A novel approach to imaging NO₂ in the atmosphere

The NO₂ camera based on Gas Correlation Spectroscopy





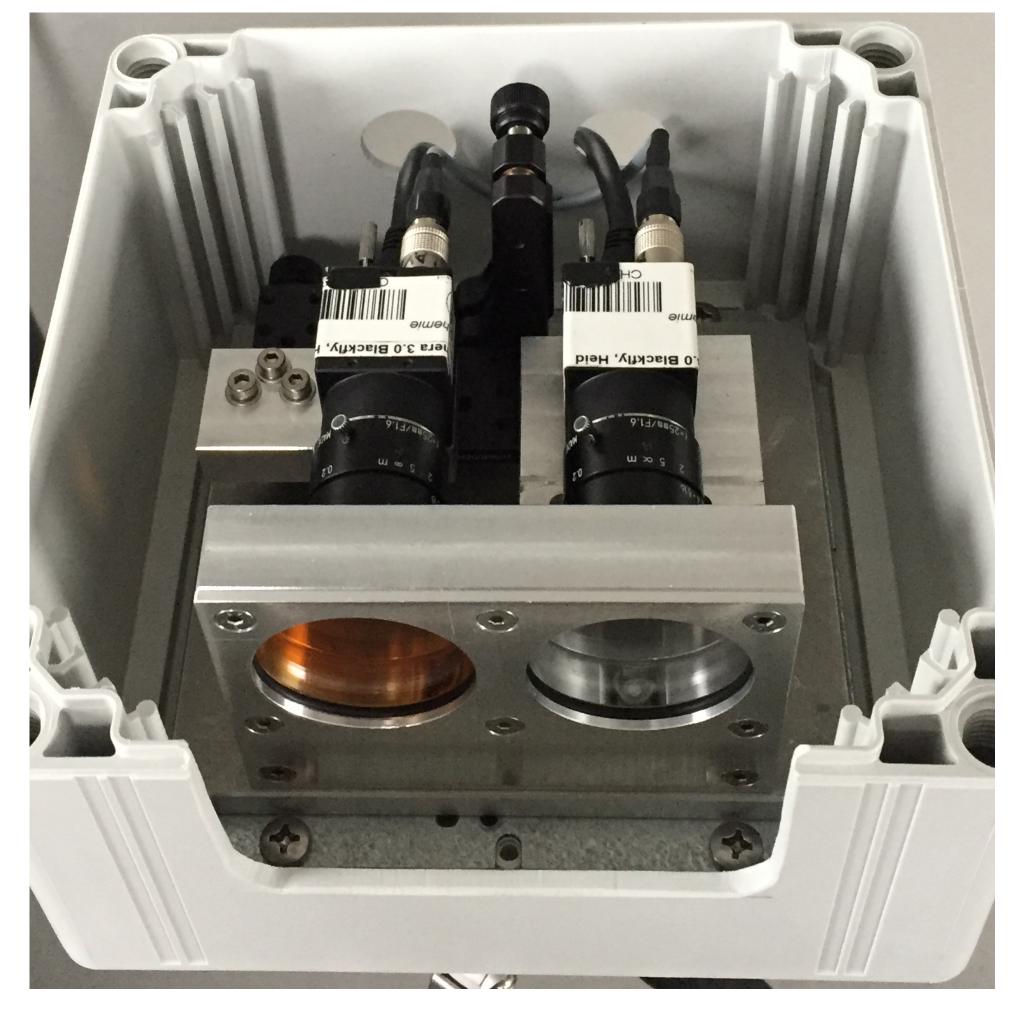


Leon Kuhn, Jonas Kuhn, Thomas Wagner, and Ulrich Platt

The NO₂ camera

- Motivation: Imaging measurements of atmospheric NO₂ with high spatiotemporal resolution are still a major challenge
- Our NO₂ camera works on the basis of gas correlation spectroscopy (GCS, see next slide)
- High spatiotemporal resolution of
 1 m × 1 m (at ~ 5 km object distance)
 1 frame per second
- Detection limit of ~ 10¹⁶ molec cm⁻²
- Kuhn et al. 2022:

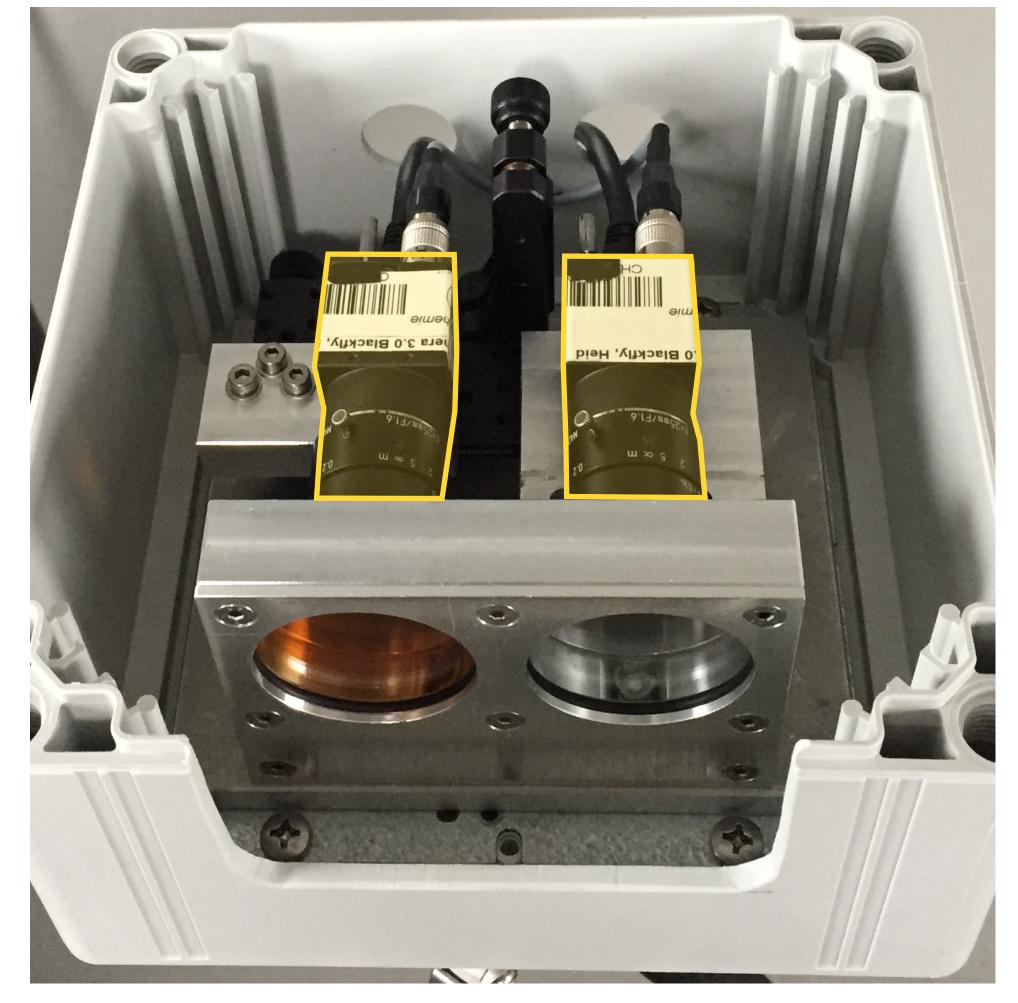
The NO₂ camera based on gas correlation spectroscopy DOI: https://doi.org/10.5194/amt-15-1395-2022



Photograph of the NO₂ camera

Instrumental setup

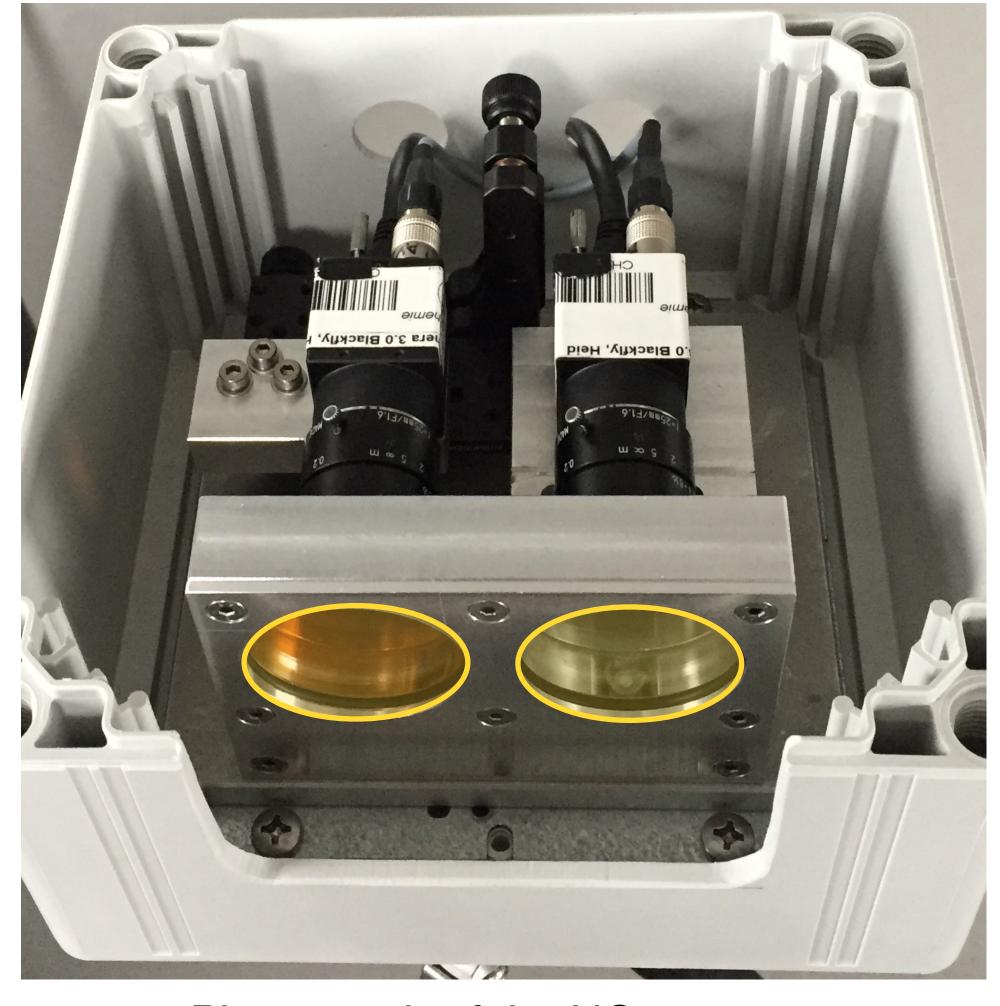
- The instrument uses two commercial camera modules
- Each camera is equipped with a lens and a bandpass filter (transmittance at 430 - 445 nm)



Photograph of the NO₂ camera

Instrumental setup

- The instrument uses two commercial camera modules
- Each camera is equipped with a lens and a bandpass filter (transmittance at 430 - 445 nm)
- Two gas cells are placed in front of the cameras:
 - One filled with a high amount of NO₂
 - One filled with air

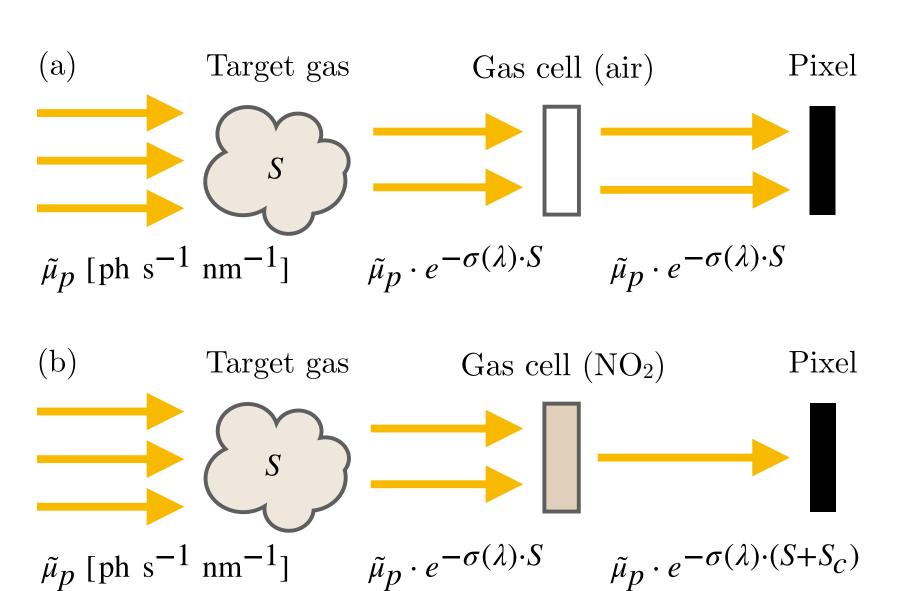


Photograph of the NO₂ camera

Measurement principle

- The instrument works on the basis of gas correlation spectroscopy
- Beer-Lambert law:

$$I(\lambda) = I_0(\lambda) \cdot \exp\left(-\sigma(\lambda) \cdot S\right)$$

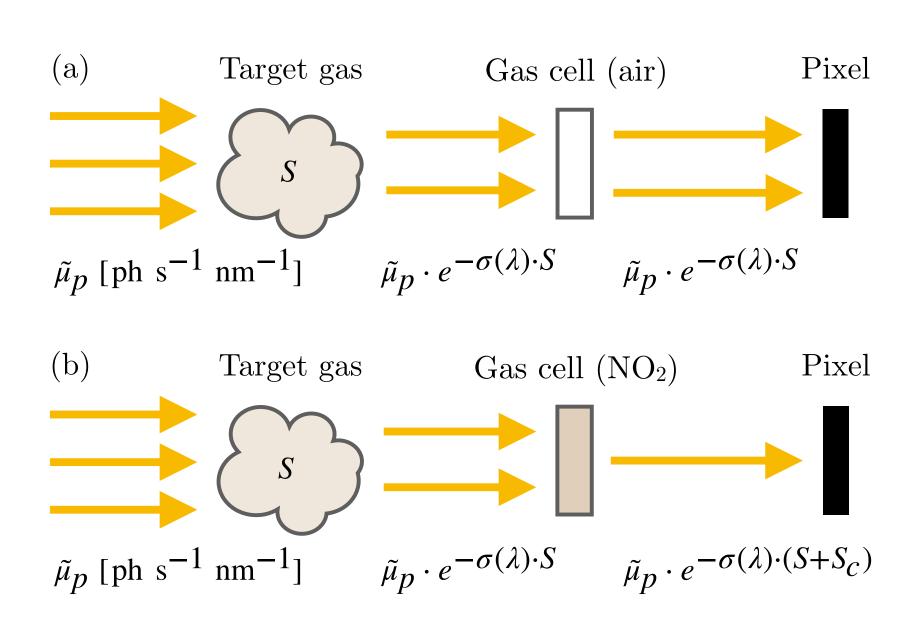


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 Low (high) target gas concentration → gas cell has large (small) influence



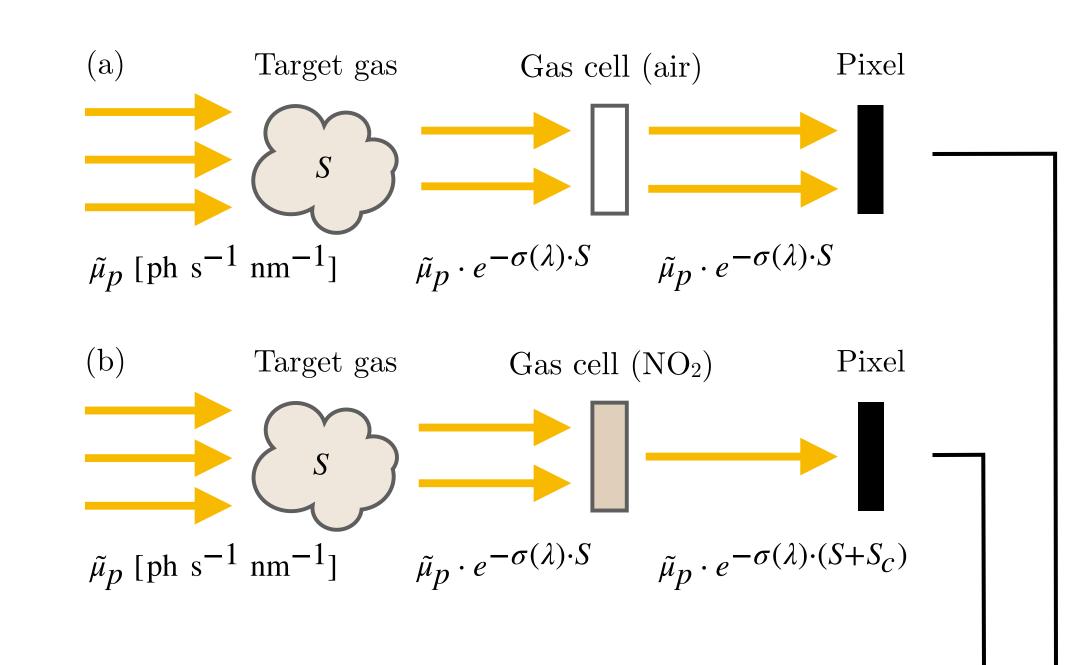
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• Instrument signal $\tilde{ au}_{(i,j)} = \ln\left(\frac{J_{c,(i,j)}}{J_{(i,j)}}\right)$

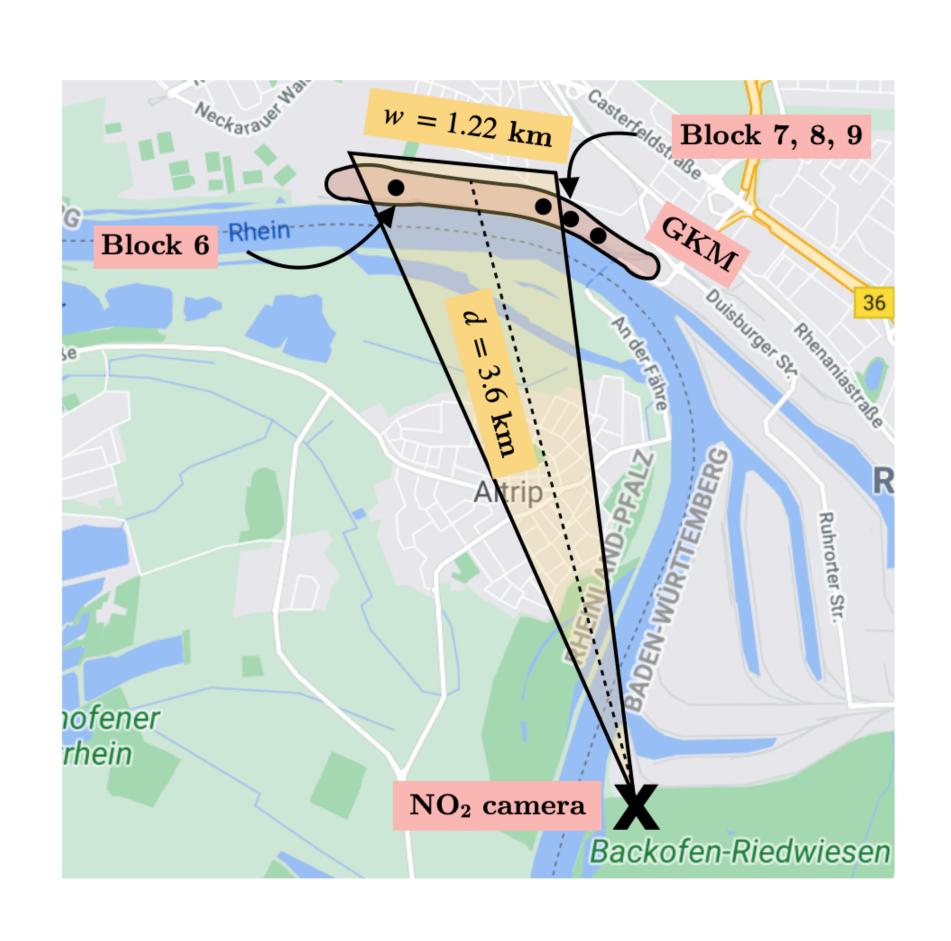


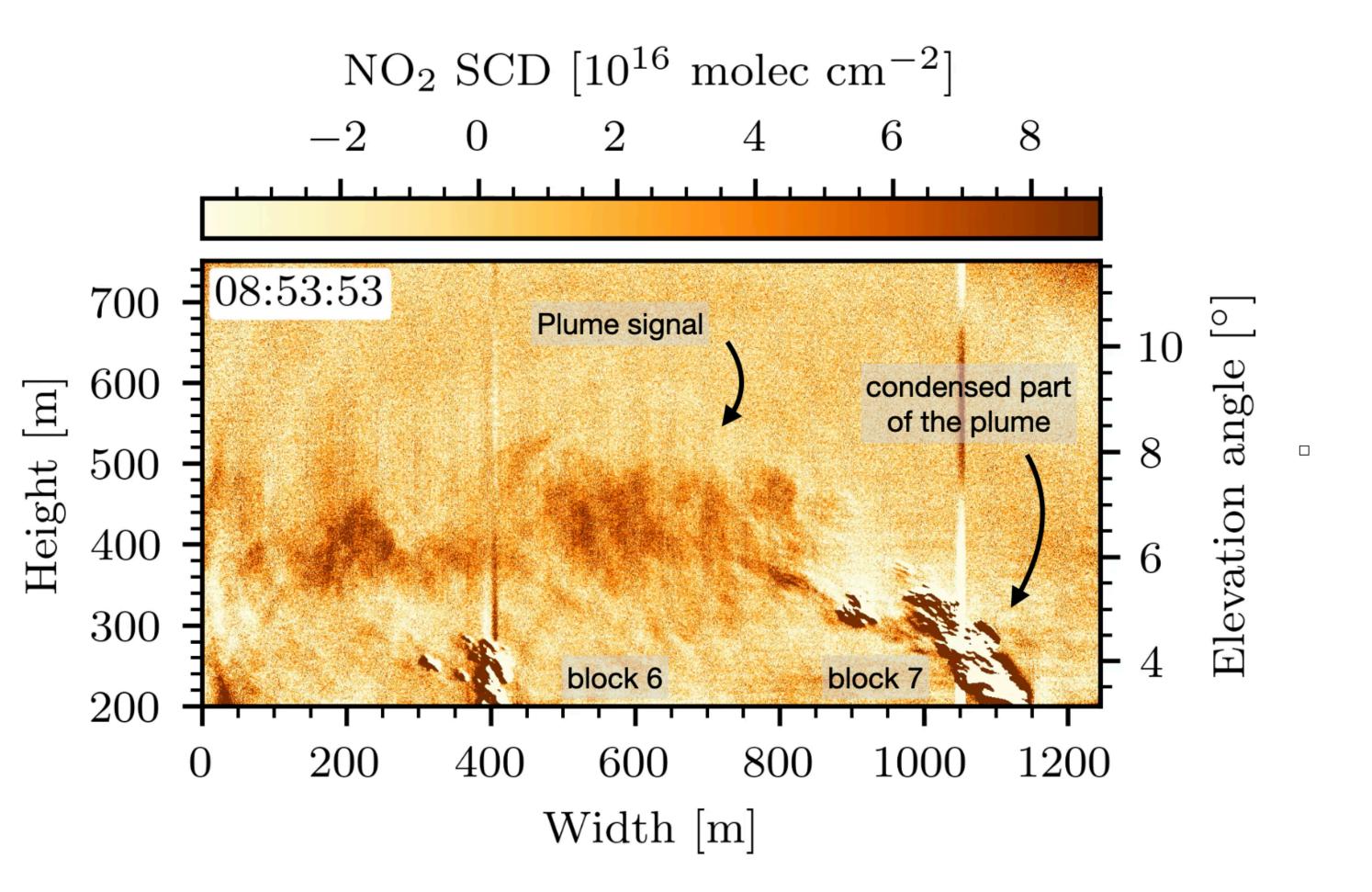
 $\eta(\lambda) \cdot \tilde{\mu}_p \cdot \exp\left(-\sigma(\lambda) \cdot S_{(i,j)+S_c}\right) d\lambda dt$

$$J_{(i,j)} = \int_{t_{\text{exp}}} \int_{430 \text{nm}}^{445 \text{nm}} \eta(\lambda) \cdot \tilde{\mu}_p \cdot \exp\left(-\sigma(\lambda) \cdot S_{(i,j)}\right) d\lambda dt$$

Field measurements

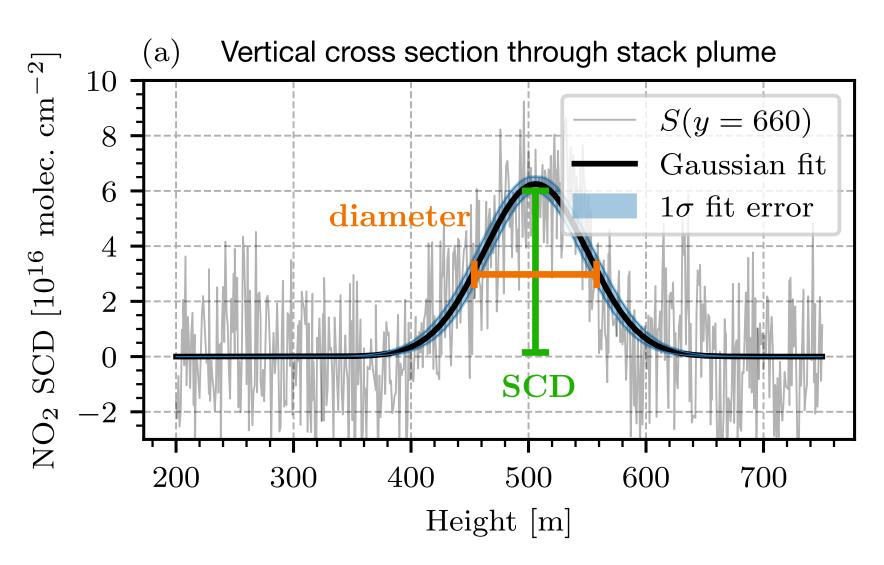
Images of a stack plume emitted by a German power plant (Großkraftwerk Mannheim)

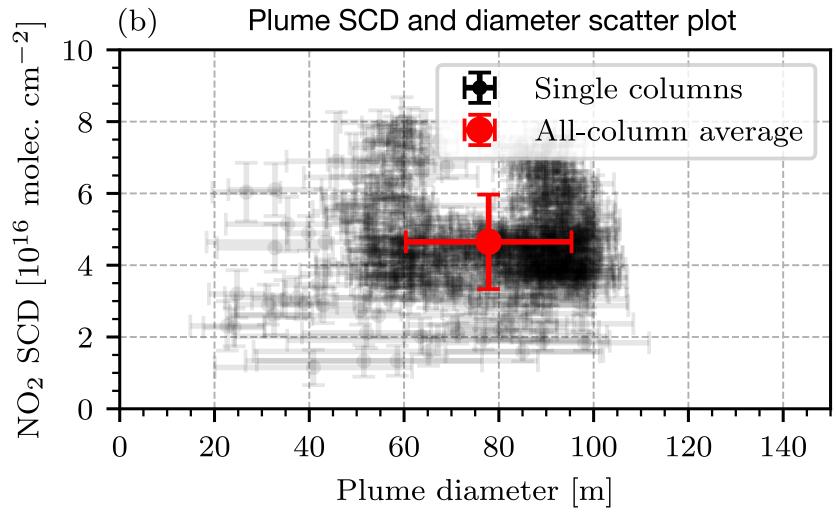




New opportunities with the GCS-based NO₂ camera

Plume SCD and geometry

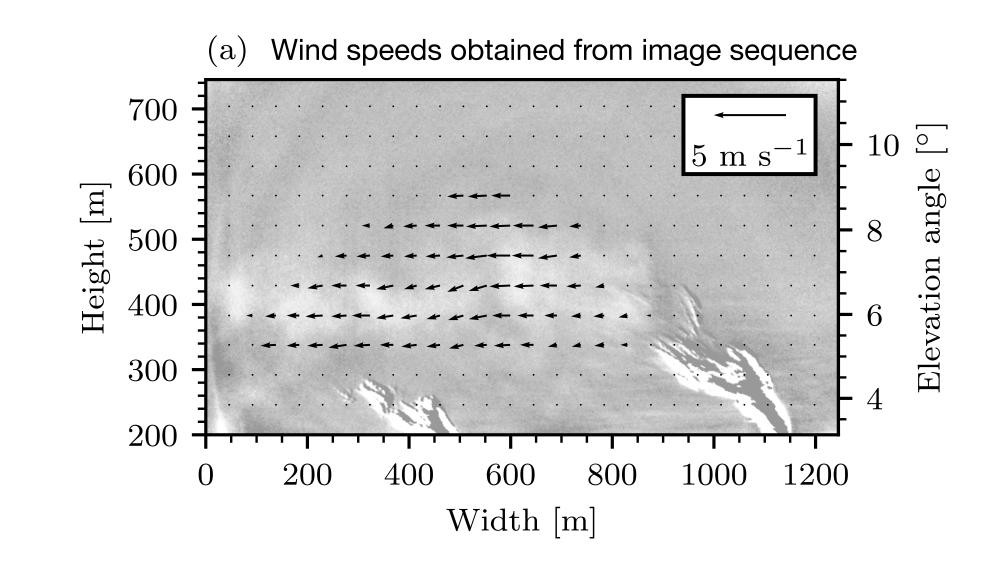


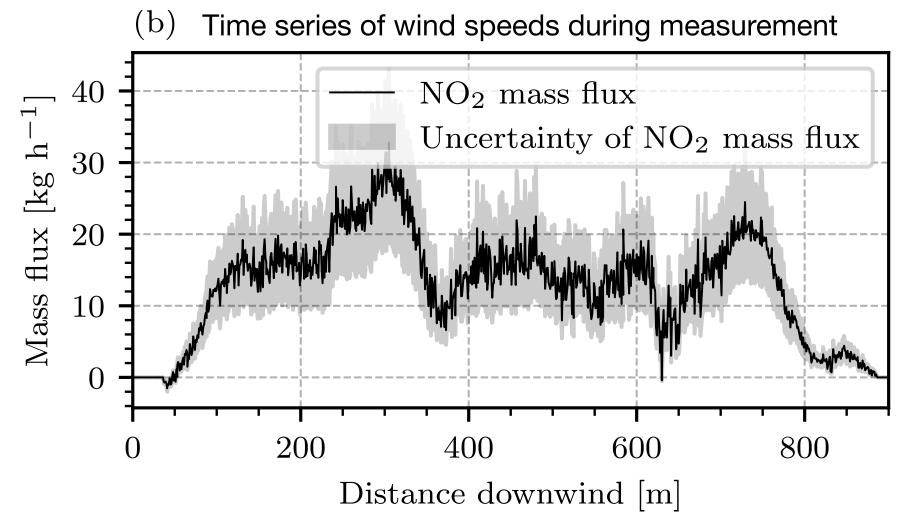


New opportunities with the GCS-based NO₂ camera

- Plume SCD and geometry
- Mass flux analysis
 - Compute wind speeds with Farnebäck algorithm*

- Compute
$$F = \frac{M_{ ext{NO}_2}}{N_A} \cdot v \cdot \int S(h) \ \mathrm{d}h$$





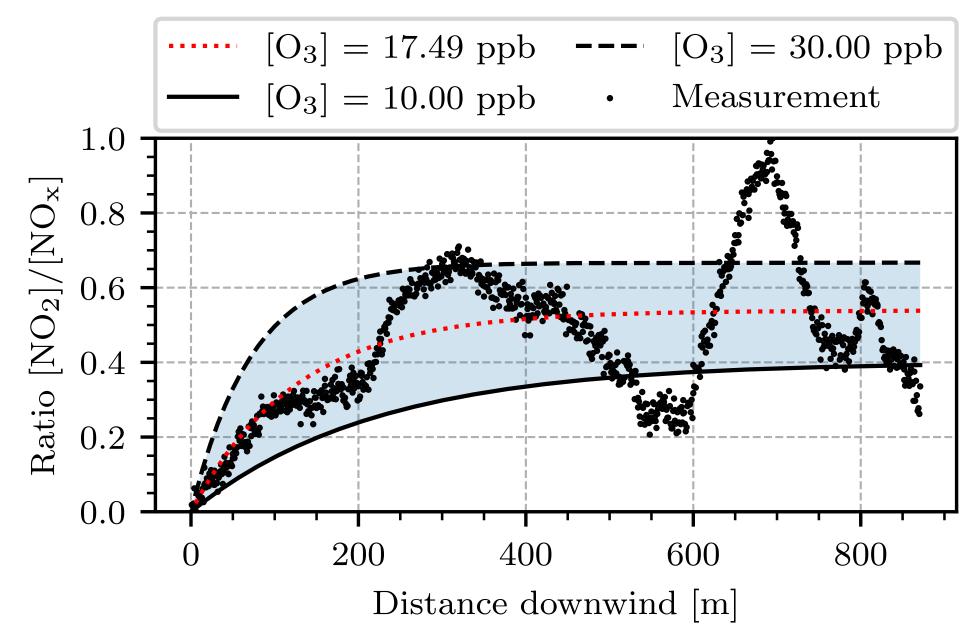
New opportunities with the GCS-based NO₂ camera

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- Plume chemistry analysis
 - Compare NO₂/NO_x ratio to Janssen model**

Comparison of measured NO2/NO_x ratio and the Janssen plume model



*Gunnar Farnebäck: *Two-Frame Motion Estimation Based on Polynomial Expansion*. Scandinavian Conference on Image Analysis, 2003.

^{**}Janssen et al.: A classification of NO oxidation rates in power plant plumes based on atmospheric conditions. Atmospheric Environment, 1988.

Thank you for your attention!

