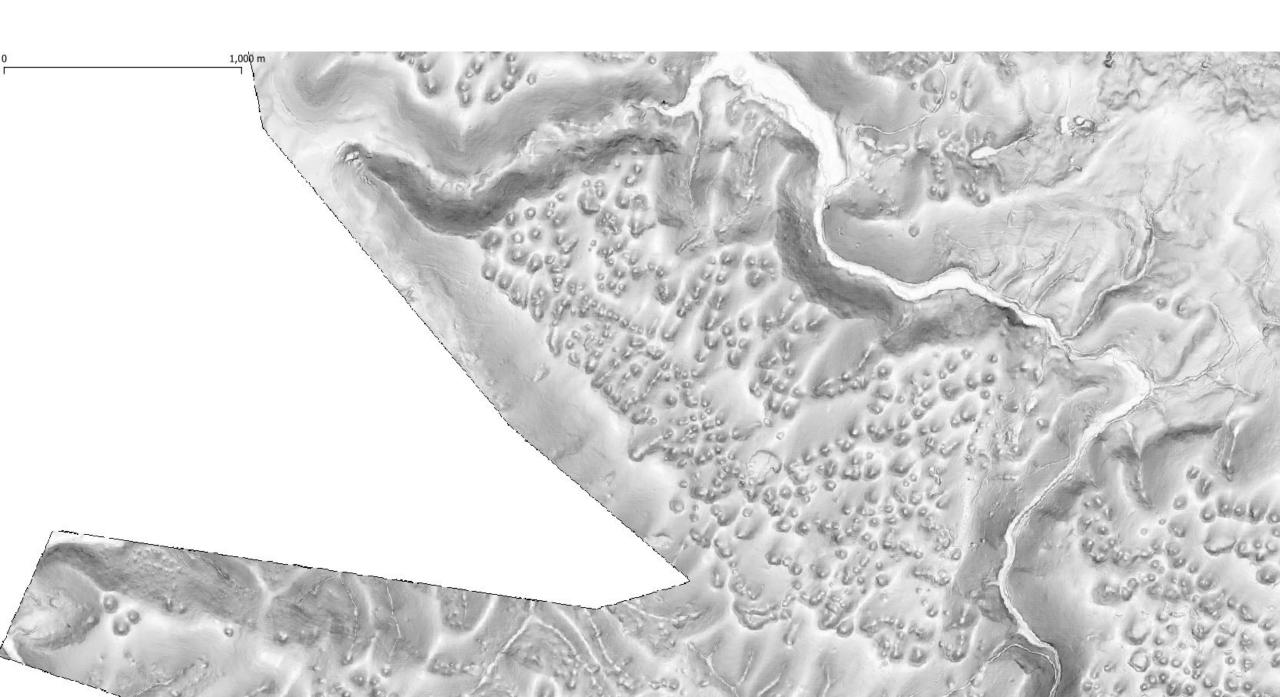


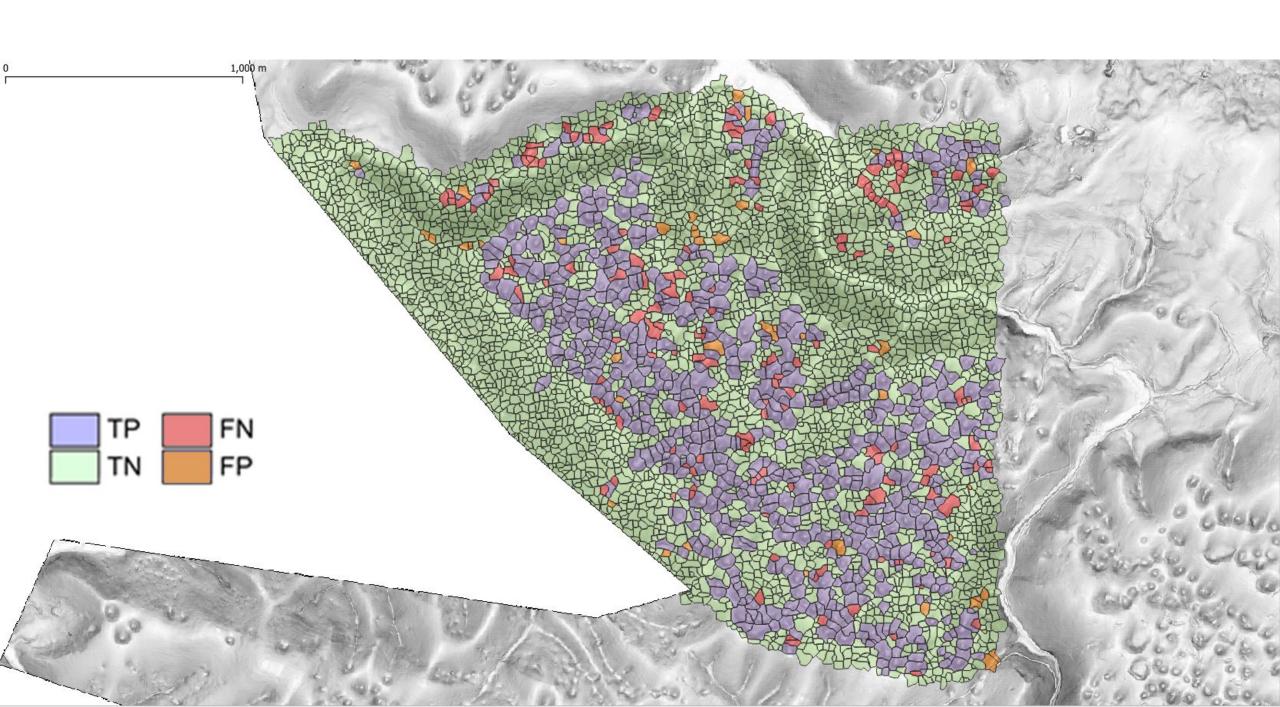












Confusion Matrix and Statistics
Reference
Prediction 0 1
0 4663 93

1 35 508

Train

Accuracy: 0.975844498962068

95% CI: (0.97134488155055, 0.979808918923813)

No Information Rate: 0.886582374032836

P-Value [Acc > NIR] : <

0.0000000000000022204460492503131

Kappa: 0.874611646088176

Mcnemar's Test P-Value: 0.0000005

Sensitivity: 0.99255002128565351

Specificity: 0.84525790349417640

Pos Pred Value: 0.98044575273338941

Neg Pred Value: 0.93554327808471482

Prevalence: 0.88658237403283635

Detection Rate: 0.87997735421777690

Detection Prevalence: 0.89752783544064918

Balanced Accuracy: 0.91890396238991490

Confusion Matrix and Statistics

Reference

Prediction 0 1

0 3711 161

1 41 657

Test

Accuracy: 0.955798687089715

95% CI: (0.949431994314811, 0.961574310375017)

No Information Rate: 0.821006564551422

P-Value [Acc > NIR] : <

0.0000000000000022204460492503131

Kappa: 0.840458111310513

Mcnemar's Test P-Value : < 0.00000000000000021

Sensitivity: 0.98907249466950964

Specificity: 0.80317848410757942

Pos Pred Value: 0.95841942148760328

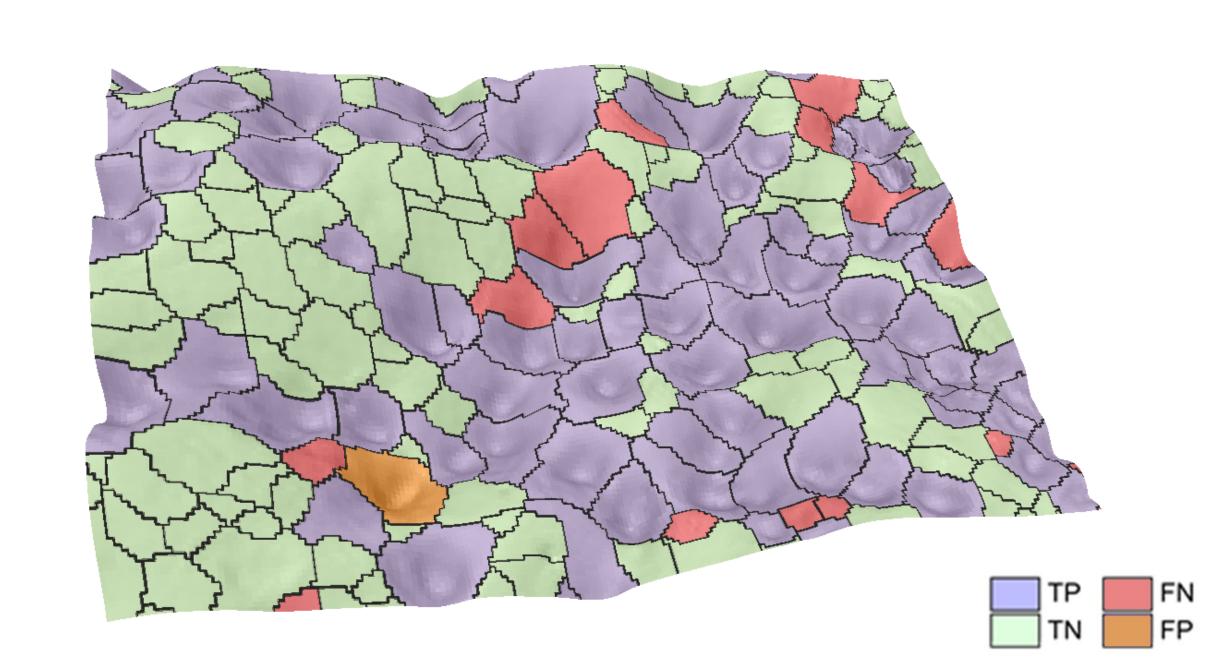
Neg Pred Value : 0.94126074498567358

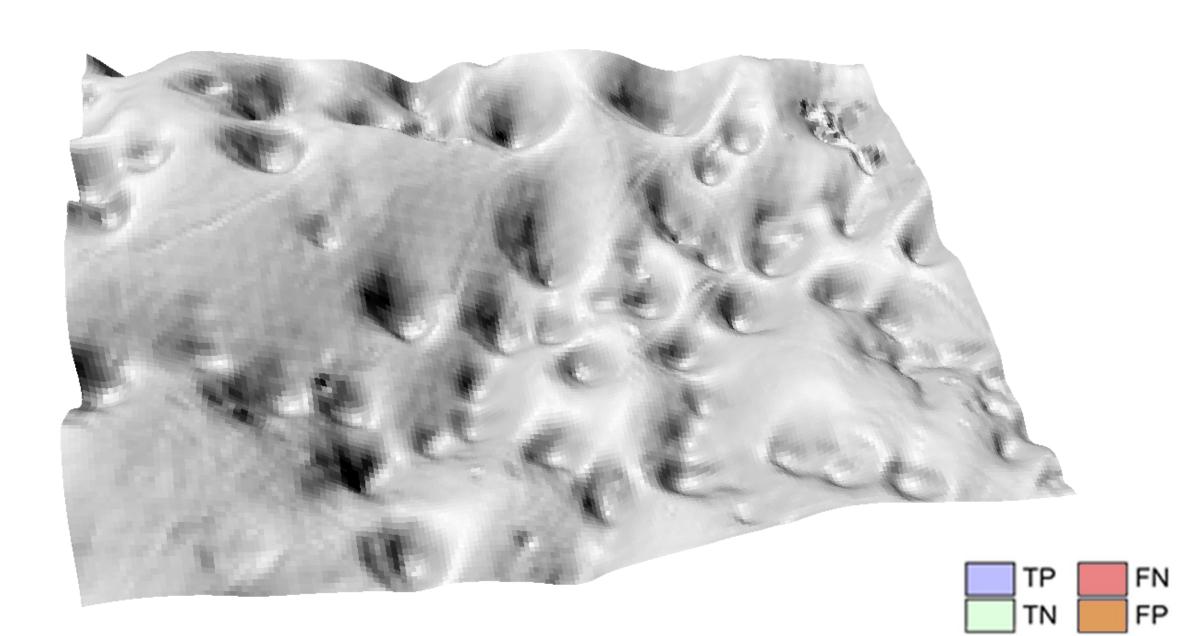
Prevalence: 0.82100656455142229

Detection Rate: 0.81203501094091901

Detection Prevalence: 0.84726477024070024

Balanced Accuracy: 0.89612548938854453





Conclusions

- I have shown that the MLP is able to train models that detect convex and concave features, with good generalisation.
- The segmentation is a powerfull tool that reduce the complexity of the task.
- Analysing the correlation matrix the main issue remaining for the sinkholes is the accuracy of the segmentation.
- Anyway while this can be improved, the Stepinski approach of segmentation followed by classification I think is the best approach in landform classification approaches.
- By adding the power of the ML & AI this workflow should be extended to include neighbourhood information, to be able to classify compound shapes.

Thank you for your attention!

- Niculiță M (2020) Geomorphometric Methods for Burial Mound Recognition and Extraction from High-Resolution LiDAR DEMs, Sensors, https://www.mdpi.com/1424-8220/20/4/1192/htm
- Niculiță M (2020) Burial mound detection using geomorphometry and statistical methods pixels versus objects, in Massimiliano Alvioli, Ivan Marchesini, Laura Melelli, and Peter Guth, Proceedings of the Geomorphometry 2020 Conference, Perugia, Italy, CNR Edizioni, 26-29, DOI: 10.30437/geomorphometry2020_7