



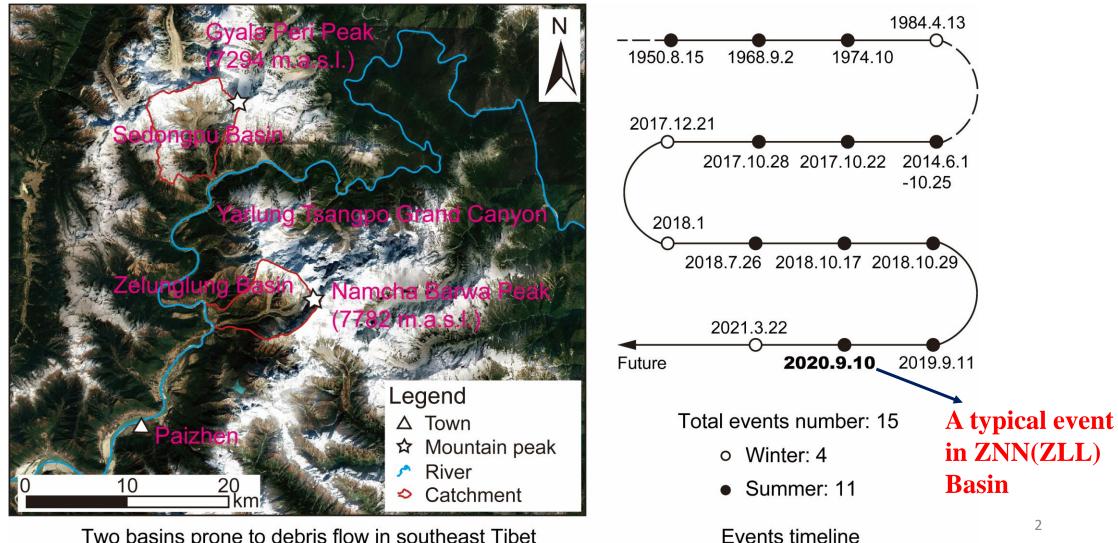
Unraveling the cascading mechanisms of rock-ice avalanche triggering hyper-mobility glacial debris flow in southeast Tibet

Presenter: **SHEN Ping** (Assistant Professor) Major Contributor: Mr. **HUANG Taosheng** (PhD student) Mr. **WANG Tengfei** (PhD student) State Key Laboratory of Internet of Things for Smart City

University of Macau

Events in two typical catchments in Yarlung Tsangpo Grand Canyon

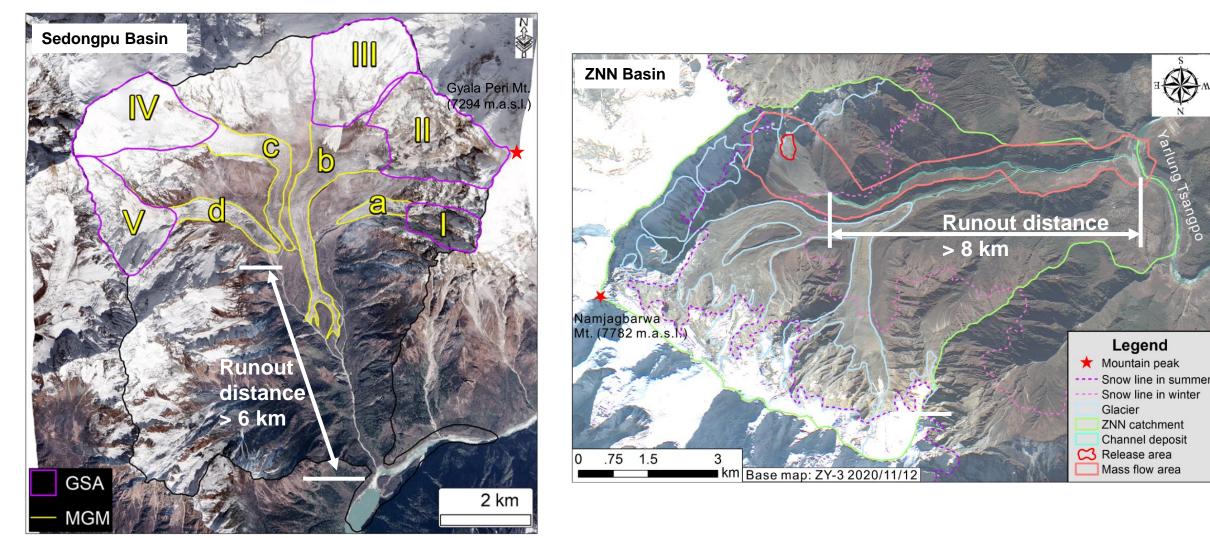
Occurrence: more frequent since 2014, more in warm season (Apr-Oct)



Two basins prone to debris flow in southeast Tibet

Events in two typical catchments in Yarlung Tsangpo Grand Canyon

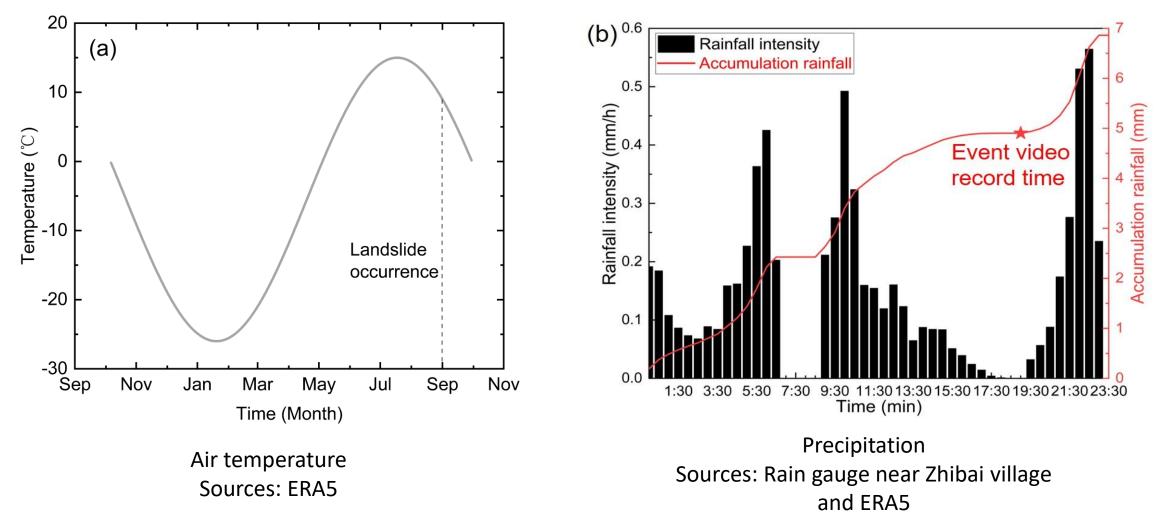
Consequence: high mobility to more frequently block the Yarlung Zangbo River



Li et al., 2021. More frequent glacier-rock avalanches in Sedongpu gully are blocking the Yarlung Zangbo River in eastern Tibet. Landslides. Peng et al., 2022. Initiation mechanisms and dynamics of a debris flow originated from debris-ice mixture slope failure in southeast Tibet, China. Engineering Geology

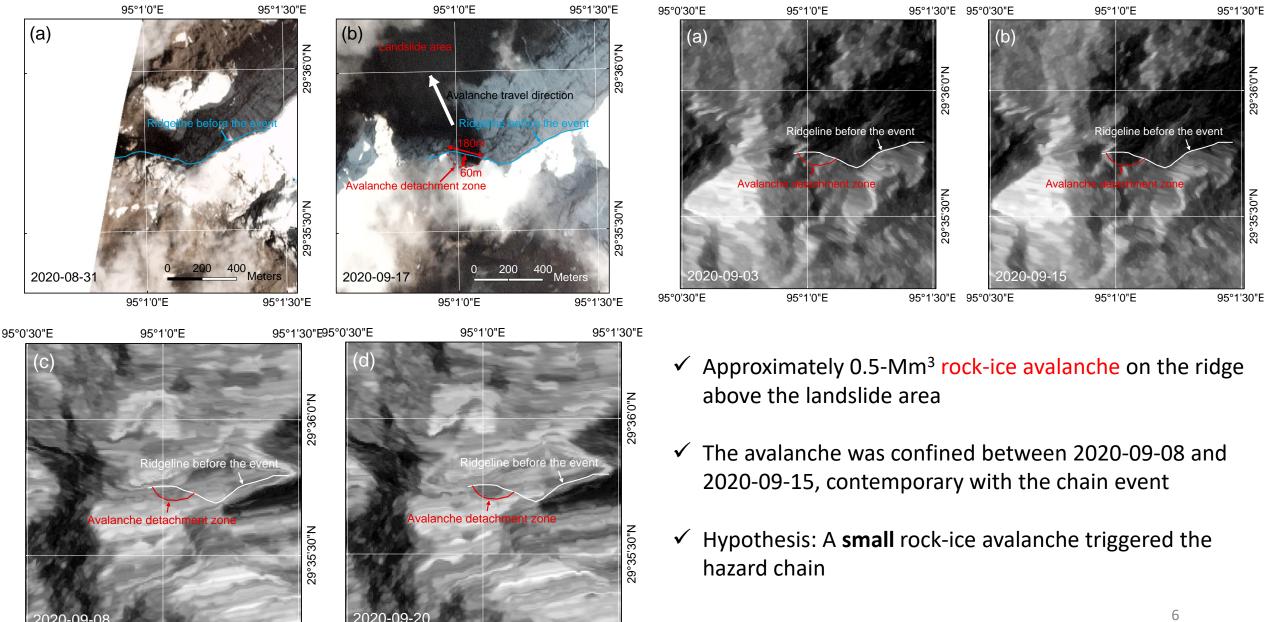


Meteorological conditions



Cascading event under a **warm** and **little precipitation** condition **Q: Initiation and cascading mechanism?**

Hazard chain: Rock-ice avalanche->Moraine landslide->glacier debris flow



95°0'30"E

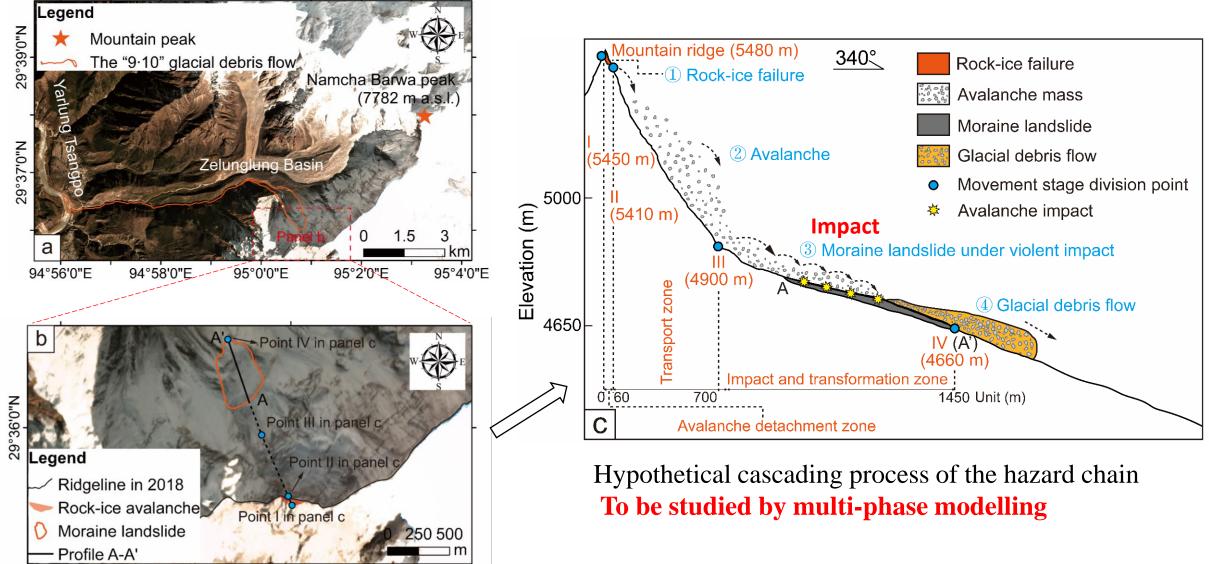
95°1'0"E

95°1'30"E95°0'30"E

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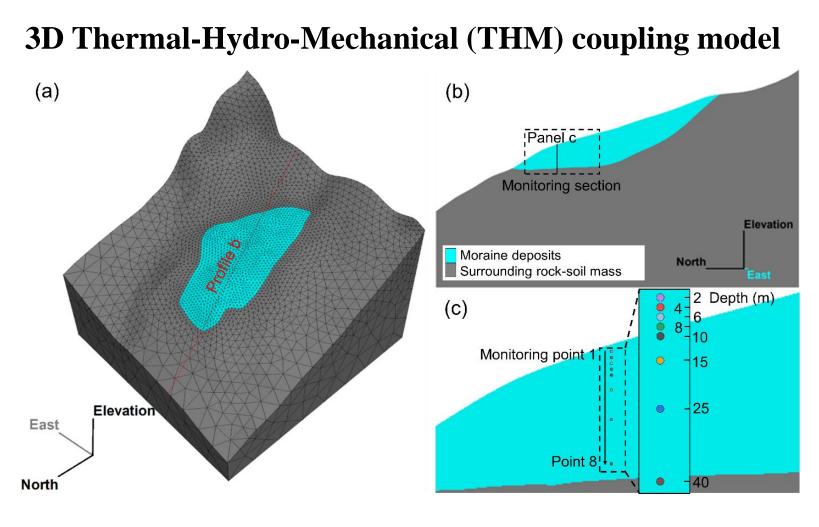
Cascading chain: Rock-ice avalanche->Moraine landslide->glacier debris flow



95°0'0"E

95°1'0"E

Multi-physics 3D modelling framework – FLAC3D



(1) Momentum balance equation

- $\nabla \cdot \boldsymbol{\sigma} + \rho \mathbf{g} = 0$
- $\rho = nS_r[(1 u_i)\rho_w + u_i\rho_i] + (1 n)\rho_s$

(2) Fluid mass balance equation

$$\frac{\partial \mathbf{P}}{\partial \mathbf{t}} = M \left(-\nabla \cdot \mathbf{q}_{\mathrm{w}} - \alpha \frac{\partial \boldsymbol{\epsilon}}{\partial \mathbf{t}} + \beta \frac{\partial \mathbf{T}}{\partial \mathbf{t}} \right)$$

(3) Fluid transport equation $\mathbf{q}_{w} = -\mathbf{k}\nabla(P - \rho_{w}g)$ $\rho_{w} = \rho_{0}[1 - \beta_{f}(T - T_{0})]$

(4) Energy balance and heat transport equation

 $C^{T} = nS_{r}[(1 - u_{i})\rho_{W}C_{W} + u_{i}\rho_{i}C_{i}] + (1 - n)\rho_{s}C_{s}$ $q^{T} = -k^{T}\nabla T$ $k^{T} = (1 - n)k_{s}^{T} + nS_{r}k_{W}^{T}$ (5) THM coupling $\frac{\partial\sigma_{ij}}{\partial t} + \alpha \frac{\partial P}{\partial t}\delta_{ij} = 2G\left(\frac{\partial \epsilon_{ij}}{\partial t} - \alpha_{t}\frac{\partial T}{\partial t}\delta_{ij}\right) + \left(K - \frac{2}{3}G\right)\cdot\left(\frac{\partial \epsilon_{kk}}{\partial t} - 3\alpha_{t}\frac{\partial T}{\partial t}\right)\delta_{ij}$

(6) Energy conservation equation with the water-ice phase transition

$$C^{T} \frac{\partial T}{\partial t} + \nabla \cdot \boldsymbol{q}^{T} + \rho_{w} C_{w} \boldsymbol{q}_{w} \cdot \nabla T + L \rho_{i} n S_{r} \frac{\partial u_{i}}{\partial t} + \boldsymbol{q}_{v}^{T} = 0 \qquad 8$$

Multi-physics 3D modelling framework

 $\underline{\bullet}$ Table S2. Initial thermal-hydraulic parameters. Thermal Thermal ÷ Fluid mobility. Specific heat conductivity expansion← Materials↩ coefficient↩ Cv/·(J·kg⁻¹·°C⁻¹)← coefficient↩ coefficient↩ $k/(m^2 \cdot Pa^{-1} \cdot s^{-1}) \in$ $K/(W \cdot m^{-1} \cdot C^{-1}) \leftarrow$ β/(°C⁻¹)← Above the 1203↩ 1.69↩ 1.0e-12↩[□] 4.3e-6← ← Moraine ice point ← deposits↩ Below the 987↩ 2.11↩ 1.0e-14↩ -2.0e-5← ← ice point ← Above the Surrounding 816 2.7↩ 1.0e-15↩ 3.0e-6← ← ice point ← rock-soil Below the 1.0e-18↩ 816↩ 2.7↩ mass↩ ice point ← Above the 2.1e-4← ← 4190↩ 0.52↩ /↩ ice point Water-ice Below · the · /↩ -1.5e-3↩ ↩ 1880↩ 2.21↩ ice point

 $A = a \cdot \pi \frac{D^2}{A}$

$$A = a \cdot \pi \frac{D}{4} \quad F_{nmax} = k \left[\frac{m v_{bn} (1 + e_n)}{\Delta t} + mg \cos \alpha \right]$$

$$V = a \cdot \pi \frac{D^3}{6} \quad \Delta t = \frac{1}{100} \left(0.097mg + 2.21h + \frac{0.09}{v_{bn}^2} + 1.2 \right)$$

$$D = \frac{3V}{2A} \quad v_{bn} = \sqrt{2gH}$$

$$q = \frac{4F_{nmax}}{\pi D^2}$$

Materials⇔	Density↩ ρ/(Kg/m³)↩	Internal· friction·angle· $\Phi/\cdot(^{\circ})$ ←	Internal· cohesion· <i>C</i> /(kPa)↩	Elastic∙ modulus∙ <i>E</i> /(MPa)↩	Poisson's∙ ratio⇔	÷
Moraine∙ deposits↩	2000↩□	35<⊐	37↩	10←□	0.35↩	÷
Surrounding rock-soil mass<⊐	2650<⊐	50€⊐	1500←□	20000∢⊐	0.25⊱⊐	÷
Table S4. Param	eters for impac	t-force-calculatio	on.←			1
Density-	Impact veloci	ty Normal rec	overy [.] Slope	inclination	Thickness of th	e.
$\rho/(Kg/m^3)$	<i>v</i> /(m/s)←	coefficier	nt∙ <u>e</u> n [←] of•buf	fer layer (°)←	buffer·layer·(m	.)←
2650€⊐	25↩□	0.3	1	20←	5<⊐	

 \mathbf{I}_{\pm} Table S3. Initial physical and mechanical parameters.

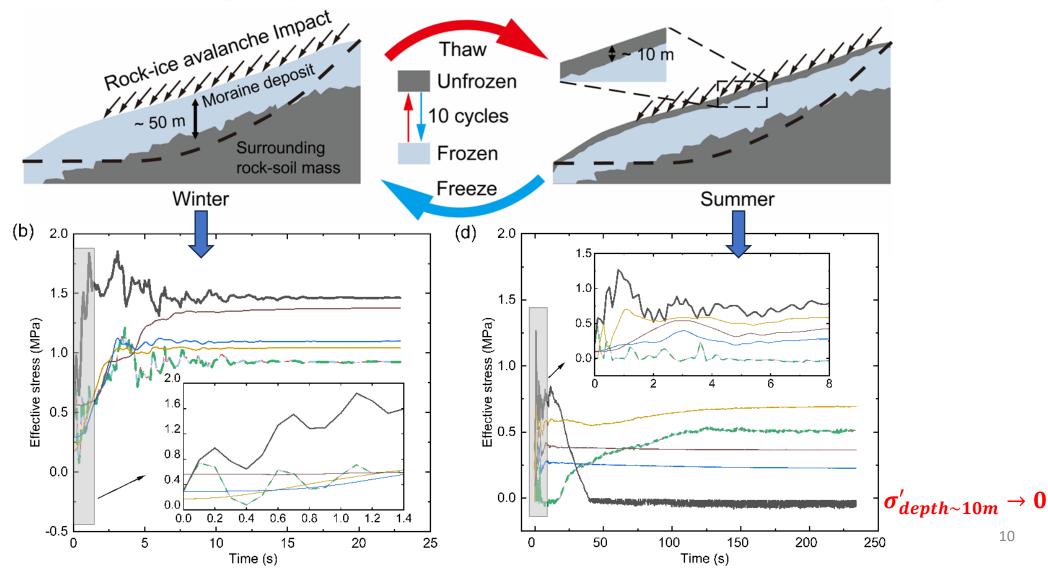
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Impact boundary condition: 45 degree to the horizontal line

Parameters are all adopted as common values found in Literature, without elaborate calibration

Results and discussion

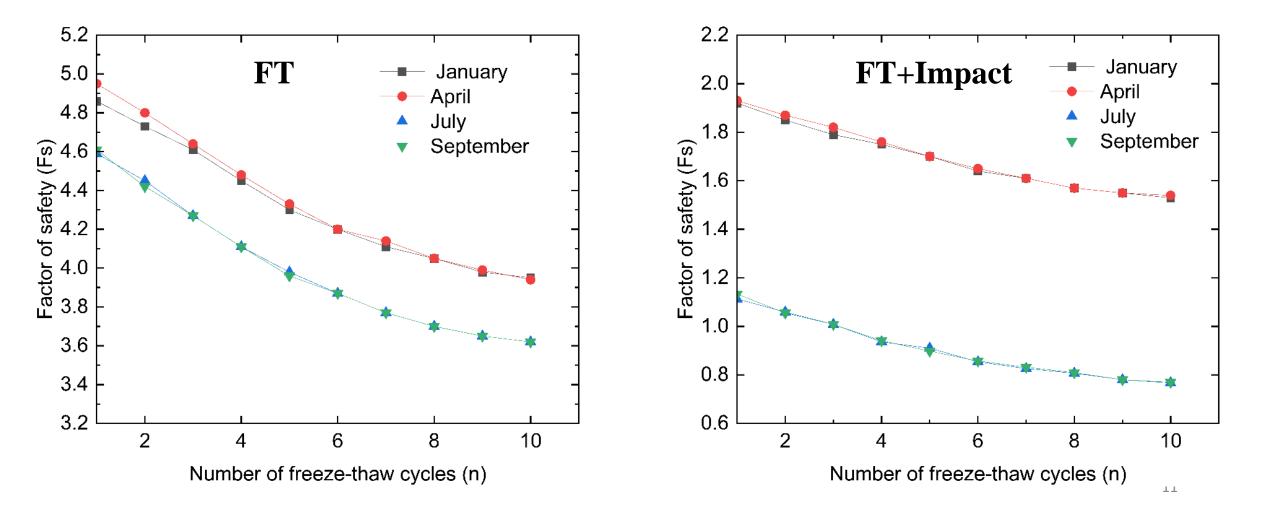
In warm seasons, water-ice phase results in superficial **high water content**, favoring the generation of **excess pore pressure** and "**liquefaction**" under avalanching impact.



Results and discussion

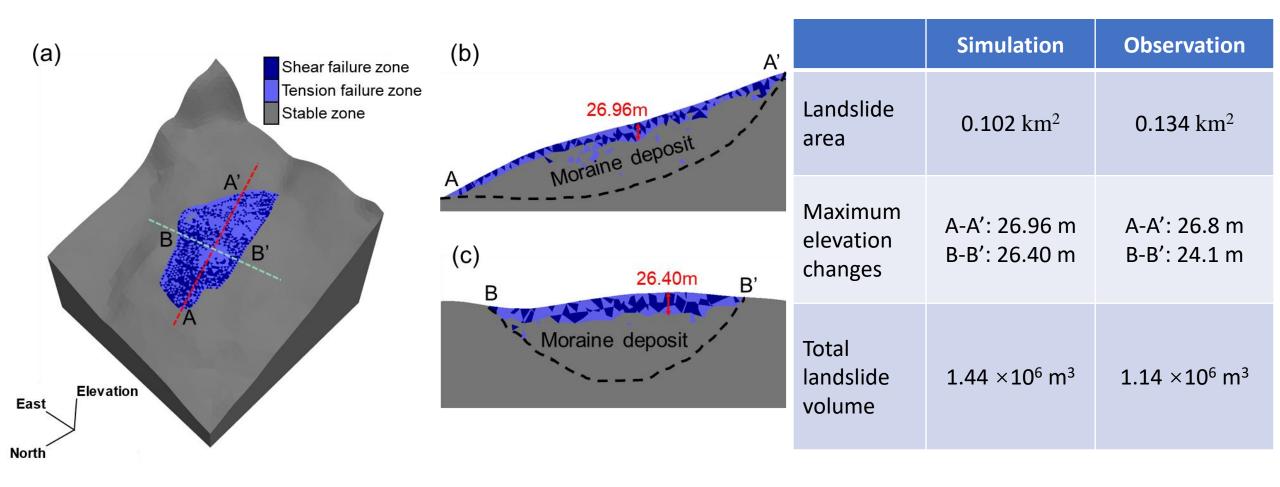
FT: The moraine deposit tends to remain globally stable solely under the effect of freeze-thaw cycles, despite FS decreases

FT+Impact: Rock-ice avalanches are the direct trigger of this type of hazard chain



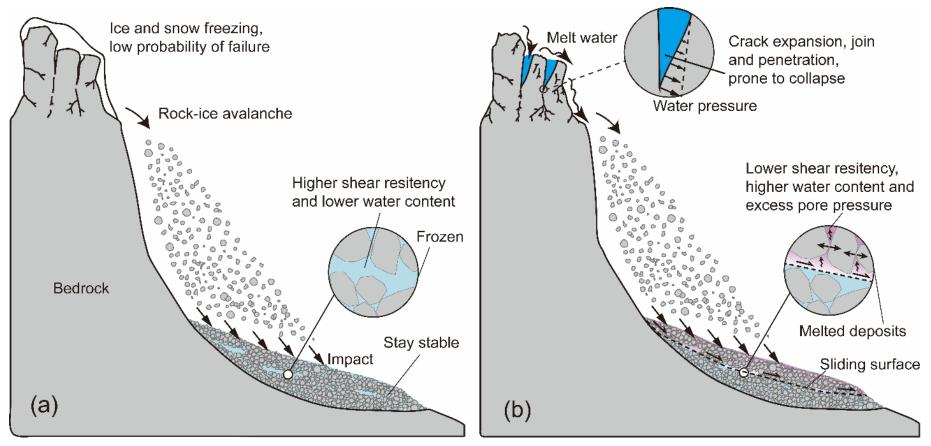
Results and discussion

The simulated landslide event on 2020 Sep 10



Key Cascading point

Avalanches and freeze-thaw cycles together govern the occurrence of these cascading chain events



✓ In warm seasons, high water content in moraine deposits favors the failure and even liquefaction of moraine mass under <u>small avalanche impact</u>

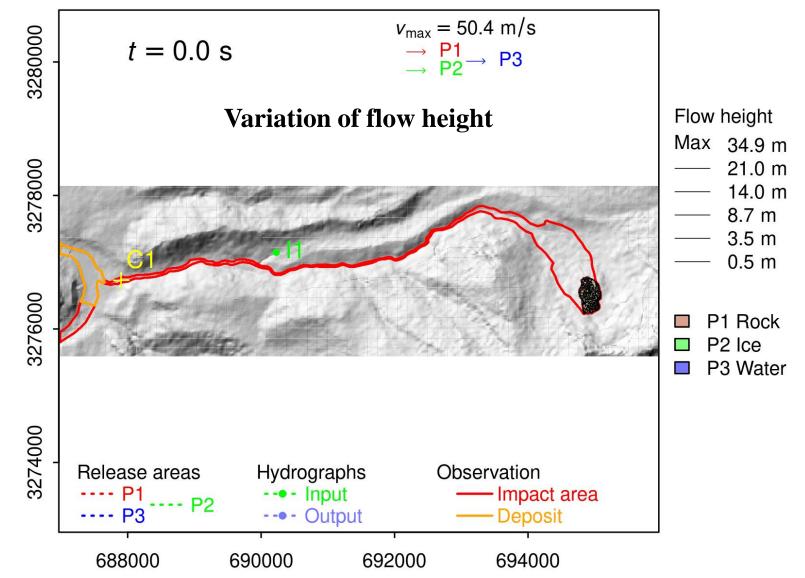
 \checkmark In addition, rock-ice avalanches are more often in warm seasons, making this type of hazard chain more frequent

Debris flow simulation

Averaging the two empirical parameters along the flow path

Entrainment rate in r.avaflow $q_{E,1} = C_E | M_1 + M_2 + M_3 | \alpha_{1,E}$ $q_{E,2} = C_E | M_1 + M_2 + M_3 | \alpha_{2,E}$ $q_{E,3} = C_E | M_1 + M_2 + M_3 | \alpha_{3,E}$

Phase transition rate in r.avaflow $q_{tran} = C_{PT} e_{kin}$



Conclusion

- A small avalanche can trigger a hyper-mobility cascading event in warm season
- Freeze-thaw cycles as <u>controller</u> and rock-ice avalanching as <u>trigger</u> together governs this type of hazard chain
- Initial water content of moraine deposit is imperative for cascading transition and mobility gain – by liquefaction
- Entrainment facilitates later-stage mobility

Part 1: Huang et al., 2023. Interplay of freeze-thaw cycles and avalanche impact on glacial landslidedebris flow geohazard chain in the southeastern Tibetan Plateau. JGR Earth Surface to be resubmitted after revision.

Part 2: Wang et al., 2023. The mechanisms of high mobility of a glacial debris flow using the Pudasaini-Mergili multi-phase modeling, Engineering Geology, Volume 322, 2023, 107186, ISSN 00137952, https://doi.org/10.1016/j.enggeo.2023.107186.





Email: pingshen@um.edu.mo

Welcome to any discussion and collaboration!