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REVISITING TEMPERATURE SENSITIVITY: How does ANTARCTIC SNOWFALL CHANGE WITH WARMING?

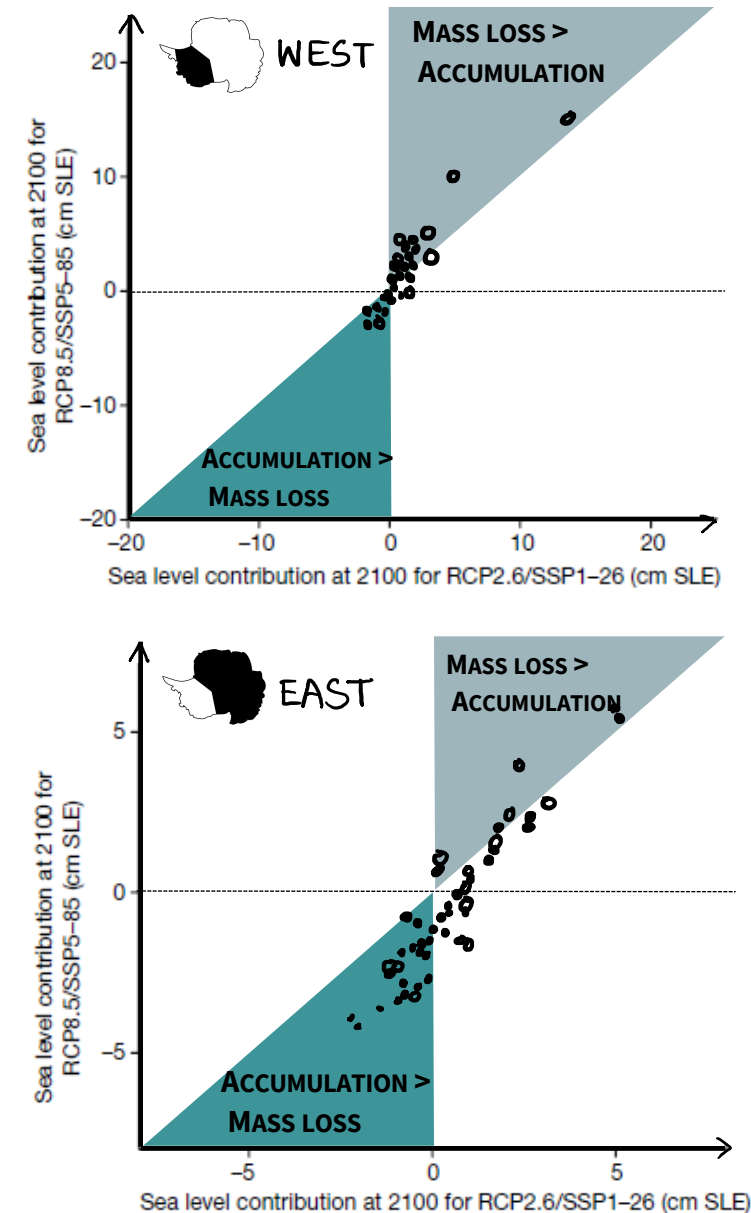
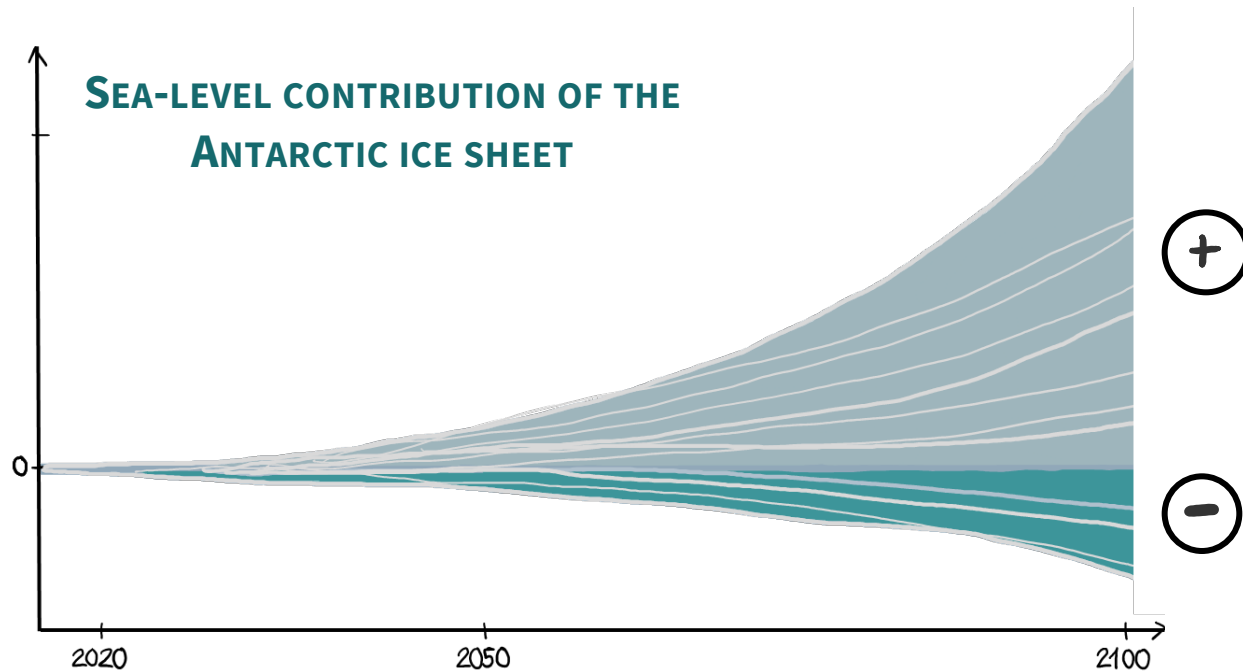
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EGU General Assembly 2022 | CR4.1 Ice-sheet and climate interactions

This presentation participates in the **Outstanding Student & PhD candidate Presentation contest (OSPP)**

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Motivation: Mass gains under warming?



Left: Sketch of ISMIP6 simulations adapted from **Seroussi et al., 2020**

Right: Sea-level response to different greenhouse gas emissions scenarios adapted from **Edwards et al., 2021**



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How much snowfall? Sensitivity factor used for precipitation scaling

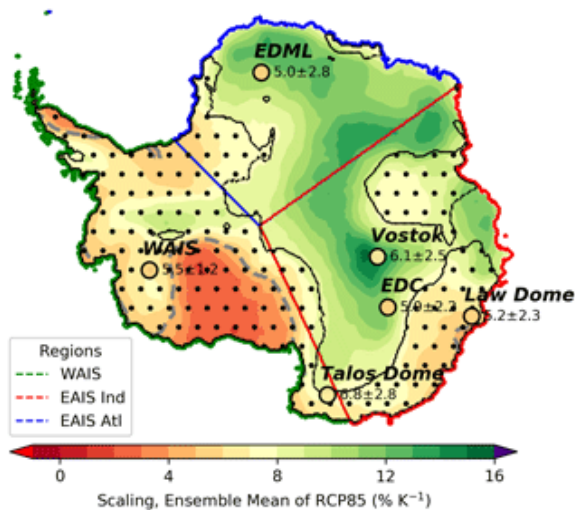


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$$P(t) = P_0 [1 + \alpha \cdot T(t)]$$

- Literature values vary between 4 - 10 % K⁻¹ from ice cores, regional and global climate model data
- Sensitivity, α** , assumed to be constant

Rodehacke et al., 2020
using CMIP5 model data



1. Using exponential function

$$P(t) = P_0 \exp[\alpha \cdot T(t)]$$

2. Spatially resolved
 $\alpha = f(\text{lon}, \text{lat})$

$$P(t) = P_0 \exp[\alpha(\text{lon}, \text{lat}) \cdot T(t)]$$

3. Temperature-dependent
 $\alpha = f(T)$

$$P(t) = P_0 \exp[\alpha(\text{lon}, \text{lat}, T) \cdot T(t)]$$

$$\frac{d \ln e_s}{dT} = \frac{L}{R T^2} = \alpha(T)$$

as in Held and Soden (2006)

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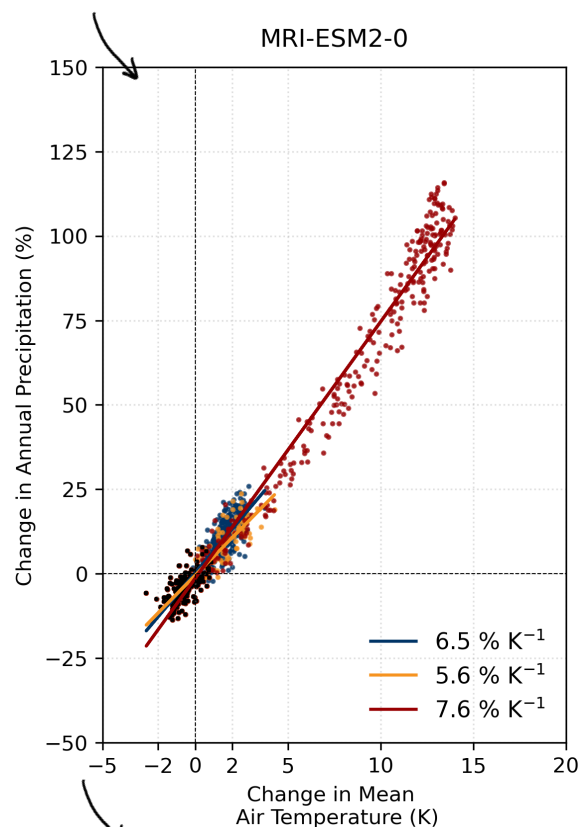
Example model result: MRI-ESM-2-0



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0. Using relative changes

$$P(t) = P_0 [1 + \alpha \cdot T(t)]$$

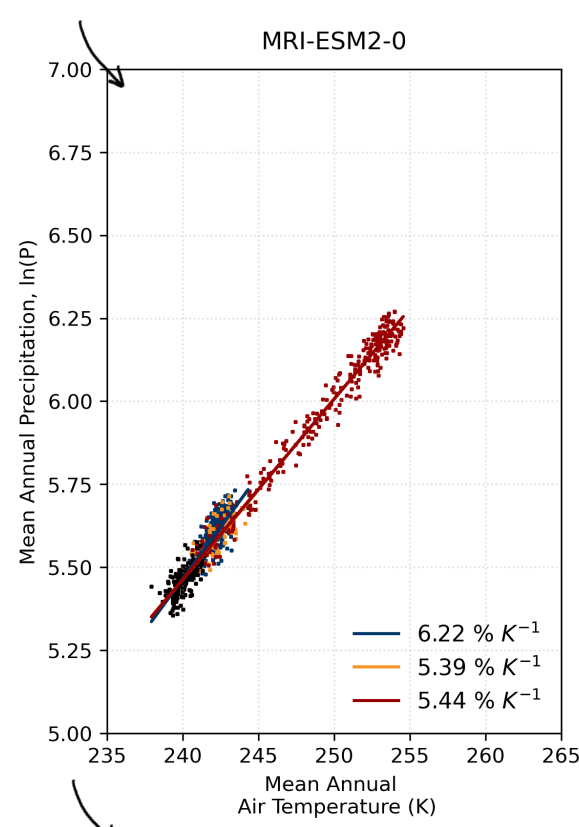


CMIP6
ENSEMBLE
MEAN

5.36 ± 1.19 % K⁻¹
5.52 ± 1.21 % K⁻¹
6.23 ± 1.82 % K⁻¹

1. Using exponential function

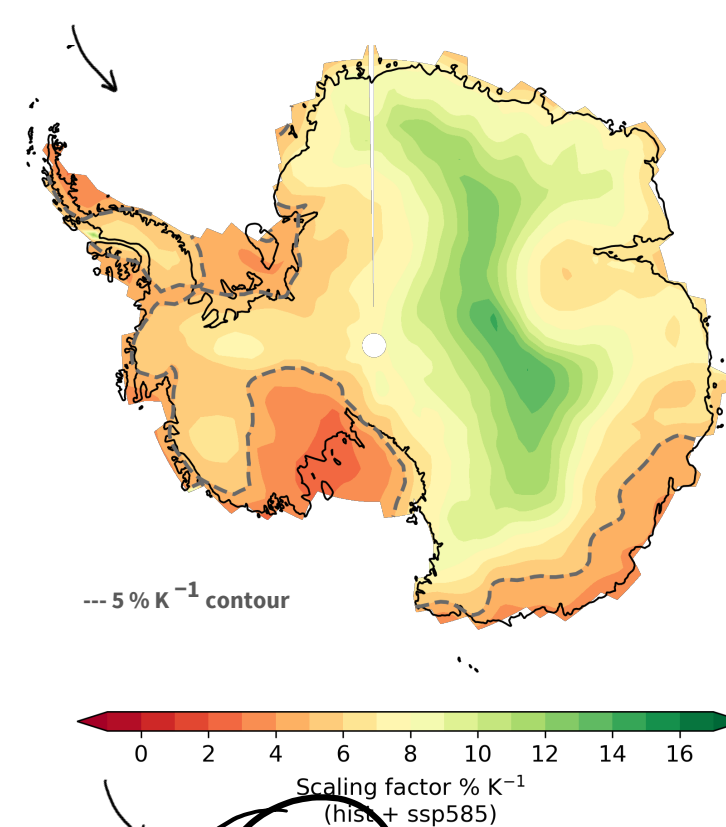
$$P(t) = P_0 \exp[\alpha \cdot T(t)]$$



5.26 ± 1.12 % K⁻¹
5.29 ± 1.08 % K⁻¹
5.28 ± 0.93 % K⁻¹

2. Spatially resolved $\alpha = f(\text{lon}, \text{lat})$

$$P(t) = P_0 \exp[\alpha(\text{lon}, \text{lat}) \cdot T(t)]$$



$\alpha = f(T) ?$

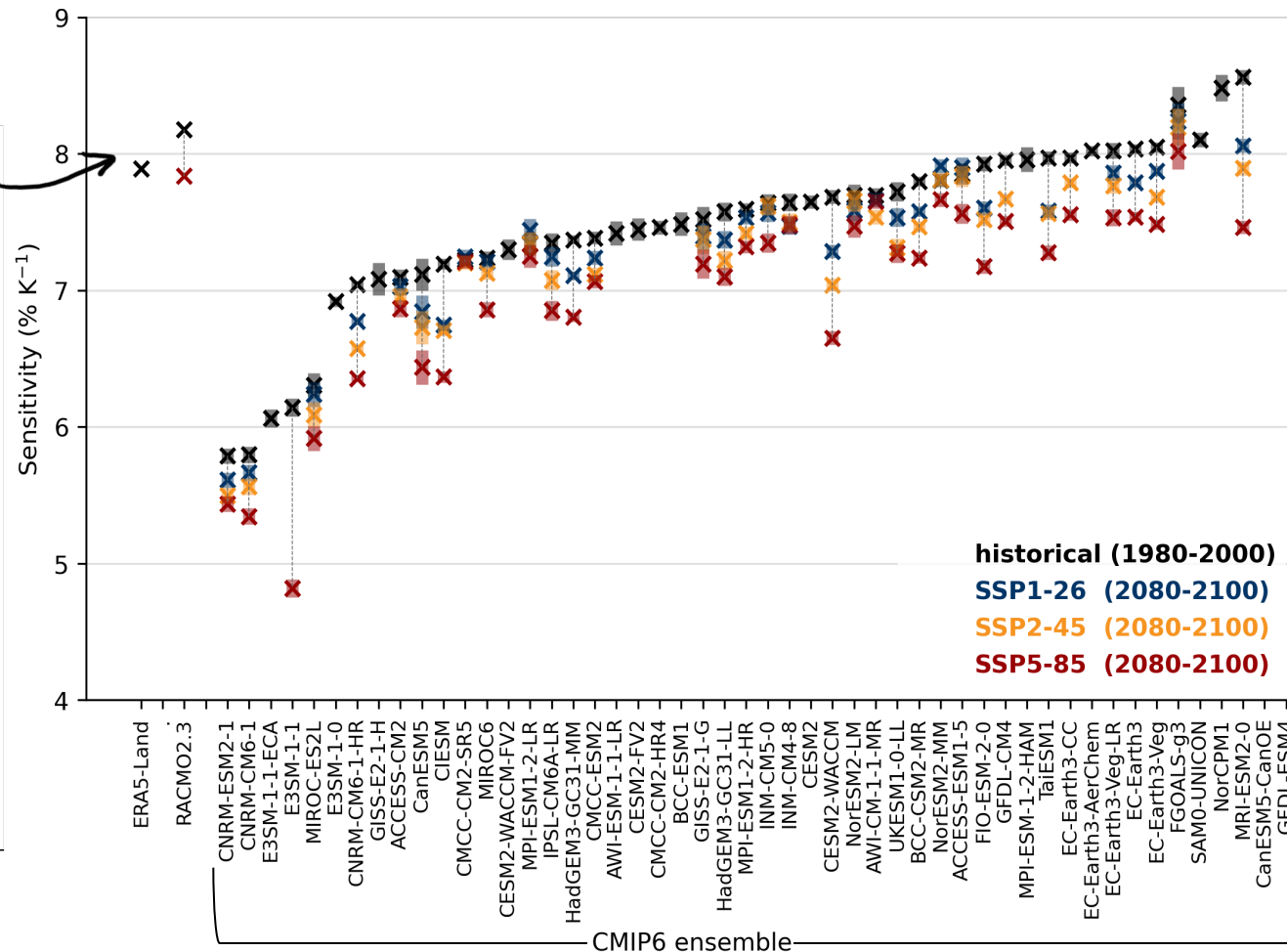
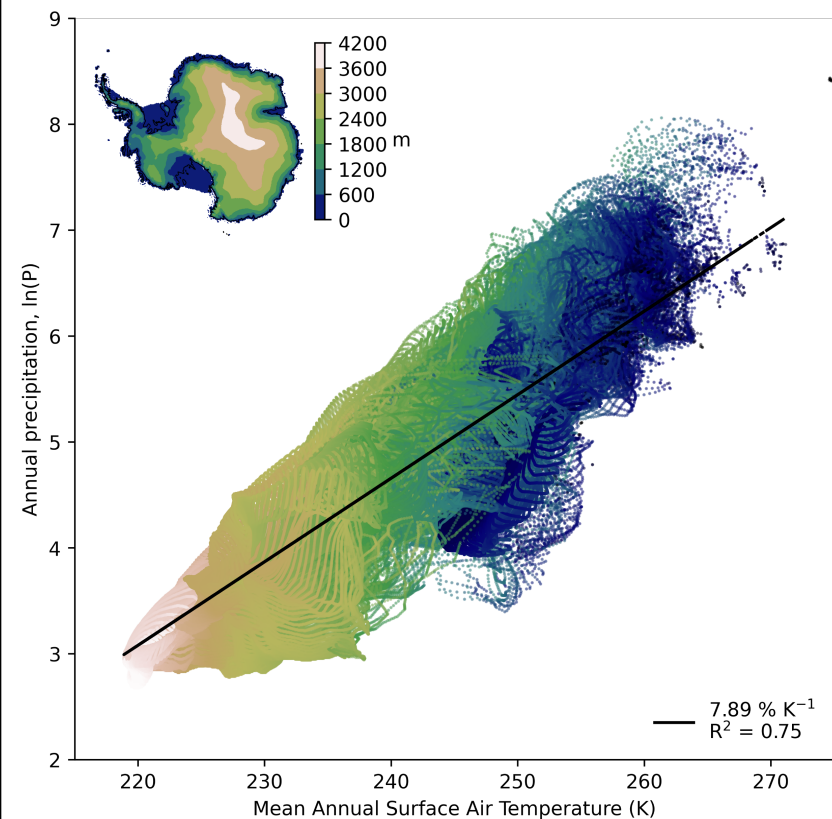
9.22 ± 0.99 % K⁻¹
8.53 ± 0.88 % K⁻¹
7.51 ± 0.74 % K⁻¹

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3. Temperature-dependent $\alpha = f(T)$?

$$P(t) = P_0 \exp[\alpha(\text{lon, lat, } T) \cdot T(t)]$$

ERA5-Land reanalysis
(1981-2000)



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In summary ...

- > **Linear approximation** to exponential function **too imprecise** for long-running simulations
- > **Continent-wide scaling factor** at **5.3 % K⁻¹** (CMIP6)
- > **Local** sensitivities **differ widely!**
- > **Spatial parameterization** $\alpha = f(\text{lon}, \text{lat})$ needed to capture local characteristics
- > Local **scenario-dependent sensitivity:**

Temperature-dependent scaling factor $\alpha = f(\text{lon}, \text{lat}, \text{T})$
needed **for high-end sea-level rise** simulations!



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- > **Spatial parameterization** $\alpha = f(\text{lon}, \text{lat})$ needed to capture local changes
- > Local **scenario-dependent sensitivity**:

Temperature-dependent scaling factor $\alpha = f(\text{lon}, \text{lat}, T)$
needed for high-end sea-level rise simulations!

THANK YOU!



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