

Modeled water – vegetation dynamics under revision using GRACE-based data assimilation

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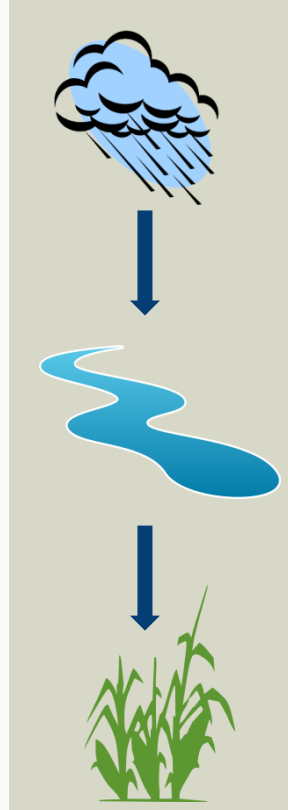
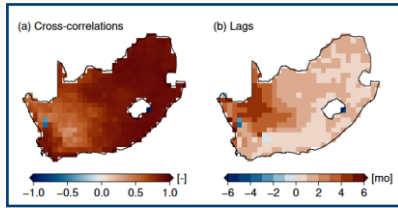
MOTIVATION

- Water is an essential source for food production and drinking water
- Countries where a large part of the population depends on the agricultural sector are strongly affected by water shortages, for example South Africa
- Important to build a realistic picture of the response dynamics of fluxes precipitation to water storages and vegetation
- Analysis of surface and subsurface water mostly based on in-situ data or models; GRACE data rarely explored due to resolution issues, does not separate storages

WATER PROPAGATION

Model simulations

- Enable extending the very local scale to a regional or global scale
- Here we use Watergap 2.2d/e Water storage and vegetation measures
- Based on assumptions and forcing data uncertainty
- E.g. there can be unrealistic values of actual evapotranspiration (AET) in some regions compared to observed AET:



Observation-based data

- GRACE assimilation into WGHM
 - Soil moisture
 - Surface water
 - Groundwater
- Vegetation indices from remote sensing
 - MODIS Actual Evapotranspiration
 - MODIS Leaf Area Index

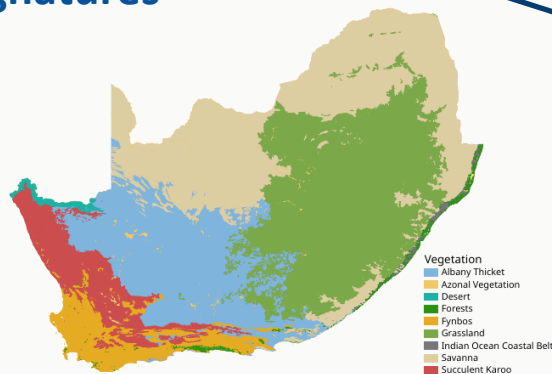




Revising precipitation - water storages - vegetation signatures with GRACE-based data assimilation

H. Gerdener, J. Kusche, K. Schulze, G. Ghazaryan, O. Dubovyk

- **AIM:** Assessing modeled water - vegetation dynamics by observation-based data sets
- **Methods:**



Regression model

- Extract subsignals
- Relate Amplitudes and Phases

$$\phi(j)_{P,GW} = \phi(j)_{GW} - \phi(j)_P,$$

Process Model

- Relate current water storage to precipitation of the same month and previous month water

$$S_i(t) = c_i \cdot S_i(t-1) + d_i \cdot P_i(t),$$

Principal Component Analysis

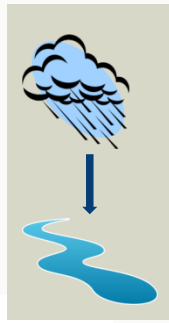
- Extract dominant modes
- e.g. Drought or ENSO related

$$\mathbf{X} = \mathbf{P}\mathbf{E}^T, \mathbf{P} = \mathbf{X}\mathbf{E},$$

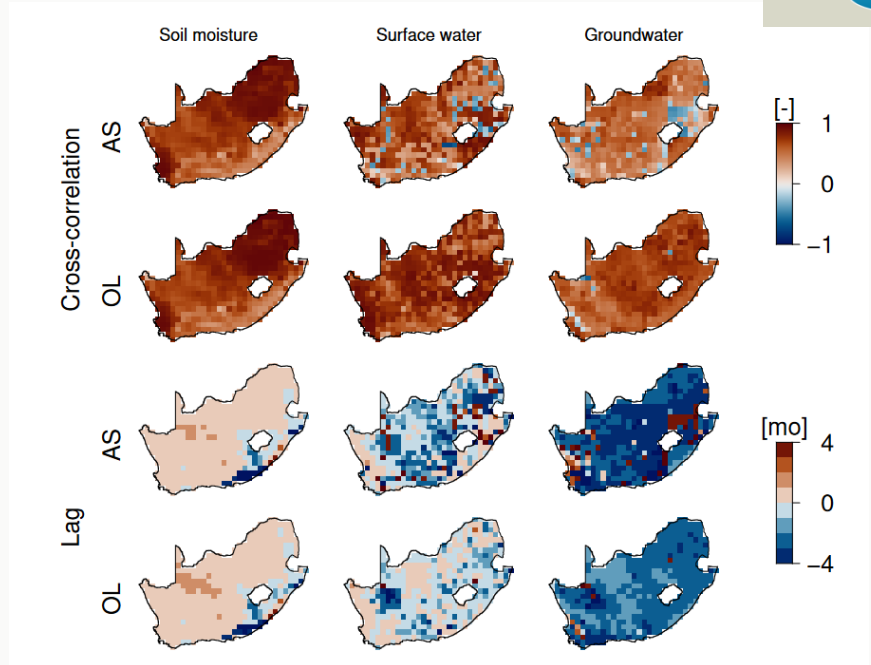
Correlation Analysis

- Extract correlations and lags between data sets

DA STUDY IN SOUTH AFRICA: RESULTS



- Duration for precipitation recharging surface and groundwater storage is shorter modeled than observed
- Model overestimates precipitation amount contributing to water storage (same for water storage amount contributing to vegetation)
- Observed propagation time of vegetation to soil moisture is often shorter than in the model



- 1) Observation-based data sets enable a more realistic picture of water propagation through water cycle as compared to the model

→emphasize the need for assimilating GRACE observations into the models

- 2) Insights will help modelers improve model structures; e.g. during climate events

OUTLOOK:

- Compare the water – vegetation dynamics in other hydrological models with our data sets
- Extend the assimilation framework further: Global analysis, include GRACE-FollowOn, simultaneous calibration and data assimilation

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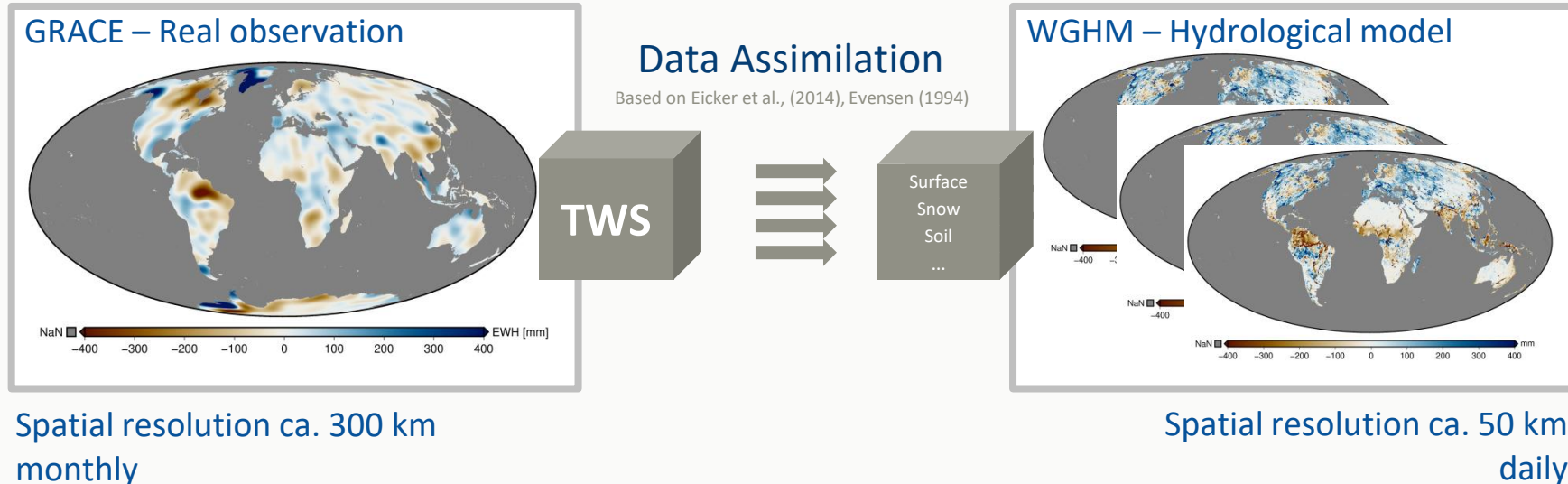
BACKUP SLIDES

ADDRESS CHALLENGE:

COMBINATION OF REAL OBSERVATIONS WITH MODEL OUTPUT

PDAF

Parallel data assimilation
framework
<http://pdaf.awi.de>



By assimilating GRACE into WGHM...

- ... the model gets closer to reality
- ... the spatial resolution of GRACE is increased
- ... the vertical resolution of GRACE is increased

**GLWS: Global Land Water
Storage data set**
available based on GRACE/-
FO assimilation

AIM:

Improving the realism of model simulations by updating the model prediction with observations

ENSEMBLE KALMAN FILTER:

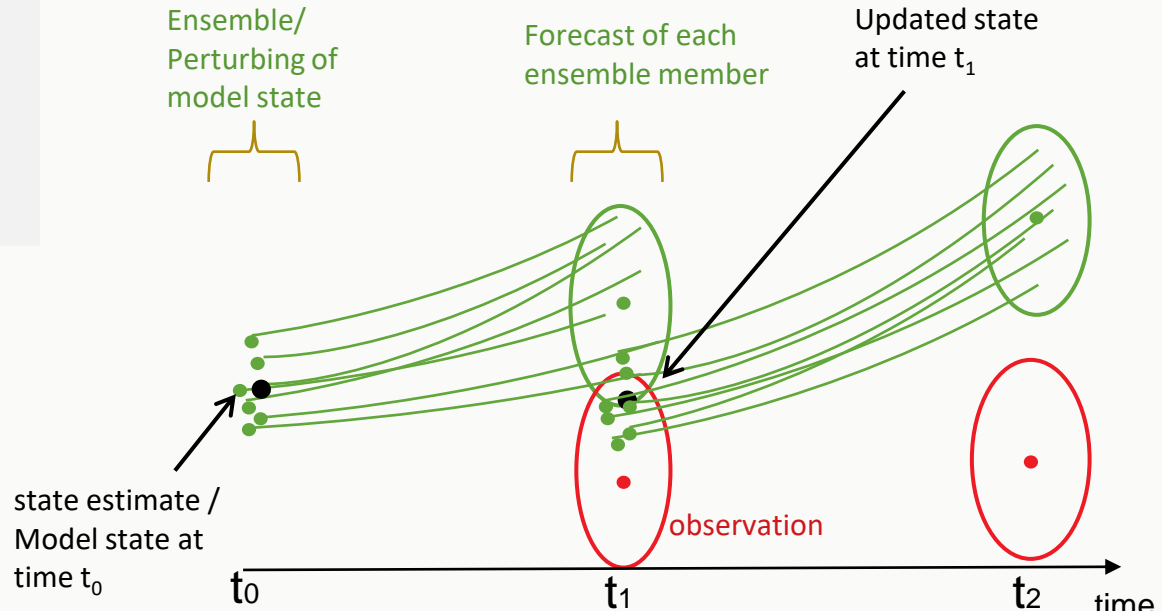
Integrate the observations into the model based on the ensemble spread (Evensen 1994)

PREDICTION:

$$X_k^- = [X_k^{(1)-}, \dots, X_k^{(N)-}]$$

UPDATE:

$$X_k^+ = X_k^- + K_k (Y_k - A X_k^-)$$



Multi Linear Regression

Methods:

$$x(j, t) = a_0(j) + a_1(j)(t - t_0) + b_1(j) \cos(\omega t) + b_2(j) \sin(\omega t) + c_1(j) \cos(2\omega t) + c_2(j) \sin(2\omega t)$$

$$A(j)_{\text{annual}} = \sqrt{\hat{b}_1(j)^2 + \hat{b}_2(j)^2} \quad \phi(j)_{\text{annual}} = \arctan\left(\frac{\hat{b}_2(j)}{\hat{b}_1(j)}\right)$$

$$A(j)_{P, GW} = \frac{\frac{A(j)_{GW}}{\sigma_{A_{GW}}}}{\frac{A(j)_P}{\sigma_{A_P}}} \quad \phi(j)_{\text{annual}} = \phi(j)_{GW} - \phi(j)_P$$

Principal Component Analysis

$$X = PE^T, P = XE \quad PC_i = \frac{p_i}{\sigma_{p_i}} \quad EOF_i = \sigma_{p_i} e_i$$

Process Model

$$S_i(t) = c_i \cdot S_i(t-1) + d_i \cdot P_i(t)$$

$$V_i(t) = e_i \cdot V_i(t-1) + f_i \cdot S_i(t)$$