



EVALUATING THE ADDED VALUE OF YOUNG WATER FRACTION FOR DETERMINING WATER TRANSIT TIMES IN DIVERSE CATCHMENTS

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PROBLEM STATEMENT



OUR QUESTION



- Transit time distributions (*TTDs*) of streamflow are important descriptors of hydrological functioning and solute mobilization in catchments
 - Transport models based on StorAge Selection (SAS) functions are a promising tool for characterizing non-stationary *TTDs*
 - Model parameters are typically calibrated against observations of long-term and high-frequency tracer concentration in the inflow and outflows
 - Economic and management effort to acquire tracer data with a sufficient temporal resolution → risk to hamper robust estimated *TTDs*
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- Constraining parameters with alternative methods

OUR SOLUTION



- The young water fraction (F_{yw}) is the average fraction of the streamflow that is younger than a specified threshold age which is roughly 2–3 months
- Advantages of using F_{yw} :
 - easy to retrieve from short-term and low-frequency tracer data
 - directly estimated from the amplitude ratio of the cycles in stable water isotopes in precipitation and streamflow
 - alternative descriptor for $TTDs$
 - robust metrics under both spatially heterogeneous and non-stationary conditions
 - less prone to large aggregation bias than $TTDs$

RESEARCH GAP



- Relevance of F_{yw} as an additional indicator for improving catchment-scale flow and transport description in *TTD* modelling is not yet well established

OBJECTIVE



- Explore if and to what extent F_{yw} is valuable to infer model parameters and simulate *TTDs* in multiple contrasting sub-catchments
- Showcase if the effectiveness of F_{yw} in identifying *TTDs* is related to the catchment size, annual precipitation, flow rates, soil or vegetation
- Identify potentials and gaps in the use of F_{yw} in isotope-based *TTD* models

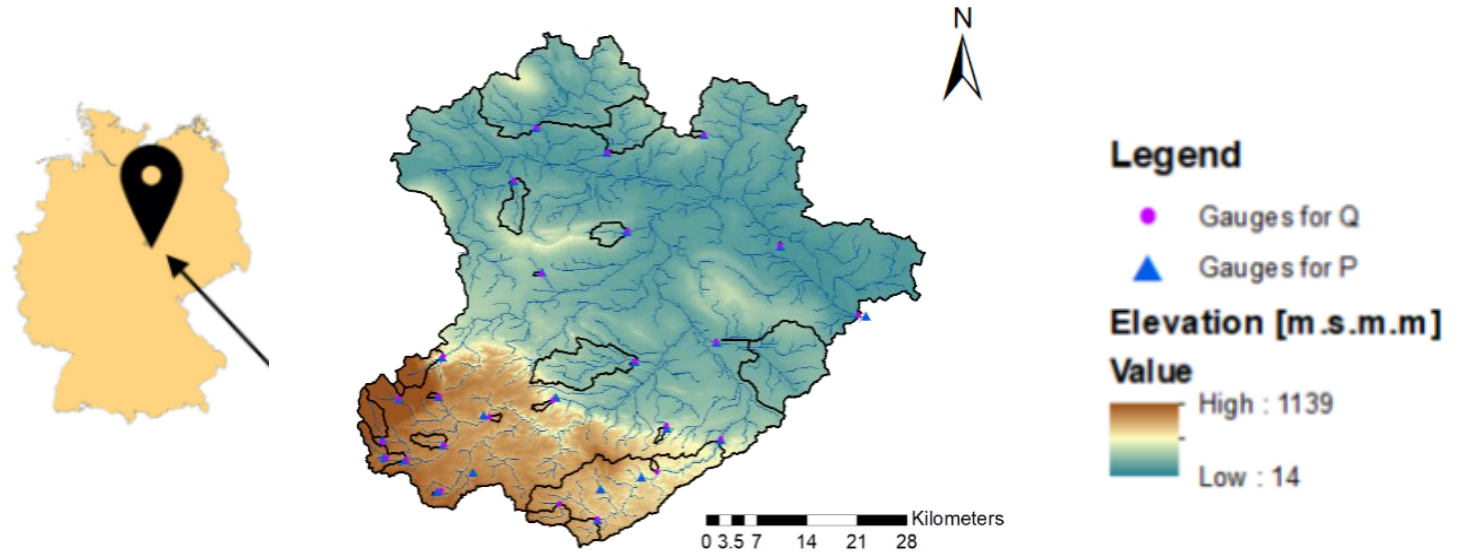
STUDY SITE



DATA



- 24 diverse sub-catchments in the Bode region, Germany



- Hydroclimatic data of precipitation (P), streamflow (Q) and evapotranspiration (ET)
- Observed oxygen isotopes ($\delta^{18}O$)

METHODS



ESTIMATION OF F_{yw}

- Input data: observed $\delta^{18}O$ in P and Q
- Equations (Kirchner, 2016a):

→ Seasonal cycle in $\delta^{18}O$ in P and Q (‰):

$$\delta^{18}O_P = a_P \cdot \cos(2\pi ft) + b_P \cdot \sin(2\pi ft) + k_P \quad (\text{Eq. 1})$$

$$\delta^{18}O_S = a_S \cdot \cos(2\pi ft) + b_S \cdot \sin(2\pi ft) + k_S \quad (\text{Eq. 2})$$

where a (-) and b (-) are regression coefficients, t (decimal yr) is the time, f (yr^{-1}) is the frequency, and k (‰) is a constant describe the vertical offset of the isotope

- Coefficients a and b are obtained through an iteratively re-weighted least squares (IRLS), a robust estimation that minimizes the influence of any potential outliers
- In estimating a_P and b_P , Eq. (1) was volume weighted with monthly cumulative precipitation to avoid giving undue leverage to low precipitation periods
- Output data: $F_{yw} (-) = \frac{\sqrt{a_S^2 + b_S^2}}{\sqrt{a_P^2 + b_P^2}} \quad (\text{Eq. 3})$

Uncertainties in the calculated F_{yw} are expressed as standard errors (SEs) and are estimated using the Gaussian error propagation

METHODS



SIMULATION OF TTDs

- Input data: P , Q and ET + observed $\delta^{18}O$ in P and Q
- Equations (*tran-SAS v1.0* model; *Benettin and Bertuzzo, 2018*):

→ Water age balance:

$$\frac{\delta S_T(T,t)}{\delta t} + \frac{\delta S_T(T,t)}{\delta T} = P(t) - Q(t) \cdot \Omega_Q(S_T, t) - ET(t) \cdot \Omega_{ET}(S_T, t) \quad (\text{Eq. 4})$$

where S_T (mm) is the age-ranked storage, and Ω_Q (-) as well as Ω_{ET} (-) are the SAS functions for Q and ET

→ SAS beta function $\omega(P_s(T, t), t) = \frac{P_s(T,t)^{\alpha-1} \cdot (1-P_s(T,t))^{\beta-1}}{B(\alpha, \beta)}$ (Eq. 5)

→ TTD of streamflow (d^{-1}): $p_Q(T, t) = \frac{\delta \Omega_Q(S_T, t)}{\delta S_T} \cdot \frac{\delta S_T}{\delta T}$ (Eq. 6)

• Output data: F_{yw} (-): $P_Q(T, t) = \int_0^T p_Q(T) dT$ (Eq. 7)

where T is set to roughly 2–3 months

METHODS



EXPERIMENTAL DESIGN

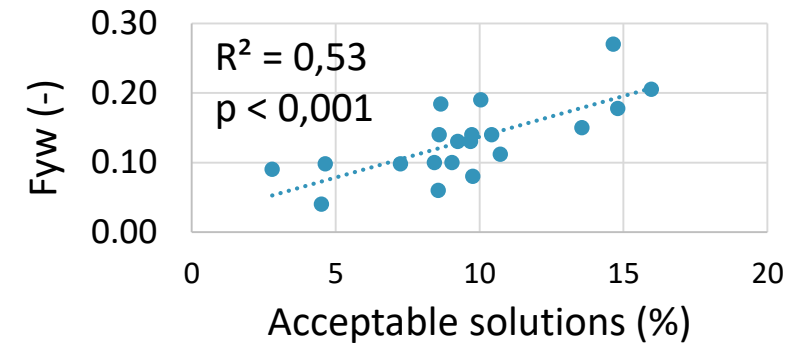
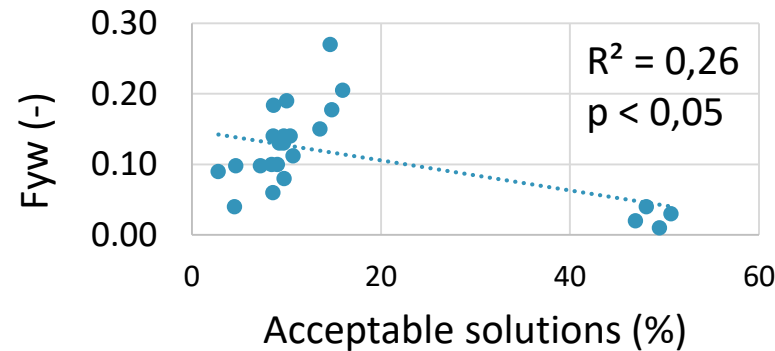
- Simulation of *TTDs* with 10,000 different SAS parameters set (i.e., α and β) generated by the Latin Hypercube Sampling approach
- The parameter sets producing a marginal *TTDs*, thus F_{yw} (Eq. 7), falling within $F_{yw} \pm SE$ (Eq. 3) were considered as acceptable
- From the cumulative daily *TTD*, we extrapolated the daily median transit time (i.e., TT_{50} ; time until 50 % of the infiltrated water ends up in the output flux)
- We constructed the 95 % prediction uncertainty (95PPU) to refine limits of TT_{50}

RESULTS

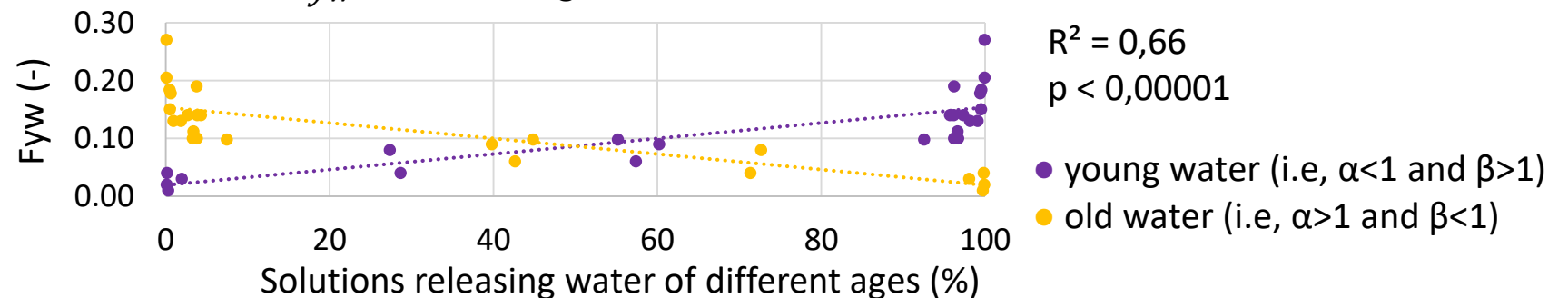


EFFECTIVENESS OF F_{yw} TO SIMULATE $TTDs$

- Acceptable solutions ranges from 49% to 3% (mean of 16%) of the initial 10,000 parameter sets
- The lower F_{yw} , the less the acceptable solutions; however, when $F_{yw} > 0,04$ the trend reverses



- The higher (lower) F_{yw} , the narrower (wider) the 95PPU and the shorter (longer) the simulated TT_{50}
- F_{yw} and solutions releasing water of different ages correlate well: this corroborates F_{yw} functioning

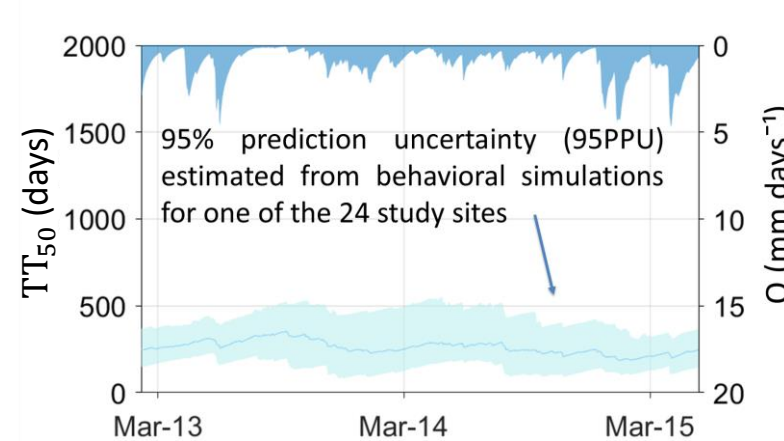


RESULTS



SIMULATED TT_{50}

- Relatively constant with little temporal fluctuations as TT_{50} tend towards the average catchment discharge behavior



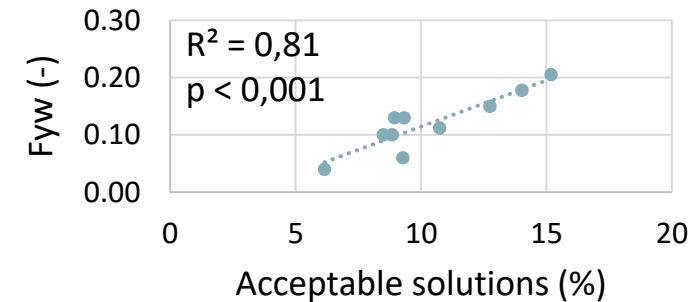
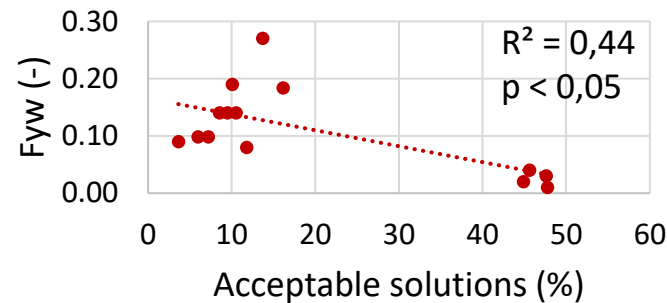
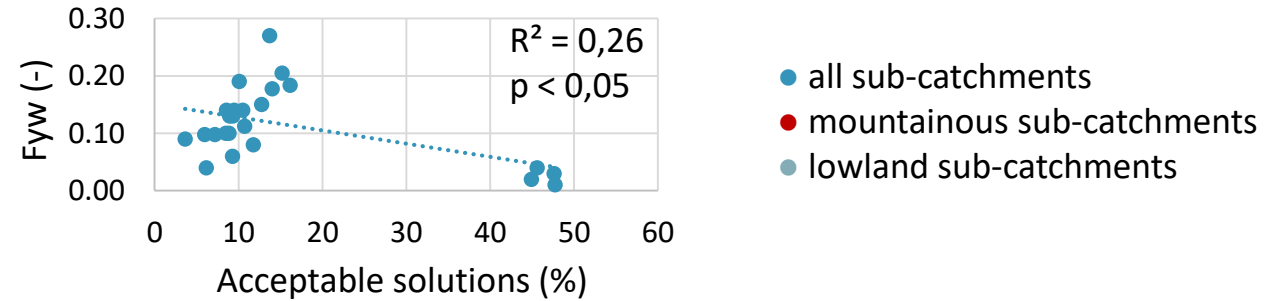
- Mountain areas:
 - Slight trend towards short F_{yw} and long TT_{50} which might be due to rapid vertical infiltration caused by drainign soil
- Lowland areas:
 - Large F_{yw} and short TT_{50} which might be due to artificial drainage
 - Small F_{yw} and long TT_{50} which might be due to deep groundwater flowpaths

RESULTS



CATCHMENTS ATTRIBUTES

- F_{yw} exhibits correlation with P , Q , and mean altitude in mountain areas only



- Greater ability to infer SAS parameters and $TTDs$:
 - Small F_{yw} (but $F_{yw} > 0,04$) in low-elevated mountain sites with modest P and Q
 - Small F_{yw} in lowland sites

CONCLUSIONS



- Information on F_{yw} largely reduces uncertainty in $TTDs$ and equifinality in model parameters
- The value of F_{yw} really matters as the number of solutions and the values of $TTDs$ change accordingly
- Information on F_{yw} helps interpret transport processes in catchments
- Effectiveness of F_{yw} in inferring $TTDs$ is a function of the catchments attributes

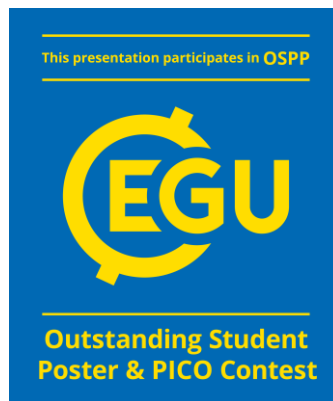
Thank you for your attention

Any questions?



Display Material

<https://meetingorganizer.copernicus.org/EGU22/EGU22-4898.html>



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