



Stress triggering and the spectrum of fault slip behavior

Federico Pignalberi¹

Marco Maria Scuderi¹, Corentin Noël¹, Carolina Giorgetti¹, Chris Marone^{1,2} and Cristiano Collettini¹

¹Dipartimento di Scienze della Terra, La Sapienza Università di Roma, Rome, Italy

²Department of Geosciences, Pennsylvania State University, University Park, Pennsylvania, USA

federico.pignalberi@uniroma1.it

Vienna 23 – 27 May 2022



SAPIENZA
UNIVERSITÀ DI ROMA



PennState

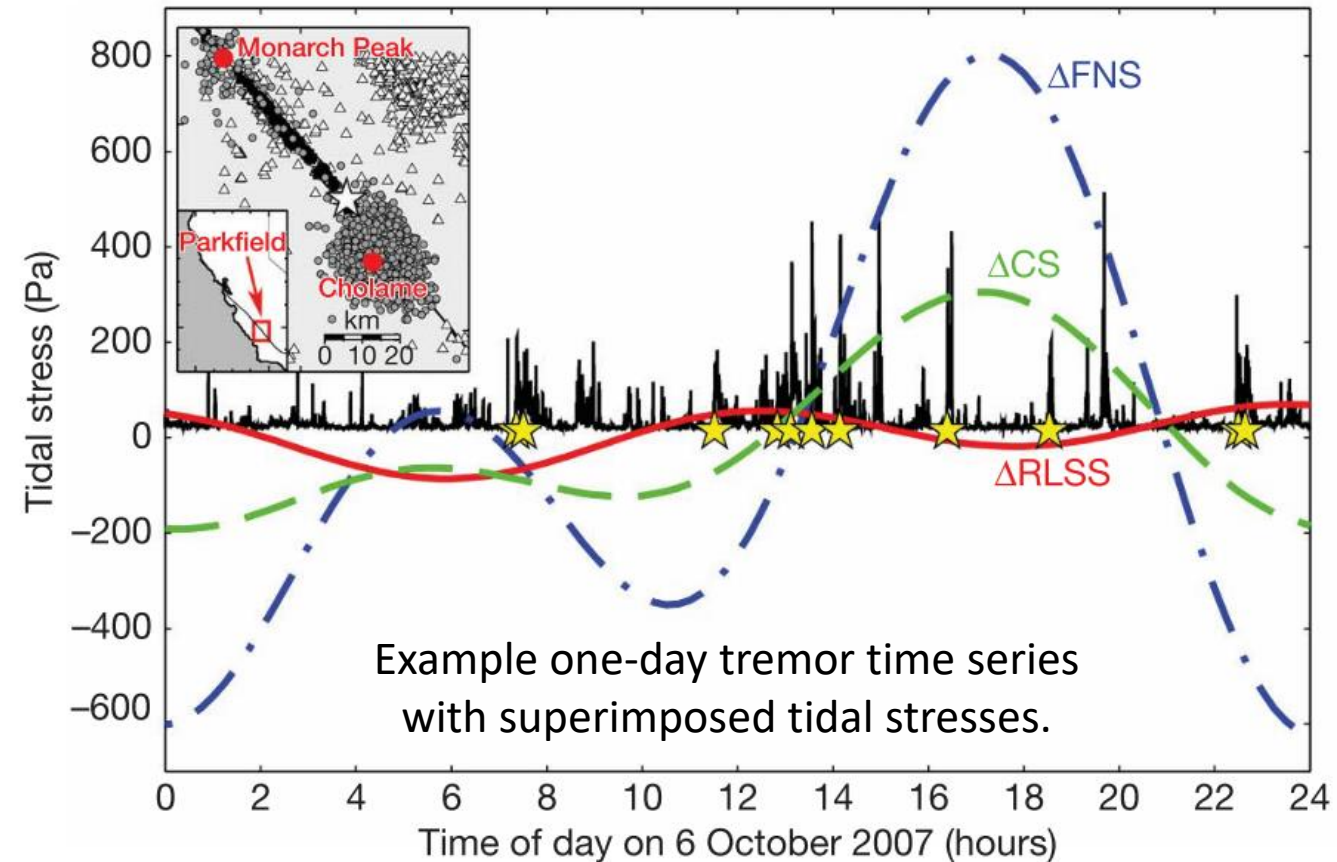


European Research Council
Established by the European Commission

ERC adv. grant
TECTONIC Nr. 835012

Stress perturbation can **trigger earthquakes**

Slow-slip and tremors are also **sensitive to small stress variations**

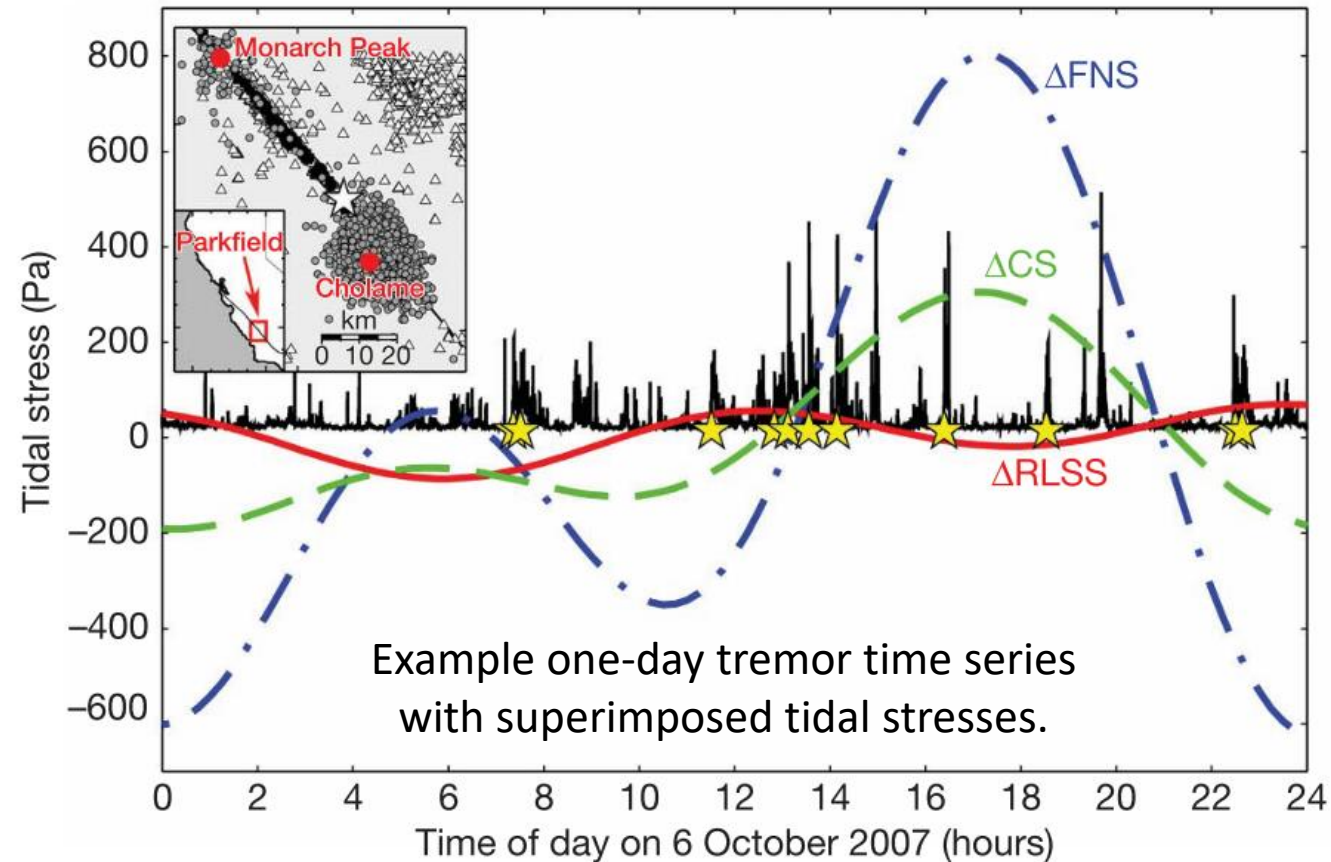


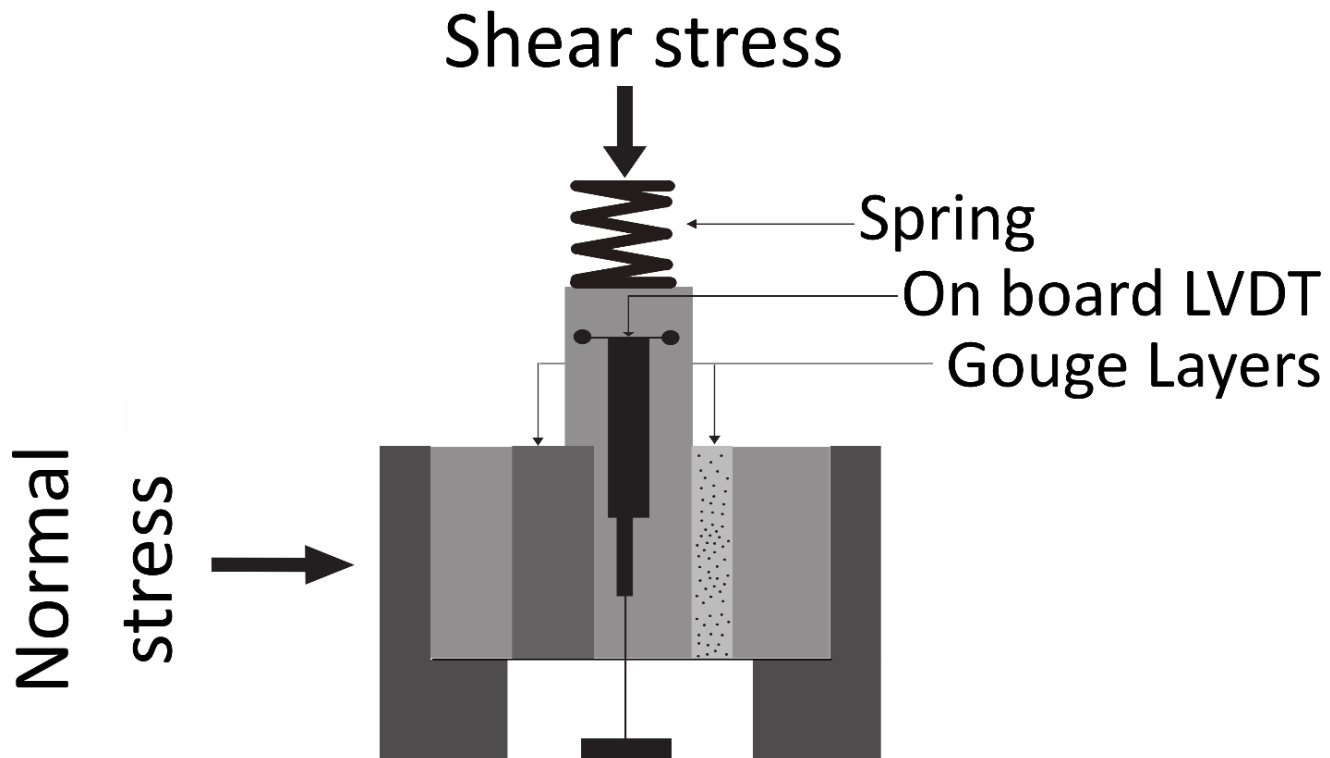
Stress perturbation can **trigger earthquakes**

Slow-slip and tremors are also **sensitive to small stress variations**

Outstanding questions

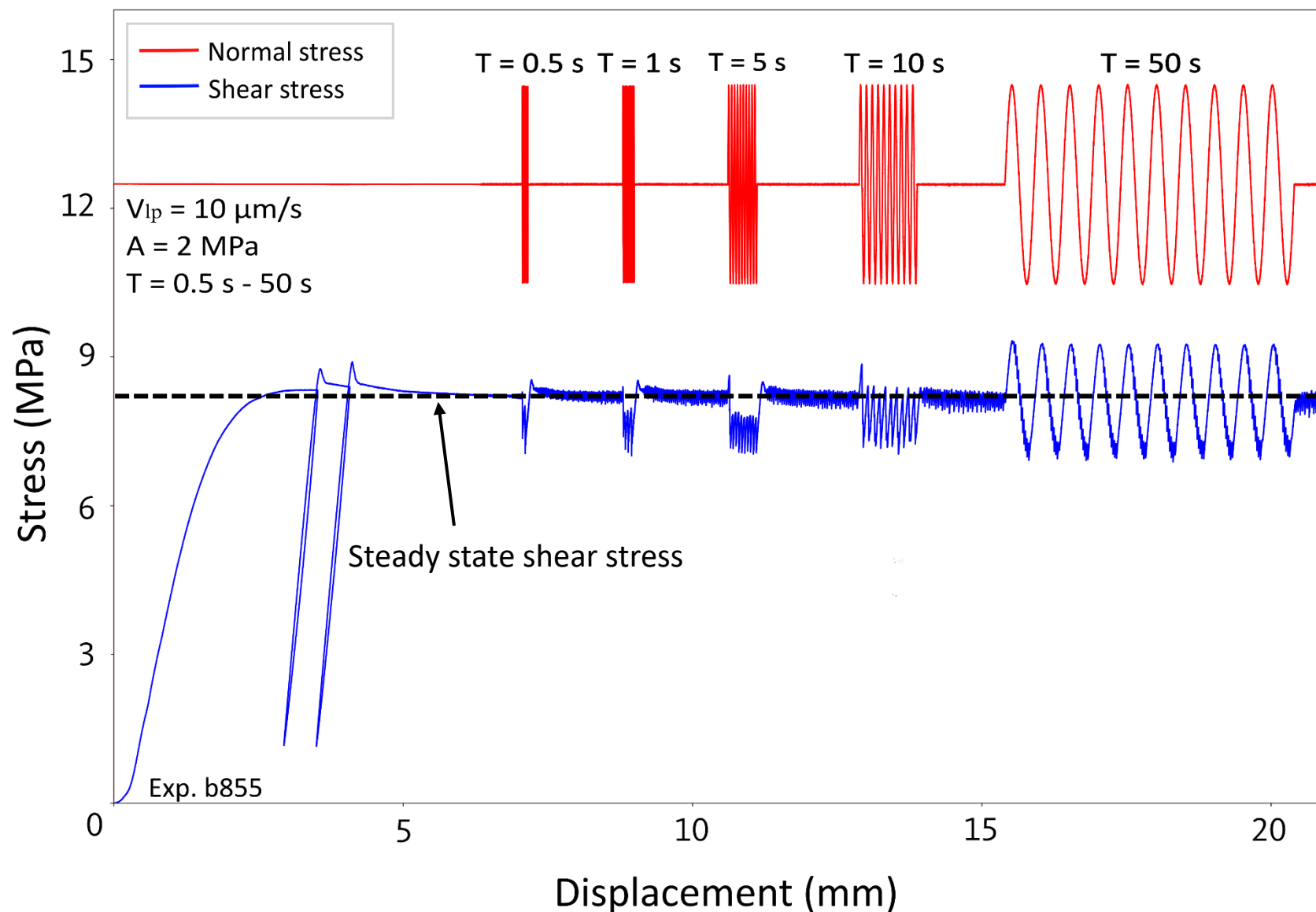
1. Relation between normal stress oscillation and **slip behavior** ?
2. Normal stress oscillation **reduce fault strength**?
3. **Rate-and-state framework** describe the laboratory results ?





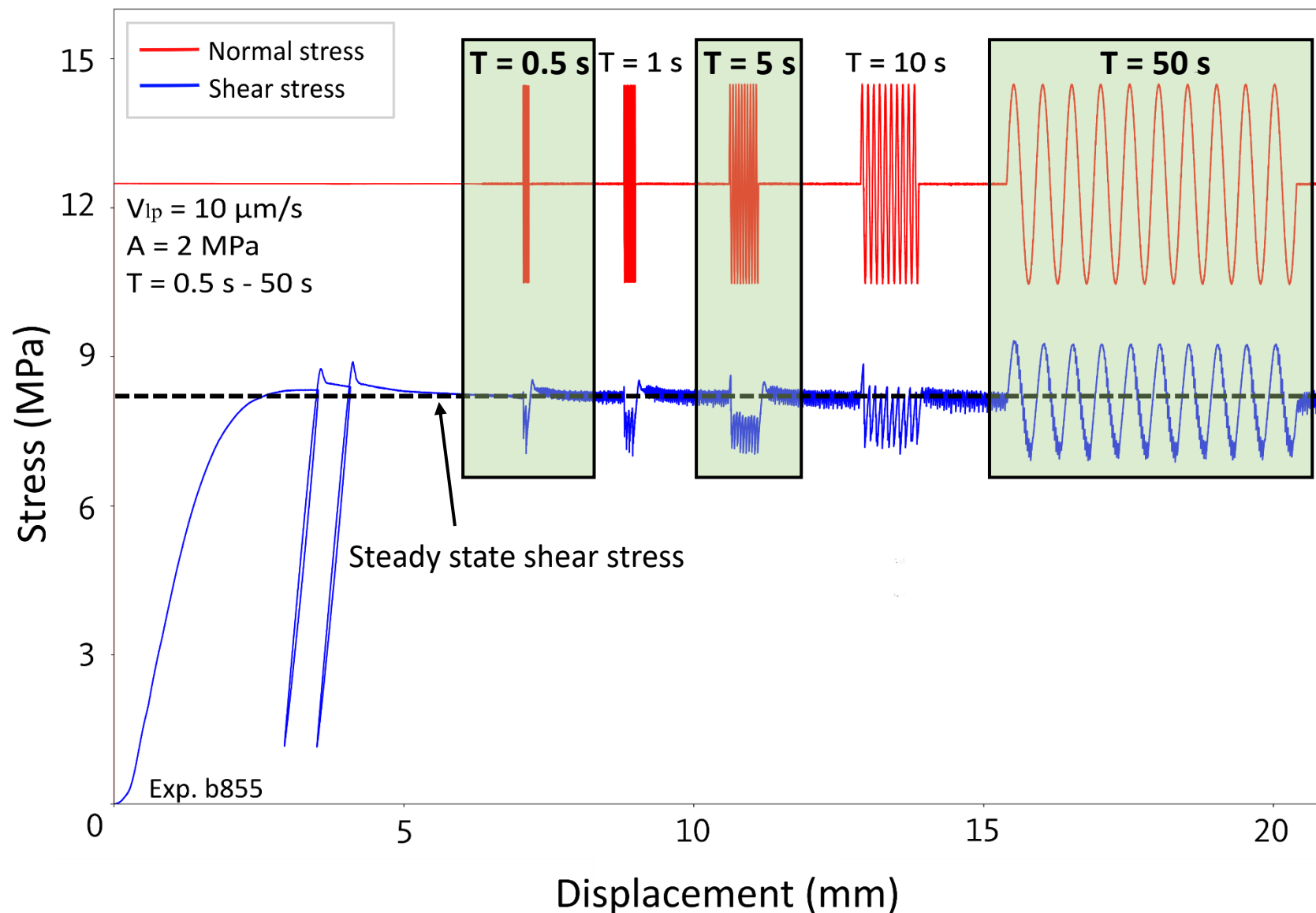
Experimental conditions

- Biaxial apparatus
- Double Direct-Shear (DDS) configuration
 - Using quartz gouge
- Under controlled **100% humidity** conditions
- Critically stiffness condition $K'/Kc' \sim 1.3$



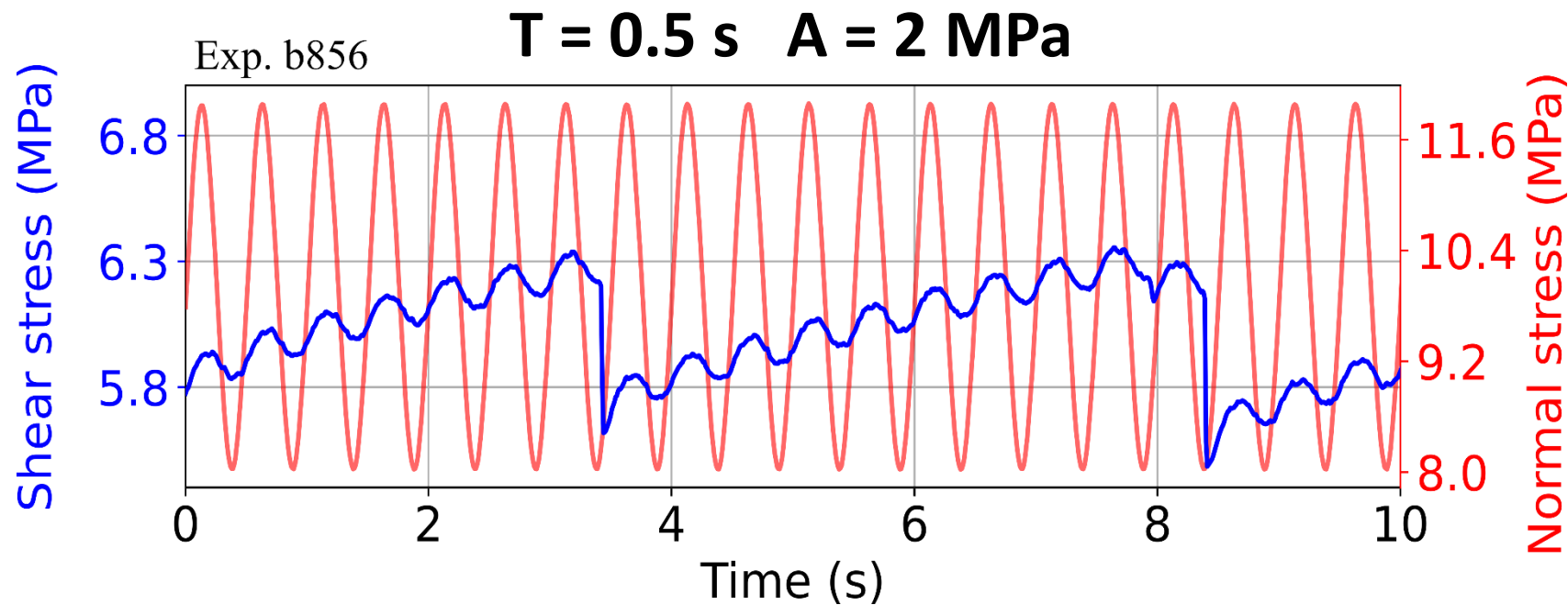
Experimental conditions

- Mean normal stress
 $\sigma_n^{\text{mean}} = 12.5 \text{ MPa}$
- Loading rate
 $V_{lp} = 10 \mu\text{m/s}$
- Oscillation periods
 $T = 0.5 \text{ s to } 50 \text{ s}$
- Oscillation amplitudes
 $A = 0.5 \text{ MPa, } 1 \text{ MPa and } 2 \text{ MPa}$



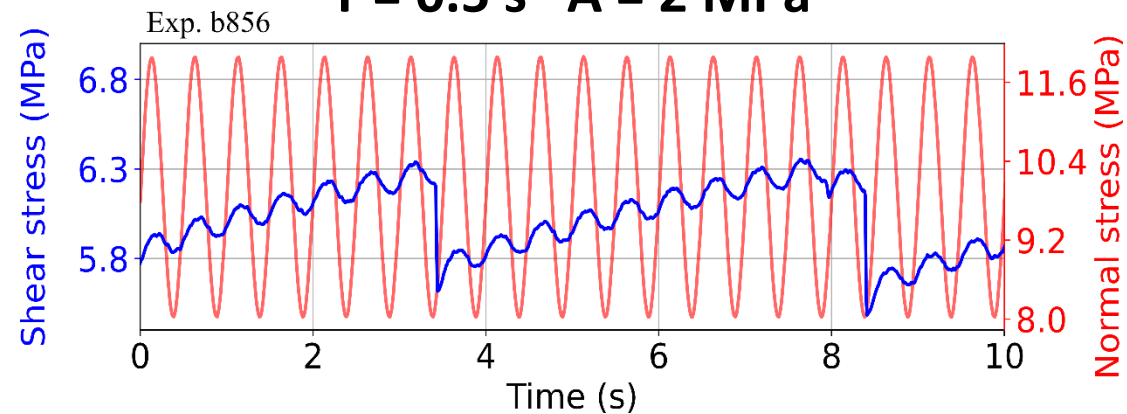
Experimental conditions

- Mean normal stress
 $\sigma_n^{\text{mean}} = 12.5 \text{ MPa}$
- Loading rate
 $V_{lp} = 10 \mu\text{m/s}$
- Oscillation periods
 $T = 0.5 \text{ s to } 50 \text{ s}$
- Oscillation amplitudes
 $A = 0.5 \text{ MPa, } 1 \text{ MPa and } 2 \text{ MPa}$

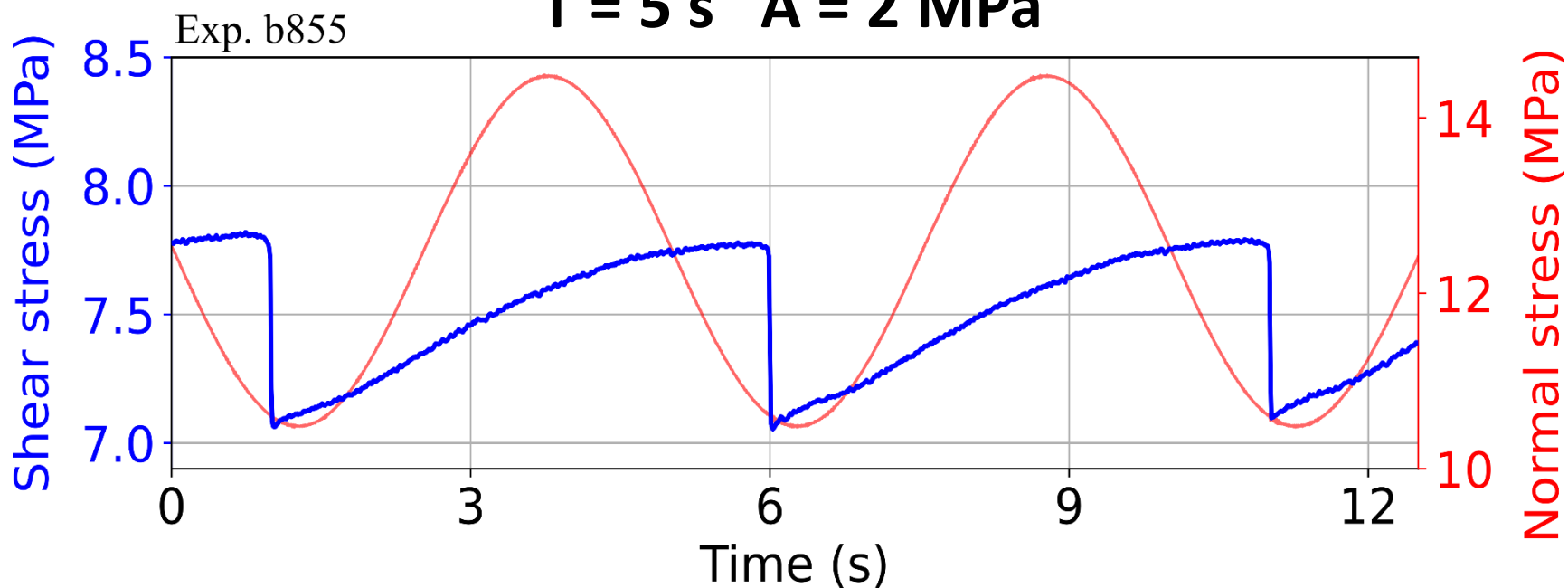


$T = 0.5$ s: In phase response superimposed to a shear stress accumulation

T = 0.5 s A = 2 MPa

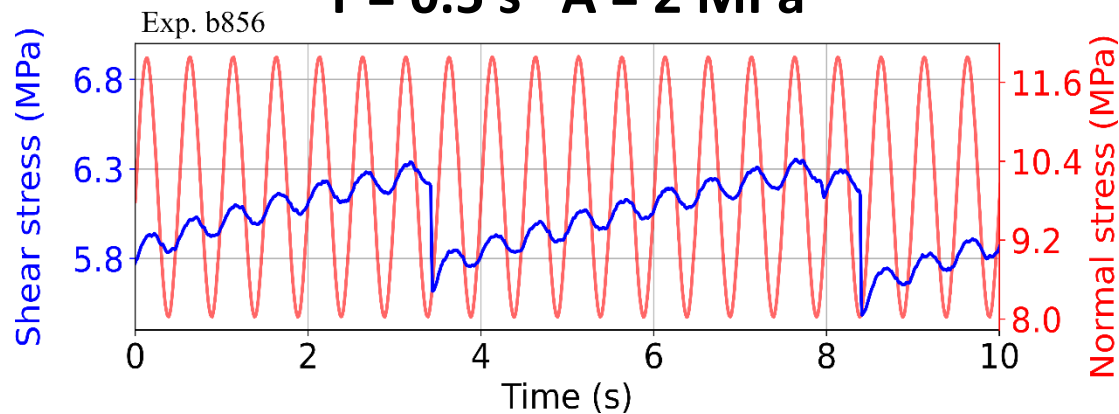


T = 5 s A = 2 MPa

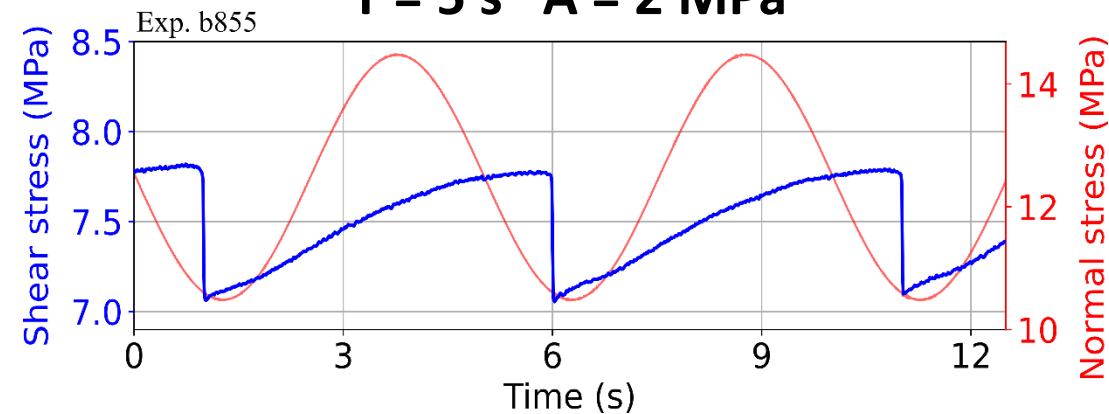


T = 5 s: Regular stick slip behavior out of phase with the oscillation

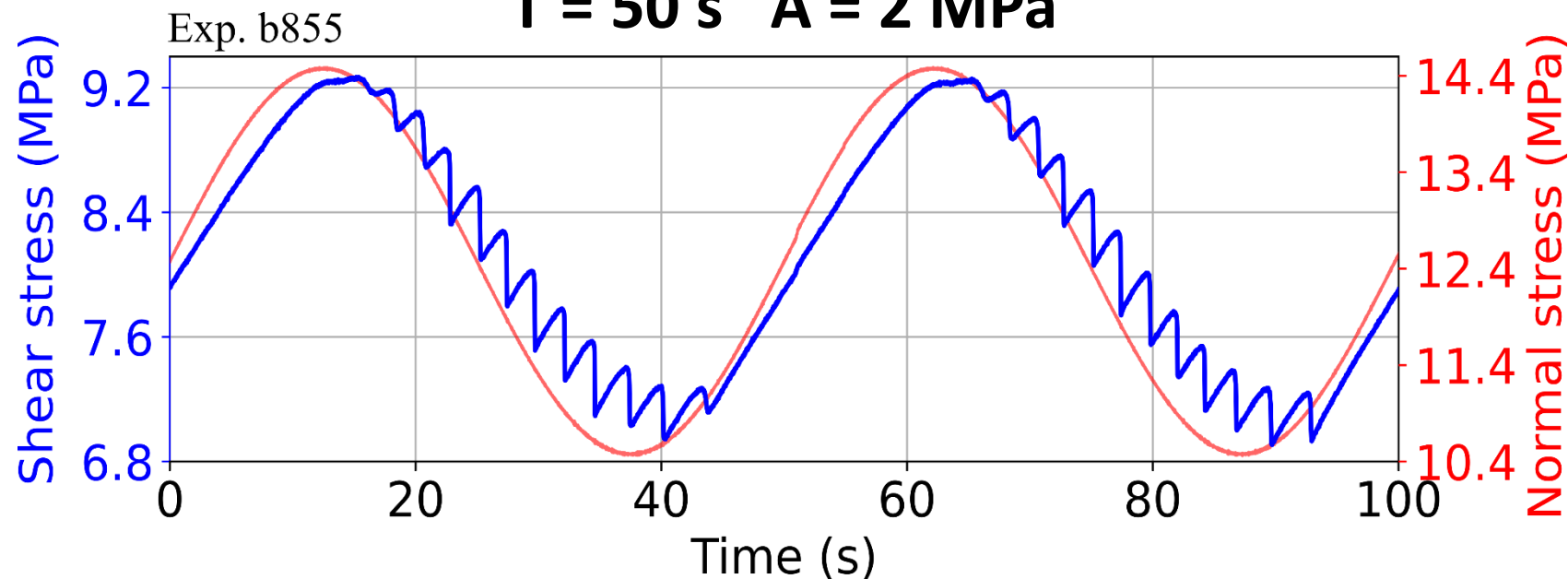
T = 0.5 s A = 2 MPa



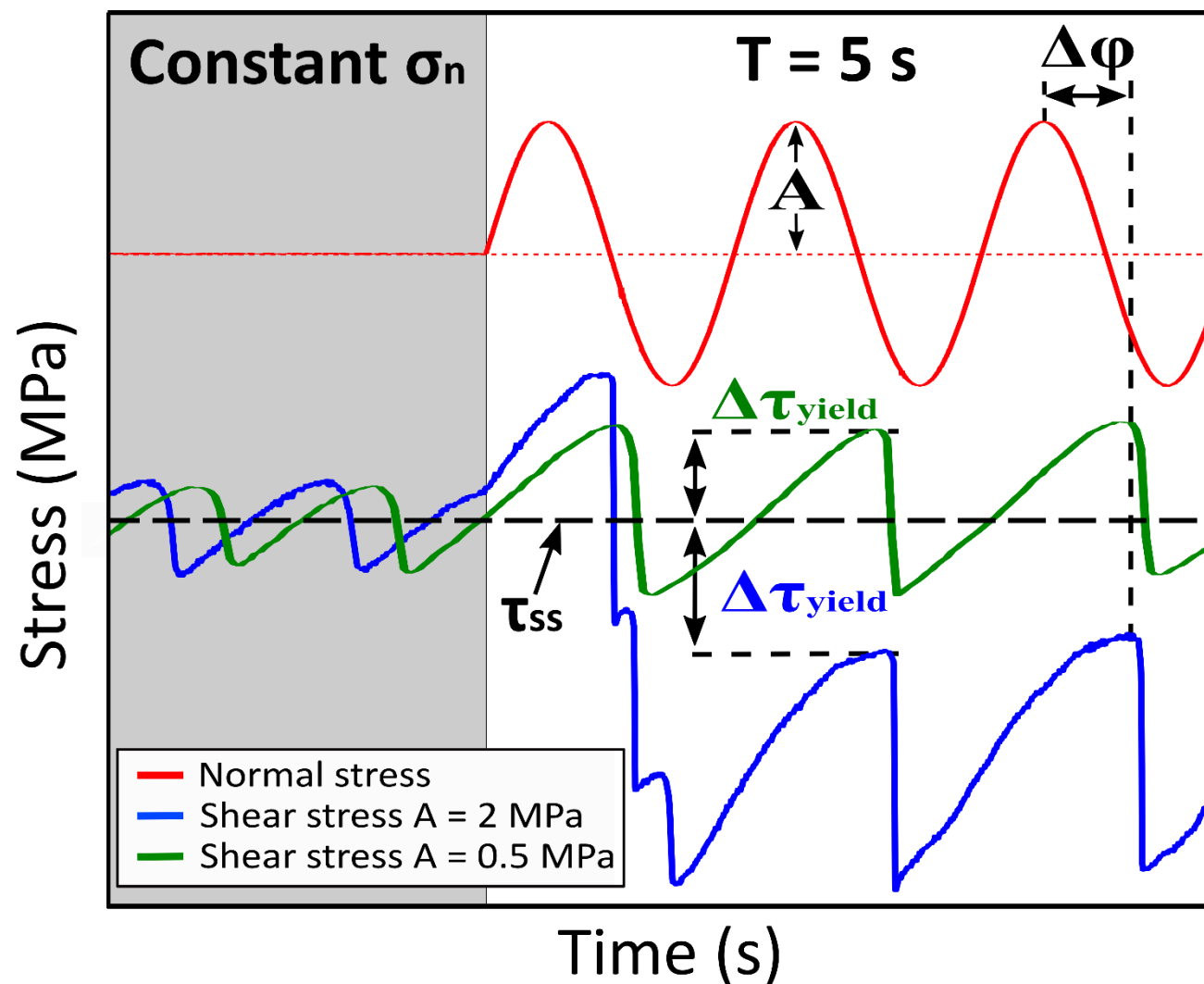
T = 5 s A = 2 MPa



T = 50 s A = 2 MPa



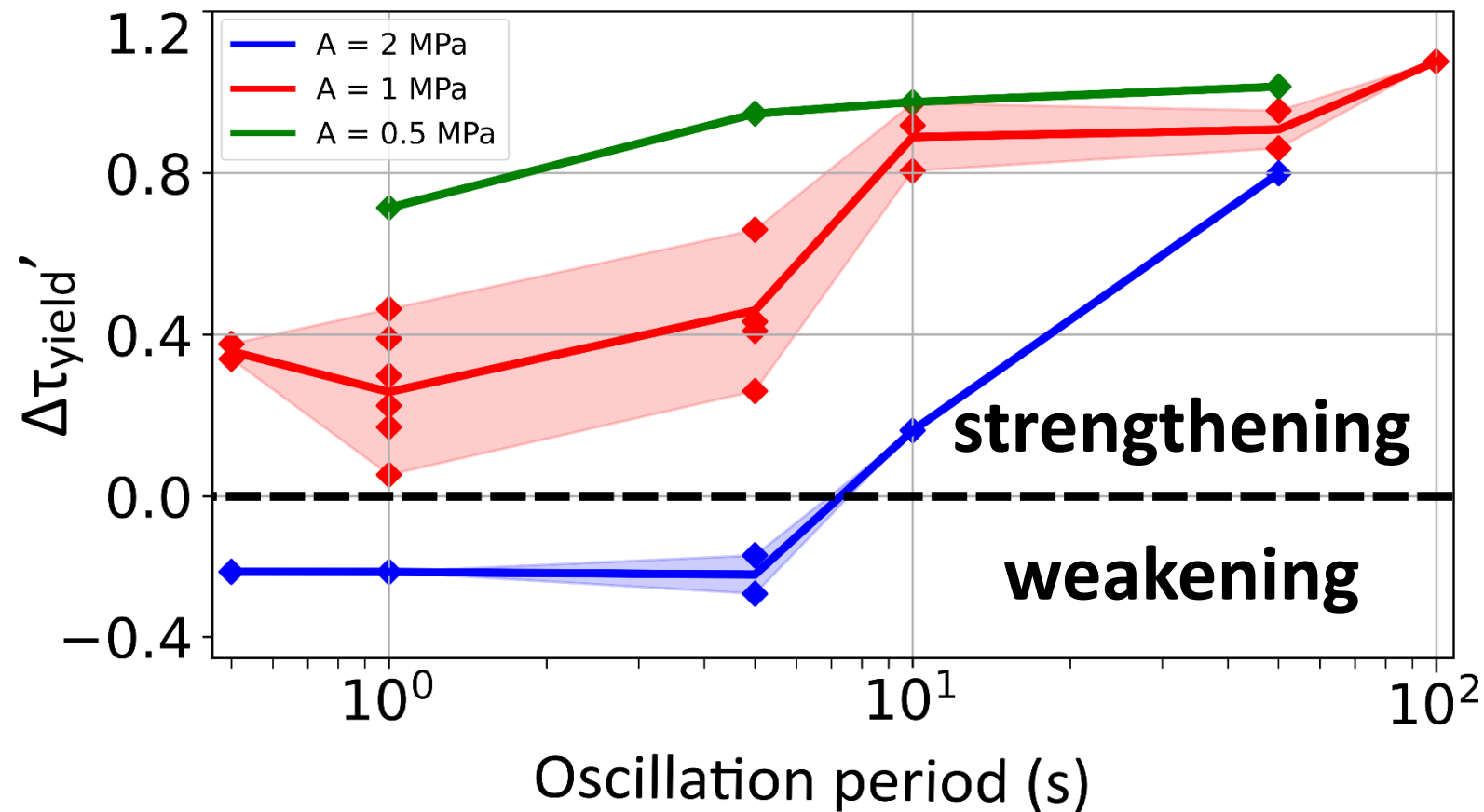
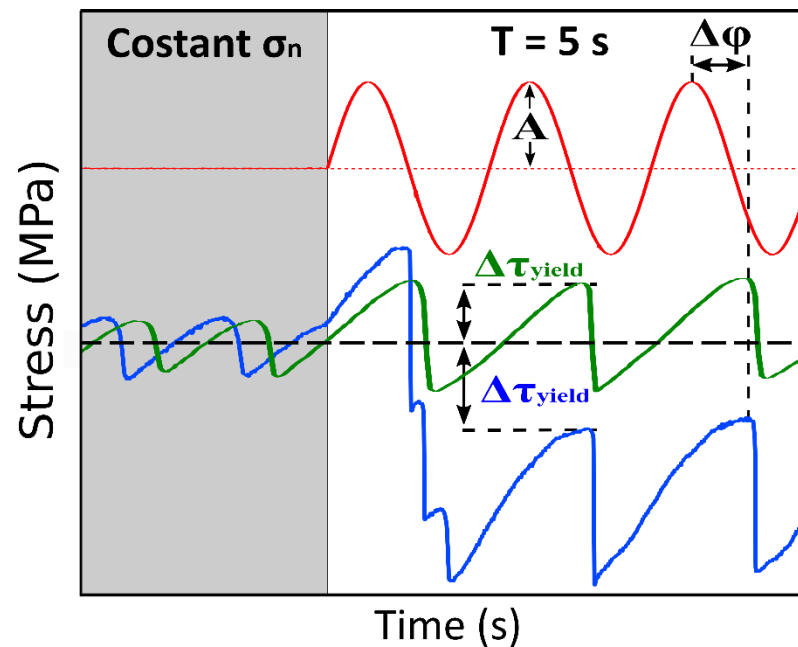
T = 50 s: complete modulation with instabilities only during the normal stress decreasing



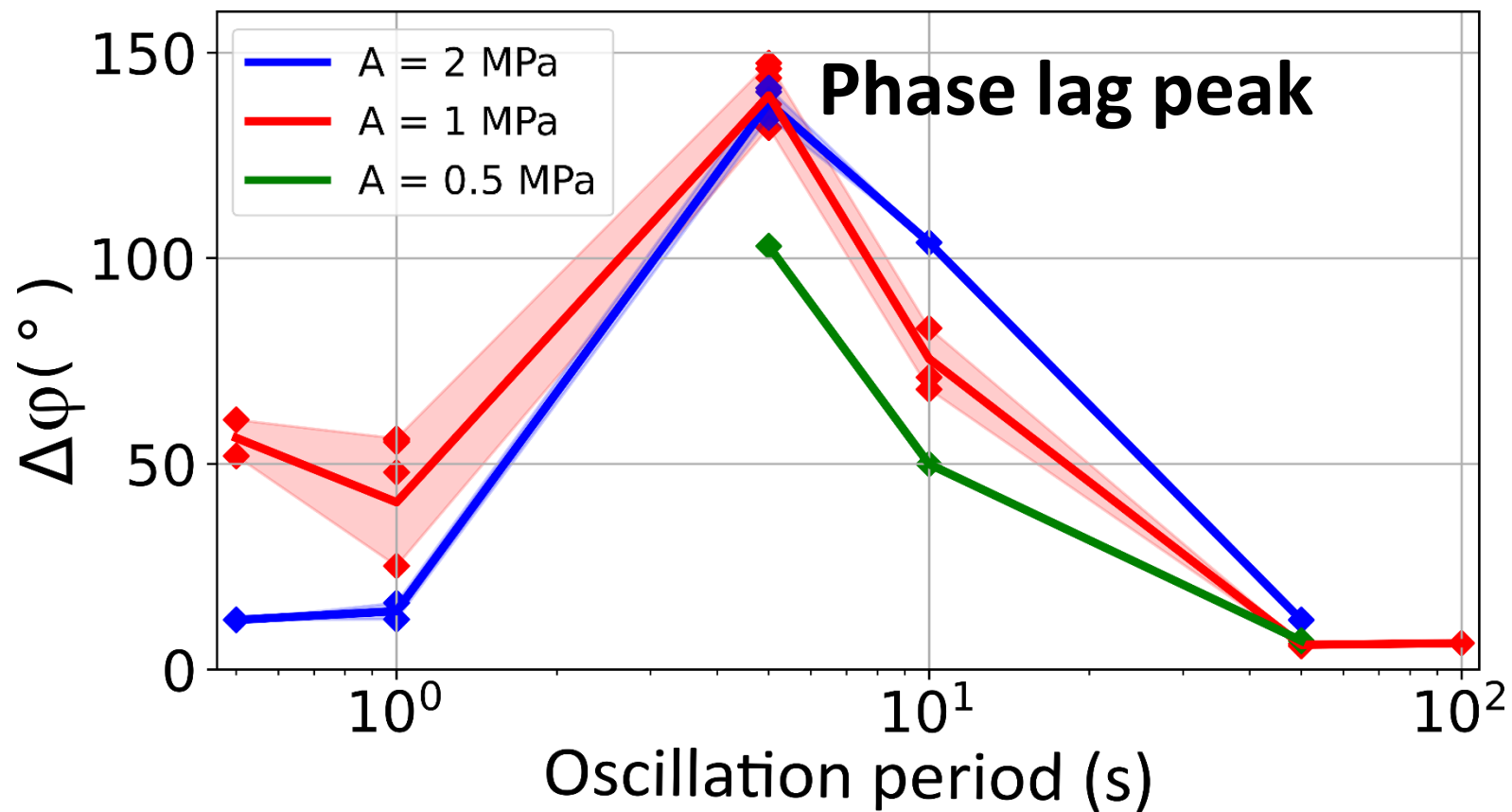
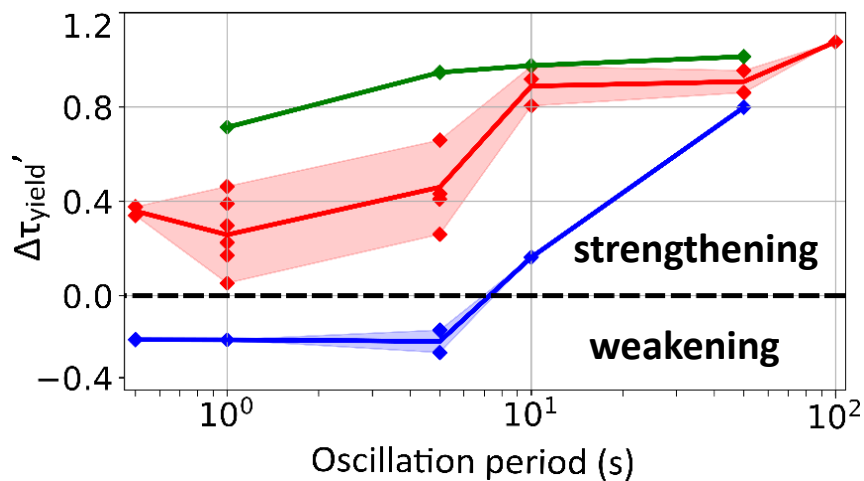
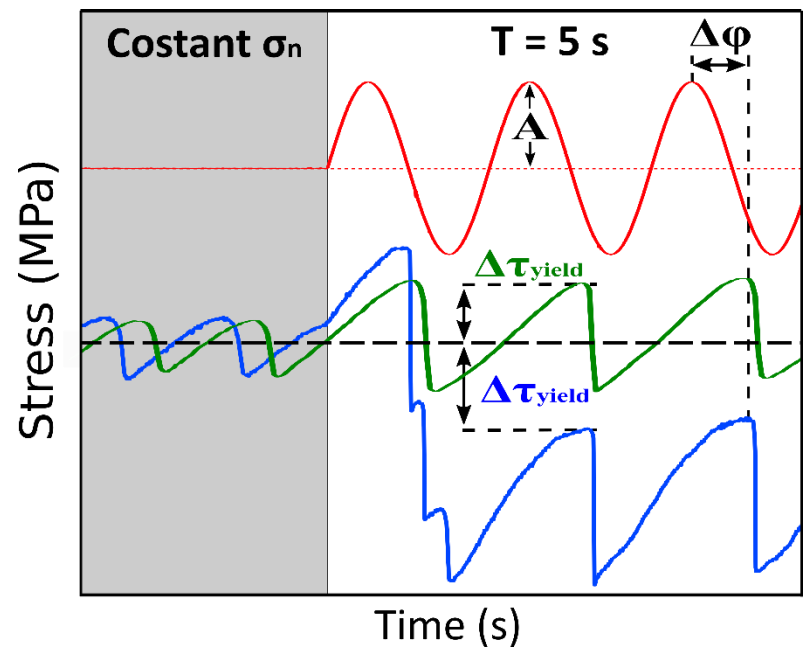
Two parameters to quantify the frictional response:

1. **$\Delta\tau_{\text{yield}}$** , the variation in peak yield strength.
2. **$\Delta\phi$** , the phase lag.

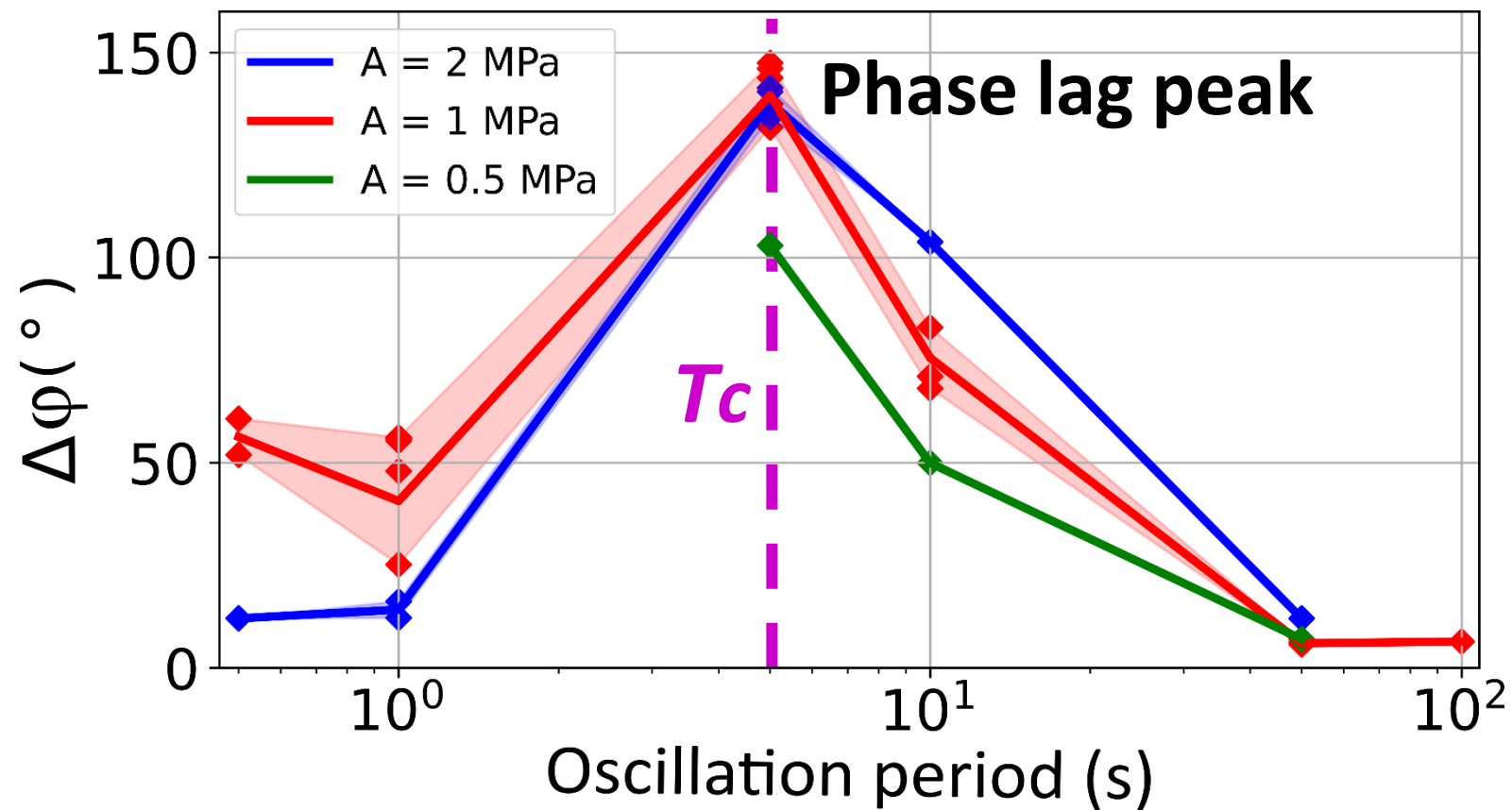
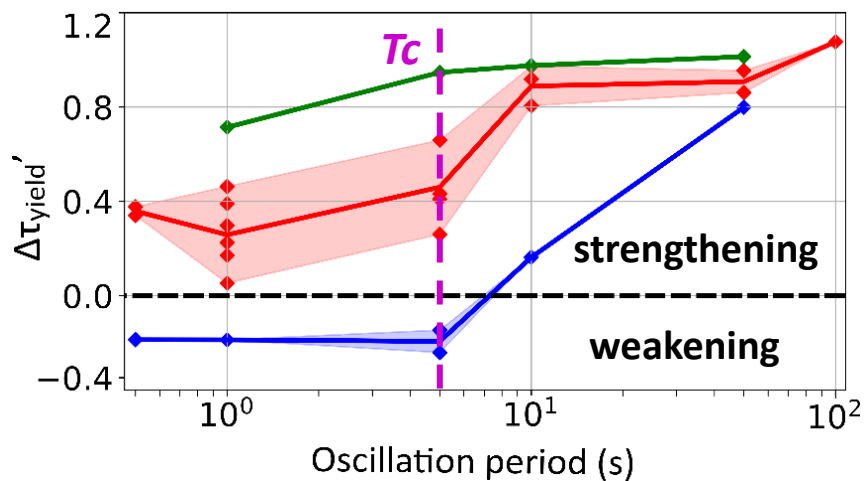
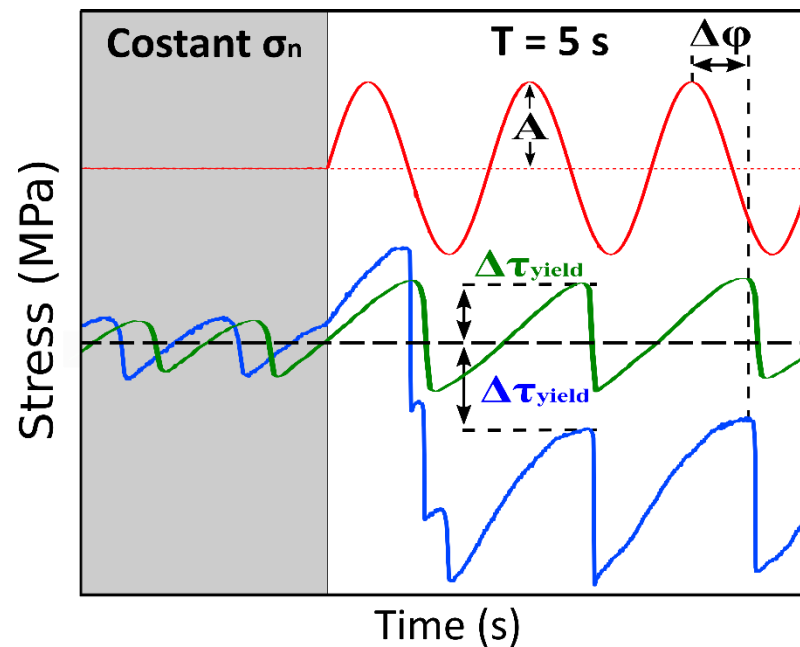
$\Delta\tau_{\text{yield}}' < 0$ dynamic weakening, while $\Delta\tau_{\text{yield}}' > 0$ dynamic strengthening



$\Delta\varphi$ is close to zero at short and long oscillation period, and is maximum at $T = 5$ s

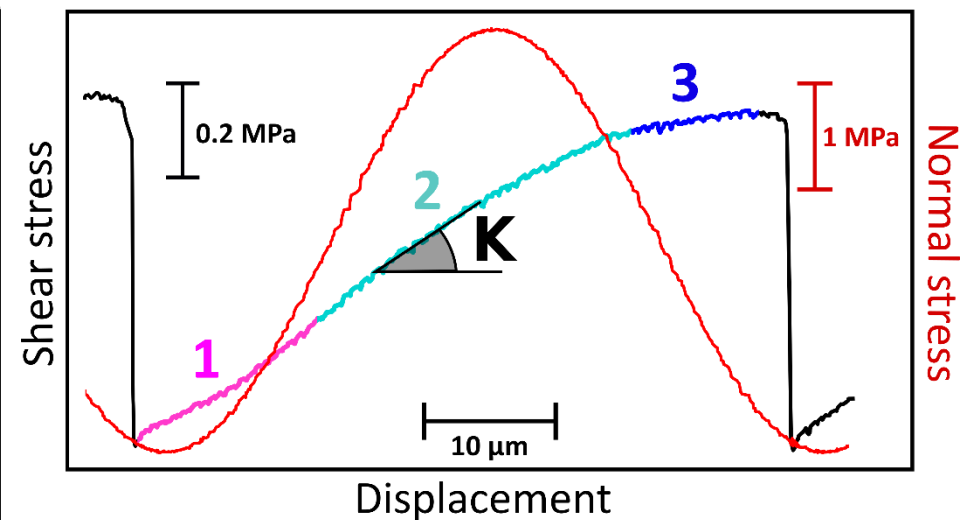
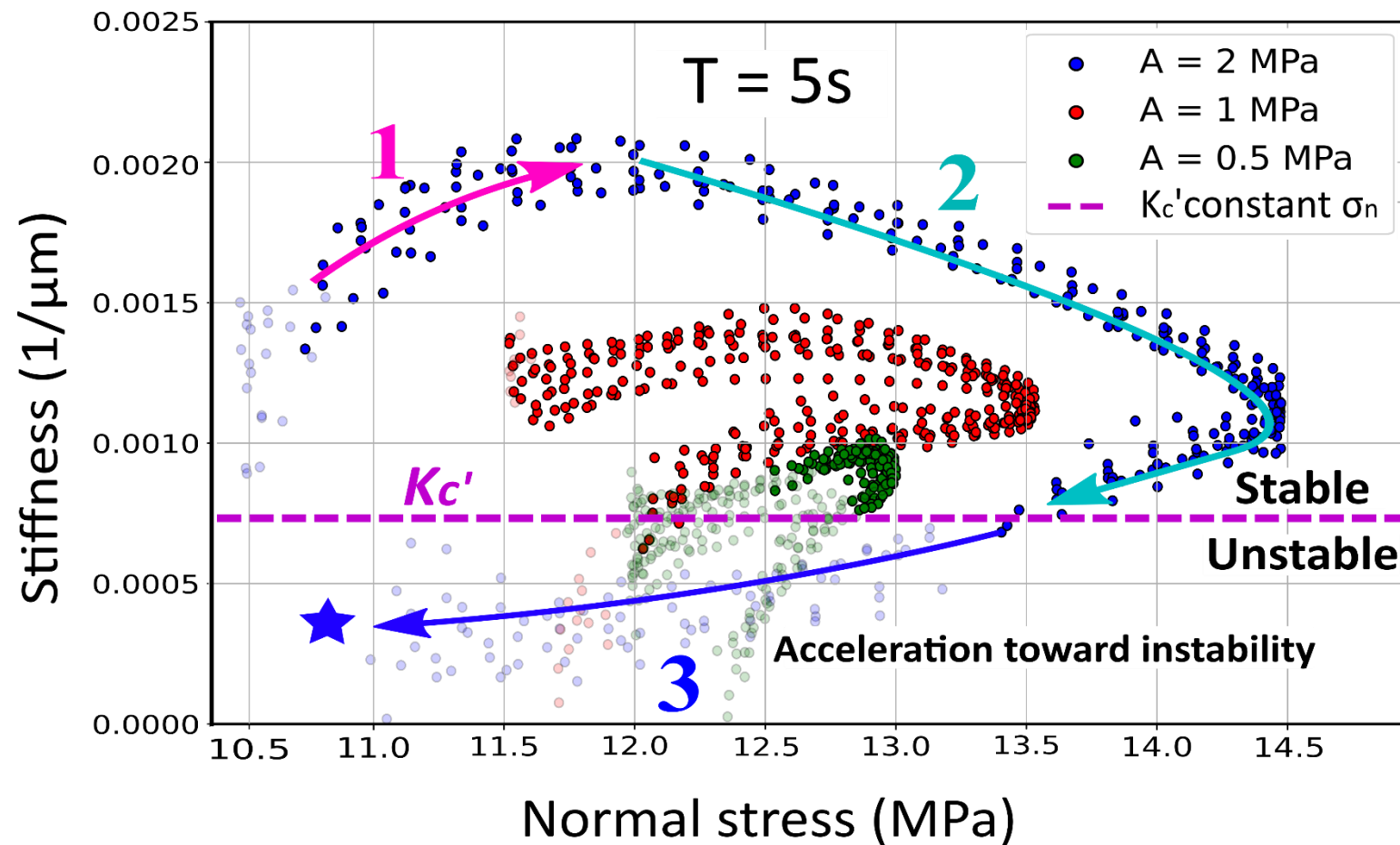


$\Delta\varphi$ is close to zero at short and long oscillation period, and is maximum at $T = 5$ s

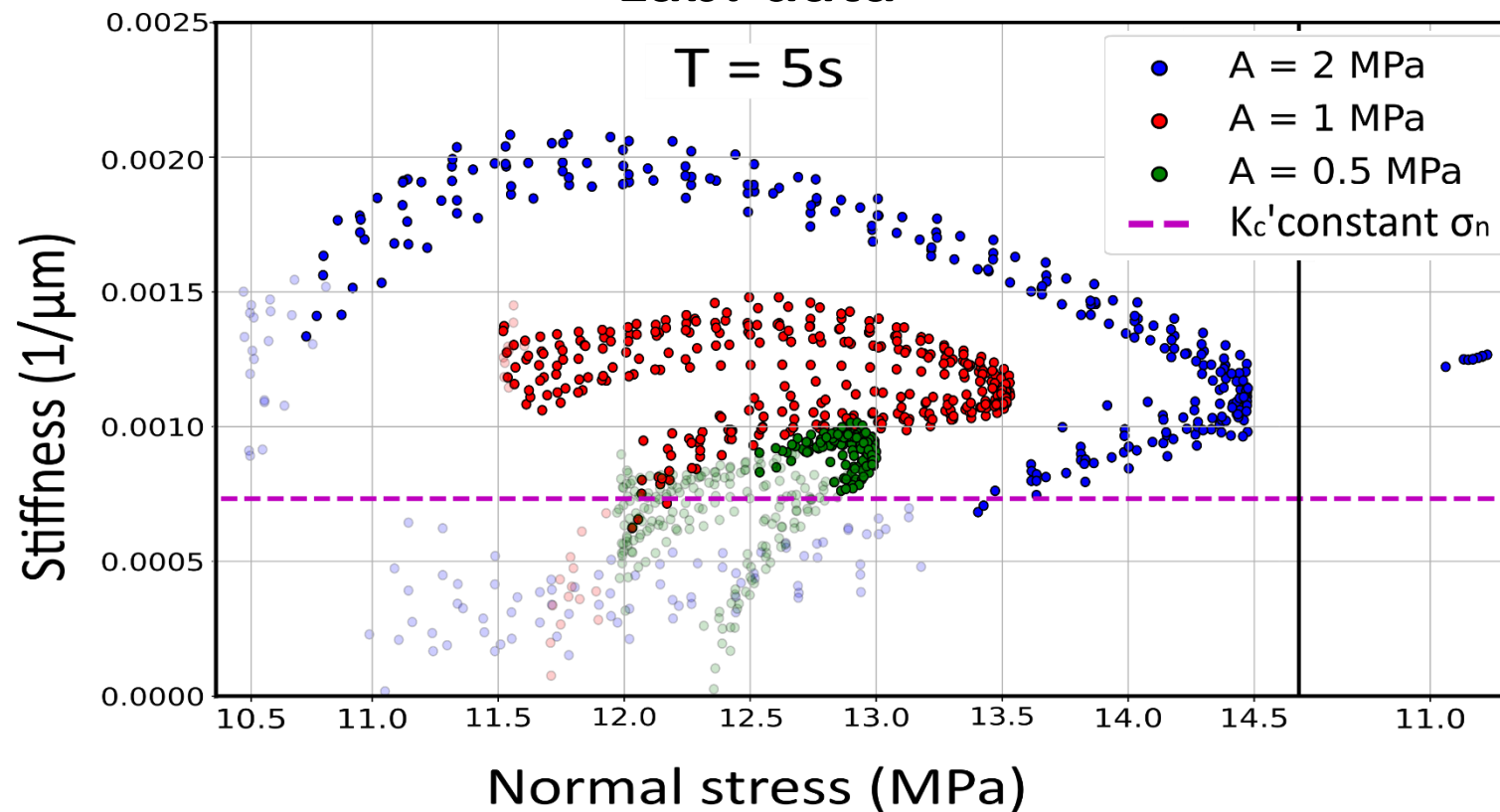


$T = 5$ s correspond to the critical period, T_c

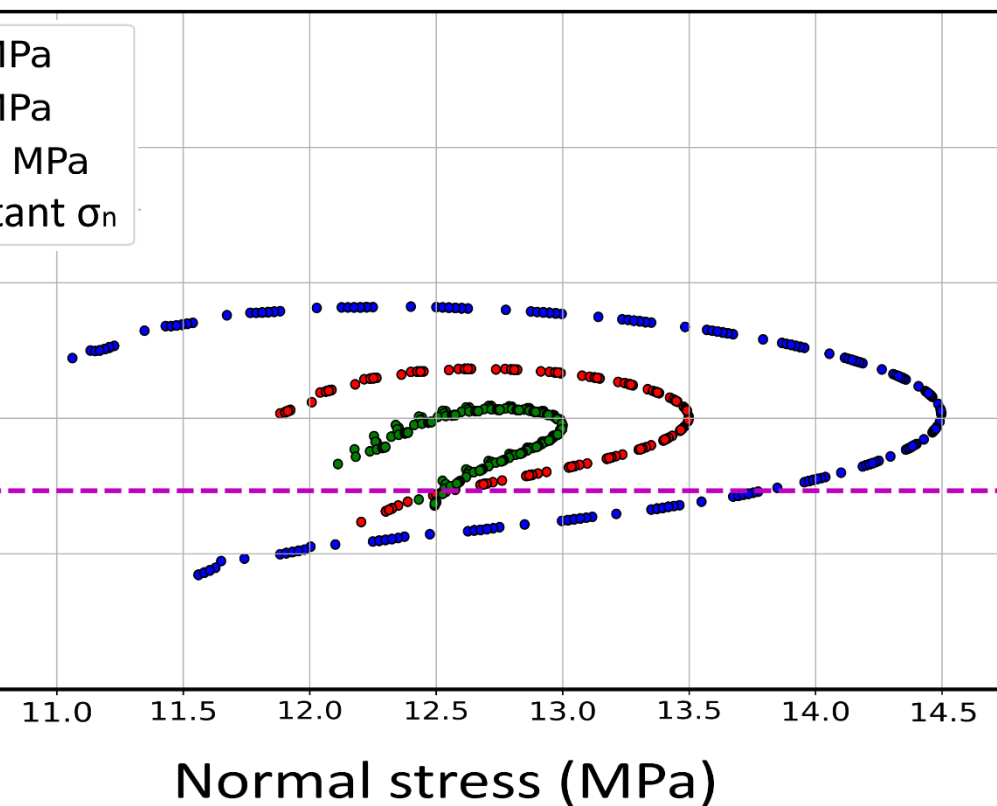
Acceleration when K' cross the critical rheological stiffness (K_c')

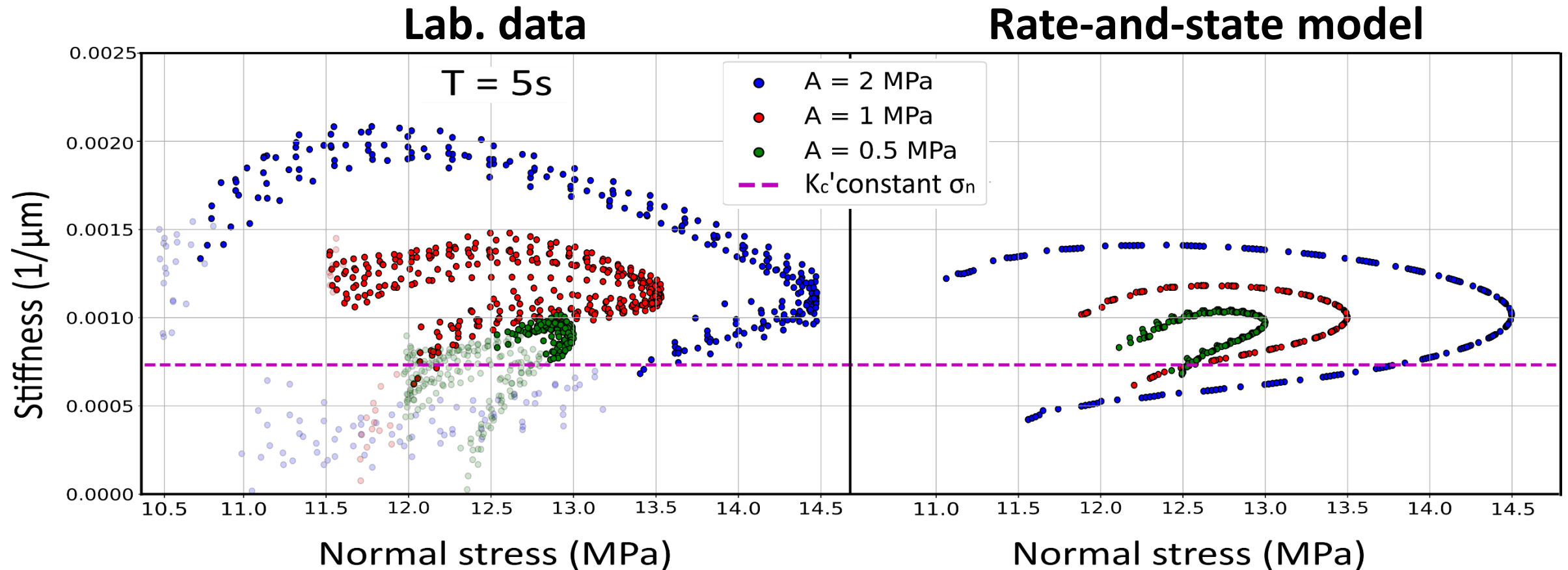


Lab. data



Rate-and-state model





Conclusions

- The fault slip behavior is **controlled by oscillation amplitude and period**.
- Low oscillation amplitude **strengthen the fault**. High oscillation amplitudes at short periods ($T \leq 5$ s) **destabilize the fault**.
- **Rate-and-state modeling** is consistent with the laboratory data.



Thank you for your attention

If you have any questions I'm happy to discuss it
email address: federico.pignalberi@uniroma1.it



SAPIENZA
UNIVERSITÀ DI ROMA



PennState



European Research Council
Established by the European Commission

ERC adv. grant
TECTONIC Nr. 835012

Rate-and-state model

Friction constitutive law

$$\mu(\theta, V) = \mu_0 + a \ln \left(\frac{V}{V_0} \right) + b \ln \left(\frac{V_0 \theta}{D_c} \right)$$

Extended Dieterich evolution law

$$\frac{\partial \theta}{\partial t} = 1 - \ln \left(\frac{V \theta}{D_c} \right) - \alpha \frac{\theta}{b \sigma_n} \frac{\partial \theta}{\partial t}$$

Extended Ruina evolution law

$$\frac{\partial \theta}{\partial t} = \frac{V \theta}{D_c} \ln \left(\frac{V \theta}{D_c} \right) - \alpha \frac{\theta}{b \sigma_n} \frac{\partial \theta}{\partial t}$$

With

$$\alpha = \frac{\Delta \tau_\alpha / \sigma_n^{step}}{\ln(\sigma_n^{step} / \sigma_n^0)}$$

Elastic interaction

$$\frac{\partial \mu}{\partial t} = K' (V_{lp} - V_f)$$

Critical oscillation period

$$T_c = 2\pi \sqrt{\frac{a}{(b-a)} \frac{D_c}{V}}$$

Time necessary for shear strength to evolve to a new steady level following a single step in normal stress

Critical rheological stiffness

$$K_c = \frac{(b-a)\sigma_n}{D_c}$$

Normalized parameters

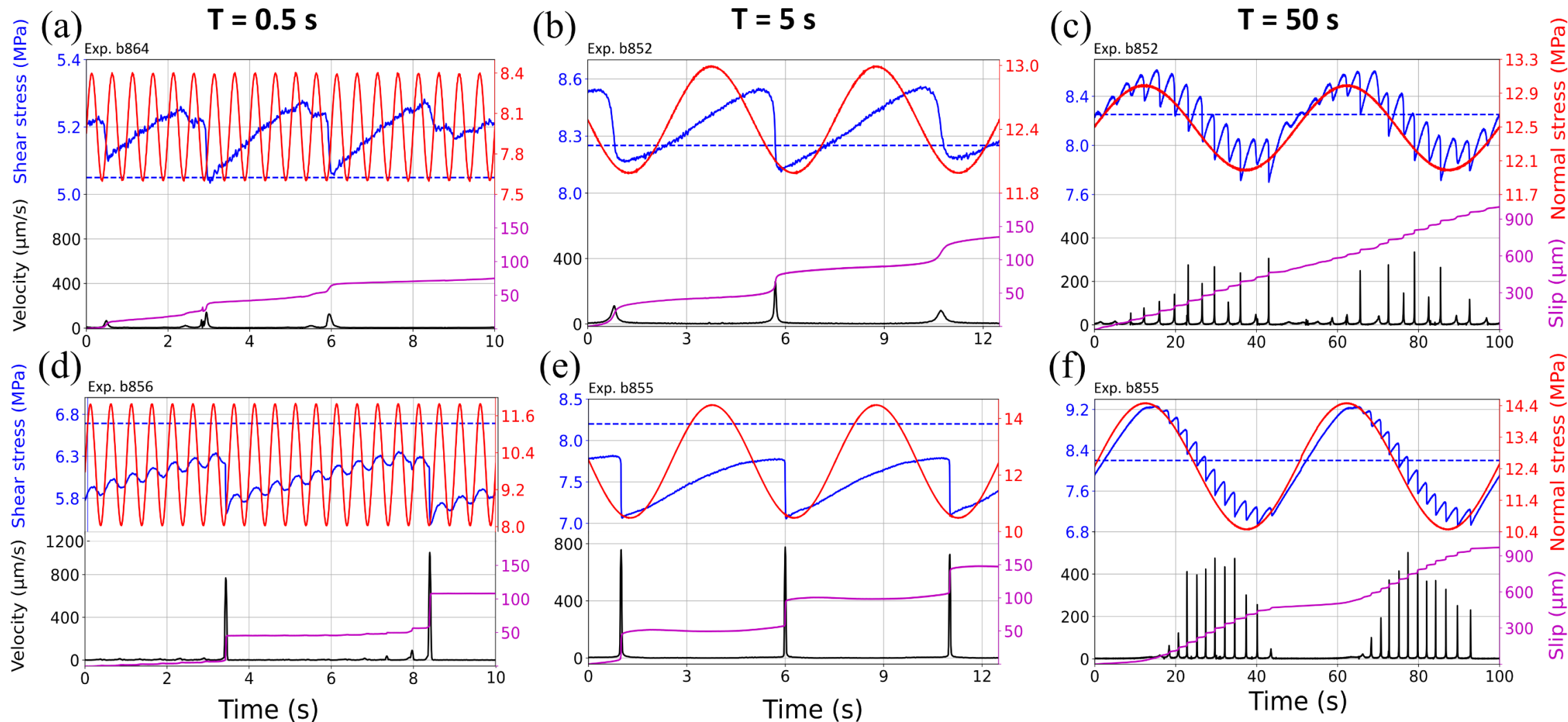
$$\Delta \tau' = \frac{\Delta \tau}{2A\mu_{ss}}$$

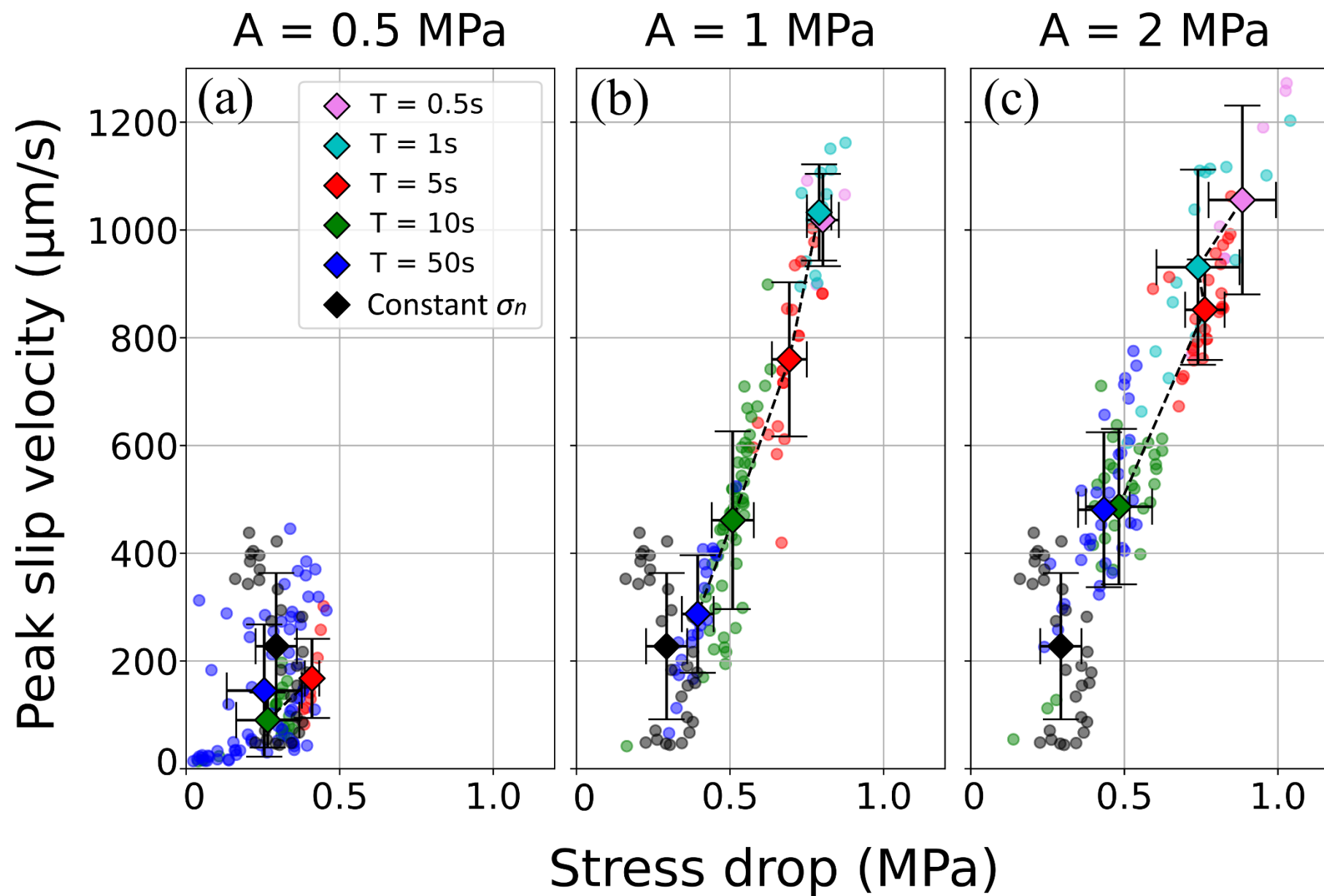
$$\Delta \tau_{yield}' = \frac{\Delta \tau_{yield}}{A\mu_{ss}}$$

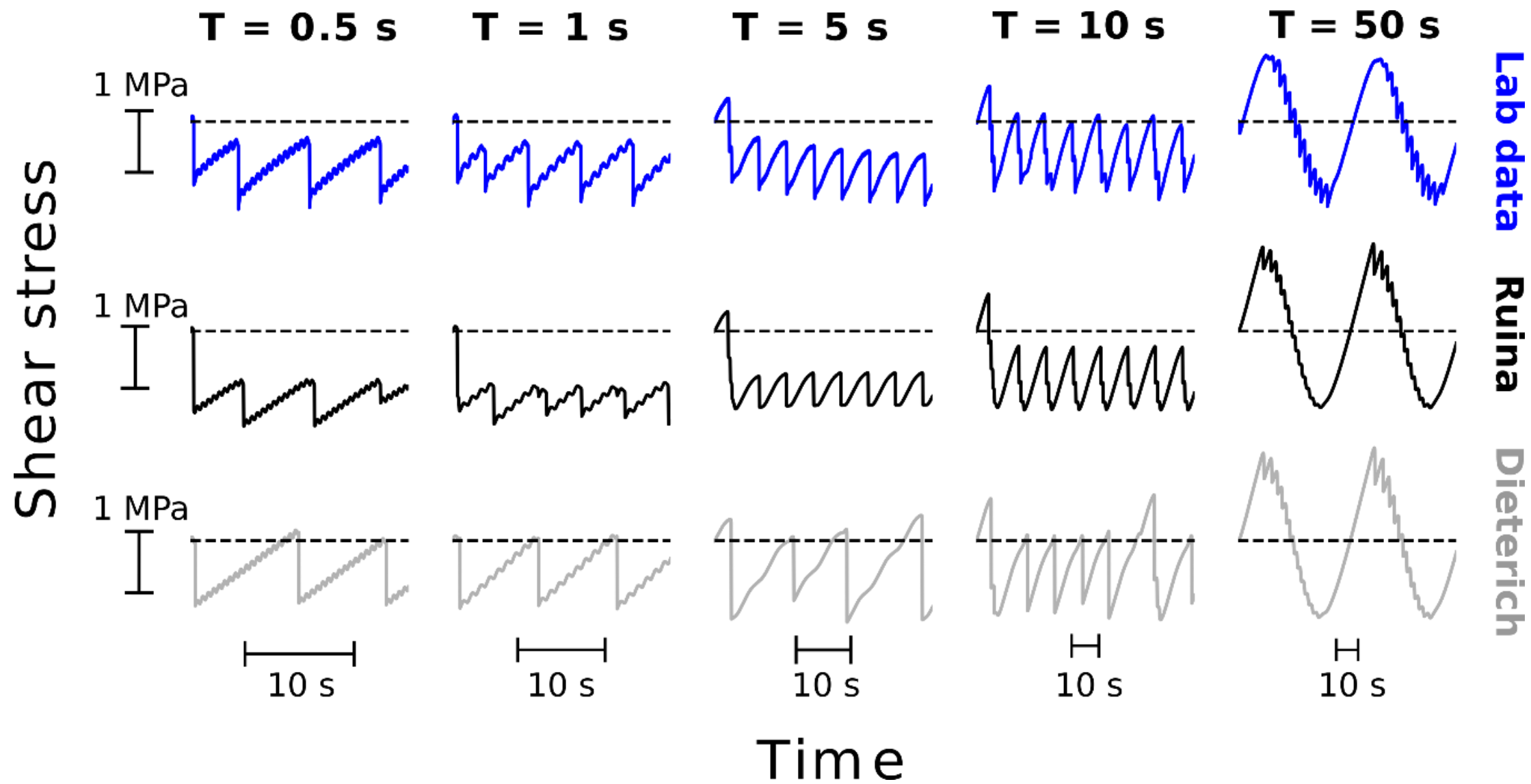
$$\Delta \varphi = \frac{t_{\sigma_n}^{\max} - t_{\tau}^{\max}}{T} \times 360$$

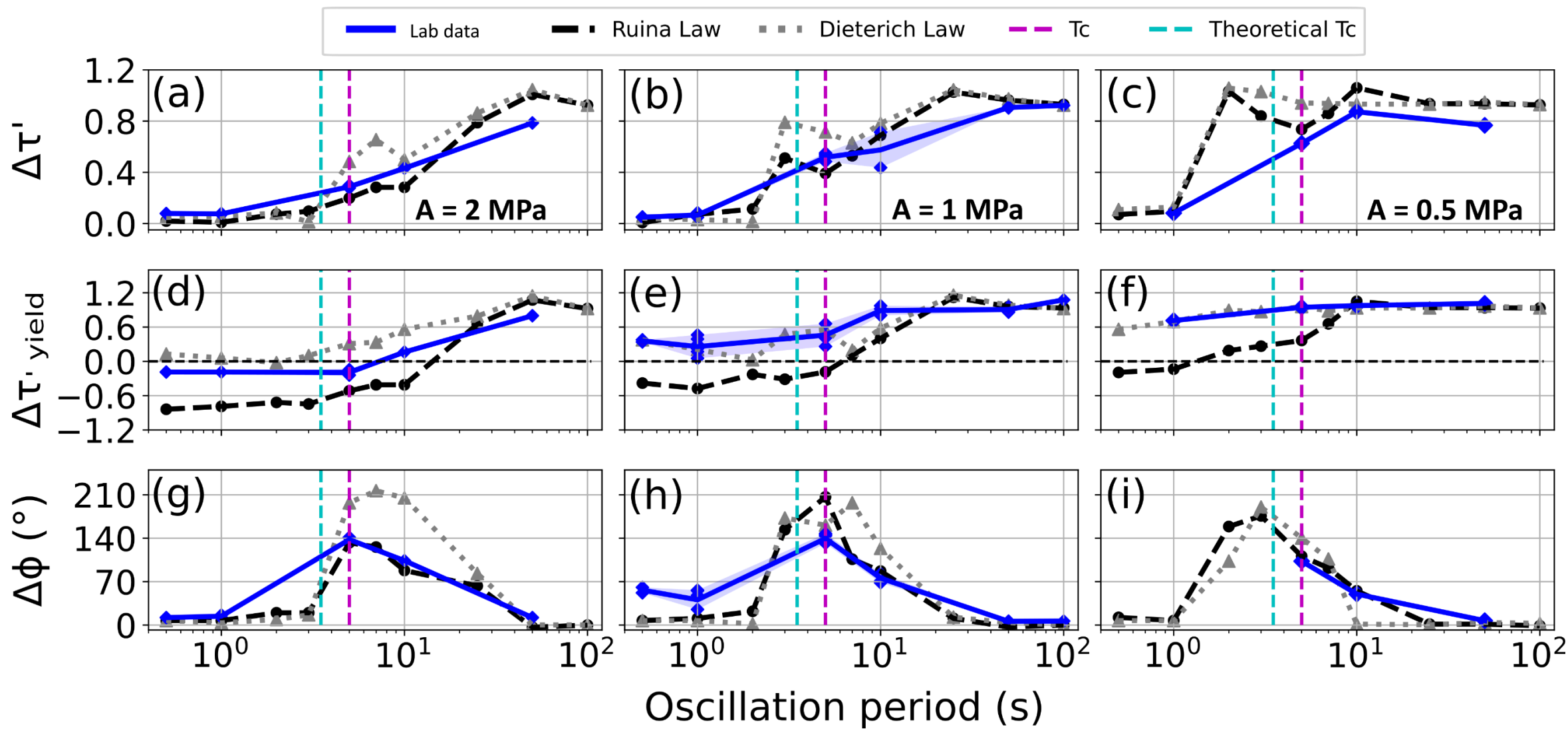
A = 0.5 MPa

A = 2 MPa









Lab data

Model

