COSMO-FOG: numerical short range fog forecast with 3D fog forecast model

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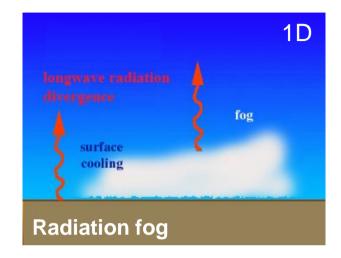
³ Institute for Atmospheric and Climate Science, ETH Zürich, Switzerland

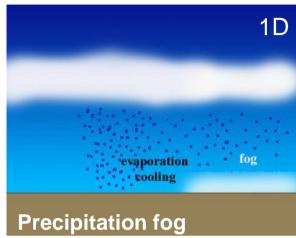
Fog Formation

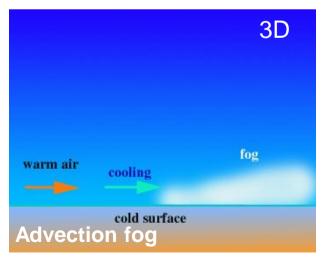


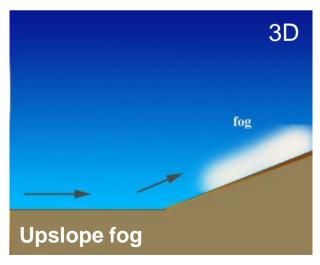
- Cooling
- Moistening
- Turbulent Mixing

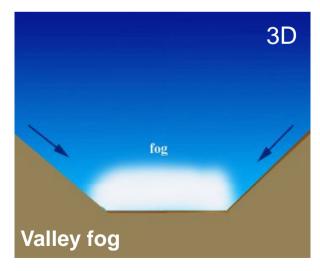
Reach saturation













Source figures: R. Tardiff's Website

3D FOG Model = COSMO + PAFOG

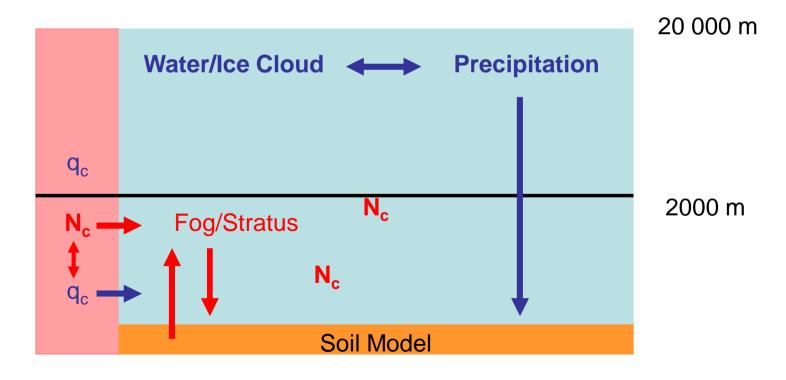
$$\frac{\partial N_c}{\partial t} = ADV(N_c) + DIF(N_c) + \left(\frac{\partial N_c}{\partial t}\right)_{sed} + \sigma(N_c)$$

$$\frac{\partial q_c}{\partial t} = ADV(q_c) + DIF(q_c) + \left(\frac{\partial q_c}{\partial t}\right)_{sed} + \sigma(q_c)$$

Droplet number concentration

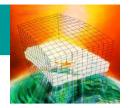
Liquid Water Content

LM-Dynamics PAFOG-Microphysics





PAFOG Microphysics



$$\frac{\partial N_c}{\partial t} = \left(\frac{\partial N_c}{\partial t}\right)_{act} + \Delta \left(\overline{S}\right) \left(\frac{\partial N_c}{\partial t}\right)_{eva} + \left(\frac{\partial N_c}{\partial t}\right)_{sed} + \left(\frac{\partial Q_c}{\partial t}\right)_{con/eva} + \left(\frac{\partial Q_c}{\partial t}\right)_{sed}$$

$$\Delta(\overline{S}) = \begin{cases} 1, if(\overline{S}) < 0 \\ 0, if(\overline{S}) \ge 0 \end{cases}$$

Supersaturation S

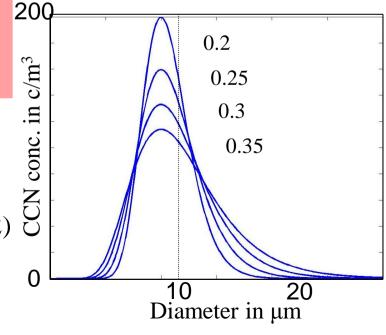
Assumption for droplet spectra : Log-normal
$$dN_c = \frac{N_c}{\sqrt{2\pi\sigma_c D}} \exp\left(-\frac{1}{2\sigma_c} \ln^2\left(\frac{D}{D_{c,0}}\right)\right) dD$$

$$D \text{ droplet diameter}$$

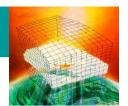
$$D_{c,0} \text{ mean value of D}$$

$$\sigma_c \text{ standard deviation of size distribution } (\sigma_c = 0.2)$$





PAFOG Microphysics



1- Activation [Twomey (1954)]:



$$N_{act} = N_a S^k$$



k and N_a depend on their environment (maritime, rural, urban)

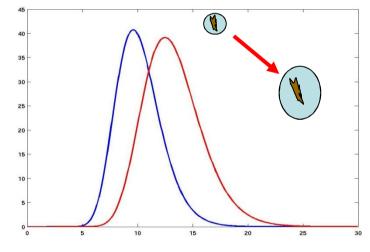


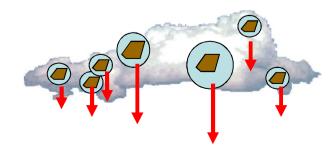
- 2a-Detailed Condensation/Evaporation: parametrised Köhler relation [Chaumerliac et al. (1987) and Sakakibara (1979)]
- 2b-Time dependent relation between supersaturation S and diameter D

$$\frac{dD}{dt} = A \frac{S}{D}$$

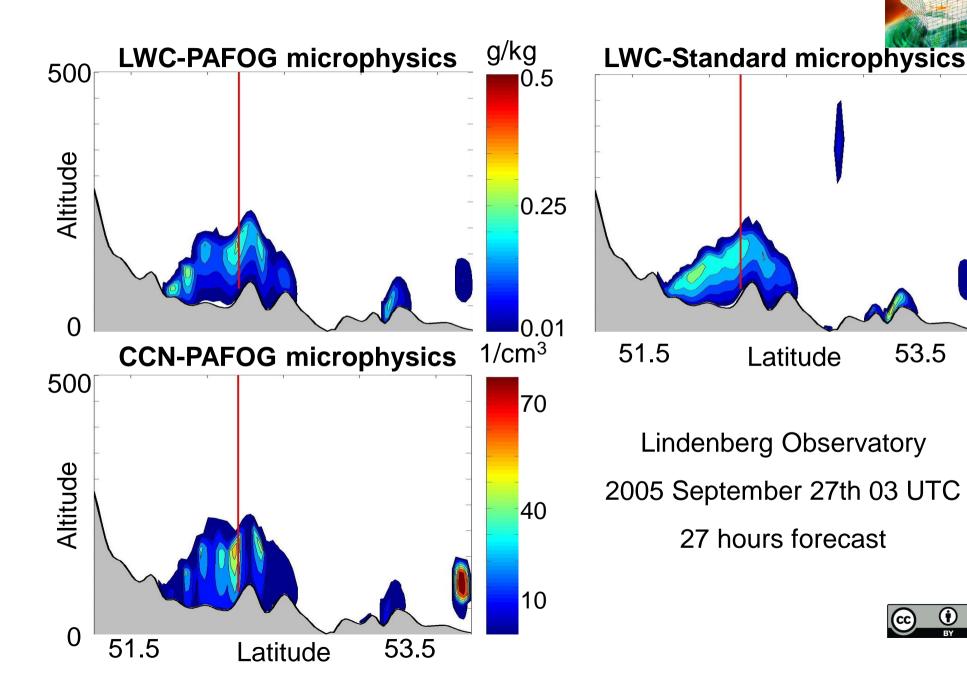
3-Droplet size dependent sedimentation [Berry and Pranger 1974]

Positive Definite Advection Scheme [Bott (1989)]

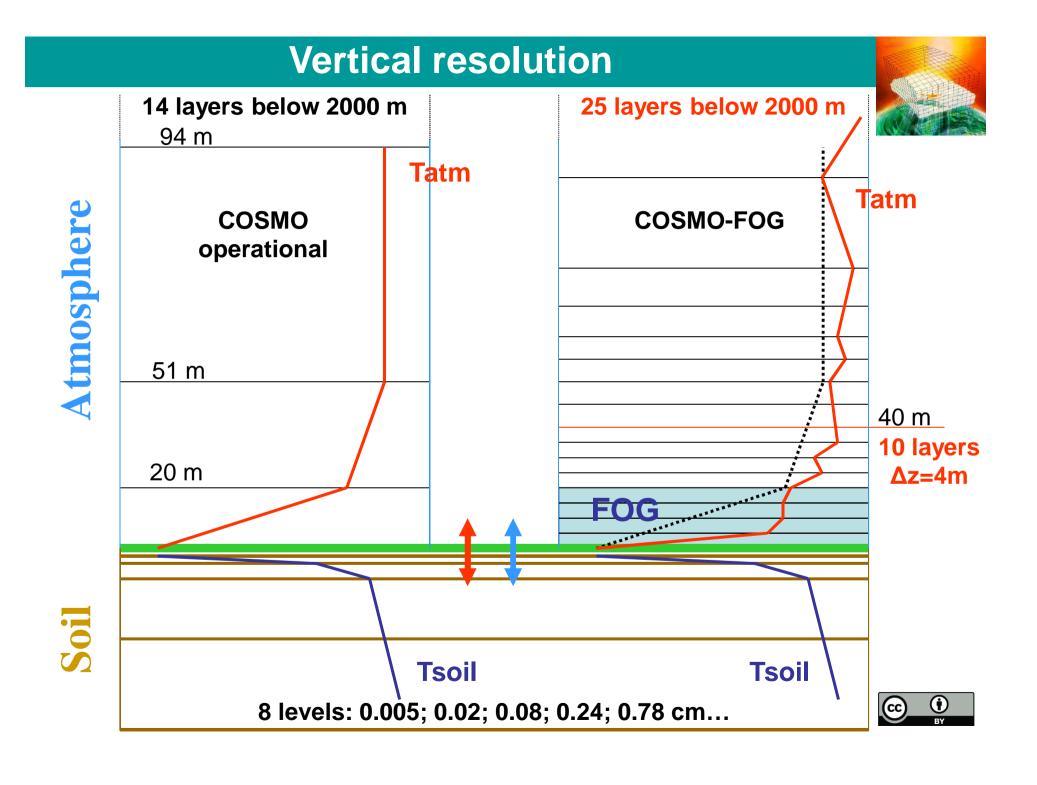




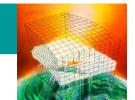
STANDARD-PAFOG Microphysics



53.5



Turbulence Scheme



Turbulent mixing terms are given by a flux gradient relation

$$M_{T} = \frac{1}{\rho\sqrt{G}} \frac{\partial}{\partial \zeta} \left(\frac{\rho \pi K_{H}}{\sqrt{G}} \frac{\partial \theta}{\partial \zeta} \right)$$

$$M_{q^{x}} = \frac{1}{\rho\sqrt{G}} \frac{\partial}{\partial \zeta} \left(\frac{\rho K_{H}}{\sqrt{G}} \frac{\partial q^{x}}{\partial \zeta} \right)$$

$$M_{u} = \frac{1}{\rho\sqrt{G}} \frac{\partial}{\partial \zeta} \left(\frac{\rho K_{M}}{\sqrt{G}} \frac{\partial u}{\partial \zeta} \right)$$

$$M_{v} = \frac{1}{\rho\sqrt{G}} \frac{\partial}{\partial \zeta} \left(\frac{\rho K_{M}}{\sqrt{G}} \frac{\partial v}{\partial \zeta} \right)$$

Parametrized following Mellor and Yamada(1982)

2.5th-Order

(Raschendorfer, 2001)



Modification of Turbulence Scheme



Collaboration with Olivier Fuhrer, Meteoswiss

Step 1:

replace semi-implicit calculation of the TKE diffusion term by a implicit calculation

Step 2: Based on the work of M. Buzzy, 2008

Instability due to wind Shear term:

$$G_{M} \equiv \frac{\lambda^{2}}{q^{2}} \left[\left(\frac{\partial}{\partial z} u \right)^{2} + \left(\frac{\partial}{\partial z} v \right)^{2} \right]$$

Filtering the wind gradient before evaluating the stability function

$$f_k^{new} = 0.5 f_k + 0.2 (f_{k-1} + f_{k+1}) + 0.05 (f_{k-2} + f_{k+2})$$

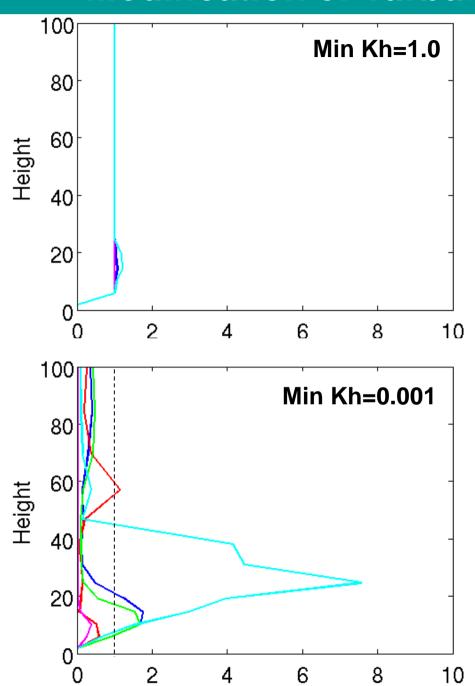
More details about problem of the instability in stable turbulence regime.

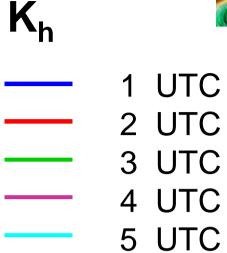
See Buchard and Deleersnijder 2001, Mellor 2003, Buzzi 2008



Modification of Turbulence Scheme



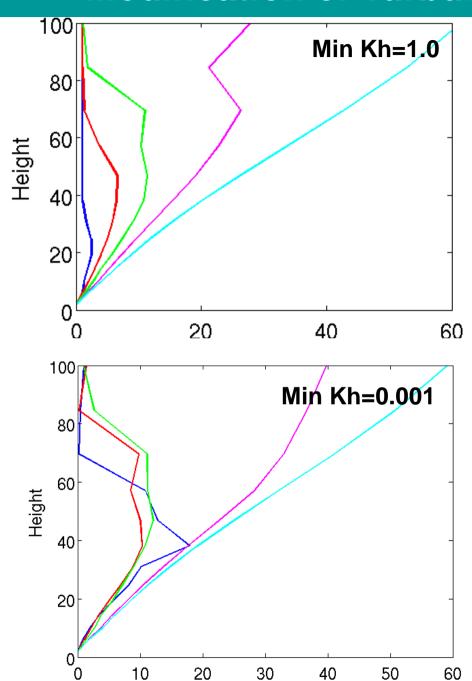


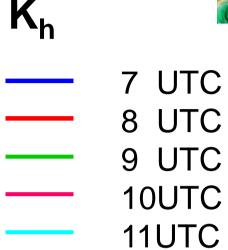




Modification of Turbulence Scheme









Lindenberg, Cabauw & Zürich





3 Sites:

- Cabauw (the Netherlands), flat terrain.
- Lindenberg (Germany), bumpy terrain, alt: 0-500 m. (results not shown)
- Zürich (Switzerland), mountaineous terrain, alt: 200-3000 m.

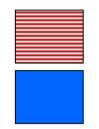
Weather Situation:

- 1st-15th October 2005
- High Pressure System over Europe (Omega weather situation)
- No cloud cover

only Radiative fog & valley fog

Comparison with MSG satellite product for fog and low stratus

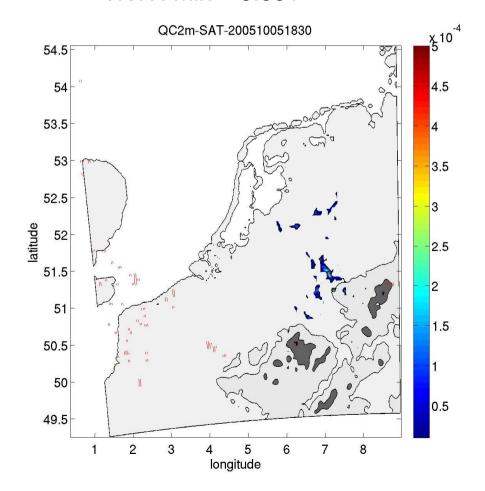
Cabauw- 05 October 2005 18:30 UTC



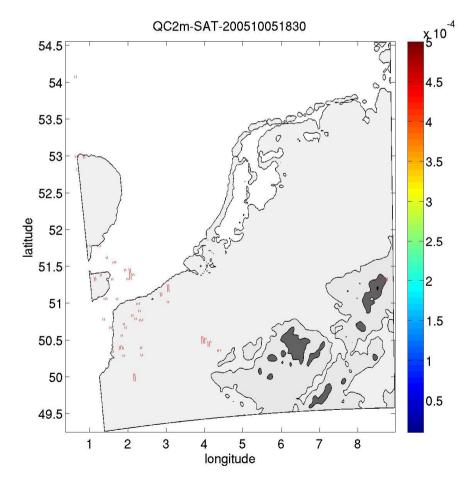
MSG-product for fog and low stratus



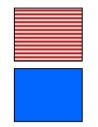
TKVH min = 0.001



TKVH min = 0.7



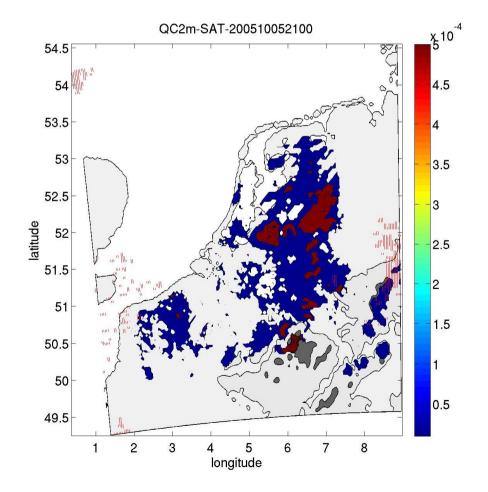
Cabauw- 05 October 2005 21:00 UTC



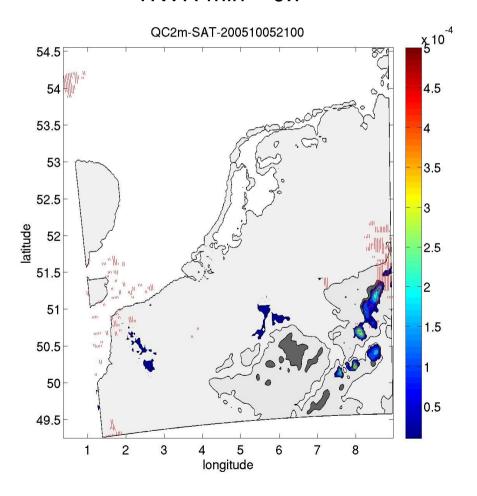
MSG-product for fog and low stratus



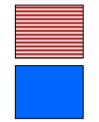
TKVH min = 0.001



TKVH min = 0.7



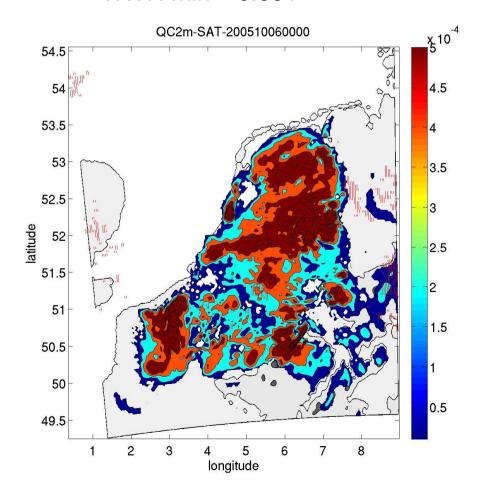
Cabauw- 06 October 2005 00:00 UTC



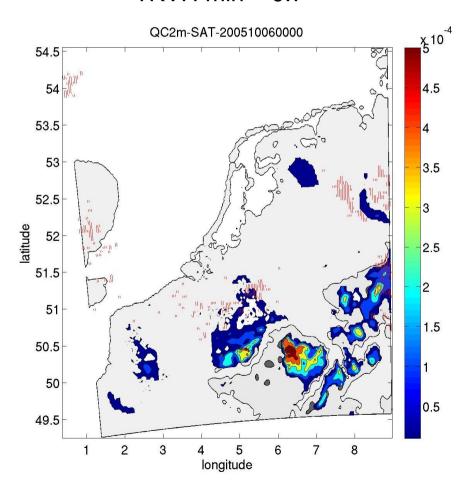
MSG-product for fog and low stratus



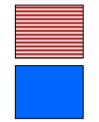
TKVH min = 0.001



TKVH min = 0.7



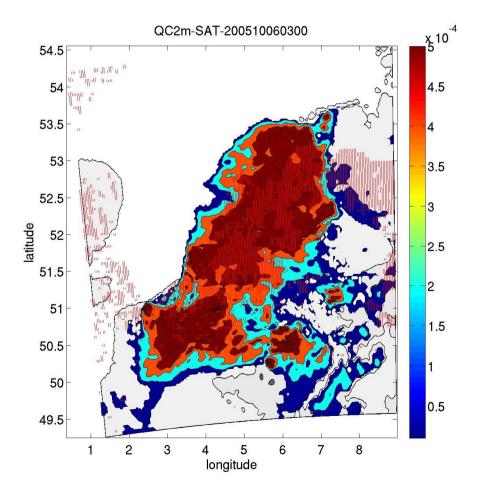
Cabauw- 06 October 2005 03:00 UTC



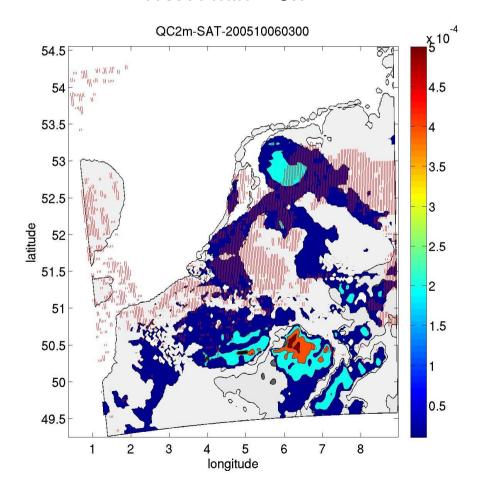
MSG-product for fog and low stratus



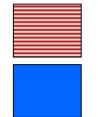
TKVH min = 0.001



TKVH min = 0.7



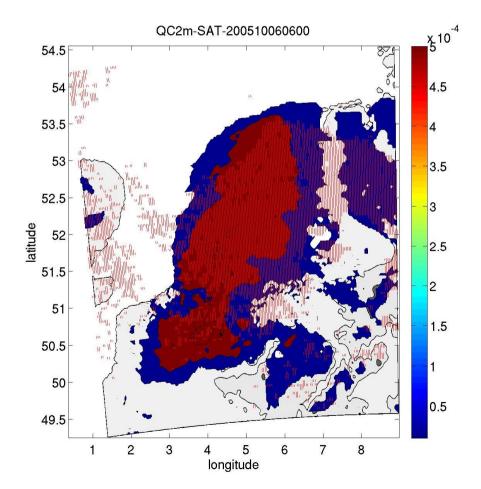
Cabauw- 06 October 2005 06:00 UTC



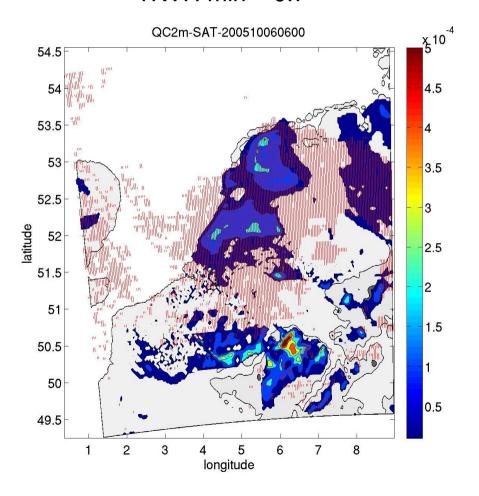
MSG-product for fog and low stratus



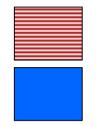
TKVH min = 0.001



TKVH min = 0.7



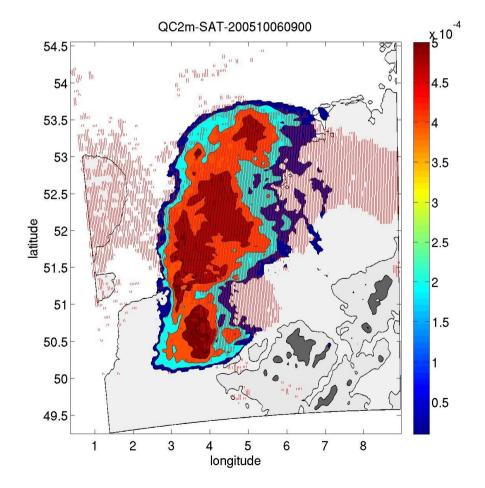
Cabauw- 06 October 2005 09:00 UTC



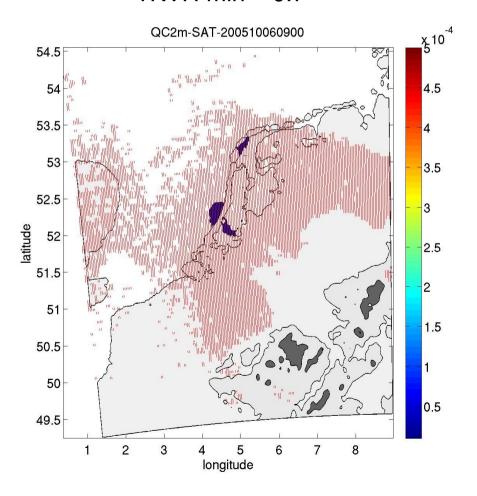
MSG-product for fog and low stratus



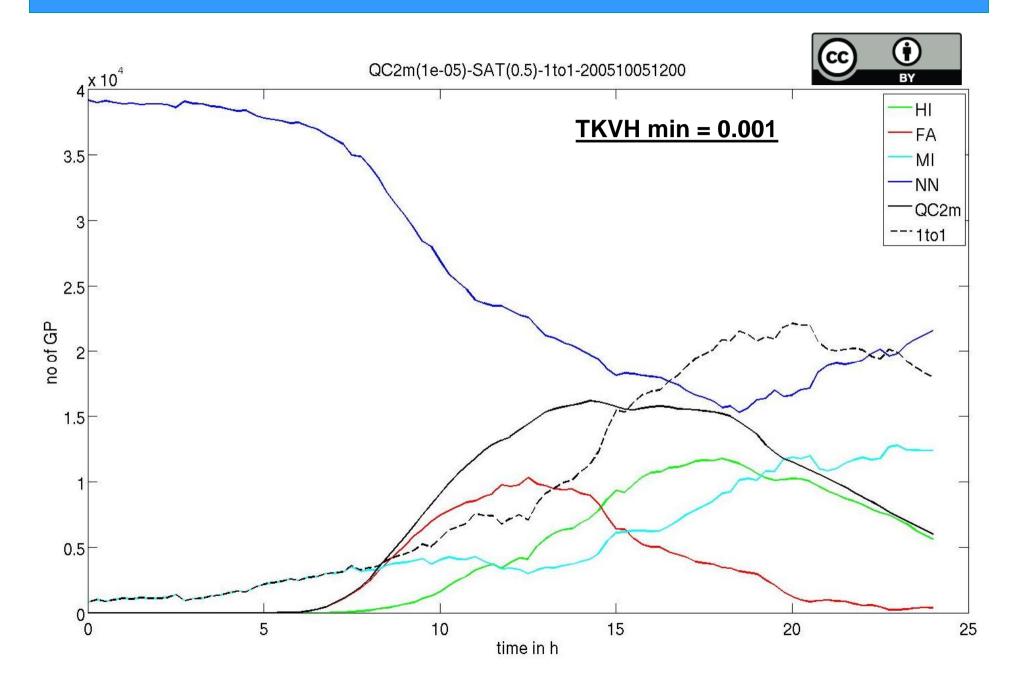
TKVH min = 0.001



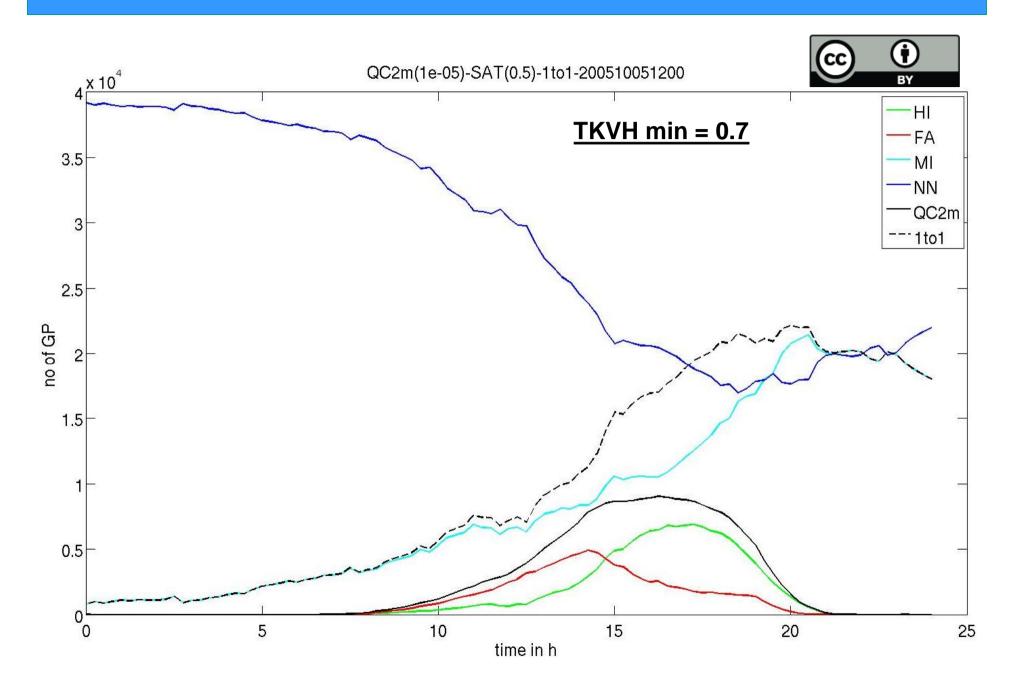
TKVH min = 0.7



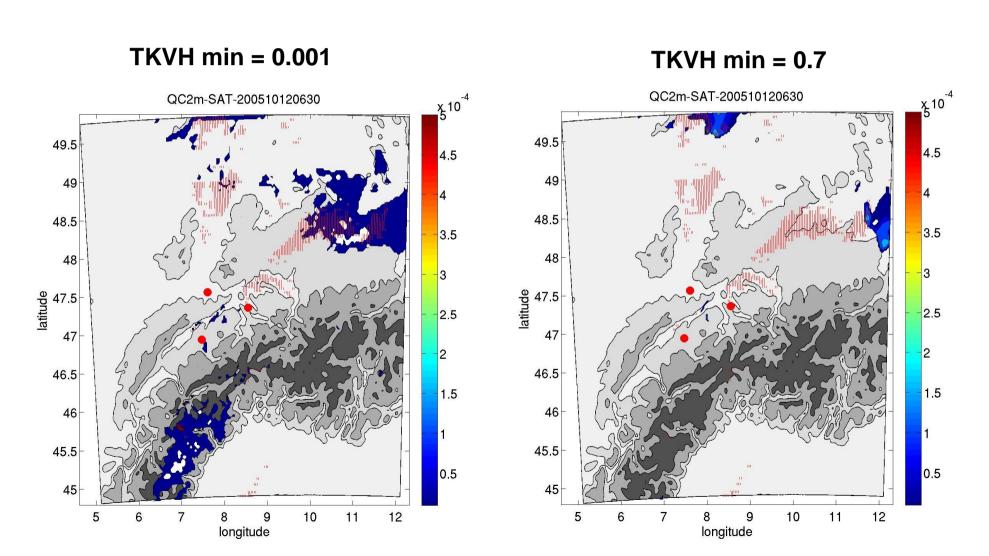
Cabauw- 05 October 12UTC-24hours



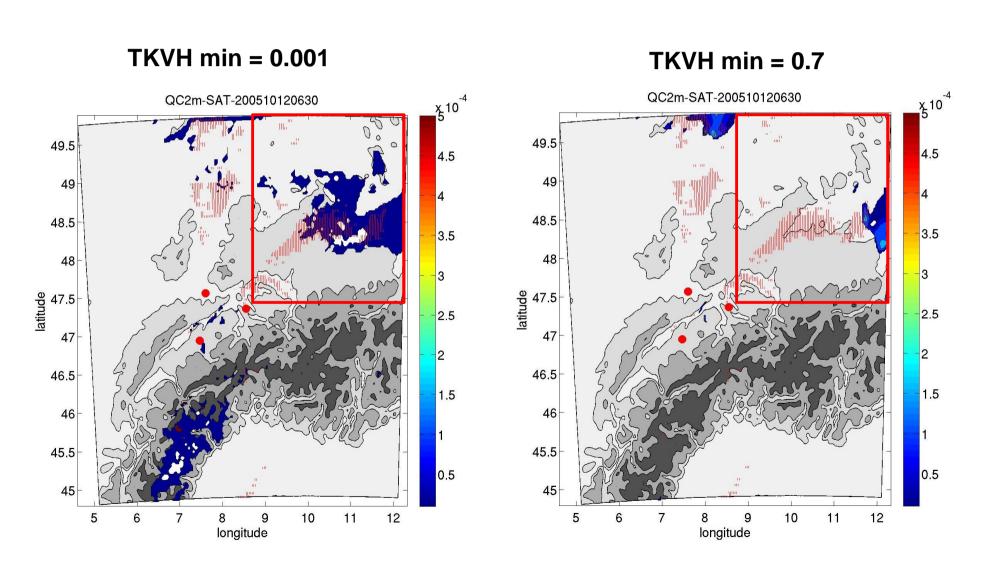
Cabauw- 05 October 12UTC-24hours



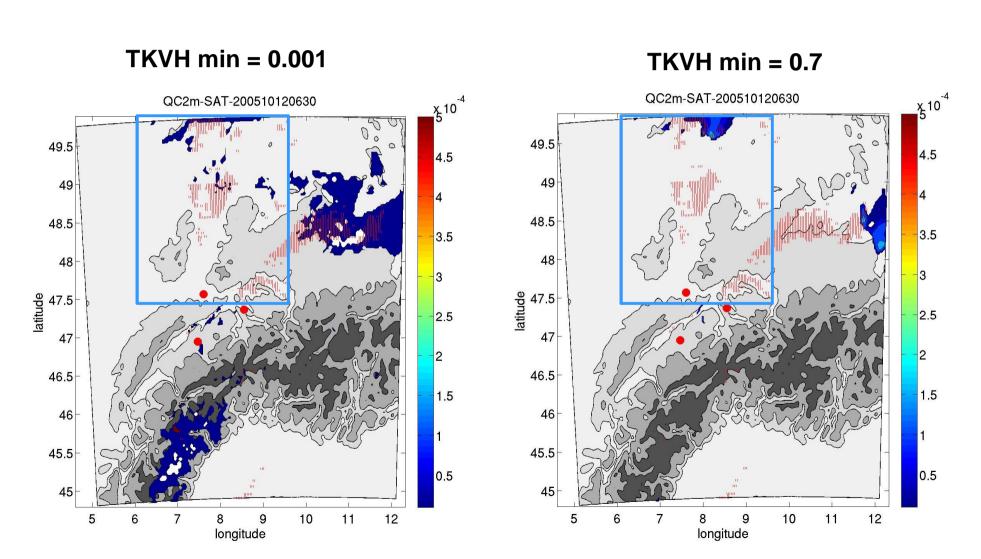








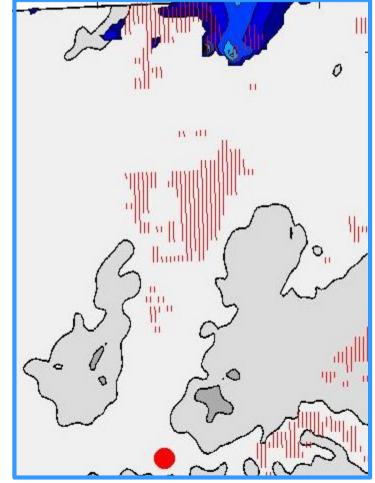




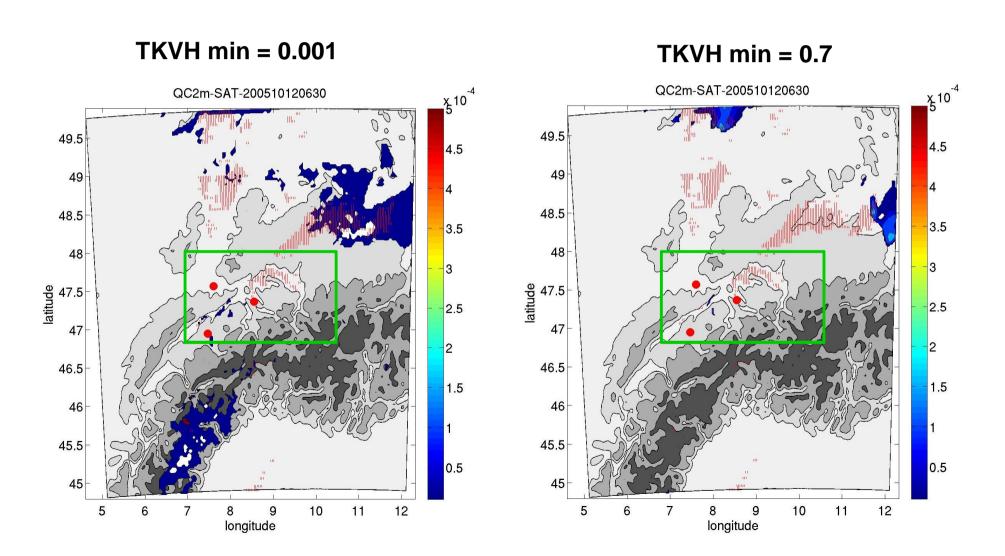


TKVH min = 0.001

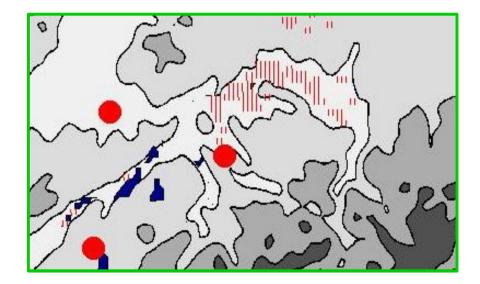
TKVH min = **0.7**



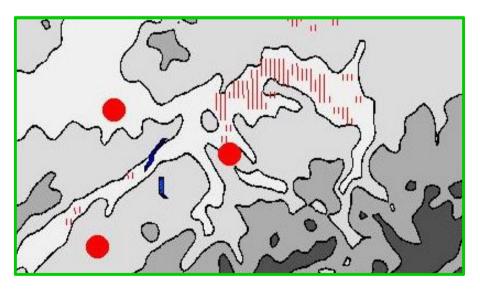




TKVH min = 0.001



TKVH min = 0.7





CONCLUSION

- COSMO-FOG = 3D COSMO + PAFOG
- Implementation of new turbulent diffusion scheme
- Turbulent Scheme very sensitive of TKVH min value
- Forecasted fog at 3 different terrains with same setup

Outlook

- Sensitivity study of TKVH and TKVM min values
- Sensitivity study of microphysic parameters
- longer verification period

