

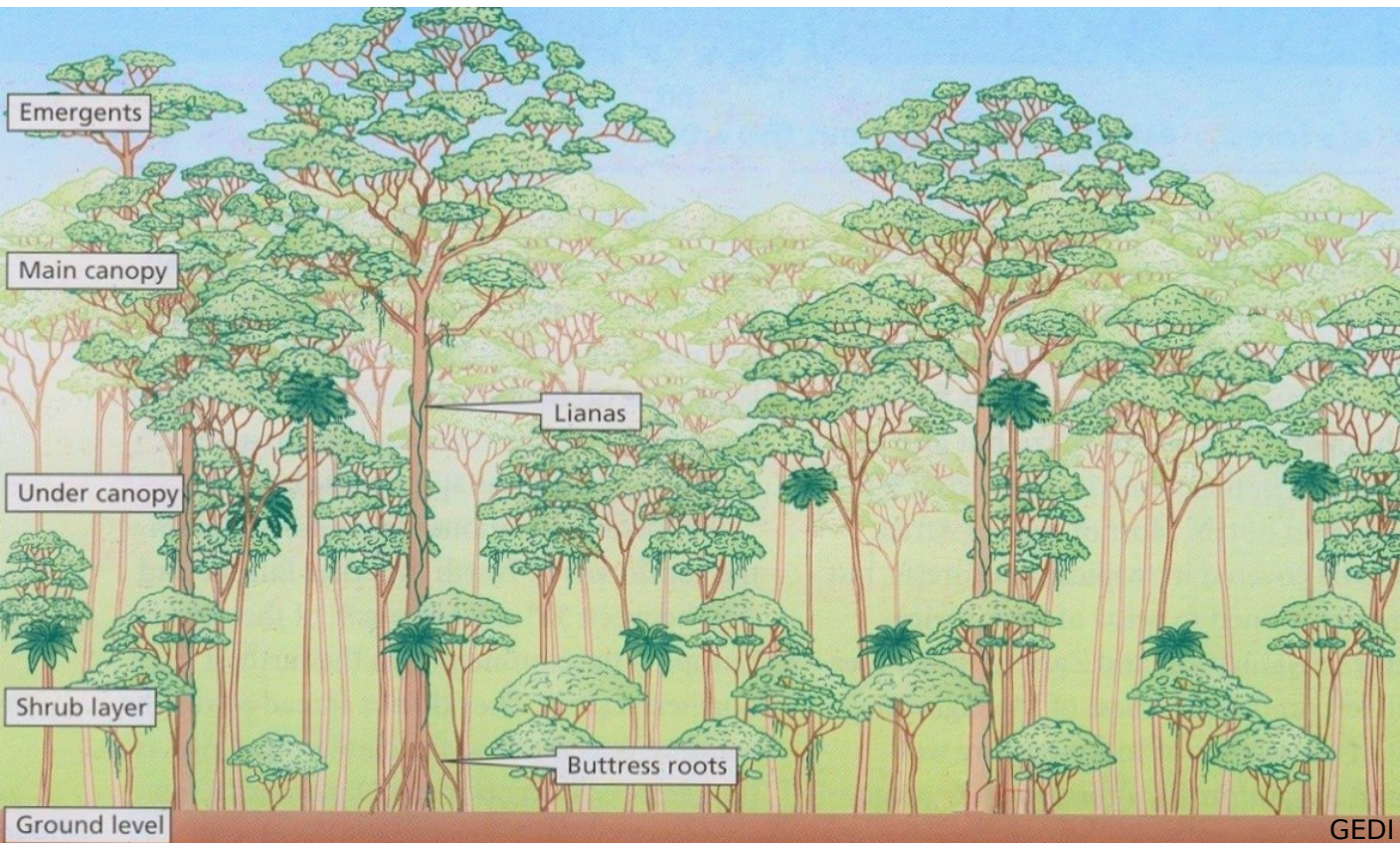
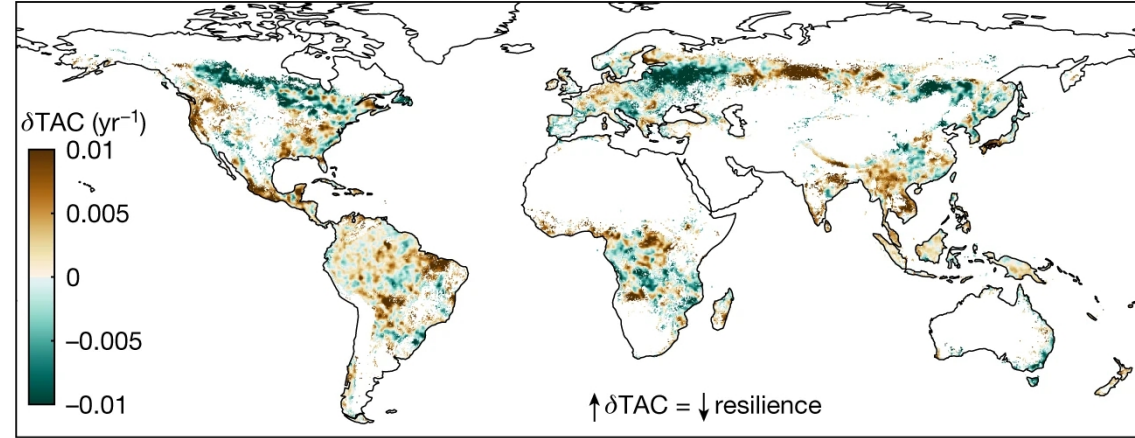


Assessing the relationship between European forest structural diversity and resilience in a warming climate

Mark Pickering, Agata Elia, Marco Girardello, Gonzalo Oton, Matteo Piccardo, Samuele Capobianco, Giovanni Forzieri, Mirco Migliavacca, Alessandro Cescatti
European Commission Joint Research Centre, Ispra, Italy

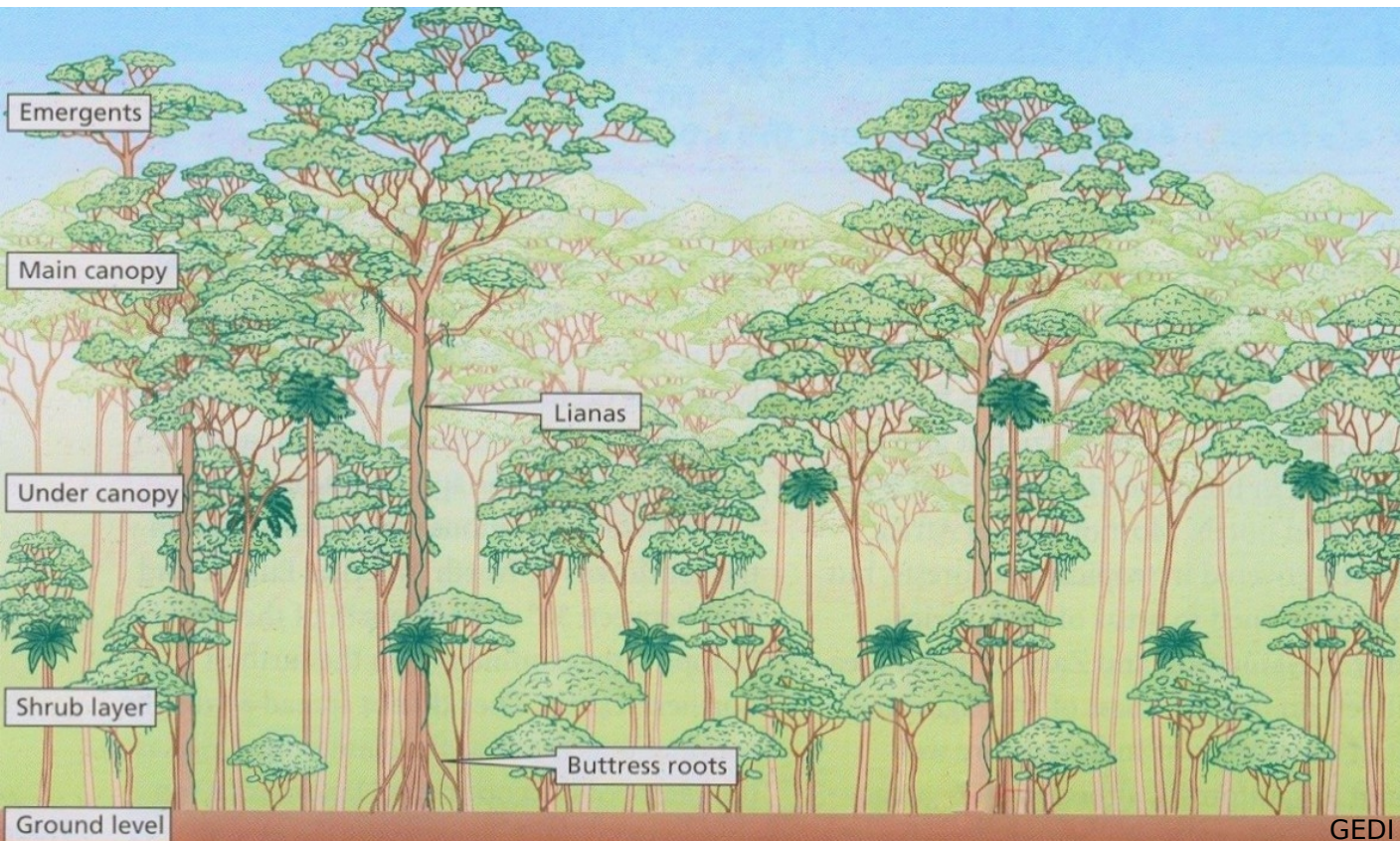
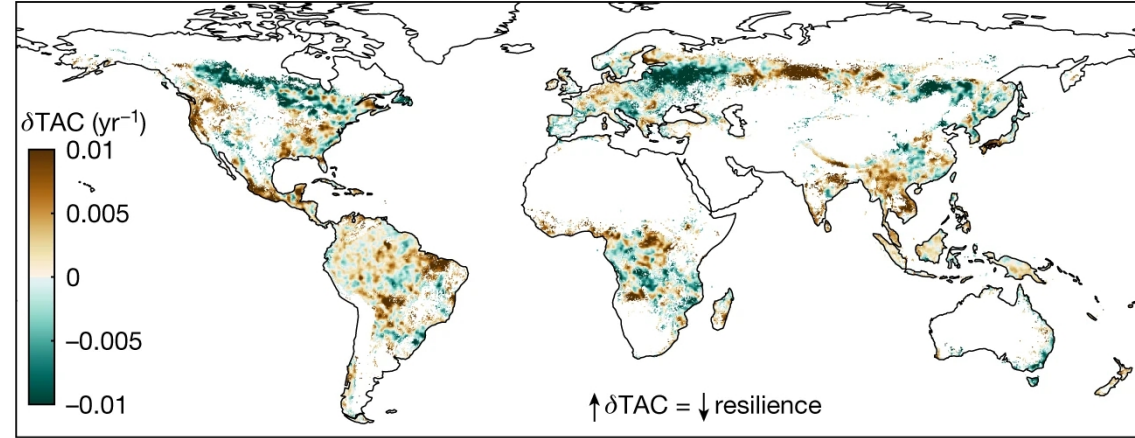
Why?

- We are observing declines in vegetation resilience under climate change
- What makes forests resilient? What can we do?



Why?

- We are observing declines in vegetation resilience under climate change
- What makes forests resilient? What can we do?



nature

Emerging signals of declining forest resilience under climate change

Giovanni Forzieri , Vasilis Dakos, Nate G. McDowell, Alkama Ramdane & Alessandro Cescatti

ARTICLES

<https://doi.org/10.1038/s41558-019-0583-9>

nature
climate change

Reduced resilience as an early warning signal of forest mortality

Yanlan Liu¹, Mukesh Kumar ^{1,2*}, Gabriel G. Katul^{1,3} and Amilcare Porporato^{4,5}

nature
climate change




ARTICLES

<https://doi.org/10.1038/s41558-022-01287-8>

 Check for updates

OPEN

Pronounced loss of Amazon rainforest resilience since the early 2000s

Chris A. Boulton ¹, Timothy M. Lenton ¹ and Niklas Boers ^{1,2,3}

Resilience

- Engineering resilience: Restoration rate (λ) at which a system returns to equilibrium

$$\frac{dx}{dt} = \lambda x + \sigma \frac{d\epsilon}{dt} \quad ; \quad x(t) = x_0 e^{\lambda t} + \sigma \epsilon$$

$$x(t_{n+1}) = \alpha x(t_n) + \sigma \epsilon(t_n) + c \quad ; \quad \alpha = e^{\lambda} = AC$$

- With autocorrelation AC, variance $V[x]$ and stochastic term $\sigma \epsilon$
- Defines Ornstein-Uhlenbeck process: mean-reverting random walk

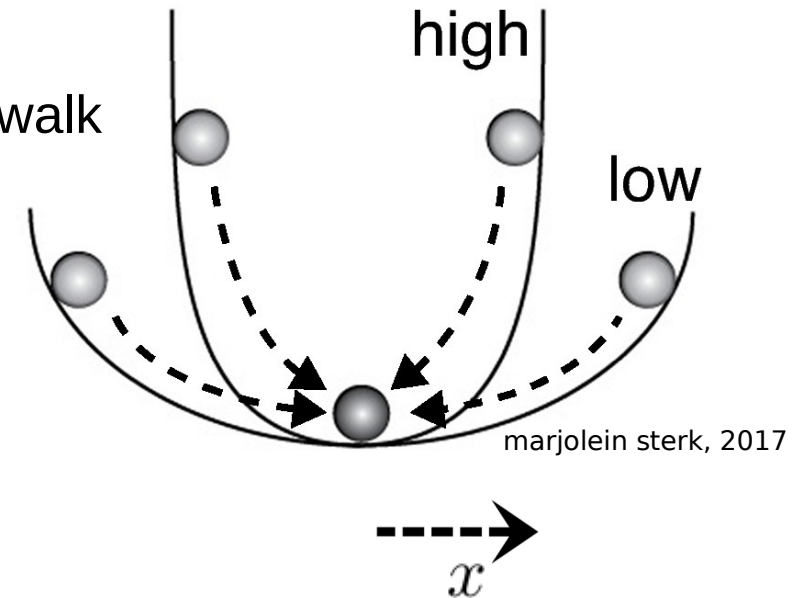
Metrics relating to system memory

$$\text{Rest. Rate AC1} = |\ln(\alpha)|$$

Metric relating to system stability

$$\text{Rest. Rate Variance} = \left| \frac{1}{2} \ln \left(1 - \frac{\sigma^2}{V[x]} \right) \right|$$

Rates often defined as negative (restoring equilibria) in literature
 Here we consider the absolute value such that $\uparrow \text{Rate} = \uparrow \text{Resilience}$
 As rates approach zero we see slowness in the system (CSD)



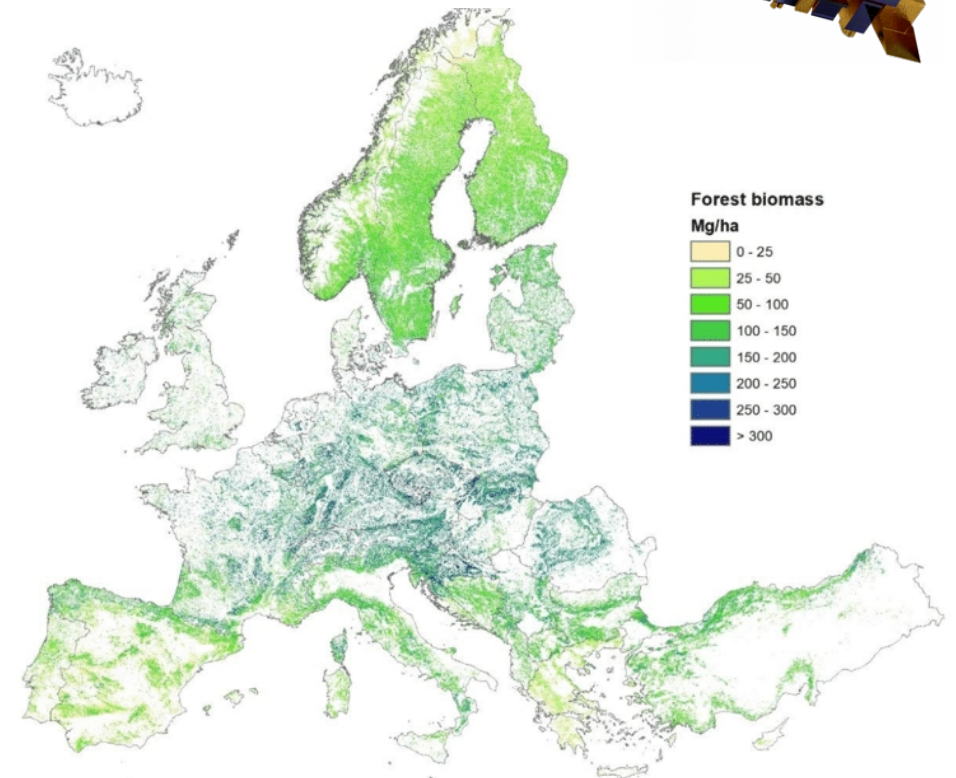
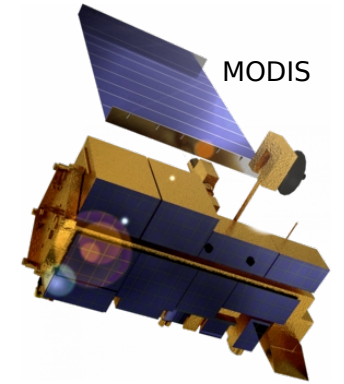
Vegetation data

- Resilience in proxy for forest productivity

$$kNDVI = \tanh \left(\frac{NDVI^3}{|NDVI|} \right)$$

Camps-Valls et al., 2021

- Take forest masked pixels (500m) removing loss/change
- Remove the dominant seasonal cycle
- Filter (clouds) outlier points
- Correct the long term trend (CO2 fert, GW, etc)
- Aggregate to 5km
- Result: pixelwise time series of kNDVI perturbations from seasonal average



Avitabile, V, JRC, Forest Biomass Europe, 2020

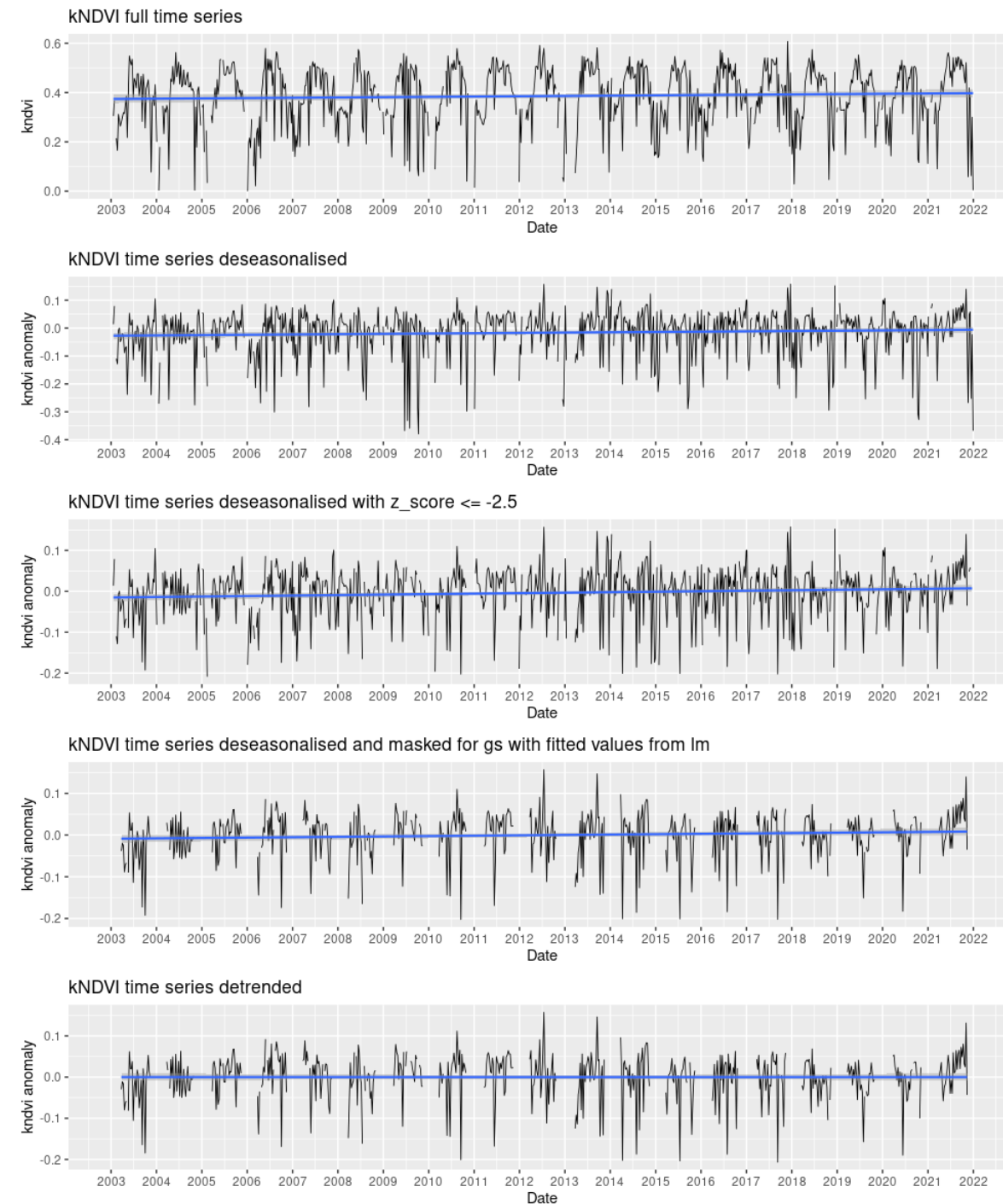
Vegetation data

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Camps-Valls et al., 2021

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Vegetation

Metrics relating to system memory

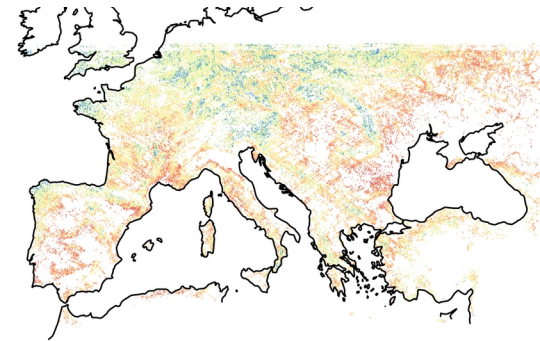
$$\text{Rest. Rate AC1} = |\ln(\alpha)|$$

Metric relating to system stability

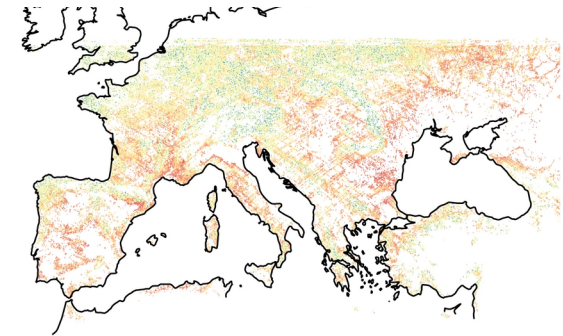
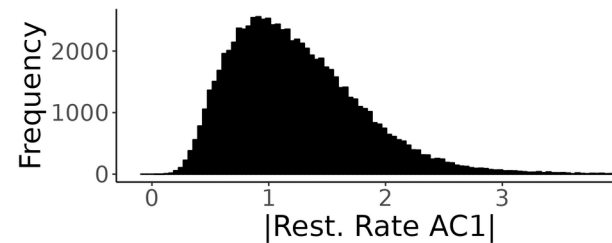
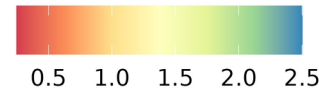
$$\text{Rest. Rate Variance} = \left| \frac{1}{2} \ln \left(1 - \frac{\sigma^2}{V[x]} \right) \right|$$

more positive (blue) = lower autocorrelation/variance

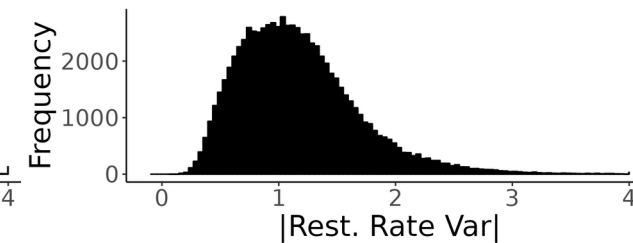
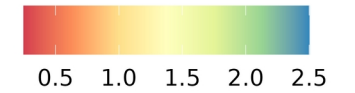
But, we can't compare the 'resilience' of spatial pixels yet!



|Rest. Rate AC1|

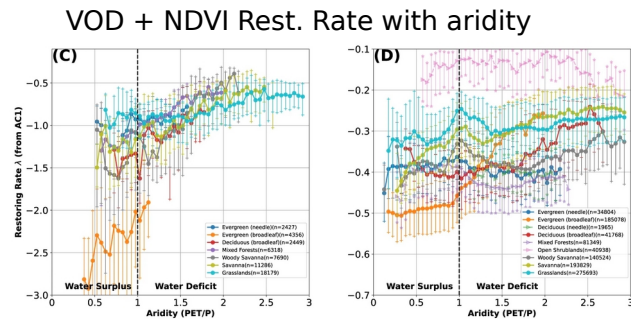


|Rest. Rate Var|

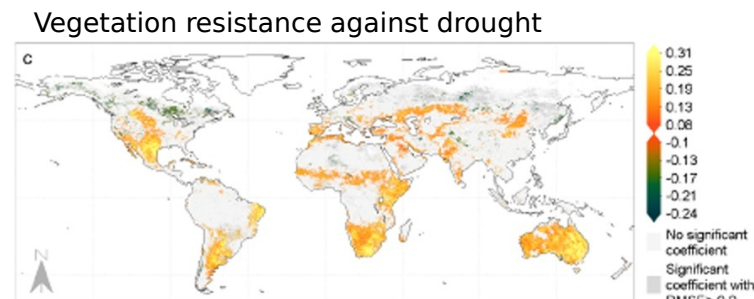


What determines TAC & Variance

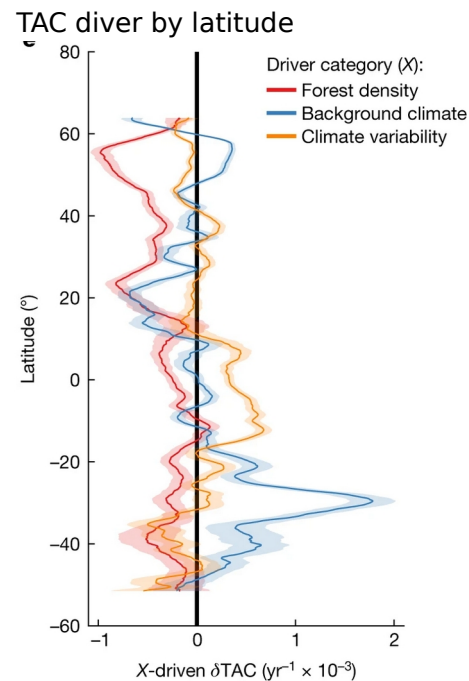
- Aridity dominates
- Short and long term climate factors & variability
- Forest density, soil quality, etc



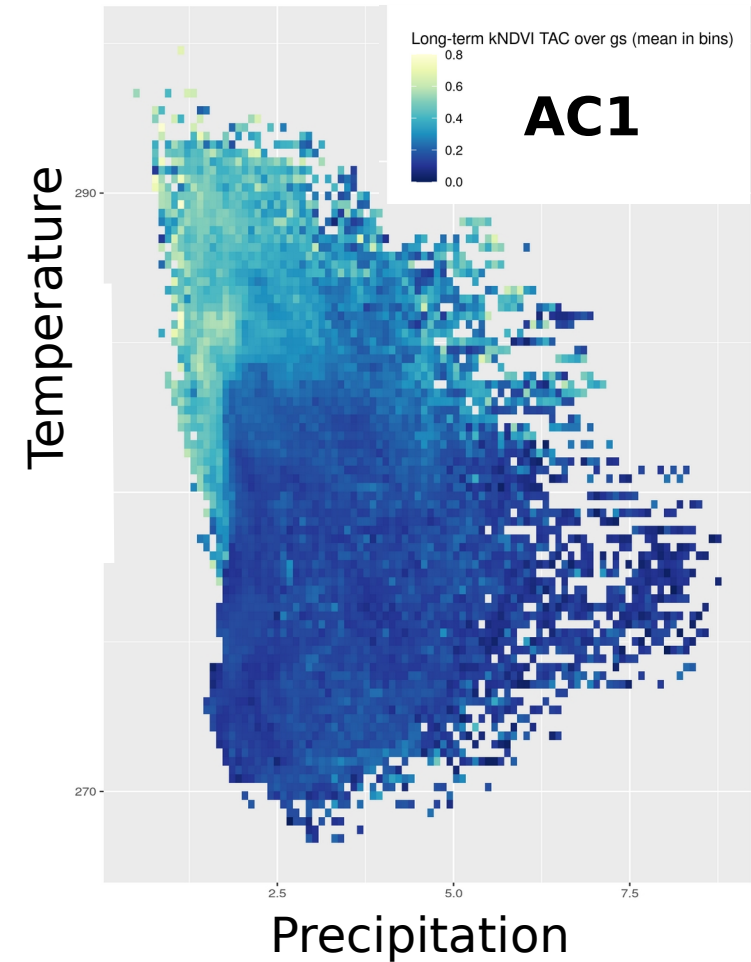
Smith, T and Boers, N 2023



Keersmaecker et al. 2015

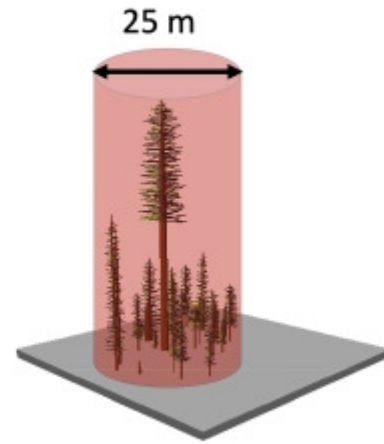
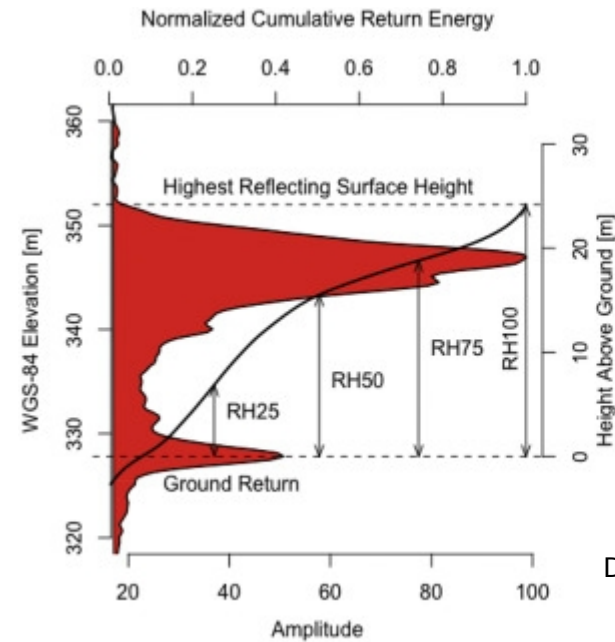
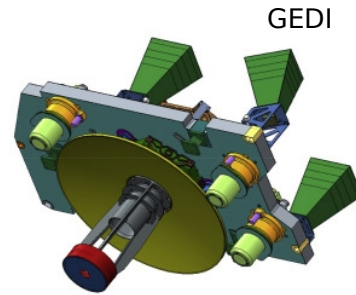


Forzieri G. et al 2022



Vegetation Structure

- GEDI maps forest Lidar waveform from ISS
- Gives us relative canopy heights (RH) and forest canopy cover



Dubayah, R., (2020)

Structural Diversity

- GEDI maps forest Lidar waveform from ISS
- Gives us relative canopy heights (RH) and forest canopy cover
- Several metrics of structural diversity computed across 5km pixel:

Horizontal

$$\text{S.D. in RH98} = \sqrt{\frac{1}{N} \sum_{i=1}^N (RH98_i - \mu(RH98))^2}$$

Higher S.D. =
More diversity in
canopy height

Horizontal & Vertical

$$\text{Shannon Entropy} = - \sum_{\{RH50, RH75, RH98, CC\}} p_i \log(p_i)$$

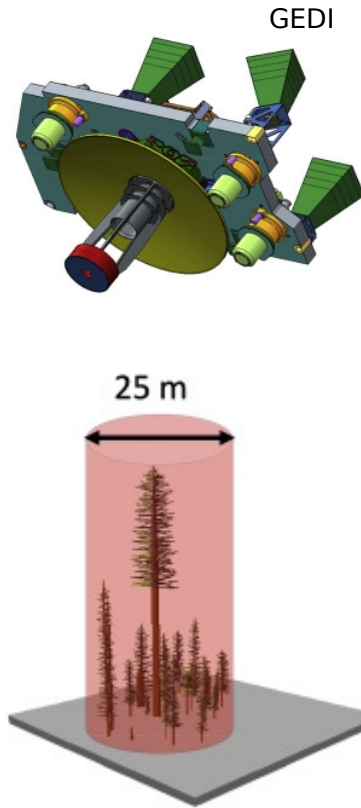
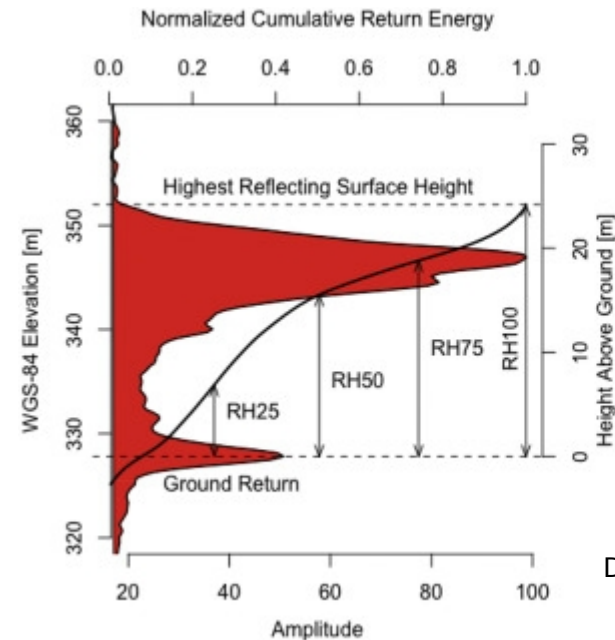
Higher Entropy =
More diversity in
canopy structure

Vertical

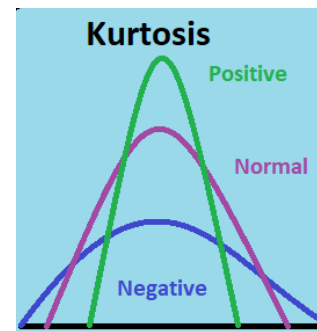
$$\text{Excess kurtosis} = \frac{E[(X - \mu(X))^4]}{(E[(X - \mu(X))^2])^2} - 3$$

More negative =
More diversity in
vertical structure

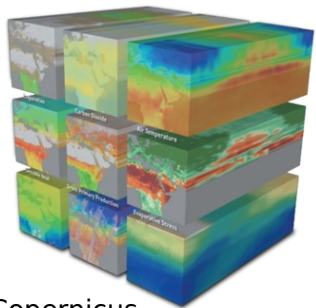
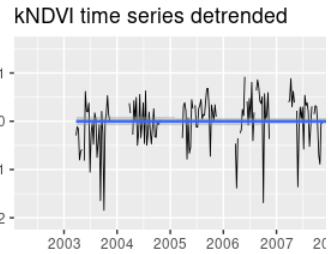
See future dataset paper: "A dataset on the diversity of canopy structure of European Forests"
Marco Girardello, Gonzalo Oton, Matteo Piccardo, Mirco Migliavacca, Alessandro Cescatti



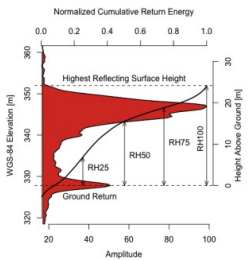
Dubayah, R., (2020)



Modelling Framework

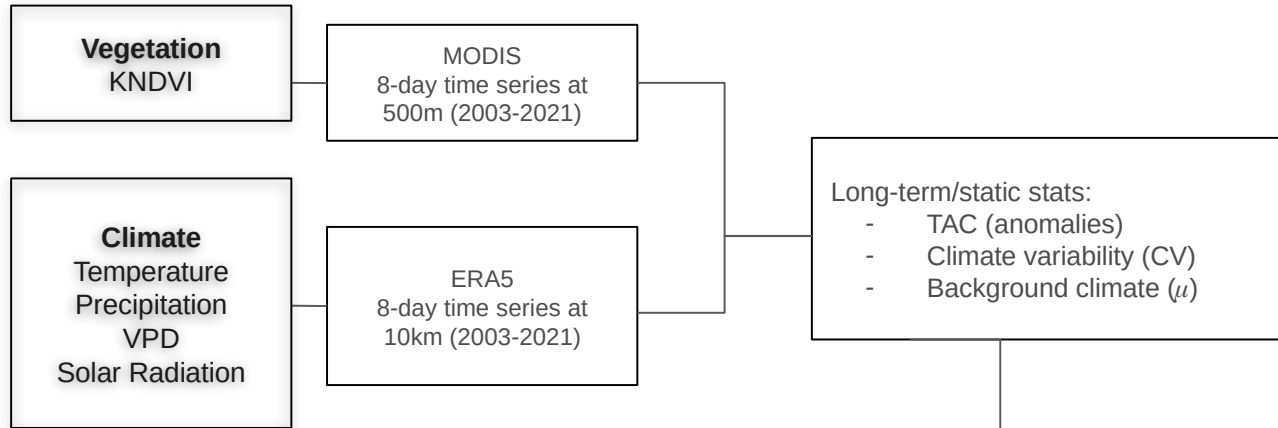


Copernicus

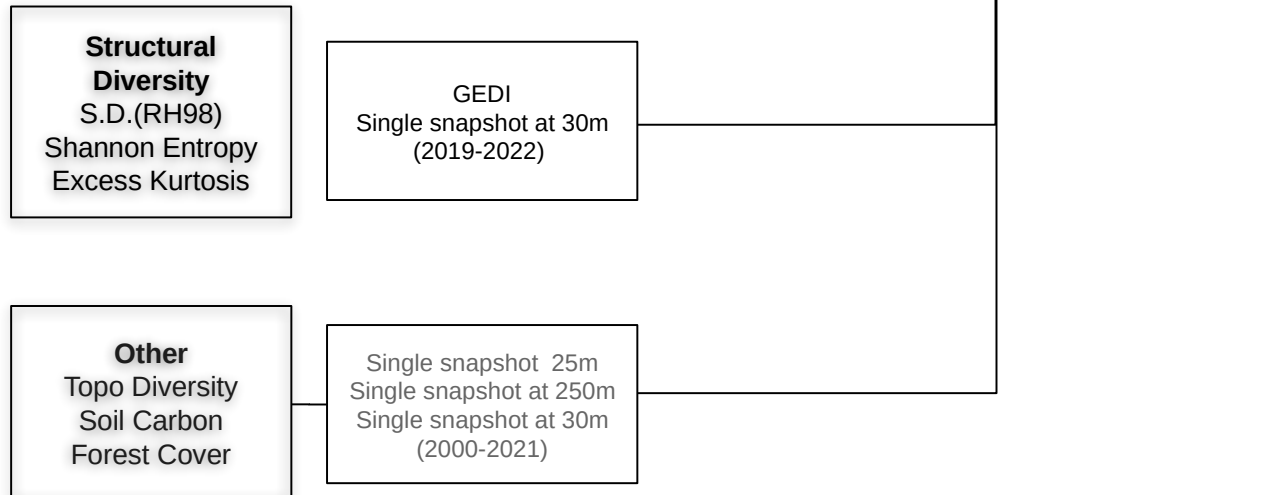


OpenLandMap

Time series



Static



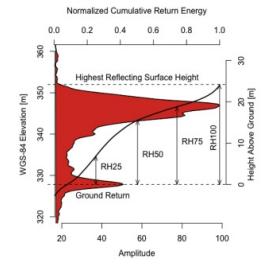
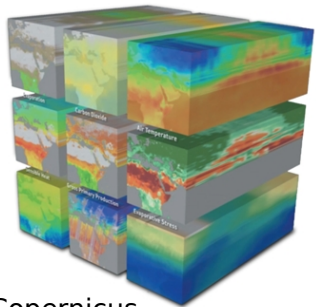
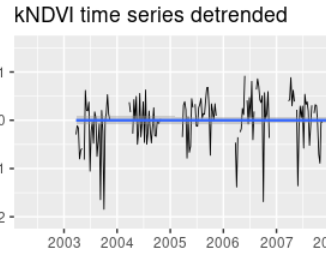
RANDOM FOREST

Restoration Rate =

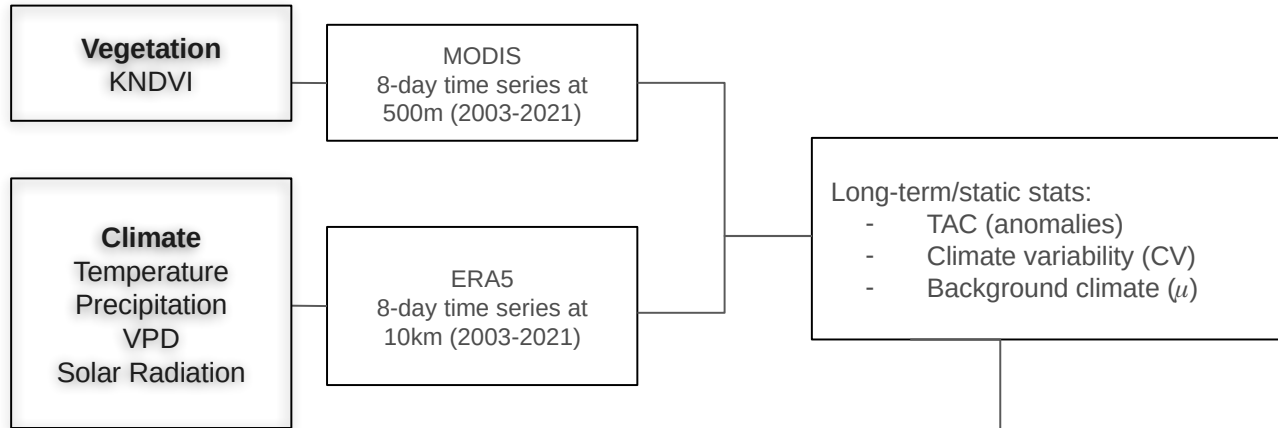
- kNDVI (μ) +
- climate (TAC CV μ) +
- 1 Diversity metric +
- FC + SC + Topo div

Outputs:
Feature importance ranking, partial dependence, etc

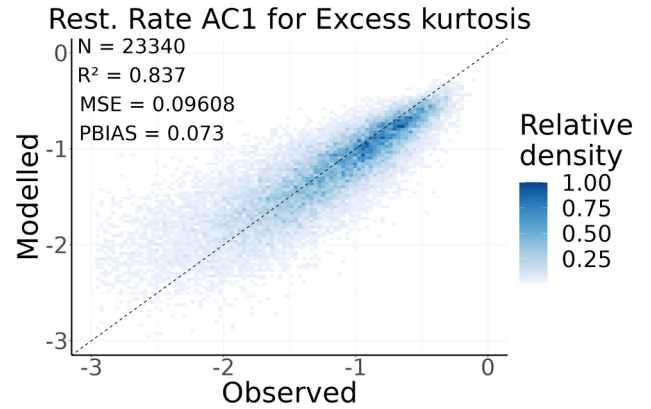
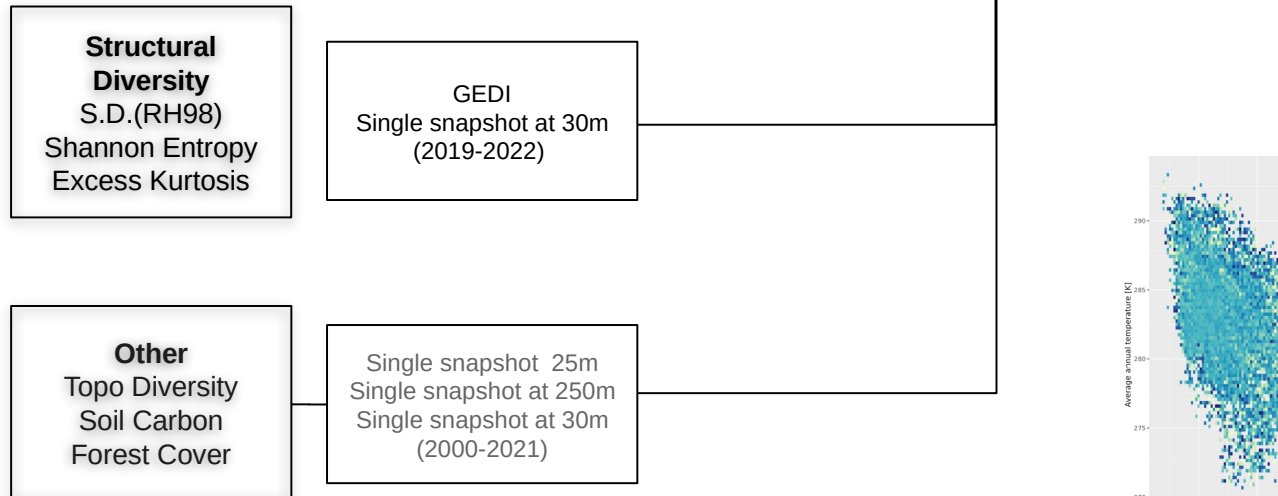
Modelling Framework



Time series



Static



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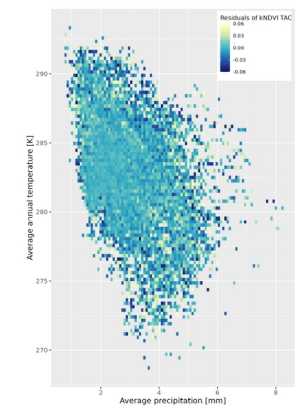
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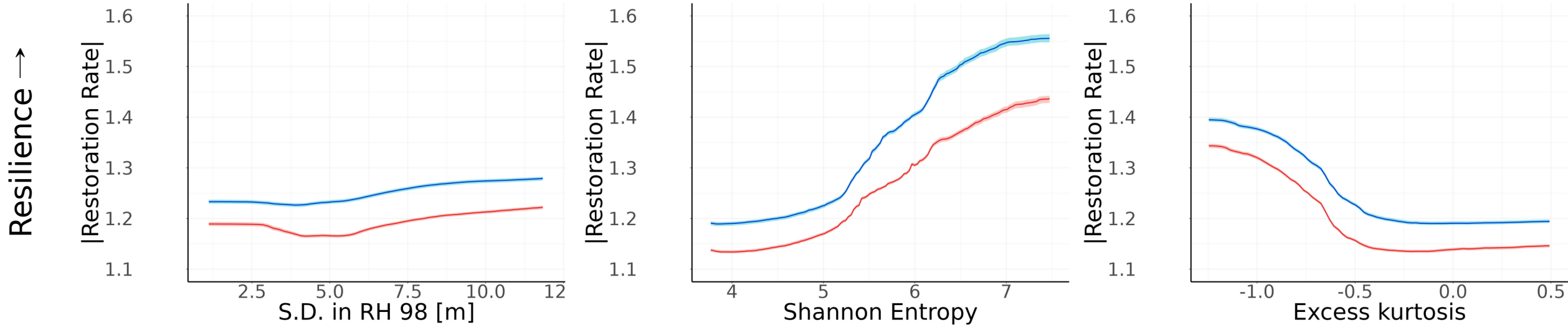


Outputs:

Feature importance ranking, partial dependence, etc

Diversity-Resilience relationship

- Controlling for all the model variables except diversity – what is the effect on resilience?
- Europe-wide relationship between the different diversity and resilience metrics

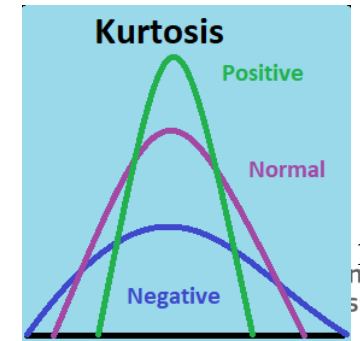


Resilience metric

$$\text{Rest. Rate Variance} = \left| \frac{1}{2} \ln \left(1 - \frac{\sigma^2}{V[x]} \right) \right|$$

$$\text{Rest. Rate AC1} = |\ln(\alpha)|$$

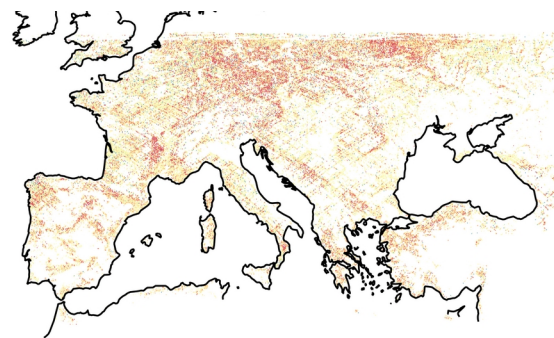
- Rest. Rate Variance
- Rest. Rate AC1



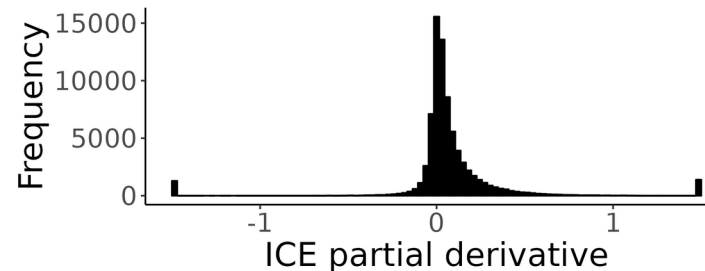
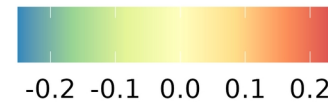
Diversity-Resilience relationship (local)

- Individual conditional expectation ICE figures
- Control each variable at the local pixel level value and allow the diversity metric to vary
- Gives the local level relationship direction and strength
- As we increase diversity, resilience metric increases

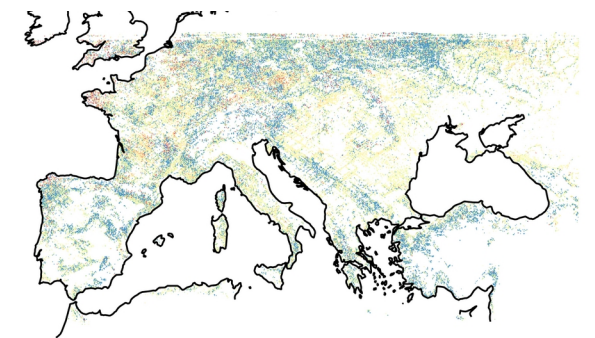
|Rest. Rate AC1| ~ Shannon Entropy



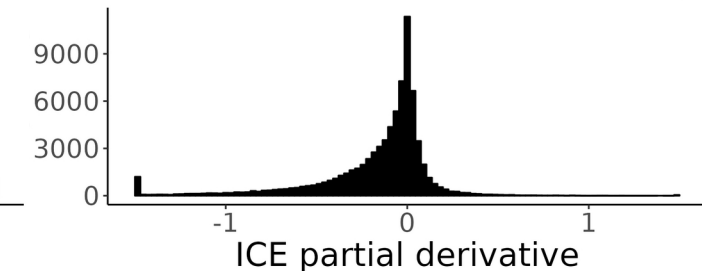
ICE partial derivative



|Rest. Rate AC1| ~ Excess kurtosis



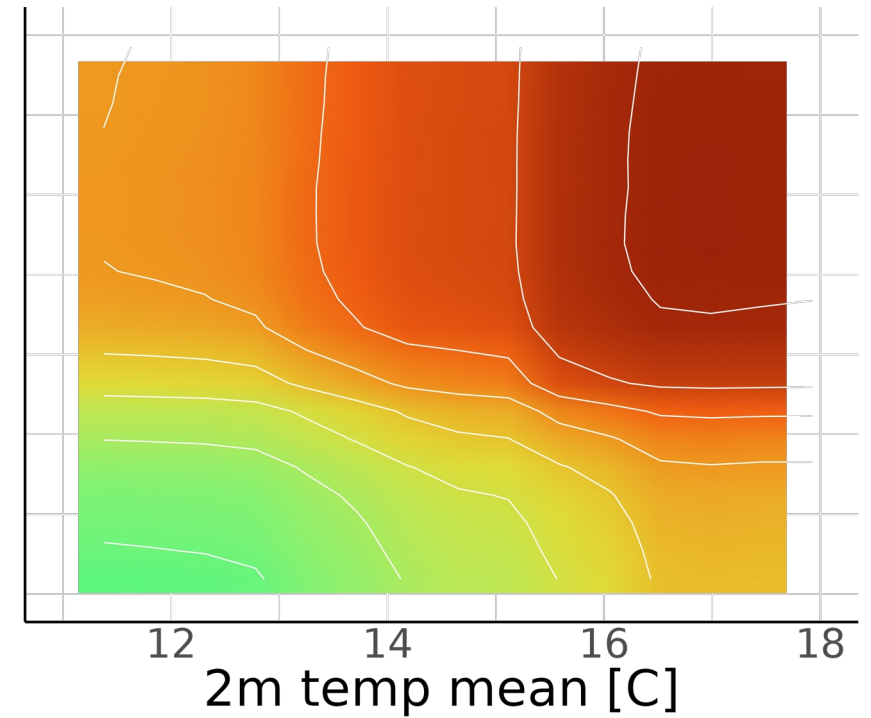
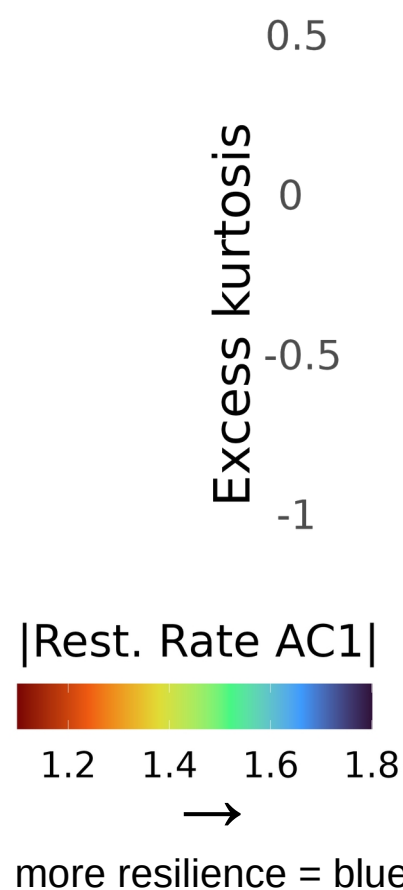
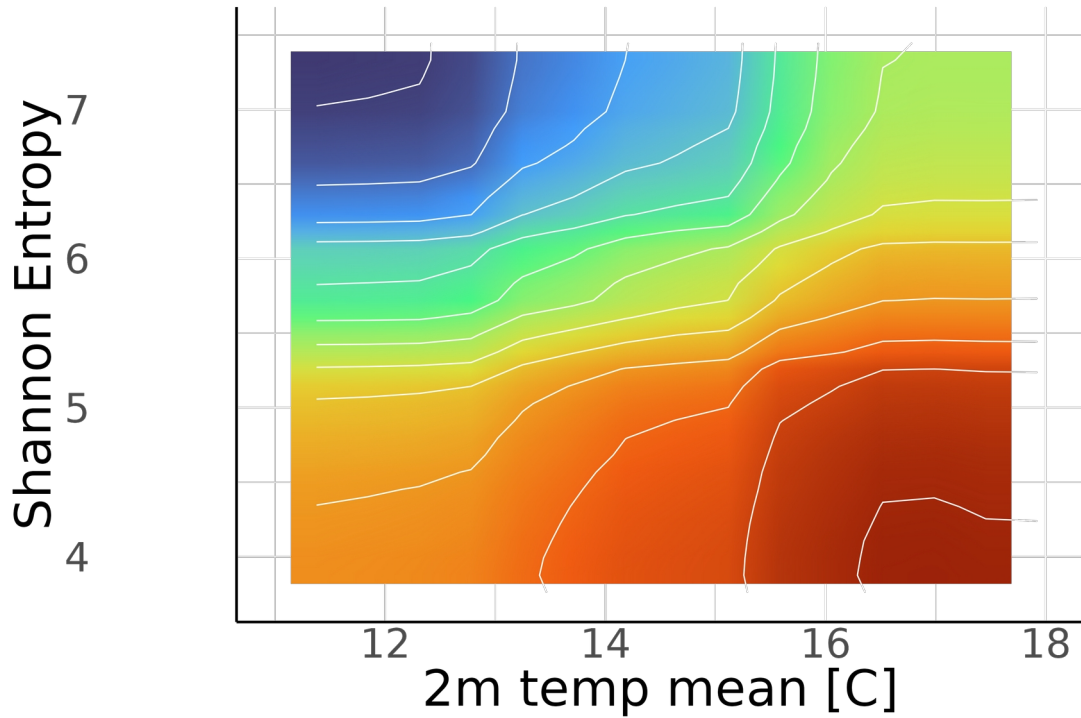
ICE partial derivative



Diversity-Resilience-Temperature relationship

What is the relationship as a function of temperature?

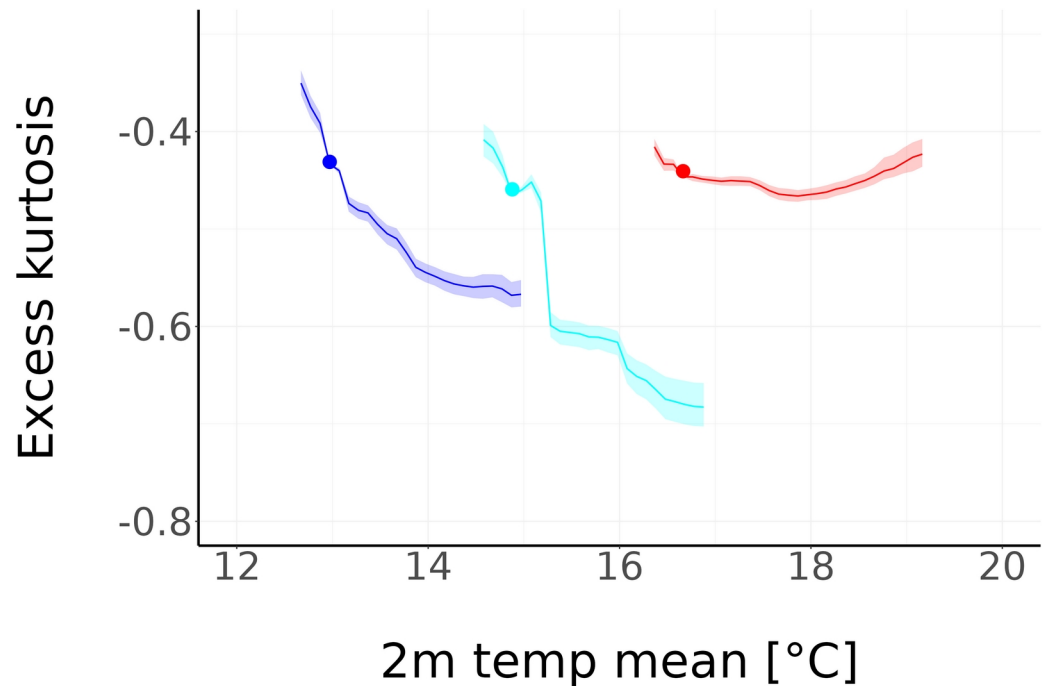
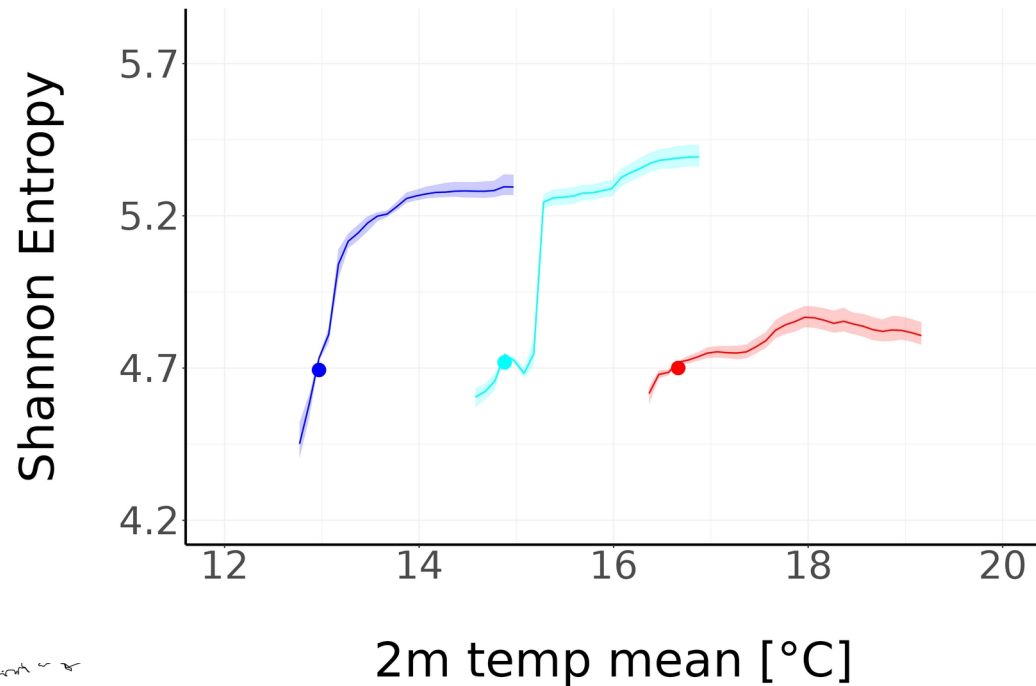
As temperatures rise, resilience declines – unless diversity also increases



Can diversity offset resilience decline?

Isolines of constant resilience (current mean for that BGR)

As temperatures rise, resilience declines – unless diversity also increases



Biogeographical region
— alpine
— temperate
— mediterranean

Summary

- There is a relationship between forest structural diversity and forest resilience: more structurally diverse forests are more resilient.
- Canopy complexity is more important than diversity in forest height
- In the near-term, increases in forest structural diversity may compensate for the resilience loss associated with warming temperatures
- This is particularly true for Mediterranean species which may be more adapted to aridity

Questions?

End

Structural Diversity

- GEDI maps forest Lidar waveform from ISS
- Gives us relative canopy heights (RH) and forest canopy cover
- Several metrics of structural diversity computed across 5km pixel:

Horizontal

$$\text{S.D. in RH98} = \sqrt{\frac{1}{N} \sum_{i=1}^N (RH98_i - \mu(RH98))^2}$$

$$\text{Shannon Entropy} = - \sum_{\{RH50, RH75, RH98, CC\}} p_i \log(p_i)$$

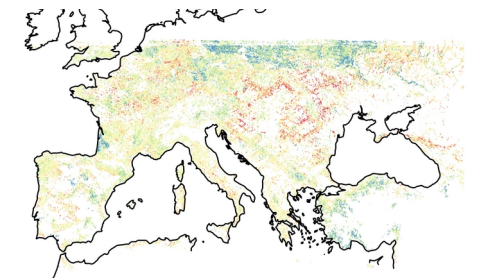
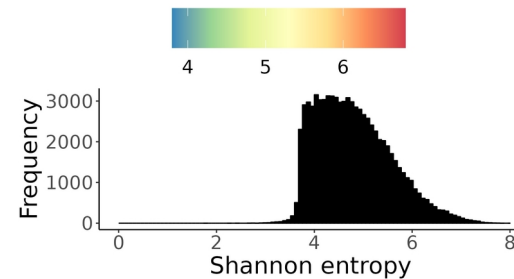
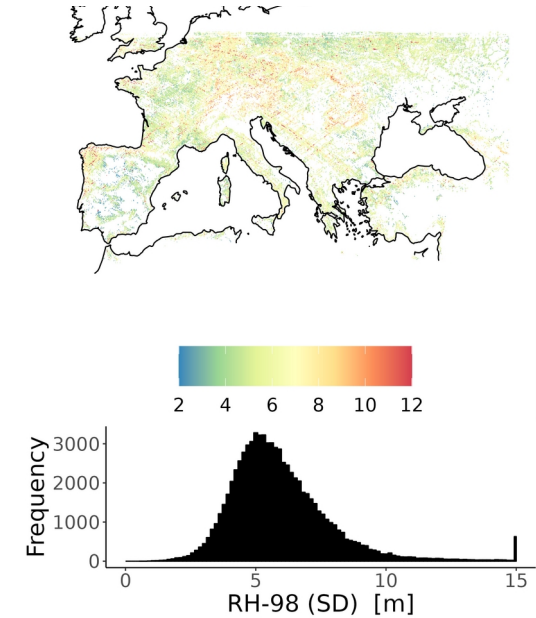
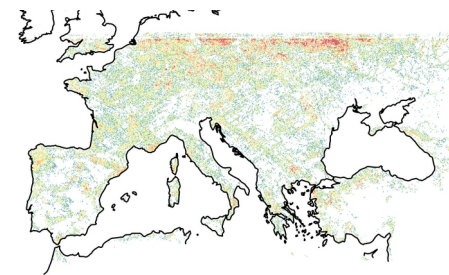
Higher S.D. =
More diversity in
canopy height

Higher Entropy =
More diversity in
canopy structure

Vertical

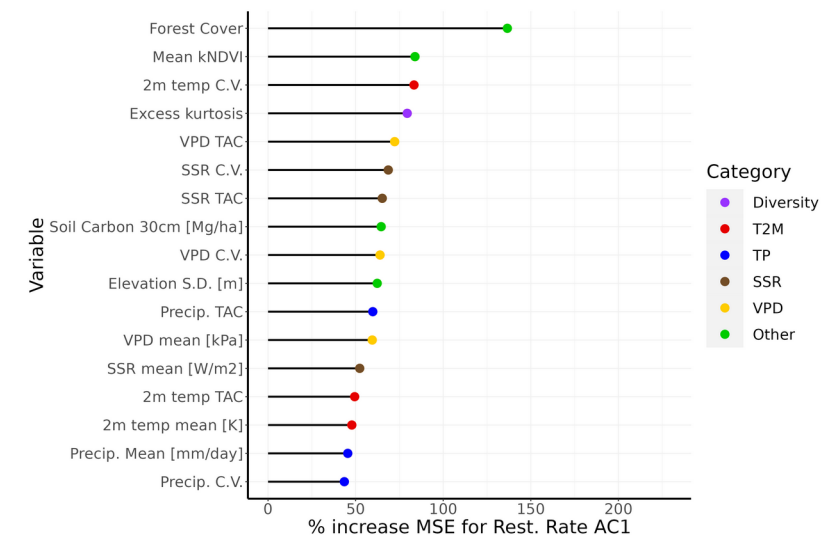
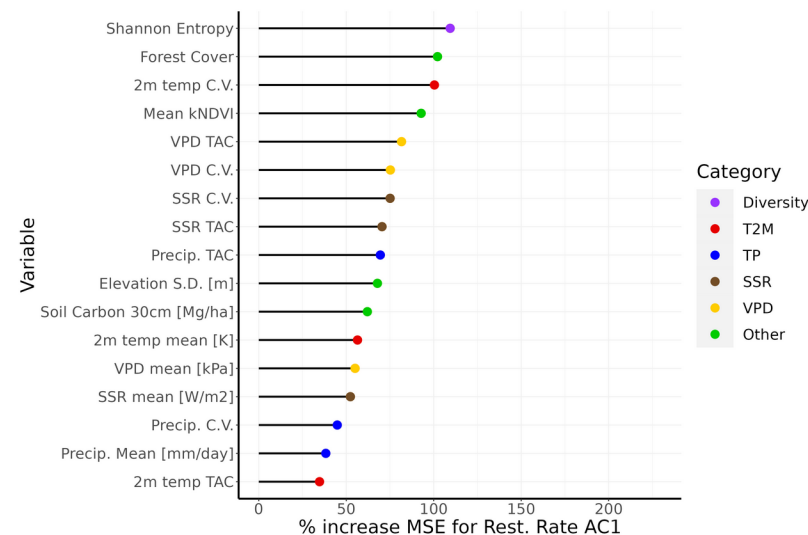
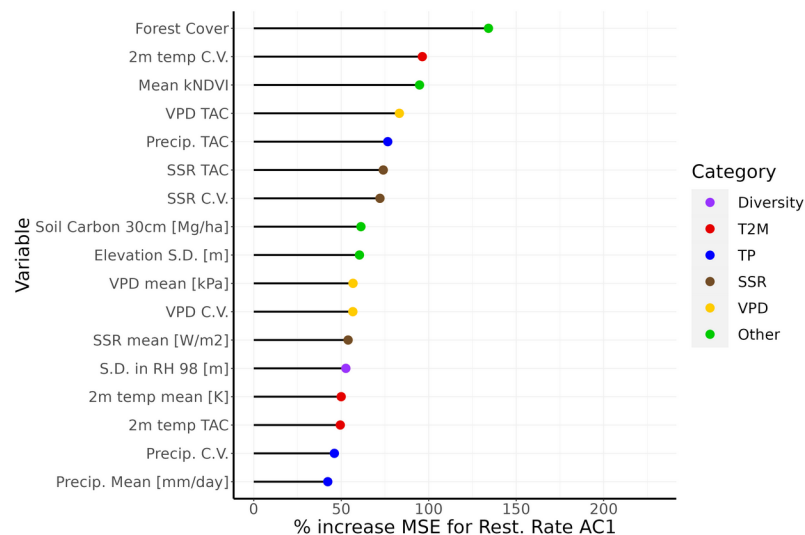
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More negative =
More diversity in
vertical structure

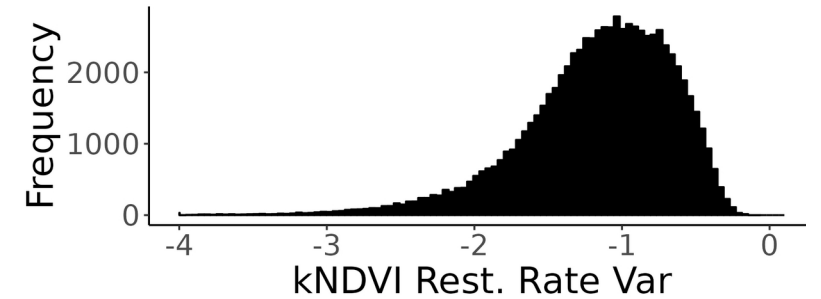
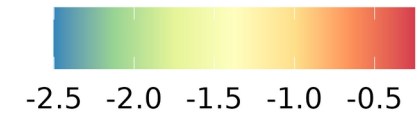
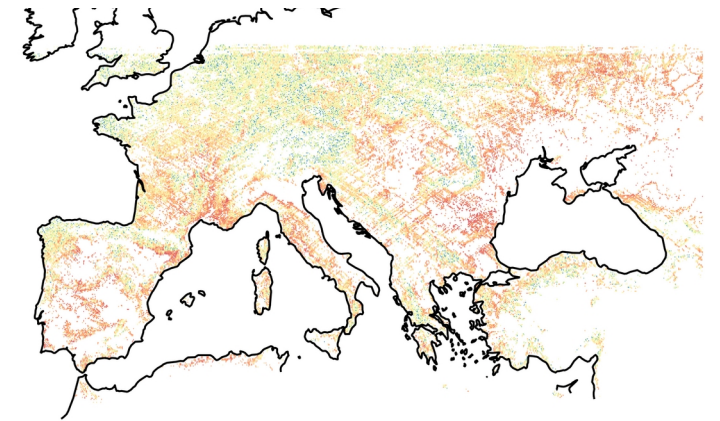
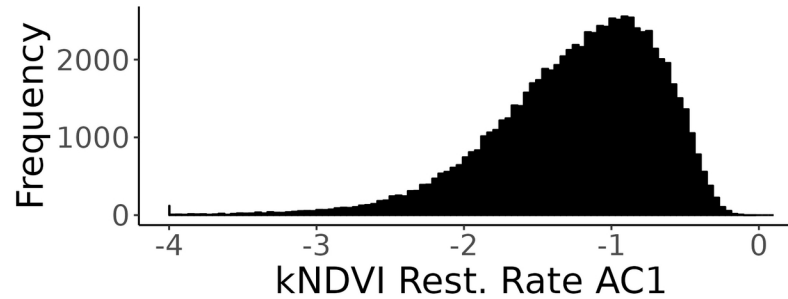
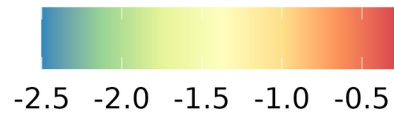
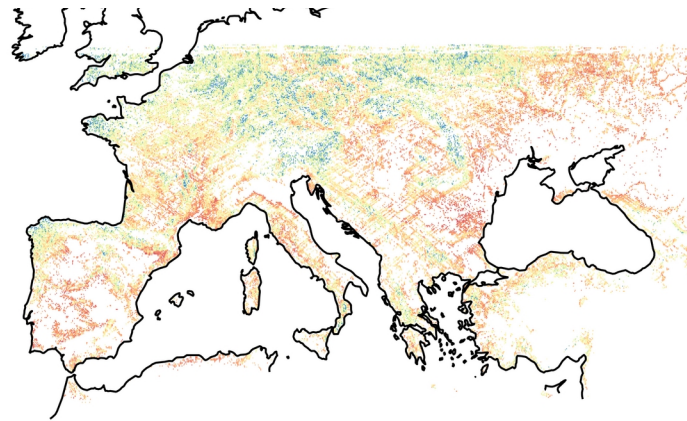
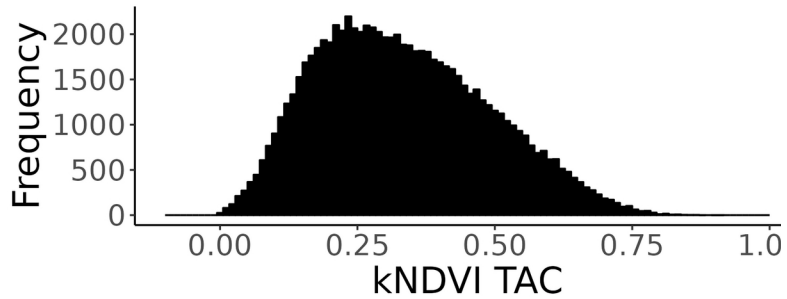
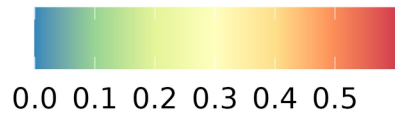
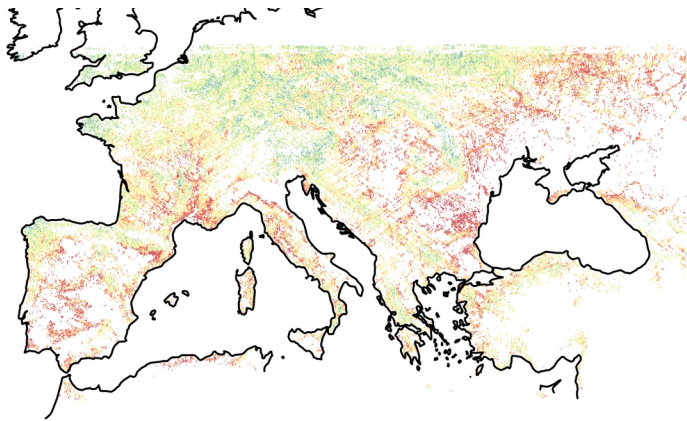


Feature Importance

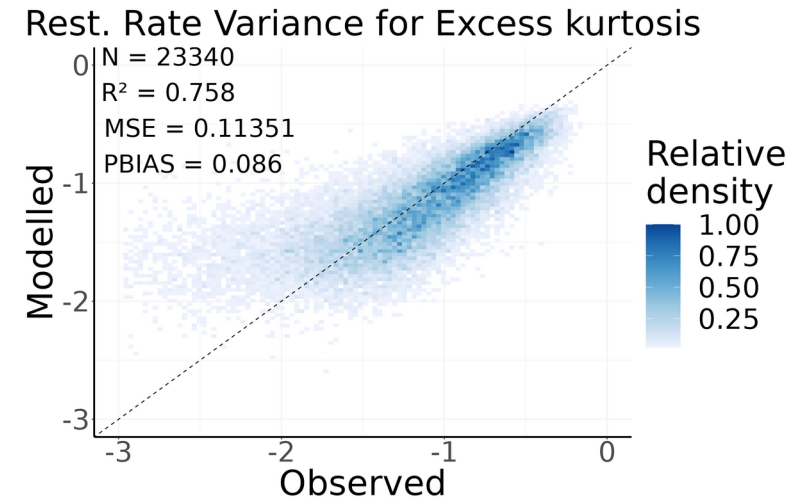
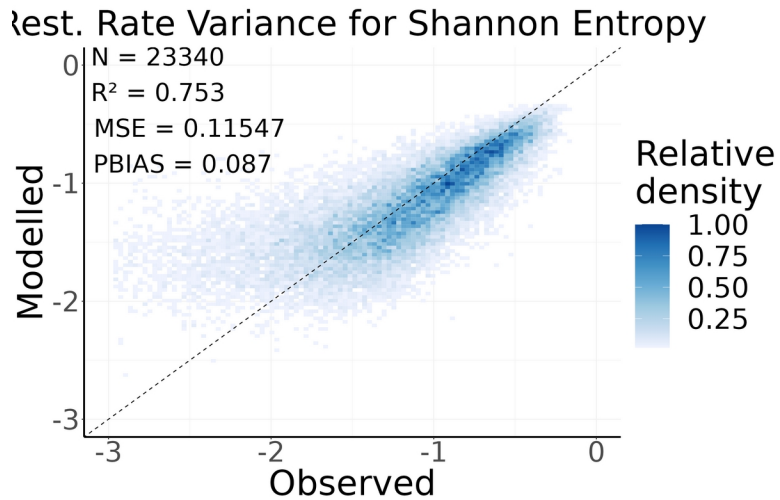
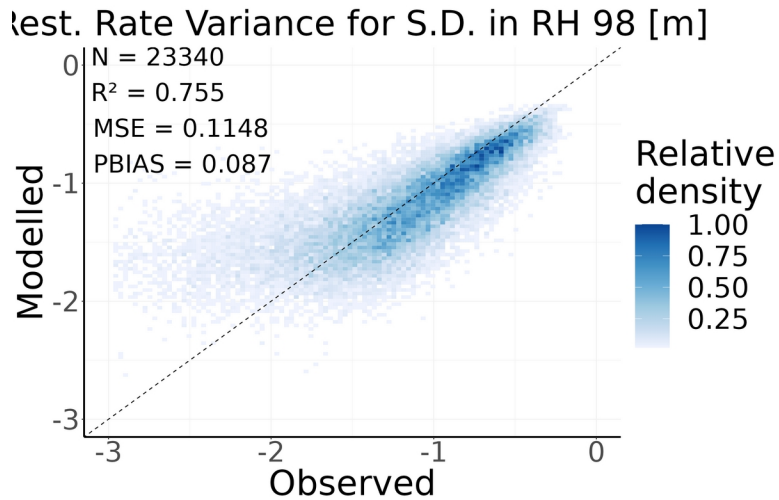
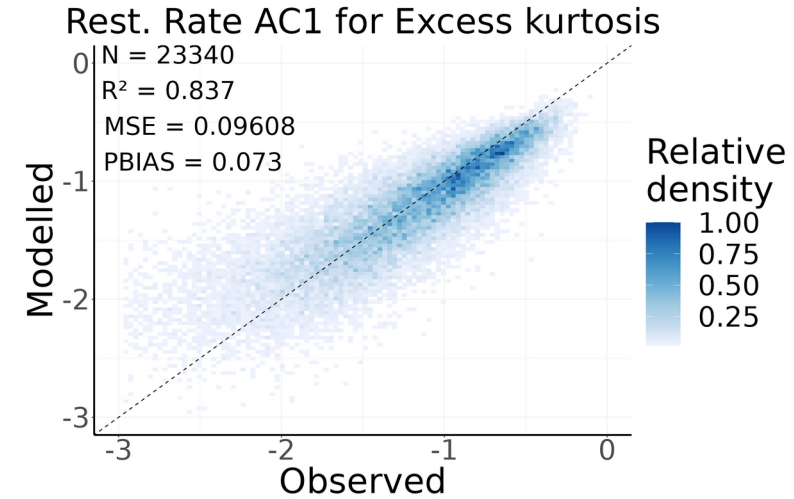
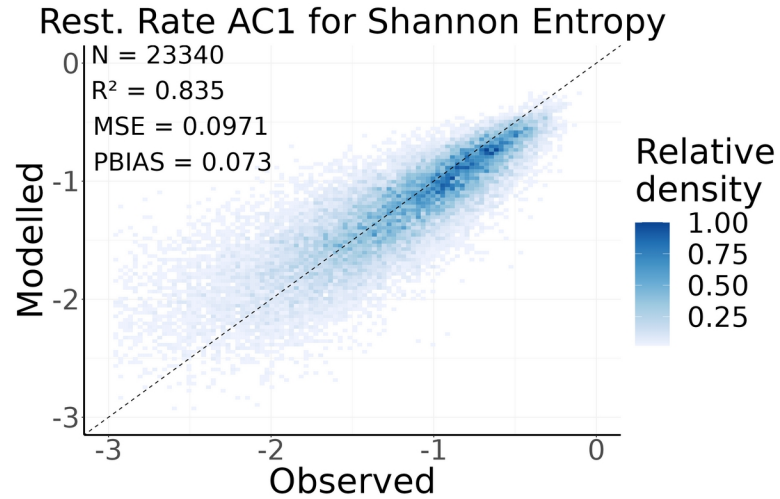
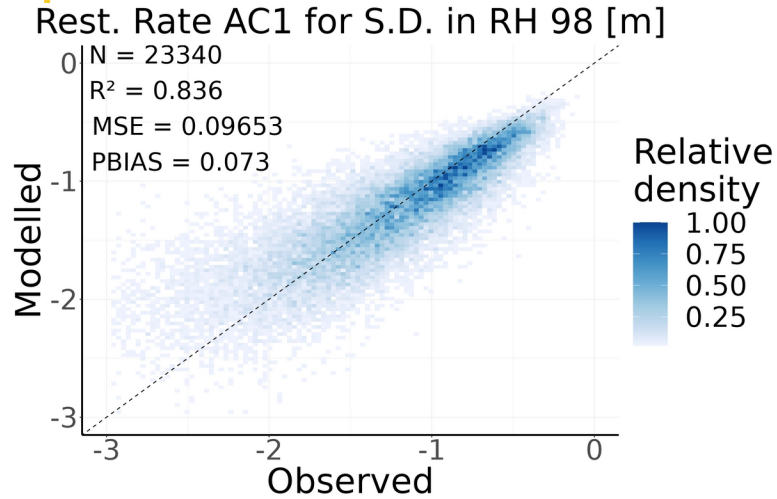
- Build separate models for each diversity metric
- Build separate models for each resilience metric
- Resulting model has high R^2 and low bias
- Different diversity metrics – differences in importance



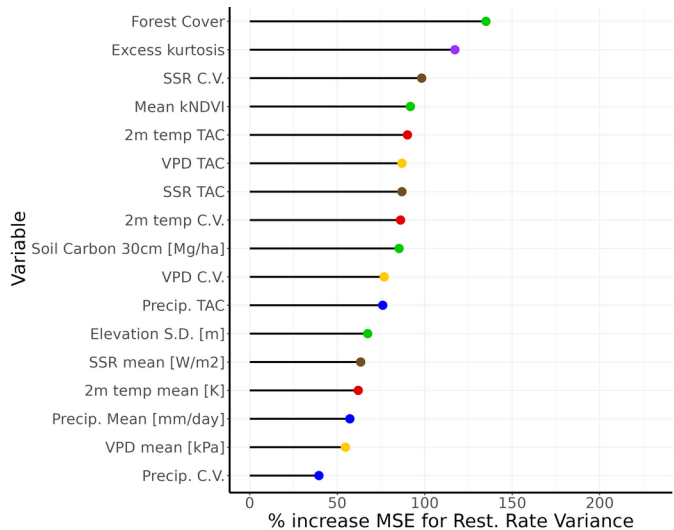
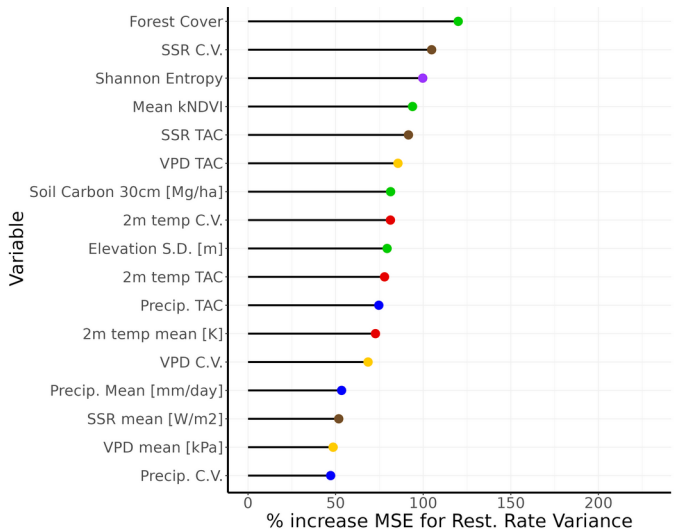
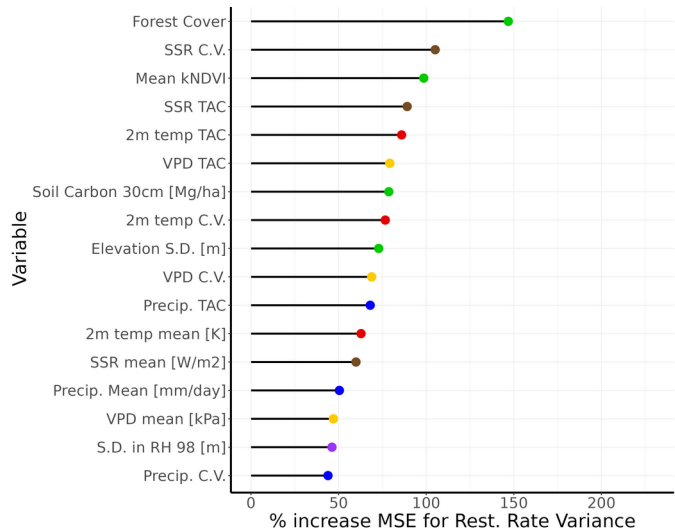
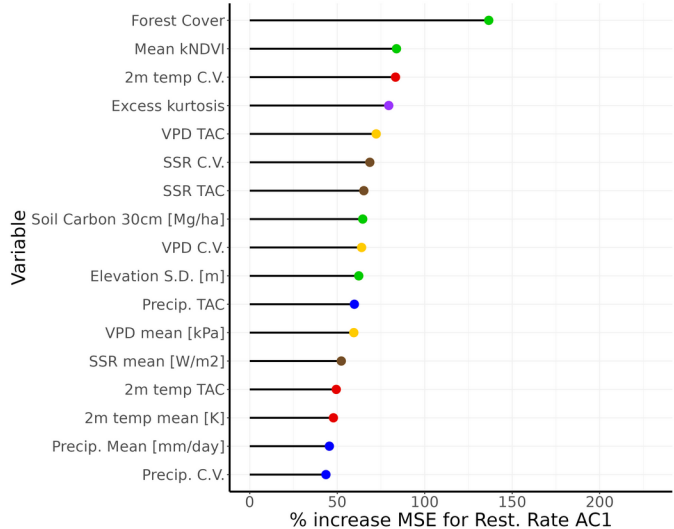
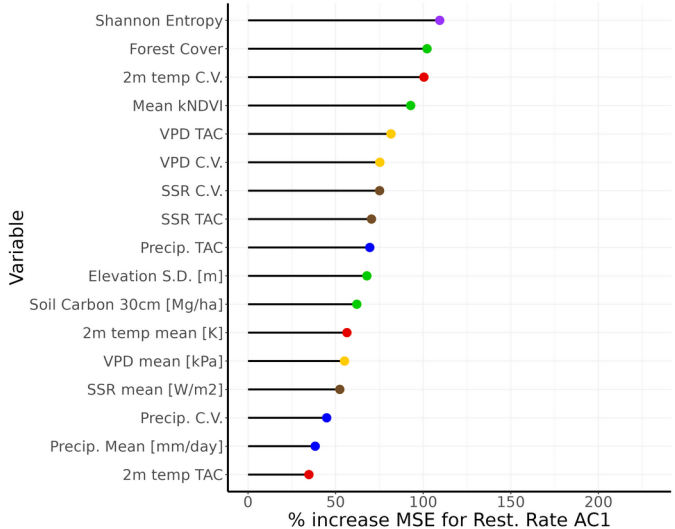
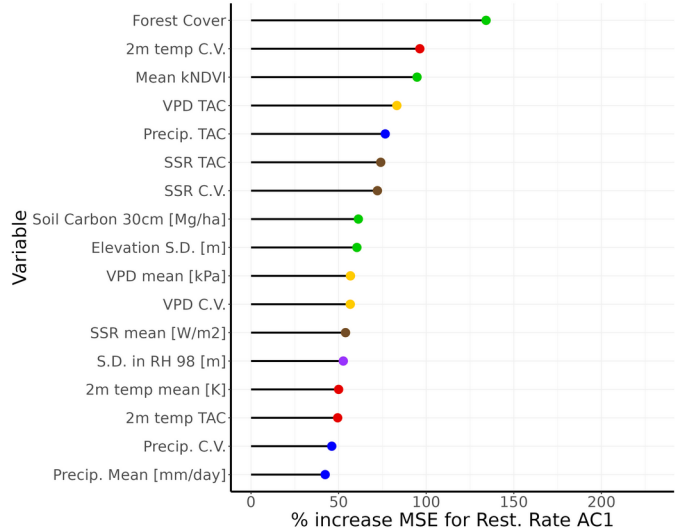
Vegetation resilience



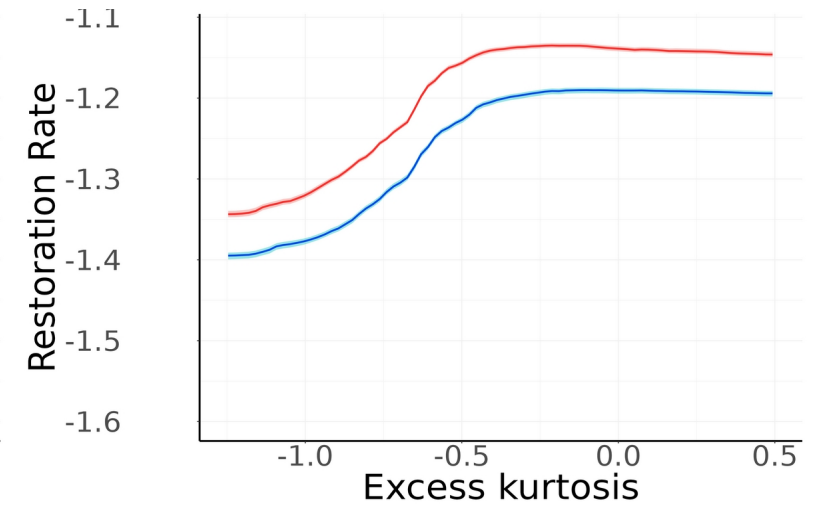
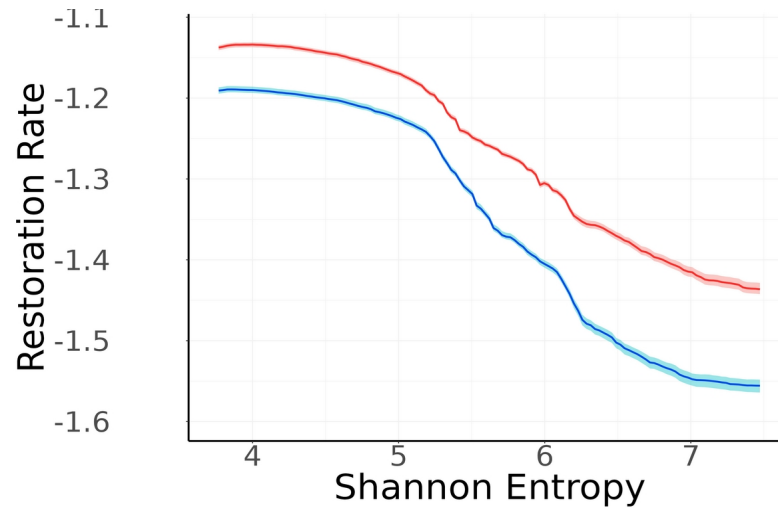
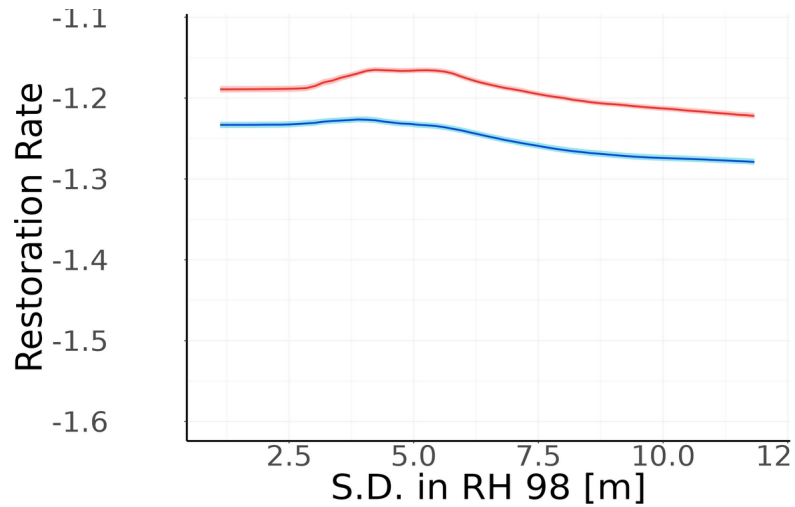
Model Performance



Variable Importance



Diversity-Resilience Relationship



Diversity-Resilience Relationship With Temperature

