

# Introduction

Machine Learning is gaining increasing attention from the scientific community in hydrological and hydraulic research. Data-driven models can help address some of the **most relevant challenges** in flood mapping.

Flood Mapping Challenges		Data-driven models	New challer introduce
+ - × ÷	Computational burden		Generali
	Epistemic uncertainty		Non-ph resu
	Lack of high quality / sparse measurements		Data-driven models reduce the composition required by numerical models and can physical knowledge of the phenomena
	Ungauged basins		hydraulic models already face challenge quality and/or sparse measurements, da more affected by these limitations.

their advantages, data-driven approaches suffer from **poor** Despite generalization capabilities (i.e., difficulty in predicting new, unseen scenarios). Furthermore, their results are often **non-physical**.

# Methodology

We propose introducing physical information, relying on user expertise, into the training phase of **data-driven models** in the form of a **regularization term** of the **loss function**  $\mathcal{L}$ . The similarity with the PINNs approach is limited to the formulation of the modified loss function.

Why physics in data-driven models?

- The intersection between physically based methods and deep learning for modeling complex physics systems is a cutting-edge research field.
- Research on artificial intelligence is moving towards solutions where physics is incorporated into the machine learning training process.

Why PINNs show limited practical uses in the river hydraulic context?

- PINNs are designed as Neural Solvers for differential problems governed by PDEs.
- Every change in the domain requires training a new PINN.
- In case of significant epistemic uncertainty, the governing equations may not be fully known or explicitly available.

## $\mathcal{L} = \lambda \cdot \mathcal{L}_{DD}(y, \hat{y}) + (1 - \lambda) \cdot \mathcal{L}_{P}(x, y, \hat{y})$

-  $\mathcal{L}_{DD}$  is the **data-driven error metric** (e.g. MSE), depending on the true and predicted outputs  $(y, \hat{y})$ ; -  $\mathcal{L}_P$  is a **physical loss term** employing physical principles, laws, and quantities, which are not explicitly formulated in the original dataset, and it can depend also on the inputs x;

-  $\lambda$  is a weighting hyperparameter.

The physical loss term  $\mathcal{L}_{P}$  enriches the information content of the dataset and, in this sense, we can note its similarity to **data augmentation**.

 $\mathcal{L}_P$  does not necessarily resort to PDEs, making it suitable for scenarios with **significant epistemic uncertainties**, such as river hydraulics. The method appears **highly versatile**.



### Reference:



Guglielmo, G., Montessori, A., Tucny, J. M., La Rocca, M., & Prestininzi, P. (2025). A priori physical information to aid generalization capabilities of neural networks for hydraulic modeling. Frontiers in Complex Systems, 2, 1508091.

# **Physically-Enhanced Training of Neural Networks** for Hydraulic Modelling of Rivers and Flood Events



utational cost and time operate without explicit However, while classical s due to the lack of highata-driven models are even

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# 1D Experiment: Varied Flows in river

A highly controllable and informative experiment has been carried out for a synthetic, 1D hydraulic problem: the reconstruction of a steady-state, onedimensional water surface profile in a rectangular channel.



rofile reconstruction: inputs and outputs are depicted orange circles, respectively. Three different approaches and architectures have been used (see the Reference for further details)

Governing equation:

**Specific Ener** 

Additional complexity: Possible presence of a **hydraulic jump** (mixed flow)

### The **physical training strategies** consist in exploiting the local values of the:



Paralleling challenges often encountered in flood mapping applications, we tested the model:

reducing the training data size

- in extrapolation



# Authors: <u>Gianmarco Guglielmo<sup>1</sup></u> and Pietro Prestininzi<sup>1</sup>

<sup>1</sup> Roma Tre University, Department of Civil, Computer Science, and Aeronautical Technologies, Rome, Italy

ergy equation 
$$\frac{dE}{dx} = S$$
 –

### DEEP LEARNING ARCHITECTURE: FFNN

Specific energy (EN)

$$\mathcal{L}_P = \frac{\sum_{i=1}^N (E(h_i) - E(\overline{h}_i))^2}{N}$$

Froude number (FR)

$$\mathcal{L}_P = \frac{\sum_{i=1}^{N} (Fr(h_i) - Fr(\overline{h}_i))^2}{N}$$

which are used as conveyors of physical information in the Loss.

Typical outcome of the comparison between the employed models (DD, EN, and FR), and the reference solution (FD



Why this kind of assessment ? of great relevance to the application of NNs to flood mapping, where small datasets are available and cases featuring values of the observed quantities falling out of the range of the recorded series need to be predicted



We investigate whether incorporating physics-based training strategies can enhance generalization to unseen catchments without resorting to model **retraining**. This task remains a significant challenge for ML-based flood models.



Static Inputs:







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## 2D Experiment: Catchment Generalizability

DEEP LEARNING ARCHITECTURE: CNN ENCODER-DECODER

Ground-truth flood maps are generated with HEC-RAS simulations for ten rainfall intensities, each run until **steady-state conditions** are reached.

Sharing is

encouraged