



Introduction

The flux of galactic cosmic rays (GCR) is considered to be constant in the local interstellar medium, but upon arriving in the heliosphere, they experience modulation due to the magnetic activity of the Sun.

This variation can be observed, e.g., when measuring GCR fluxes with neutron monitors (NMs). The modulation is parametrized by the heliospheric modulation potential ϕ , which tells the average energy loss of GCR particles.

This parameter is usually evaluated from the measurements by multiple NM stations by employing models of the cosmic ray yield functions, after correcting for the geomagnetic rigidity cutoff and atmospheric effects.

In this work, we employ the recently updated yield function as presented in Mishev2020 and a new method of minimized rootmean-square errors in order to compute the modulation potential and the station-specific scaling factors.

Methods

In	practical	terms,	modulation	potential	φ				
is used in determining the energy spectrum of i-th species GCR									

$$J_i(T,\phi) = J_{\text{LIS},i}(T+\Phi_i) \frac{(T)(T+2T_r)}{(T+\Phi_i)(T+\Phi_i+2T_r)}$$

where $\Phi_i = (\frac{e Z_i}{r}) \phi$, **T** is the kinetic energy/nucleon, **T**_r=0.938 GeV is the rest mass of a proton. The local interstellar spectrum (LIS) we use here is by Vos and Potgieter 2015:

$$J_{\rm LIS}(T) = C \cdot 2700 \cdot \frac{T^{1.12}}{\beta^2} \left(\frac{T+0.67}{1.67}\right)^{-3.93}$$

where we employ the ratio C determined in Koldobskiy et al. 2019, describing the response functions of GCR species, effectively including heavier Z>2 species

$$C = 4.3 \cdot 10^{-9} \phi^2 - 6.2 \cdot 10^{-7} \phi + 0.337$$

Ultimately, using the energy spectrum J_i and the yield function Y_i , determined by cut-off rigidity R_c and atmospheric depth **h**, we can compute the theoretical NM count rate

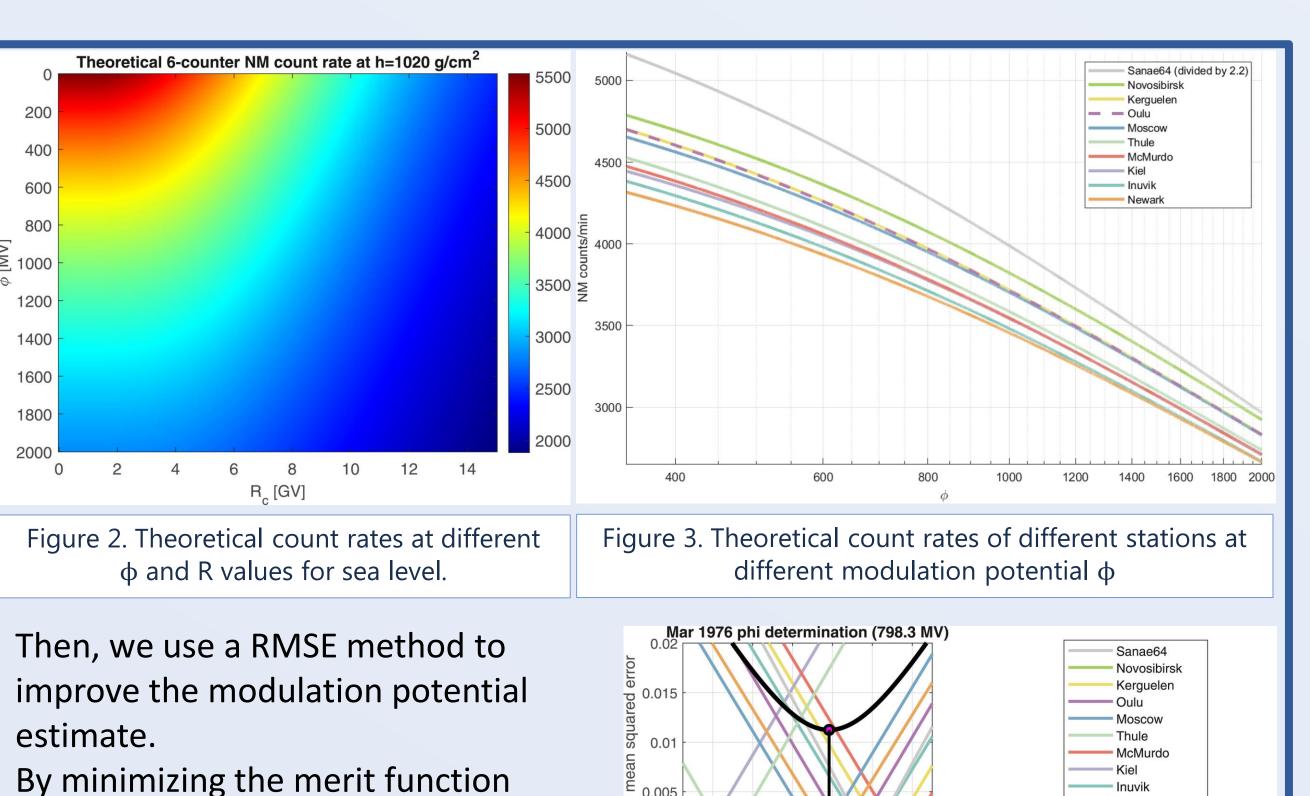
$$N^{*}(R_{c}, h, t) = \sum_{i} \int_{T_{c,i}}^{\infty} Y_{i}(h, T) J_{i}(E, t) dT,$$

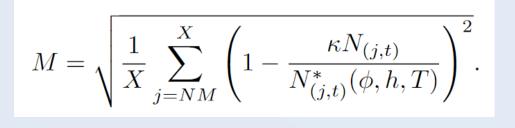
The scaling factors are a simple ratio of the $\kappa = -\frac{1}{N}$. theoretical and measured count rates:

Stations used are shown in Figure 1. In the selection we focused on good, longlived stations with $P_c < 3$ GV.

Table shows basic information the and average scaling factor value obtained.

Static Inuvi McMi Mosco Newa Novos Oulu Sana





Updated heliospheric modulation potential of cosmic rays and station-specific scaling factors for 1964-2021

Väisänen, P., Usoskin, I., Kähkönen, R., Koldobskiy, S., & Mursula, K Space Climate Research Group, University of Oulu, Finland email: pauli.vaisanen@oulu.fi

Data

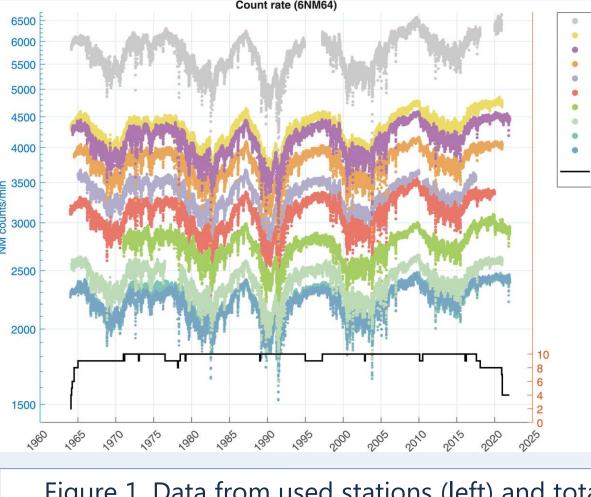


Figure 1. Data from used stations (left) and total coverage (right)

Table 1. Information about the used stations

ion	Latitude	Longitude	$h \ (g/cm^2)$	$R_{\rm c}~({\rm GV})$	# of counters	$\kappa \pm \sigma_{\kappa}$
vik	68.35	-133.72	1030.51	0.21	18	1.764 ± 0.011
guelen	-49.35	70.27	1019.63	1.03	18	0.984 ± 0.009
	54.3	10.1	1026.43	2.22	18	1.192 ± 0.014
Iurdo	-77.95	166.6	1026.85	0	18	1.287 ± 0.016
COW	55.47	37.32	1019.72	2.23	24	1.885 ± 0.016
ark	39.7	-75.7	1032.97	2.10	9	1.033 ± 0.005
osibirsk	54.48	83	1014.62	2.64	24	1.575 ± 0.025
ı	65.05	25.47	1019.72	0.65	9	1.022 ± 0.008
ae64	-71.67	-2.85	897.28	0.67	6	1.747 ± 0.014
le	76.5	-68.7	1025.07	0	18	1.688 ± 0.021

by employing average scaling factor values of stations

we then find the best phi value for each timestep at the minimum of the curve (see Figure 4.->)

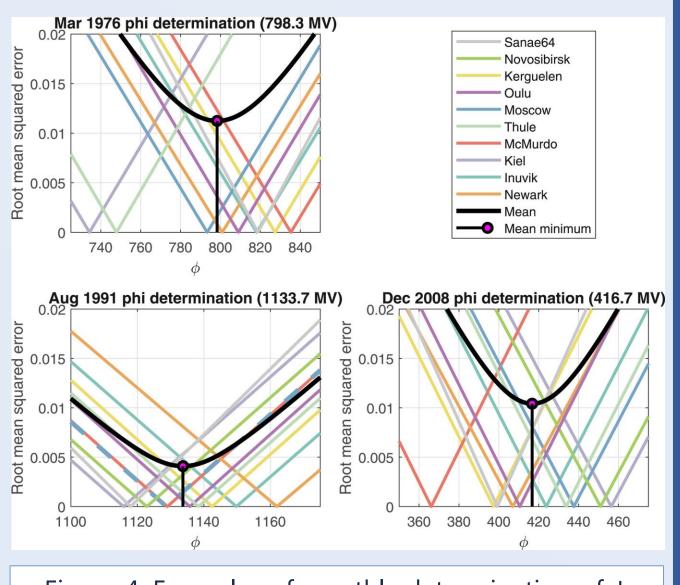
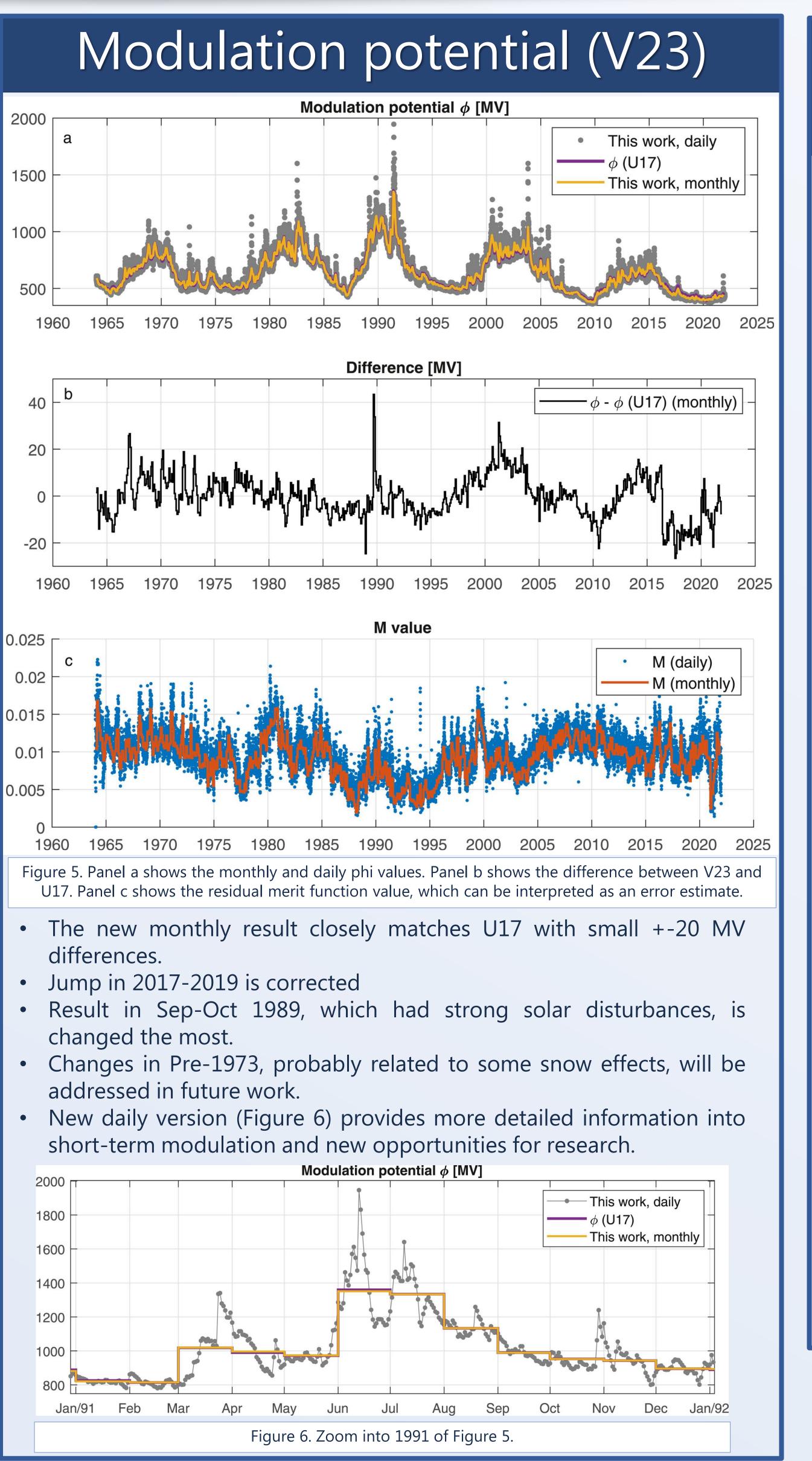


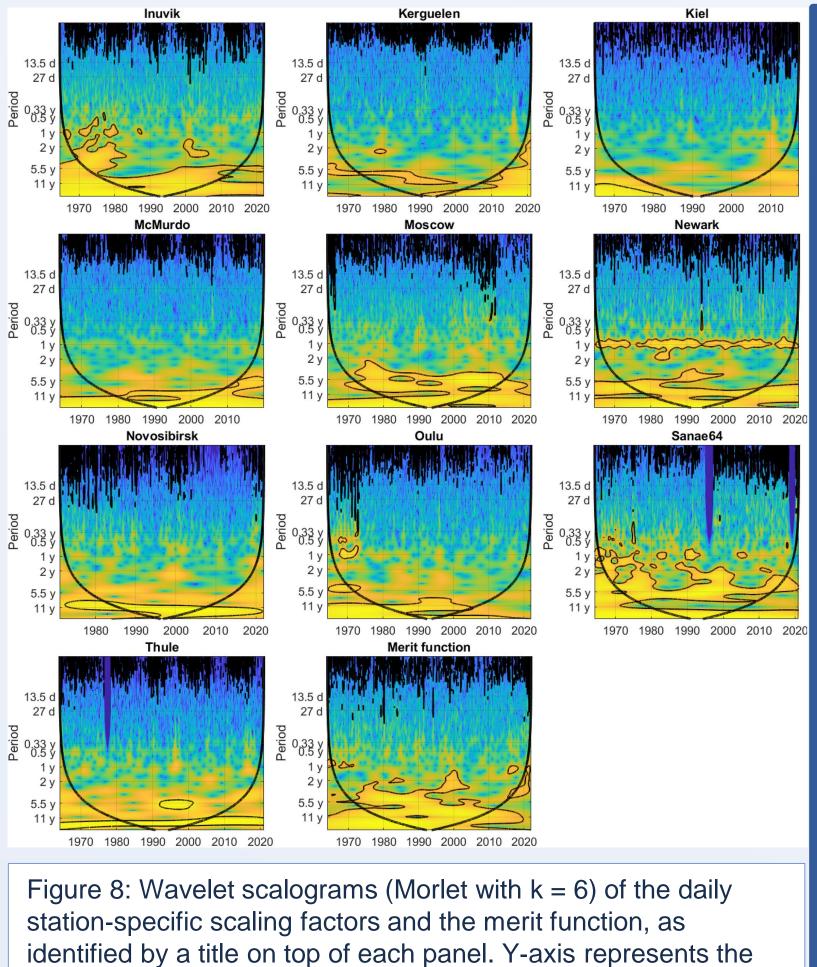
Figure 4. Examples of monthly determination of ϕ using RMSE



Scaling factors

Variation of scaling factors also acts as a measure of reliabili for both the model and the data quality of the stations. Station specific results for both U17 and V23 are shown in Figure 7.

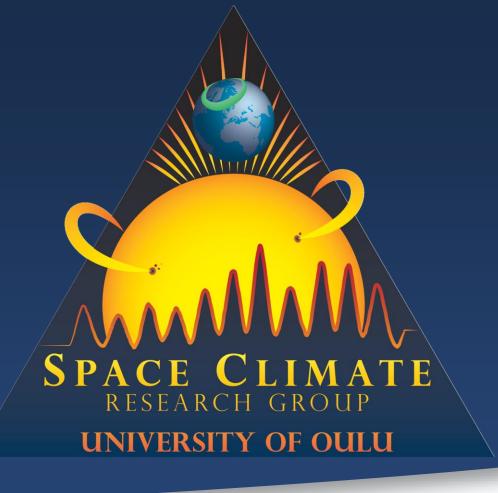
Further spectral analysis can reveal intermittent temporal variations in scaling the factor values, shown Figure 8.







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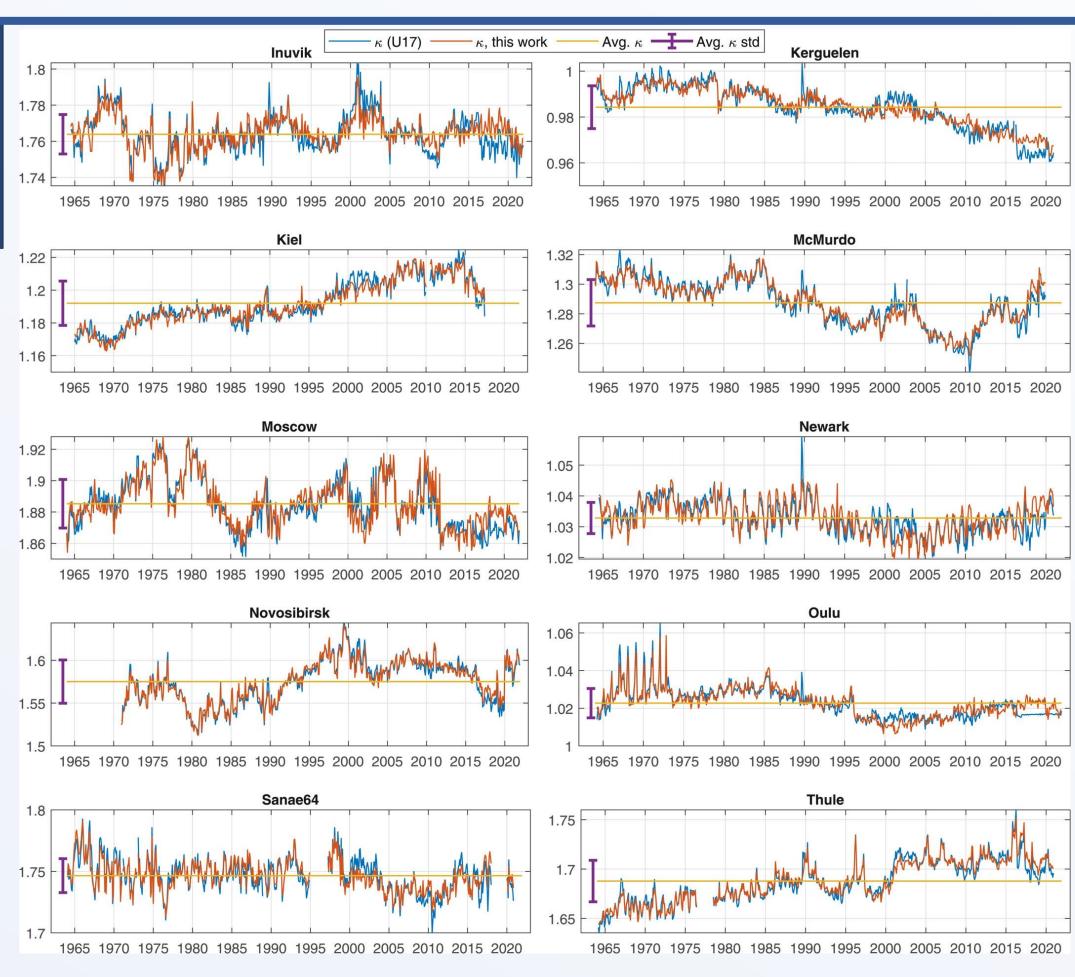


Figure 7. Station-specific scaling factors, blue lines show U17 and red lines V23 results

timescale in years and X-axis corresponds to the time where the wavelet is centered on. Red curves bound the cones of influence beyond which the wavelet results are unreliable. The black lines bound the 95% confidence level calculated against

4. Summary

- We employed parametrized yield functions by Mishev et al. 2020 and a RMSE merit function method to estimate of compute new modulation potential and stationspecific scaling factors.
- The method is fast and scalable to include more stations and possible data quality fixes/improvements in the future.
- The scaling factors can be used to check datasets for possible errors, drifts or new/unconsidered physical effects.
- Daily resolution of modulation potential can open new possibilities of research, e.g., on Forbush decreases and other events.
- Analysis was based on low cutoff stations, so future work for increasing number of high cutoff stations is needed.

Reference:

AR1 noise.

Väisänen, P., Usoskin, I., Kähkönen, R., Koldobskiy, S., & Mursula, K. (2023). Revised reconstruction of the heliospheric modulation potential for 1964–2022. Journal of Geophysical Research: Space Physics, 128, e2023JA031352. https://doi.org/10.1029/2023JA031352