

Hybrid-Vlasov simulations of ion velocity distribution functions within Kelvin-Helmholtz vortices

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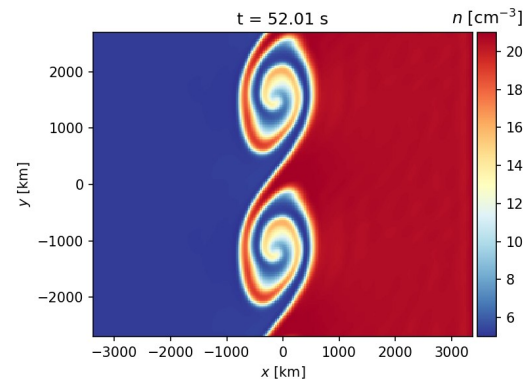
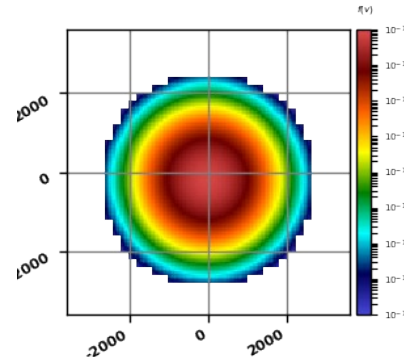
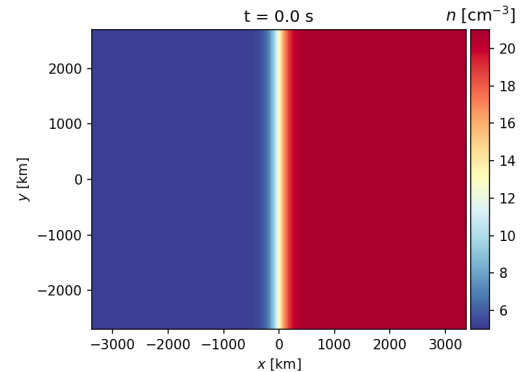
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Simulation setup

- **Local simulation of the Kelvin-Helmholtz instability (KHI)**
 - 2D-3V hybrid-Vlasov simulation using the Vlasiator model [von Alfthan et al., 2014; Palmroth et al., 2018]
 - Full ion velocity distribution functions (VDFs)
- **Parameters based on spacecraft observations of KHI at Earth's magnetopause** [Eriksson et al. 2016; Sisti et al. 2019]
 - Density/temperature jump set to 4, constant out-of-plane B, shear layer width $\sim 3d_i$
- **Hyperbolic tangent velocity/density shear layer, constant pressure**

VLASIATOR



$$n(x) = \frac{1}{2}((n_2 - n_1) * \tanh(x/L) + n_2 + n_1)$$

$$v_y(x) = \frac{1}{2}((v_{y,2} - v_{y,1}) * \tanh(x/L) + v_{y,2} + v_{y,1})$$

$$P_0 = n(x) k_B T(x)$$

V.Tarvus et al.

Velocity space evolution

- **Non-Maxwellianity** ϵ_M [Graham et al., 2021]

$$\epsilon_M = \frac{1}{2n} \int |f_{measured}(v) - f_{model}(v)| d^3v \in [0, 1]$$

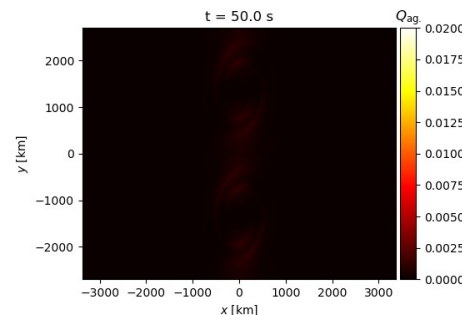
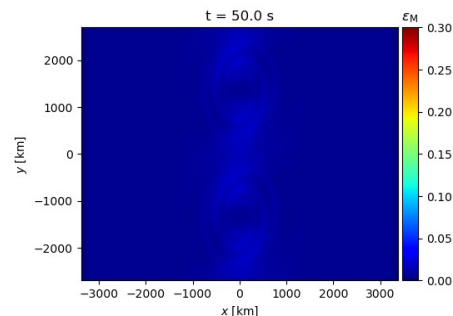
- **Agyrotropy** Q_{ag} [Swisdak et al., 2016]

$$Q_{ag} = \frac{P_{12}^2 + P_{13}^2 + P_{23}^2}{P_{\perp}^2 + 2P_{\perp}P_{\parallel}} \in [0, 1]$$

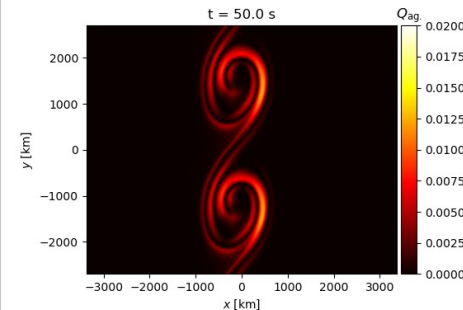
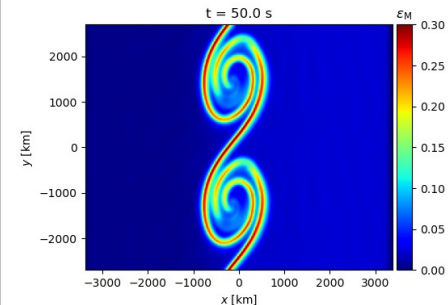
- For KHI with non-uniform density/temperature, velocity space evolves as the instability progresses



Constant density/temperature

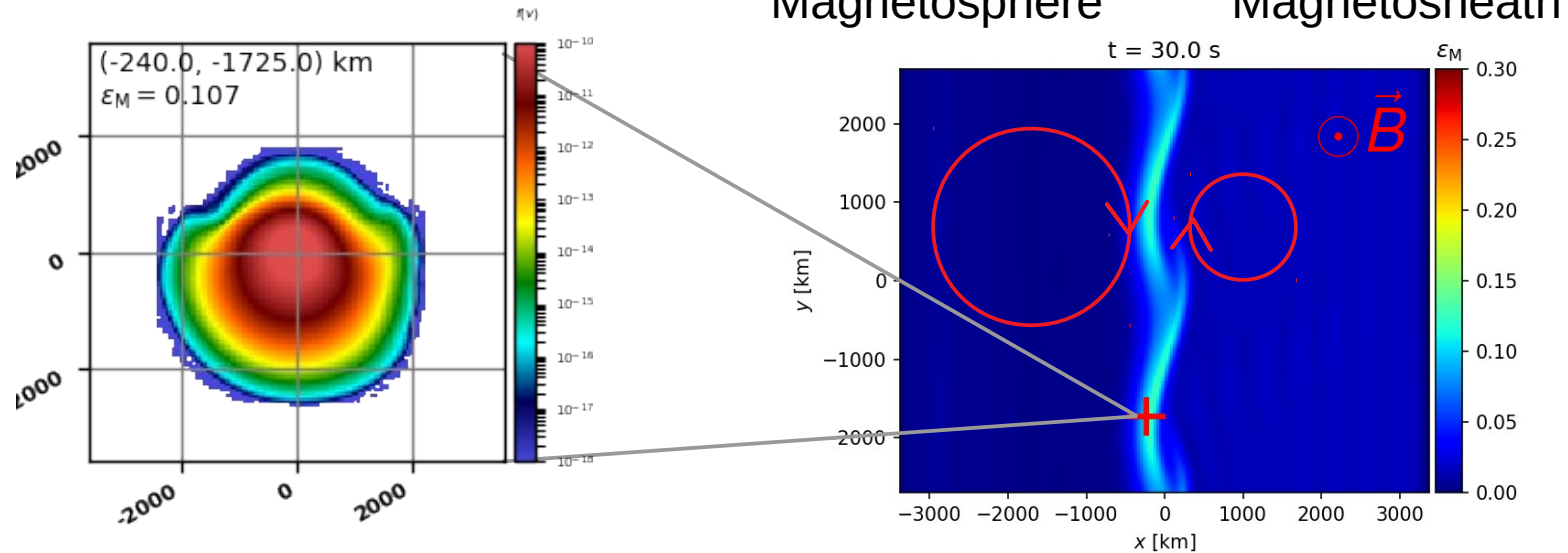


Density/temperature jump=4



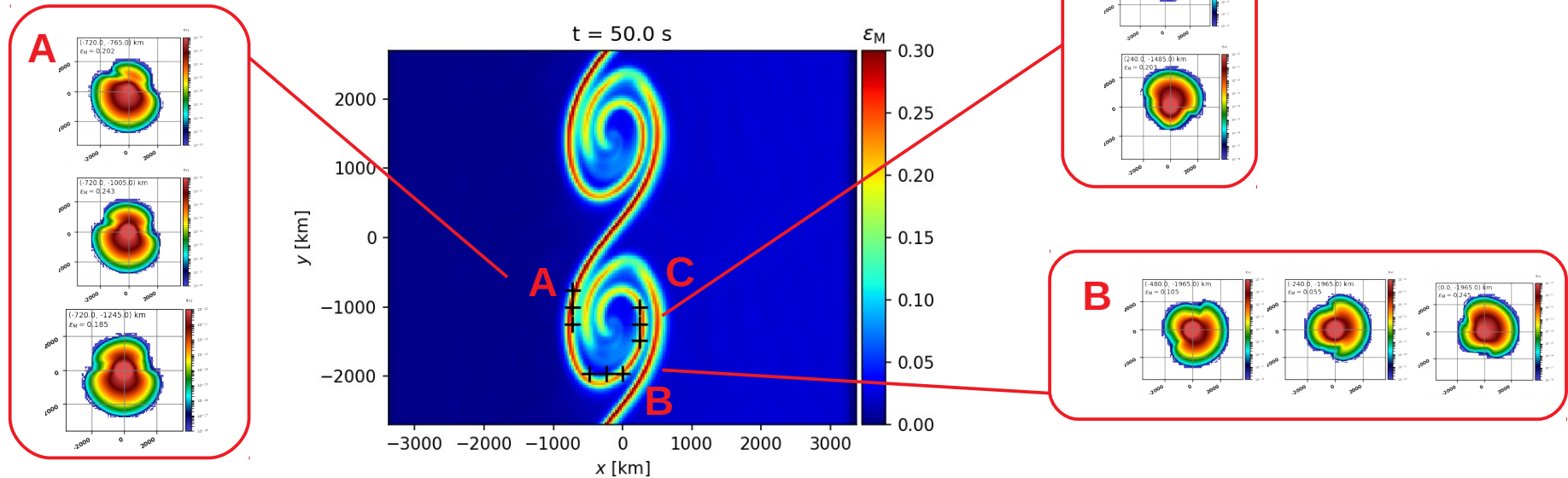
Linear phase

- Initial shear layer half-thickness $L \sim 2r_L$
 - Particle mixing at the shear boundary
 - Counter-propagating populations due to particle gyromotion



Vortex roll-up

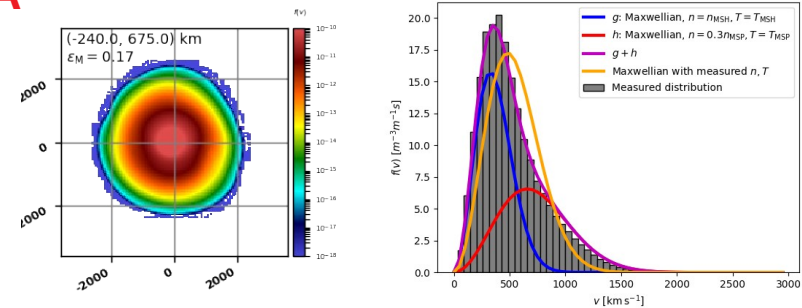
- **Shear layer half-thickness approaches $L \sim 1 r_L$**
 - Rolled up vortices increase the total length of the mixing boundary
 - Counter-propagating populations found along the vortex edges



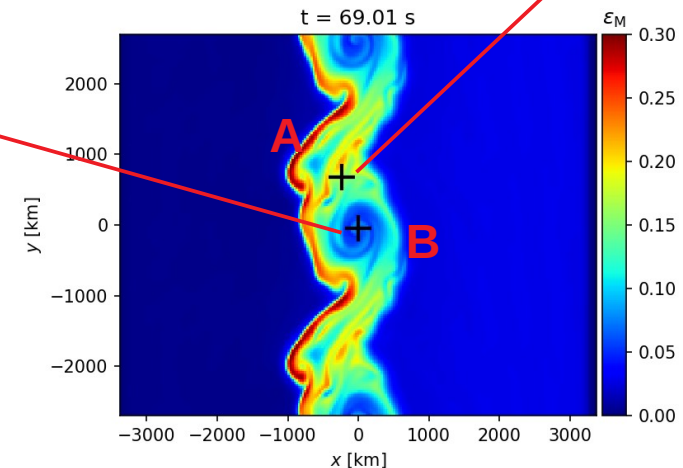
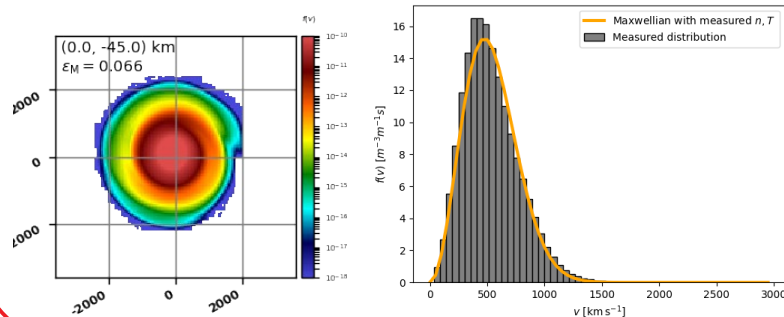
Vortex saturation

- **A thick layer of isotropic plasma is formed**
 - **(A)** Non-Maxwellian superposition of magnetosphere/magnetosheath populations around vortex centers
 - **(B)** Maxwellian plasma at vortex centers

A



B



Summary

- **Linear phase:**
 - Particle mixing at shear boundary
 - Low agyrotropy, low non-Maxwellianity
- **Vortex roll-up:**
 - Enhanced particle mixing due to extended shear layer
 - Enhanced agyrotropy, enhanced non-Maxwellianity
- **Vortex saturation:**
 - A layer of isotropic plasma forms
 - Low agyrotropy, enhanced non-Maxwellianity

