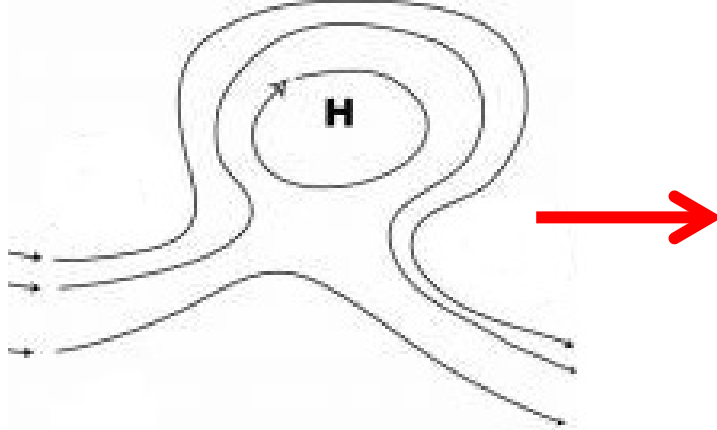
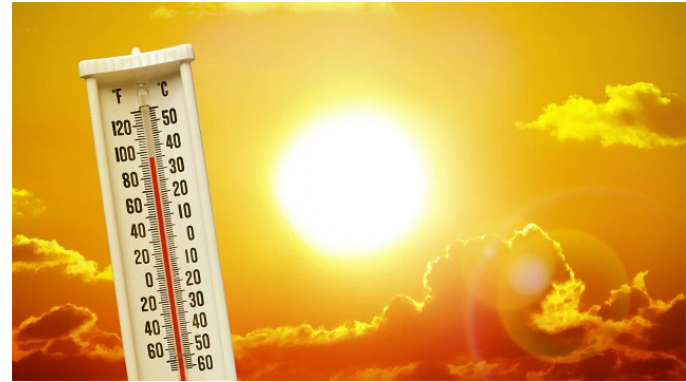




Blocking



Heatwaves

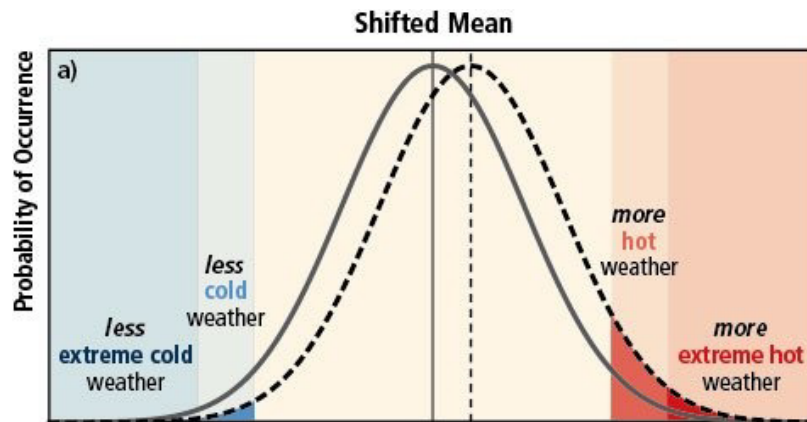


Significant slope change but **insignificant correlation change**
between heatwaves and blocking under future global warming

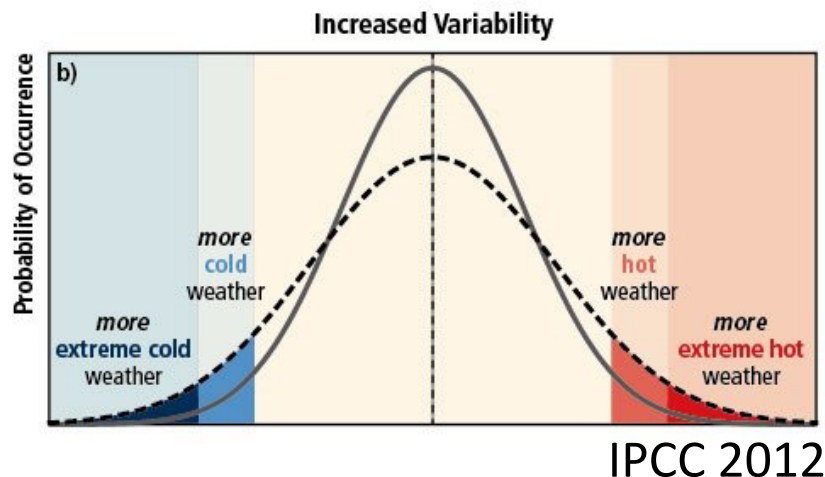
Pak Wah CHAN

Collaborators: Jilin Zhang, Jennifer Catto, Matthew Collins

Factors in heatwave frequency



Mean: Easy to adapt



Variability: Hard to adapt

Heatwave definition

- **CMIP6** daily: $T_{2m,max}$
- Seasonal cycle and **long-term trend removed**
- Land only, summer (Jun 20 – Aug 18)
- **Heatwaves:** $T_{2m,max}$ exceed 90th percentile for 6+ days
- **Historical** percentile

ETCCDI Climate Change Indices

Climate Change Indices
Definitions of the 27 core indices

1. FD, Number of frost days: Annual count of days when TN (daily minimum temperature) < 0°C.
Let T_{Nij} be daily minimum temperature on day i in year j . Count the number of days where:
 $T_{Nij} < 0^\circ\text{C}$.
2. SU, Number of summer days: Annual count of days when TX (daily maximum temperature) > 25°C.
Let T_{Xij} be daily maximum temperature on day i in year j . Count the number of days where:
 $T_{Xij} > 25^\circ\text{C}$.
3. ID, Number of icing days: Annual count of days when TX (daily maximum temperature) < 0°C.
Let T_{Xij} be daily maximum temperature on day i in year j . Count the number of days where:
 $T_{Xij} < 0^\circ\text{C}$.
4. TR, Number of tropical nights: Annual count of days when TN (daily minimum temperature) > 20°C.
Let T_{Nij} be daily minimum temperature on day i in year j . Count the number of days where:
 $T_{Nij} > 20^\circ\text{C}$.

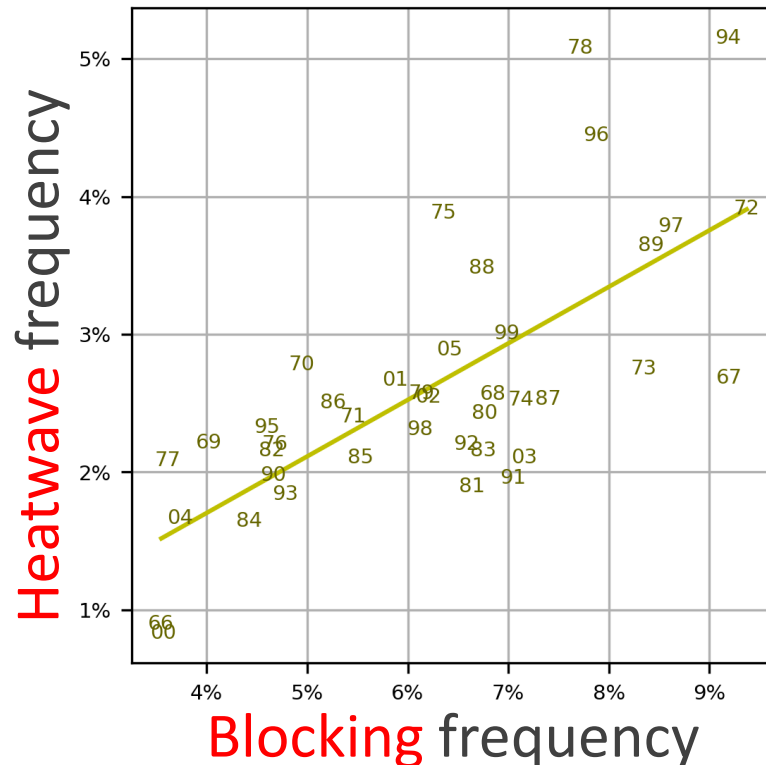
14. WSDI, *Warm spell duration index*: Annual count of days with at least 6 consecutive days when $TX > 90^{\text{th}}$ percentile

Let TX_{ij} be the daily maximum temperature on day i in period j and let TX_{in90} be the calendar day 90th percentile centred on a 5-day window for the base period 1961-1990. Then the number of days per period is summed where, in intervals of at least 6 consecutive days:

$$TX_{ij} > TX_{in90}$$

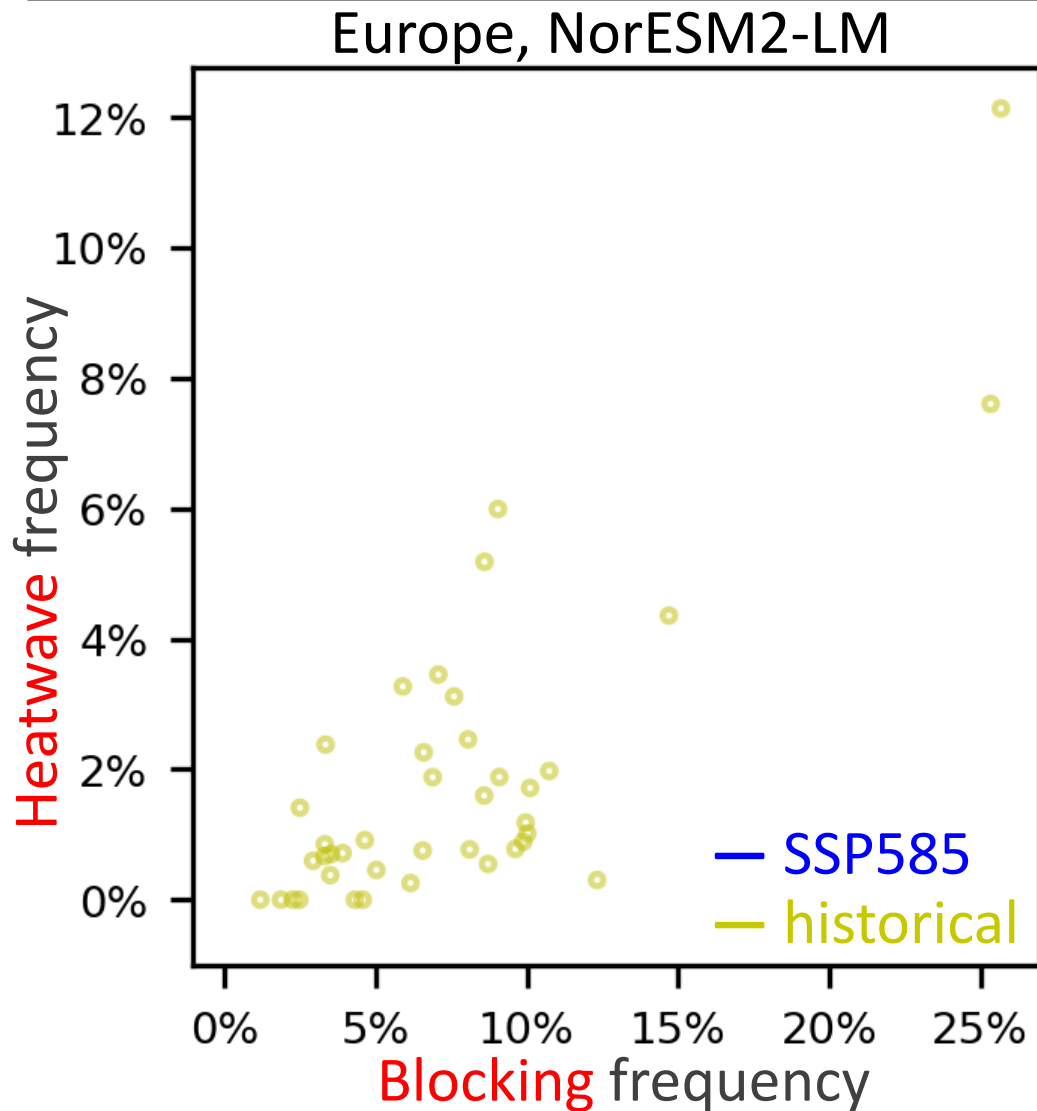
Optimized blocking index

- Maximizes corr (heatwave, blocking)
[framework from [Chan et al. 2019 GRL](#)]
- Optimized blocking index
:= Dole & Gordon 1983 (anomaly-based) with $A=1$ stdev, $D=5$ days



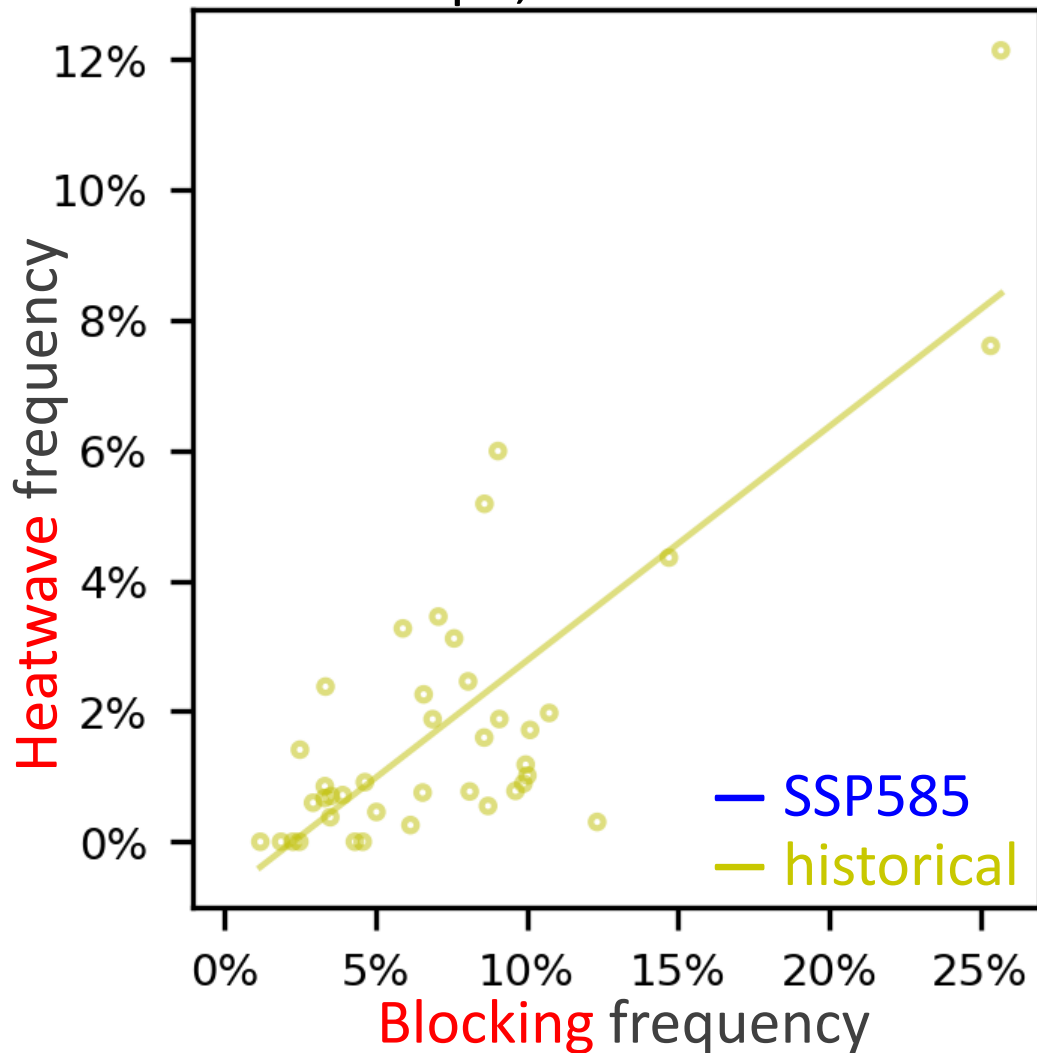
$r = 0.74$

Europe in one CMIP6 model



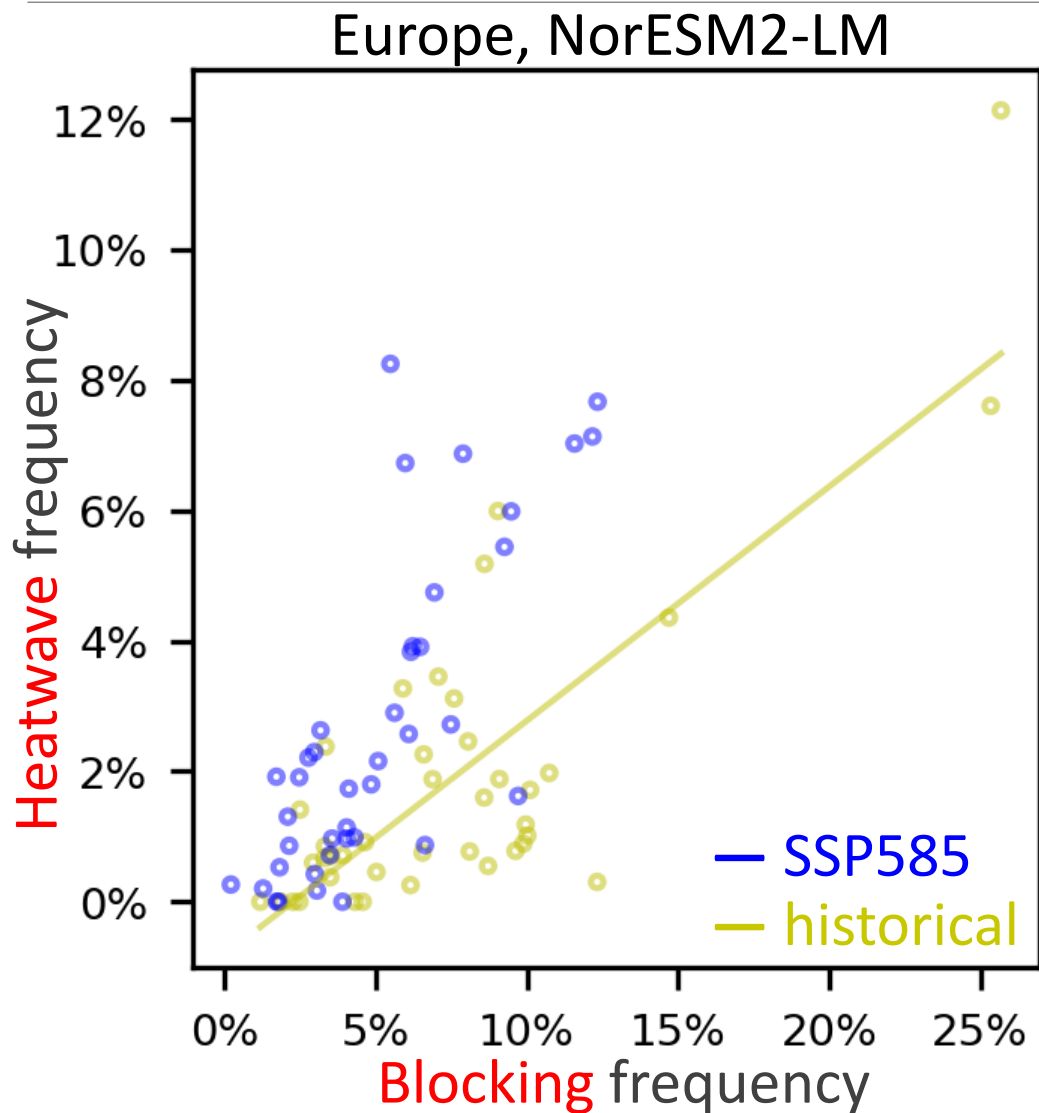
Europe in one CMIP6 model

Europe, NorESM2-LM

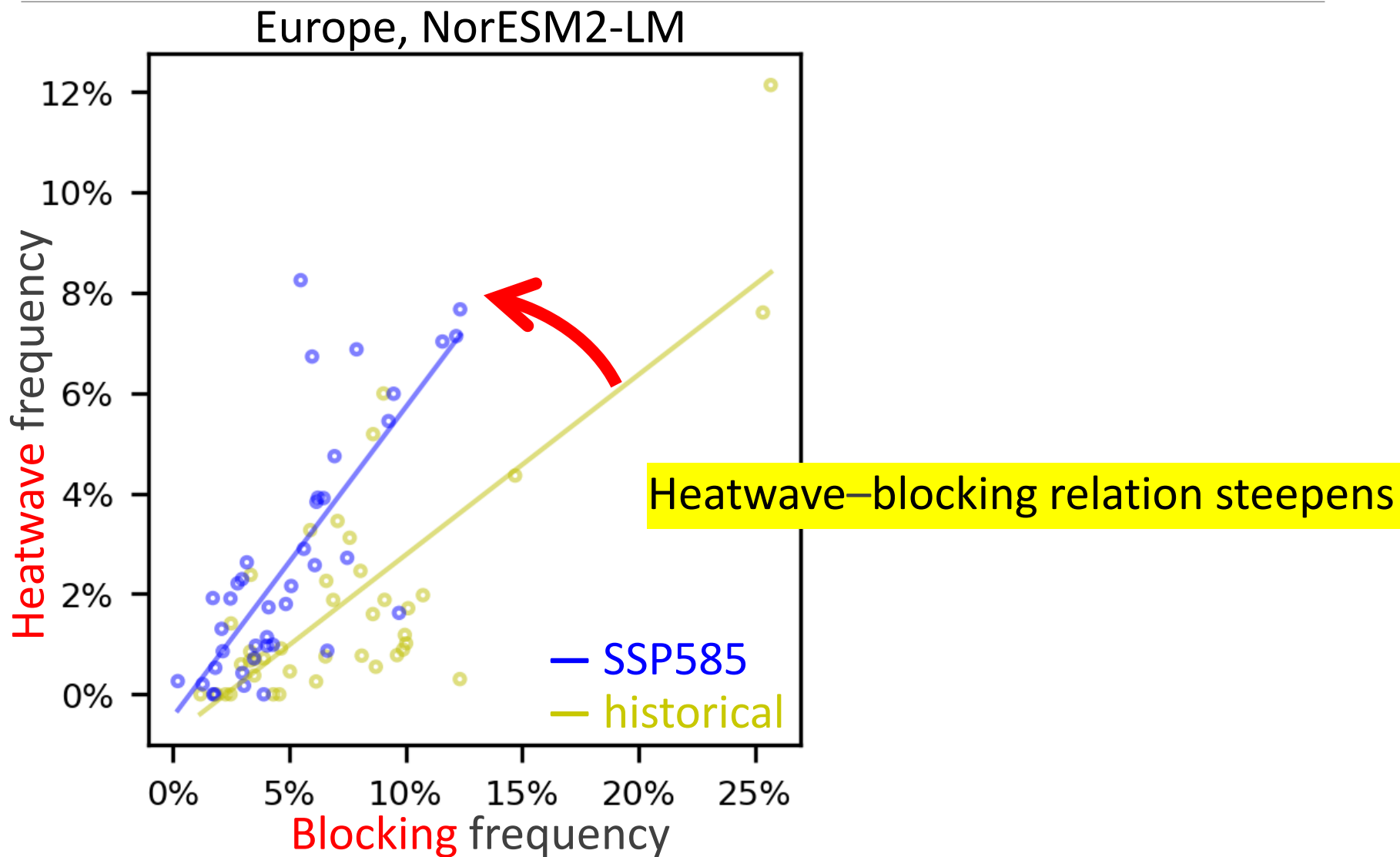


Linear regression

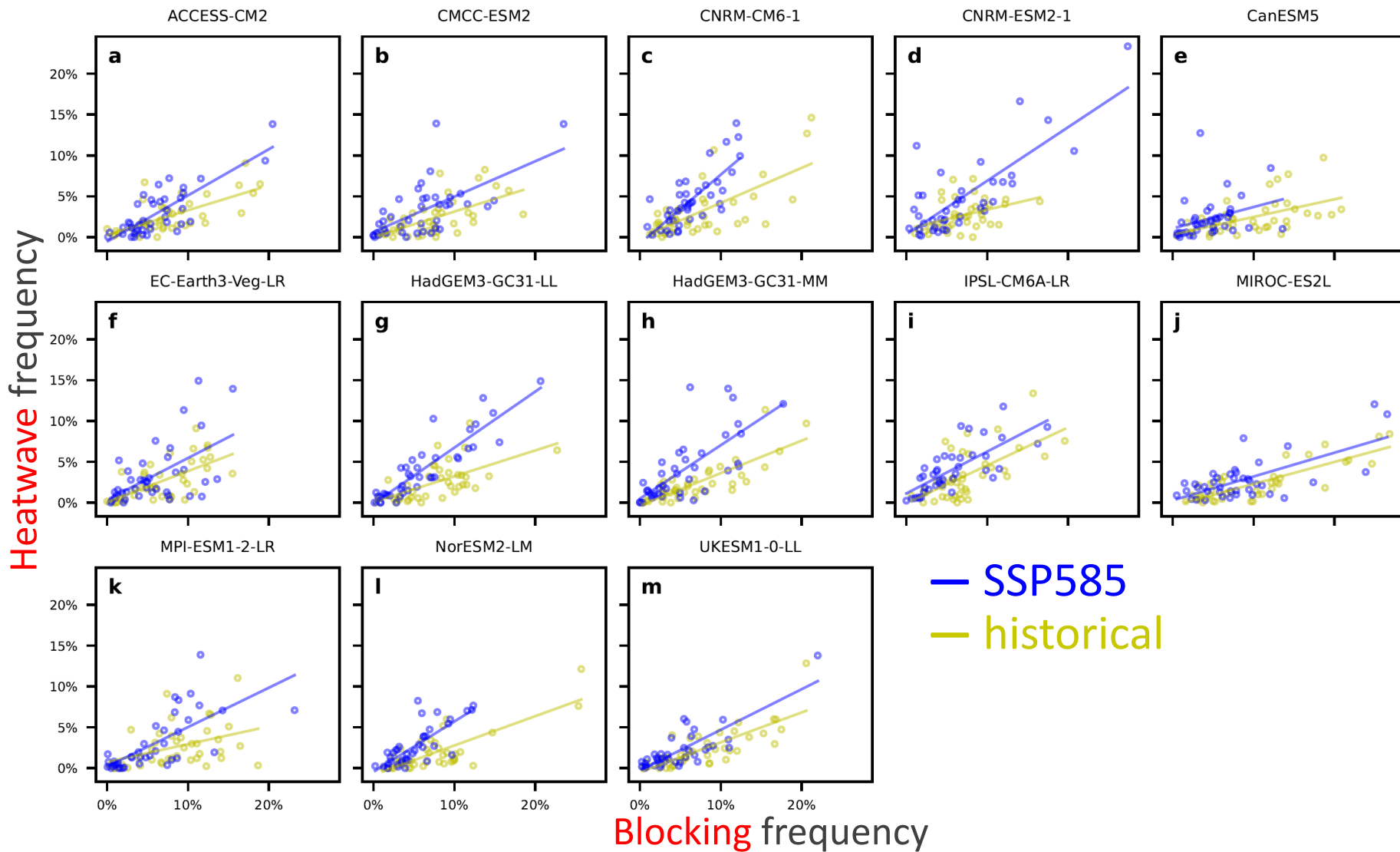
Europe in one CMIP6 model



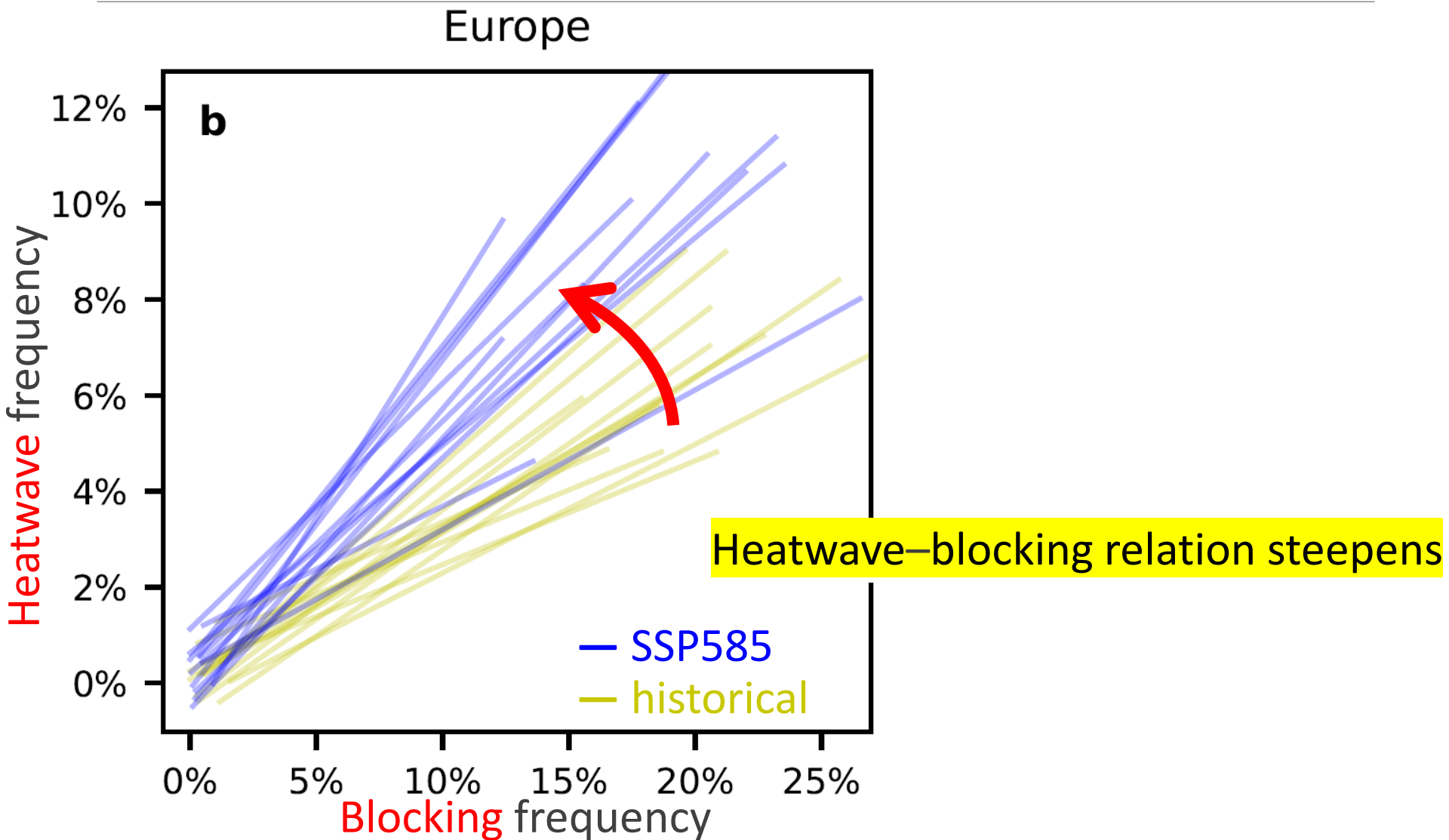
Europe in one CMIP6 model



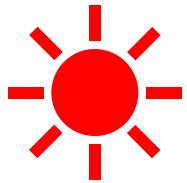
Europe in 13 CMIP6 models



Europe in 13 CMIP6 models



Heatwave–blocking relation steepens



(Conventional wisdom)

Larger portion
as latent heat flux

Temperature
less sensitive to
solar forcing

Smaller portion
as latent heat flux

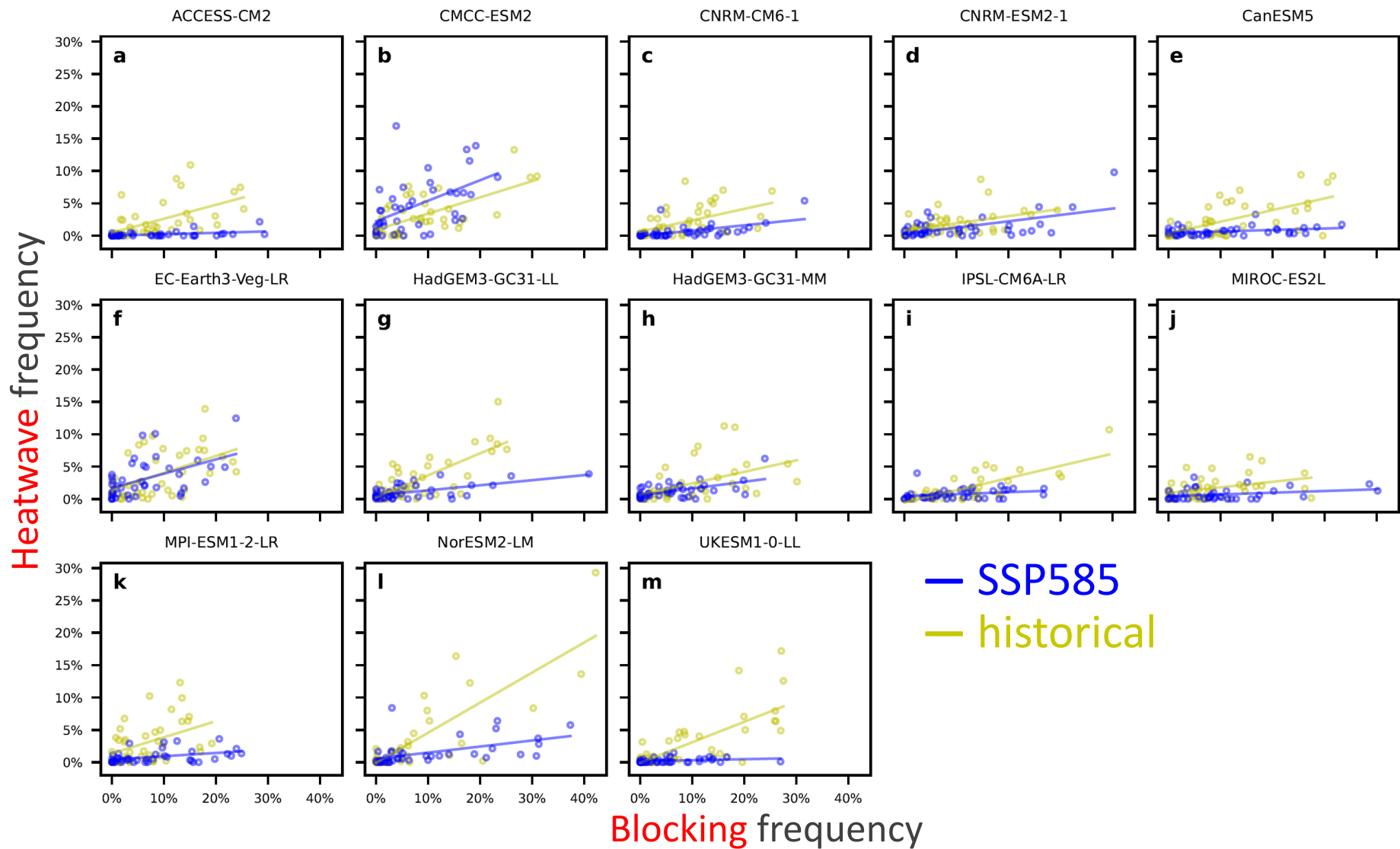
Temperature
more sensitive to
solar forcing



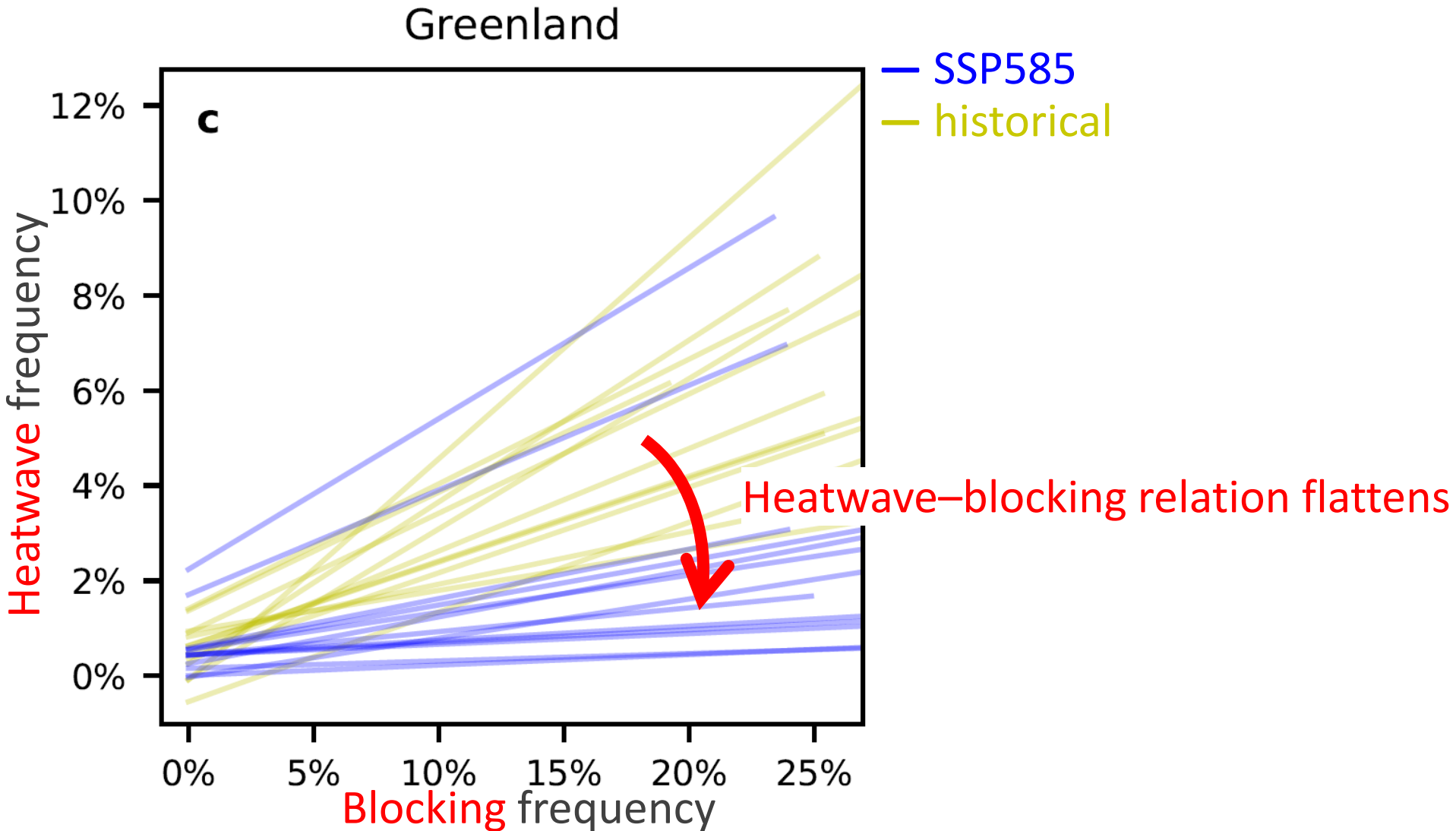
historical

SSP585

Greenland in 13 CMIP6 models

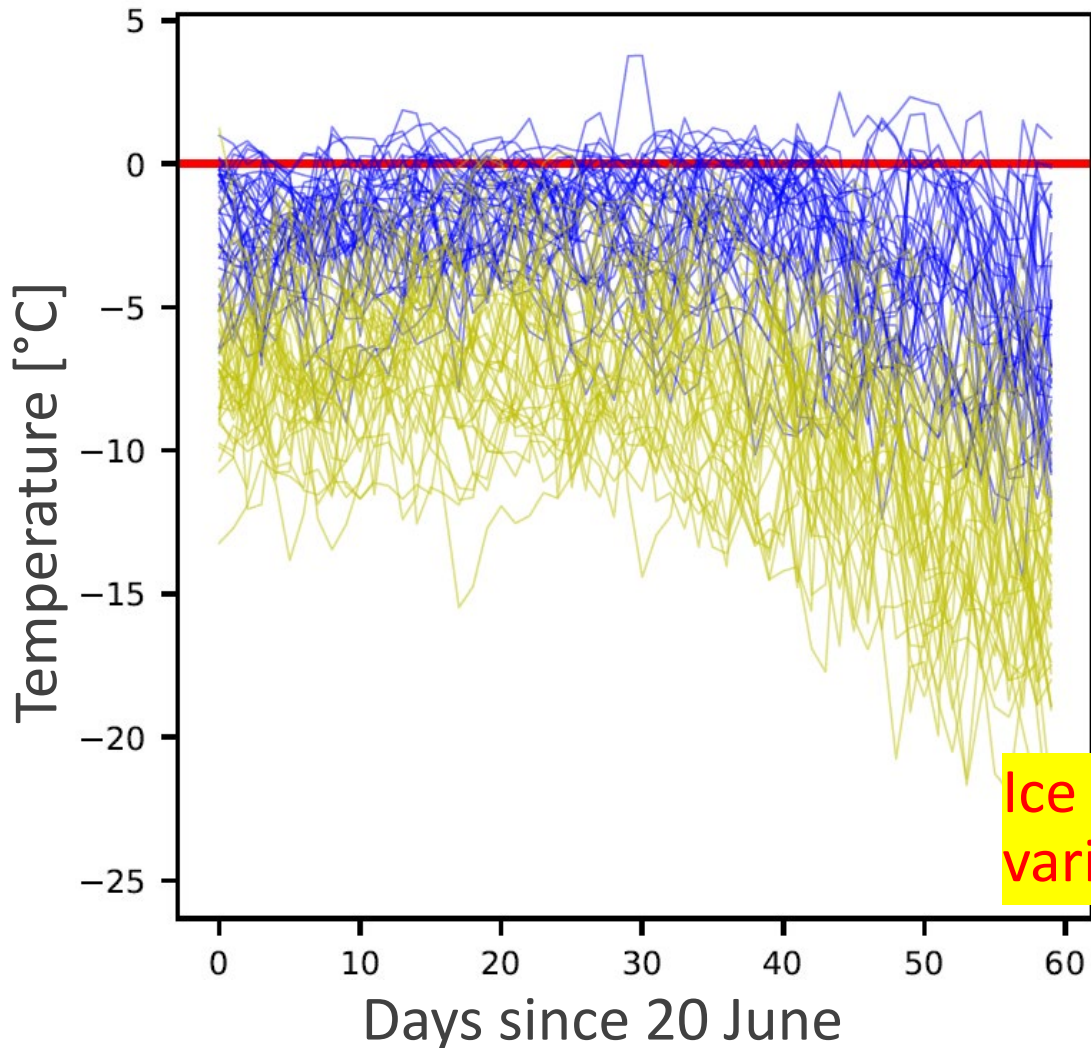


Greenland in 13 CMIP6 models

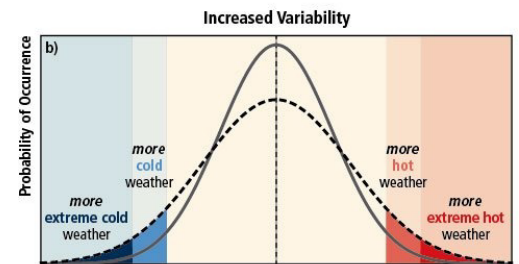
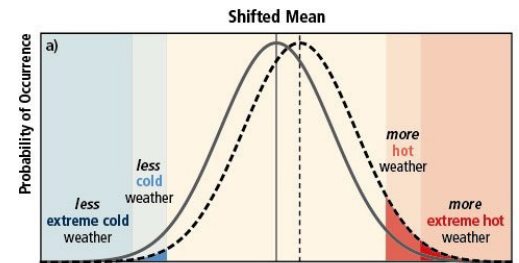


Greenland: Why relation flattens

77N 42W (Greenland)



— SSP585
— historical



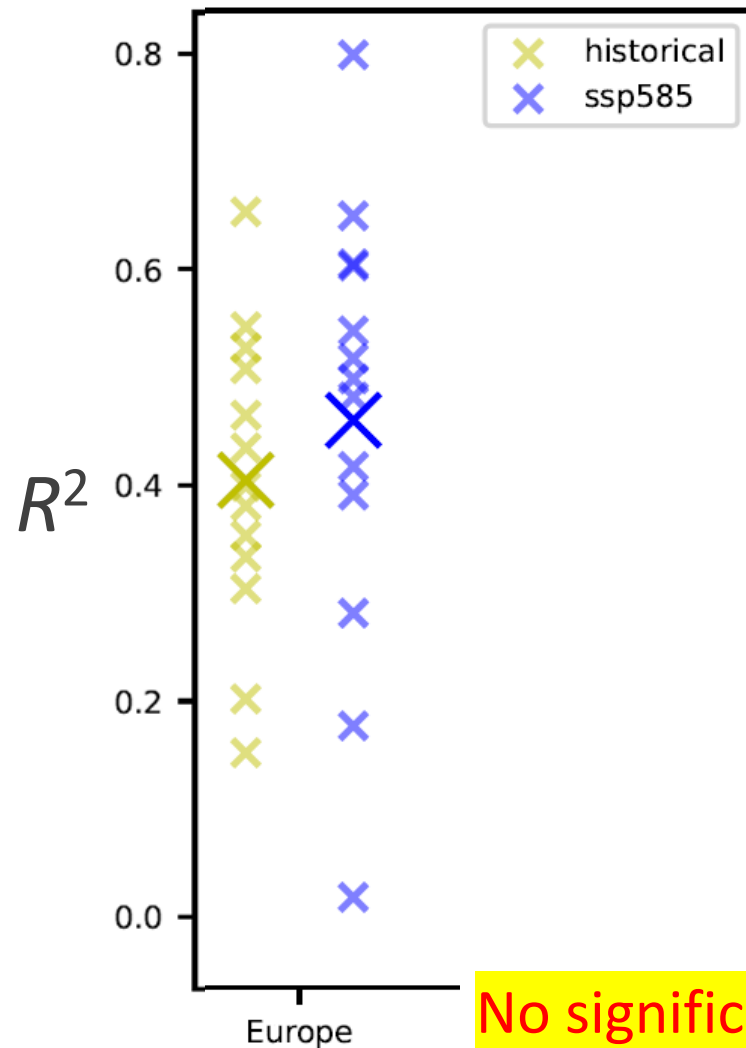
IPCC 2012

Ice melting limits temperature variability in future

R^2 (heatwave, blocking)

$$\text{Slope} = \frac{\overline{x'y'}}{\overline{x'^2}}$$

$$r = \frac{\overline{x'y'}}{\sqrt{\overline{x'^2} \cdot \overline{y'^2}}}$$

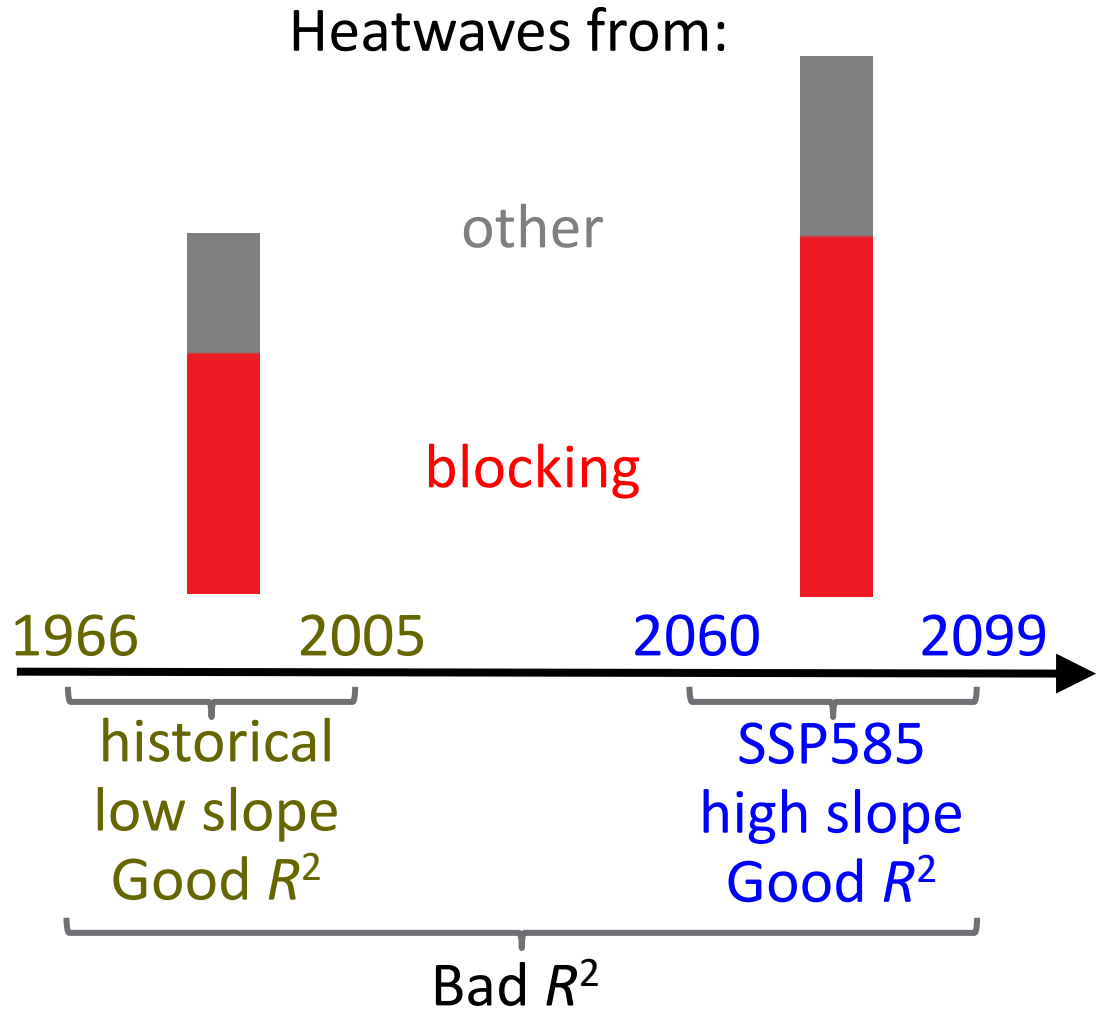
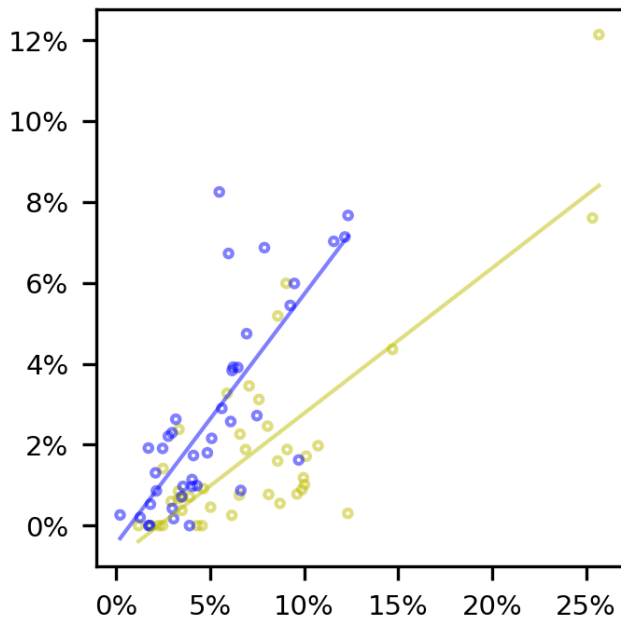


No significant change in R^2

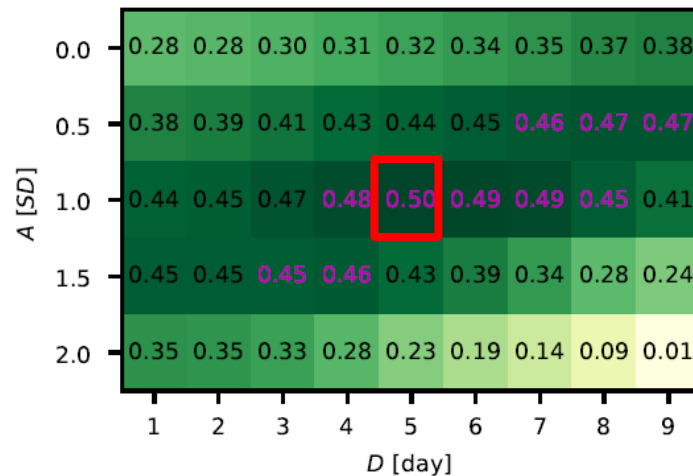
R^2 (heatwave, blocking)

$$\text{Slope} = \frac{\overline{x'y'}}{\overline{x'^2}}$$

$$r = \frac{\overline{x'y'}}{\sqrt{\overline{x'^2} \cdot \overline{y'^2}}}$$



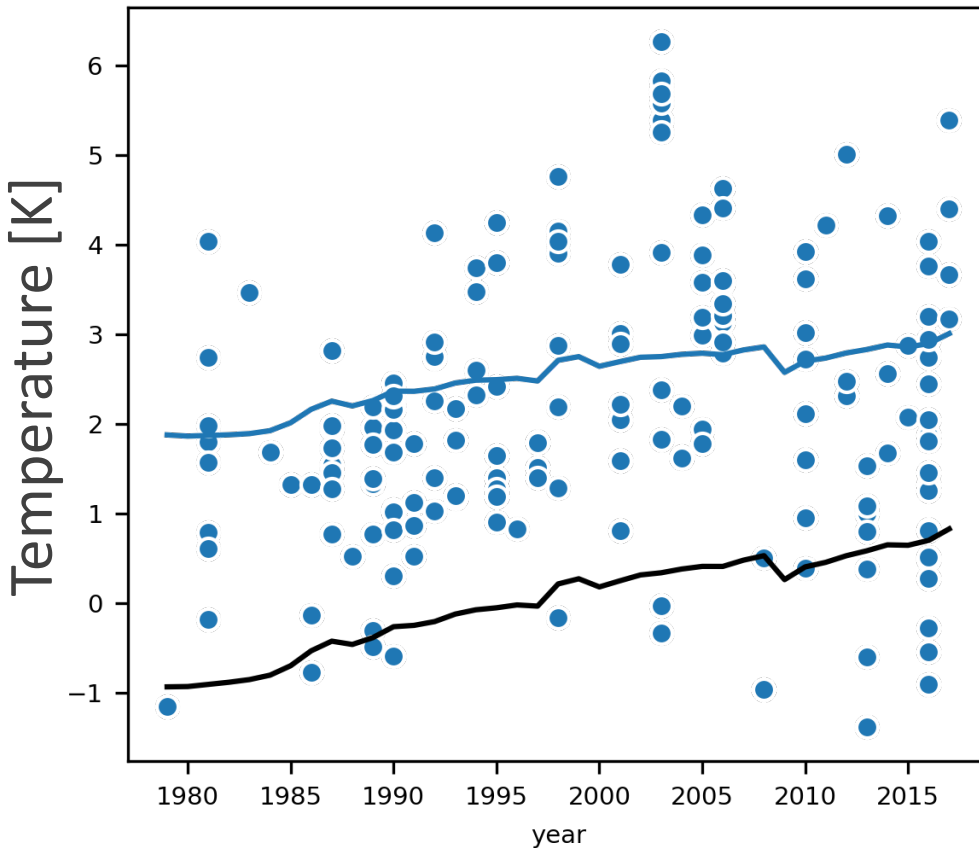
Heatwave-relevant circulation system



Still $A = 1$ SD, $D = 5-6$ days

Still same type of blocking
most relevant to heatwaves

Contrasting claim

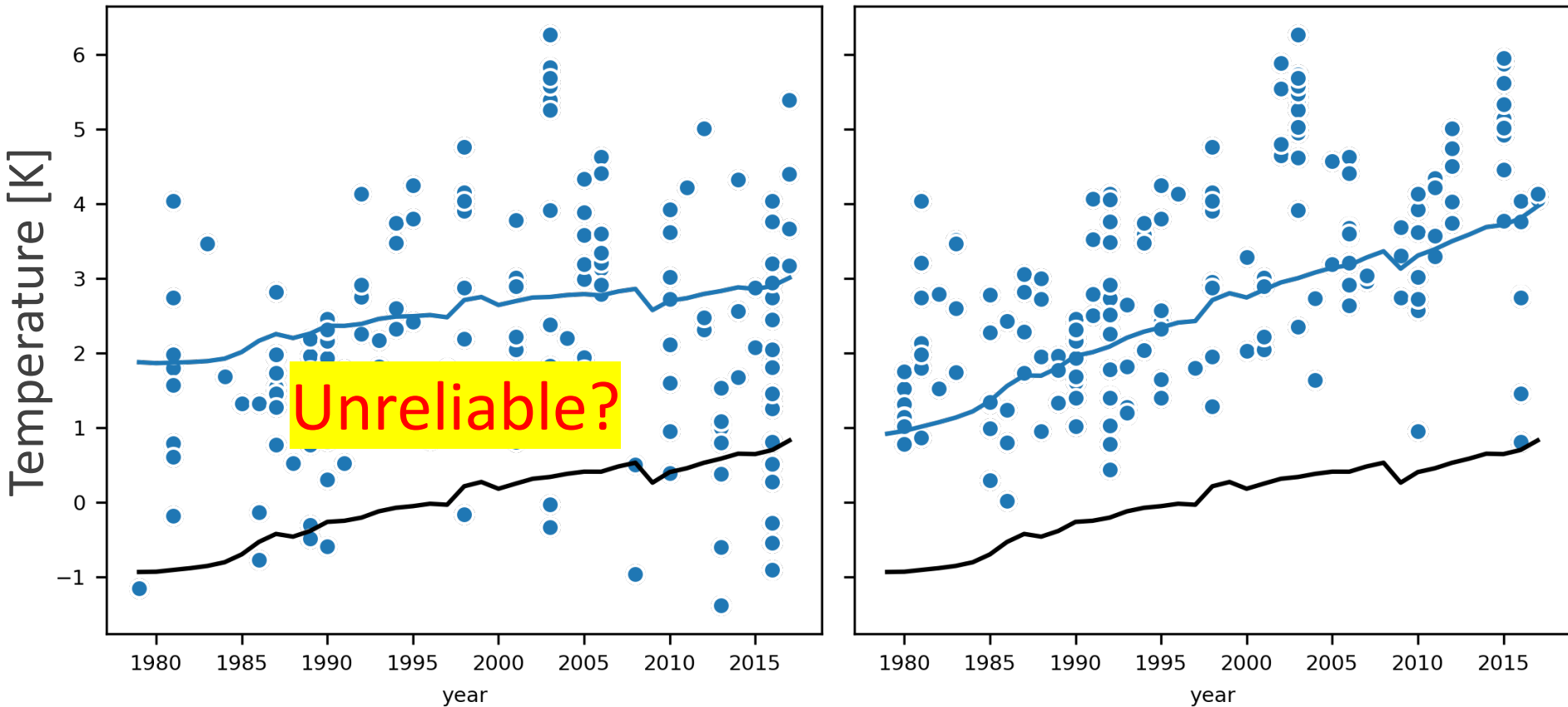


Jézéquel et al. 2020 ERL. Condition on circulation analog

∴ Conditional trend < unconditional trend

∴ Different circulation for future heatwaves?

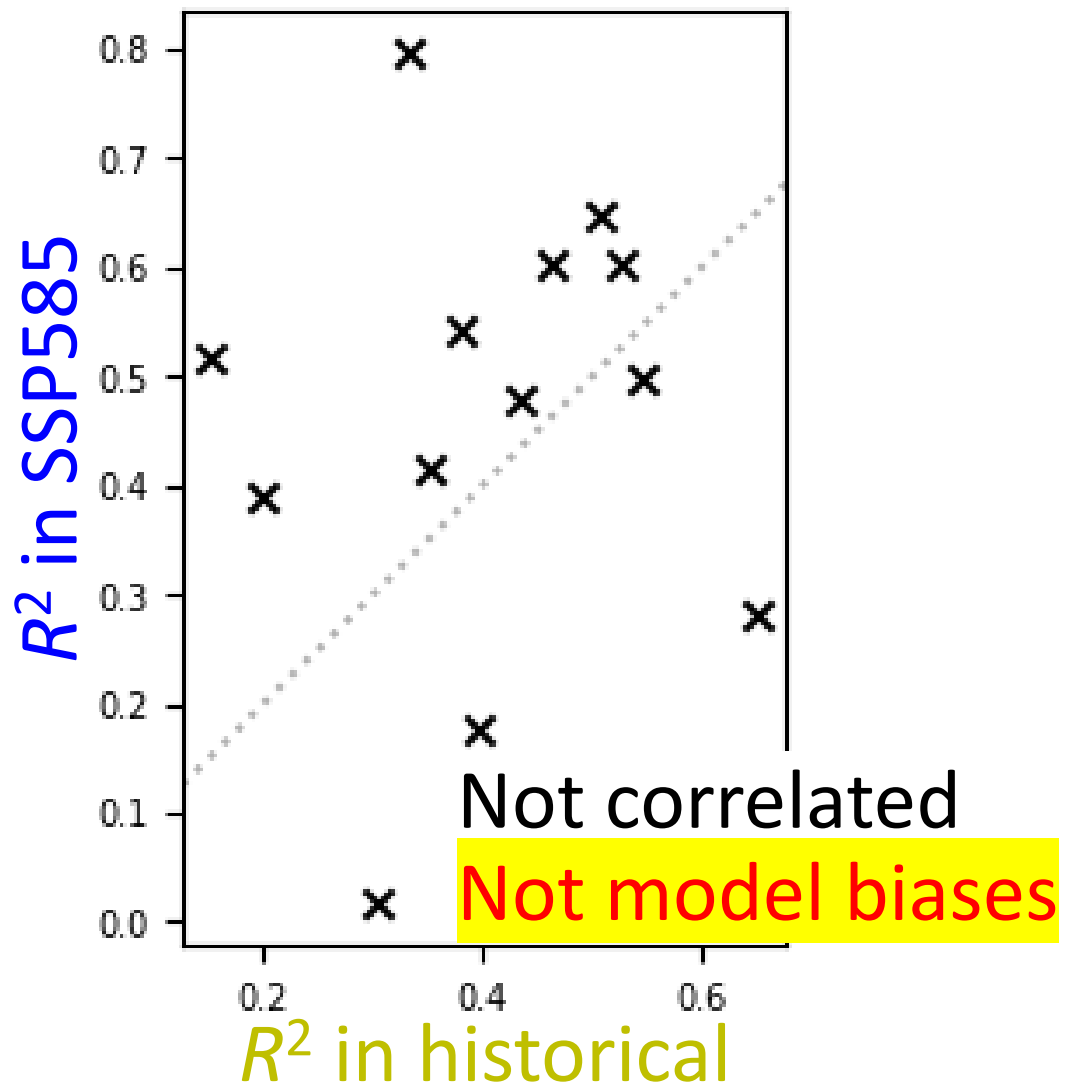
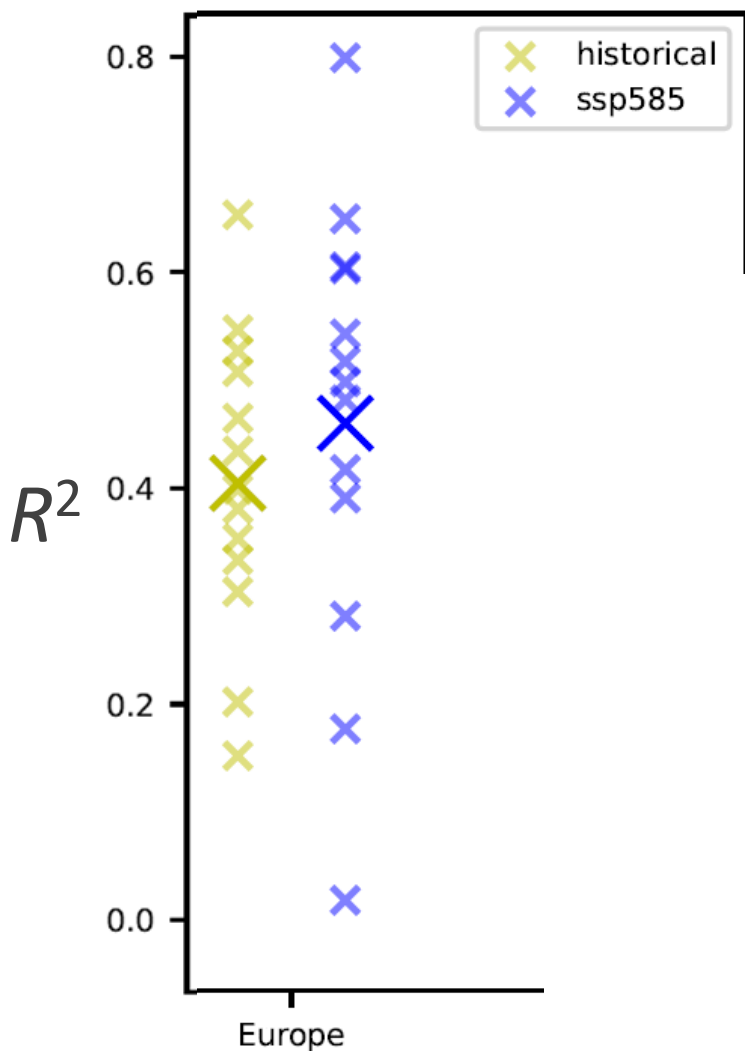
Contrasting claim - revisit



After some tweaks

Conditional trend > unconditional trend

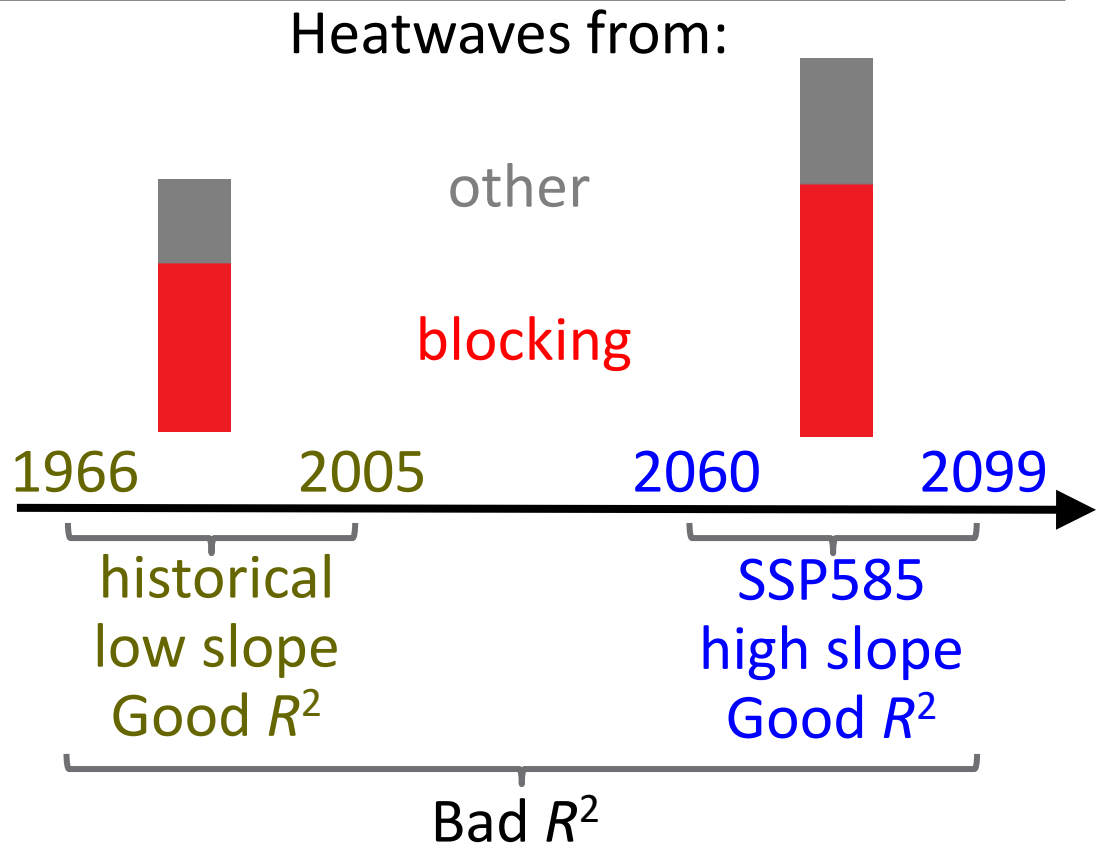
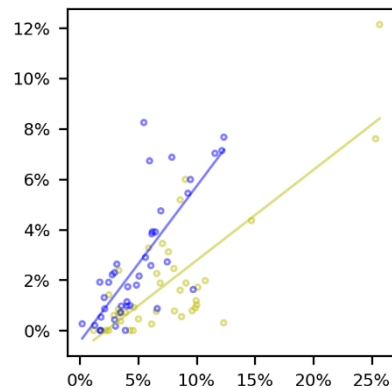
Model bias?



Conclusion

$$\text{Slope} = \frac{\overline{x'y'}}{\overline{x'^2}}$$

$$r = \frac{\overline{x'y'}}{\sqrt{\overline{x'^2} \cdot \overline{y'^2}}}$$



Chan, P. W., Catto, J. L., & Collins, M. (2022). *npj Climate and Atmospheric Science*, 5, 68.
 Chan, P.-W., Hassanzadeh, P., & Kuang, Z. (2019). *Geophysical Research Letters*, 46(9), 4904.
 More to come...