

Practical implementation of the IHRF employing local gravity data and geoid models

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Methodology (1/2)

$$\delta g(P) = g(P) - \gamma(P)$$

gravity disturbance, $P(\varphi, \lambda, h)$



$$\hat{\xi}_r(P) = Collocation[\delta g_r(P) = \delta g(P) - \delta g_{GGM}(P) - \delta g_{RTC}(P)]$$



$$\hat{\xi}(P) = \hat{\xi}_r(P) + \zeta_{GGM}(P) + \zeta_{RTC}(P) \quad \hat{T}(P) = \gamma(P)\hat{\xi}(P)$$

Methodology (2/2)

- In the remove-compute-restore
 - i) GGM model TIM-R6 to d/o 300
 - ii) RTC compute according to the spectral approach in two steps
(361-2160) + (2161-96000)
- The normal potential computed according to the closed-form in Heiskanen&Moritz (GRS80 ellipsoid)
- Zero order term considered for the difference w.r.t. the new standard W_0
- Computation in TF and final $W(P)$ values in MT

Data over Greece

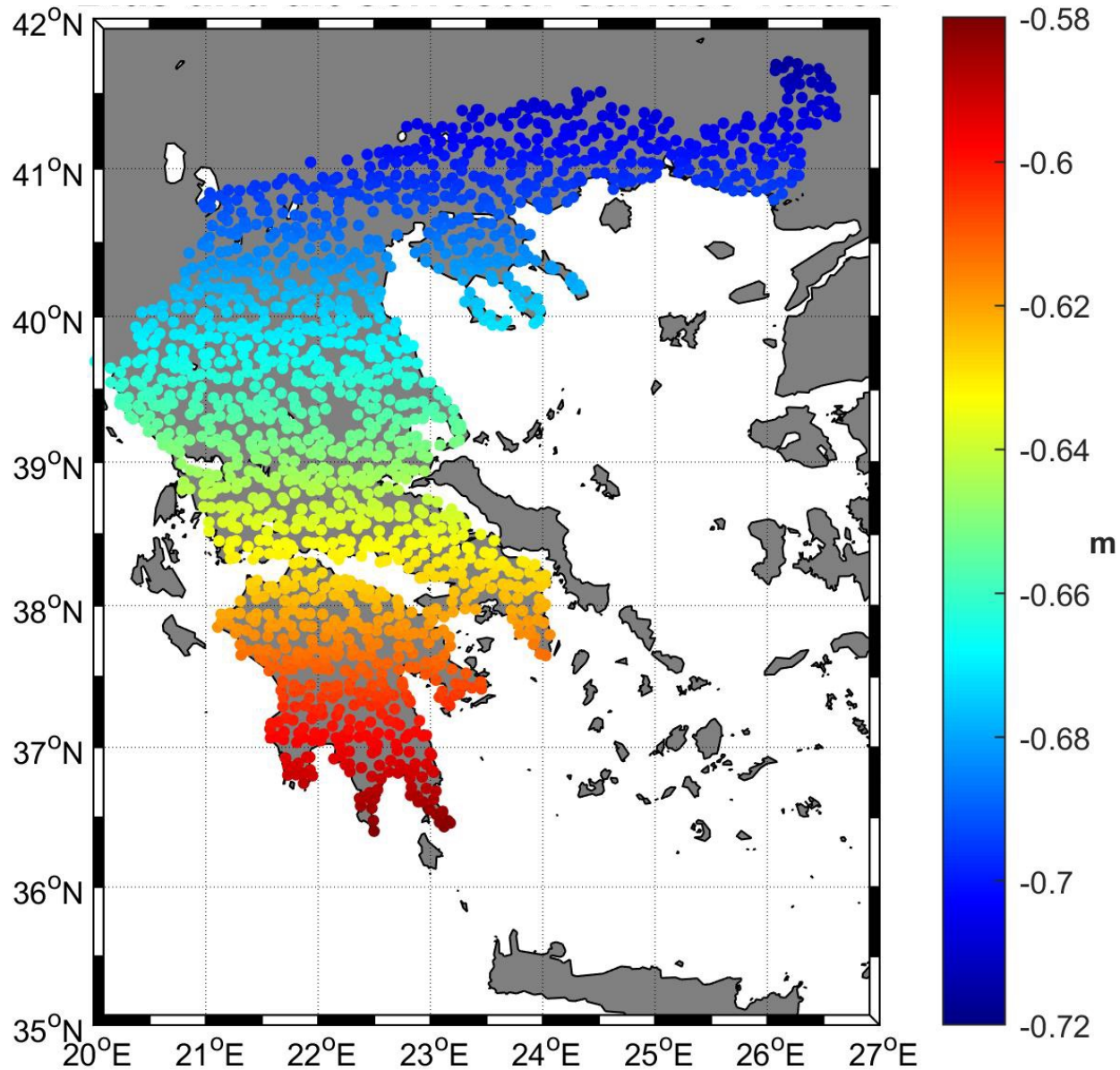
IHRF as a realization of IHRs at the AUT1 station

- EUREF Station (Class A Station)
- HNHS TG station in proximity (9.2 km)
- GravLab A10(#027) station in proximity (8 km)

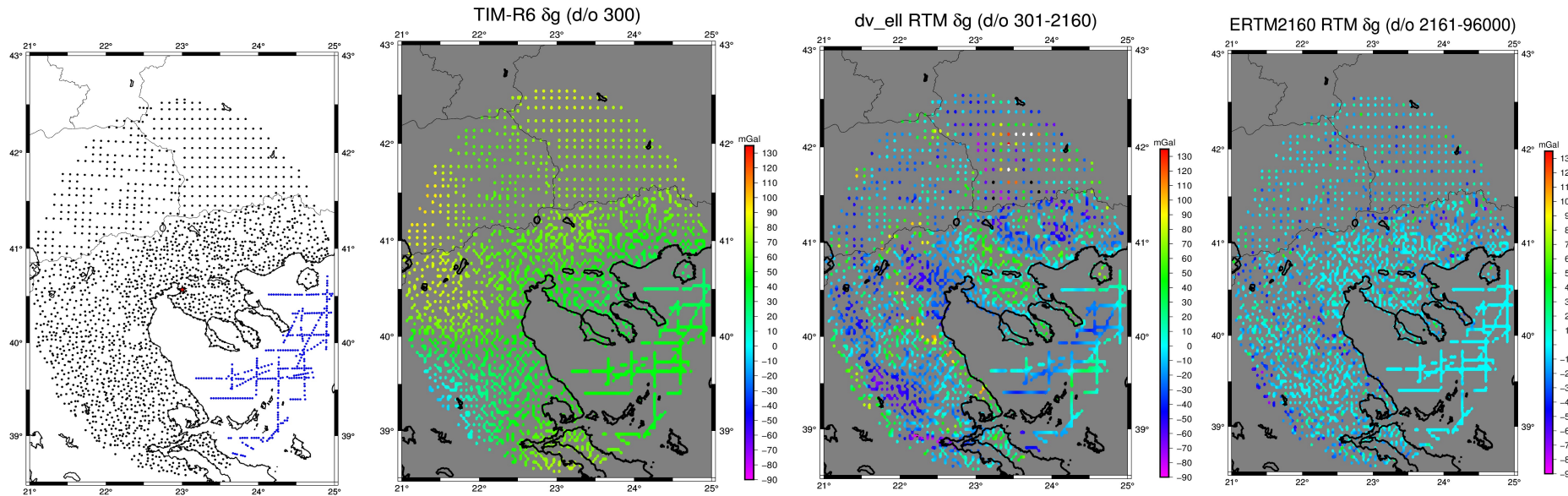
Simulate ellipsoidal heights based on a corrector surface of the Greek gravimetric geoid relative to GNSS/Levelling data

In collocation, we do not use the entire database, but point values selected close to 2 arcmin grid nodes

Bias and tilt corrector surface values



Data over Greece (~2500 pts @ 2arcmin nodes)



$$\mu_{\delta g} = 44.63 \text{ mGal}$$

$$\sigma_{\delta g} = 39.22 \text{ mGal}$$

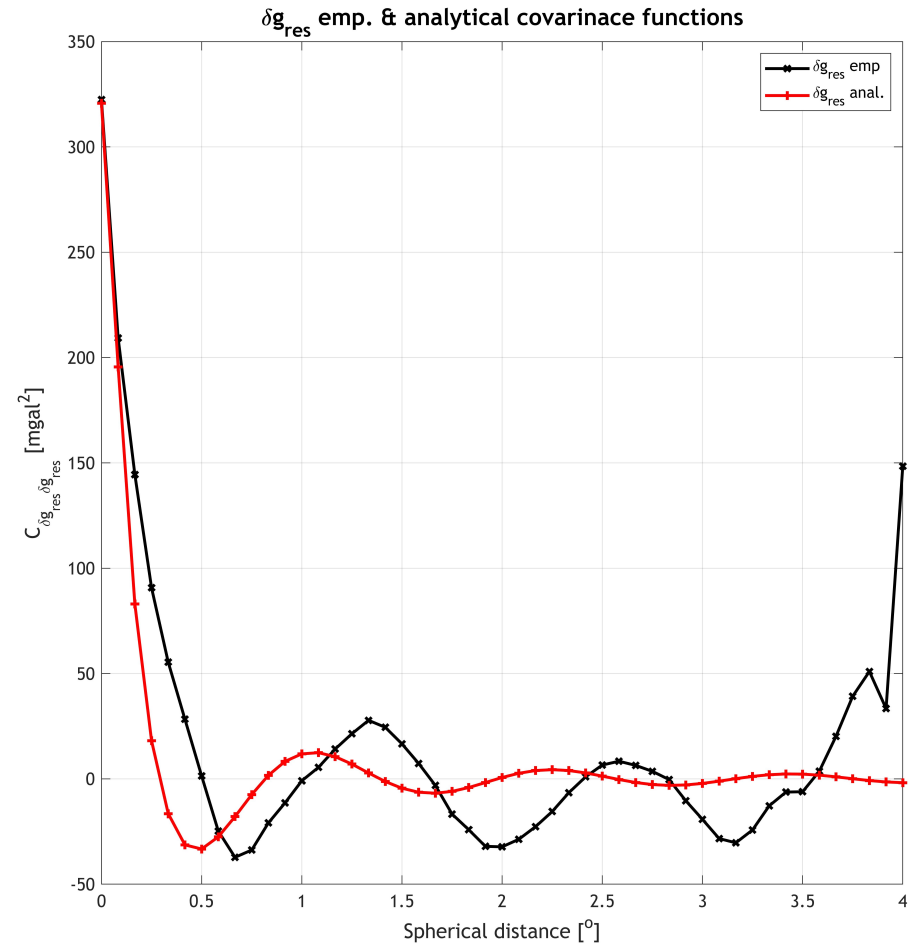
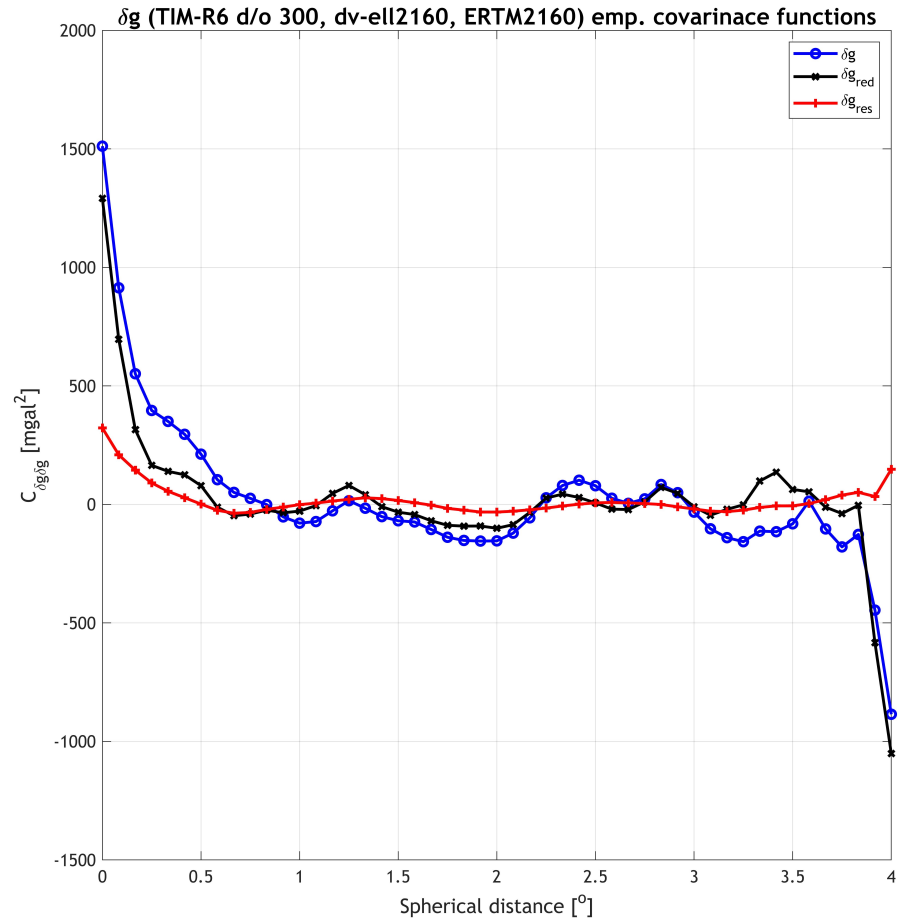
$$\mu_{\delta g_{red}} = -10.36 \text{ mGal}$$

$$\sigma_{\delta g_{red}} = 35.80 \text{ mGal}$$

$$\mu_{\delta g_{res}} = -2.91 \text{ mGal}$$

$$\sigma_{\delta g_{res}} = 19.01 \text{ mGal}$$

Covariance function over Greece



Potential at AUT1

The estimated value in WGS84 and TF

$$\zeta_{AUT1} = 42.455 \pm 0.0494 \text{ m}$$

$$W_{AUT1} = 62,635,796.6046 \pm 0.0050 \text{ m}^2/\text{s}^2$$

To GRS80 and MT

$$\zeta_{AUT1} = 41.489 \pm 0.0494 \text{ m}$$

$$W_{AUT1} = 62,635,787.8025 \pm 0.0050 \text{ m}^2/\text{s}^2$$

Compared to our previous (IAG2017) best estimate with ~25,000 pts.

$$\delta\zeta_{AUT1} = -0.0899 \text{ m} \quad \delta W_{AUT1} = -0.8817 \text{ m}^2/\text{s}^2$$

Data over Italy

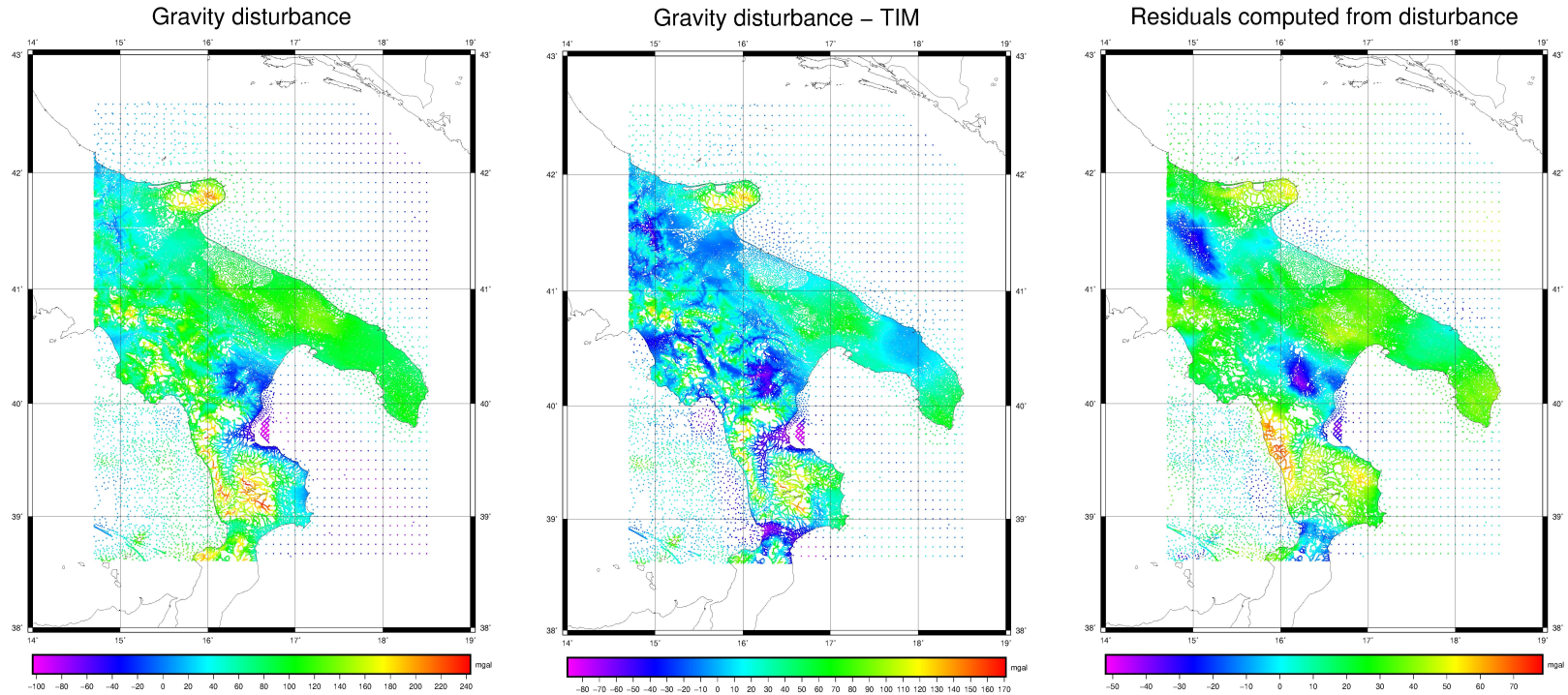
IHRF as a realization of IHRs at the Matera station

- EUREF Station (Class A Station)
- GGOS Core Site

Simulate ellipsoidal heights based on a corrector surface (bias & tilt) of the Italian gravimetric geoid relative to GNSS/Levelling data

All the gravity points of the Italian gravity database in a range of 4° from the Matera station have been considered in collocation (~54000 pts)

Data over Italy



$$\mu_{\delta g} = 73.98 \text{ mGal}$$

$$\sigma_{\delta g} = 41.08 \text{ mGal}$$

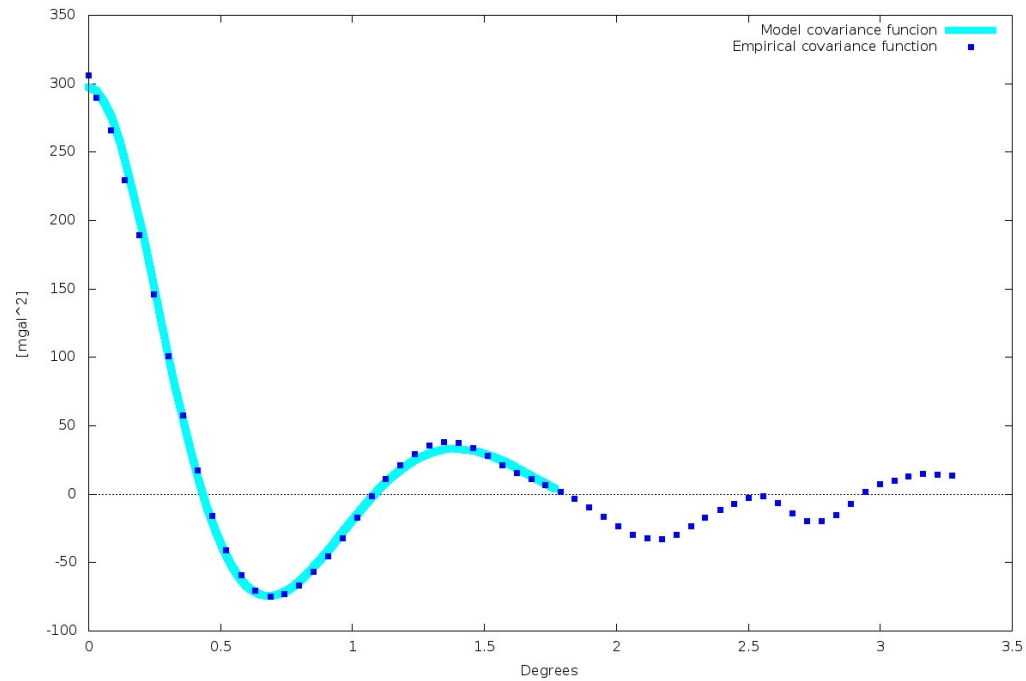
$$\mu_{\delta g_{red}} = 15.08 \text{ mGal}$$

$$\sigma_{\delta g_{red}} = 30.47 \text{ mGal}$$

$$\mu_{\delta g_{res}} = 16.84 \text{ mGal}$$

$$\sigma_{\delta g_{res}} = 17.50 \text{ mGal}$$

Covariance function over Italy



GRS80 and MT

$$\zeta_{MATE} = 46.571 \text{ m}$$

$$W_{MATE} = 62,632,059.7326 \text{ m}^2/\text{s}^2$$

Remarks and conclusions

- Refinements in the estimation of the ellipsoidal heights will be considered (e.g. local bias estimate)
- Computations of ζ in the two sites will be repeated using different methods and different satellite only GGMs
- Estimation error computed also in the Matera station
- Comparison with $W(P)$ values based on high resolution GGM