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# The influence of fluid pressure on the phase transition of brittle faulting

Hao Chen<sup>1</sup>, Paul A. Selvadurai<sup>1</sup>, Patrick Bianchi<sup>1</sup>, Antonio F., Salazar V.<sup>2</sup>, Claudio Madonna<sup>3</sup>, Stefan Wiemer<sup>1</sup> <sup>1</sup>Swiss Seismological Service, ETH Zurich; <sup>2</sup>Ostschweizer Fachhochschule; <sup>3</sup>Geologisches Institut, Department of Earth Science, ETH Zurich

### **I** Introduction

Earthquakes and the failure of geomaterials have been noted to entail the gradual localization of damage. These systems have been studied through the concept of a critical point whereby ruptures show scale-free statistics that indicate a predictable transition to failure. Here, with an innovation of laboratory technology, we aim to investigate the transition associated with precursory deformation by accounting the effect of fluid under pressure.



Fig 1. Conceptual diagram summarizing the rupture process at different scales within the framwork of critical point theory.

# 2 Methodology

We performed triaxial experiments on Berea sandstone at a pore fluid pressure  $P_f = 0 MPa$ (dry), 5 MPa and 10 MPa. The distributed strain sensing (DSS) based on optical fiber was implemented on the sample to measure the evolution of the strain field.



Fig 2. (left) Instrumented sample of Berea sandstone. (right) The layout of DSS arrays is shown in an unwrapped representation: poliyimide coated fiber (yellow) in the axial direction and acrylate coated fiber (green) in the circumferential direction.

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### **3 Results**



**Fig 3.** (top) Mechanical data recorded for the three experiments at fluid pressures Pf of (a) 0 MPa, (b) 5 MPa and (c) 10 MPa. The distance to failure is tracked in terms of axial shortening. Insets display the mapping of volumetric strain at failure. (bottom) Spatial-temporal evolution of DSS circumferential strains along each of the three DSS cables.

- Distributed strain fields capture how **deformation localizes**: large strain clusters **de**velop rapidly near the final fault plane as failure approaches, corresponding to a decrease in elastic modulus.
- Pore pressure influences the microcracks mechanisms: higher fluid pressure leads to **more diffuse deformation**, resulting in larger overall circumferential strain.

#### References

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# **4** Scaling analysis of strain increments

- values.
- tions whereas it remains constant in the presence of fluid.



## **5** Conclusion

1. Distributed strain measurements reveal precursory signals indicating the transition to catastrophic failure. The power law distribution of strain increments suggests a critical transition under dry conditions, allowing for the identification of failure in advance.

2. Fluid inhibits the coalescence of cracks into large clusters but promotes the growth of smaller damage, resulting in diffuse, slow faulting. This stabilization effect shifts the style of phase transition into a **first-order**, **unpredictable event**.





Distribution of the strain increments follows a power law truncated by a cutoff at large

• The slope of distribution (left columns) decreases as failure approaches under dry condi-

Largest strain increment (right columns) exhibits a power law approach to failure under dry conditions and an exponential approach under wet conditions.

exponential model. Insets show the same data on a semi-logarithmic scale.