

# Can Large Icy Moons Accrete Undifferentiated?

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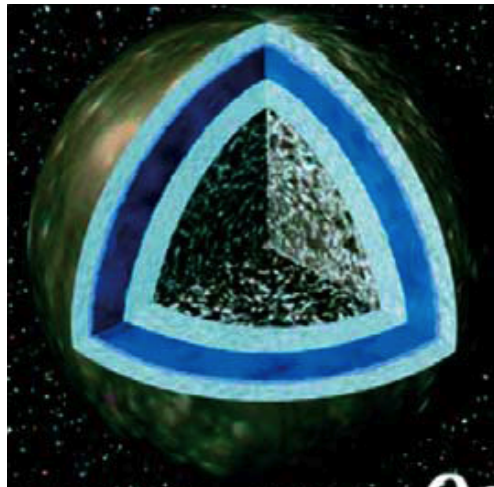
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# Introduction

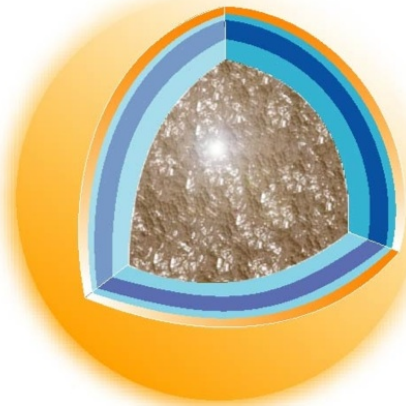
**Internal structures of icy satellites**  
from missions Galileo and Cassini

**Callisto**



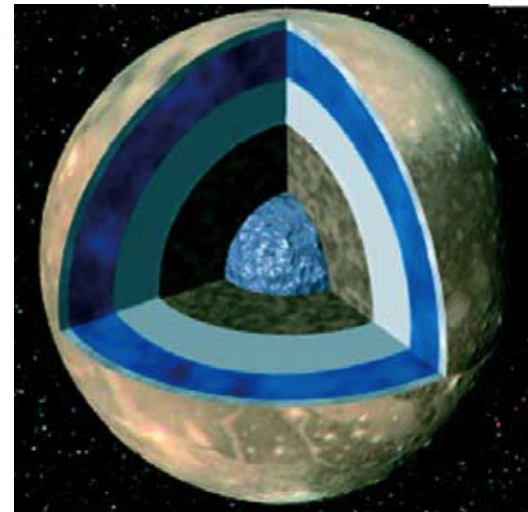
Large  
undifferentiated core

**Titan**



Partially differentiated  
core  
+ atmosphere

**Ganymede**



Iron-rich core  
+ silicate mantle  
+ ice layer  
+ ocean



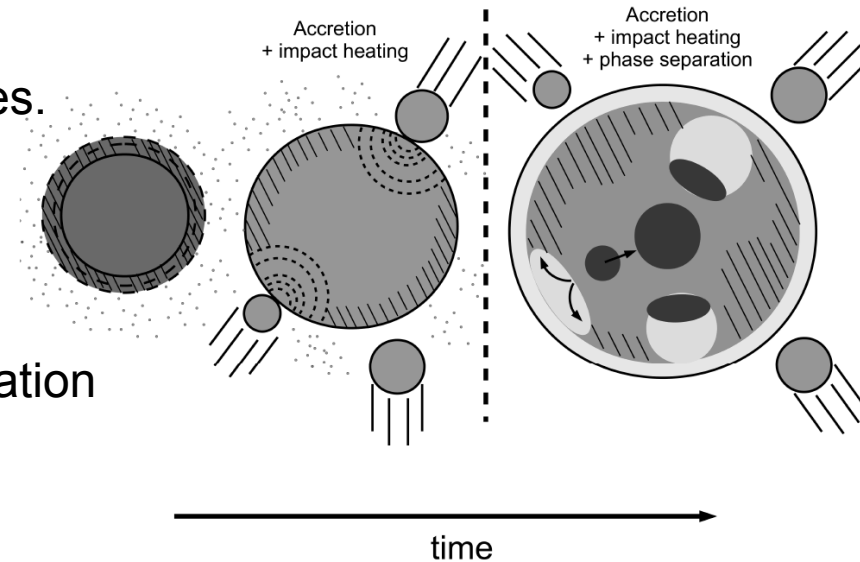
*Sotin et al., 2009*

Wide range in degree of differentiation among icy satellites

# Introduction

**Thermal evolution of growing icy satellites** is a key parameter to explain internal properties.

- **radioactive heating** ( $^{26}\text{Al}$ ,  $^{60}\text{Fe}$ , K, U ...)
- **tidal heating** associated with despinning
- **accretional heating**
- **viscous heating** caused by ice-rock separation



## Influence of accretionary characteristics

- **timescales** (Mueller & McKinnon 1988, Nagel et al. 2004)
  - long accretion  $\Leftrightarrow$  energy radiated efficiently
- **impactor populations characteristics**
  - high impact velocities  $\Leftrightarrow$  more energy available
  - large impactors  $\Leftrightarrow$  energy buried deeper
- **late accretionary process** (Barr & Canup 2010)

*From Tobie et al., 2012*

Degree of differentiation might be explained by conditions of accretion



# Introduction

**Classical 1D approach** (Kaula 1979, Schubert et al., 1981):

$$T_a(r) = \frac{hGM(r)}{c_p r} \left\{ 1 + ru^2 / 2GM(r) \right\} + T_e$$

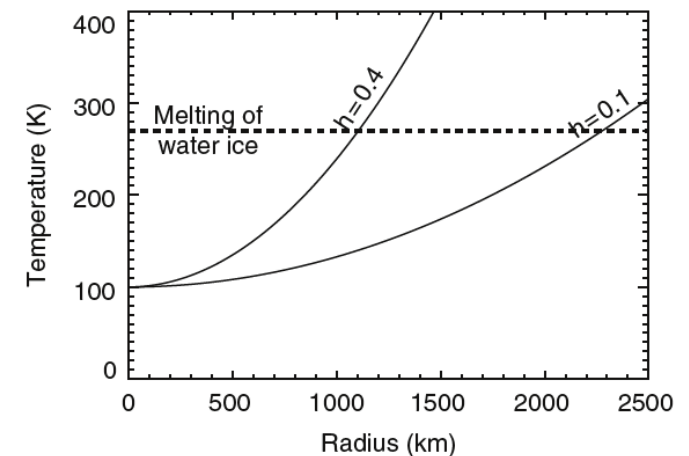
r=radius

u=impact velocity

M(r)=mass

T<sub>e</sub>=Temperature of the surrounding environment

h=fraction of energy retained as heat



**Fig. 3.2** Accretional temperature profile in Titan for different fractions  $h$  of the impact energy retained as heat *Lunine et al., 2009*

## Limitation of the model

This model can not characterize properly **the influence of large impacts** that are unavoidable at the end of the accretion and that probably have strongly influenced the late thermo-chemical state of large icy satellites

The **evacuation of heat from the surface** and the **energy conversion of kinetic energy** are simplified within one constant parameter  $h$



# Introduction

## New method

- We develop a model of topographical evolution of an icy satellite growing both by meteoritic impacts and layer deposits
- We consider the thermal effect after each impact
- We combine these 2 approaches in a numerical 3D to monitor the thermal evolution of a growing icy satellite

## Major questions

- What is the thermal evolution during the accretion of icy satellites?
- Can the accretionary parameters (impactor size, accretion time and characteristics) explain the wide range in degree of differentiation?

# Topographical evolution of the growing body:

## A combination of layer deposit and large impacts

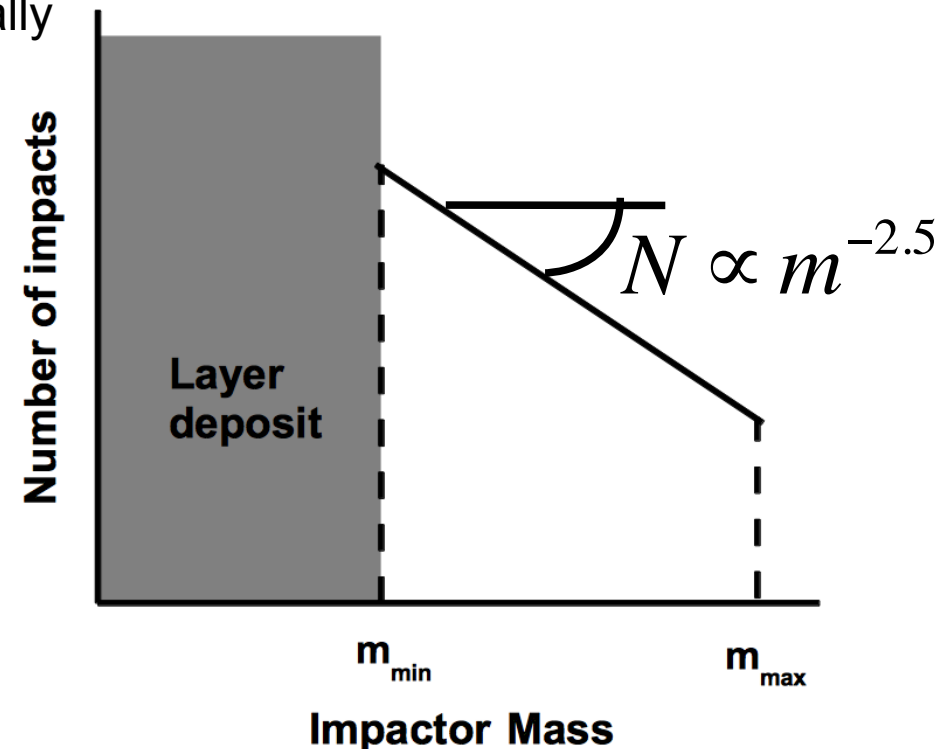
- Small impactors are deposited as a layer
- Large impactors are considered individually

We define

$$k_{\text{acc}} = \frac{\text{layering accretion rate}}{\text{large impact accretion rate}}.$$

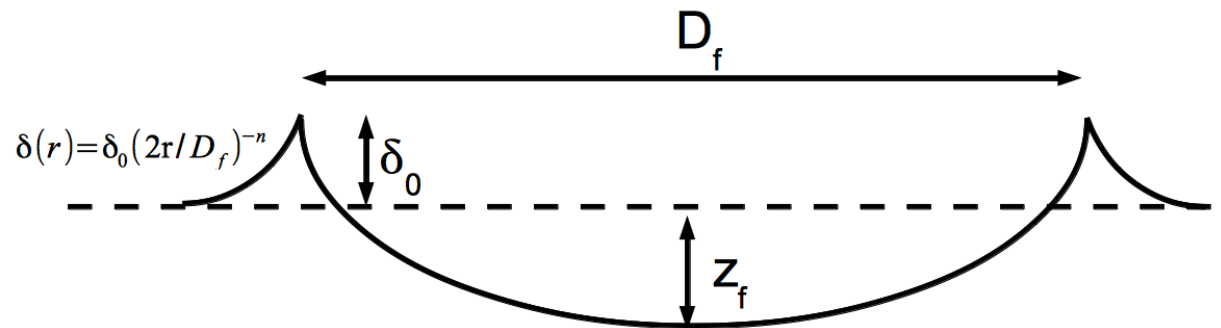
### Large impactors population

- Monte-Carlo sampling
- $R_{\text{imp,min}} < R_{\text{imp}} < R_{\text{imp,max}}$
- the population is (currently) assumed to be infinite
- mass distribution slope from N-body simulations (Kokubo et al., 2000)
- planetocentric/heliocentric impactors



# Topographical evolution of the growing body

Large impacts: Cratering lengthscales for icy satellites:



- simple crater diameter (Zahnle et al. 1998)

$$D_s = 1.1 R_p^{0.22} d_{imp}^{0.78} \left( \frac{v_{imp}^2}{v_{esc}^2} \right)^{0.22} \left( \frac{\rho_{imp}}{\rho_p} \right)^{0.33} (\cos(\theta_{imp}))^{0.44}$$

- transition simple/complex crater when  $D_s > D_c$  (McKinnon et al. 1991, Zahnle et al. 2003)

$$D_f = D_s \quad D_f = D_s (D_s/D_c)^{0.13}$$

-depth simple/complex craters (Schenk, 2002)

$$z_f = 0.75 D_s^{0.3} \quad z_f = 0.15 D_s^{0.88}$$

- rim height (Schenk 1991)

$$\delta_0 = 0.017 D_f^{0.976}$$

# Topographical evolution of the growing body

## Multi-Cratering model

- we assume a constant accretion rate
- layer (i.e. small impactors) is deposited between 2 large impacts
- large impact craters are superimposed to preexisting topography (Howard, 2007).
- we neglect late deformation of impact craters (erosion, landslides ...)
- we consider that impacts are 100% accretive.

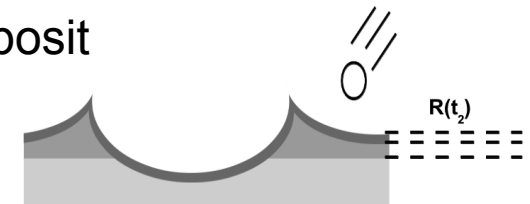
Large impact



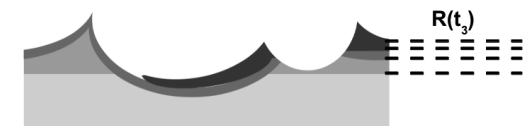
Crater formation



Layer deposit



Large impact





# Accretionary heating

## Large impact heating process

Kinetic energy of impacts

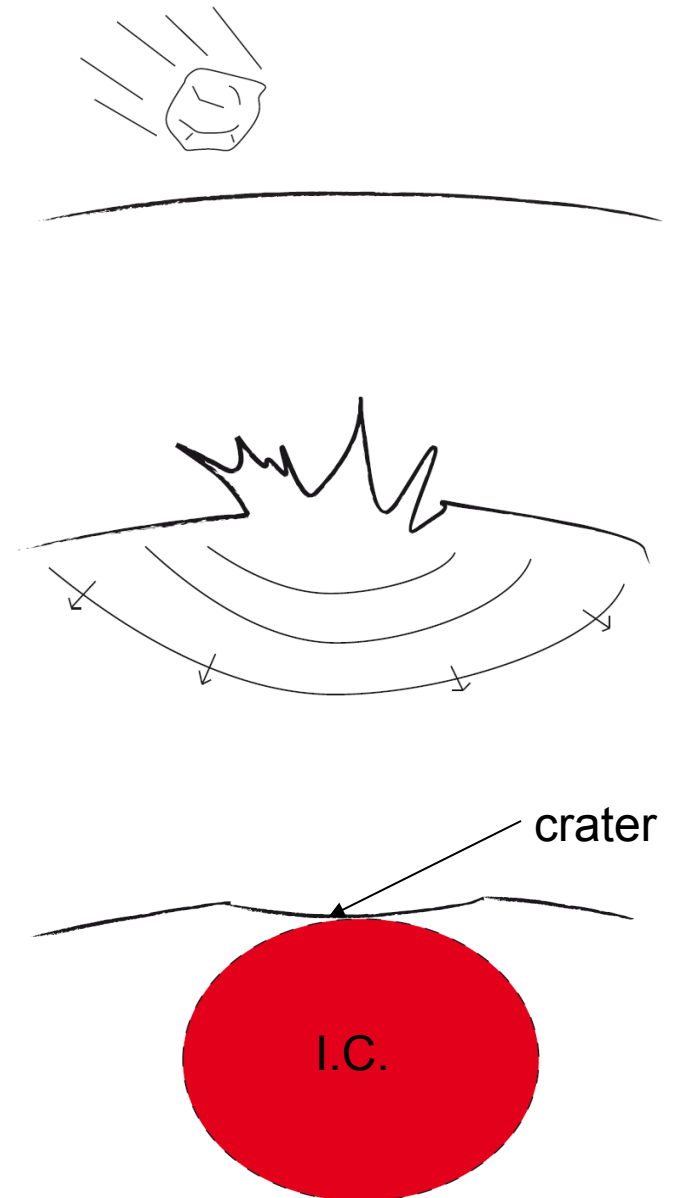
$$v_{imp}^2 = v_{esc}^2 + v_{\infty}^2$$

shock-wave  $\Rightarrow$  increase of pressure and entropy in a nearly spherical volume below the surface (Croft, 1982)

Despite the adiabatic decompression,  
 $\Rightarrow$  temperature increases just after impact (Senshu, 2002)

Considering  $v_{\infty} = 0$  leads to:

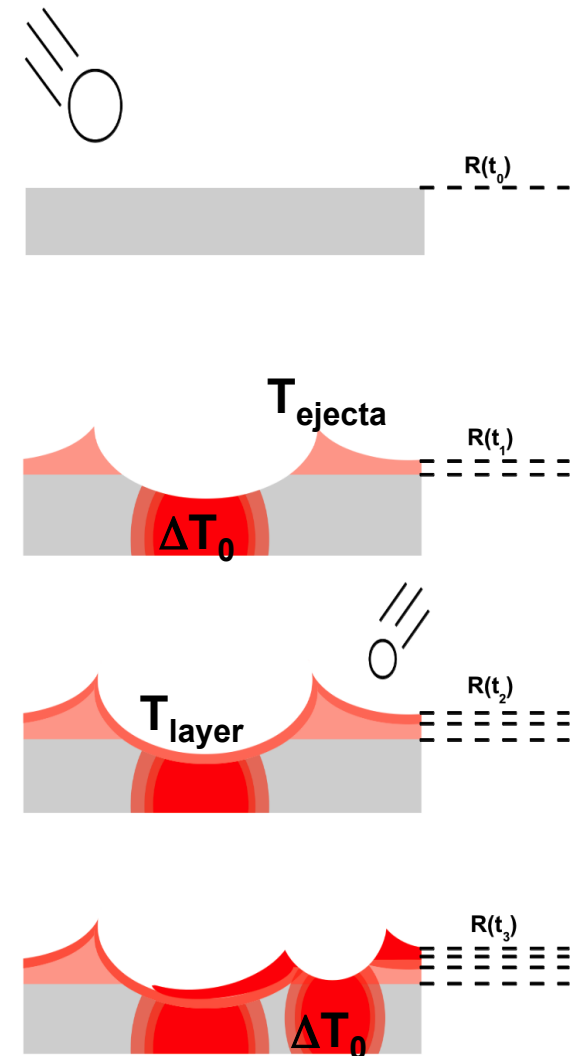
$$\Delta T_0 \propto \frac{\gamma G R^2}{C_p}$$



# Accretionary heating

Combination between accretion and thermal evolution:  
3 characteristic temperatures

- The temperature  $T_{\text{layer}}$  of the layer deposit is a function of the impact velocity
- The deep temperature increase  $\Delta T_0$  is a function of the impact velocity
- The temperature  $T_{\text{ejecta}}$  of the ejecta excavated after a large is a function of the preimpact temperature + impact heating



# Results: Thermal evolution of a growing body

We implement our 2 models in a 3D convection code (Oedipus)

## Initial setup

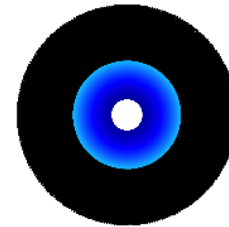
- Initial radius  $R=1000$  km,
- For  $R<1000$  km, we consider that the temperature radially increases from the center.

## Experimental parameters

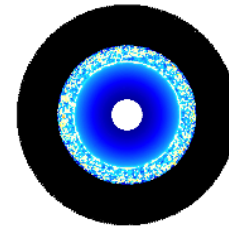
- planetocentric impactor population with constant impact angle
- large impactor radii range  
 $V_{\text{imp}} = V_{\text{esc}}$   
 $10 \text{ km} < r_{\text{imp}} < 100 \text{ km}$
- $k_{\text{acc}} = 1$
- time of the accretion  
 $t_{\text{acc}} = 10 \text{ Myr}$  ( $10^7$  impacts)
- impact energy conversion efficiency  $\gamma = 0.3$

As  $R$  increases,  $v_{\text{imp}}$  and  $\Delta T_0$  increase

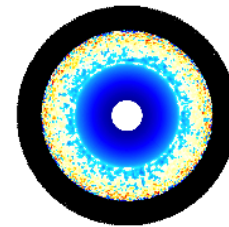
$t = 0 \text{ Myr}$   
 $R = 1000 \text{ km}$   
 $\phi_{\text{melt}} = 0\%$



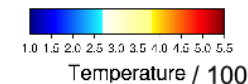
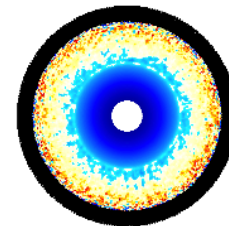
$t = 3.5 \text{ Myr}$   
 $R = 1340 \text{ km}$   
 $\phi_{\text{melt}} = 28\%$



$t = 7 \text{ Myr}$   
 $R = 1580 \text{ km}$   
 $\phi_{\text{melt}} = 49\%$

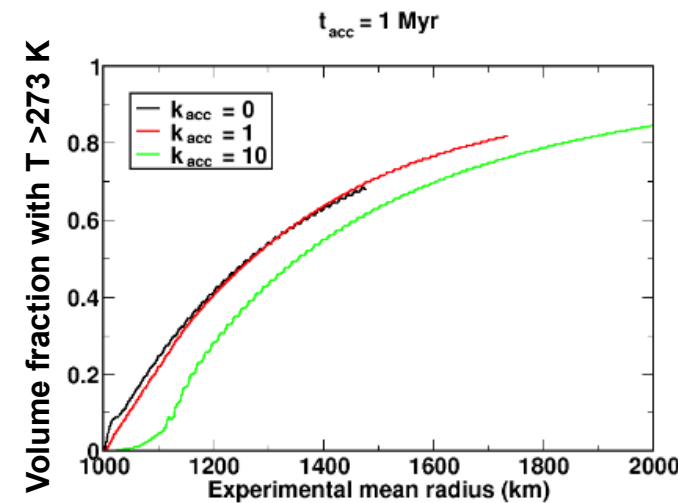
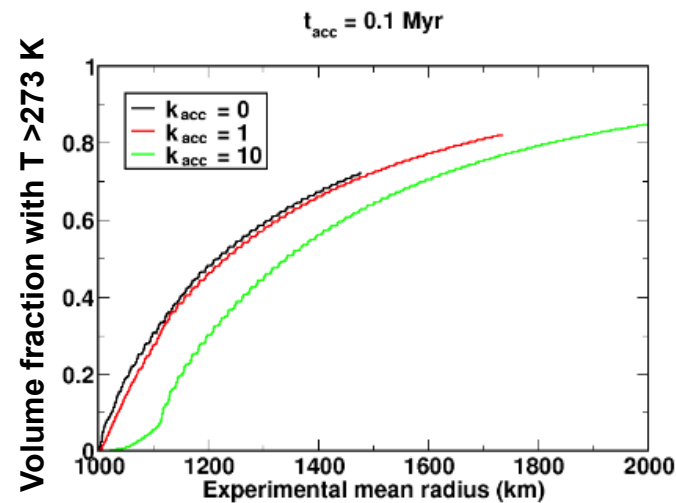


$t = 10 \text{ Myr}$   
 $R = 1740 \text{ km}$   
 $\phi_{\text{melt}} = 63\%$

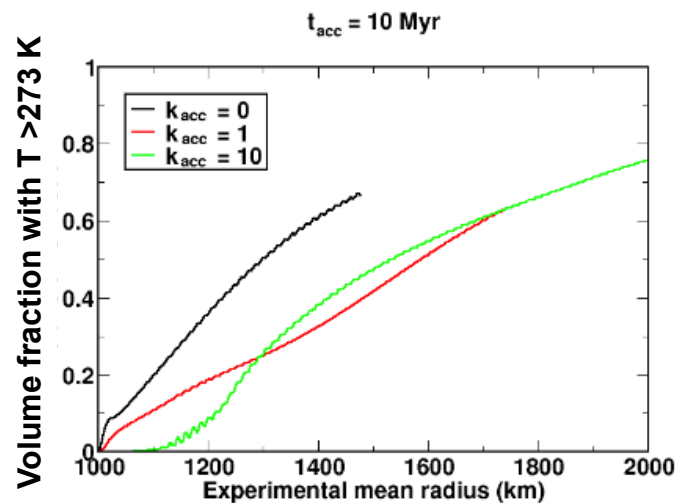


# Results: Thermal evolution of a growing body

## Influence of accretionary parameters



$$\gamma = 0.3$$



Evolution as a function of

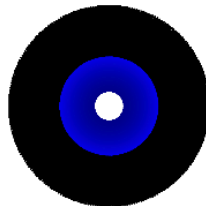
- the size of the growing body
- the accretion time
- the ratio between layer deposit .vs. large impacts

Difficult to avoid substantial melting even with large  $t_{\text{acc}}$  and  $k_{\text{acc}}$

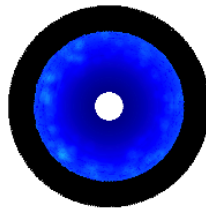
# Results: Thermal evolution of a growing body

Influence of the impact energy conversion efficiency  $\gamma$

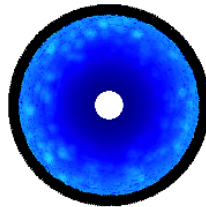
$t = 0$  Myr  
 $R = 1000$  km  
 $\phi_{\text{melt}} = 0\%$



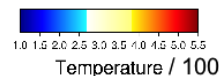
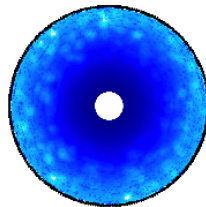
$t = 1$  Myr  
 $R = 1512$  km  
 $\phi_{\text{melt}} = 0\%$



$t = 2$  Myr  
 $R = 1808$  km  
 $\phi_{\text{melt}} = 3 \times 10^{-3}\%$



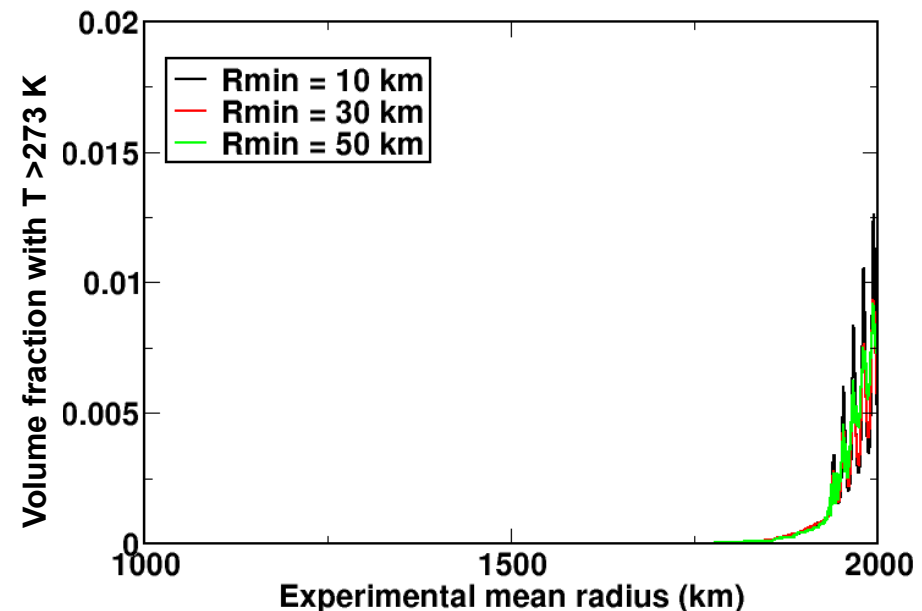
$T = 2.7$  Myr  
 $R = 1965$  km  
 $\Phi_{\text{melt}} = 0.6\%$



$\gamma = 0.1$

**Experimental setup:**

- $10 \text{ km} < r_{\text{imp}} < 100 \text{ km}$
- $k_{\text{acc}} = 10$
- $t_{\text{acc}} = 10 \text{ Myr}$

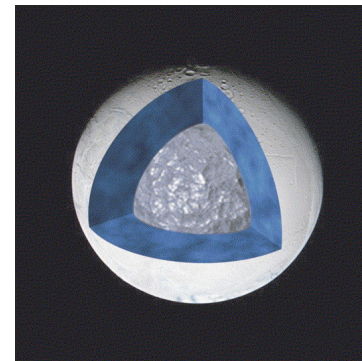


## Conclusions

- We have built a numerical tool to measure the influence of the accretionary characteristics on the early thermal state of growing icy satellites
- Among the parameters studied, the energy conversion efficiency seems to be a key parameter in understanding the melting degree during icy moons growth

## Perspectives

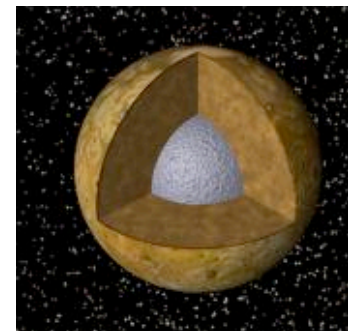
- Extend our study to the inner thermal state of smaller bodies
- Implement the effect of supplementary heating (tidal, radiogenic)
- Implement dynamics of differentiation (2-phases dynamics)
- Characterize the evolution of Titan's nitrogen atmosphere during accretion



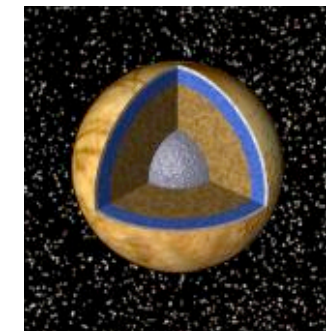
Enceladus (R=250 km)



Rhea (R=763 km)



Io (R=1820 km)



Europa (R=1560 km)