

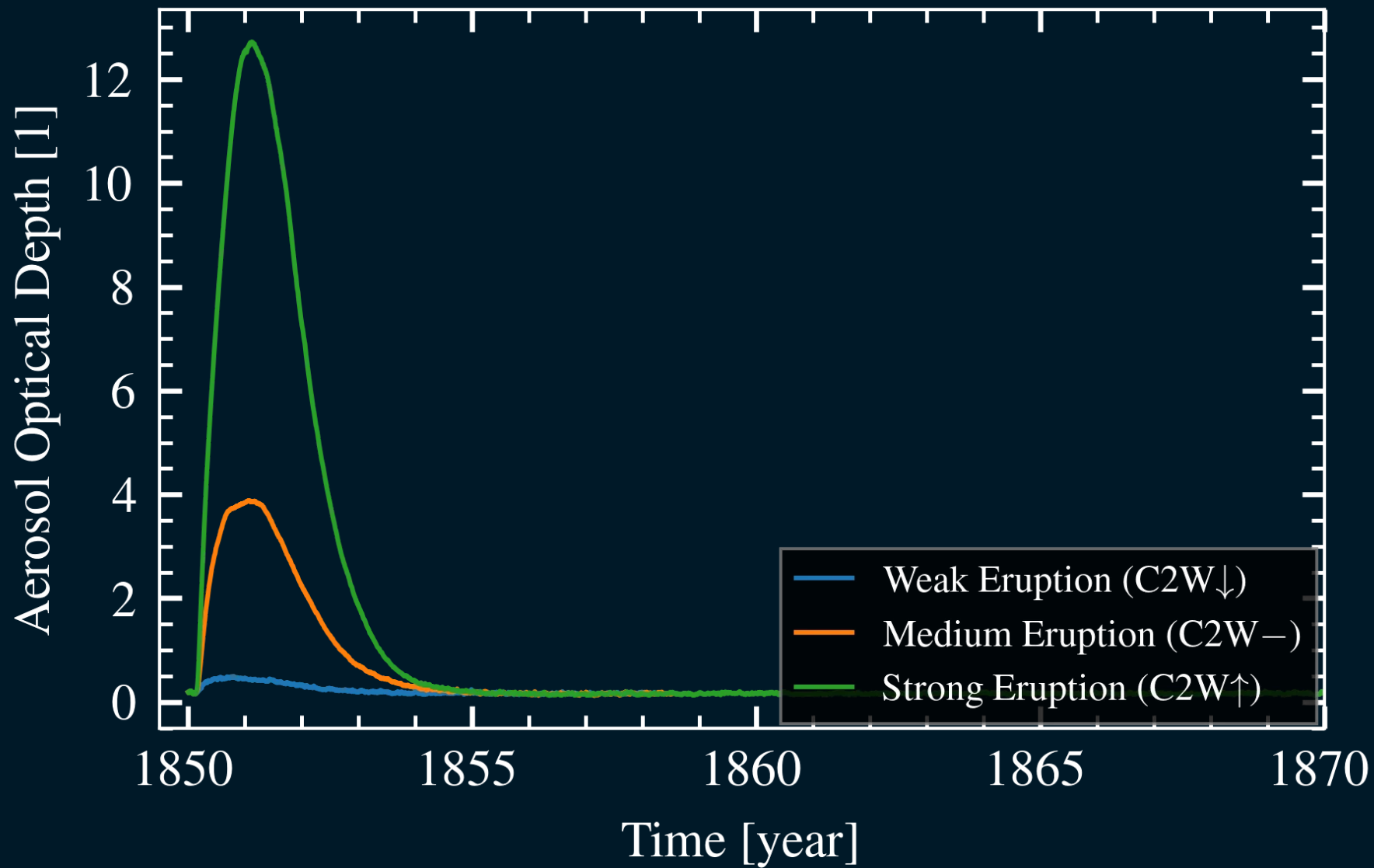
SUPPLEMENTARY TO: INSENSITIVITY OF GLOBAL TEMPERATURE RESPONSE TO THE MAGNITUDE OF VOLCANIC ERUPTIONS

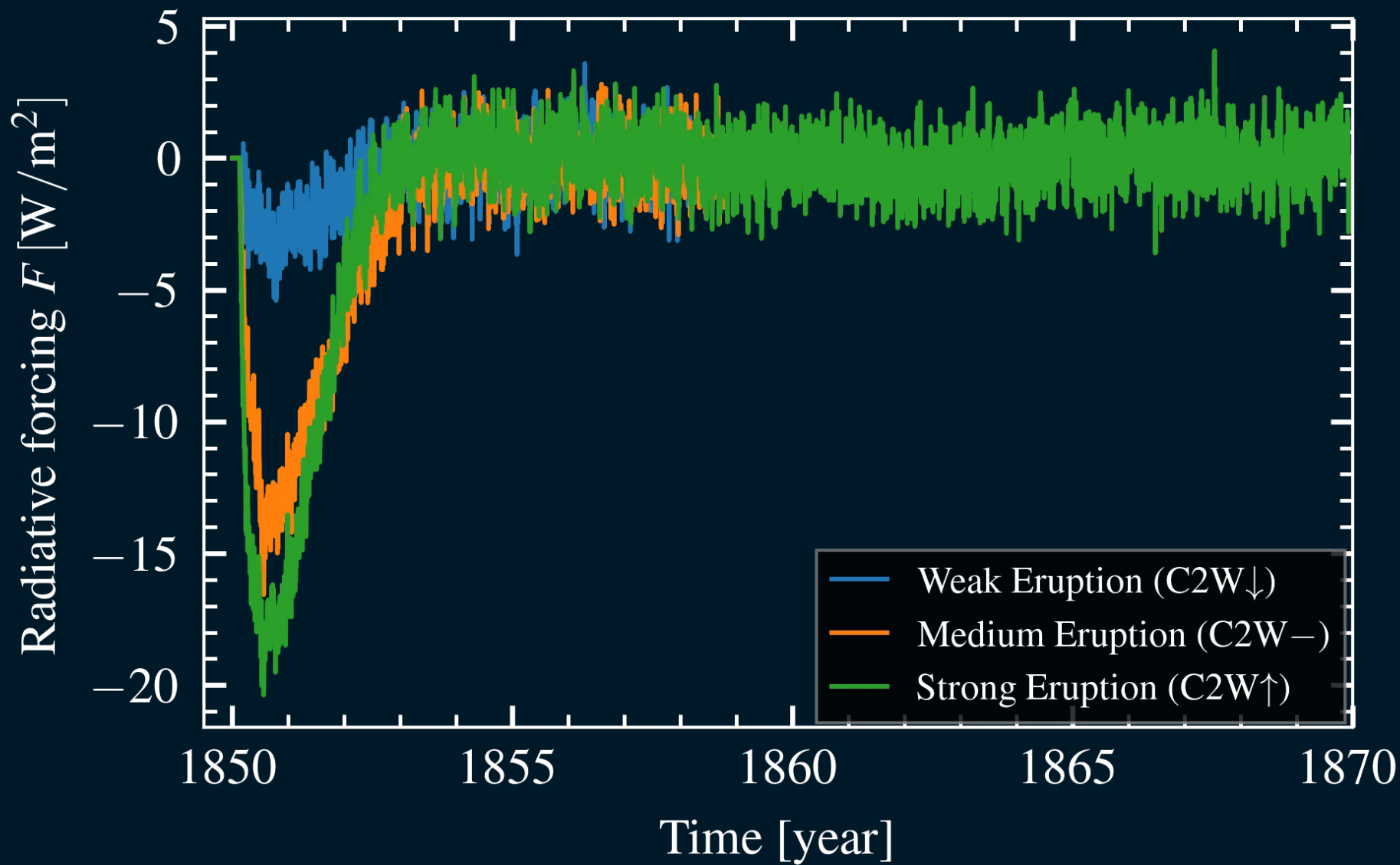
In EGU session "Understanding volcano-climate impacts and the stratospheric aerosol layer"



UiT The Arctic
University of Norway







Using a linear operator to describe temperature fluctuations:

$$\Delta T(t) = \hat{L}[f_K(t)]$$

$$\Delta T(t) = \phi * f_K(t) = \phi * \sum_k A_k \delta(t - t_k)$$

Speaker notes

The first equation show the linear relation between some forcing $f(t)$ and the deterministic temperature fluctuation due to the forcing.

We wish to look further into the linearity assumption in relation to volcanoes over a large range of eruption magnitudes (total injected SO₂).

Can we write up the temperature response to volcanic eruptions as a convolution between the forcing and some general shape function, here represented by the letter ϕ ?

The forcing is here consisting only of forcing due to episodic volcanoes, where A represent the amplitude of a given volcanic event arriving at time t_k .

$$\Delta T(t) = \phi * f_K(t) = \phi * \sum_k A_k \delta(t - t_k)$$

$$A_k \begin{cases} \stackrel{?}{=} g(M_k^{\max}) \\ \stackrel{?}{=} M_k^{\max} \end{cases}, M = \begin{cases} \text{SO}_2 [\text{Tg}] \\ \text{AOD} [1] \\ \text{TOA} [\text{W}/\text{m}^2] \end{cases}$$

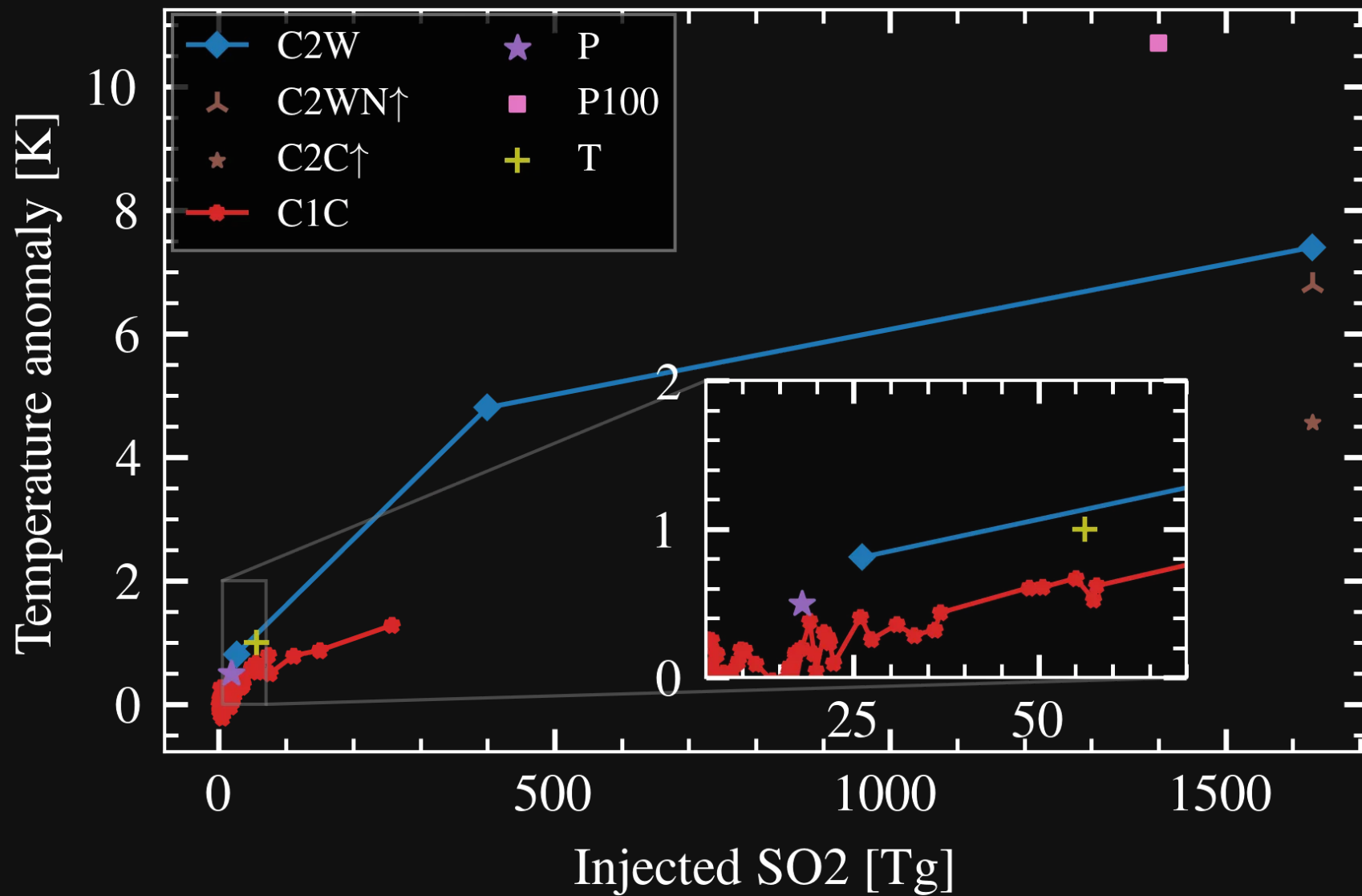
where M_k^{\max} is the peak magnitude of event k .

Speaker notes

If so, what representation of the forcing should one use? Do we perhaps need a non-linear transformation ($g(\cdot)$) of the forcing to be able to get temperature from convolutions?

We consider three different sources to describe the forcing; total injected SO₂ in Tg, the aerosol optical depth and forcing as top-of-the-atmosphere radiative forcing.

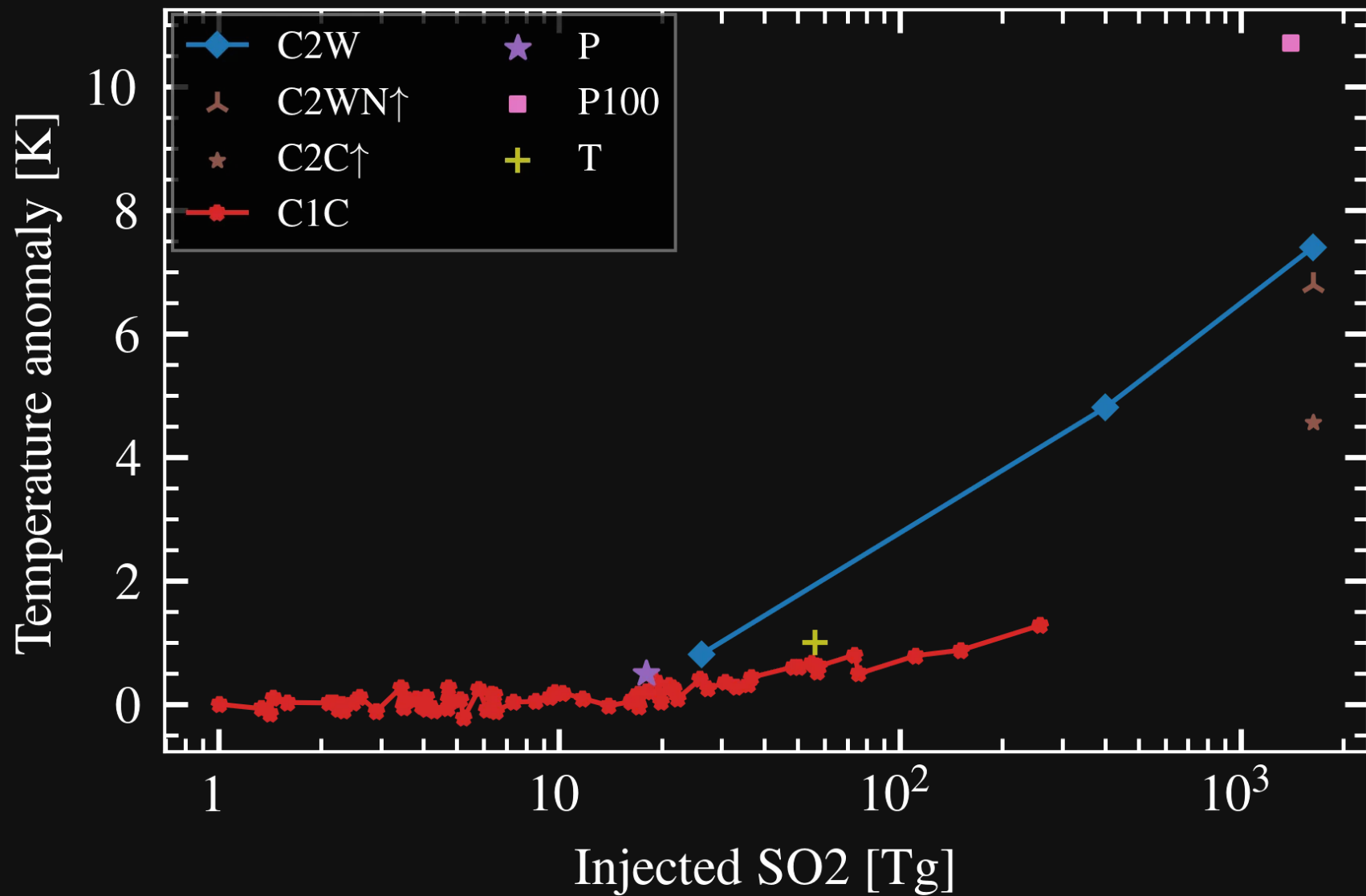
(Injected SO₂ is used as model input to simulate the volcanoes, while both AOD and radiative forcing are output variables of the model.)



Temperature anomaly against injected SO₂.

Short Name	Long Name
C2W	CESM2(WACCM6)
C2WN↑	CESM2(WACCM6), high latitude
C2C↑	CESM2(CAM6)
C1C	CESM1(CAM5)
P	Pinatubo
P100	Pinatubo times 100
T	Tambora

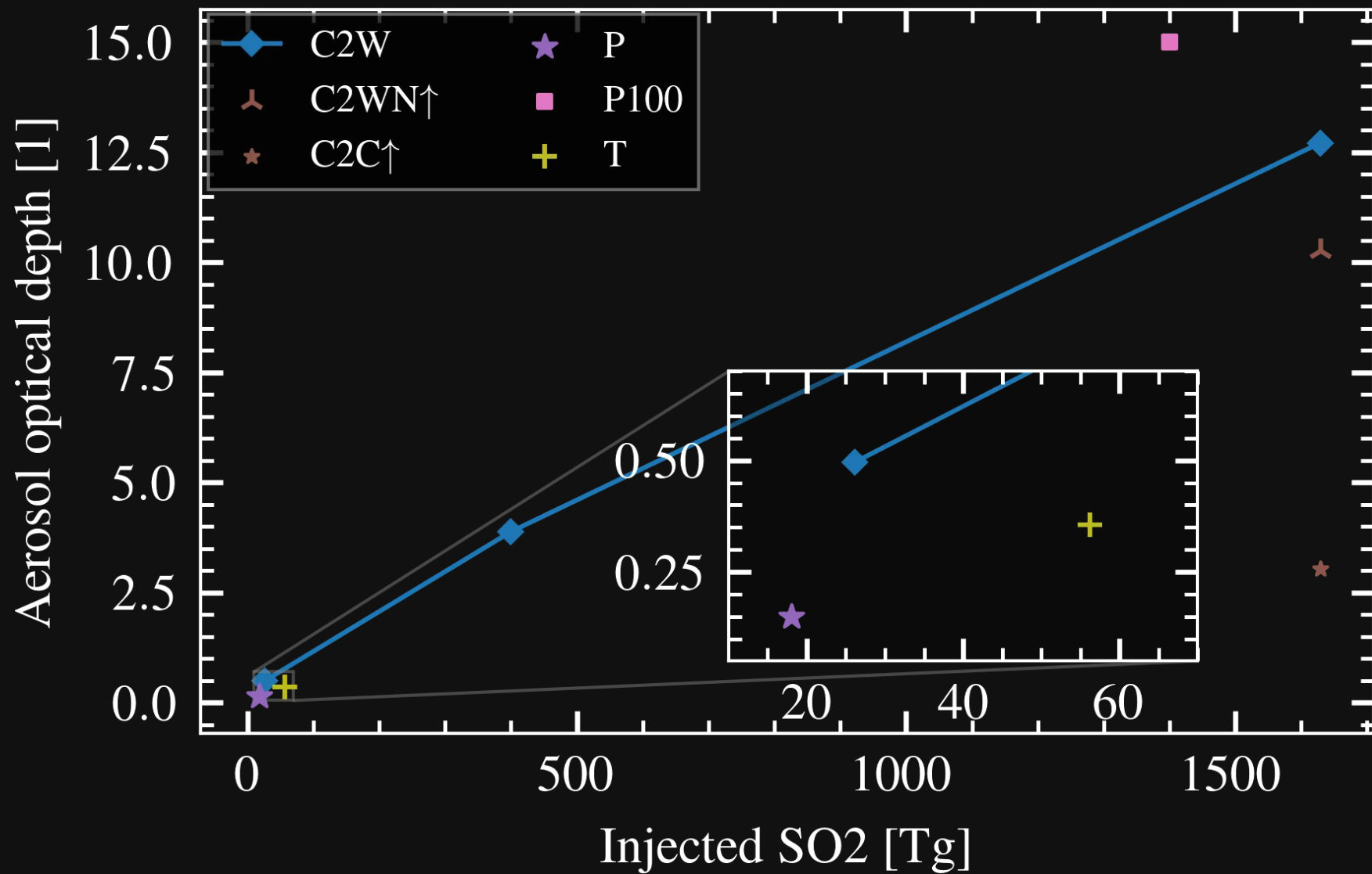
C1C data from *Otto-Bliesner et al. (2016)*.



Temperature anomaly against injected SO₂.

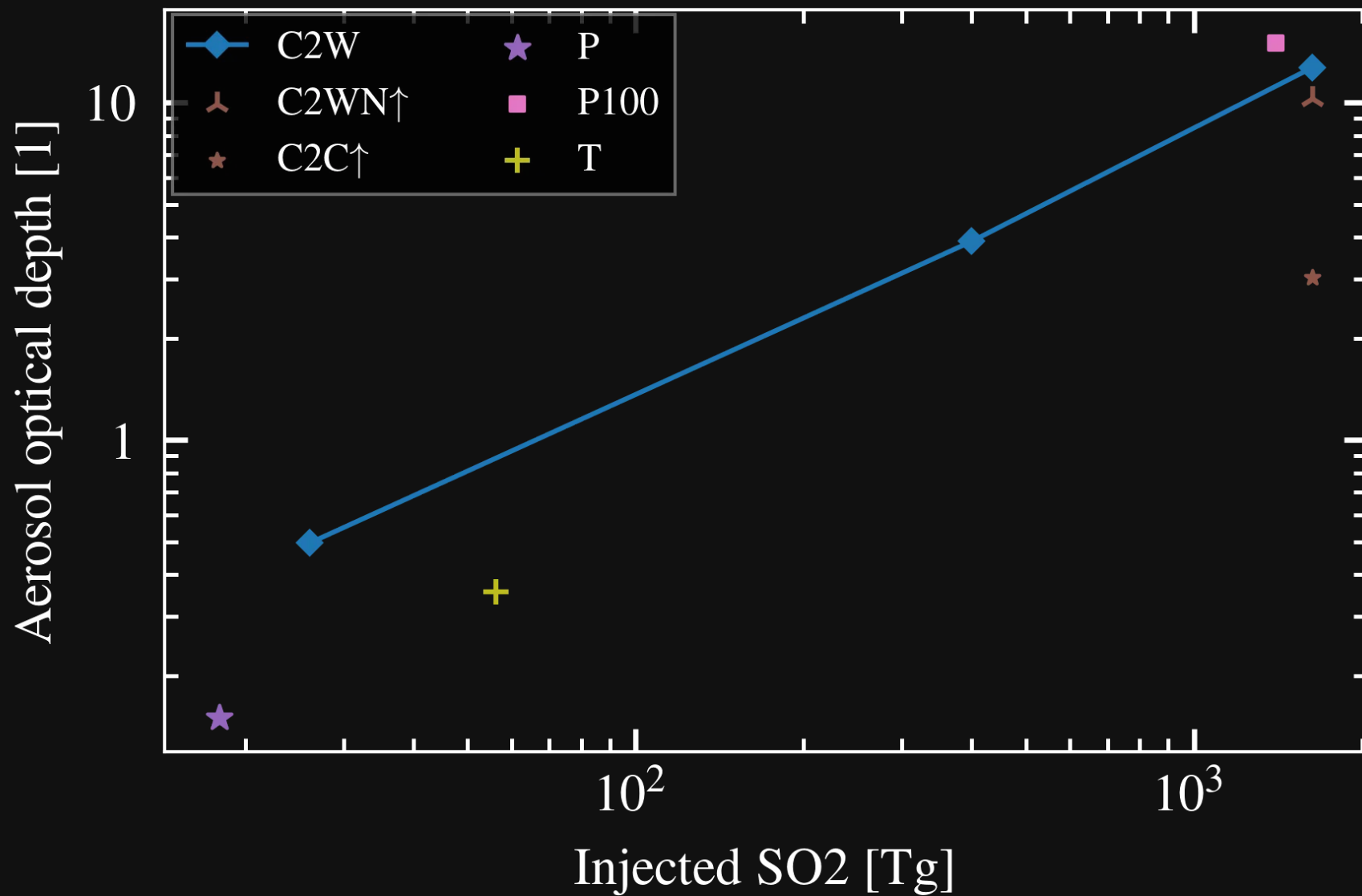
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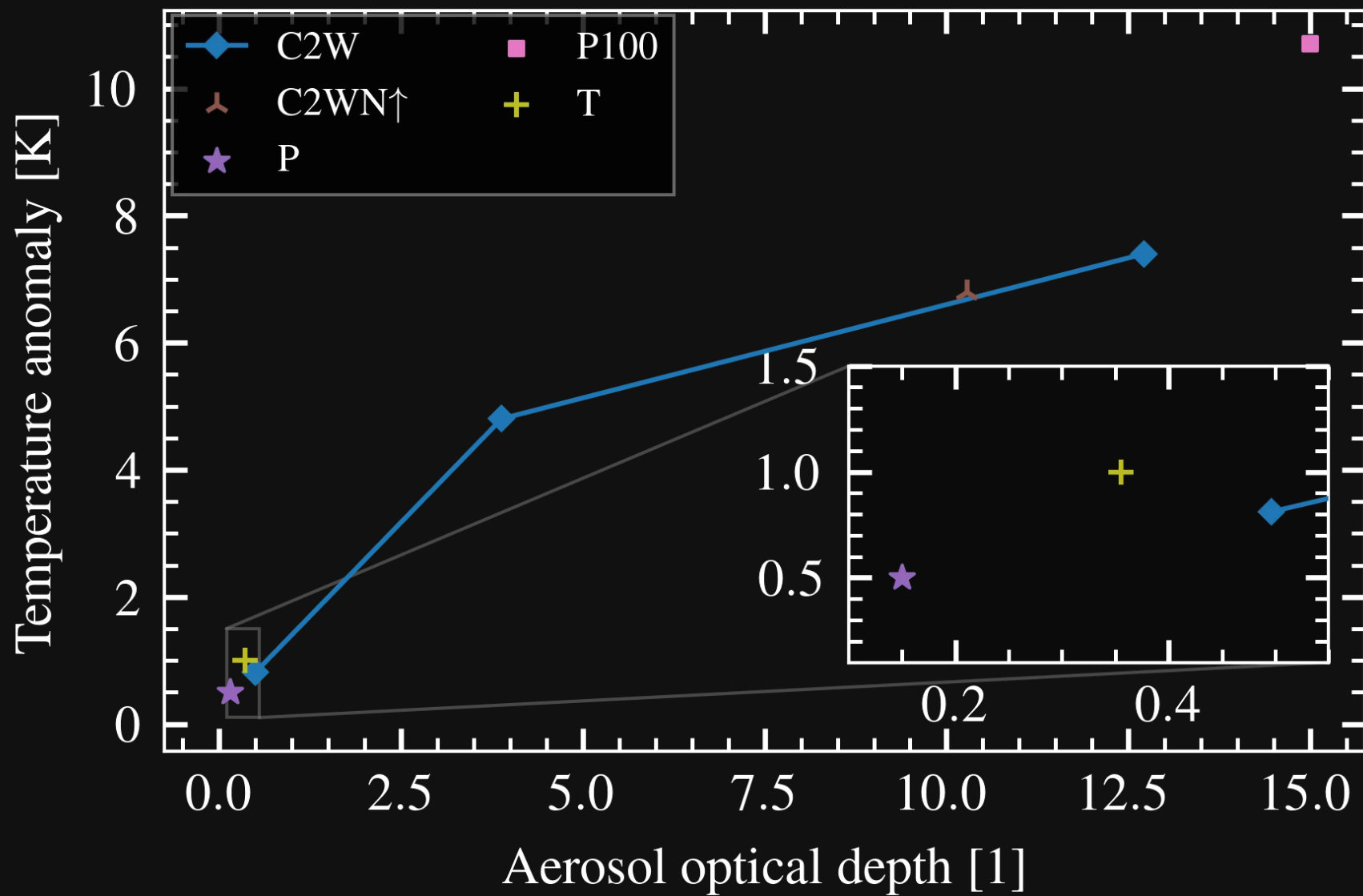
Aerosol optical depth versus injected SO₂.

Short Name	Long Name
C2W	CESM2(WACCM6)
C2WN↑	CESM2(WACCM6), high latitude
C2C↑	CESM2(CAM6)
P	Pinatubo
P100	Pinatubo times 100
T	Tambora



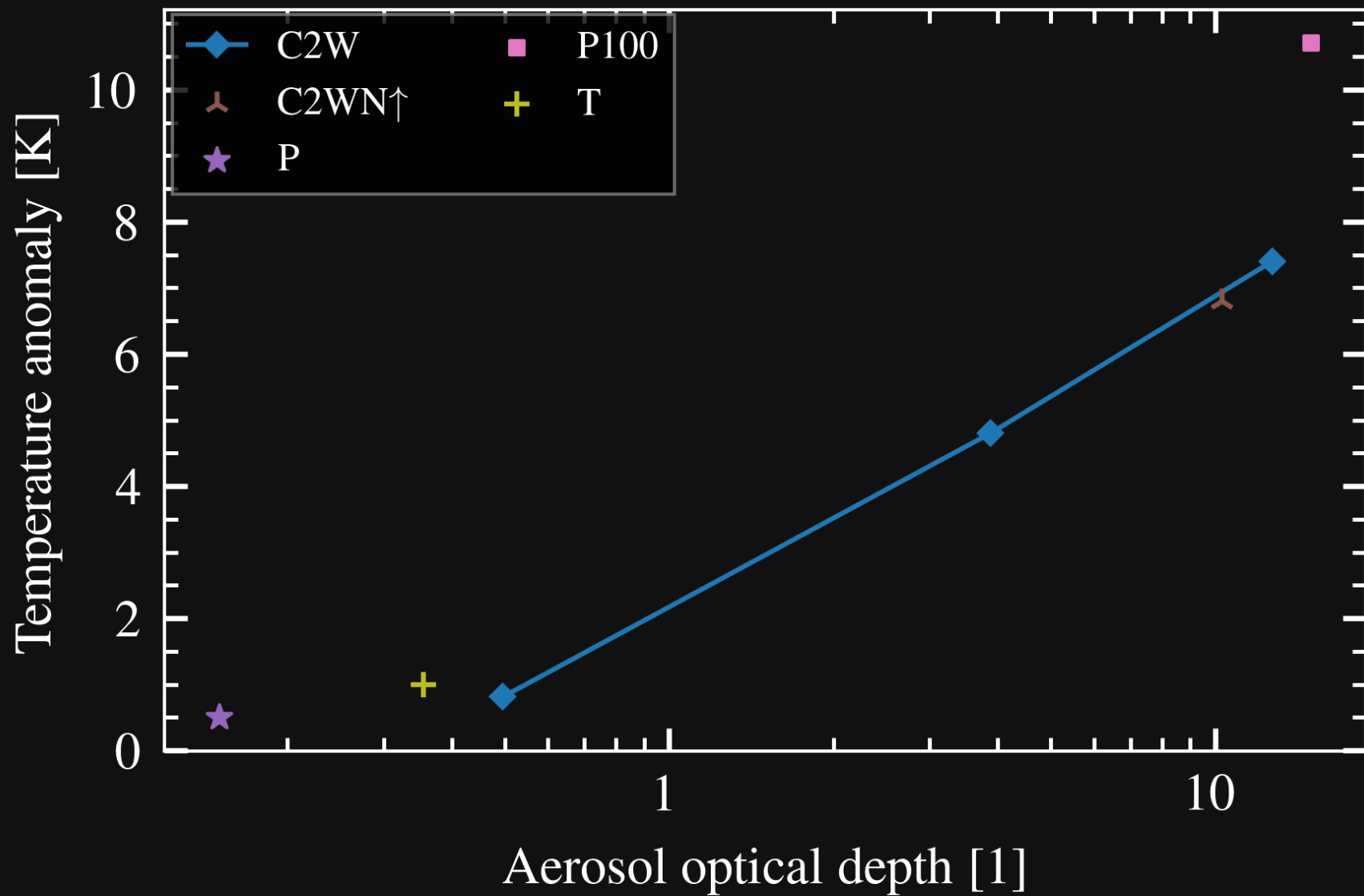
Aerosol optical depth versus injected SO₂.

Short Name	Long Name
C2W	CESM2(WACCM6)
C2WN↑	CESM2(WACCM6), high latitude
C2C↑	CESM2(CAM6)
P	Pinatubo
P100	Pinatubo times 100
T	Tambora



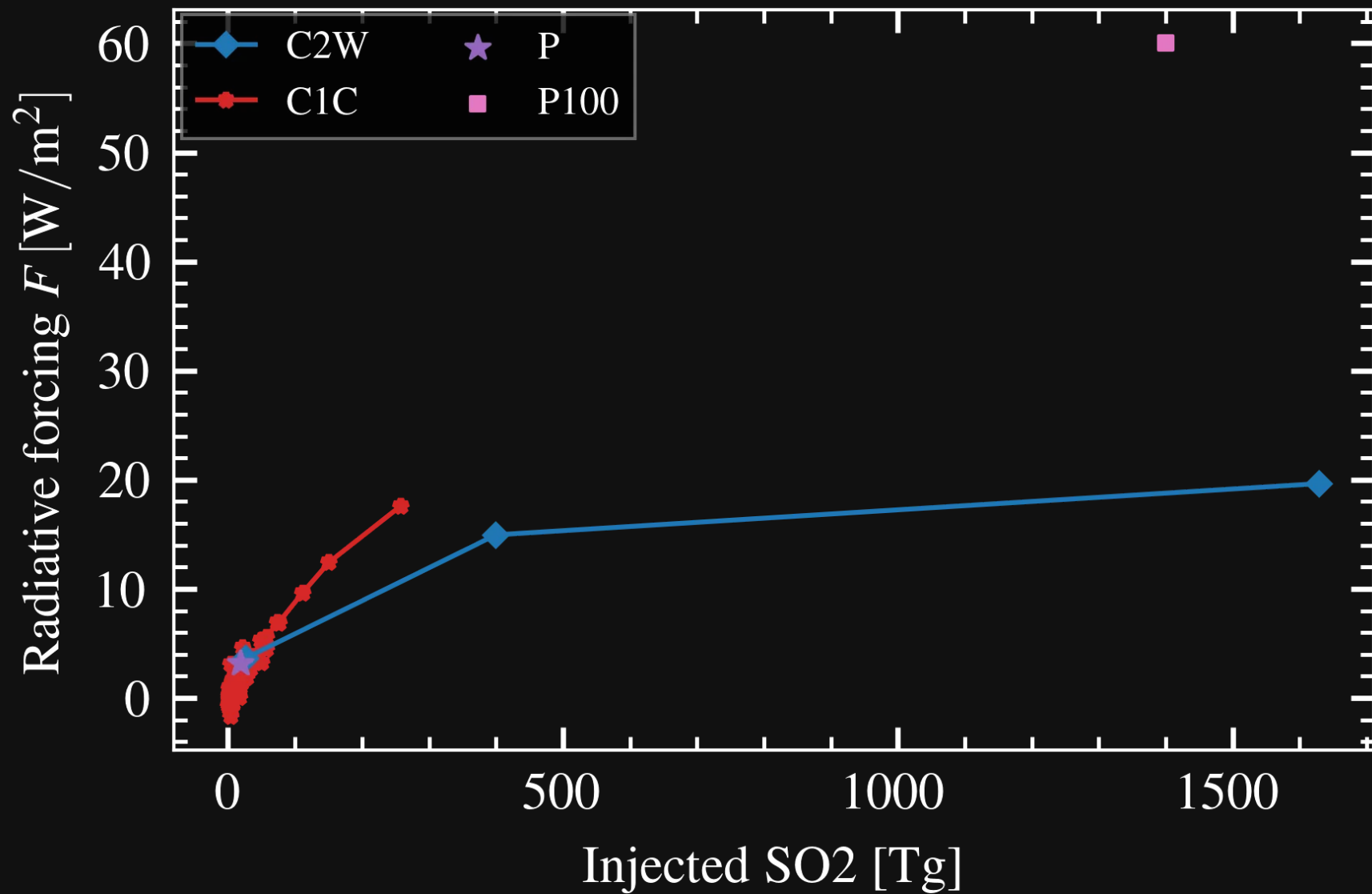
Temperature versus aerosol optical depth.

Short Name	Long Name
C2W	CESM2(WACCM6)
C2WN↑	CESM2(WACCM6), high latitude
P	Pinatubo
P100	Pinatubo times 100
T	Tambora



Temperature versus aerosol optical depth.

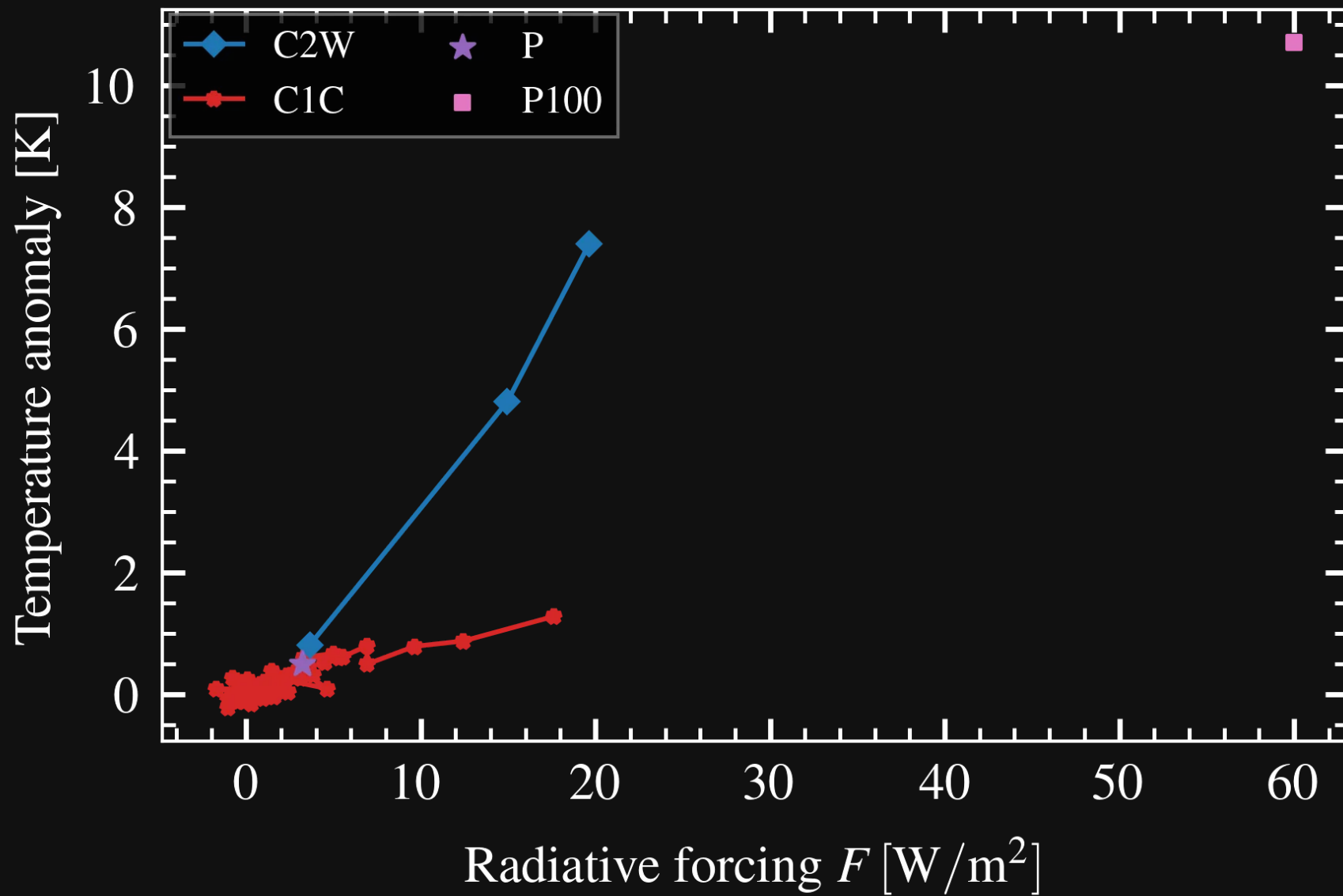
Short Name	Long Name
C2W	CESM2(WACCM6)
C2WN↑	CESM2(WACCM6), high latitude
P	Pinatubo
P100	Pinatubo times 100
T	Tambora



Radiative forcing versus injected SO₂.

Short Name	Long Name
C2W	CESM2(WACCM6)
C1C	CESM1(CAM5)
P	Pinatubo
P100	Pinatubo times 100

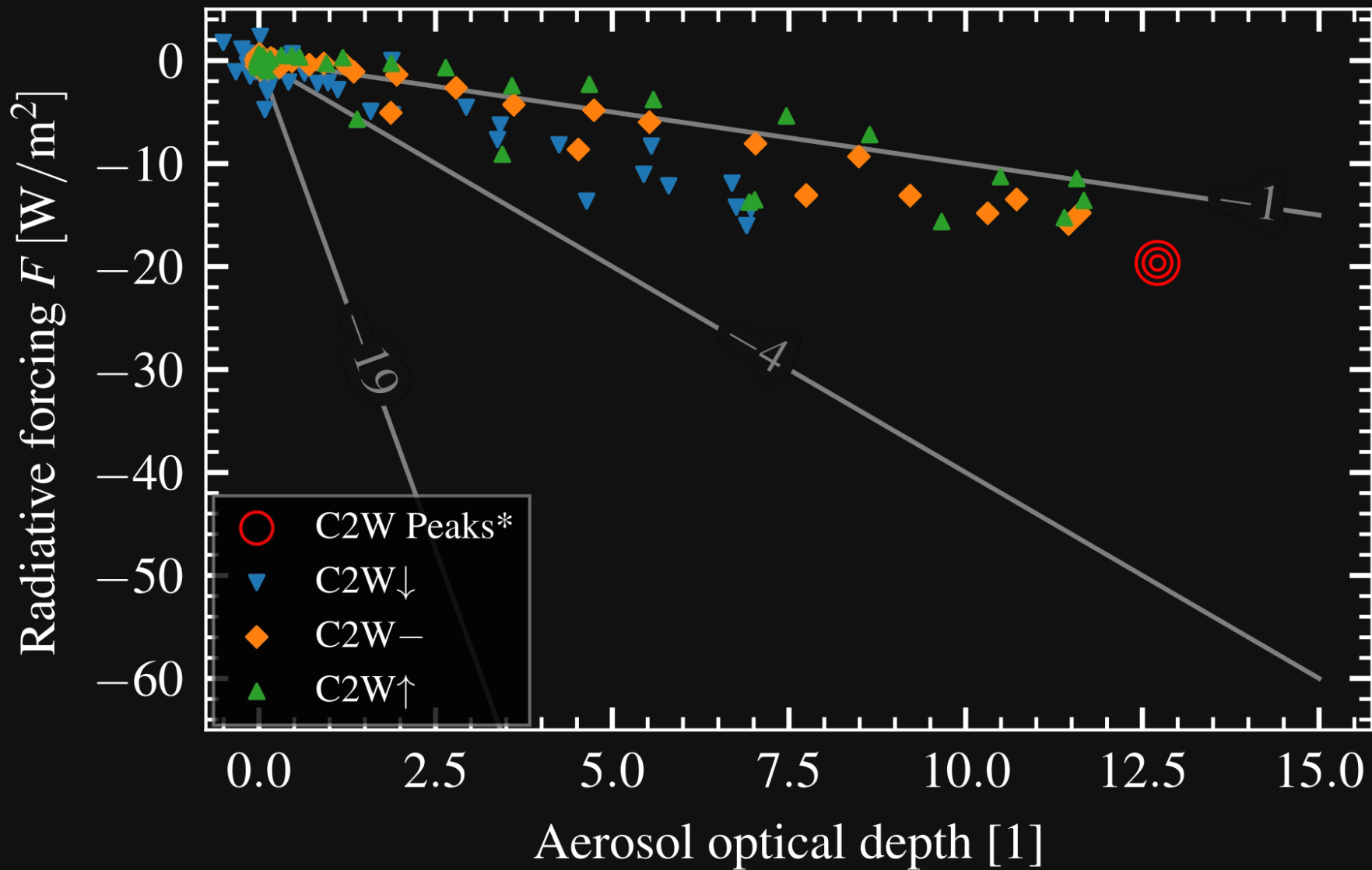
C1C data from *Otto-Bliesner et al. (2016)*.



Temperature versus radiative forcing.

Short Name	Long Name
C2W	CESM2(WACCM6)
C1C	CESM1(CAM5)
P	Pinatubo
P100	Pinatubo times 100

C1C data from Otto-Bliesner et al. (2016).



Scaled version of the two smaller eruption data points, such that the peak values coincide.

Short Name	Long Name
C2W Peaks*	CESM2(WACCM6), Peak values
C2W↓	CESM2(WACCM6), weak eruption
C2W—	CESM2(WACCM6), medium eruption
C2W↑	CESM2(WACCM6), strong eruption

LINKS

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