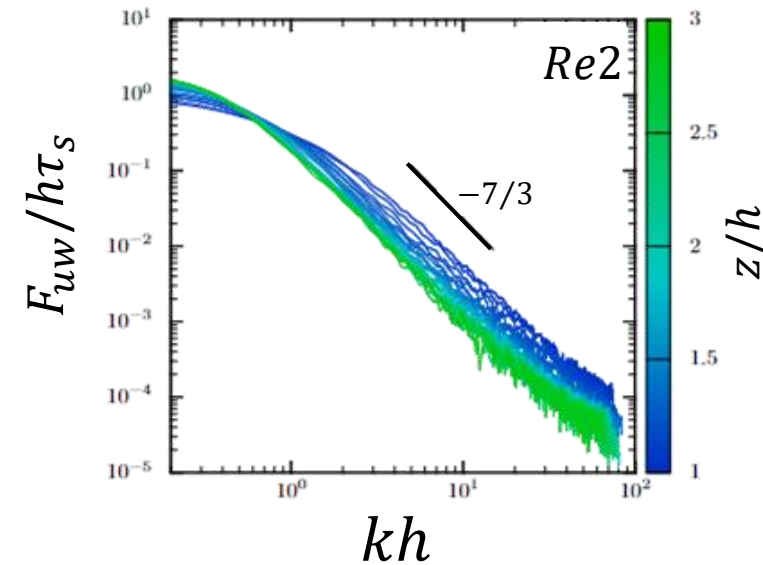
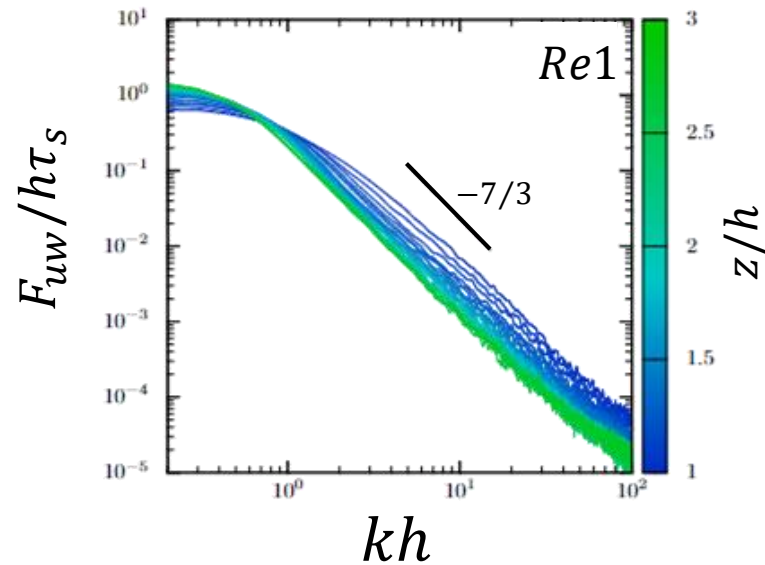
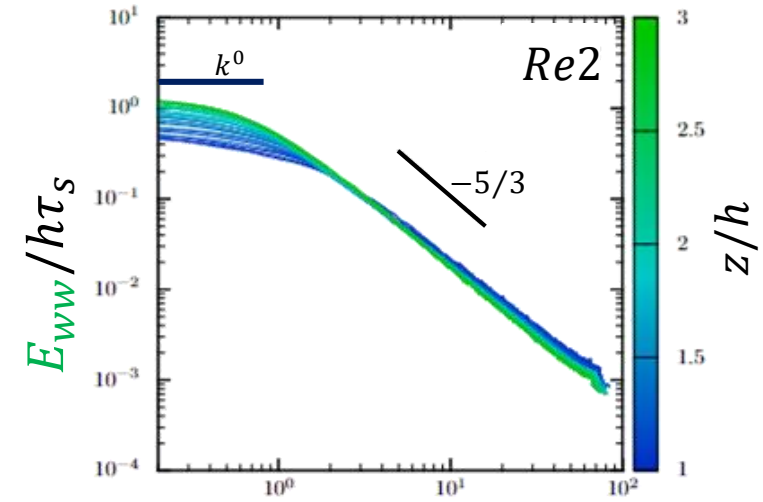
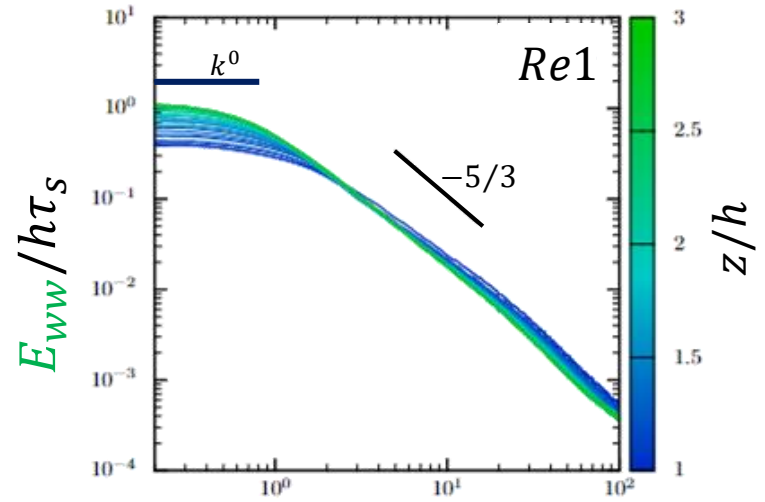


Perturbed Roughness Sublayer Affecting the Law Of The Wall Modeled by a “Co-spectral Link”

Y. Bohbot-Raviv, V. Babin and G. G. Katul

Measured vertical energy spectra and co-spectrum at two Reynolds number

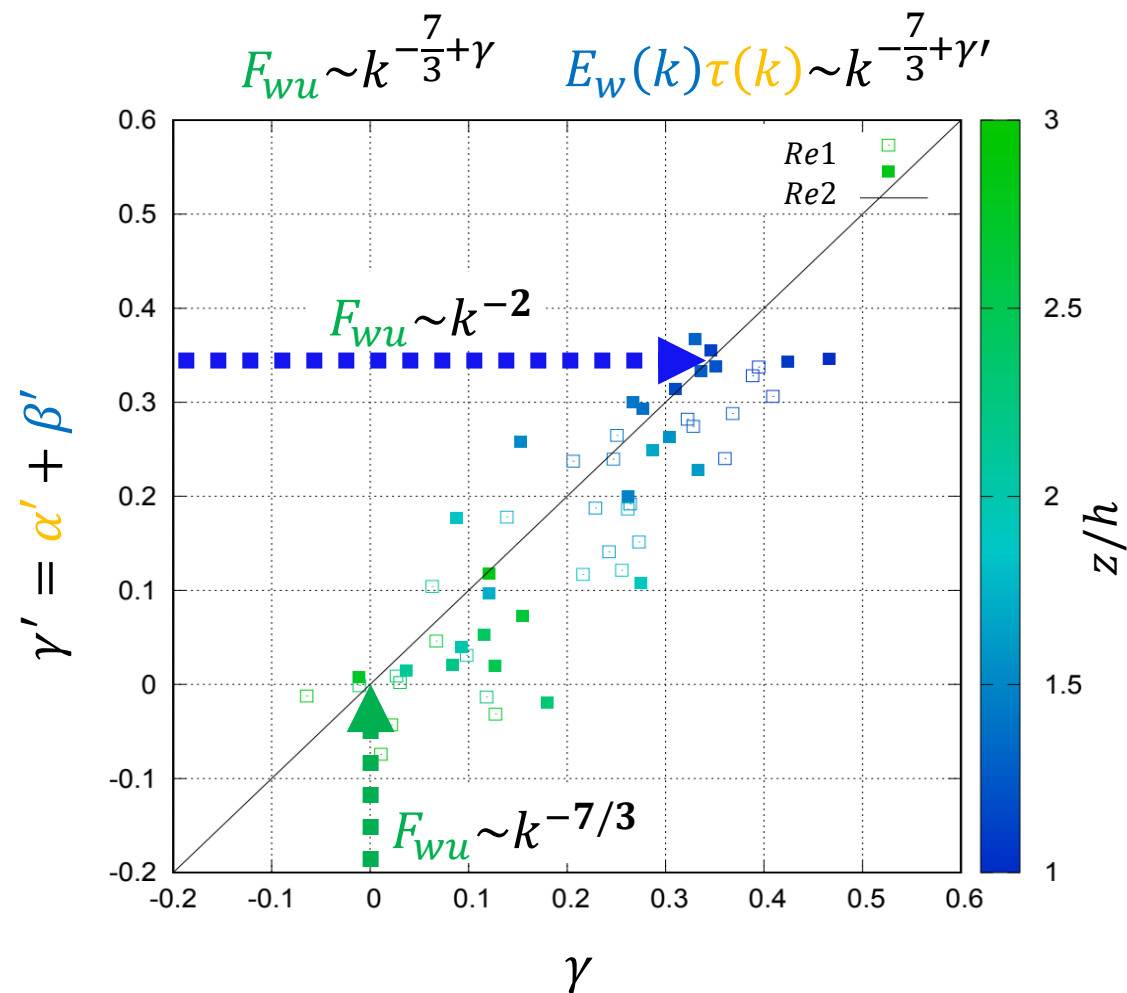
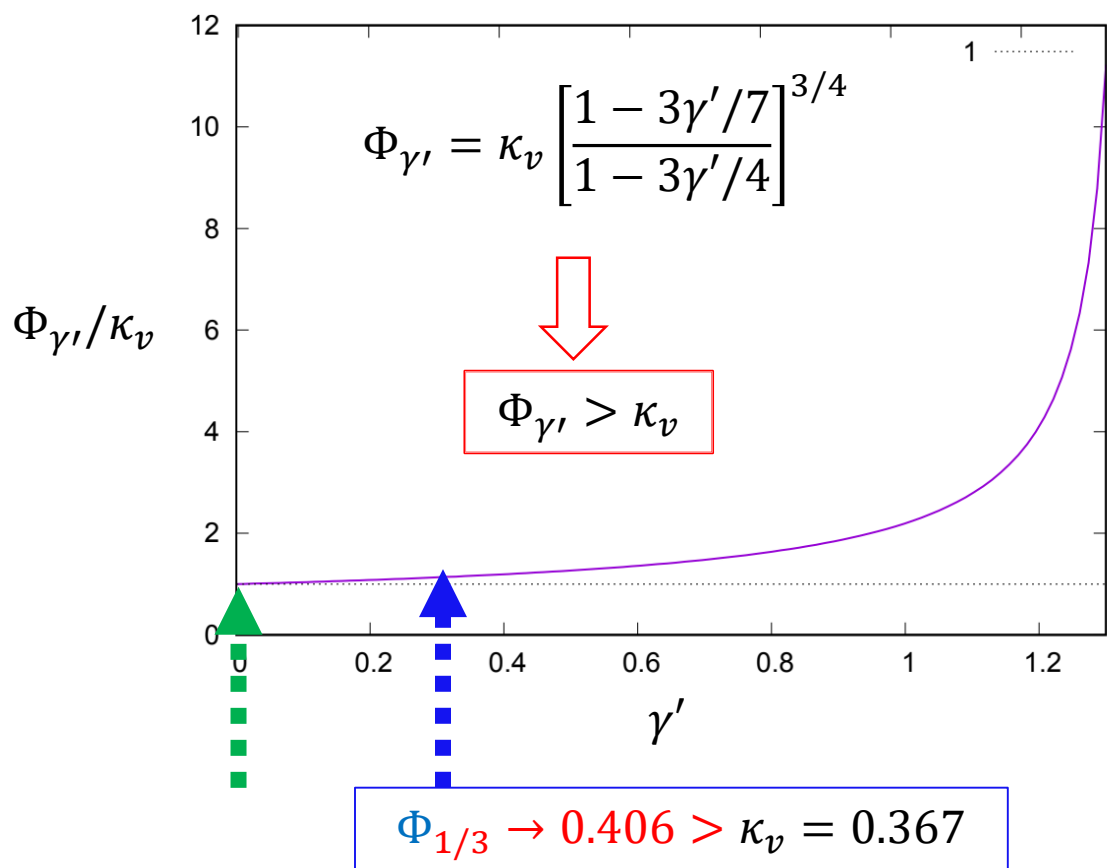


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▣ Deviation from idealized co-spectrum power law – estimation and measurements

$$\Phi_{\gamma'} = \kappa_v \left[\frac{4}{7} \left(\int_0^1 d\hat{k} + \int_1^\infty \hat{k}^{-\frac{7}{3}+\gamma'} d\hat{k} \right) \right]^{3/4}$$

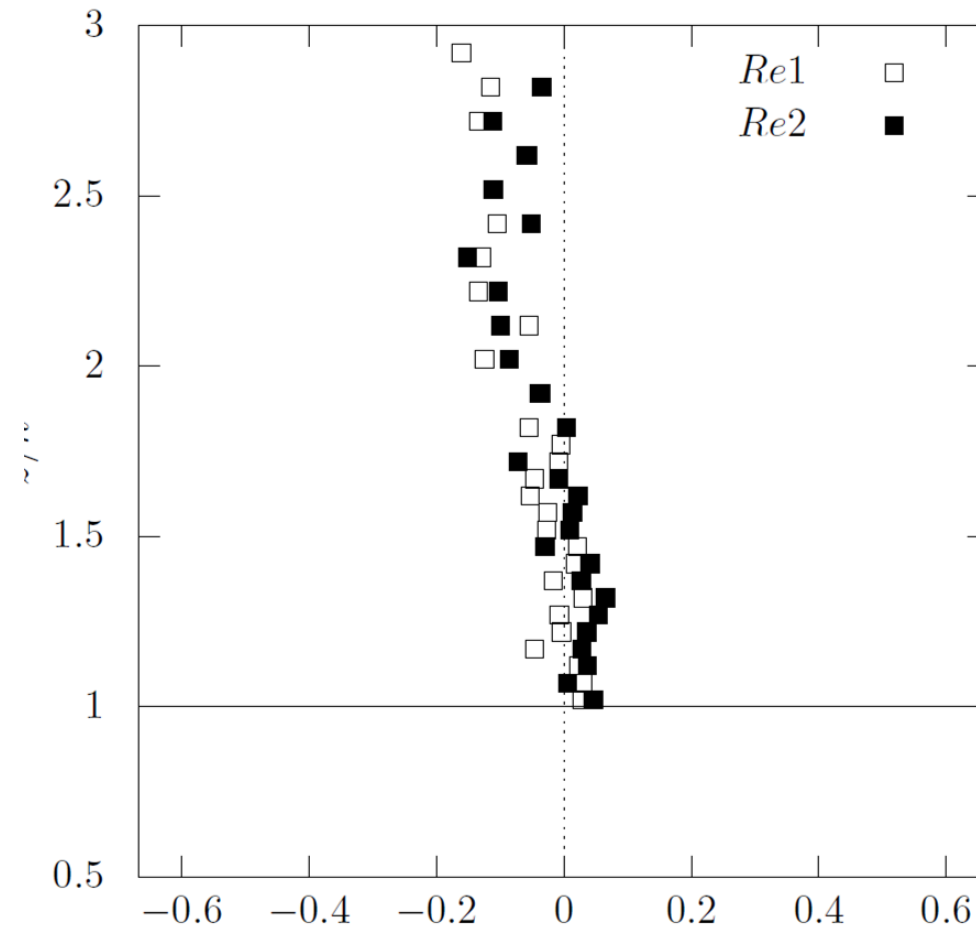


Perturbed Roughness Sublayer Affecting the Law Of The Wall Modeled by a “Co-spectral Link”

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□ Measured deviation from idealized slow relaxation of co-spectra

$$\tau(k) \sim k^{-\frac{7}{3} + \gamma'}$$

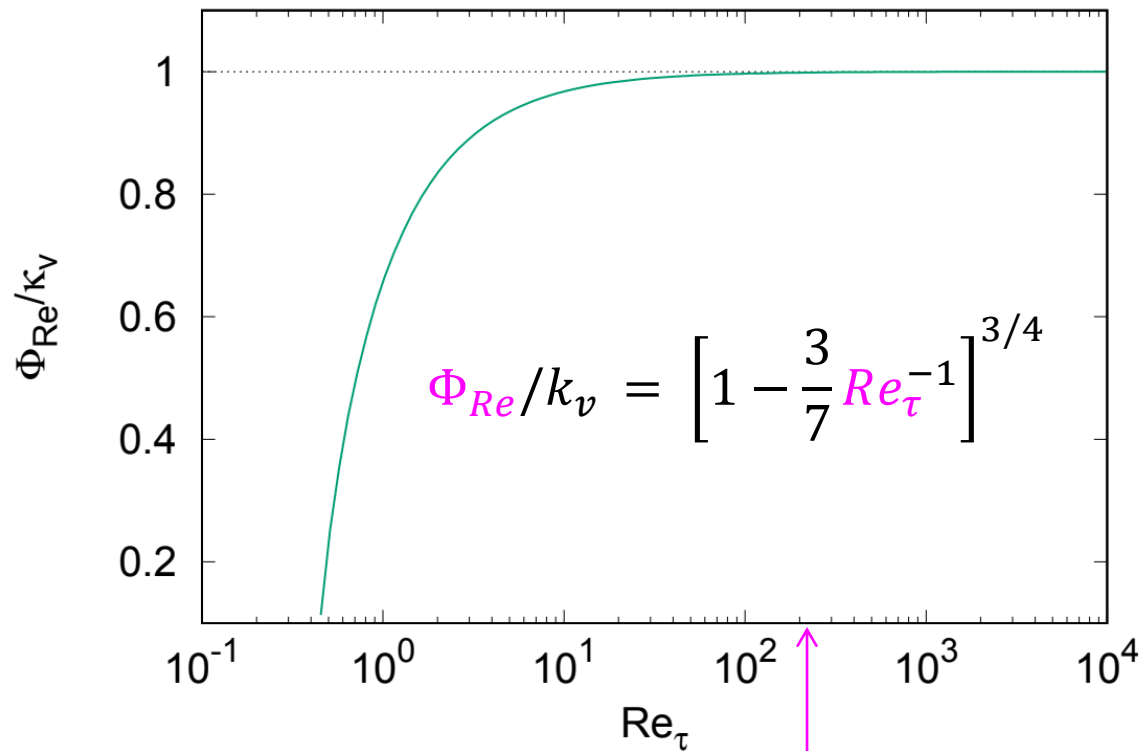


Perturbed Roughness Sublayer Affecting the Law Of The Wall Modeled by a “Co-spectral Link”

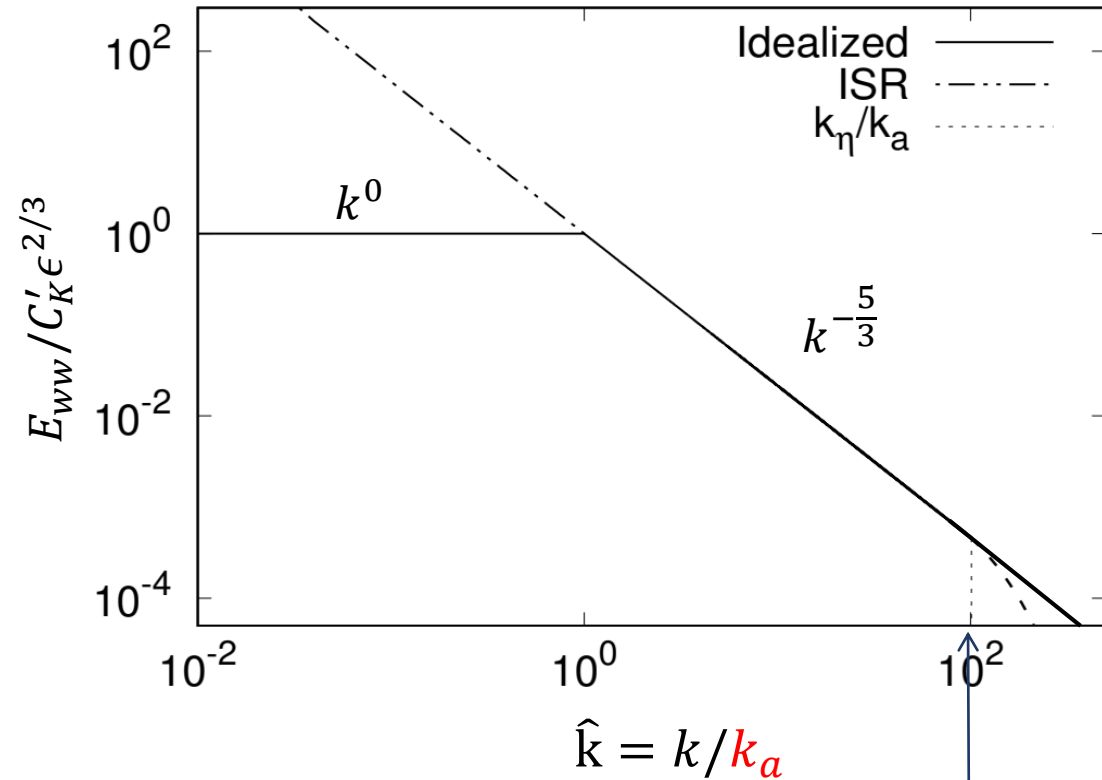
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□ Deviation from idealized co-spectrum due to finite Re number – estimation and measurement

$$\Phi_{Re} = k_v \left[\frac{4}{7} \left(\int_0^1 d\hat{k} + \int_1^{Re_\tau} \hat{k}^{-\frac{7}{3}} d\hat{k} \right) \right]^{3/4}$$



$Re_{\tau 1}(h) = 2200$



k_η/k_a

Perturbed Roughness Sublayer Affecting the Law Of The Wall Modeled by a “Co-spectral Link”

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□ Deviation from idealized co-spectrum due to Intermittency

$$E_{ww}(k) = C'_K \epsilon^{2/3} k^{-5/3} (kL)^\alpha$$

	$L = z$	$L = \delta$
VKC	$\Phi_z = \kappa_v \left[\frac{1 - 3\alpha/7}{1 - 3\alpha/4} \right]^{3/4}$	$\Phi_\delta = \kappa_v \left[\frac{1 - 3\alpha/7}{1 - 3\alpha/4} \right]^{3/4} (k_a \delta)^{3\alpha/4}$
$\alpha \approx -0.1$	→ slight decrease VKC	→ slight decrease VKC
Law of the wall	$\frac{dU}{dz} \sim \Phi_z^{-1} \frac{u_*}{z}$	$\frac{dU}{dz} \sim \Phi_z^{-1} \frac{u_*}{z} \left(\frac{z}{\delta} \right)^{3\alpha/4}$
Velocity	$U \sim \log(z)$	$U \sim \log(z) + z^{f(\alpha)}$

L = length scale;
 $\alpha \approx -0.1$